

Demand-side Management of Smart Appliance Based on Optimization Prediction Tools

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Abstract—Demand-side management is one approach that can be applied to efficiently manage a site's energy consumption with the aim of cutting the costs of electrical energy supply. Based on this approach, we try to build an optimization tool for smart appliance to save energy cost for consumers. We collect historic prediction and real-time price data from NYISO to build models for our decision basis. To prove our model's reliability, we examine its performance and examine our assumptions, the test result shows that our optimization tool can save cost. In the future, we will make calibration to improve our model and integrate our model to make better prediction. We are hoping that we can approach the best optimal decision for the smart appliance to work step by step.

Index Terms—Demand-side Management, Optimization Tool, Prediction Tool, Decision Analysis, Energy Saving.

I. INTRODUCTION

Demand-side management is one approach that can be applied to efficiently manage a site's energy consumption with the aim of cutting the costs of electrical energy supply. Its general idea is to take group actions for grid and general system to save electricity charges for all people.

In real-world situation, the requirements of demand-side management is very straight-forward. We are hoping that consumers can choose to use less electricity during peak hours themselves so that we can reach a balance between the demand and the supply to reduce energy cost.

But the problem here is even if consumers acknowledge the benefit of demand-side management, is hard for themselves to implement this process, because of the limitation of technologies and knowledge. So there are several ways developed from energy companies' perspective to realize this goal. One way is to storage electricity when demand is relatively low and allocate them to consumers during peak hours. Another way is to manage energy generation process of grid operators so that demand and supply can be balanced.

These measures are widely applied and are making great benefits to the world energy saving. However, there are still lots of space for consumers themselves to take part in this decision process. As we mentioned before, it's hard for them to implement it directly. As a result, we will introduce smart appliance which allows working interactively and autonomously

in this scenario. For example, your washing machine have a job to be done today. If a consumer don't need his washing job to be done as soon as possible, then smart appliance can hold the job and do it when electricity price is relatively low. Based on this idea, not only energy charges are saved but also the supply pressure is released.

In this scenario, we are trying to develop a simple way for consumers to deploy demand-side management. All consumers need to do is set up a working time range they need for smart appliance to complete the job. And smart appliance will decide its starting working time according to current flowing price. They don't need to know anything about the latent procedure of how smart appliance solves it out. Consumers only need to focus on their own needs and the flexibility of working time period they can provide smart appliance with so it's easy to perform this measure.

Now the problem switches to: How to get the value of flowing electricity price? The answer is: We need to build a prediction model for it. There are many factors that influence electricity prices, including fuel price, power plant costs, transmission and distribution system effect, weather condition and so on. As a result, building a model ourselves is too complicated and not reliable for us due to the large number of involved factors and lack of data access of these factors.

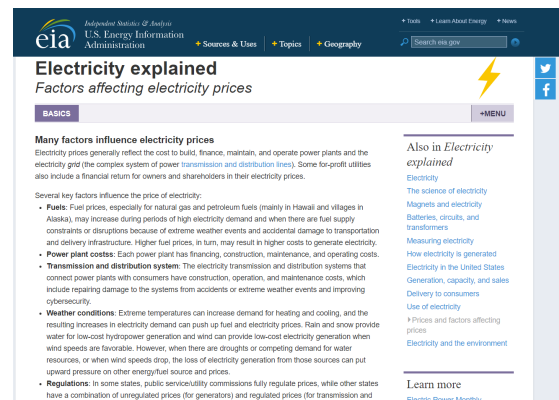


Fig. 1: Factors that influence electricity price

Instead, we will be using the forecast electricity price data generated by New York independent system operator(NYISO) as our basis to predict the realized price of electricity. We will use historic real-time and forecast price data to generalize a model that can fit both data. Then we can predict the realized price one-day ahead according to the day-ahead predicted data.

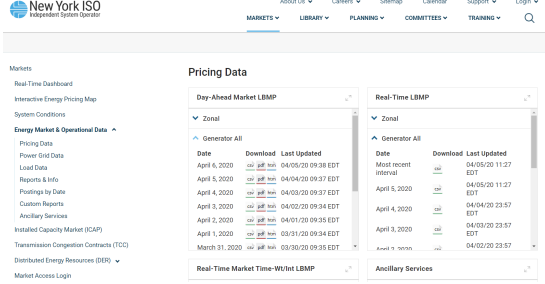


Fig. 2: NYISO Website

The result of the real-time updated data will be used to refine the model. Based on that predicted realized price value and the given working hour range, we can find the optimal working time for the smart appliance.

II. THE DECISION PROBLEM AND FORMALISM

A. Decision Problem

The decision-maker should be the smart appliance itself, to decide which time to start doing the job in order to get the lowest cost of electricity based on predicted realized LBMP in a typical day.

The analysis here uses statistical decision theory to generate a recommendation about which time to start working, in order to get a best potential price to save money.

B. Formalism

Parameters we have here:

H : length of the given working time range

$L \leq H$: working hours needed to complete the work

$Y = \langle Y_H, Y_{H-1}, \dots, Y_1 \rangle$: price on hours $h = H, \dots, 1$

The decision maker's action set \mathbb{H} : choose a starting working time (certain hour h to start working) to complete the job. $h \in [1, H - L + 1]$ (range of left available starting working hours).

Uncertainty here is the arrangements to arrange working time for smart appliance according to the predicted price data one day ahead before the real price is known. Let Y denote the random electricity price. In this case, we represent the randomness of unobserved thing as the error distribution of the linear model we build (the fluctuation of price).

Payoffs: The loss function Let $L(h, y)$ denote the losses incurred by electricity usage by smart appliance.

$$L(h, y) = \sum_h^{h+L-1} Y_h \quad (1)$$

Decision criterion The decision criterion for smart appliance is: choose the start working hour that minimizes losses in expectation:

$$h^* = \operatorname{argmin}_{h \in \mathbb{H}} E[L(h, Y)] \quad (2)$$

Where the expectation is taken over the distribution of Y . This distribution represents the information about uncertain electricity price we can predict using the predicted price data for smart appliance to make decision to work.

III. DATA GENERATING PROCESS

A. Raw Data Description

Instead of building a model ourselves, we will use the forecast electricity price data generated by NYISO (New York Independent System Operator).

- The source of data: <https://www.nyiso.com/energy-market-operational-data> - LBMP: locational based marginal pricing

#	Time Stamp	Name	PTD	LBMP (\$/MWh)	Marginal Cost Losses (\$/MWh)	Marginal Cost Congestion (\$/MWh)
1	11/01/2019 00:00	CAPITL	61757	20.18	0.38	-14.37
2	11/01/2019 00:00	CENTRL	61754	7.4	0.09	-1.88
3	11/01/2019 00:00	DUNWOD	61760	16.45	0.52	-10.51
4	11/01/2019 00:00	GENESE	61753	6.84	0.03	-1.39
5	11/01/2019 00:00	H Q	61844	5.16	0.07	-0.09
6	11/01/2019 00:00	HUD VL	61758	16.29	0.45	-10.42
7	11/01/2019 00:00	LONGIL	61762	16.59	0.66	-10.51
8	11/01/2019 00:00	MHK VL	61756	7.64	0.07	-2.14
9	11/01/2019 00:00	MILLWO	61759	16.49	0.48	-10.59
10	11/01/2019 00:00	N Y C	61761	16.53	0.59	-10.51
11	11/01/2019 00:00	NORTH	61755	5.02	0.04	0
12	11/01/2019 00:00	NPX	61845	17.9	0.4	-12.08
13	11/01/2019 00:00	O H	61846	7.16	0.02	-1.71
14	11/01/2019 00:00	PJM	61847	8.05	0.07	-3.47
15	11/01/2019 00:00	WEST	61752	7.34	0.11	-1.18
16	11/01/2019 01:00	CAPITL	61757	17.69	0.34	-12.26
17	11/01/2019 01:00	CENTRL	61754	6.76	0.08	-1.61
18	11/01/2019 01:00	DUNWOD	61760	14.52	0.48	-8.97
19	11/01/2019 01:00	GENESE	61753	6.27	0.02	-1.18
20	11/01/2019 01:00	H Q	61844	5	-0.16	-0.09
21	11/01/2019 01:00	HUD VL	61758	14.38	0.41	-8.9
22	11/01/2019 01:00	LONGIL	61762	14.74	0.65	-8.02
23	11/01/2019 01:00	MHK VL	61756	6.95	0.05	-1.83
24	11/01/2019 01:00	MILLWO	61759	14.55	0.44	-8.05
25	11/01/2019 01:00	N Y C	61761	14.59	0.54	-8.98
26	11/01/2019 01:00	NORTH	61755	4.68	-0.39	0
27	11/01/2019 01:00	NPX	61845	15.94	0.38	-10.49
28	11/01/2019 01:00	O H	61846	6.74	0.04	-1.63
29	11/01/2019 01:00	PJM	61847	8.36	0.15	-3.14

Fig. 3: Forecast Electricity Price Data

#	A	B	C	D	E	F	G	H
#	Time Stamp	Name	PTD	LBMP (\$/MWh)	Marginal Cost Losses (\$/MWh)	Marginal Cost Congestion (\$/MWh)		
1	11/01/2019 00:00:00	CAPITL	61757	19.46	0.14	0		
2	11/01/2019 00:05:00	CENTRL	61754	18.36	0.04	0		
3	11/01/2019 00:10:00	DUNWOD	61760	19.89	1.58	0		
4	11/01/2019 00:15:00	GENESE	61753	17.83	-0.49	0		
5	11/01/2019 00:20:00	H Q	61844	17.93	-0.39	0		
6	11/01/2019 00:25:00	HUD VL	61758	19.72	1.41	0		
7	11/01/2019 00:30:00	LONGIL	61762	20.28	1.96	0		
8	11/01/2019 00:35:00	MHK VL	61756	18.47	0.15	0		
9	11/01/2019 00:40:00	MILLWO	61759	19.62	1.5	0		
10	11/01/2019 00:45:00	N Y C	61761	20.12	1.8	0		
11	11/01/2019 00:50:00	NORTH	61755	17.66	-0.68	0		
12	11/01/2019 00:55:00	NPX	61845	17.93	1.23	1.62		
13	11/01/2019 01:00:00	O H	61846	17.4	-0.92	0		
14	11/01/2019 01:05:00	PJM	61847	18.45	-0.17	0		
15	11/01/2019 01:10:00	WEST	61752	17.51	-0.81	0		
16	11/01/2019 01:15:00	CAPITL	61757	19.56	1.18	0		
17	11/01/2019 01:20:00	CENTRL	61754	18.36	0	0		
18	11/01/2019 01:25:00	DUNWOD	61760	19.96	1.58	0		
19	11/01/2019 01:30:00	GENESE	61753	17.85	-0.39	0		
20	11/01/2019 01:35:00	H Q	61844	17.99	1.42	0		
21	11/01/2019 01:40:00	HUD VL	61758	19.79	1.97	0		
22	11/01/2019 01:45:00	LONGIL	61762	20.35	2.35	0		
23	11/01/2019 01:50:00	MHK VL	61756	18.54	0.17	0		
24	11/01/2019 01:55:00	MILLWO	61759	19.89	1.51	0		
25	11/01/2019 02:00:00	N Y C	61761	20.38	1.8	0		
26	11/01/2019 02:05:00	NORTH	61755	17.7	-0.68	0		
27	11/01/2019 02:10:00	NPX	61845	18.01	1.25	1.62		
28	11/01/2019 02:15:00	O H	61846	17.4	-0.97	0		
29	11/01/2019 02:20:00	PJM	61847	18.18	-0.2	0		

Fig. 4: Real-time Electricity Price Data

Forecast electricity price data: every hour's LBMP based on forecast everyday(every hour's price, one-day ahead).

Historical real-time electricity price data: real-world recorded LBMP(every 5 minutes' price, continuously updated to today) we use the mean value of 12 every 5 minutes' price within each hour to represent its every hours' real-time electricity price.

B. The Predictive Model

$X1_h$: variable indicating realized value of historic predicted electricity price.

Y_{1h} : variable indicating realized value of historic real-time electricity price.

X_{2h} : variable indicating realized value of day-ahead predicted electricity price.

Y_h : random state variable indicating realized value of electricity price.

We will use the historic data (both predicted price and real-time price X_{1h} and Y_{1h}) collected from the website to build a linear model to make prediction about the realized price (get distribution of Y_h) distribution given new day-ahead predicted price (X_{2h}).

The process can be concluded as follows: First, we need to get historic predicted price (X_{1h}) and historic real-time price (Y_{1h}). Then we need to build a linear model and get its error distribution ($Y_{1h} = \beta_0 + \beta_1 X_{1h} + \varepsilon_i$). Finally, given the day-ahead predicted price (X_{2h}), we can predict the distribution of the realized price (Y_h).

That is, given a new predicted price data by the website one day ahead, we will have a prediction about the distribution of the realized price. We will use the mean value of every 5 minutes' real-time price within each hour to represent the every hour's real-time price (Y_{1h}). And to match it with the predicted every hour's price (X_{1h}) in the same location to build the model.

IV. RESULTS

A. Results and Analysis

We are using historical real-time price data and prediction price data from February to March to build the linear model. The summary shows that the model is reliable which follows our assumption that these two variables (preprice and realprice) have a linear relationship.

```
Call:
lm(formula = realprice ~ preprice, data = df2)

Residuals:
    Min       1Q   Median       3Q      Max
-27.587  -3.428  -0.966   1.580  179.840

Coefficients:
            Estimate Std. Error t value Pr(>|t|)
(Intercept)  3.00368    0.18935   15.86  <2e-16 ***
preprice     0.82073    0.01088   75.46  <2e-16 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 7.892 on 21598 degrees of freedom
Multiple R-squared:  0.2086, Adjusted R-squared:  0.2086
F-statistic: 5695 on 1 and 21598 DF, p-value: < 2.2e-16
```

	Min.	1st Qu.	Median	Mean	3rd Qu.	Max.
	-27.5874	-3.4278	-0.9663	0.0000	1.5803	179.8402

Fig. 5: Linear Model Summary

When looking at the residual plot of the linear model we built, it seems like the error term is symmetrically distributed and there is no explicit pattern for the error. Our assumption of normal distribution for error term might be feasible.

Then based on our assumption that error term is normally distributed, we try to get the distribution of it. The plot shows that the distribution is matched with our assumption.

After examining the error distribution and model reliability, next step is using our prediction data to choose the optimal

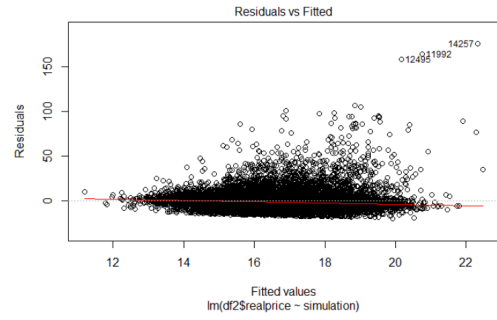


Fig. 6: Residual Plot

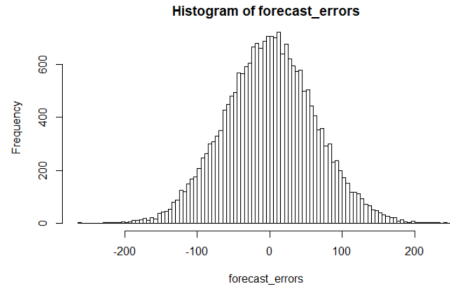


Fig. 7: Error Distribution

working time for consumers. We write a program in Python to simulate this process.

As we mentioned before, after inputting the date, the location work hours needed for the job and setting up working time range. The optimization tool will give its suggestion on which hour to start working and the cost it can save. We try several samples to test its performance.

```
You are searching for the best start working hours on 20200214 in location WH0-V1
Working hours needed: 1 hours
Start time range: 10, Finish time range: 20

Based on prediction data by WYDQ:
If you start working at 10:00 clock, you need to pay 11.14 dollars
If you start working at 10:05 clock, you need to pay 11.31 dollars
If you start working at 10:10 clock, you need to pay 11.48 dollars
If you start working at 10:15 clock, you need to pay 11.64 dollars
If you start working at 10:20 clock, you need to pay 11.81 dollars
If you start working at 10:25 clock, you need to pay 11.98 dollars
If you start working at 10:30 clock, you need to pay 12.15 dollars
Based on prediction data by WYDQ, we will suggest start your work at 10:00 clock

Based on real-time prices:
If you start working at 10:00 clock, you need to pay 11.90 dollars
If you start working at 10:05 clock, you need to pay 11.96 dollars
If you start working at 10:10 clock, you need to pay 12.02 dollars
If you start working at 10:15 clock, you need to pay 12.08 dollars
If you start working at 10:20 clock, you need to pay 12.14 dollars
If you start working at 10:25 clock, you need to pay 12.20 dollars
If you start working at 10:30 clock, you need to pay 12.26 dollars
The average cost of randomly choosing a time to start working is 12.093333333333334 dollars
Based on prediction data by WYDQ, we will suggest start your work at 10:00 clock

By using our suggestion, from expectation value of our electricity cost, we can save 0.14333333333333334 dollars in total

The cost of best possible choice in the real-world is 11.44 dollars
We can still reduce our prediction cost to save more dollars of 0.14333333333333334 dollars
```

Fig. 8: Model Performance For 1 Hour Work

```
You are searching for the best start working hours on 20200214 in location WH0-V1
Working hours needed: 2 hours
Start time range: 10, Finish time range: 17

Based on prediction data by WYDQ:
If you start working at 10:00 clock, you need to pay 19.10 dollars
If you start working at 10:05 clock, you need to pay 19.26 dollars
If you start working at 10:10 clock, you need to pay 19.42 dollars
If you start working at 10:15 clock, you need to pay 19.58 dollars
If you start working at 10:20 clock, you need to pay 19.74 dollars
If you start working at 10:25 clock, you need to pay 19.90 dollars
If you start working at 10:30 clock, you need to pay 20.06 dollars
Based on prediction data by WYDQ, we will suggest start your work at 10:00 clock

Based on real-time prices:
If you start working at 10:00 clock, you need to pay 18.8 dollars
If you start working at 10:05 clock, you need to pay 18.8 dollars
If you start working at 10:10 clock, you need to pay 18.8 dollars
If you start working at 10:15 clock, you need to pay 18.8 dollars
If you start working at 10:20 clock, you need to pay 18.8 dollars
If you start working at 10:25 clock, you need to pay 18.8 dollars
If you start working at 10:30 clock, you need to pay 18.8 dollars
The average cost of randomly choosing a time to start working is 18.800000000000004 dollars
Based on prediction data by WYDQ, we will suggest start your work at 10:00 clock

By using our suggestion, from expectation value of our electricity cost, we can save 2.2200000000000004 dollars in total

The cost of best possible choice in the real-world is 21.440000000000004 dollars
We can still reduce our prediction cost to save more dollars of 2.2200000000000004 dollars
```

Fig. 9: Model Performance For 2 Hours Work

As we can see, using the predictive tool's suggestion can help us save the cost compared with randomly doing the job. Even if it can't reach the best optimal cost at this point, in some cases the cost it saved can reach nearly 50 percent of the

