

**B. Multiply by 2, divide by 6**  
time limit per test: 1 second  
memory limit per test: 256 megabytes

You are given an integer  $n$ . In one move, you can either multiply  $n$  by two or divide  $n$  by 6 (if it is divisible by 6 without the remainder). Your task is to find the minimum number of moves needed to obtain 1 from  $n$  or determine if it's impossible to do that. You have to answer  $t$  independent test cases.

**Input**  
The first line of the input contains one integer  $t$  ( $1 \leq t \leq 2 \cdot 10^4$ ) — the number of test cases. Then  $t$  test cases follow. The only line of the test case contains one integer  $n$  ( $1 \leq n \leq 10^9$ ).

**Output**  
For each test case, print the answer — the minimum number of moves needed to obtain 1 from  $n$  if it's possible to do that or -1 if it's impossible to obtain 1 from  $n$ .

**Example**

input	output
7	0
1	-1
2	1
3	-1
12	2
12345	-1
15131544	10
387420489	-1

$$n/6 \times$$

$$n \begin{cases} \times 2 \\ /6 \end{cases}$$

$$n \rightarrow 1 \begin{cases} \xrightarrow{\times 2} \textcircled{1} \checkmark \\ \xrightarrow{/6} \end{cases} \quad \begin{cases} \times \rightarrow -1 \end{cases}$$

$$pf \rightarrow \textcircled{1}$$

$$\textcircled{x \% 3 \neq 0}, \textcircled{6} \rightarrow \text{can't be divisible} \checkmark \quad \textcircled{-1} \rightarrow 1$$

$$x \% 3 \neq 0, -1 \rightarrow \times 2 \text{ or } /6$$

$$n = 10 \rightarrow 1 \times \rightarrow 10/6 \text{ or } 10 \times 2 \rightarrow 20 \rightarrow 2 \times 5 \times 2 \times 2$$

$$* \quad x \% 3 \checkmark = 0 \checkmark$$

$$x \% 2 \neq 0 \rightarrow x \times 2 \Rightarrow 2x \rightarrow 2 \times \textcircled{3} \dots \quad \textcircled{2 \times 3 = 6} \checkmark$$

$$\downarrow$$

$$x/6$$

$$* \quad x \% 3 == 0 \text{ and } x \% 2 == 0 \checkmark$$

$$x/6, \textcircled{\text{cont}++} \rightarrow 1 \rightarrow \text{print (cont)}$$

D)

**D. Road To Zero**  
time limit per test: 1 second  
memory limit per test: 256 megabytes

You are given two integers  $x$  and  $y$ . You can perform two types of operations:

- Pay  $a$  dollars and increase or decrease any of these integers by 1. For example, if  $x = 0$  and  $y = 7$  there are four possible outcomes after this operation:
  - $\textcircled{x} = 0, \textcircled{y} = 6;$
  - $x = 0, y = 8;$
  - $x = -1, y = 7;$
  - $x = 1, y = 7.$
- Pay  $b$  dollars and increase or decrease both integers by 1. For example, if  $x = 0$  and  $y = 7$  there are two possible outcomes after this operation:
  - $x = -1, y = 6;$
  - $x = 1, y = 8.$

Your goal is to make both given integers equal zero simultaneously, i.e.  $x = y = 0$ . There are no other requirements. In particular, it is possible to move from  $x = 1, y = 0$  to  $x = y = 0$ .

Calculate the minimum amount of dollars you have to spend on it.

**Input**  
The first line contains one integer  $t$  ( $1 \leq t \leq 100$ ) — the number of testcases. The first line of each test case contains two integers  $x$  and  $y$  ( $0 \leq x, y \leq 10^9$ ). The second line of each test case contains two integers  $a$  and  $b$  ( $1 \leq a, b \leq 10^9$ ).

**Output**  
For each test case print one integer — the minimum amount of dollars you have to spend.

$$x, y$$

$$\downarrow$$

$$\textcircled{0, 0}$$

$$10 \checkmark$$

$$\downarrow$$

$$00 \checkmark$$

```

Example
input
2
1 3
391 555
0 0
0 0
output
1337
0

```

Note

In the first test case you can perform the following sequence of operations: first, second, first. This way you spend  $391 + 555 + 391 = 1337$  dollars.

In the second test case both integers are equal to zero initially, so you don't have to spend money.

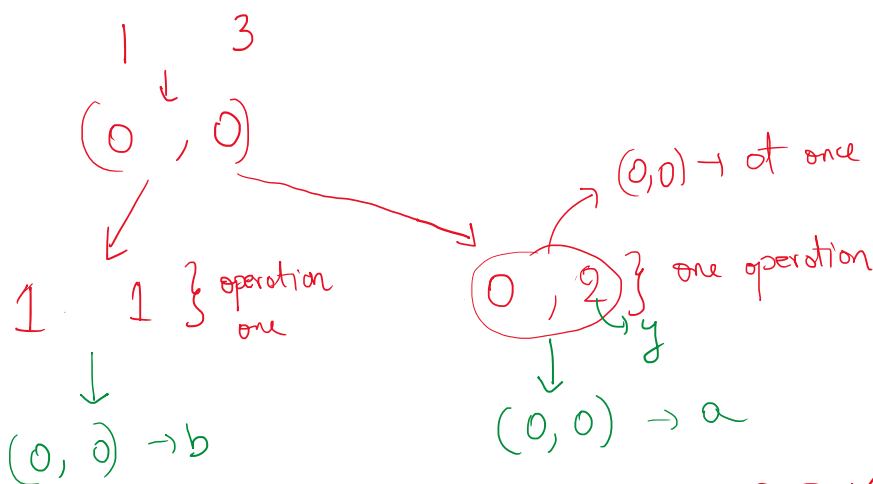
\*  $\tilde{x}, \tilde{y} \rightarrow (0, 0)$

\* a)  $5, 4 \rightarrow 4, 4$  or  $5, 3$  or  $6, 4$  or  $5, 5$  ✓   
 cost  $\leftarrow$  b)  $5, 4 \rightarrow 6, 5$  or  $4, 3 \rightarrow 1$  operation

$\rightarrow 4, + \rightarrow + \rightarrow +1$   
 $x \rightarrow x+1 \rightarrow (0, 0) \rightarrow$  operation

$-- \rightarrow$  get to zero, so only decrease ✓

$\begin{matrix} 1 & 3 & \} \\ 3 & 9 & 1 & 5 & 5 & 5 \end{matrix} \} \begin{matrix} x, y \\ \text{cost} \end{matrix} \rightarrow 0$   
 $\rightarrow x, y \rightarrow 0, 0 \}$

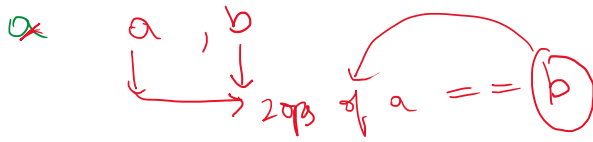
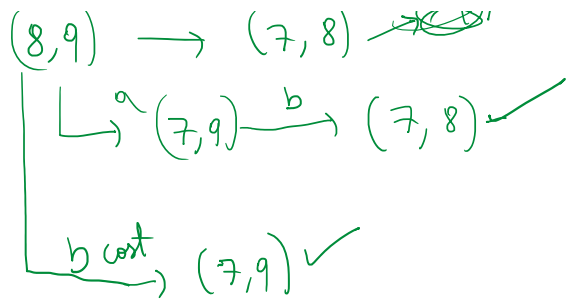


\* greedily  $\rightarrow \begin{matrix} \tilde{a} & \text{or} & \tilde{b} \\ \downarrow \\ (0, 0) \end{matrix}$  ,  $\begin{matrix} a \rightarrow (0, 0) \\ b \rightarrow (0, x) \\ \quad \downarrow \\ (x, 0) \end{matrix}$  ✓

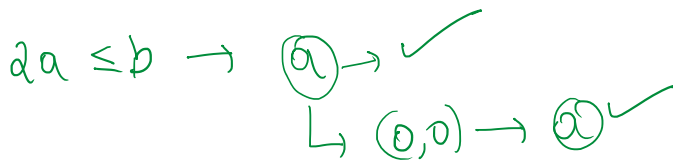
$(x, y) \rightarrow (x-1, y-1) \rightarrow 2$  operation

$(8, 9) \rightarrow (7, 8) \rightarrow$  ~~operation~~

1 1 a , , b , , , ✓




$a=2, b=7$



**E. Ichihime and Triangle**  
time limit per test: 1 second  
memory limit per test: 256 megabytes

Ichihime is the current priestess of the Mahjong Soul Temple. She claims to be human, despite her cat ears.

These days the temple is holding a math contest. Usually, Ichihime lacks interest in these things, but this time the prize for the winner is her favorite — cookies. Ichihime decides to attend the contest. Now she is solving the following problem.



You are given four positive integers  $a, b, c, d$ , such that  $a \leq b \leq c \leq d$ .

Your task is to find three integers  $x, y, z$ , satisfying the following conditions:

- $a \leq x \leq b$
- $b \leq y \leq c$
- $c \leq z \leq d$
- There exists a triangle with a positive non-zero area and the lengths of its three sides are  $x, y$ , and  $z$ .

Ichihime desires to get the cookie, but the problem seems too hard for her. Can you help her?

**Input**  
The first line contains a single integer  $t$  ( $1 \leq t \leq 1000$ ) — the number of test cases.

The next  $t$  lines describe test cases. Each test case is given as four space-separated integers  $a, b, c, d$  ( $1 \leq a \leq b \leq c \leq d \leq 10^9$ ).

**Output**  
For each test case, print three integers  $x, y, z$  — the integers you found satisfying the conditions given in the statement.

It is guaranteed that the answer always exists. If there are multiple answers, print any.

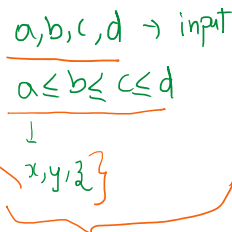
**Example**

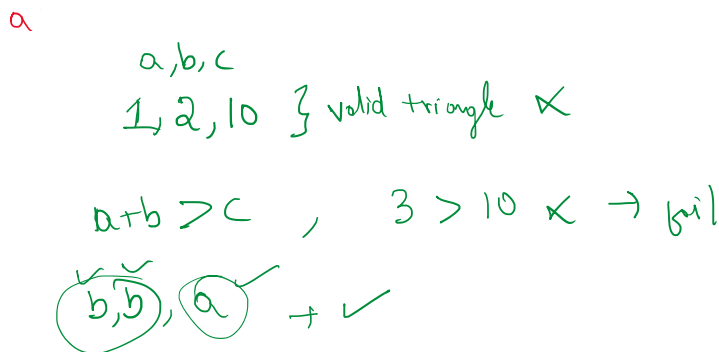
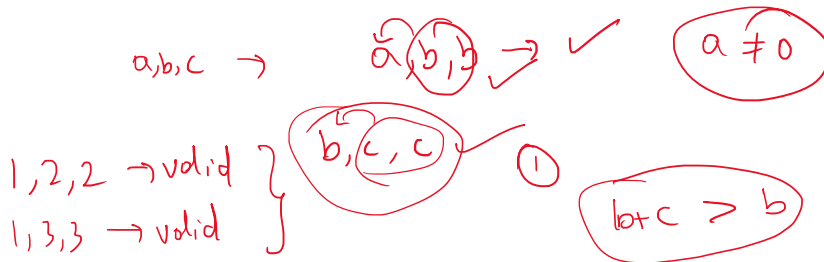
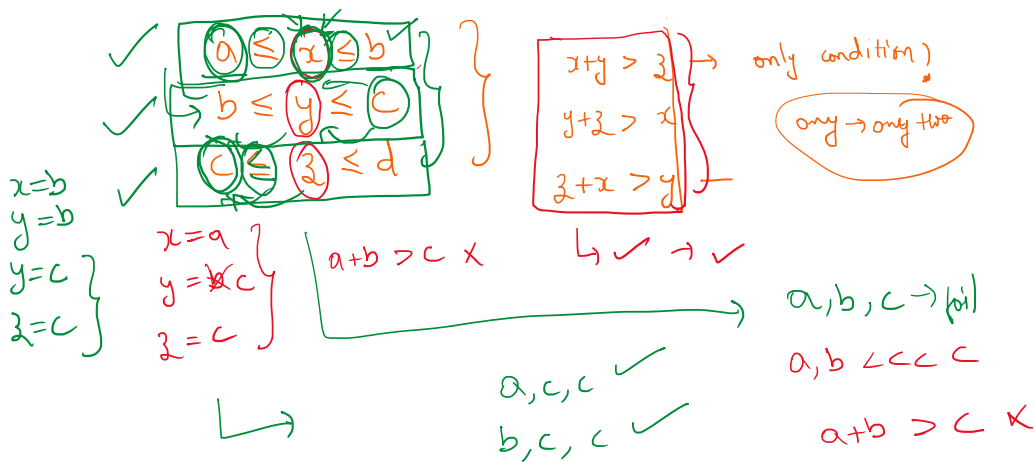
**input**

```
4
1 3 5 7
1 5 5 7
100000 200000 300000 400000
1 1 977539810 977539810
```

**output**

```
3 4 5
5 5 5
182000 214748 300999
1 977539810 977539810
```





**A. Little Artem**  
 time limit per test: 1 second  
 memory limit per test: 256 megabytes

Young boy Artem tries to paint a picture, and he asks his mother Medina to help him. Medina is very busy, that's why she asked for your help.

Artem wants to paint an  $n \times m$  board. Each cell of the board should be colored in white or black.

Let's  $B$  be the number of black cells that have at least one white neighbor adjacent by the side. Let  $W$  be the number of white cells that have at least one black neighbor adjacent by the side. A coloring is called **good** if  $B = W + 1$ .

The first coloring shown below has  $B = 5$  and  $W = 4$  (all cells have at least one neighbor with the opposite color). However, the second coloring is not good as it has  $B = 4$ ,  $W = 4$  (only the bottom right cell doesn't have a neighbor with the opposite color).

Please, help Medina to find any good coloring. It's guaranteed that under given constraints the solution always exists. If there are several solutions, output any of them.

$m \times n \rightarrow \text{input}$   
 $\downarrow$   
 solve X

```

Input
Each test contains multiple test cases.

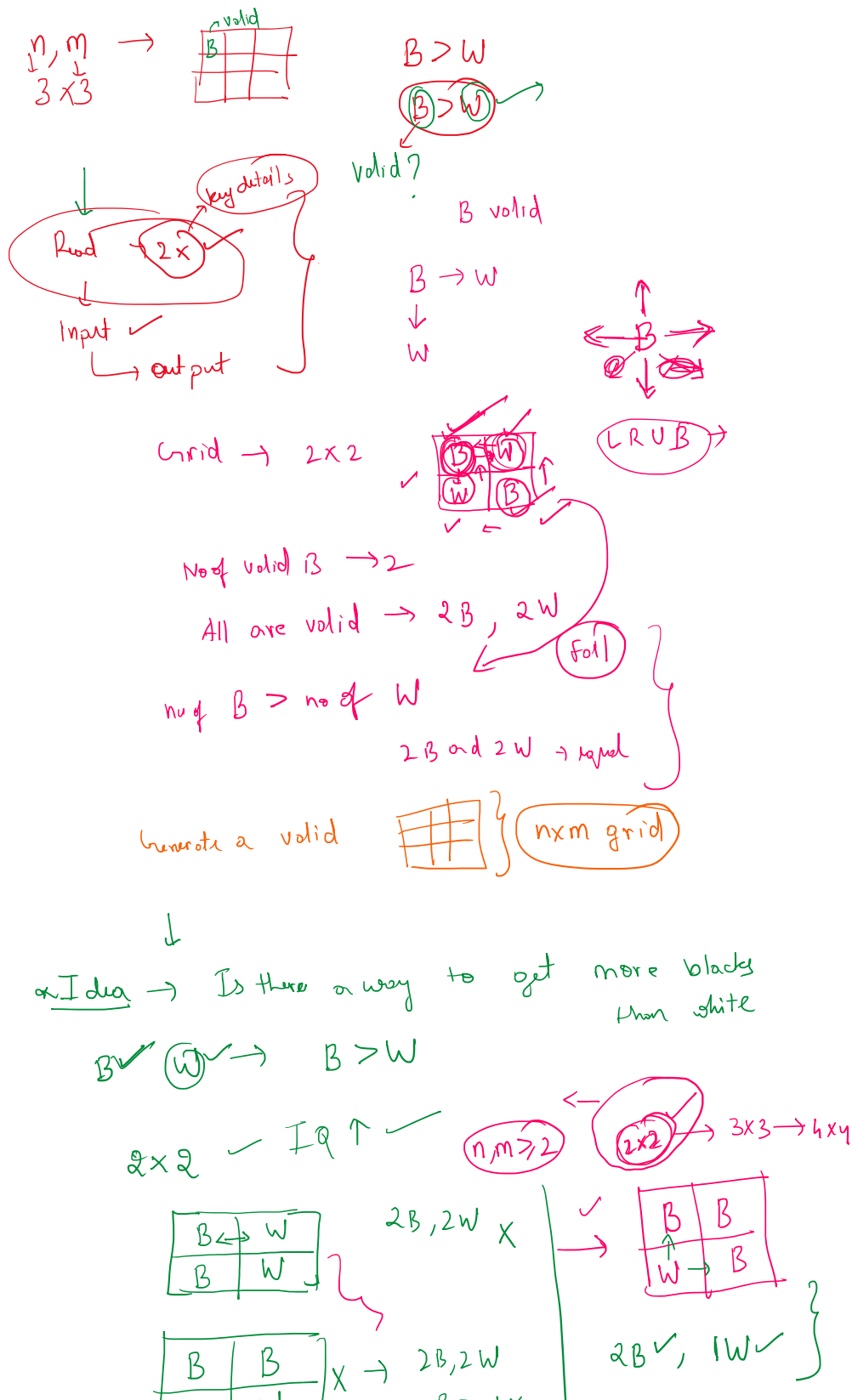
The first line contains the number of test cases  $t$  ( $1 \leq t \leq 20$ ). Each of the next  $t$  lines contains two integers  $n, m$  ( $2 \leq n, m \leq 100$ ) — the number of rows and the number of columns in the grid.

Output
For each test case print  $n$  lines, each of length  $m$ , where  $i$ -th line is the  $i$ -th row of your colored matrix (cell labeled with 'B' means that the cell is black, and 'W' means white). Do not use quotes.

It's guaranteed that under given constraints the solution always exists.

Example
input
2
3 2
3 3
output
BW
WB
WB
WBW
WBW
WBW
Note
In the first test case,  $B = 3, W = 2$ .
In the second test case,  $B = 5, W = 4$ . You can see the coloring in the statement.

```











$19 < 11x$   $[2, 9, 12, 16, 25] \rightarrow$  how would you use BS ✓

$(2, 11)$   
 $(11, 12)$



Upper Bound

↳ perfect  $\rightarrow$  And ✓

Lower Bound  $\rightarrow$

first element  $\rightarrow$  searching down

$\geq 1$

$[1, 25, 11] \rightarrow$  Lower Bound  $\rightarrow +1$  to it ✓

$(25 \leq 75)$

C++ lower\_bound (st, end point)  $\rightarrow$  correct ✓

1 index

$\rightarrow N$  Low, UB, B, Prefix ✓

lower\_bound (st, ep, over) ✓

$\rightarrow$  try  $\rightarrow$  hard ✓  
of  
begi



trees, bit

BS on Answer

Ans

