

There are **loads** of other analyses I could have done but considering that this is a portfolio, I have kept things as simple as possible for now.

I used the following code to recode my qualitative responses into quantitative numbers.

```
data(package = "ltm")
library(tidyverse)
df<- Environment
x<-df %>% mutate_all(~ str_replace(., "^$", NA_character_)) %>% mutate_all(.funs = ~
as.integer(recode(.x = ., "not very concerned"=0, "slightly concerned"=1, "very concerned"=2)))
library("writexl" write_xlsx(df, "D:\\df.xlsx")
```

Checking assumptions

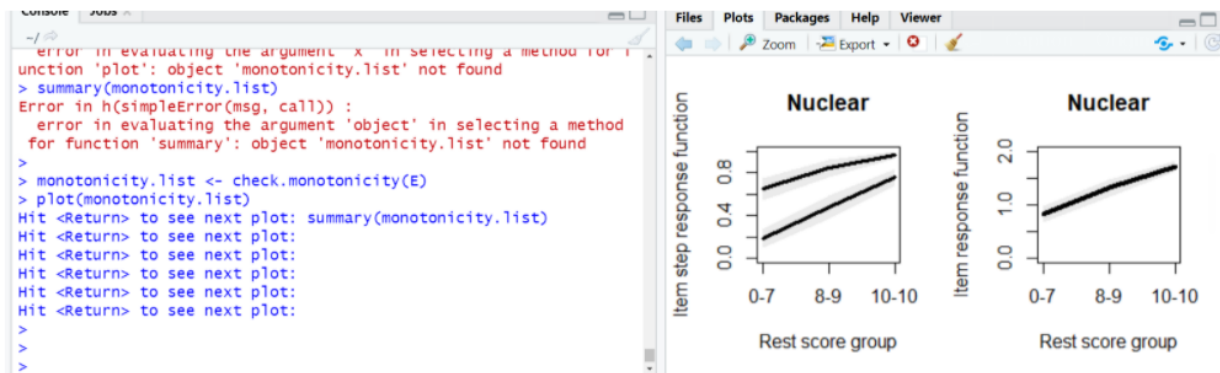
The unidimensionality assumption was checked through factor analysis and parallel analysis.

The local dependence assumption was checked through the following test. In practical terms, a correlation of $r=0.40$ is low dependency. The two items only have $0.4 \times 0.4 = 0.16$ of their variance in common. Correlations need to be around 0.7 before we are really concerned about dependency.

	LeadPetro1	RiverSea	Radiowaste	AirPollution
LeadPetro1	NA	0.148	-0.082	0.106
RiverSea	12.666	NA	-0.123	0.127
Radiowaste	3.867	8.851	NA	-0.080
AirPollution	6.515	9.418	3.707	NA
Chemicals	2.746	4.760	8.896	4.335
Nuclear	2.319	5.092	10.314	4.877
	Chemicals	Nuclear		
LeadPetro1	-0.069	-0.063		
RiverSea	-0.090	-0.094		
Radiowaste	0.124	0.133		
AirPollution	-0.086	-0.092		
Chemicals	NA	0.074		
Nuclear	3.175	NA		

The monotonicity assumption can be checked through the mokken package

As the ability level increases, the probability of getting the item correct increases monotonically.



I have fit two models(1d and 2d) and compared them using Anova

```
Iteration: 404, Log-Lik: -1009.019, Max-Change: 0.00010
> anova(zar1d, zar2d)

Model 1: mirt(data = itzareki, model = 1, itemtype = "graded")
Model 2: mirt(data = itzareki, model = 2, itemtype = "graded")

      AIC      AICC     SABIC      HQ      BIC    logLik      X2
1 2217.035 2219.550 2226.073 2243.523 2283.155 -1090.518    NaN
2 2184.037 2188.172 2195.586 2217.883 2268.524 -1069.019 42.998
  df  p
1 NaN NaN
2  5  0
> |
```

P value is low so we can say that 2 is better than 1. We can also see that AIC is lower in second model

```
> M2(x)
Error: M2() statistic cannot be calculated due to too few degrees
of freedom
>
> x <- mirt(f, 1, itemtype = 'graded')
Iteration: 23, Log-Lik: -1090.518, Max-Change: 0.00004
>
> M2(x)

      M2 df      p    RMSEA   RMSEA_5  RMSEA_95
stats 12.84331 3 0.004988012 0.106368 0.05117397 0.1689135
      SRMSR      TLI      CFI
stats 0.07354776 0.9155455 0.9718485
> |
```

I ran an M2 test on 1D data as it would not run on 2D data due to less df. This portfolio is just for conceptual purpose so i decided to use 1D model instead of 2D.

Item fit statistics

After evaluating the test-level goodness of fit of the model, we can proceed to an item-level fit analysis. If the fit of the overall model is poor, then an item fit analysis might help to uncover the sources of misfit. Even if the overall fit seems adequate, an item fit analysis should be carried out, as it may improve the model with regard to interpretation, usefulness, and other important psychometric qualities. Item fit analysis involves comparing the model predictions with the actual response patterns. In UIRT, item fit can be evaluated by computing the S-X2 statistic for each item. Essentially, this item fit statistic compares the observed and expected proportions of correct and incorrect responses for each total score k in the sample. If the observed and expected proportions are similar, then we conclude that the item fits well. A smaller p value indicates a lack of fit which is the Air pollution item. We would not decide to delete the item in one go as p values can occur due to random variation. If we get same results in subsequent analysis i might consider revising the item

```
>
> itemfit(x, fit_stats = 'S_X2')
      item    S_X2 df.S_X2 RMSEA.S_X2 p.S_X2
1  LeadPetrol 14.671    10    0.040  0.145
2   RiverSea  3.099     3    0.011  0.377
3  RadioWaste  4.815     6    0.000  0.568
4 AirPollution 7.566     2    0.098  0.023
5   Chemicals  8.113     6    0.035  0.230
6    Nuclear  6.515     9    0.000  0.687
> |
```

```
> coef(x)
$LeadPetrol
      a1      a2      d1      d2
par -1.193 1.273 3.903 0.736

$RiverSea
      a1      a2      d1      d2
par -2.554 2.427 7.755 3.312

$RadioWaste
      a1      a2      d1      d2
par -4.645 0.097 7.627 3.297

$AirPollution
      a1      a2      d1      d2
par -3.489 2.47 8.56 1.826

$Chemicals
```

The multidimensional item location.

```
> head(MDIFF(x))
```

	MDIFF_1	MDIFF_2
LeadPetrol	-2.238020	-0.42225602
RiverSea	-2.201538	-0.94010701
Radiowaste	-1.641747	-0.70973219
AirPollution	-2.002388	-0.42719159
Chemicals	-1.799065	-0.77580373
Nuclear	-1.300202	-0.05499871

```
>
```

Finally, we can compute the person parameters, one for each dimension (only first six persons shown here):

```
Nuclear      -1.300202 -0.05499871
```

```
> head(fscores(x))
```

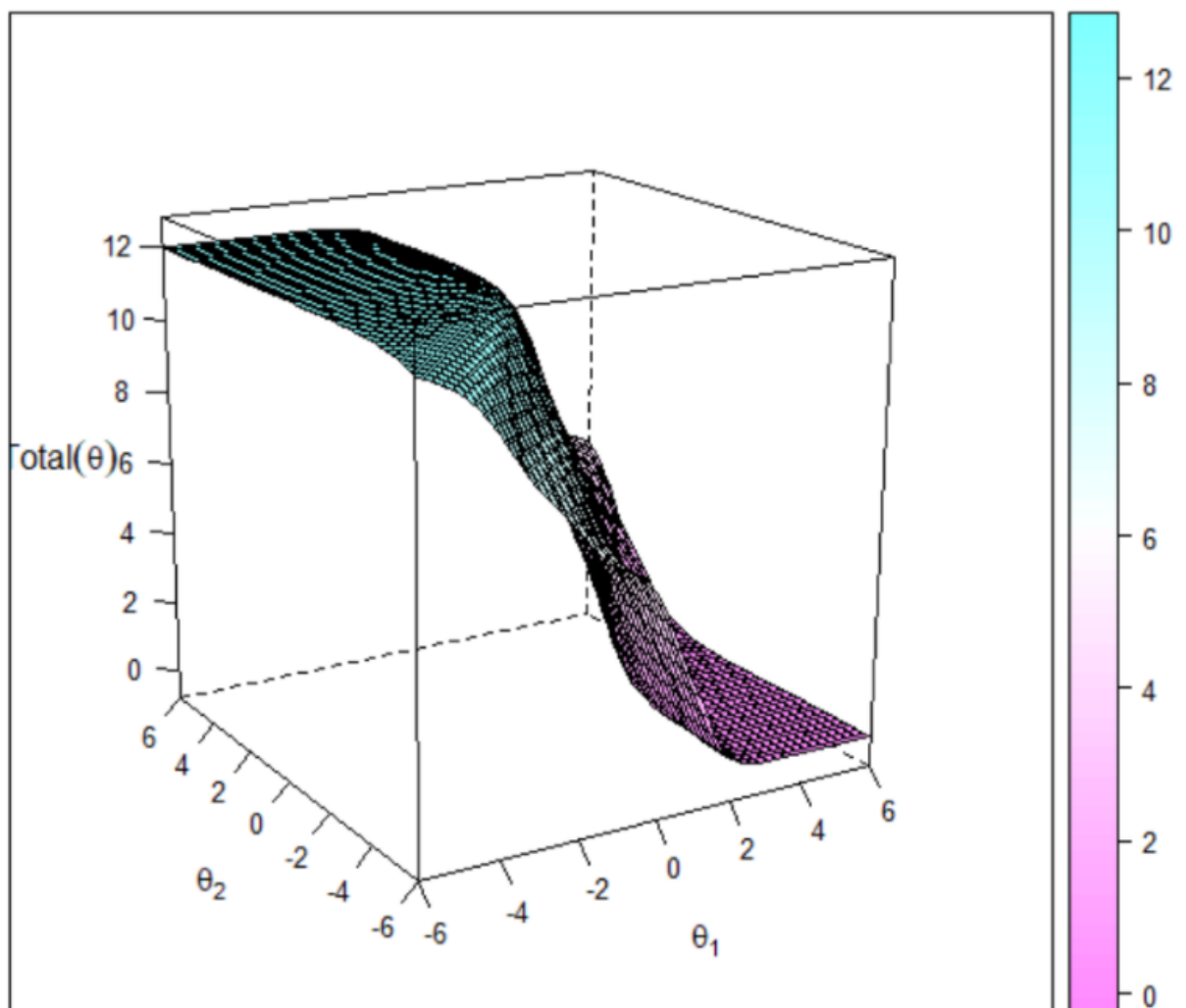
	F1	F2
[1,]	-0.7991555	0.7777467
[2,]	-0.7991555	0.7777467
[3,]	-0.7991555	0.7777467
[4,]	-0.7991555	0.7777467
[5,]	-0.7991555	0.7777467
[6,]	-0.7991555	0.7777467

```
>
```

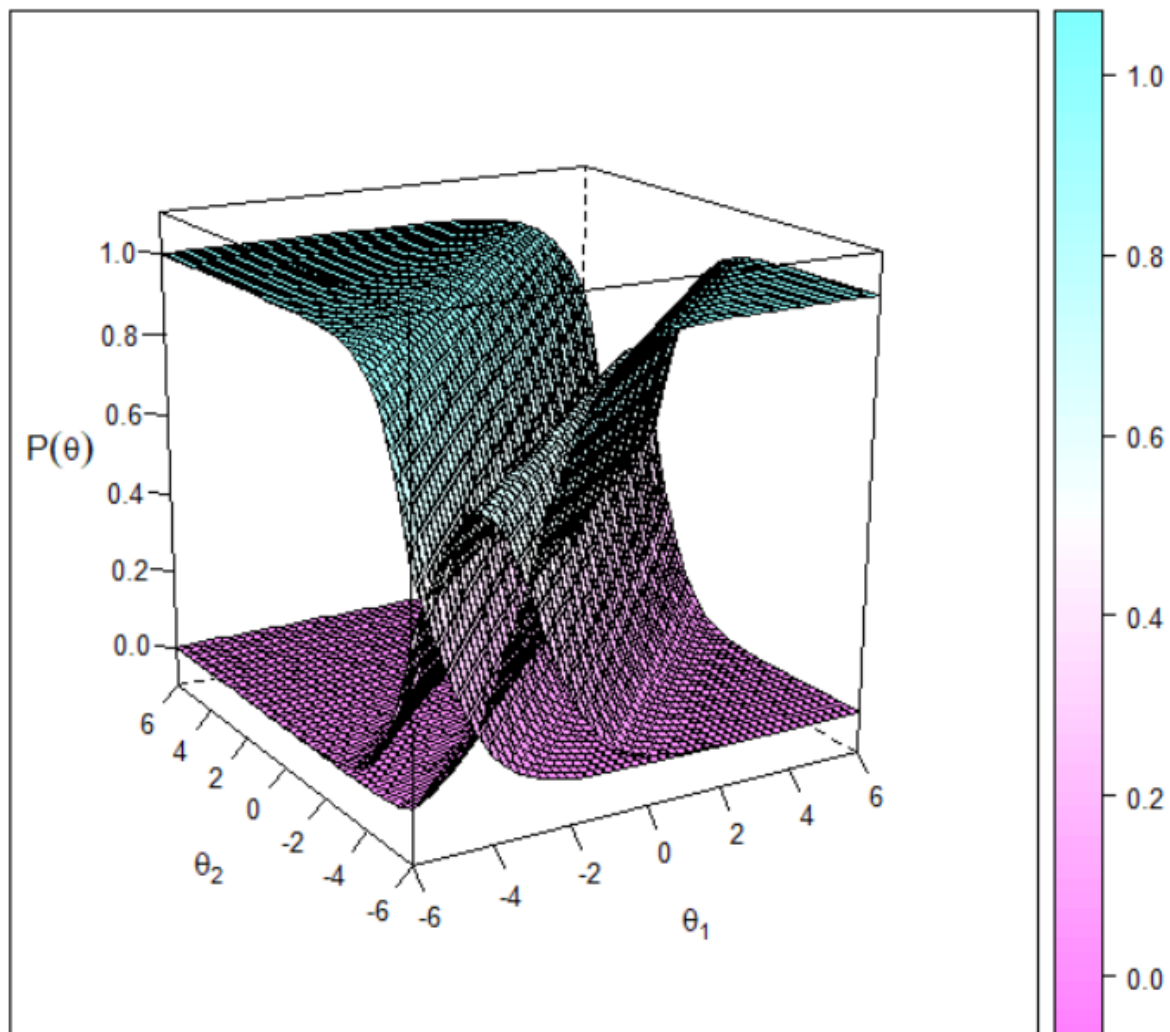
Plots

Expected Total Score (rotate = 'none')

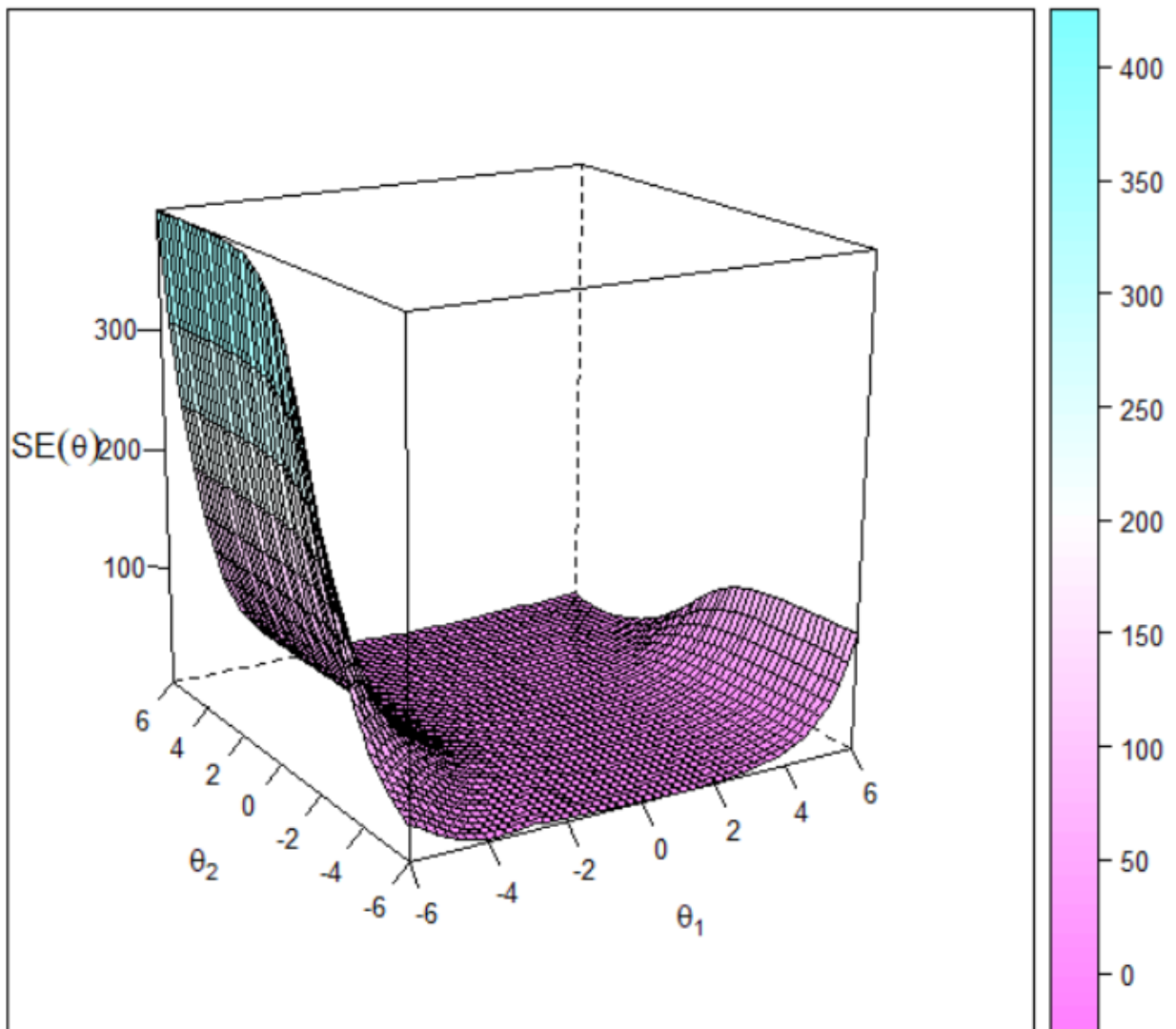
[Caption](#) [Original](#)



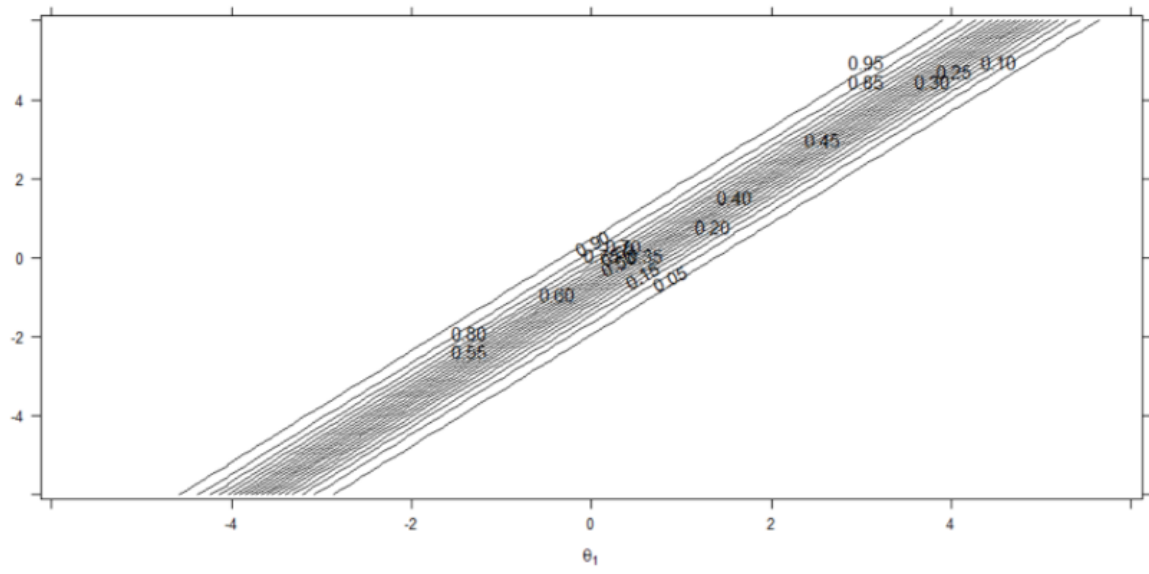
Item 1 Trace (rotate = 'none')



Test Standard Errors (rotate = 'none')



Item 4 Probabilily Contour (rotate = 'none')



Test Information (rotate = 'none')

