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In [7]: import numpy as np
import matplotlib.pyplot as plt
import math

expr = input("Enter the function(in terms of x):")

def xaxis(inp):
    return 0

def func(inp):
    x=inp
    return eval(expr)

def g(gexpr,inp):
    x=inp
    return eval(gexpr)

def derivFunc(dexpr,inp):
    x=inp
    return eval(dexpr)

def curveplot(arr,i):
    x = np.arange(1, i)
    y = np.linspace(-50, 50, 10000)
    f2 = np.vectorize(func)
    f3 = np.vectorize(xaxis)

    plt.figure(1)
    plt.xlabel("x")
    plt.ylabel("f(x)")
    plt.plot(y, f2(y), color="blue")
    plt.plot(y, f3(y), color="green")
    plt.figure(2)
    plt.xlabel("Iteration Number")
    plt.ylabel("Percentage Relative Error")
    plt.bar(x, arr[x - 1], color='red')
    plt.show()

def bisection():
    arr=np.array([])
    a = float(input("Enter the value of x1:\n"))
    b = float(input("Enter the value of x2:"))
    n = int(input("number of iterations"))
    er = float(input("maximum relative error as %"))
    i=1
    if (func(a) * func(b) >= 0):
        print("You have not assumed right initial values\n")
        return

    c = 0.0001
    oldr = 0
    condition = True
    #((b - a) >= 0.0001) &
    while ( i==1 or condition):

        # Find middle point
        c = (a + b) / 2
        i=i+1

    arr = np.append(arr, (math.fabs(oldr - c) / math.fabs(c)) * 100)

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condition = ((( math.fabs(olddr-c) / math.fabs(c)) * 100) >= er) and (i <=
olddr=c

# Check if middle point is root
if (func(c) == 0.0):
    break

# Decide the side to repeat the steps
if (func(c) * func(a) < 0):
    b = c
else:
    a = c

print("The value of root is : ", "%.4f" % c)
curveplot(arr,i)

def regulaFalsi():
    arr = np.array([])
    a = float(input("Enter the value of x1:\n"))
    b = float(input("Enter the value of x2:"))
    n = int(input("number of iterations"))
    er = float(input("maximum relative error as %"))
    if func(a) * func(b) >= 0:
        print("You have not assumed right a and b")
        return

    c = 0.001 # Initialize result
    olddr=0
    i=1
    condition = True
    while (i==1 or condition):
        i=i+1
        # Find the point that touches x axis
        c = (a * func(b) - b * func(a)) / (func(b) - func(a))
        # Check if the above found point is root
        if func(c) == 0:
            break
        # Decide the side to repeat the steps
        if func(c) * func(a) < 0:
            b = c
        else:
            a = c
        arr = np.append(arr, (math.fabs(olddr-c) / math.fabs(c)) * 100)
        condition= ((( math.fabs(olddr-c) / math.fabs(c)) * 100) >= er) and (i
        olddr=c

    print("The value of root is : ", '%.4f' % c)
    curveplot(arr,i)

def fixedPointIteration():
    # Input Section
    arr = np.array([])
    gexpr = input("Enter the function g(x) such that g(x)=x (in terms of x):")
    x0 = float(input('Enter Guess: '))
    e = float(input('Tolerable Error %: '))
    N = int(input('Maximum Step: '))

    print('\n\n*** FIXED POINT ITERATION ***')
    i = 1
    flag = 1

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condition = True
while condition:
    x1 = g(expr,x0)
    #print('Iteration-%d, x1 = %0.6f and f(x1) = %0.6f' % (step, x1, func(x1)),
    arr = np.append(arr, (math.fabs(x1 - x0) / math.fabs(x1)) * 100)
    condition = (math.fabs(x1 - x0) / math.fabs(x1)) * 100 > e
    x0 = x1

    i = i + 1

    if i > N:
        flag = 0
        break
if flag == 1:
    print('\nRequired root is: %0.4f' % x1)
else:
    print('\nNot Convergent.')

curveplot(arr,i)

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def newtonRaphson():
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    arr = np.array([])
    dexpr = input("Enter the derivative(in terms of x):")
    x = float(input('Enter Guess: '))
    er = float(input('Enter relative error percentage: '))
    n = int(input("number of iterations"))

    i=1
    while(i<=n):

        i=i+1
        h = func(x) / derivFunc(dexpr,x)
        # x(i+1) = x(i) - f(x) / f'(x)
        arr = np.append(arr, (math.fabs(h) / math.fabs(x-h)) * 100)

        if (((math.fabs(h) / math.fabs(x-h)) * 100 )<er) :
            x=x-h
            break

        x = x - h
    print("The value of the root is : ",
          "%.4f" % x)
    curveplot(arr,i)

```

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def secant():
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    x1 = float(input("Enter the value of x1:\n"))
    x2 = float(input("Enter the value of x2:\n"))
    E= float(input("Enter the relative error percentage:"))
    n = int(input("number of iterations"))
    arr=np.array([])
    i=1
    if (func(x1) * func(x2) < 0):
        while True:
            # update number of iteration
            i += 1

            # calculate the intermediate value
            x0 = x2-func(x2)*(x1-x2)/(func(x1)-func(x2))

            condition = (((abs(x2 - x0) / (abs(x0))) * 100) < E) or (i > n))
            arr = np.append(arr, (abs(x2 - x0) / (abs(x0)) * 100))

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        if condition:
            break
        # update the value of interval
        x1 = x2
        x2 = x0

    print("Root of the given equation =",
          round(x0, 4));
else:
    print("Can not find a root in ",
          "the given interval");
curveplot(arr,i)

```

Enter the function(in terms of x): $x - \cos(x)$

In [2]: choice = int(input("choose type of method \n1.Bisection\n2.Regula Falsi\n3.Fixed Po

```

if (choice==1):
    bisection()
elif (choice==2):
    regulaFalsi()
elif(choice==3):
    fixedPointIteration()
elif(choice==4):
    newtonRaphson()
elif(choice==5):
    secant()
else:
    print("Incorrect Input")

```

choose type of method

1.Bisection

2.Regula Falsi

3.Fixed Point

4.Newton Raphson

5.Secant1

Enter the value of x1:

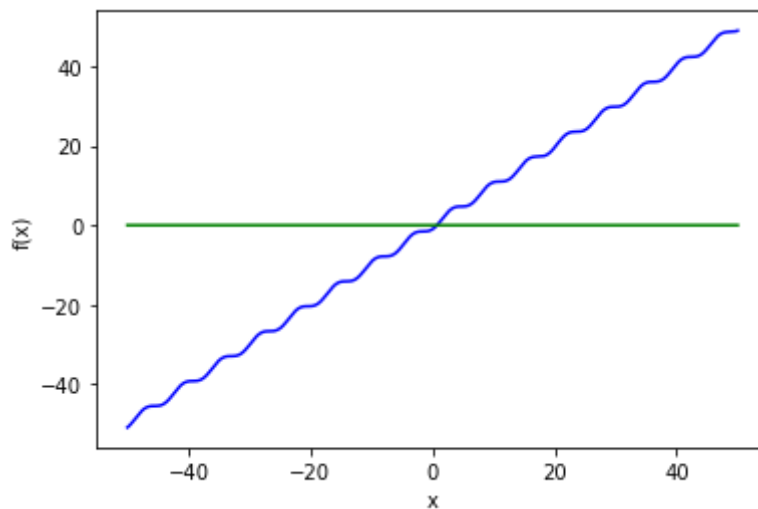
0

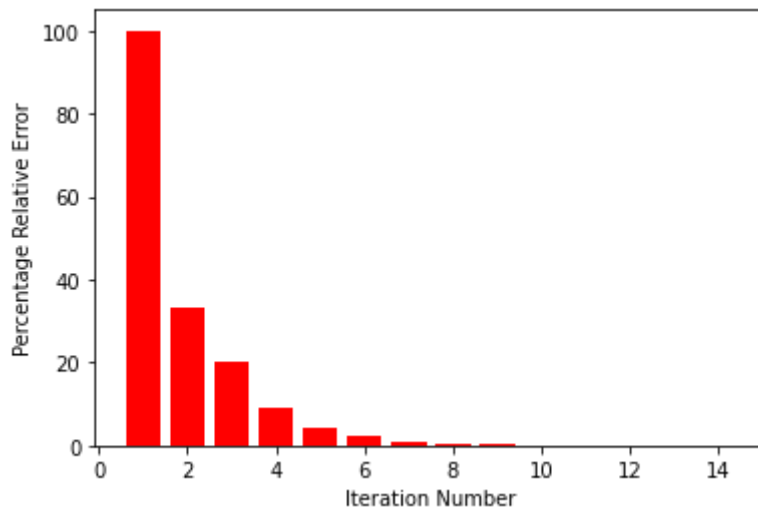
Enter the value of x2:1

number of iterations50

maximum relative error as %0.01

The value of root is : 0.7391

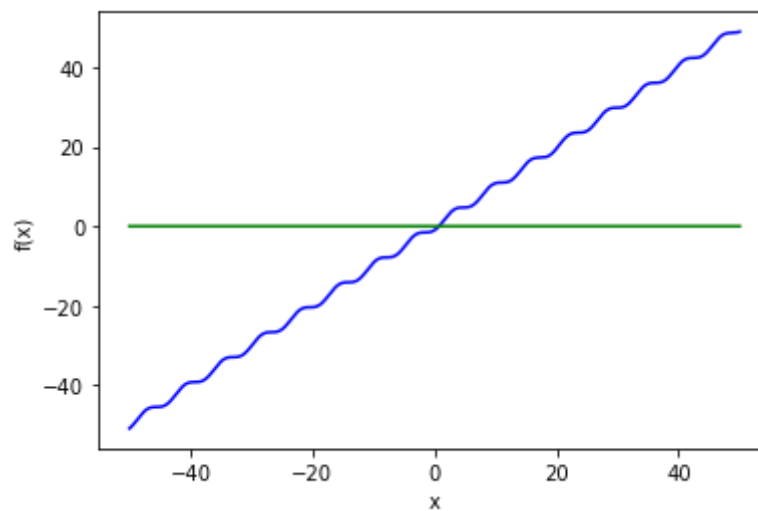


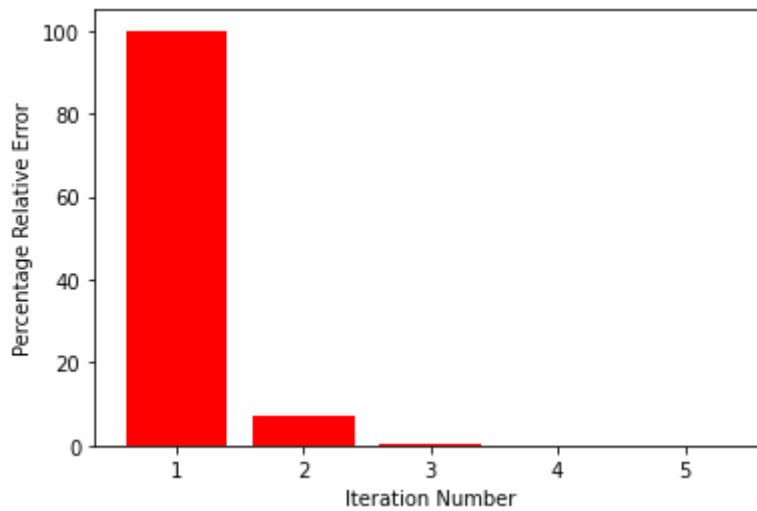


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In [3]: choice = int(input("choose type of method \n1.Bisection\n2.Regula Falsi\n3.Fixed Po

if (choice==1):
    bisection()
elif (choice==2):
    regulaFalsi()
elif(choice==3):
    fixedPointIteration()
elif(choice==4):
    newtonRaphson()
elif(choice==5):
    secant()
else:
    print("Incorrect Input")
```

```
choose type of method
1.Bisection
2.Regula Falsi
3.Fixed Point
4.Newton Raphson
5.Secant2
Enter the value of x1:
0
Enter the value of x2:1
number of iterations50
maximum relative error as %0.01
The value of root is : 0.7391
```





```
In [4]: choice = int(input("choose type of method \n1.Bisection\n2.Regula Falsi\n3.Fixed Po

if (choice==1):
    bisection()
elif (choice==2):
    regulaFalsi()
elif(choice==3):
    fixedPointIteration()
elif(choice==4):
    newtonRaphson()
elif(choice==5):
    secant()
else:
    print("Incorrect Input")
```

choose type of method

1.Bisection

2.Regula Falsi

3.Fixed Point

4.Newton Raphson

5.Secant3

Enter the function  $g(x)$  such that  $g(x)=x$  (in terms of  $x$ ): $\text{math.cos}(x)$

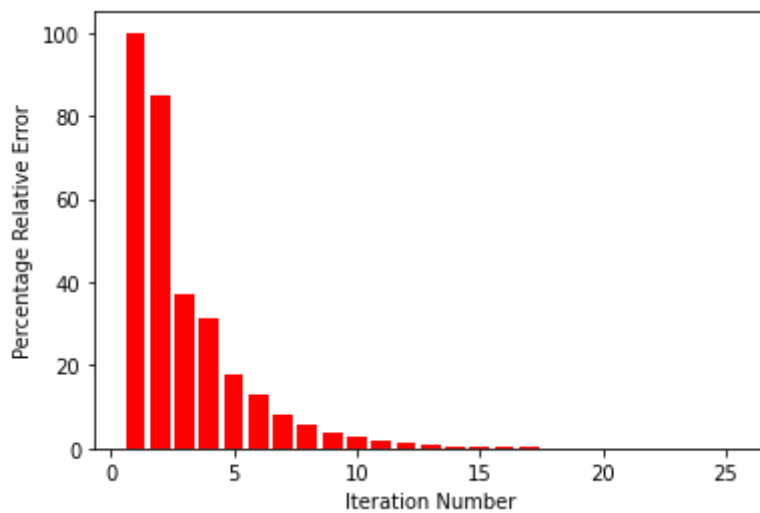
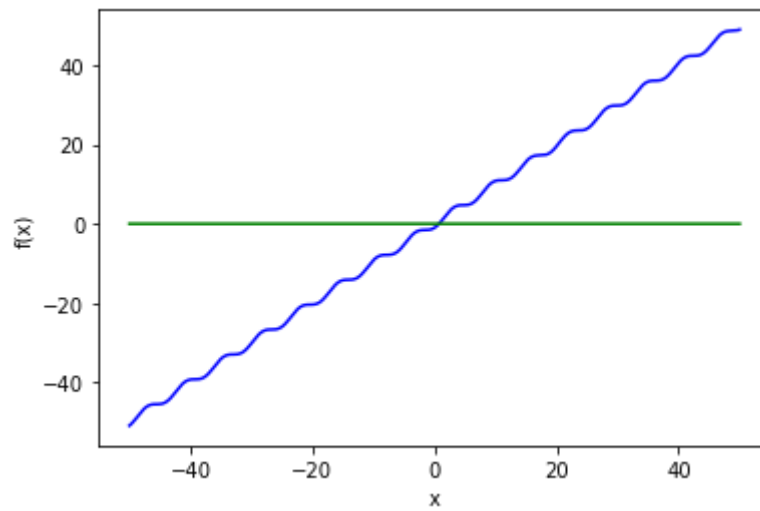
Enter Guess: 0

Tolerable Error %: 0.01

Maximum Step: 50

\*\*\* FIXED POINT ITERATION \*\*\*

Required root is: 0.7391



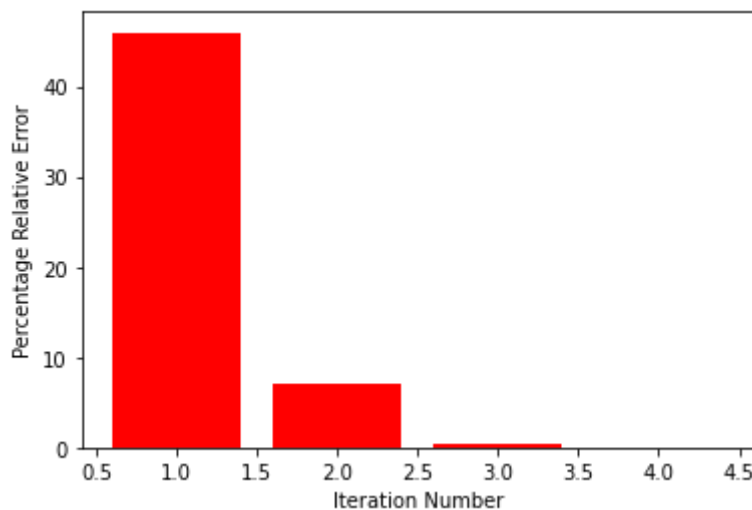
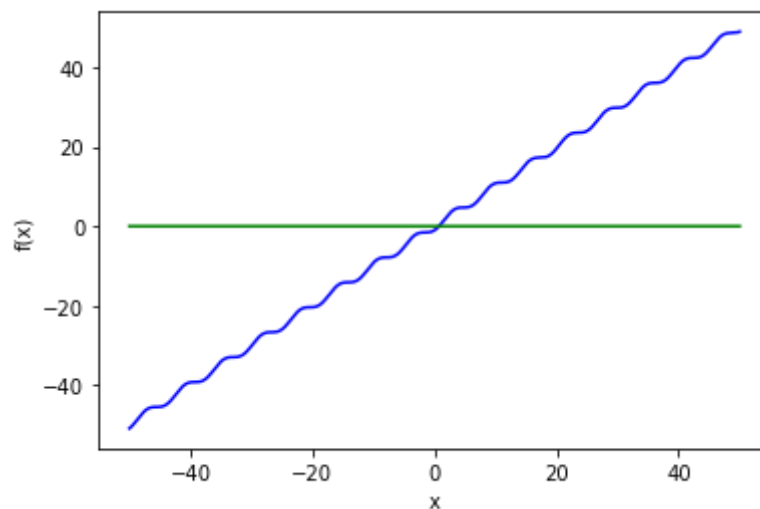
```
In [6]: choice = int(input("choose type of method \n1.Bisection\n2.Regula Falsi\n3.Fixed Po

if (choice==1):
    bisection()
elif (choice==2):
    regulaFalsi()
elif(choice==3):
    fixedPointIteration()
elif(choice==4):
    newtonRaphson()
elif(choice==5):
    secant()
else:
    print("Incorrect Input")
```

```

choose type of method
1.Bisection
2.Regula Falsi
3.Fixed Point
4.Newton Raphson
5.Secant5
Enter the value of x1:
0
Enter the value of x2:
1
Enter the relative error percentage:0.01
number of iterations50
45.96976941318602    0.01
6.957179142390695    0.01
0.3815844156322459    0.01
0.004634078484797597    0.01
Root of the given equation = 0.7391

```



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In [8]: choice = int(input("choose type of method \n1.Bisection\n2.Regula Falsi\n3.Fixed Po

if (choice==1):
    bisection()
elif (choice==2):
    regulaFalsi()
elif(choice==3):
    fixedPointIteration()
elif(choice==4):
    newtonRaphson()
elif(choice==5):
    secant()
else:

```



```
print("Incorrect Input")
```

choose type of method

1.Bisection

2.Regula Falsi

3.Fixed Point

4.Newton Raphson

5.Secant5

Enter the value of x1:

0

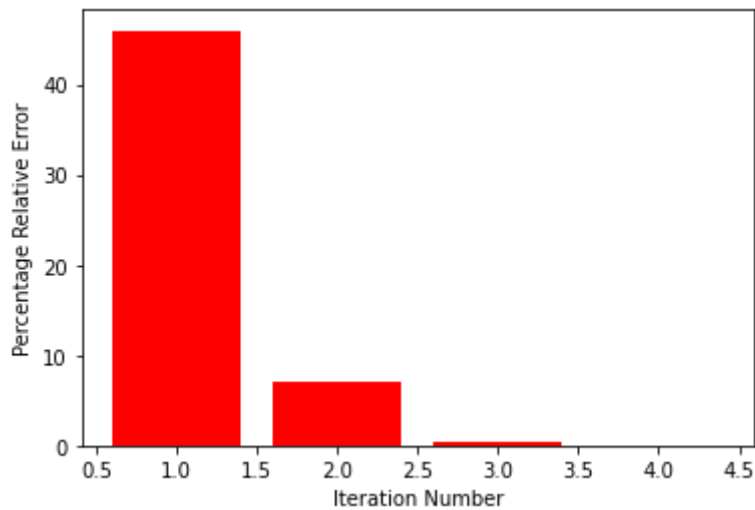
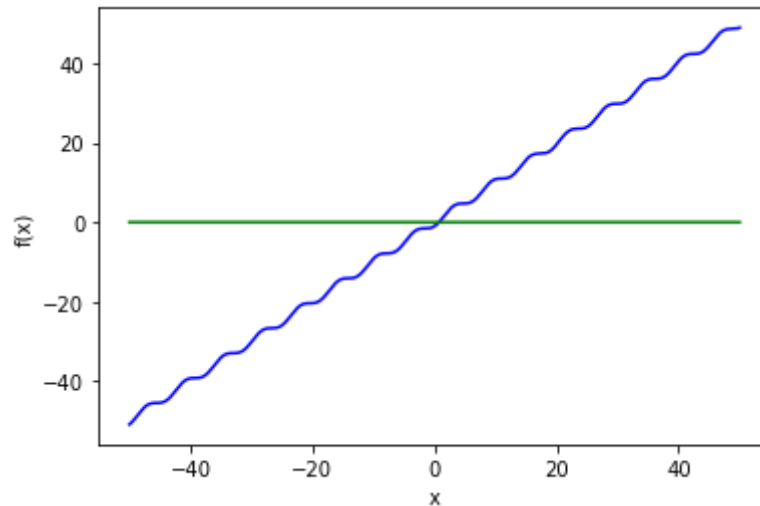
Enter the value of x2:

1

Enter the relative error percentage:0.01

number of iterations50

Root of the given equation = 0.7391



In [ ]: