# CT.2306: Signal & Systems II

# **Project Report:**

Processing motion signals from a PTZ camera



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#### Abstract

## Sum-up of the project

## Contents

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#### 1 Data Visualization

#### 1) Loading data

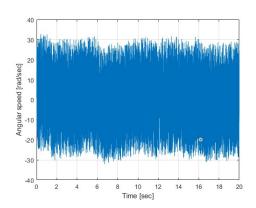
We first use load('data-proj.mat') to load variables from data file. Then using whos we can list all variables. We have their name and size. Here is the result:

>> whos			
Name	Size	Bytes	Class
omega	1x20001	160008	double
t	1x20001	160008	double

Listing 1: Loaded variables

#### 2) Plotting the data

We can not use the signal as it is. Graphically it is impossible to analyze. Either it is too noisy or the window is too large in order to see enough details of the signal. This is a continous (analog) signal. Electronic control devices requires digital signals.



%% Plot of angular speed
fig=1
figure(fig)
plot()
grid on
xlabel('Time [sec]')
ylabel('Angular speed [rad/sec\_\_\_\_\_]')

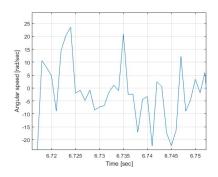
Listing 2: Code for Figure 2

Figure 1: Angular speed as a function of time

# 2 Analog Filtering

#### 3) Sampling period $T_{e_1}$

We deduce the Sampling period  $T_{e_1}$  with the subtraction of two consecutive values of t. Also, graphically we observe the run between 2 straight line in the signal if we zoom.  $T_{e_1} = 1.10^{-3} \text{sec}$ 



```
%% Sampling period
Te1=t(5)-t(4)

>>Te1 =
1.0000e-03
Listing 3: Code for Figure 2
```

#### **4)** *DFT*

Using code from workshop 5 and Help Project, we obtain this plot.

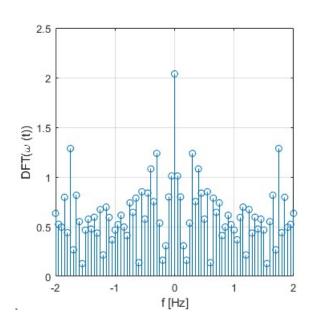


Figure 3: DFT plot of  $\omega(t)$ 

```
Te2= 0.05; %sampling period
Fe2=1/Te2; %sampling frequency
Tf=t(end); %singal duration
N=Tf/Te2; %number of samples
%(N=Duration/sampling period)
%frequency vector
f1=-Fe2*(N/2-1)/N:Fe2/N:0;
f2=Fe2/N:Fe2/N:(N/2)*Fe2/N;
f = [f2,f1];
0 = zeros(1,N);
for m=1:N
  for k=1:N
    O(m) = O(m) + omega(k) * exp(-j*2*
       pi*m*k/N);
  end
end
figure(fig+1);
stem(f,abs(0)/N)
grid on
xlim([-2,2])
xlabel('f [Hz]')
ylabel('DFT(\omega (t))')
```

Listing 4: Code for Figure 3

- 5) Maximal Frequency  $F_{max}$  of the signal

  I don't know yet exactly what to do maybe the maximum frequency  $F_e = 2Hz$ .
- 6) First order low-pass analog filter of a unit gain
  We first create a unit gain low-pass filter with a cutoff frequency  $f_c = 2Hz$  using Matlab.

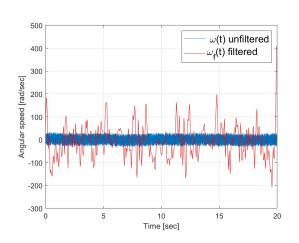
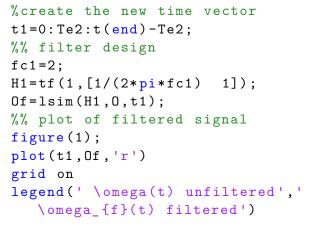


Figure 4: Plot of unfiltered and filtered  $\omega(t)$  signal



Listing 5: Code for Figure 4

We may notice that we observe on the red filtered signal that its amplitude is bigger. We do not know exactly why. Bode diagram show a magnitude near 0 from low frequencies.

Now, let use **Simulink** to filter the signal  $\omega(t)$ .

Need to transpose the row time vector to a column one. Then create a 2 columns matrix with  $\omega(t)$  and t in each. This matrix will be imported in Simulink

Listing 6: Code for Figure 3

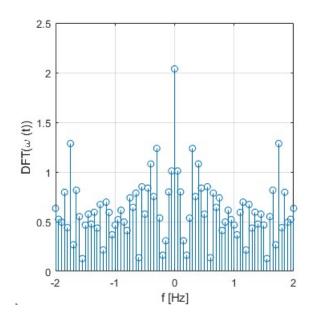


Figure 5: DFT plot of  $\omega(t)$ 

7) question subject

## 3 Sampling

- 8) question subject
- 9) question subject
- 10) question subject
- 11) question subject
- 12) question subject

## 4 Angular position and acceleration

- 13) question subject
- 14) question subject
- 15) question subject

## 5 Digital filtering

- 16) question subject
- 17) question subject
- 18) question subject