Conventions, Accuracy Metrics, Classification, Regression

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Outline

- 1. Introduction and Demos
- 2. Machine Learning Fundamentals
- 3. First ML Example: Tomato Quality Prediction
- 4. Classification vs Regression
- 5. Classification Metrics
- 6. Regression Metrics
- 7. Data Visualization and Baselines
- 8. Summary and Key Takeaways

Demo

• Complete PoseNet Demo

Demo

- Complete PoseNet Demo
- Blog post from Google

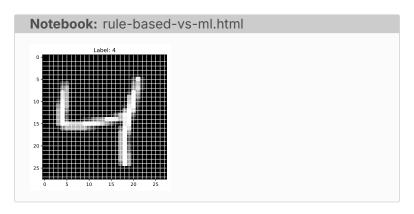
Demo

- Complete PoseNet Demo
- Blog post from Google
- Rock Paper Scissors

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Let us work on the digit recognition problem.



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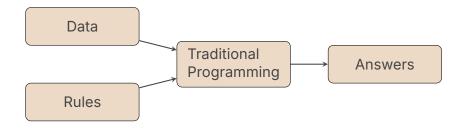
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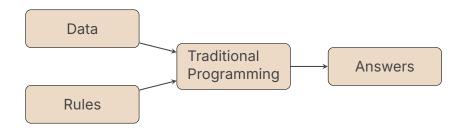
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- There can be some cases of 4 where the width of each stroke is different

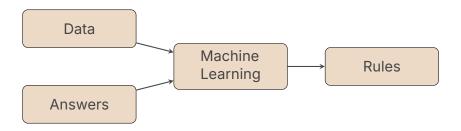
Traditional Programming vs Machine Learning



Traditional Programming



Machine Learning



"A computer program is said to learn from experience E with respect to some class of tasks T and performance measure P if its performance at tasks in T, as measured by P, improves with experience E." - Tom Mitchell

Quick Quiz 1

In machine learning, which of the following is typically NOT a useful feature?

a) Color of a tomato for quality prediction

Quick Quiz 1

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- b) Size of a house for price prediction

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- a) Color of a tomato for quality prediction
- · b) Size of a house for price prediction
- c) Sample ID number
- · d) Age for medical diagnosis

Pop Quiz #1 - Answer

Answer: c) Sample ID numbers are arbitrary identifiers, not meaningful features!

First ML Task: Grocery Store Tomato Quality Prediction

Problem statement: You want to predict the quality of a tomato given its visual features.

Imagine you have some past data on quality of tomatoes. What visual features do you think will be useful?

Size

Imagine you have some past data on quality of tomatoes. What visual features do you think will be useful?

Size

- Size
- Colour

- Size
- Colour

- Size
- Colour
- Texture

Sample Dataset

Here is our example dataset with tomato features:

Sample	Colour	Size	Texture	Condition
1	Orange	Small	Smooth	Good
2	Red	Small	Rough	Good
3	Orange	Medium	Smooth	Bad
4	Yellow	Large	Smooth	Bad

Useful Features

Is the sample number a useful feature for predicting quality of a tomato?

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Answer: Usually no! Sample numbers are typically arbitrary identifiers and not meaningful features. Let us remove it.

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Let us modify our data table for now.

Colour	Size	Texture	Condition
Orange	Small	Smooth	Good
Red	Small	Rough	Good
Orange	Medium	Smooth	Bad
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The training set consists of two parts:

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The training set consists of two parts:

- 1. Features (Input Variables)
- 2. Output or Response Variable

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1. Feature matrix $(\mathbf{X} \in \mathbb{R}^{n \times d})$ containing data of n samples each of which is d dimensional.

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- 1. Feature matrix $(\mathbf{X} \in \mathbb{R}^{n \times d})$ containing data of n samples each of which is d dimensional.
- 2. Output vector ($\mathbf{y} \in \mathbb{R}^n$) containing output variable for n samples.

• Feature matrix:
$$\mathbf{X} = \begin{bmatrix} \mathbf{x}_1^\top \\ \mathbf{x}_2^\top \\ \vdots \\ \mathbf{x}_n^\top \end{bmatrix}$$
 where $\mathbf{x}_i \in \mathbb{R}^d$

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• Example (after encoding):
$$\mathbf{x}_1 = \begin{bmatrix} 1 \\ 0 \\ 1 \end{bmatrix}$$
 (Orange=1, Small=0, Smooth=1)

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- Example (after encoding): $\mathbf{x}_1 = \begin{bmatrix} 1 \\ 0 \\ 1 \end{bmatrix}$ (Orange=1, Small=0, Smooth=1)
- Complete dataset: $\mathcal{D} = \{(\mathbf{x}_i^\top, \mathbf{y}_i)\}_{i=1}^n$

Estimate condition for unseen tomatoes (#5, 6) based on data set.

Colour	Size	Texture	Condition
Orange	Small	Smooth	Good
Red	Small	Rough	Good
Orange	Medium	Smooth	Bad
Yellow	Large	Smooth	Bad
Red	Large	Rough	?
Orange	Large	Rough	?

Testing Set

Testing set is similar to training set, but, does not contain labels for output variable.

Colour	Size	Texture	Condition
Orange	Small	Smooth	Good
Red	Small	Rough	Good
Orange	Medium	Smooth	Bad
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We hope to:

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- 3. To Predict the condition for the Testing set

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- Q: Is predicting on test set enough to say our model generalises?
- · A: Ideally, no!
- Ideally we want to predict "well" on all possible inputs. But, can we test that?
- No! Since, the test set is only a sample from all possible inputs.

Generalisation

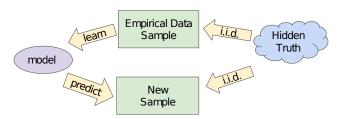


Image courtesy Google ML crash course

Generalisation

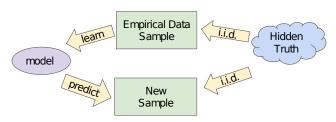


Image courtesy Google ML crash course

Both the training set and the test set are samples drawn from the hidden true distribution (also sometimes called population)

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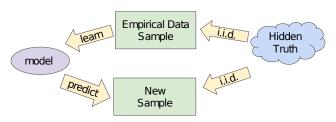


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More discussion later once we study bias and variance

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# People	Temp (C)	Energy (kWh)
4000	30	30
4200	30	32
4200	35	40
3000	20	?
1000	45	?

Quick Quiz 2

Which of these is a regression problem?

· a) Predicting if an email is spam or not

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- · c) Predicting house prices
- d) Determining if a tumor is malignant or benign

Pop Quiz #2 - Answer

Answer: c) House prices are continuous values - that's regression!

Classification

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 - Examples Predicting:
 - How much energy will campus consume?
 - How much rainfall will fall?

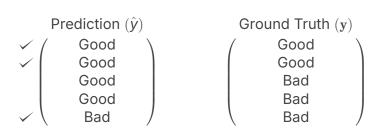
Metrics for Classification

```
 \begin{pmatrix} \mathsf{Good} \\ \mathsf{Good} \\ \mathsf{Good} \\ \mathsf{Good} \\ \mathsf{Good} \\ \mathsf{Good} \\ \mathsf{Bad} \end{pmatrix} \qquad \begin{pmatrix} \mathsf{Good} \\ \mathsf{Good} \\ \mathsf{Bad} \\ \mathsf{Bad} \\ \mathsf{Bad} \end{pmatrix}
```

Ground Truth: From the actual training set

Prediction: Made by the model

Accuracy



Accuracy

Prediction
$$(\hat{y})$$
 Ground Truth (y)
 \checkmark Good
Good
Good
Good
Good
Bad
Bad
Bad
Bad

$$\begin{aligned} \mathsf{Accuracy} &= \frac{|\{i: y_i = \hat{y}_i\}|}{n} \\ &= \frac{3}{5} = 0.6 \end{aligned}$$

- Set cardinality notation: $|\{i: y_i = \hat{y}_i\}|$
 - Reads as: "Number of indices *i* such that $y_i = \hat{y}_i$ "

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- Alternative: Indicator function notation

Accuracy =
$$\frac{\sum_{i=1}^{n} \mathbf{1}[y_i = \hat{y}_i]}{n}$$

$$\text{where 1}[\text{condition}] = \begin{cases} 1 & \text{if condition is true} \\ 0 & \text{if condition is false} \end{cases}$$

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 Both notations are mathematically equivalent and commonly used in ML literature

$$\begin{array}{c} \text{1 sample } \{ & \text{Bad} \\ \text{Good} \\ \text{Good} \\ \dots \\ \text{Good} \end{array} \\ \\ \text{Imbalanced Classes} \end{array}$$

$$\begin{array}{c} \text{1 sample } \{ & \left(\begin{array}{c} \text{Bad} \\ \text{Good} \\ \text{Good} \\ \dots \\ \text{Good} \end{array} \right) \\ \text{Imbalanced Classes} \end{array}$$

Cases for this:

Cancer Screening

$$\begin{array}{c} \text{1 sample } \{ & \left(\begin{array}{c} \text{Bad} \\ \text{Good} \\ \text{Good} \\ \dots \\ \text{Good} \end{array} \right) \\ \text{Imbalanced Classes} \end{array}$$

Cases for this:

- Cancer Screening
- Planet Detection

Accuracy Metrics: Precision

Precision =
$$\frac{|\{i : y_i = \hat{y}_i = \text{Good}\}|}{|\{i : \hat{y}_i = \text{Good}\}|} = \frac{2}{4} = 0.5$$

"the fraction of relevant instances among the retrieved instances", i.e. "out of the number of times we predict Good, how many times is the condition actually Good"

Accuracy Metrics: Precision

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$$\frac{|\{i : y_i = \hat{y}_i = \text{Good}\}|}{|\{i : \hat{y}_i = \text{Good}\}|} = \frac{2}{4} = 0.5$$

"the fraction of relevant instances among the retrieved instances", i.e. "out of the number of times we predict Good, how many times is the condition actually Good"

Accuracy Metrics: Recall

Recall =
$$\frac{|\{i : y_i = \hat{y}_i = \text{Good}\}|}{|\{i : y_i = \text{Good}\}|} = \frac{2}{3} = 0.67$$

"the fraction of the total amount of relevant instances that were actually retrieved"

Quick Quiz 3

In a dataset of 1000 samples where only 10 are positive cases, what's the accuracy of a classifier that always predicts "negative"?

• a) 1%

Quick Quiz 3

In a dataset of 1000 samples where only 10 are positive cases, what's the accuracy of a classifier that always predicts "negative"?

- a) 1%
- b) 50%

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In a dataset of 1000 samples where only 10 are positive cases, what's the accuracy of a classifier that always predicts "negative"?

- a) 1%
- b) 50%
- c) 90%

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In a dataset of 1000 samples where only 10 are positive cases, what's the accuracy of a classifier that always predicts "negative"?

- a) 1%
- b) 50%
- c) 90%
- d) 99%

Pop Quiz #3 - Answer

Answer: d) 99% - but this classifier is useless! This shows why accuracy can be misleading.

Given predictions of whether a tissue is cancerous or not (n = 100).

Given predictions of whether a tissue is cancerous or not (n = 100).

$$\mbox{Accuracy} = \frac{98}{100} = 0.98 \qquad \qquad \mbox{Recall} = \frac{0}{1} = 0$$

$$\mbox{Precision} = \frac{0}{1} = 0$$

		Ground Trutl	
		Yes	No
ted	Yes	0	1
redicted	No	1	98
7			

		Ground Truth	
		Yes	No
dicted	Yes	0	1
	No	1	98
Pre-			

Grour			Truth
		Yes	No
ted	Yes	True Positive	False Positive
redicted	No	False Negative	True Negative
P			

		Ground Truth		
		Yes	No	
redicted	Yes	True Positive	False Positive	
edic	No	False Negative	True Negative	
Pre				

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$$\frac{TP}{TP+FP}$$

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		Ground Truth		
		Yes	No	
redicted	Yes	True Positive	False Positive	
gdic	No	False Negative	True Negative	
Pre				

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Enhanced Confusion Matrix: Complete Picture

Confusion Matrix		Actual (Ground Truth)	
		Positive	Negative
cted	Positive	TP	FP
Predi	Negative	FN	TN

Definition: Confusion Matrix Elements

TP (True Positive): Correctly predicted positive cases

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Enhanced Confusion Matrix: Precision Focus

Confusion Matrix		Actual		Totals
		Positive Negative		
Predicted	Positive	TP	FP	TP + FP
Pred	Negative	FN	TN	FN + TN
Totals		TP + FN	FP + TN	All

Example: Precision = Focus on Predicted Positives

$$Precision = \frac{\textbf{TP}}{\textbf{TP} + \textbf{FP}} = \frac{Correctly \ predicted \ positives}{All \ predicted \ positives}$$

Enhanced Confusion Matrix: Recall Focus

Confusion Matrix		Actual		Totals
		Positive Negative		
Predicted	Positive	TP	FP	TP + FP
Pred	Negative	FN	TN	FN + TN
Totals		TP + FN	FP + TN	AII

Example: Recall = Focus on Actual Positives

$$\text{Recall} = \frac{\text{TP}}{\text{TP} + \text{FN}} = \frac{\text{Correctly predicted positives}}{\text{All actual positives}}$$

Enhanced Confusion Matrix: Real Example

Example: Medical Diagnosis: Cancer Detection

Let's say we have 1000 patients, 100 have cancer (positive), 900 don't (negative)

Cancer Detection		Actually Has Cancer		Totals
		Yes	No	
Says	Positive	85	45	130
Fest			870	
Totals		100	900	1000

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Accuracy Metrics: F-Score

		Ground	Truth
		Yes	No
ted	Yes	True Positive	False Positive
redicted	No	False Negative	True Negative
P			

$$F-$$
 Score $=\frac{2\times \, \text{Precision} \, \times \, \text{Recall}}{\text{Precision} \, + \, \text{Recall}}$

Accuracy Metrics: Matthew's Correlation Coefficient

		Ground	Truth
		Yes	No
ted	Yes	True Positive	False Positive
redicted	No	False Negative	True Negative
P			

 $\frac{\text{TP} \times \text{TN} - \text{FP} \times \text{FN}}{\sqrt{(\text{TP} + \text{FP})(\text{TP} + \text{FN})(\text{TN} + \text{FP})(\text{TN} + \text{FN})}}$

Accuracy Metrics: Example

For the data given below, calculate:

	G.T. Positive	G.T. Negative
Pred Positive	(90	4
Pred Negative	\setminus 1	1 /

```
Precision = ?
Recall = ?
F-Score = ?
Matthew's Coeff. = ?
```

Accuracy Metrics: Answer

For the same data

$$\begin{array}{c} \text{G.T. Positive} & \text{G.T. Negative} \\ \text{Pred Positive} & \begin{pmatrix} 90 & 4 \\ 1 & 1 \end{pmatrix} \end{array}$$

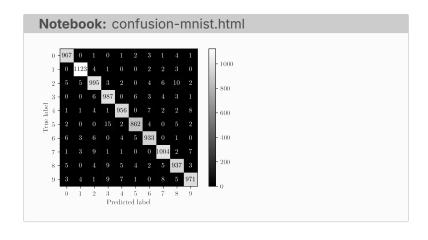
```
Precision = \frac{90}{94}

Recall = \frac{90}{91}

F-Score = 0.9524

Matthew's Coeff. = 0.14
```

Confusion Matrix for multi-class classification



Quick Quiz 4

Why might Mean Absolute Error (MAE) be preferred over Mean Squared Error (MSE)?

a) MAE is always smaller

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- b) MAE is less sensitive to outliers
- c) MAE is easier to compute
- d) MAE works only for classification

Pop Quiz #4 - Answer

Answer: b) MAE is less sensitive to outliers since it doesn't square the errors!

Metrics for Regression: MSE & MAE

Prediction
$$(\hat{y})$$
 Ground Truth (\mathbf{y})

$$\begin{pmatrix} 10 \\ 20 \\ 30 \\ 40 \\ 50 \end{pmatrix} \qquad \begin{pmatrix} 20 \\ 30 \\ 40 \\ 50 \\ 60 \end{pmatrix}$$

Mean Squared Error (MSE) =
$$\frac{\sum_{i=1}^{n} (\hat{y}_i - y_i)^2}{n}$$
 Root Mean Square Error (RMSE) = $\sqrt{\text{MSE}}$

Accuracy Metrics: MAE & ME

Prediction
$$(\hat{y})$$
 Ground Truth
$$\begin{pmatrix} 10 \\ 20 \\ 30 \\ 40 \\ 50 \end{pmatrix} \qquad \begin{pmatrix} 20 \\ 30 \\ 40 \\ 50 \\ 60 \end{pmatrix}$$

$$\begin{aligned} \text{Mean Absolute Error (MAE)} &= \frac{\sum_{i=1}^{n} |\hat{y}_i - y_i|}{n} \\ \text{Mean Error} &= \frac{\sum_{i=1}^{n} (\hat{y}_i - y_i)}{n} \end{aligned}$$

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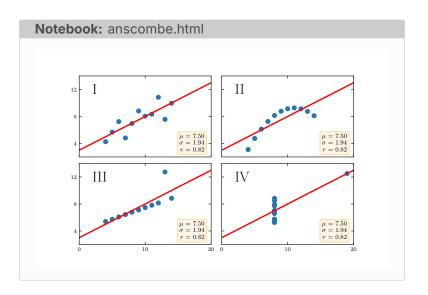
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 Mean Error =
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Is there any downside with using mean error? Errors can get cancelled out

The Importance of Plotting



Dummy Baselines

Notebook: dummy-baselines.html

The Importance of Plotting

Property	Value	Across datasets
mean(X)	9	exact
mean(Y)	7.5	up to 3 decimal pla
Linear regression line	y = 3.00 + 0.500x	up to 2 decimal pla

Quick Quiz 5

For imbalanced datasets, which metrics should you prioritize over accuracy?

a) Only precision

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- · b) Only recall

Pop Quiz #5

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- b) Only recall
- c) Precision, recall, and F1-score

Pop Quiz #5

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- a) Only precision
- b) Only recall
- · c) Precision, recall, and F1-score
- · d) Only confusion matrix

Pop Quiz #5 - Answer

Answer: c) Precision, recall, and F1-score give a more complete picture!

Key Points

 ML vs Traditional Programming: ML learns rules from data, traditional programming uses predefined rules

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- Accuracy isn't everything: For imbalanced data, use precision, recall, F1-score
- Visualization is crucial: Always plot your data (Anscombe's Quartet lesson)
- Use baselines: Simple baseline models help validate your approach

Summary: Evaluation Metrics

Task	Common Metrics	When to Use
Classification	Accuracy, Precision, Recall, F1	Balanced/Imb
	Confusion Matrix	Multi-class p
Regression	MSE, RMSE, MAE	Continuous p
	Mean Error	Check for bia

Remember: Choose metrics based on your problem's characteristics and business requirements!

Colorbox Examples - Definition & Example

Definition: Machine Learning

A computer program is said to learn from experience E with respect to some class of tasks T and performance measure P if its performance at tasks in T, as measured by P, improves with experience E.

Example: Classification Task

Predicting whether an email is spam or not spam based on features like sender, subject line, and content.

Colorbox Examples - Alert & Theorem

Important: Common Mistake

Never use accuracy alone for imbalanced datasets! A classifier that always predicts the majority class can have high accuracy but be completely useless.

Theorem: Bayes' Theorem

For events A and B: $P(A|B) = \frac{P(B|A) \cdot P(A)}{P(B)}$