



Assignment 01

Fall Term 2021

Code IT-466 **Degree** BBIT
Title Analysis of Algorithm **Batch** F18-IT Specialization
Due Date: Nov 25, 2021 before 0945hr **Marks** 70

Instructions:

1. Do not forget to pray before starting to attempt the paper. Trust me it helps.
Remember! SOMEONE is always with you (Be Relaxed), and HE is also watching you (Be Honest)
2. **Question Paper is SELF EXPLANATORY. Understanding the Question Paper is part of Solution.**
3. Nothing Beyond the Finish Line will be Evaluated. Back Side of Pages is Beyond Finish Line.
4. For Calculations etc. Use the back side of the pages.
5. Error in Question will be advantageous to Student.
6. Read the Questions carefully before attempting.
7. Solve your paper using Black/Blue Pen only.
8. Attempt All Questions in a Precise Fashion.
9. Switch Off your Cellular Phones.
10. Manage Your Time.

GOOD LUCK

Reg. No: _____

Name: _____

Class: IT Major

Date: Friday, Nov 19, 2021

Section: _____

Signature: _____

Q 01.	Q 02.	Q 03.	Q 04.	Q 05.	Q 06.	Q 07.	Q 08.	Q 09.	Q 10.	Total
25	25	20								70

Assistant's Signature

Examiner's Signature

Do Not Open until YOU are Advised by the Invigilator.

**Question No 01.****25**

Find the Time Complexity of the Following Iterative Algorithms, Show Working.

```
int x=1, y=0;
while ( y <= n ){
    y = x * x * x;
    Print(y);
    x++;
}
```

4

```
for(i=1; i <=  $\frac{n}{2}$ ; i++)
    for(int j=1; j <=  $i^3$ ; j++)
        for(int k=1; k <= n; k=k * 5)
            Print("IBIT-PU");
```

4

```
for (i = 1; i <= n; i += c)
    for (j = i+1; j <= n; j *= c)
        Print("IBIT");
```

4



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Analysis of Algorithms

Iterative Functions by Frequency Count Method

```
for(j=n; j >= 1; j-=2)
    for(i=1; i3 <= j; i++)
        for(k=1; k <=  $\frac{n}{2}$ ; k+=2)
            print("IBIT");
```

4

```
for (i =  $\frac{n}{2}$ ; i > 0; i -= c)
    for (j = i+1; j <= n; j += c)
        Print("IBIT");
```

4

```
for(int i=1; i <= n; i=i*2)
    for(int j=1; j <= 2*(i-1); j++)
        Print("IBIT-PU")
    for(int k=i; k <= 10*i; k++)
        Print("AoA")
```

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Analysis of Algorithms

Time Complexity of Recursive Algorithms by Reverse Substitution

Question No 02.**20**

Find the Time Complexity of the Following Recursive Algorithms, Show Working.

void Func(int n){**5****if (n==1)****return;****for (i=1;i <= n; i=i*2)****Print("IBIT-PU");****Func(n-1);****}****int findMin(int[] X, int NoE){****4****int Min;****if(NoE == 1){****return X[0];****}else{****Max = findMin(X, NoE - 1);****if(Min < X[NoE - 1])****return Min;****else****return X[NoE - 1];****}****}**

Question No 03.

20

Write down the Formal Statement of Master Theorem

5

This image shows a blank sheet of white paper with horizontal ruling lines. The lines are evenly spaced and extend across the width of the page. There are no margins, text, or other markings on the paper.

Find the Time Complexity of the Following Recursive Algorithms using Recursion Tree, Show Working.

$$T(n) = 4T\left(\frac{n}{2}\right) + n^2 \sqrt{n}$$

3

$$T(n) = 2T\left(\frac{n}{2} + 17\right) + n$$

3

[illegible]

$$T(n) = 7T\left(\frac{n}{5}\right) + \Theta(n^2 \log^3 n)$$

3



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Analysis of Algorithms

Time Complexity of Recursive Functions by Master Theorem

$$T(n) = 2T\left(\frac{n}{3}\right) + n^{-2}\lg n$$

3

$$T(n) = 9T\left(\frac{n}{3}\right) + n^2\lg^{-3}n$$

3

Finish Line

Nothing beyond this line will be evaluated