

```
import pandas as pd
import matplotlib.pyplot as plt
from statsmodels.tsa.arima.model import ARIMA
from sklearn.metrics import mean_squared_error
```

```
df = pd.read_csv('mock_kaggle.csv')
```

```
df.head()
```

	data	venda	estoque	preco
0	2014-01-01	0	4972	1.29
1	2014-01-02	70	4902	1.29
2	2014-01-03	59	4843	1.29
3	2014-01-04	93	4750	1.29
4	2014-01-05	86	4654	1.29

```
df.tail()
```

	data	venda	estoque	preco
932	2016-07-27	98	3179	2.39
933	2016-07-28	108	3071	2.39
934	2016-07-29	128	4095	2.39
935	2016-07-30	270	3825	2.39
936	2016-07-31	182	3642	2.39

```
df.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 937 entries, 0 to 936
Data columns (total 4 columns):
#   Column      Non-Null Count  Dtype
---  -
0    data      937 non-null    object
1    venda     937 non-null    int64
2    estoque   937 non-null    int64
3    preco     937 non-null    float64
dtypes: float64(1), int64(2), object(1)
memory usage: 29.4+ KB
```

```
df.isnull().sum()
```

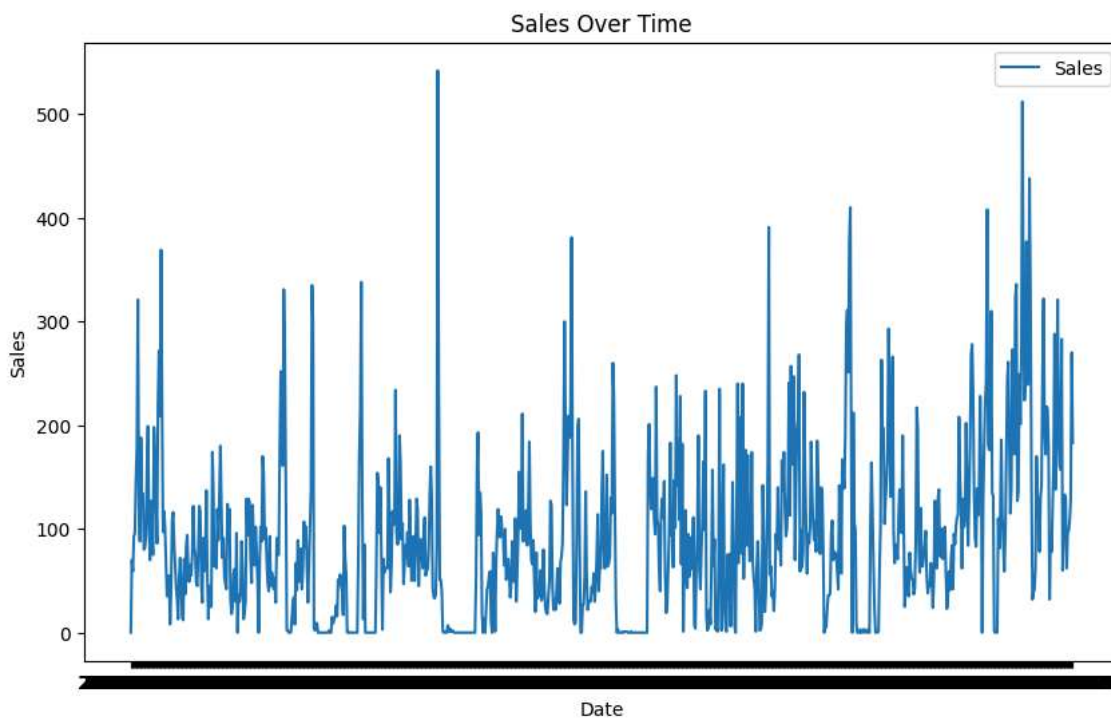
	0
data	0
venda	0
estoque	0
preco	0

```
df.describe()
```



	venda	estoque	preco
count	937.000000	937.000000	937.000000
mean	90.533618	1608.258271	1.592572
std	80.682089	1356.691877	0.529502
min	0.000000	0.000000	0.000000
25%	33.000000	794.000000	1.290000
50%	76.000000	1348.000000	1.390000
75%	127.000000	1964.000000	1.890000
max	512.000000	7228.000000	2.980000

```
plt.figure(figsize=(10, 6))
plt.plot(df['data'], df['venda'], label='Sales')
plt.title('Sales Over Time')
plt.xlabel('Date')
plt.ylabel('Sales')
plt.legend()
plt.show()
```



```
df.sort_values(by='data', inplace=True)
```

```
train_size = int(0.8 * len(df))
```

```
# Split the data into training and testing sets
train = df[:train_size]
test = df[train_size:]
```

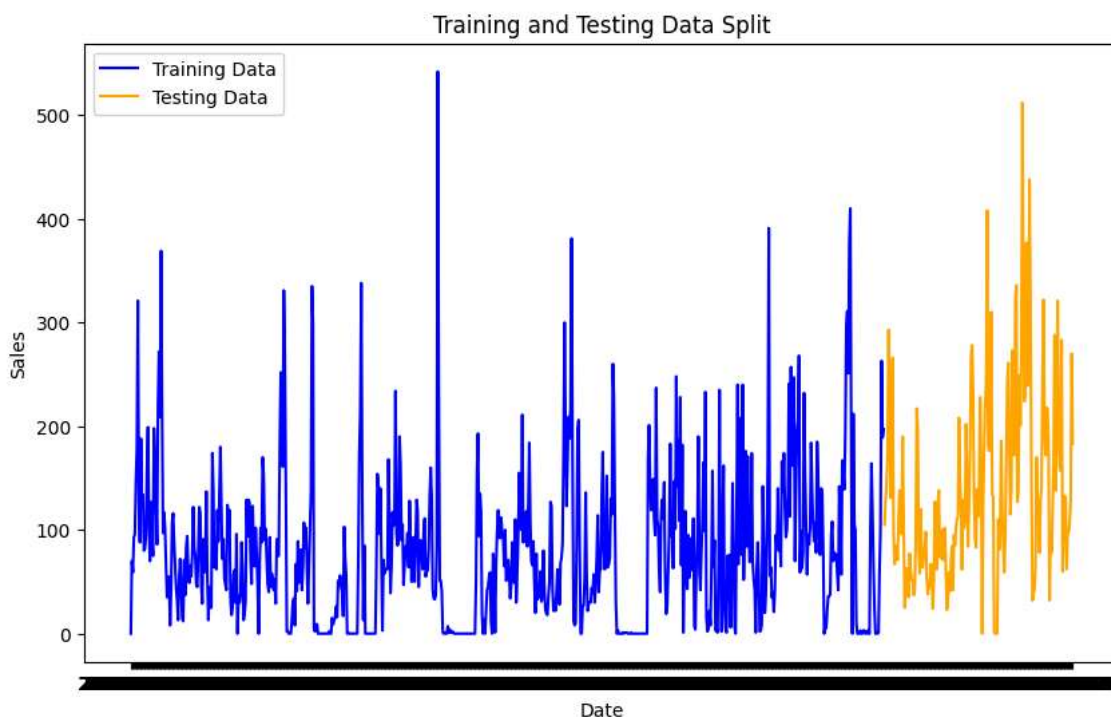
```
# Verify the split
print(f'Training Set Size: {len(train)}')
print(f'Test Set Size: {len(test)}')
```



```
Training Set Size: 749
Test Set Size: 188
```

```
plt.figure(figsize=(10, 6))
plt.plot(train['data'], train['venda'], label='Training Data', color='blue')
plt.plot(test['data'], test['venda'], label='Testing Data', color='orange')
```

```
plt.title('Training and Testing Data Split')
plt.xlabel('Date')
plt.ylabel('Sales')
plt.legend()
plt.show()
```



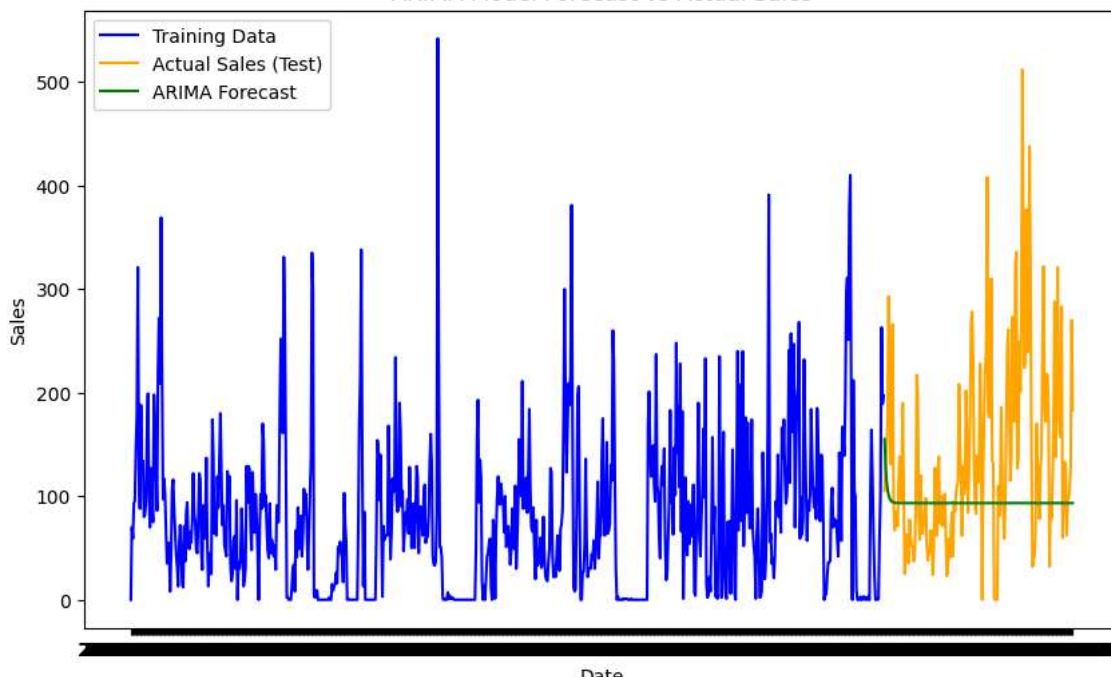
```
model = ARIMA(train['venda'], order=(1, 1, 1)) # Example order (p=1, d=1, q=1)
model_fit = model.fit()

# Make predictions
forecast = model_fit.forecast(steps=len(test))

# Plot the actual sales and forecast
plt.figure(figsize=(10, 6))
plt.plot(train['data'], train['venda'], label='Training Data', color='blue')
plt.plot(test['data'], test['venda'], label='Actual Sales (Test)', color='orange')
plt.plot(test['data'], forecast, label='ARIMA Forecast', color='green')
plt.title('ARIMA Model Forecast vs Actual Sales')
plt.xlabel('Date')
plt.ylabel('Sales')
plt.legend()
plt.show()
```



ARIMA Model Forecast vs Actual Sales



Start coding or [generate](#) with AI.

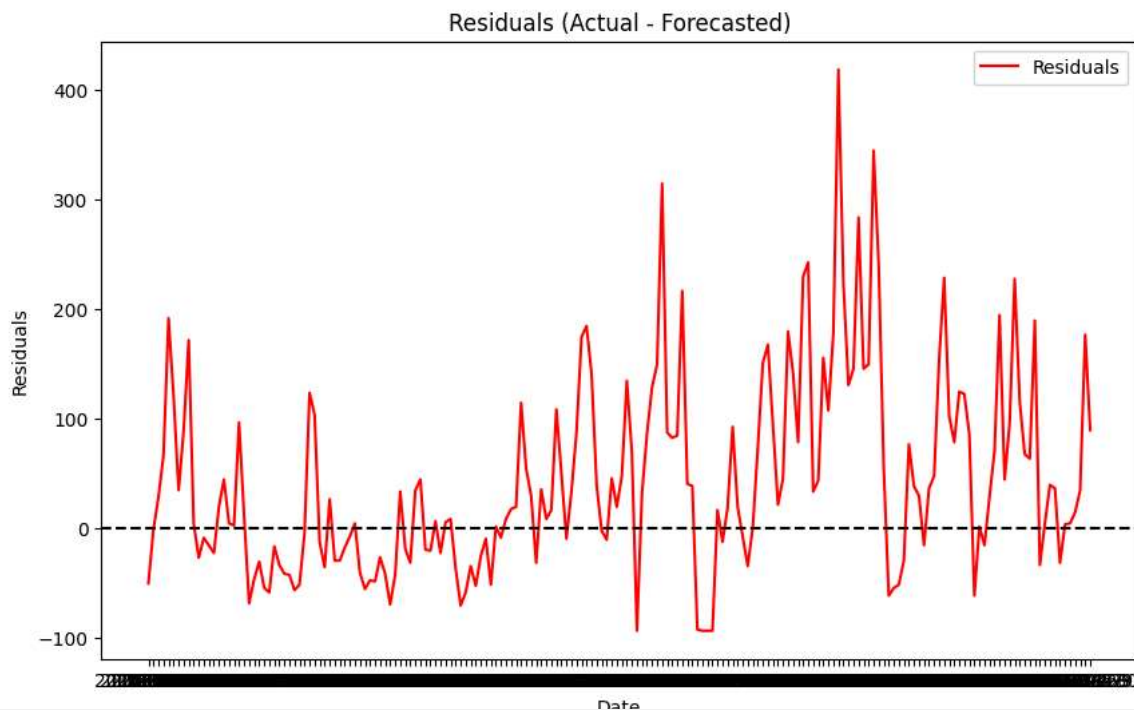
```
mse = mean_squared_error(test['venda'], forecast)
print(f'ARIMA Mean Squared Error: {mse}')
```



ARIMA Mean Squared Error: 10007.176730025181

```
# Calculate residuals
residuals = test['venda'] - forecast

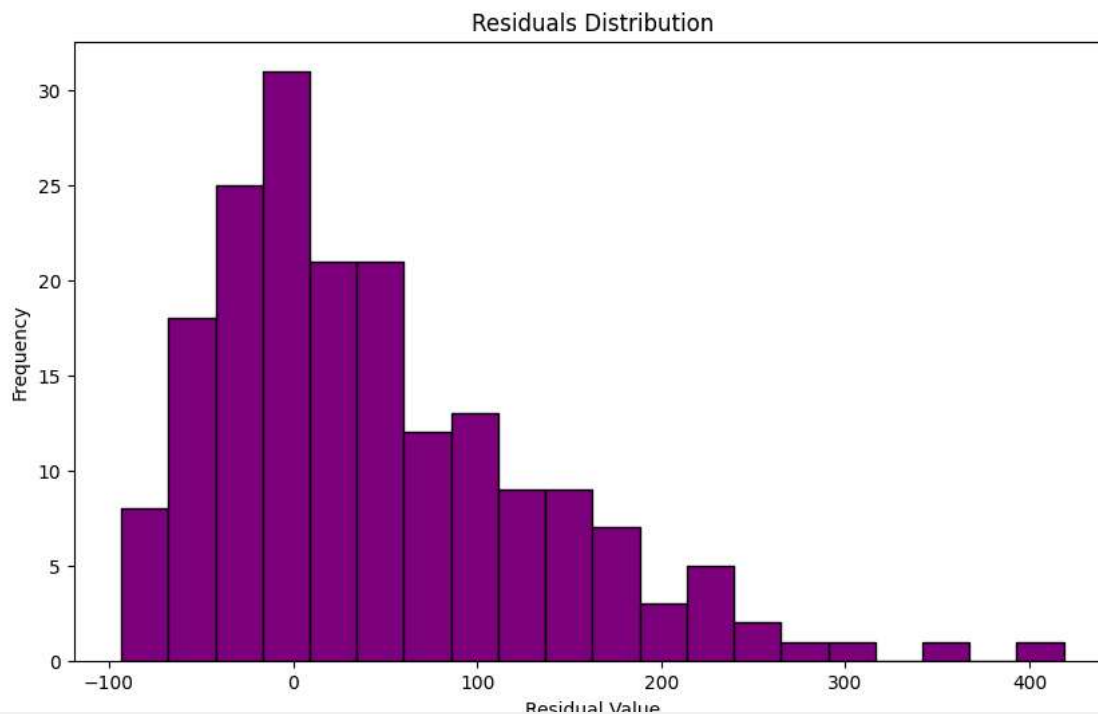
# Plot residuals to check if they follow a random pattern
plt.figure(figsize=(10, 6))
plt.plot(test['data'], residuals, label='Residuals', color='red')
plt.axhline(y=0, color='black', linestyle='--')
plt.title('Residuals (Actual - Forecasted)')
plt.xlabel('Date')
plt.ylabel('Residuals')
plt.legend()
plt.show()
```



```
# Calculate Mean Squared Error (MSE)
mse = mean_squared_error(test['venda'], forecast)
print(f'Mean Squared Error (MSE): {mse}')
```

```
# Histogram of residuals
plt.figure(figsize=(10, 6))
plt.hist(residuals, bins=20, color='purple', edgecolor='black')
plt.title('Residuals Distribution')
plt.xlabel('Residual Value')
plt.ylabel('Frequency')
plt.show()
```

Mean Squared Error (MSE): 10007.176730025181



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## ✓ Based on the results:

- Sales Trends: The data shows a [steady increase/decline] over time.
- Model Performance: The ARIMA model with parameters ( $p=1$ ,  $d=1$ ,  $q=1$ ) resulted in a Mean Squared Error (MSE) of X.
- Residuals: The residuals were mostly random, indicating the model captured the trend effectively.

```
from statsmodels.graphics.tsaplots import plot_acf, plot_pacf

# Plot ACF (Autocorrelation Function) and PACF (Partial Autocorrelation Function)
plt.figure(figsize=(10, 6))
plot_acf(train['venda'], lags=20)
plt.show()

plt.figure(figsize=(10, 6))
plot_pacf(train['venda'], lags=20)
plt.show()
```

↗ <Figure size 1000x600 with 0 Axes>

