

ZIMBABWE SCHOOL EXAMINATIONS COUNCIL

General Certificate of Education Advanced Level

PHYSICS

9188/2

PAPER 2

JUNE 2011 SESSION

1 hour 15 minutes

Candidates answer on the question paper.

Additional materials:

Electronic calculator and/or Mathematical tables

TIME 1 hour 15 minutes

INSTRUCTIONS TO CANDIDATES

Write your name, Centre number and candidate number in the spaces at the top of this page.

Answer all questions.

Write your answers in the spaces provided on the question paper. For numerical answers, all working should be shown.

INFORMATION FOR CANDIDATES

The number of marks is given in brackets [] at the end of each question or part question.

FOR EXAMINER'S USE					
1					
2					
3					
4					
5					
6					
7					
8					
9					
TOTAL					

This question paper consists of 11 printed pages and 1 blank page.

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Data

 $c = 3.00 \times 10^8 \,\mathrm{m \, s^{-1}}$ speed of light in free space, $\mu_0 = 4\pi \times 10^{-7} \, \mathrm{H \, m^{-1}}$ permeability of free space, $\epsilon_0 = 8.85 \times 10^{-12} \,\mathrm{F}\,\mathrm{m}^{-1}$ permittivity of free space, $e = 1.60 \times 10^{-19} \,\mathrm{C}$ elementary charge, $h = 6.63 \times 10^{-34} \, \text{Js}$ the Planck constant, $u = 1.66 \times 10^{-27} \text{ kg}$ unified atomic mass constant, $m_{\rm e} = 9.11 \times 10^{-31} \text{ kg}$ rest mass of electron, $m_{\rm p} = 1.67 \times 10^{-27} \text{ kg}$ rest mass of proton, $R = 8.31 \text{ J K}^{-1} \text{ mol}^{-1}$ molar gas constant, $N_{\rm A} = 6.02 \times 10^{23} \, {\rm mol}^{-1}$ the Avogadro constant, $k = 1.38 \times 10^{-23} \,\mathrm{J\,K^{-1}}$ the Boltzmann constant, $G = 6.67 \times 10^{-11} \text{ N m}^2 \text{ kg}^{-2}$ gravitational constant, $g = 9.81 \text{ m s}^{-2}$ acceleration of free fall,

Formulae

unifórmly accelerated motion,	$s = ut + \frac{1}{2}at^2$ $v^2 = u^2 + 2as$
work done on/by a gas,	$W = p\Delta V$
gravitational potential,	$\phi = -\frac{Gm}{r}$
refractive index,	$n = \frac{1}{\sin C}$
resistors in series,	$R = R_1 + R_2 + \dots$
resistors in parallel,	$1/R = 1/R_1 + 1/R_2 + .$
electric potential,	$V = \frac{Q}{4\pi\epsilon_0 r}$
capacitors in series,	$1/C = 1/G_1 + 1/C_2 +$
capacitors in parallel,	$C = C_1 + C_2 + \dots$
energy of charged capacitor,	$W = \frac{1}{2} QV$
alternating current/voltage,	$x = x_0 \sin \omega t$
hydrostatic pressure,	$p = \rho g h$
pressure of an ideal gas,	$p = \frac{1}{3} \frac{Nm}{V} \langle c^2 \rangle$
radioactive decay,	$x = x_0 \exp(-\lambda t)$
decay constant,	$\lambda = \frac{0.693}{t_{\frac{1}{2}}}$
critical density of matter in the Univers	se, $\rho_0 = \frac{3H_0^2}{8\pi G}$
equation of continuity,	Av = constant
Bernoulli equation (simplified),	$p_1 + \frac{1}{2}\rho v_1^2 = p_2 + \frac{1}{2}\rho v_2^2$
Stokes' law,	$F = Ar\eta v$
Reynolds' number,	$R_{\rm e} = \frac{\rho v r}{\eta}$
drag force in turbulent flow,	$F = Br^2 \rho v^2$

Answer all questions.

For Examiner's Use

1 (a) Distinguish between a random error and a systematic error.

[2]

(b) A student wishes to use a micrometer screw gauge to measure the diameter of a wire.

(i) Suggest how the student can

1. reduce the systematic error in a reading,

2. allow for a non-circular cross section of the wire,

3. allow for a wire of varying diameters.

(ii) The volume, V, of a cylinder of length, L, and radius, R, is given by

$$V = \pi R^2 L$$
.

Calculate the radius of the cylinder and its uncertainty, given that

$$V = (25.0 \pm 0.3) \,\mathrm{m}^3$$

$$L = (20.0 \pm 0.1) \text{ cm}.$$

(b) A satellite of mass, m , is in a geostationary orbit. (i) Define a geostationary orbit. (ii) Show that the radius, r , of the orbit is given by $r = \sqrt[3]{\frac{gR^2}{\omega^2}}$ where symbols have their usual meanings.	or iner's Jse
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where symbols have their usual meanings. [3]	
[3]	
	16 21
3 (a) (i) State the Bernoulli's principle.	
(ii) Give two conditions necessary for Bernoulli's equation to be valid.	
[3]	

	(b)	area 6	f density 800 kgm ⁻³ flows along a horizontal pipe of cross-sectional 50 cm ² with a velocity 2.3 ms ⁻¹ . It enters a constriction of sectional area 5.5 cm ² .	For Examiner's Use
		Calcu	late	
		(i)	the velocity of oil at the constriction,	
			velocity =	
		(ii)	the drop in pressure, Δp , which occurs when the oil enters the constriction.	
			$\Delta p = $ [4	J.
4	(a)	State f	four assumptions of an ideal gas.	11
		1.		
		2.		
20		3.		
		4.		*
	(b)	(i)	Explain the potential energy and kinetic energy that make up the internal energy of a gas.	

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		(ii) Explain why the energy of an ideal gas is wholly kinetic.	Exam
			[3]
5	(a)	In an α -scattering experiment an α -particle was directed towards the centre of a gold, $\binom{197}{79}$ Au), nucleus as shown in Fig. 5.1 . The α -particle moves with a kinetic energy of 4.8 MeV towards the nucleus.	
		α - particle gold nucleus	
		Fig. 5.1	
		(i) Sketch on Fig. 5.1 the path of the α -particle.	
		(ii) Determine the distance of closest approach of the α -particle to the gold nucleus.	
		distance of closest approach =	[4]
	(b)	State three uses of radioisotopes.	
,		1.	
		2.	
		3.	
			[3]

6	(i)	State	e Kirchoff's two laws.		For Examiner's Use
		1.		-	
		2.			
	(ii)	State	the respective quantity conserved in each law.		
		2.		. гил	
7	(a)	(i)	Define the term,	[4]	
		•	1. interference,		
				· 26	
			2. diffraction.		
		(ii)	State two conditions necessary for interference. 1.		
			2.		
				[4]	

	(b)		nt of wavelength 630 nm is incident normally on a diffraction ing with 900 lines per millimetre.		Fo Examin Us
		Dete	ermine		
		(i)	the angle for the first order diffraction pattern,		
				,	
			angle =	A	
)		(ii)	the maximum number, N, of bright fringes which can be observed.		
			N =		
				[5]	
8	(a)	Give	one example of		
		(i)	an input transducer,	,	
		(ii)	an output transducer.	5	
		,			
		400		[2]	
	(b)	(i)	Define negative feedback.		
				8	
		(ii)	Give two advantages of negative feedback.		
				[3]	

[3]

[1]

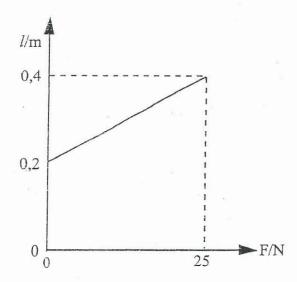
- 9 (a) State one example of
 - (i) a crystalline solid,
 - (ii) an armophous solid,
 - (iii) a polymer.

(c)

material.

(b) Distinguish between plastic and elastic deformation.

Fig. 9.1 shows the variation of length, l, with force, F, of a particular



(i) State with a reason if this material obeys Hooke's law.

(ii) Determine the maximum strain energy, E, stored in the stretched material.

For Examiner's Use

 $E = \underline{\hspace{1cm}}$

[4]