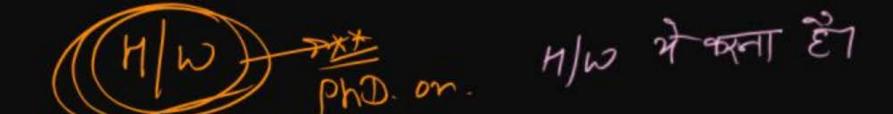


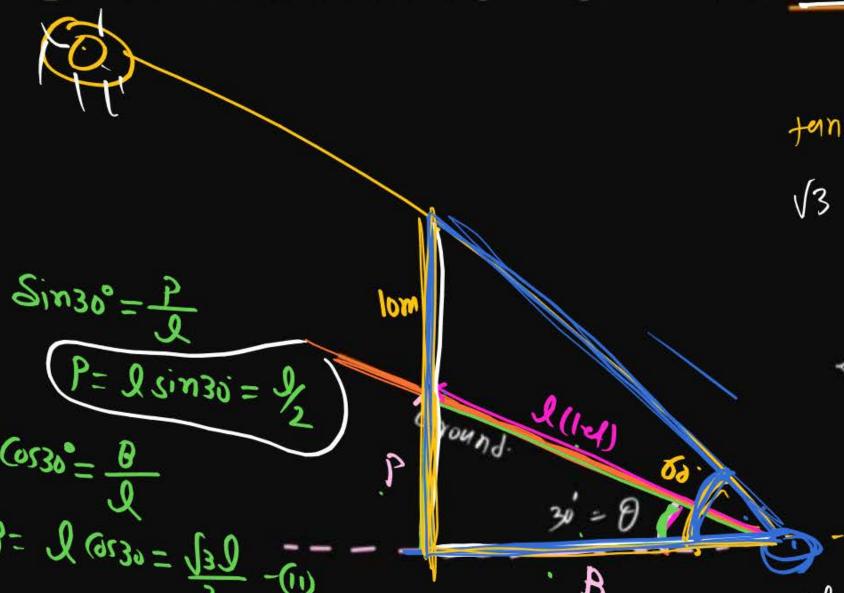
Question





A vertical pole of height h=10 m stands on ground that slopes upwards at a constant angle $\alpha=30^\circ$ with the horizontal. If the sun's angle of elevation above the horizontal is $\theta=60^\circ$, what is the length of the shadow cast by the pole on the sloping ground?

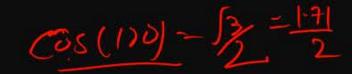
- 1 5 m
- 2 10 m
- 3 10√3 m
- $\frac{10}{\sqrt{3}-1} \text{ m}$



tondo =
$$\frac{10+9}{10+9}$$

$$\sqrt{3} = \frac{10+9}{10+9}$$

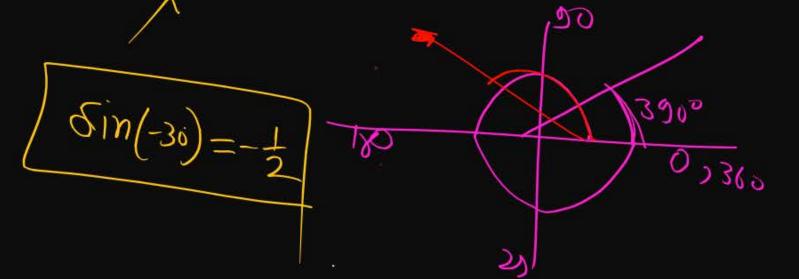
$$\sqrt{3} \times \frac{39}{2} = 10+9$$





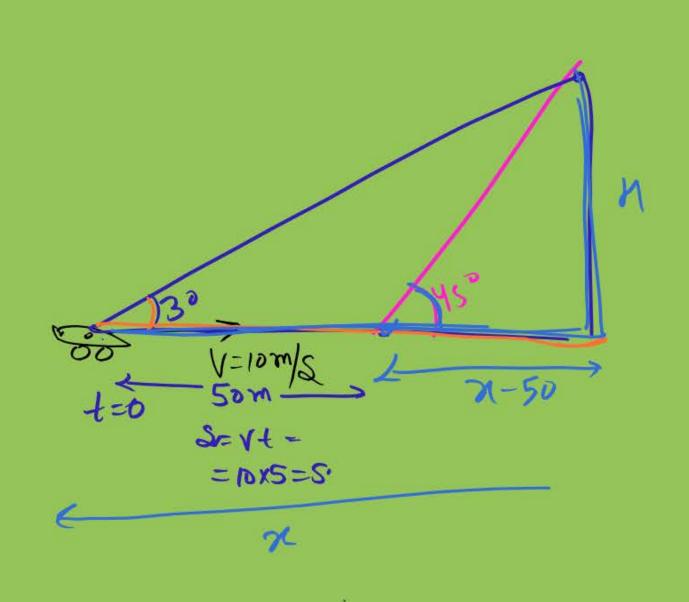
Suggest suitable match between function given in the first column and its description given in the second column.

- $\underbrace{A \rightarrow PT, B \rightarrow QS, C \rightarrow QT, D \rightarrow PS}$
- 3 A \rightarrow QT, B \rightarrow QS, C \rightarrow PT, D \rightarrow PS
- 4 A \rightarrow QS, B \rightarrow PT, C \rightarrow QT, D \rightarrow PS



Column-I	Column-II
(A) sin (390°)	(P) Positive
(B) sin (-30°)	(Q) Negative
(C) cos 120°	(R) Zero
(D) tan (-120°)	(S) Modulus is greater than one.
120'	(T) Modulus is less than one

$$Sin(390) = Sin(360 + 30) = Sin3i = |1|$$



$$tan30 = \frac{H}{2}$$
 $L = \frac{H}{2} - 0$
 $A = \sqrt{3}$
 A

Question



Find value:

(i)
$$\sin 2^\circ = 2^\circ \chi = \frac{2 \times \sqrt{1800}}{1800}$$

(ii)
$$\tan 3^\circ = 3\left(\frac{n \sigma^4}{18}\right)$$

(iv)
$$\sin (88.5^\circ) \approx 1$$



TRIGONOMETRY FUNCTION CHARGE







$$\sin(90^\circ - \theta) = + \cos\theta$$

$$\cos(90^{\circ}-\theta)=+\sin\theta$$

$$\frac{\sin(90^\circ + \theta) = + \cos\theta}{\cos\theta}$$

$$\cos(90^\circ + \theta) = -\sin\theta$$

$$\sin(180^\circ - \theta) = \sin \theta$$

$$\cos(180^\circ - \theta) = -6050$$





Find value of

(i)
$$\sin(-30^\circ) = -\frac{1}{2}$$

(ii)
$$\cos(-60^\circ) = \frac{1}{2}$$

(iii)
$$\sin(120^\circ) = 5/2$$

(iv)
$$\sin(390^\circ) = \sin(360+30) = \sin(30)$$

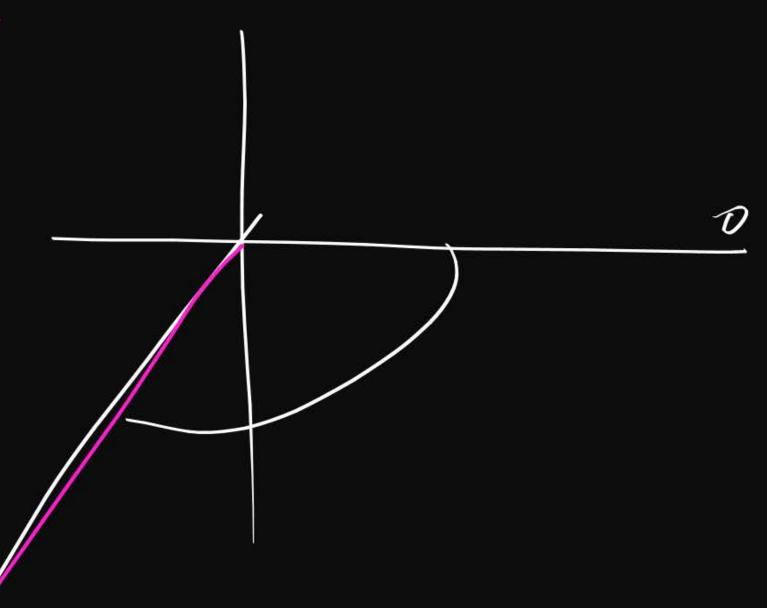


$$\sin (360^{\circ}) = 0$$

$$\sqrt{\sin(450^\circ)} = \sin(360 + 90) = \sin 90 = 1$$

$$++ \sin(-90^\circ) = -1$$

$$\sin(120^\circ) = 5\%$$



$$\cos(300^\circ) = Cos(360-60) = + Cos60 = +\frac{1}{2}$$



$$\cos (330^{\circ}) = \cos (360-30) = \cos 30$$

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$$\tan (240^\circ) = + am (180 + 60) = + am60 = \sqrt{3}$$

$$\cos(-30^\circ) = (0.5(30) = \sqrt{3})$$

$$tan(-60^\circ) = -+an6i = -\sqrt{3}$$

$$\cot(-45^\circ) = \frac{1}{\tan(-45)} = \frac{1}{-1} = -1$$



If $y = 3 \cos(3\theta)$, then find angle at which y will be zero.



