

Mass Number and Atomic Number

Mass number of an element = No. of protons (Z) + No. of neutrons (n).

Atomic Number (Z) = No. of Protons

Wave and its Characteristics (For emission/ Absorption of energy)

$$\bar{\nu} = \frac{1}{\lambda} \quad \bar{\nu} = \text{Wave Number}$$

$$E = h\nu \quad (\nu - \text{Frequency of light})$$

$$E = \frac{hc}{\lambda} \quad (c - \text{speed of light})$$

Photoelectric Effect

$$h\nu = h\nu_0 + \frac{1}{2} m_e v^2, \text{ where, } \nu_0 = \text{Threshold frequency, } V = \text{Velocity of photoelectron}$$

ν = Incident Frequency

Bohr's Model of Atom

$$\text{➤ } \frac{mv^2}{r} = \frac{Ke^2Z}{r^2}$$

$$\text{➤ } r = \frac{n^2 h^2}{4\pi^2 m K Z e^2}$$

$$\text{➤ } V = \frac{2\pi Ze^2 K}{nh}$$

$$\text{➤ } T = \frac{2\pi r}{v}$$

$$\text{➤ } T.E. = E_n = -\frac{2\pi^2 m e^4 k^2}{h^2} \left(\frac{Z^2}{n^2} \right)$$

$$\text{➤ } E_n = -13.6 \frac{Z^2}{n^2} \text{ eV / atom}$$

$$\text{➤ } T.E. = \frac{1}{2} P.E.$$

$$\text{➤ } E_n = -2.18 \times 10^{-18} \frac{Z^2}{n^2} \text{ J/atom}$$

$$\text{➤ } T.E. = -K.E.$$

$$\text{➤ } mvr = \frac{nh}{2\pi}$$

$$\text{➤ } r_n = 0.529 \times \frac{n^2}{Z} \text{ \AA}$$

$$\text{➤ } V_n = 2.18 \times 10^6 \times \frac{Z}{n} \text{ m/sec}$$

$$\text{➤ } f = \frac{v}{2\pi r}$$

For H-atom

$$r_n = 0.529 \times n^2$$

$$V_n = \frac{V_1}{n}$$

$$E_n = E_1/n^2$$

n = orbit no.

Emission Spectrum of Hydrogen & H-like species.

$$\Delta E = h\nu = \frac{hc}{\lambda}; h = \text{Planck's Constant} (h = 6.62 \times 10^{-34} \text{ JS})$$

C = Velocity of Light

λ = Wavelength

$$\frac{1}{\lambda} = \bar{\nu} = RZ^2 \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$$

R = Rydberg constant = $1.09678 \times 10^7 \text{ m}^{-1}$

n_1 = Lower energy level

n_2 = Higher energy level

$$\text{Number of different line produce} = \frac{\Delta n (\Delta n + 1)}{2}, \text{ where } \Delta n = n_2 - n_1.$$

n_2 = higher energy orbit, n_1 = lower energy orbit.

- For single isolated atom maximum number of spectral lines observed = $(n - 1)$.

de-Broglie's Hypothesis

λ = de-Broglie wavelength

h = Planck's Constant

m = mass of particle

e = charge on particle

V = Accelerated Potential

$$\lambda = \frac{h}{mv} = \frac{h}{p}, p = \text{momentum}$$

$$\lambda = \frac{h}{\sqrt{2emV}}$$

$$\lambda = \frac{12.3}{\sqrt{V}} \text{ \AA}$$

Heisenberg's Uncertainty

$$\Delta x \cdot \Delta p \geq \frac{h}{4\pi} \text{ or } \Delta x \cdot (m\Delta v) \geq \frac{h}{4\pi}$$

$$\Delta E \cdot \Delta t \geq \frac{h}{4\pi}; \Delta x = \text{change in position}$$

Δp = change in Momentum

$P = \psi^2 dv$, P = probability of finding electron

where, ψ = wave function

$$\text{Radial nodes} = n - \ell - 1,$$

$$\text{Angular nodes} = \ell,$$

$$\text{Total nodes} = n - 1$$

Quantum Numbers

❖ Number of subshell present in n^{th} shell = n .

❖ Number of orbitals present in n^{th} shell = n^2 .

❖ The maximum number of electrons in a principal energy shell = $2n^2$.

$$\text{Angular momentum of any orbit} = \frac{nh}{2\pi}.$$

❖ Number of orbitals in a subshell = $2\ell + 1$

❖ Maximum number of electrons in particular subshell = $2 \times (2\ell + 1)$.

$$L = \frac{h}{2\pi} \sqrt{\ell(\ell+1)} = \hbar \sqrt{\ell(\ell+1)} \left[\hbar = \frac{h}{2\pi} \right].$$

❖ Orbitals present in a main energy level is ' n^2 '.

❖ $\mu = \sqrt{n(n+2)}$ B.M., n = No. of unpaired electron.

$$\text{Spin angular momentum} = \frac{h}{2\pi} \sqrt{s(s+1)}.$$

❖ Maximum spin of atom = $\frac{1}{2} \times \text{No. of unpaired electron}$.