

# YAKEEN NEET 2.0

**2026**

**Laws of Motion**

**Physics**

**Lecture – 14**

**By– Manish Raj (MR Sir)**



# Today's Goal

friction on vertical surface

3 Inclined plane:—

Motion in a Plane  
Ka summary/lecture

↳ Uploaded → 3hr



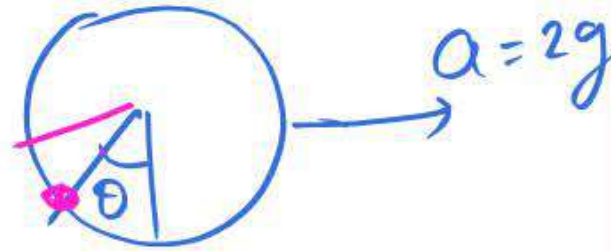
Question no → 6.

A block of mass  $m$  is placed inside a smooth hollow cylinder of radius  $R$  whose axis is kept horizontally. Initially system was at rest. Now cylinder is given constant acceleration  $2g$  in the horizontal direction by external agent. The maximum angular displacement of the block with the vertical is:



- (A)  $2 \tan^{-1} 2$   
(B)  $\tan^{-1} 2$   
(C)  $\tan^{-1} 1$   
(D)  $\tan^{-1} (\frac{1}{2})$

work  
energy  
power



Angular  
displacement  
equals

$$\tan \theta = \frac{a}{g}$$
$$\tan \theta = \frac{2g}{g} = 2$$

Click here to zoom

1 | A

2 | B

3 | C

4 | D

$$\theta = \tan^{-1}(2)$$

Play with physics

work energy  
& power

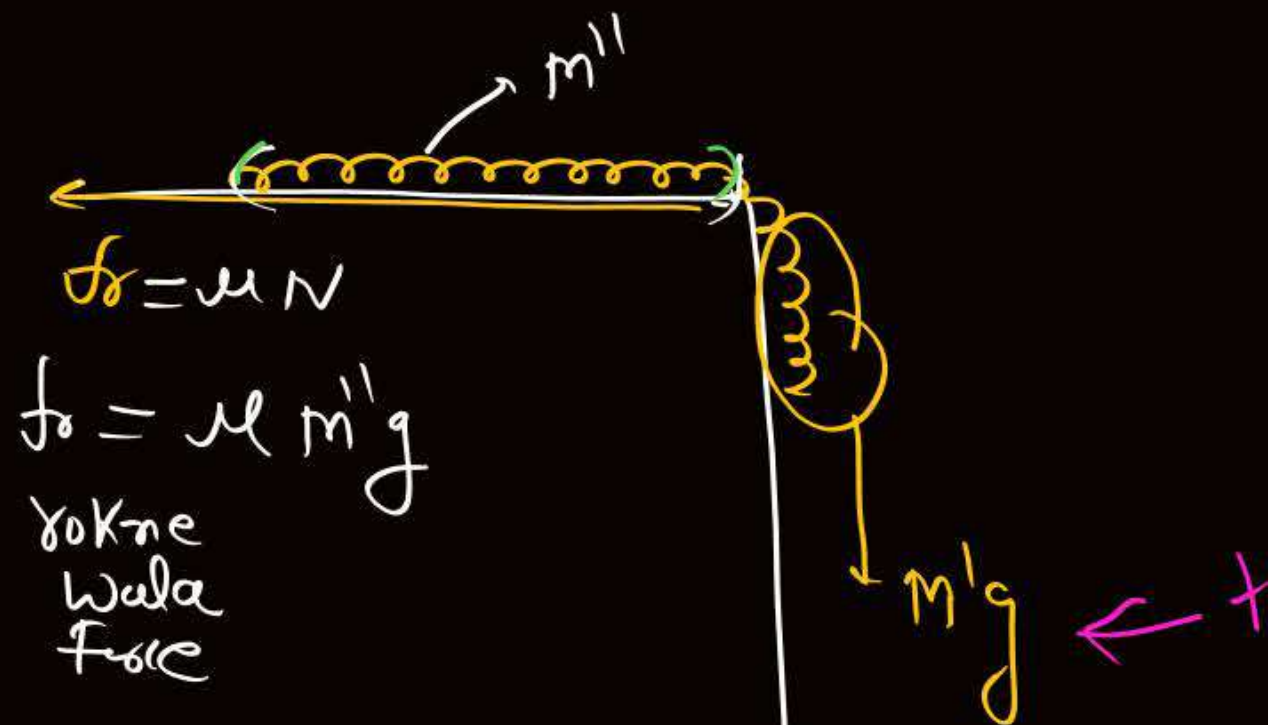
$\theta = 2 \tan^{-1}(2)$   
double

Notes में

## Chain Problem

A uniform chain of 6 m length is placed on a table such that a part of its length is hanging over the edge of the table. The system is at rest. The co-efficient of static friction between the chain and the surface of the table is 0.5, the maximum length of the chain hanging from the table is \_\_\_\_\_ m.

(माना)  $\lambda$  = mass per unit length  
(माना)  $x$   $\rightarrow$  hanging length



$$\left( \mu m''g \right)_{\text{table पर}} = \left( m'g \right)_{\text{लटक रहा है}}$$

$$\mu m'' = m'$$

$$\cancel{\lambda(6-x)} = \cancel{\lambda x}$$

$$(6-x) \frac{1}{2} = x$$

$$6-x = 2x$$

$$6 = 3x$$

$$x = \frac{6}{3} = 2m$$



## Question



A block A of mass  $m_1$  rests on a horizontal table. A light string connected to it passes over a frictionless pulley at the edge of table and from its other end another block B of mass  $m_2$  is suspended. The coefficient of kinetic friction between the block and the table is  $\mu_k$ . When the block A is sliding on the table, the tension in the string is

[AIMPT-2015]

H/W

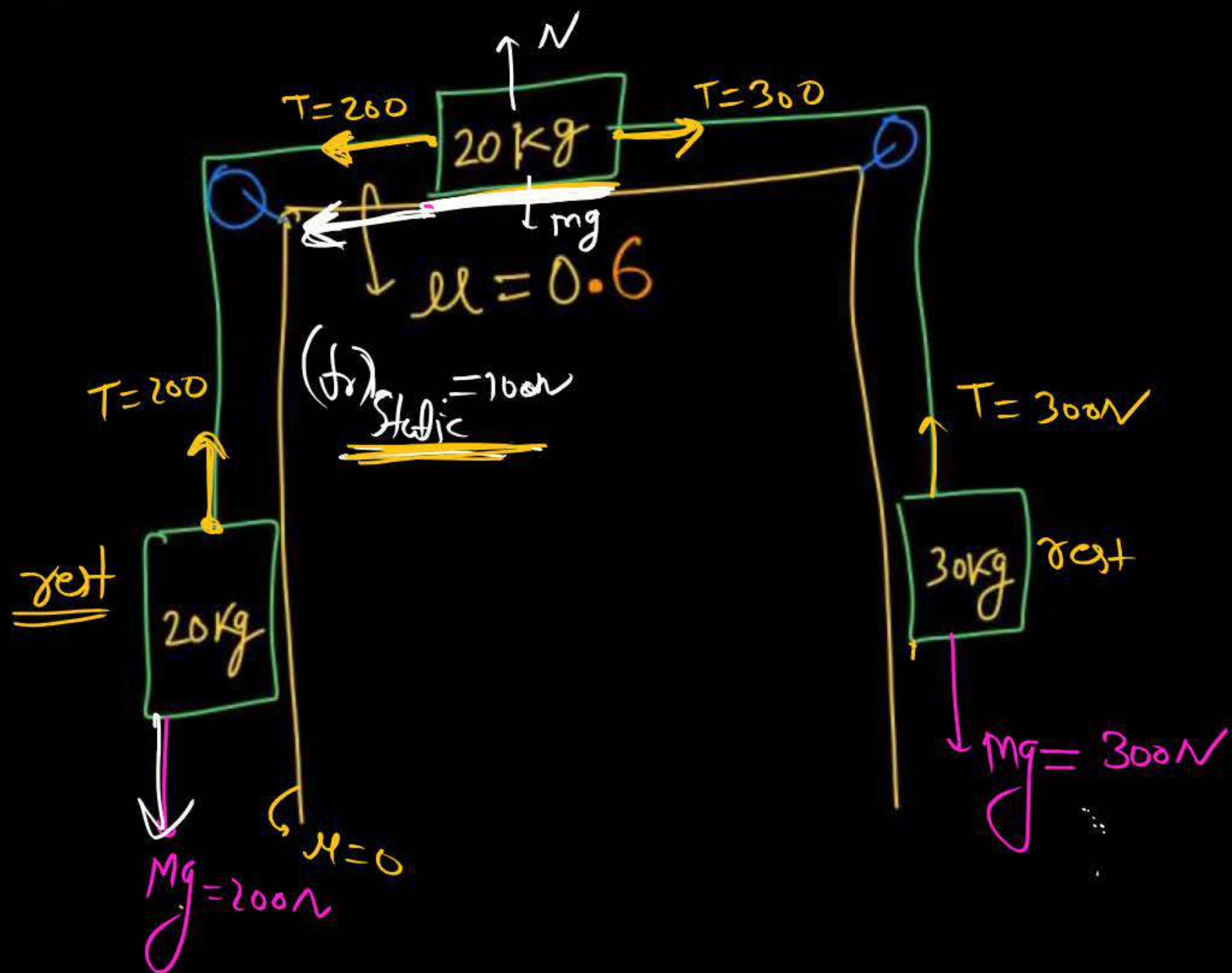
1  $\frac{(m_2 + \mu_k m_1)g}{(m_1 + m_2)}$

2  $\frac{(m_2 - \mu_k m_1)g}{(m_1 + m_2)}$

3  $\frac{m_1 m_2 (1 + \mu_k)g}{(m_1 + m_2)}$

4  $\frac{m_1 m_2 (1 - \mu_k)g}{(m_1 + m_2)}$

n/w ① find acc<sup>n</sup>



Sol<sup>n</sup>

$$f_{\text{limit}} = \mu N$$

$$= \frac{6}{10} \times 200$$

$$f_{\text{lim}} = 120N$$

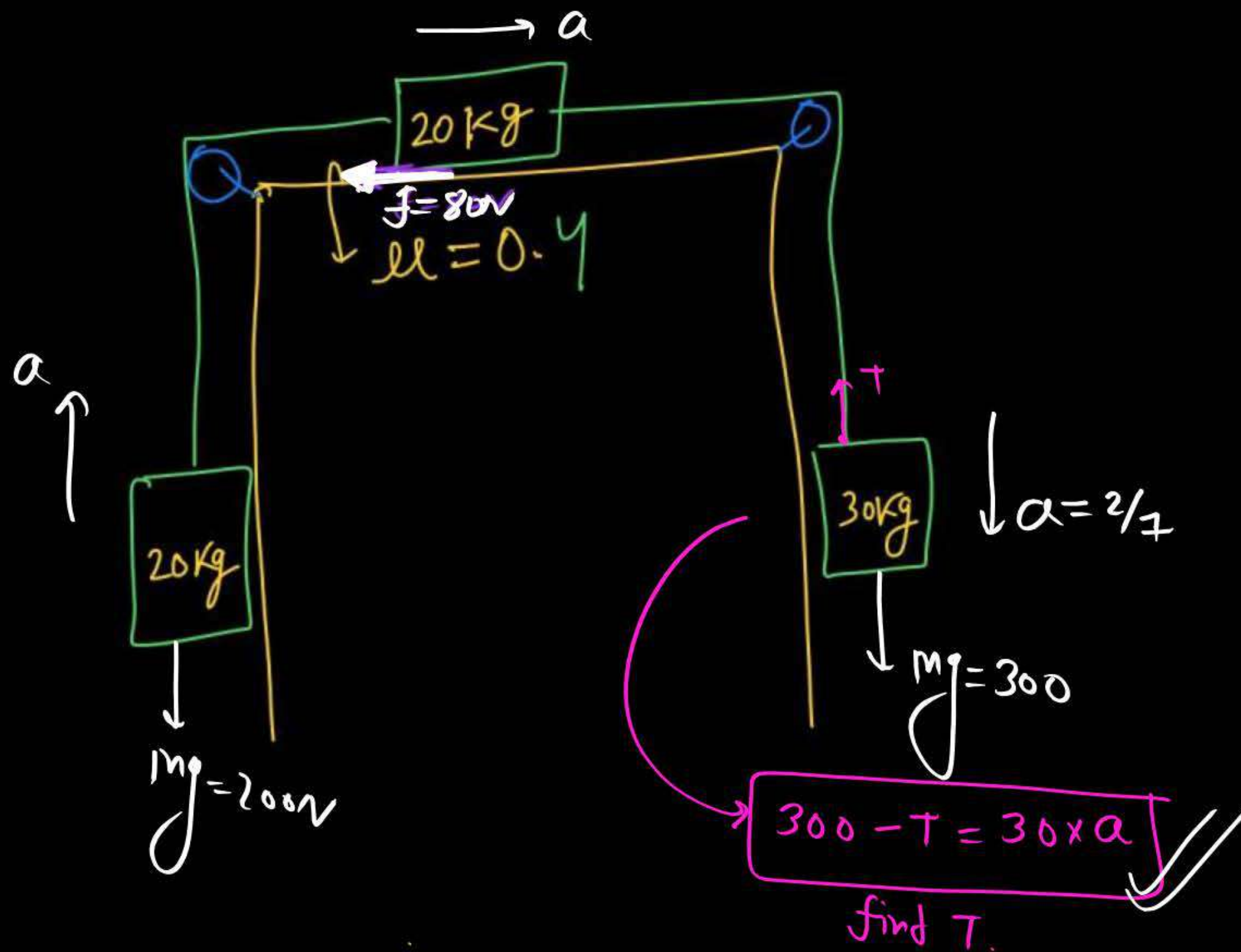
$$F_{\text{net on block}} = 300 - 200 = 100N$$

$$a = 0$$

friction = 100  
net force = 0  
acc = 0



② H/w find acc<sup>n</sup>??



Sol<sup>n</sup>

$$f_{\text{limiting}} = \mu N$$

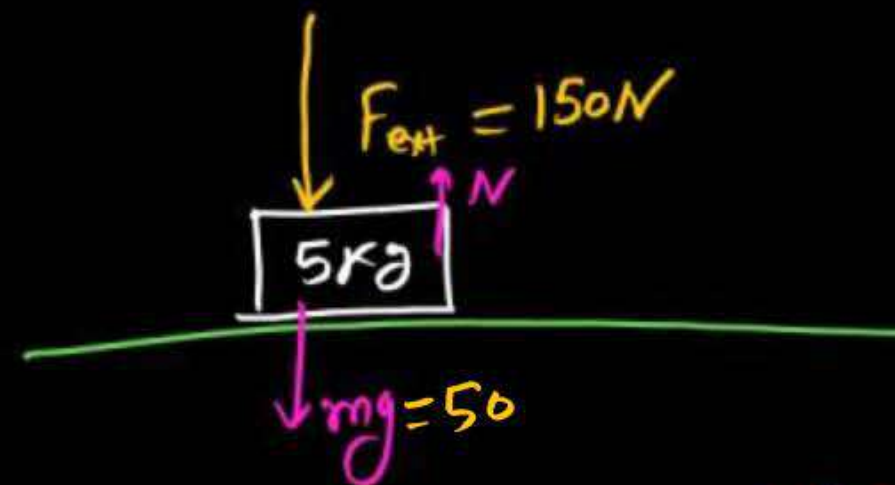
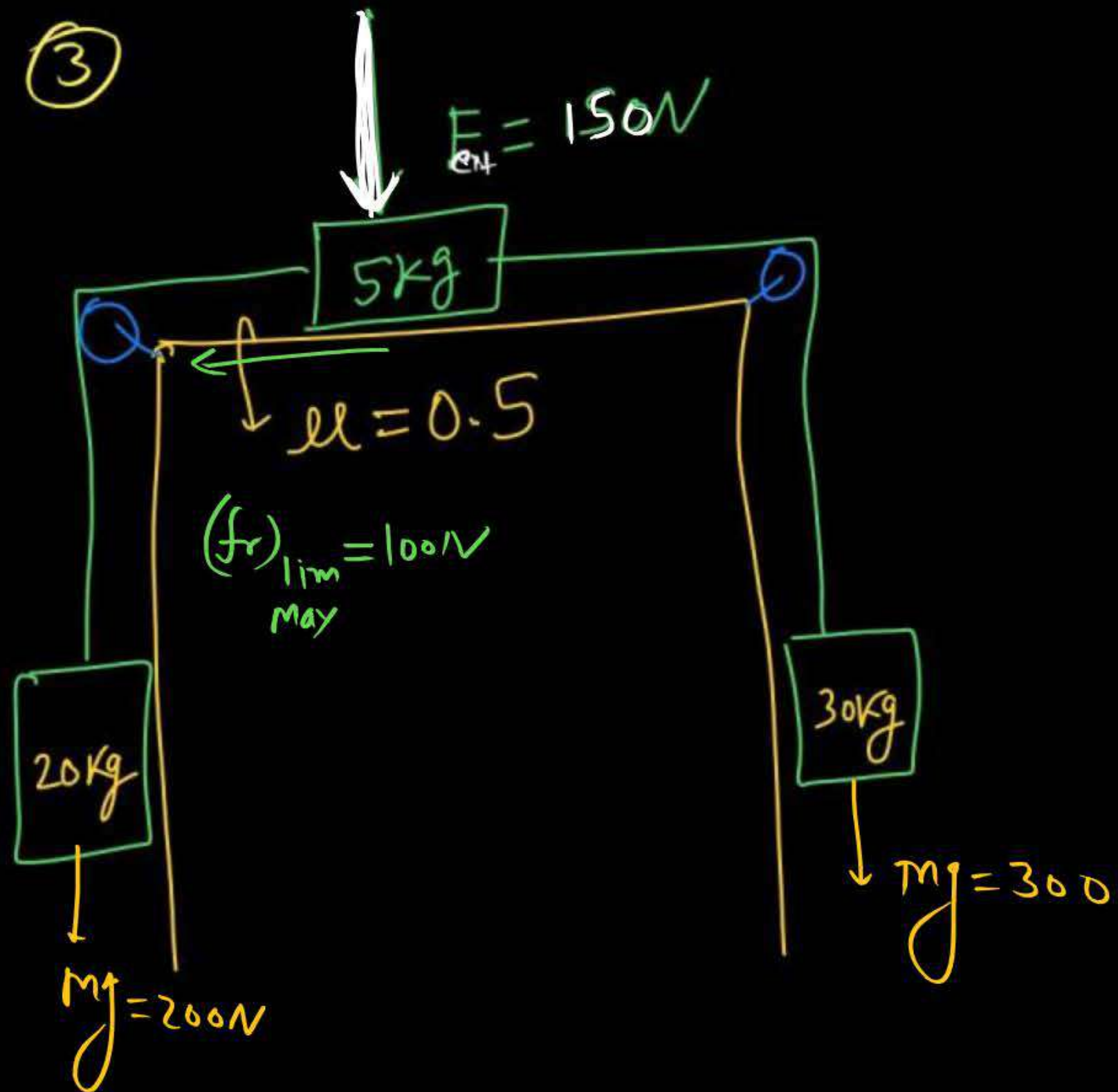
$$= \frac{4}{10} \times 200$$

$$= 80\text{N} \checkmark$$

$$a = \frac{300 - 80 - 200}{70}$$

$$= \frac{20}{70} = \frac{2}{7} \text{ m/s}^2$$

③



$$N = mg + F_{ext}$$

$$N = 150 + 50$$

$$N = 200N$$

$$f_{lim} = \mu N$$

$$= \frac{5}{10} \times 200$$

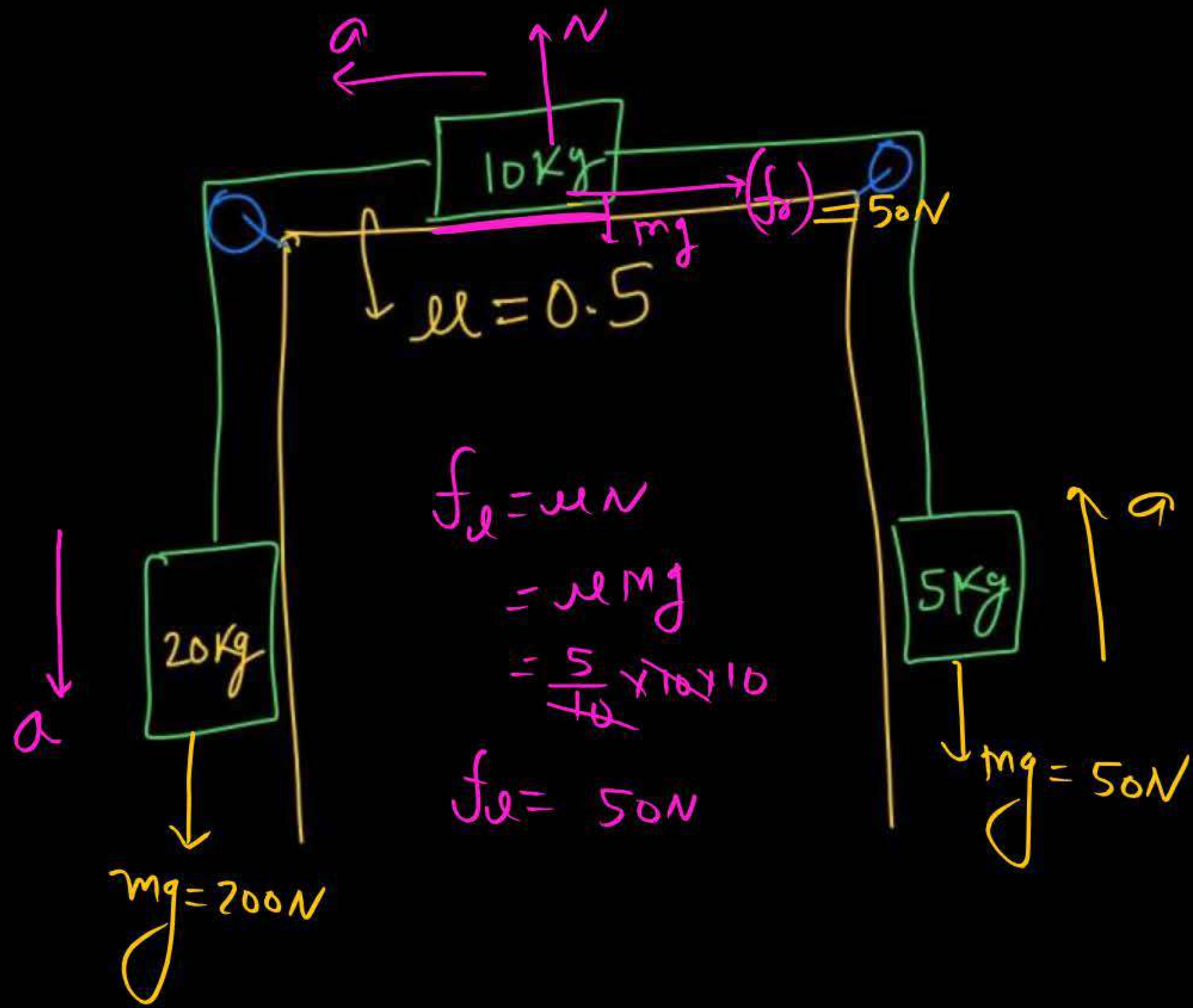
$$f_{lim} = 100N$$

$$acc^n = 0$$

Ans



⑤ H/w

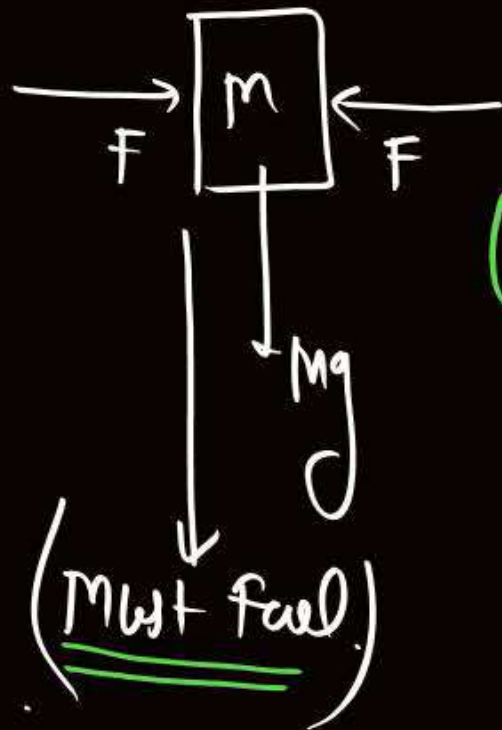
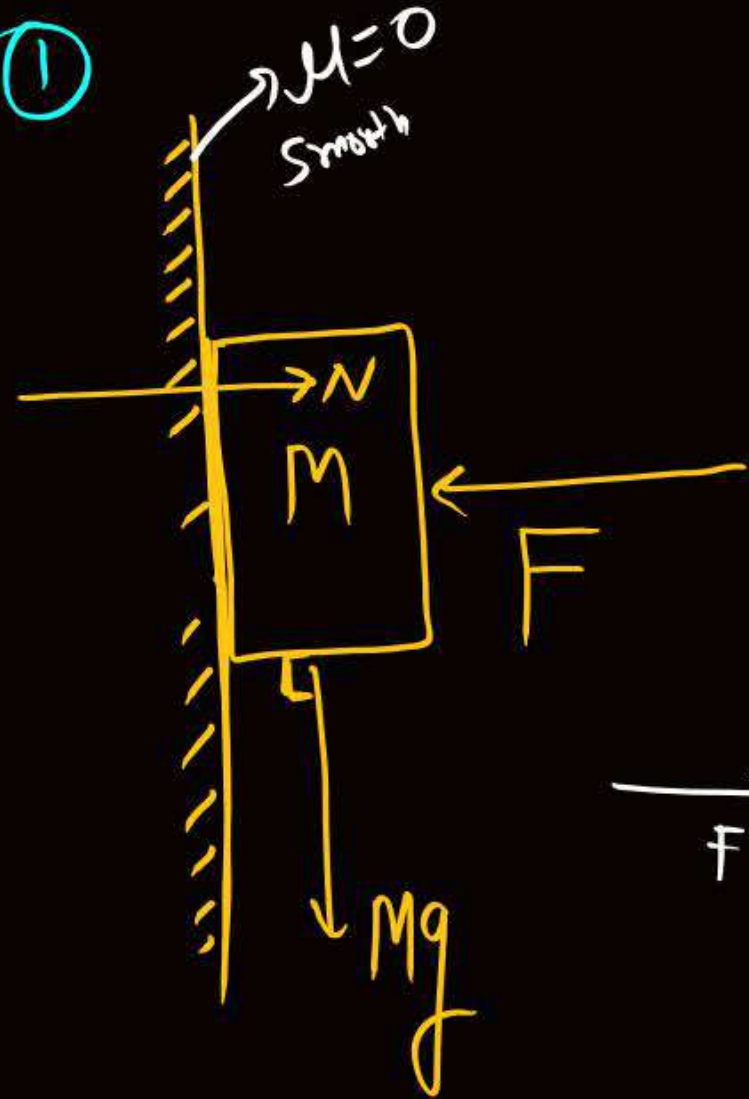


$$a = \frac{200 - 50 - 50}{35}$$

$$= \frac{100}{35} = \frac{20}{7} \text{ m/s}^2$$

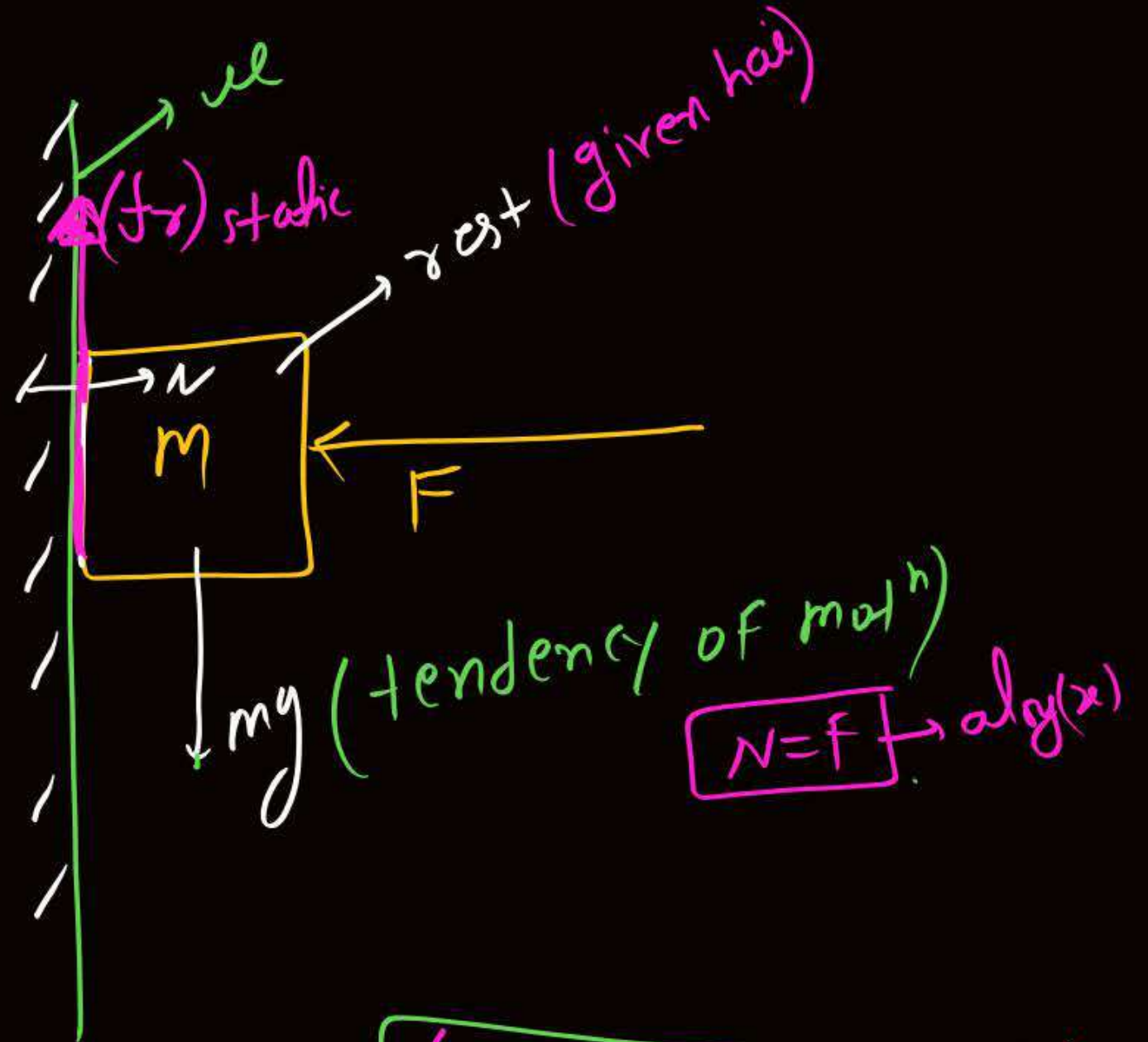
# # friction on vertical surface

①



$$N = F$$

②



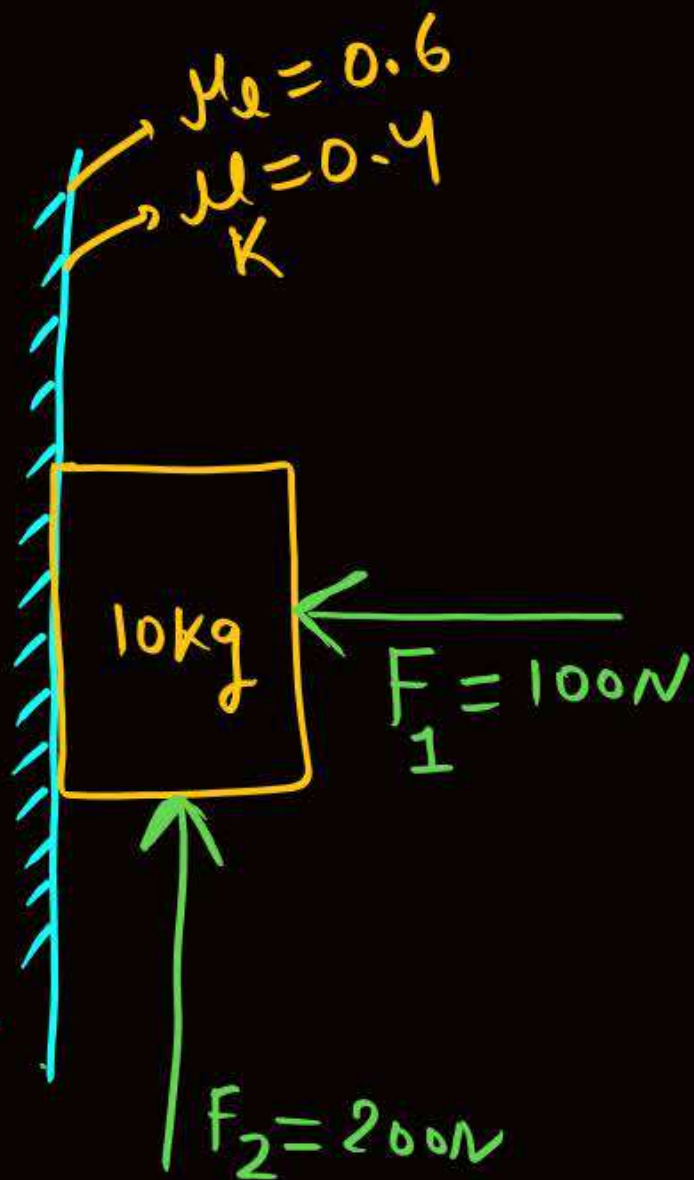
$$(f_s)_{\text{static}} = mg \quad \text{Ans}$$

$$(f_s)_{\text{lim}} = \mu N = (\mu F) \quad \text{अधिक}$$

Maximum friction



3



find acc<sup>n</sup> of this object: ✓

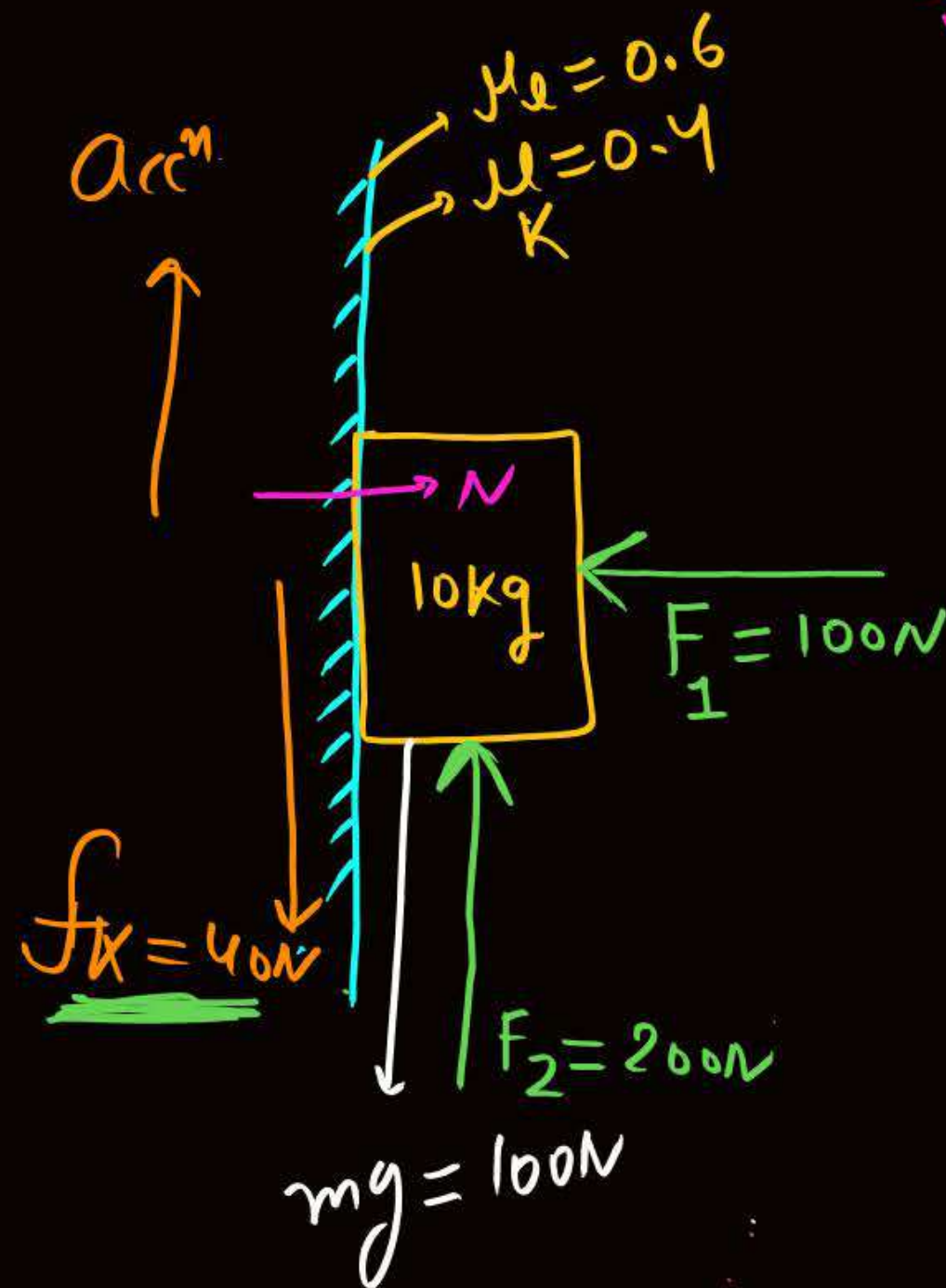
Sol<sup>n</sup>

$$a = \frac{200 - 100 - 40}{10}$$

$$= \frac{60}{10}$$

$a = 6\text{m/s}^2$   
upward

$\uparrow 200\text{N}$   
 $\downarrow 100\text{N} = mg$   
 $\downarrow fr = 40\text{N}$



$$f_{\text{limit}} = \mu N$$

$$= \mu_s F_1$$

$$= \frac{6}{10} \times 100$$

$$= 60\text{N}$$

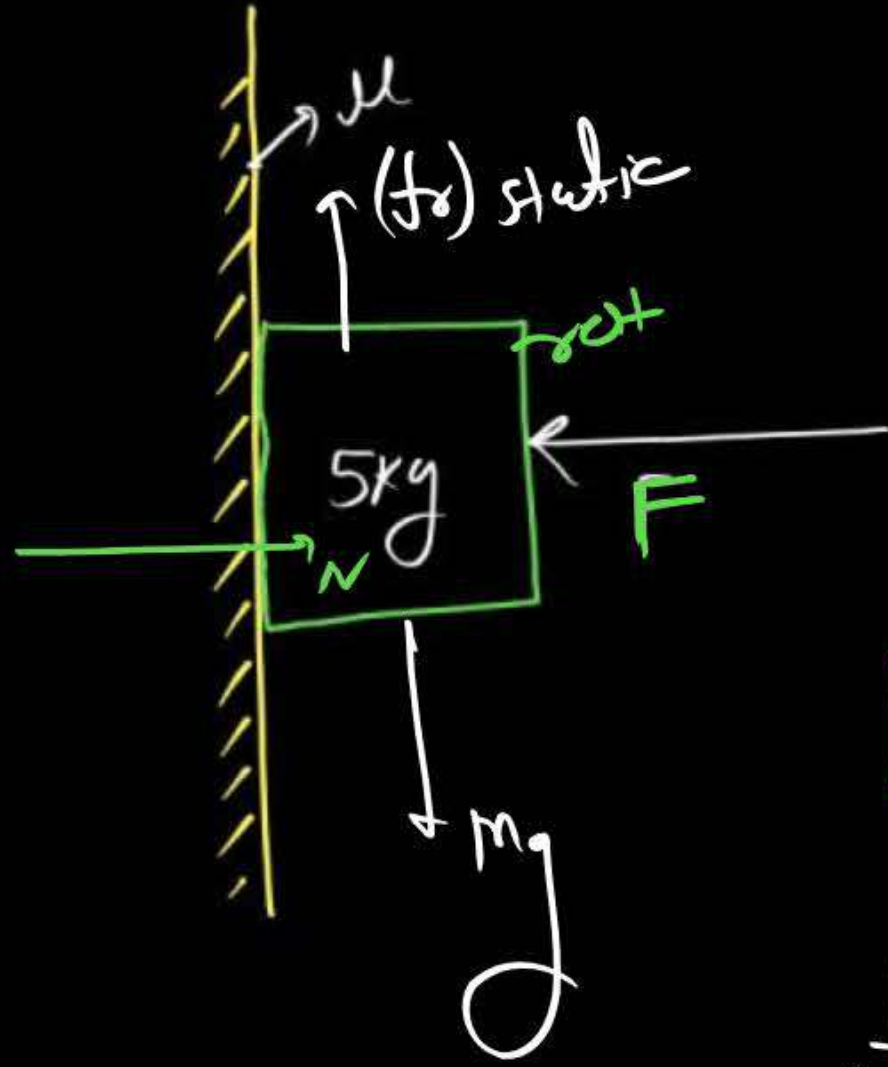
$$f_{\text{kin}} = \mu_k N$$

$$= \mu_k F_1$$

$$= \frac{4}{10} \times 100$$

$$= 40\text{N}$$

④



object is at rest in given fig! —  
then find (i) normal by wall  
on object

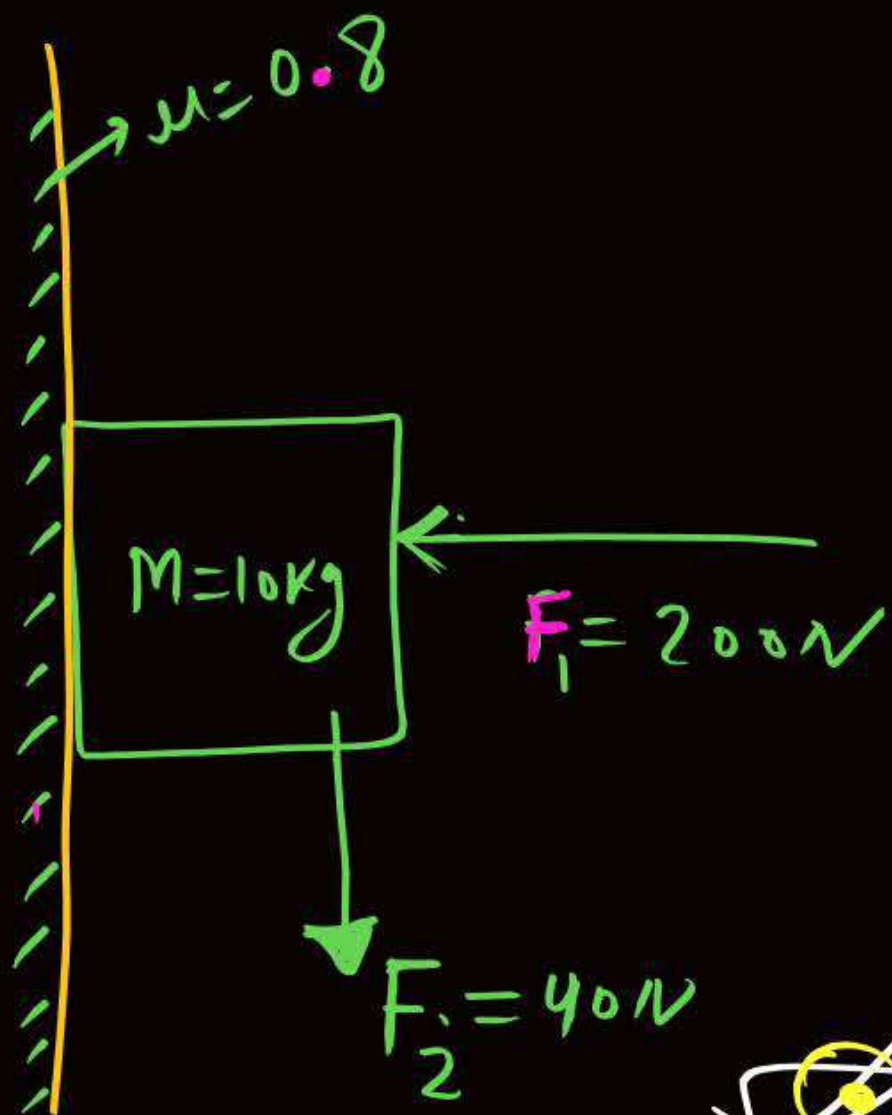
(ii) friction force on 5kg.

$N = F$  ✓  $A_0$

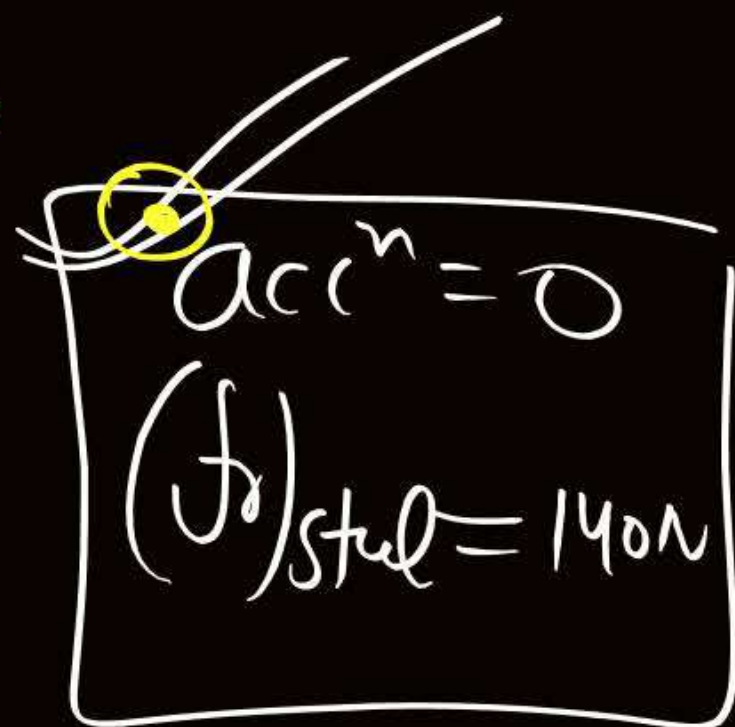
$$f_{\text{static}} = mg = 50 \underline{\underline{N}}$$



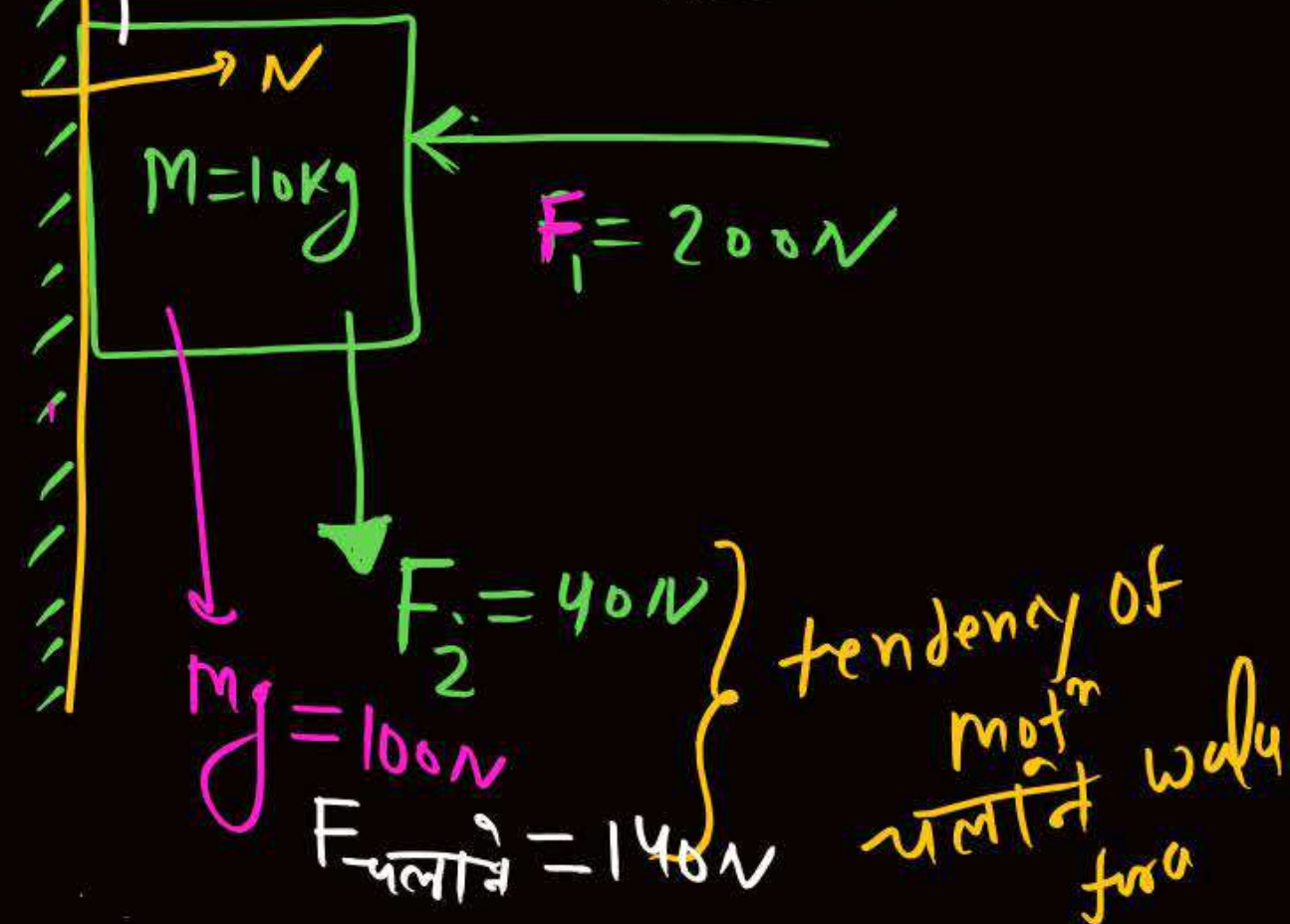
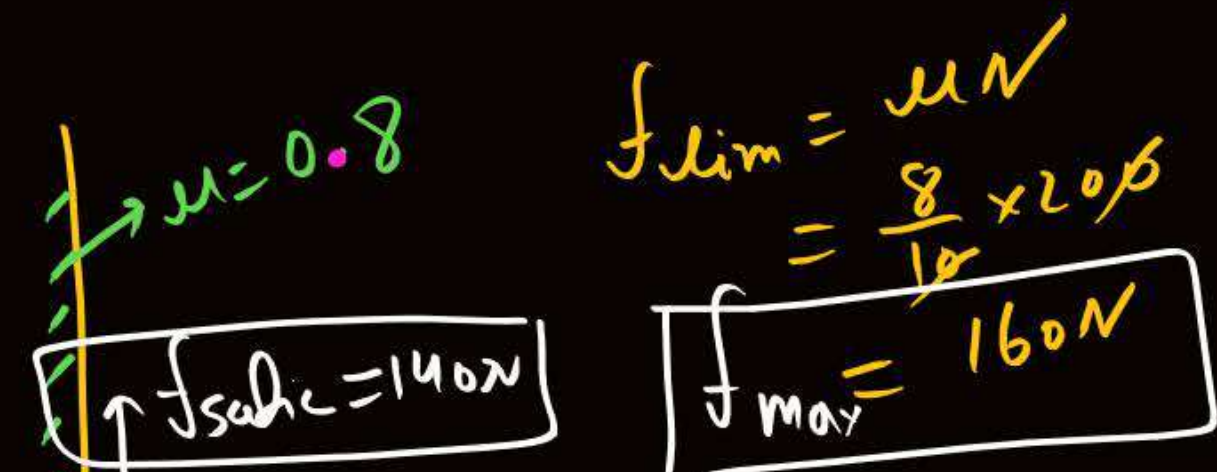
⑤



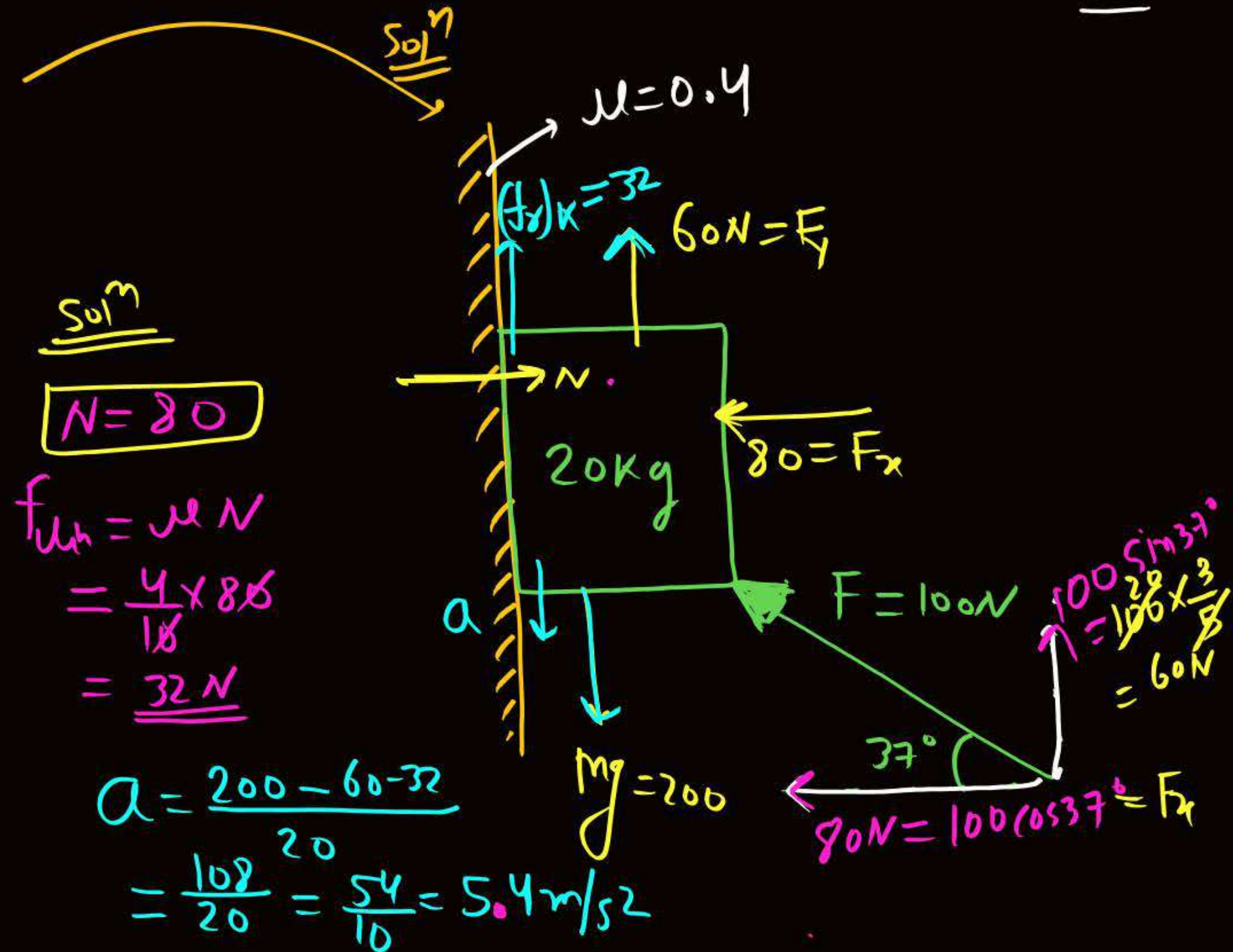
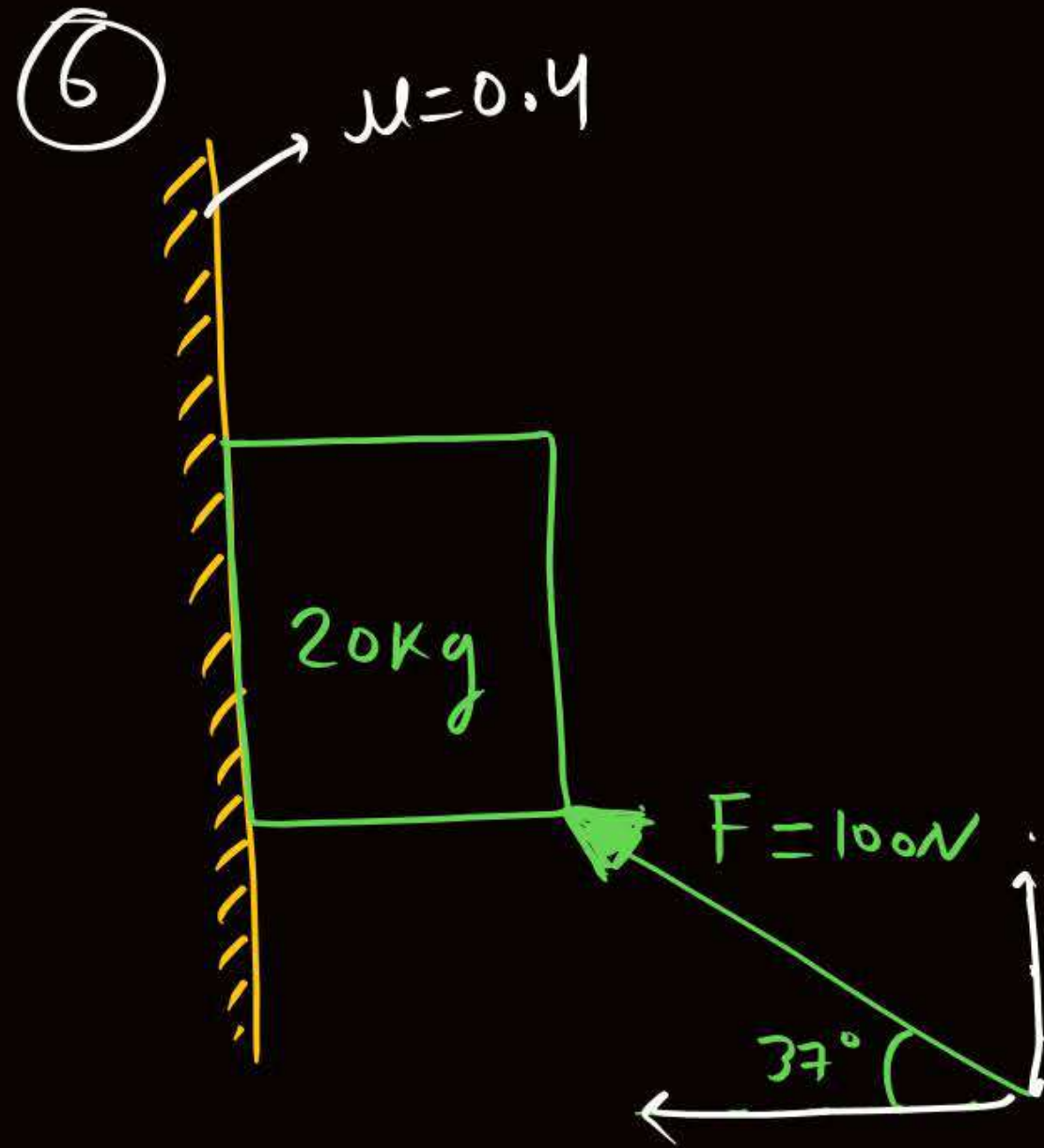
Sol<sup>n</sup>



find friction & acc<sup>n</sup> acting on object.



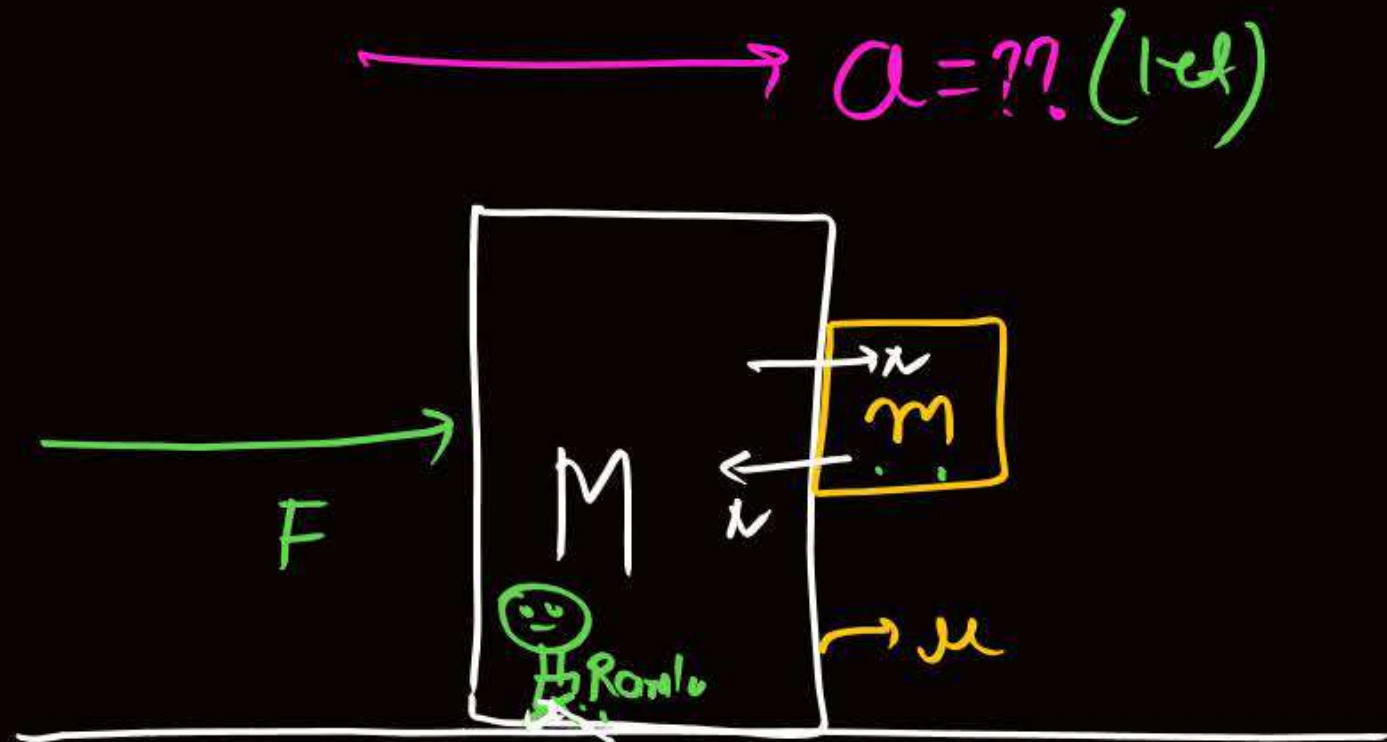
find acc<sup>n</sup> & friction.





(NEET) 7

find minimum acc<sup>n</sup> of this system  
so that block of  $m$  mass  
does not slide on  
wedge.



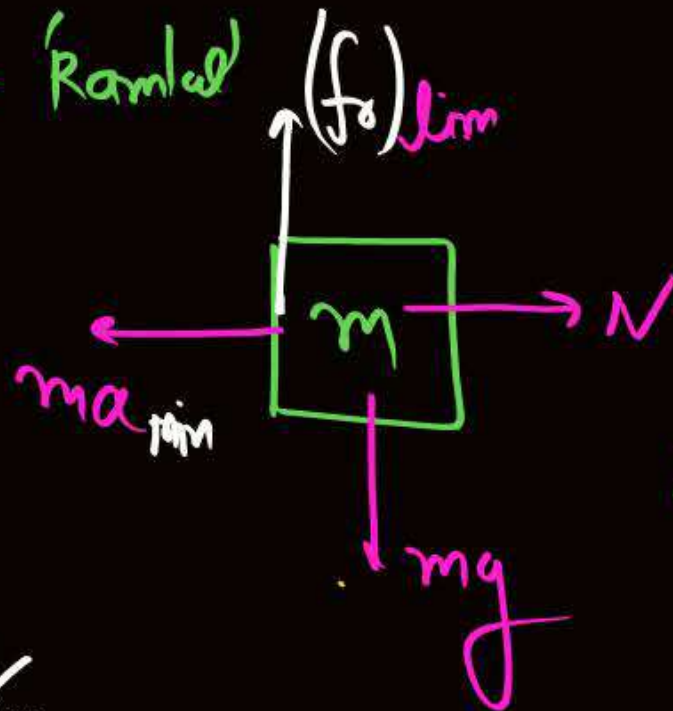
Sol<sup>n</sup>

FBD of Block w.r.t 'Ramble'  $(f_r)_{lim}$

$$acc^n \geq \frac{g}{\mu}$$

$$acc_{min}^n = \frac{g}{\mu}$$

$$F_{min force} = (M+m)a_{min} = (M+m)\frac{g}{\mu}$$

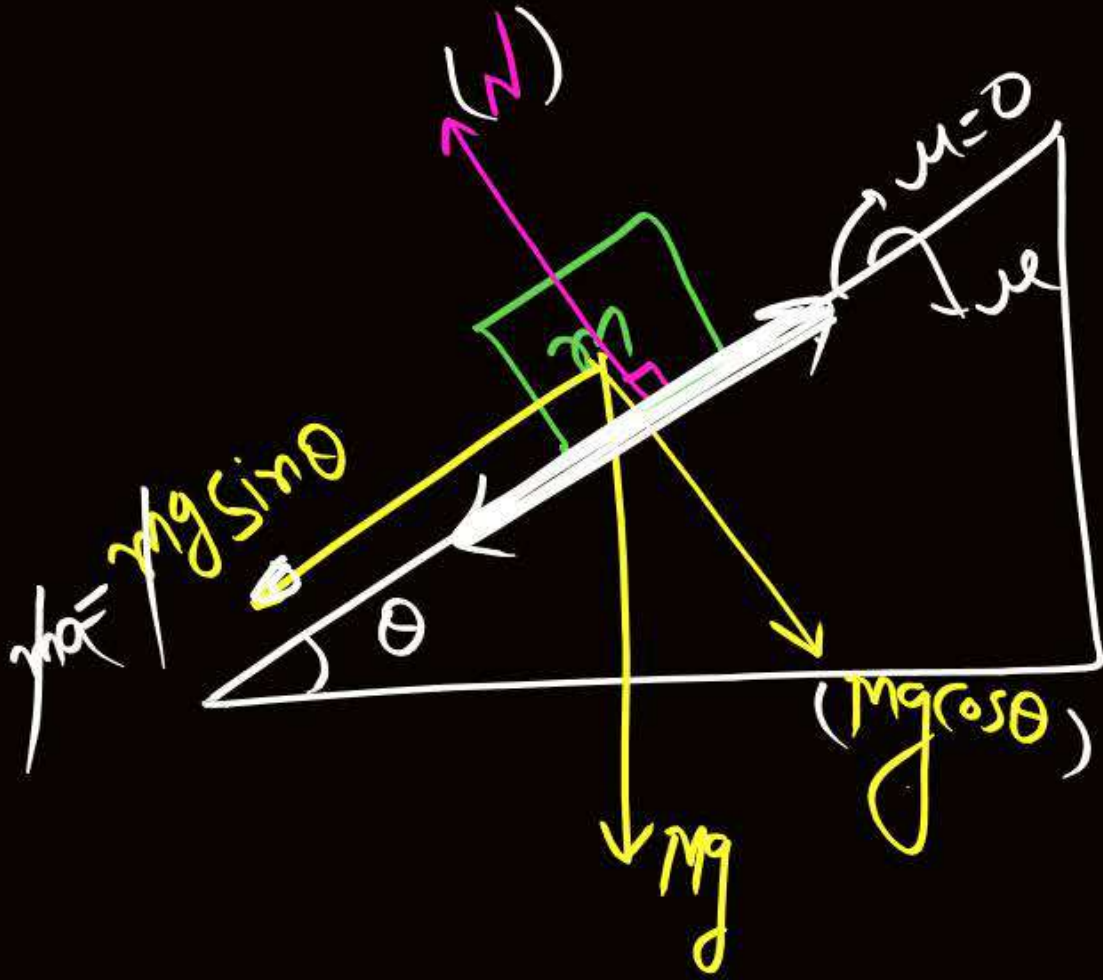


$$N = ma \quad \text{--- ①}$$

$$(f_r)_{lim} = mg$$
$$\mu N = mg$$
$$\mu ma_{min} = mg$$

$$a_{min} = \frac{g}{\mu}$$

## Friction on Inclined Plane (fixed)

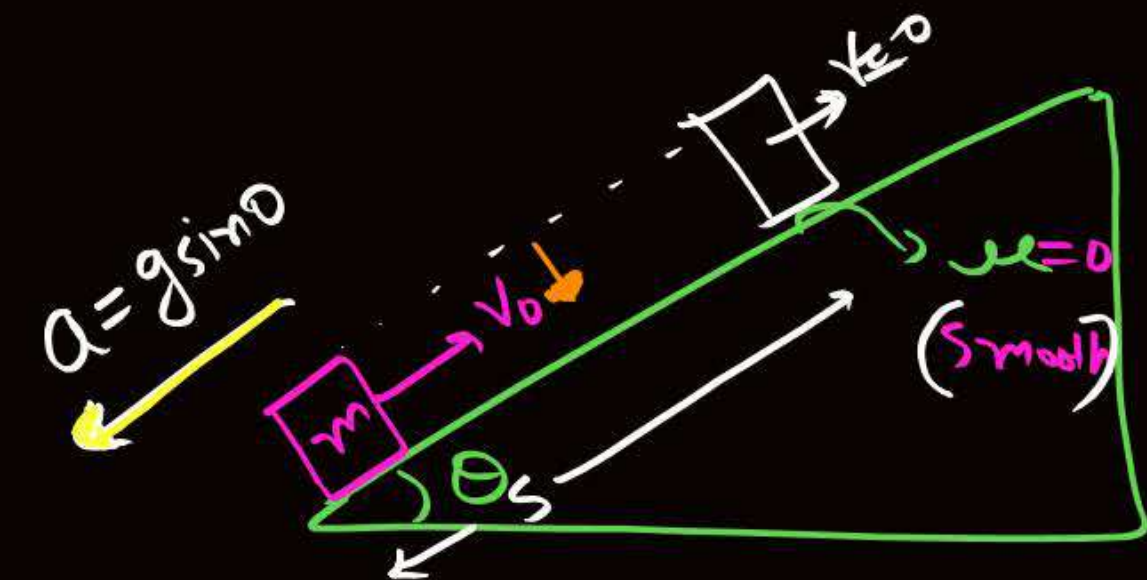


$\perp$  to inclined

$$N = mg \cos \theta \quad \text{--- (1)}$$



### Case-1 (MEET)



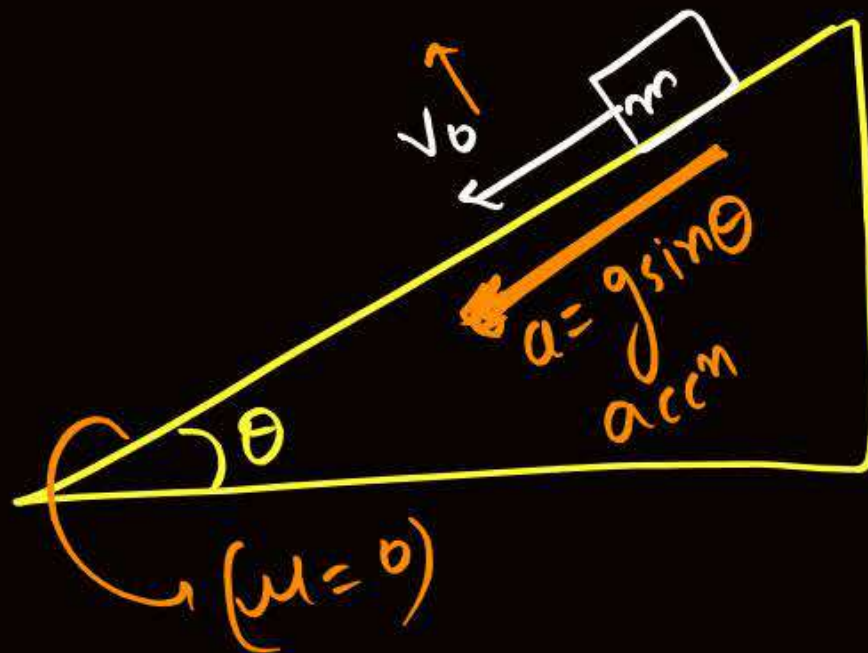
## Stopping dist<sup>n</sup> along Inclined Plane =  $\frac{V_0^2}{2(g \sin \theta)}$

time after which object will stop.

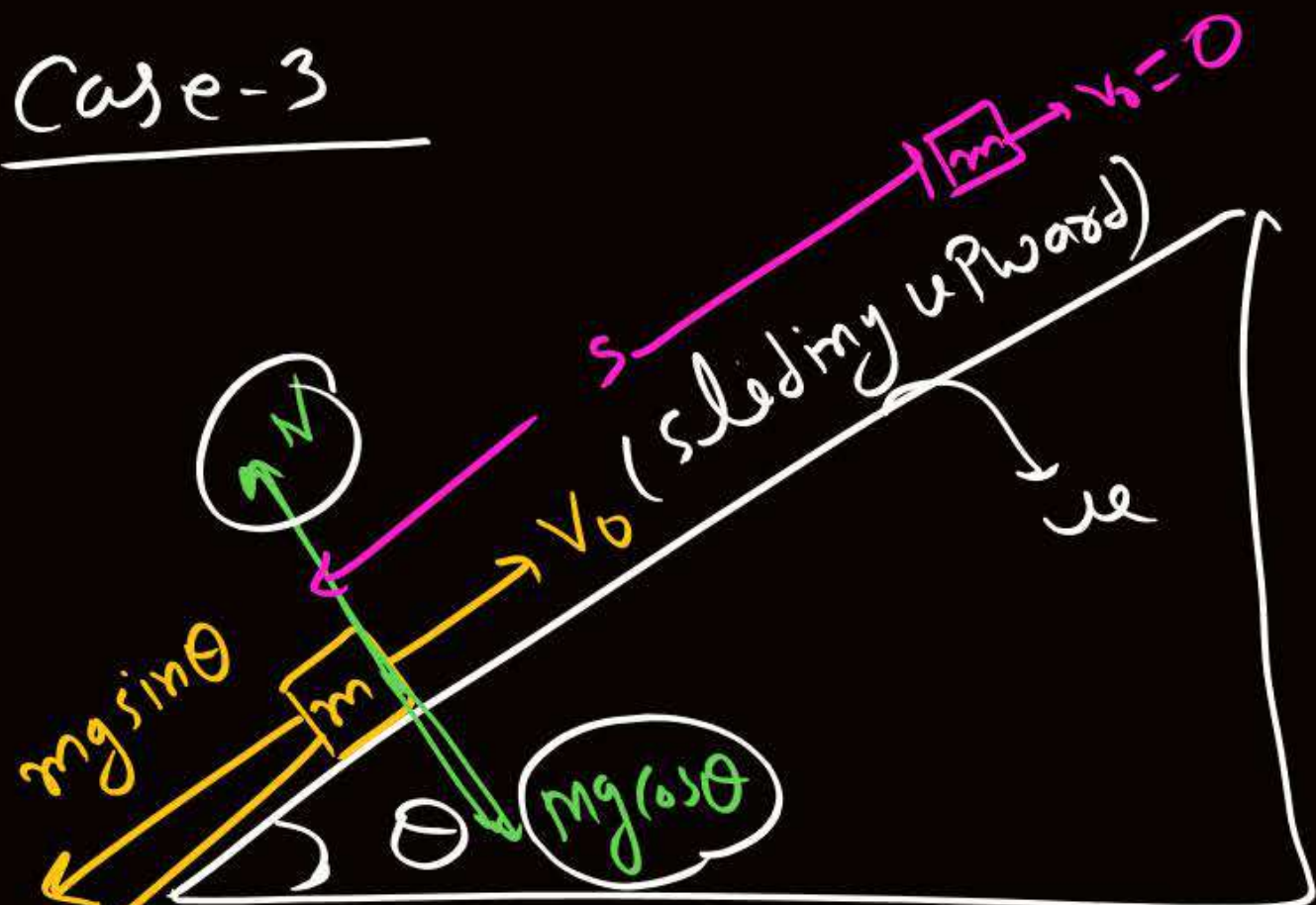
$V - u = at$   
 $-V_0 = -g \sin \theta t$

$t = \frac{V_0}{g \sin \theta}$

### Case-2



Case-3



$f = \mu N$   
 $(f)_{\text{kind}} = \mu mg \cos \theta$

$\{ F_{\text{net}} = mg \sin \theta + \mu mg \cos \theta \}$  along Inclined Plane

$ma = m(g \sin \theta + \mu g \cos \theta)$

$a = g(\sin \theta + \mu \cos \theta)$   
 Ince, down the

$$s = \frac{v_0^2}{2g(\sin \theta + \mu \cos \theta)}$$

①  $\mu R^*$   $gf(\mu=0)$

$$s = \frac{v_0^2}{2g \sin \theta}$$

②  $\mu R^*$

$gf \theta = 90^\circ$   
 $\left\{ s = \frac{v_0^2}{2g} \right\}$



## Question

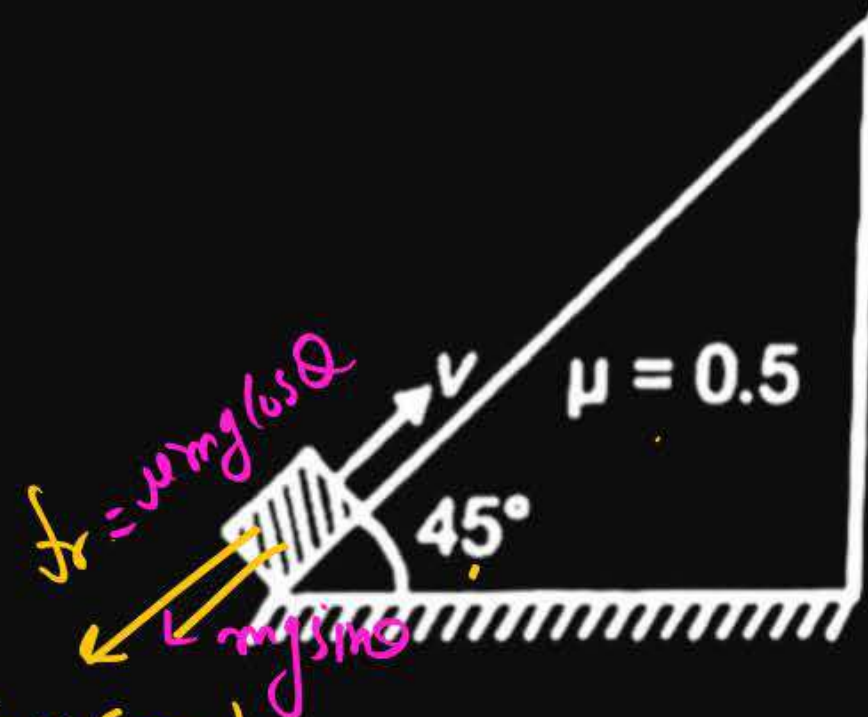
A block of mass 1 kg is projected from the lowest point up along the inclined plane. If  $g = 10 \text{ ms}^{-2}$ , the retardation experienced by the block is

1  $\frac{15}{\sqrt{2}} \text{ ms}^{-2}$  (Ans)

2  $\frac{5}{\sqrt{2}} \text{ ms}^{-2}$

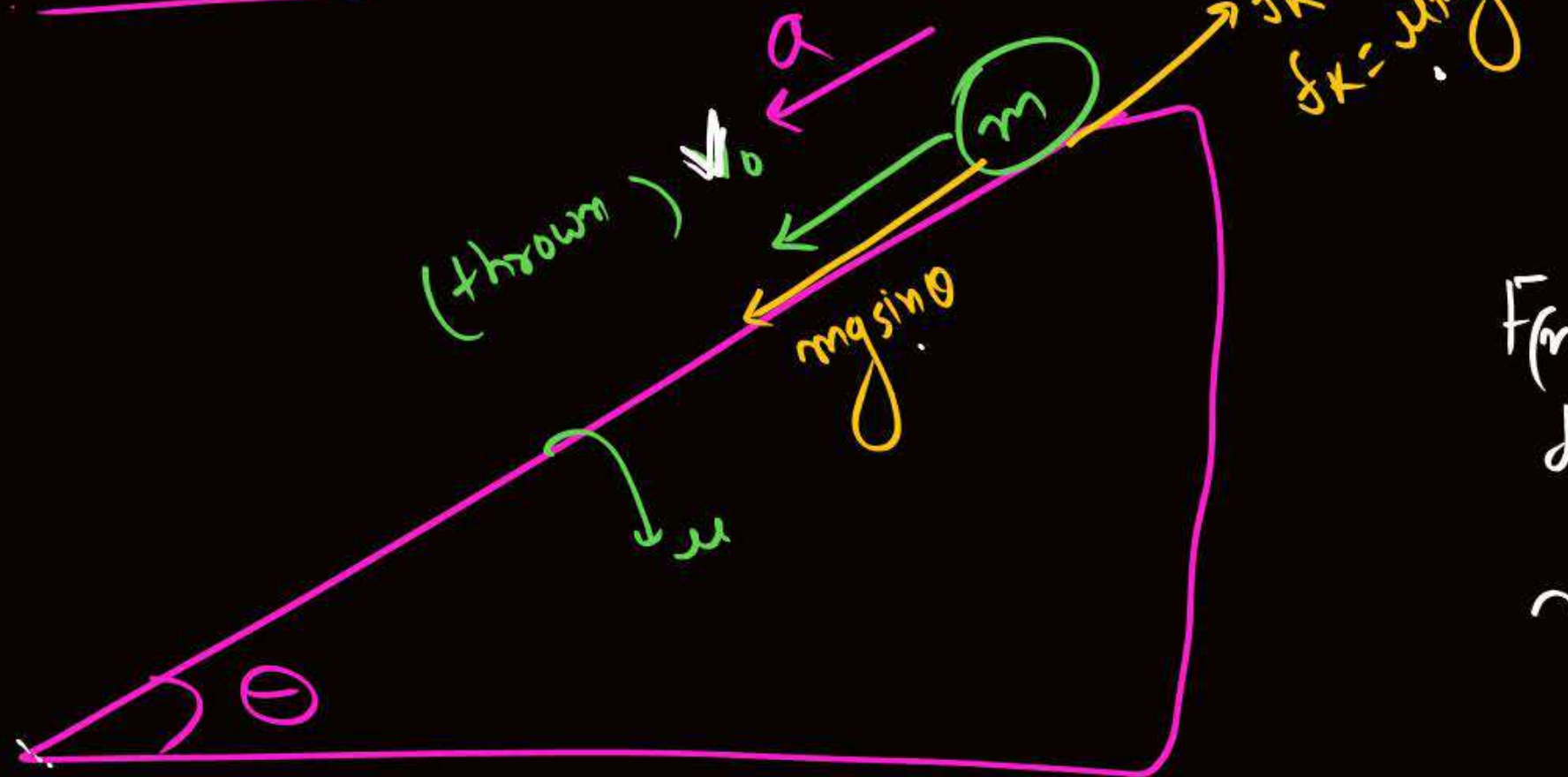
3  $\frac{10}{\sqrt{2}} \text{ ms}^{-2}$

4 Zero



$$a = g(\sin\theta + \mu\cos\theta)$$
$$= 10 \left[ \sin 45^\circ + \frac{1}{2} \cos 45^\circ \right] = 10 \left[ \frac{1}{\sqrt{2}} + \frac{1}{2} \times \frac{1}{\sqrt{2}} \right] = \frac{15}{\sqrt{2}}$$

Case-4 Object is thrown downward.



$$F_{net} = mg \sin \theta - \mu mg \cos \theta$$

down

$$\text{if } a = \text{if } g (\sin \theta - \mu \cos \theta)$$

$$\# \quad a = g (\sin \theta - \mu \cos \theta)$$

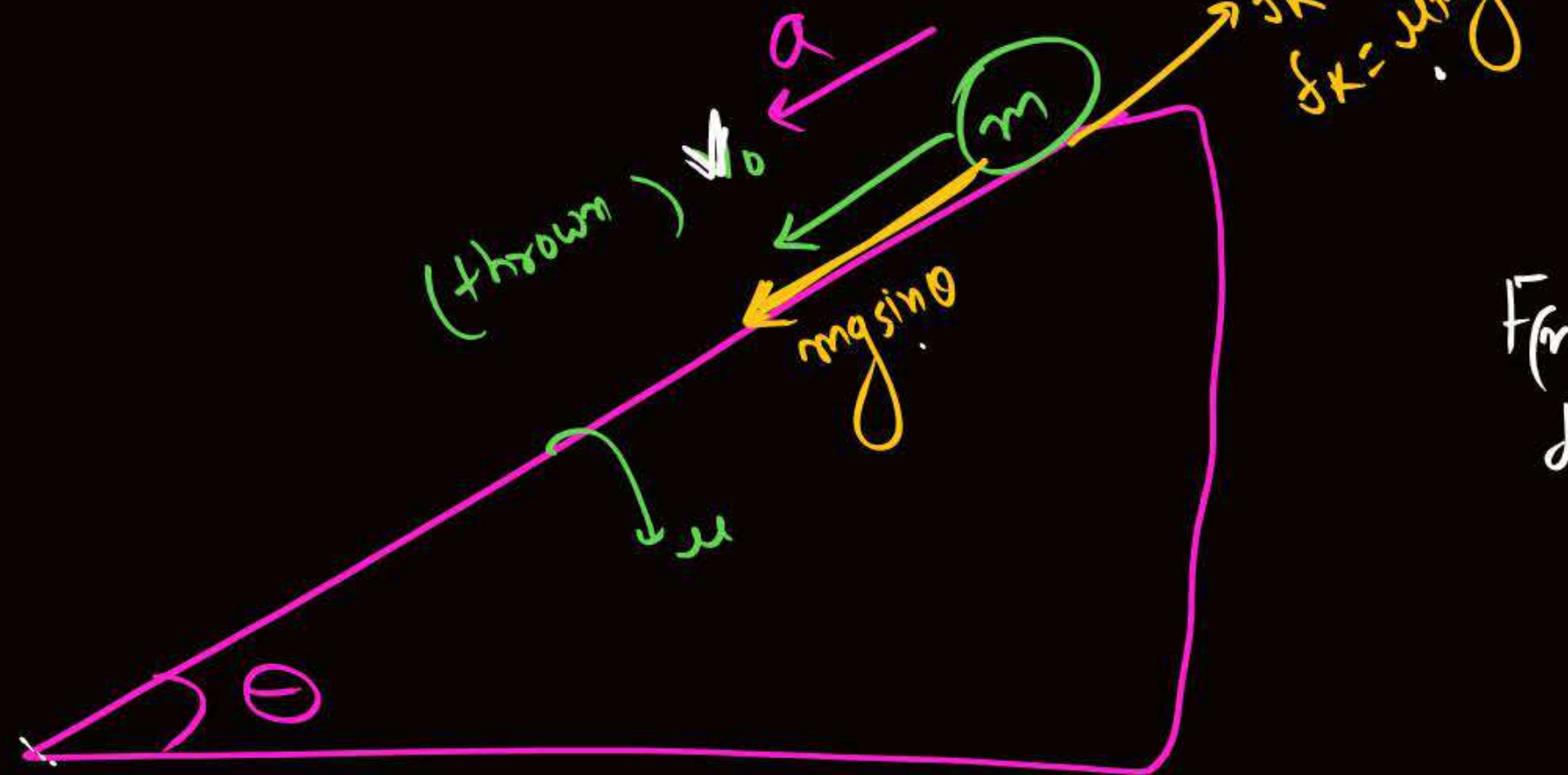
$\#$

MRX Box  
Object niche slide  
kiya to kinetic  
friction uper  $\#$



Case-5

Object is thrown downward.



$$F_{\text{net down}} = mg \sin \theta - \mu mg \cos \theta$$

$$\boxed{\text{If } mg \sin \theta = \mu mg \cos \theta}$$

$$F_{\text{net}} = 0$$

$$a = 0$$

$$V = V_0 \text{ const}^n \text{ velocity}$$

Se chalta  
rahega

MR\* Box  
Object niche slide  
kiya to kinetic  
friction uper #

## Question

If a block moving up an inclined plane at  $30^\circ$  with a velocity of 5 m/s, stops after 0.5 s, then coefficient of friction will be nearly

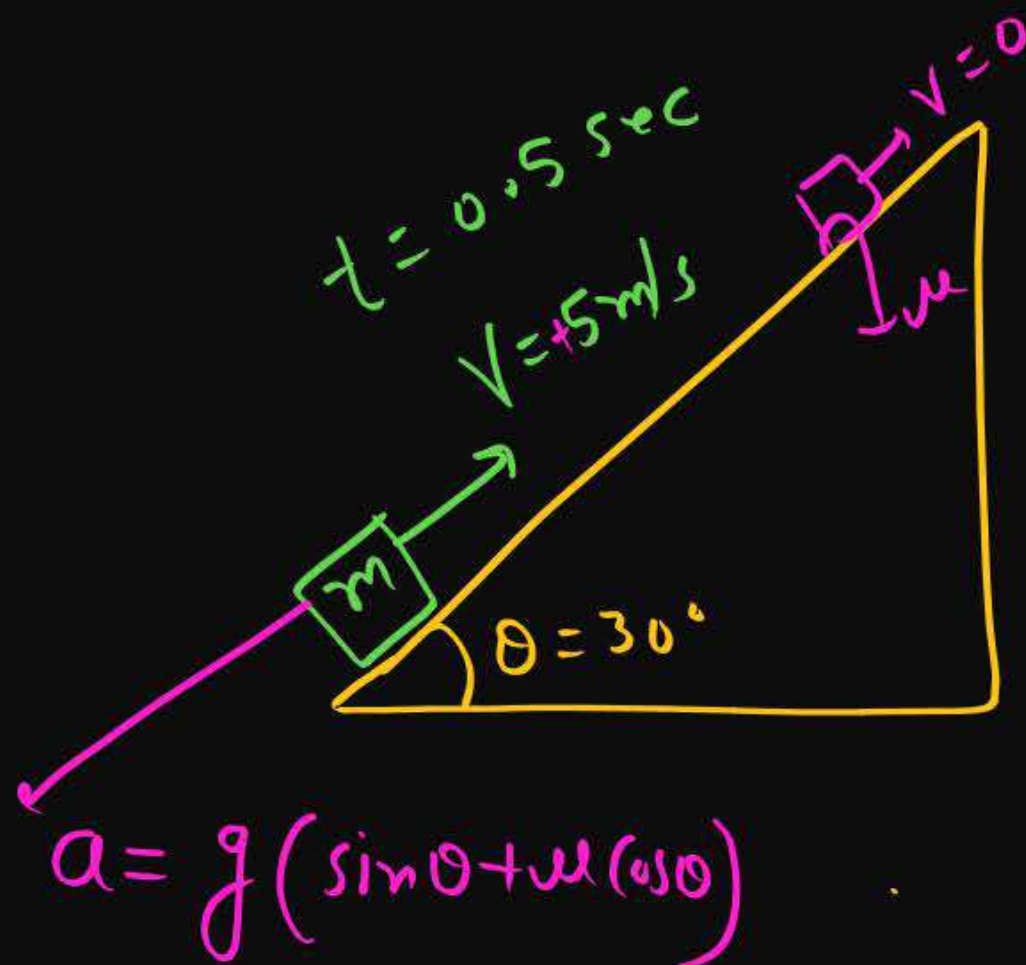
1 0.5

2 0.6 ✓

3 0.9

4 1.1

$$\frac{1}{\sqrt{3}} = \frac{1}{1.71} = 0.584$$



$$v - u = at$$
$$0 - 5 = -g(\sin\theta + \mu \cos\theta)t$$
$$\frac{5}{g} = (\sin\theta + \mu \cos\theta)t$$

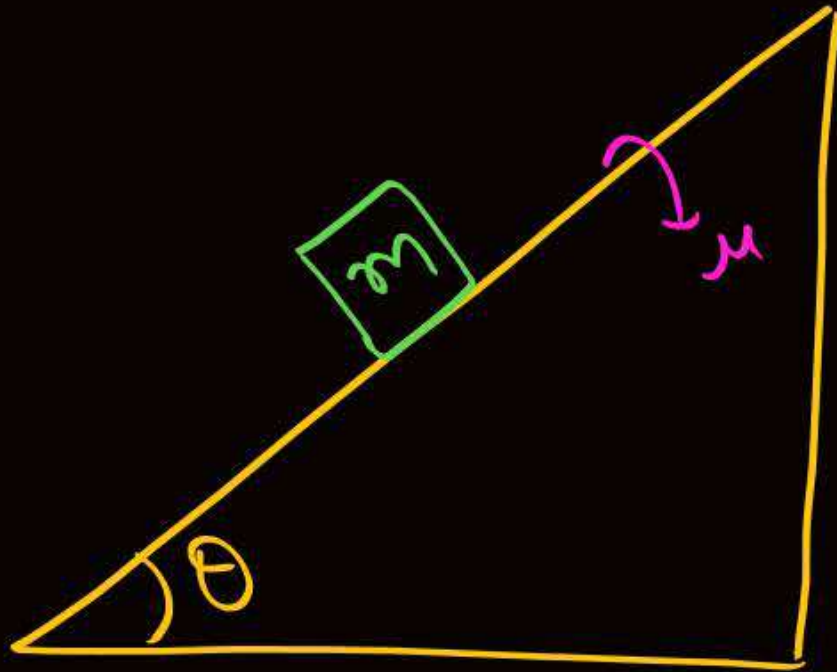
$$1 = \frac{1}{2} + \mu \frac{\sqrt{3}}{2}$$

$$1 - \frac{1}{2} = \mu \frac{\sqrt{3}}{2}$$
$$\frac{1}{2} = \frac{\mu \sqrt{3}}{2} \quad \mu = \frac{1}{\sqrt{3}}$$



Now object is released on inclined plane [Placed on inclined]

Case-1



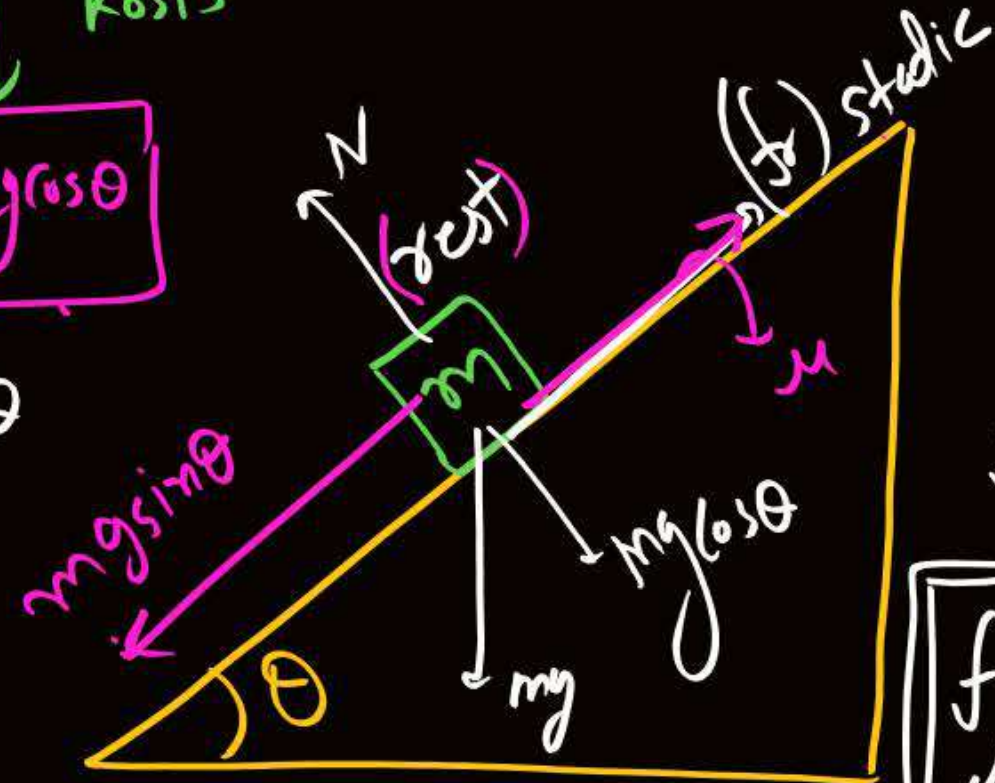
Chalne ki Kosis (tendency to move)  
 Rokne ki Kosis (tendency to stop)

$$mg \sin \theta < \mu mg \cos \theta$$

$$\sin \theta < \mu \cos \theta$$

$$\tan \theta < \mu$$

(tendency of motion)



$$N = mg \cos \theta$$

$$f_{\text{lim}} = \mu N$$

$$f_{\text{lim}} = \mu mg \cos \theta$$

Case-1

Object place (release) karne ke bad chala hi nahi

$$f_{\text{static}} = F_{\text{applied force}}$$

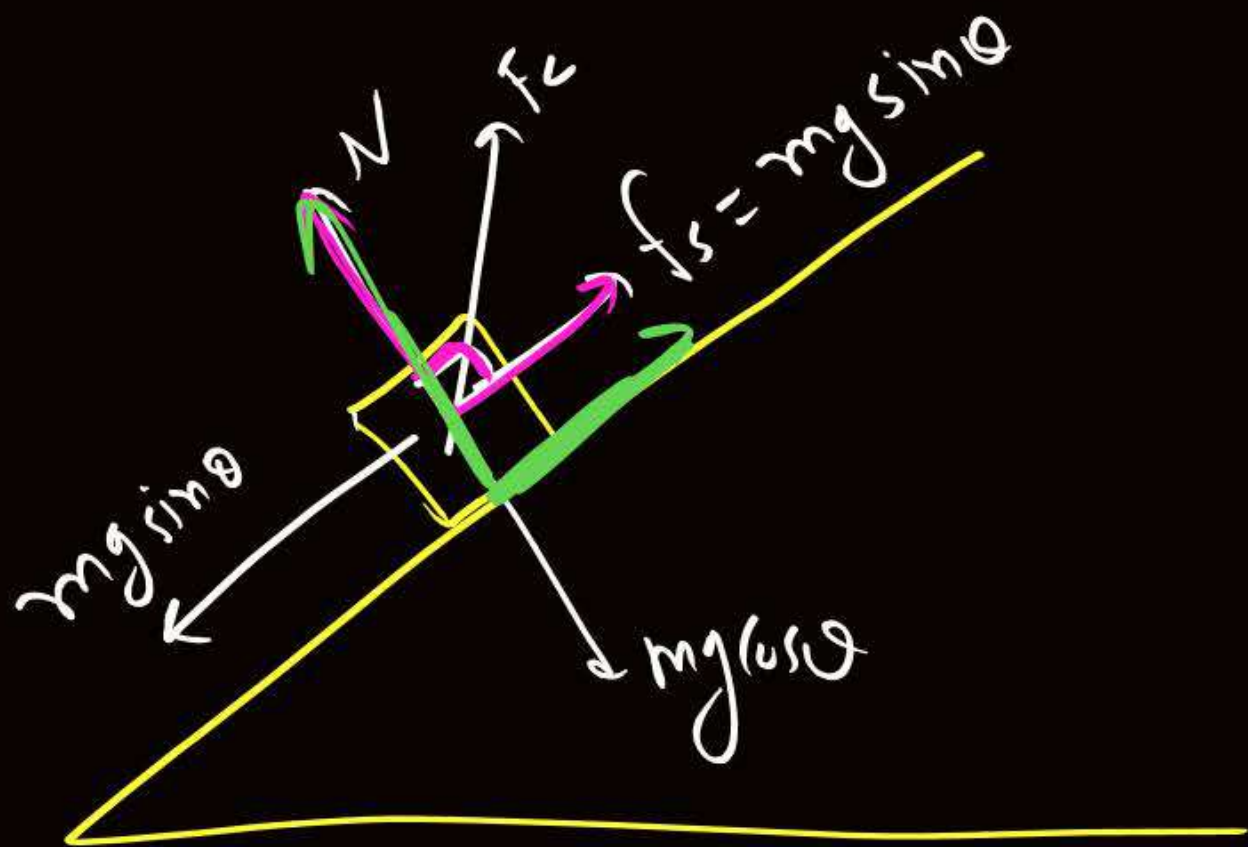
$$f_{\text{static}} = mg \sin \theta$$

$$a_{\text{net}} = 0$$

Ye Maximum friction ki value hai about to move ki condition me lagega.

friction

contact force applied by Inclined plane object  
will be : —



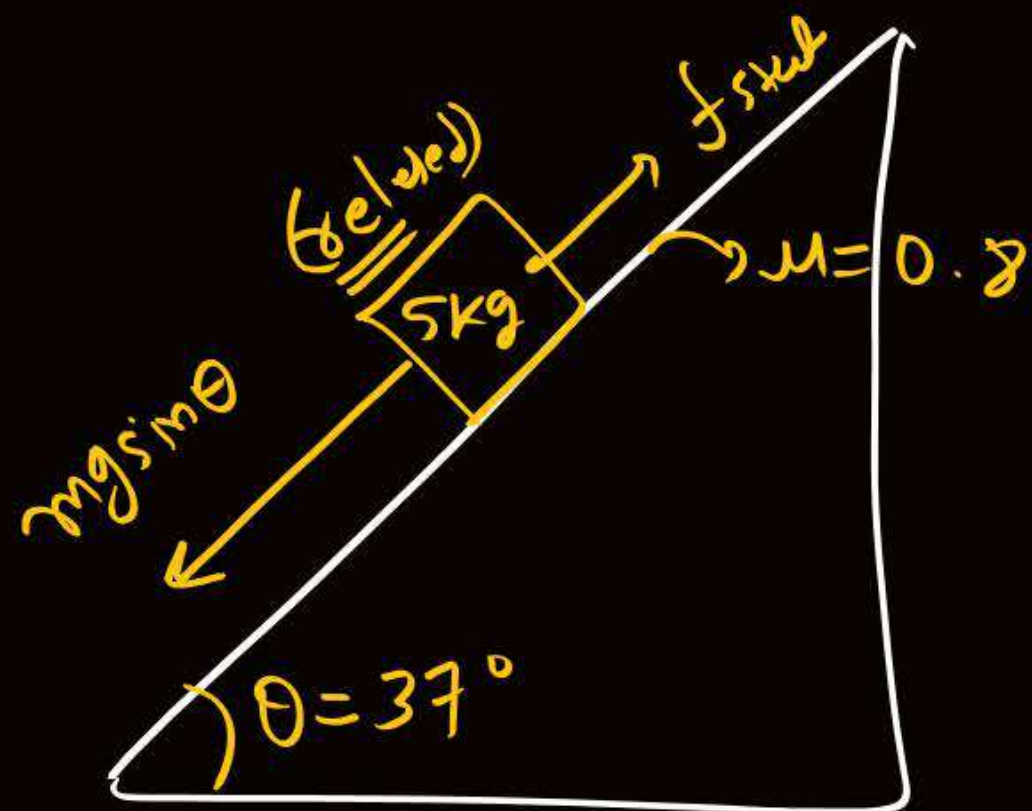
$$F_c = \sqrt{N^2 + f_s^2}$$

$$= \sqrt{(mg \cos \theta)^2 + (mg \sin \theta)^2}$$

$$= \sqrt{(mg)^2 (\sin^2 \theta + \cos^2 \theta)}$$

\*  $F_c = \sqrt{(mg)^2 \times 1} = mg$





Yes  
 $a = 0$   
 $f_{\text{static}} = mg \sin \theta = 30\text{ N}$

find acc<sup>n</sup> & spring force

#  $\frac{mR^*}{\mu} = 0.8$  ✓

$\tan \theta = \tan 37^\circ = \frac{3}{4} = 0.75$

$\tan \theta < \mu$   
 अतः  $a = 0$

#  $mg \sin \theta = 5 \times 10 \times \sin 37^\circ$   
 $= 50 \times \frac{3}{5} = 30\text{ N}$  ✓

#  $f_{\text{lim}} = \mu mg \cos \theta = \frac{8}{10} \times 5 \times 10 \times \frac{4}{5} = 32\text{ N}$   
 योक्त



max Box : when object is released on inclined plane

①  $\mu > \tan \theta$

$a = 0$

$(f)_s = \text{static} = mg \sin \theta$

②  $\mu = \tan \theta \rightarrow [mg \sin \theta = \mu mg \cos \theta]$

→ about to move ( $a = 0$ )

$\tan \theta = \mu$

$\theta = \tan^{-1}(\mu)$

Angle of Inclination at which object just about to slide.

$a = 0$

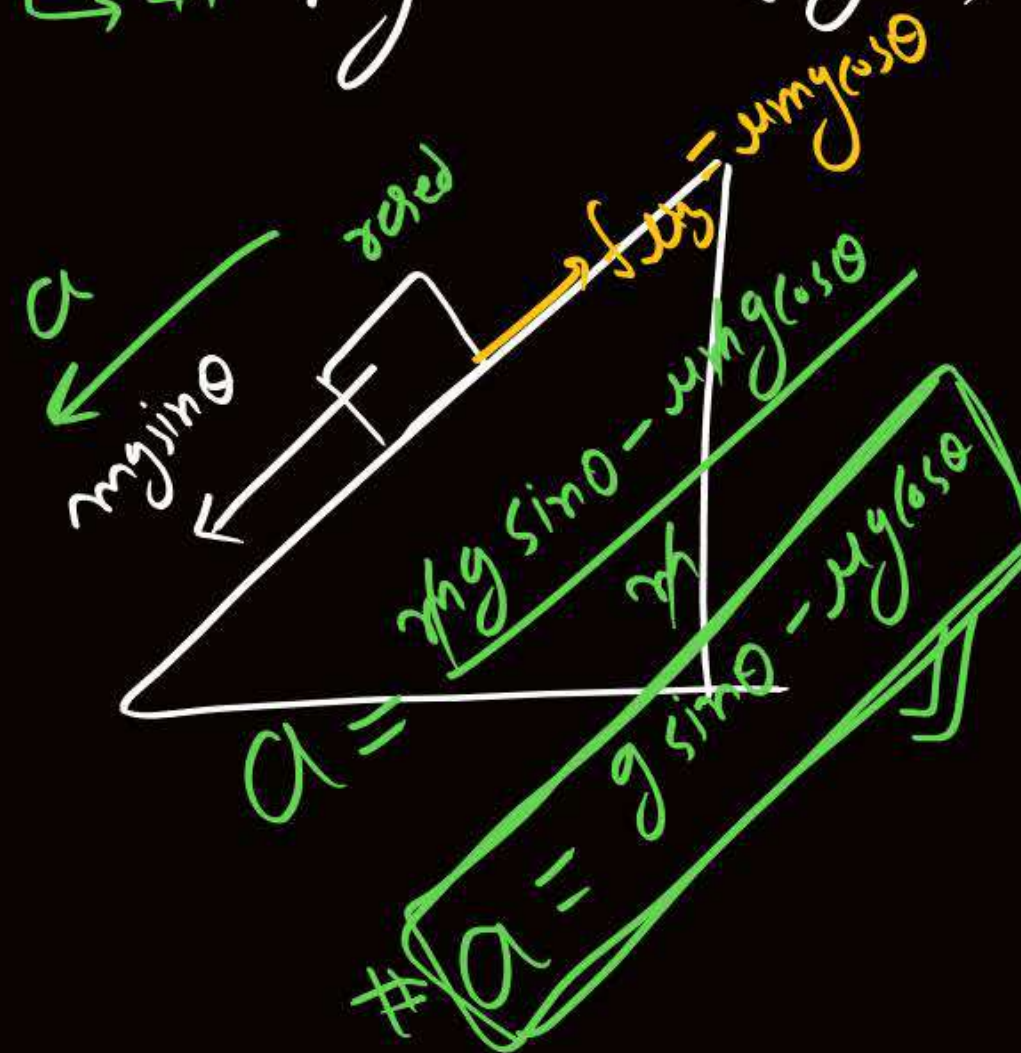
Angle of repose

$f_{\text{limit}} = \mu mg \cos \theta = mg \sin \theta$

Case-3

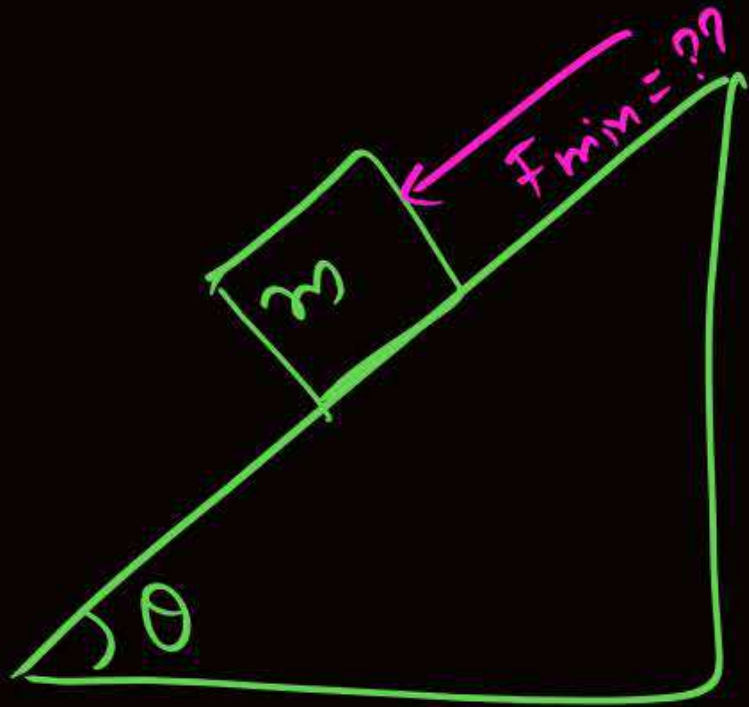
$\tan \theta > \mu$

$mg \sin \theta > (\mu mg \cos \theta)$

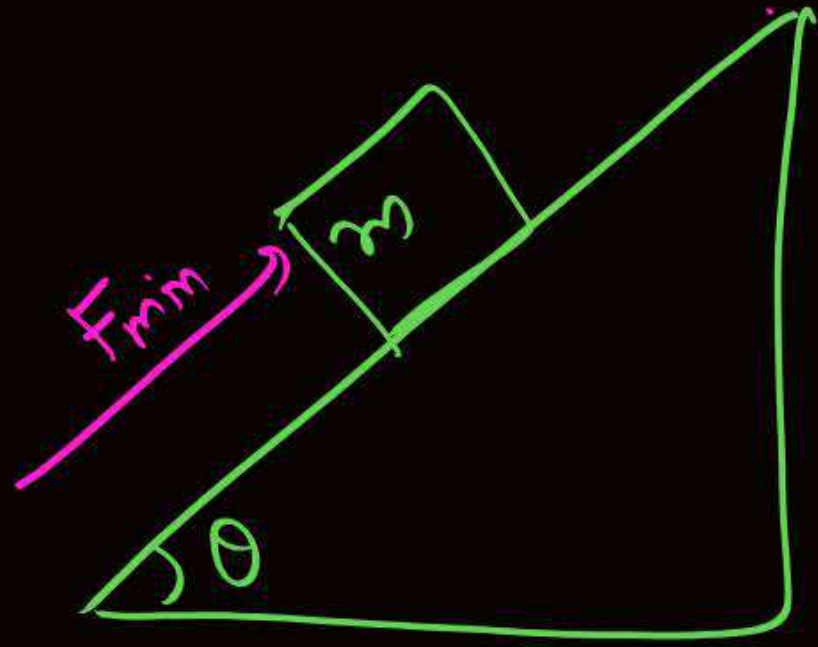




② gf ( $\mu > \tan \theta$ ) ; then find minimum external force  
to move this object  
downward.



②  $\mu < \tan \theta$  ; then find minimum external force  
to keep the object  
at rest =





## Question

3



A cubical block rests on a plane of  $\mu = \sqrt{3}$ . The angle through which the plane be inclined to the horizontal so that the block just slides down will be

- 1  $30^\circ$
- 2  $45^\circ$
- 3  $60^\circ$
- 4  $75^\circ$

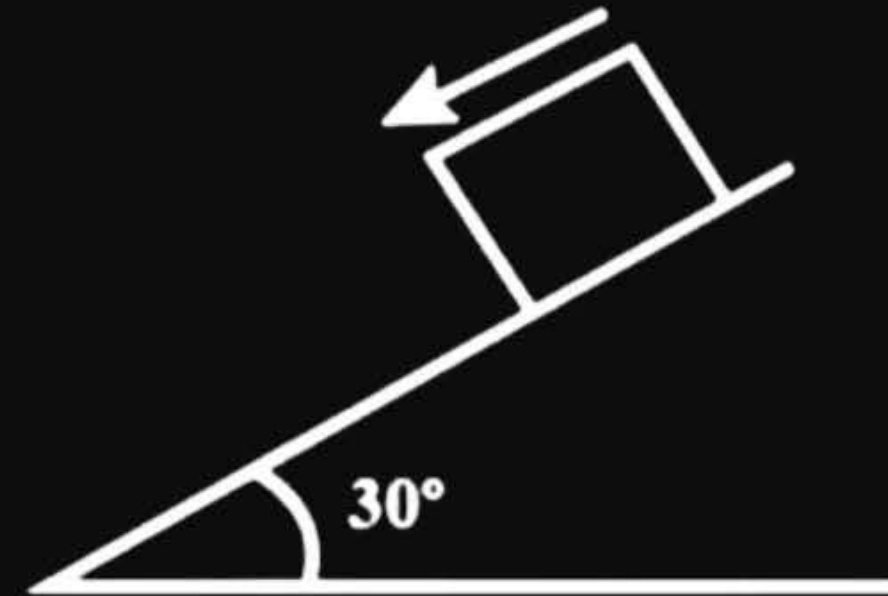
## Question

4



A block of mass 10 kg is released on rough incline plane. Block start descending with acceleration  $2 \text{ m/s}^2$ . Kinetic friction force acting on block is (take  $g = 10 \text{ m/s}^2$ )

- 1 10 N
- 2 30 N
- 3 50 N
- 4  $50\sqrt{3}\text{N}$





Block of mass 10 kg is moving on inclined plane with constant velocity 10 m/s. The coefficient of kinetic friction between incline plane and block is

- 1 0.57
- 2 0.75
- 3 0.5
- 4 None of these



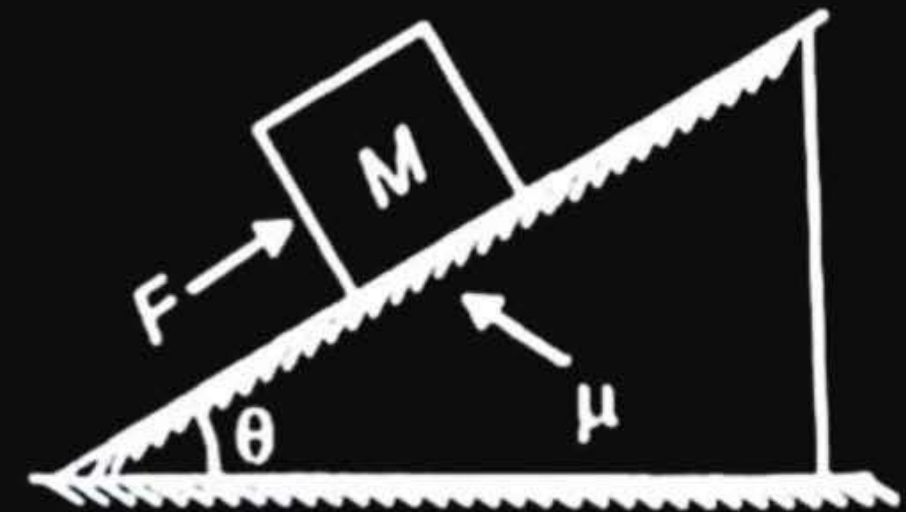
A block (mass =  $M$  kg) is placed on a rough inclined plane. A force  $F$  is applied parallel to the inclined (as shown in figure) such that it just starts moving upward. The value of  $F$  is

1  $Mg \sin \theta - \mu Mg \cos \theta$

2  $Mg \sin \theta + \mu Mg \cos \theta$

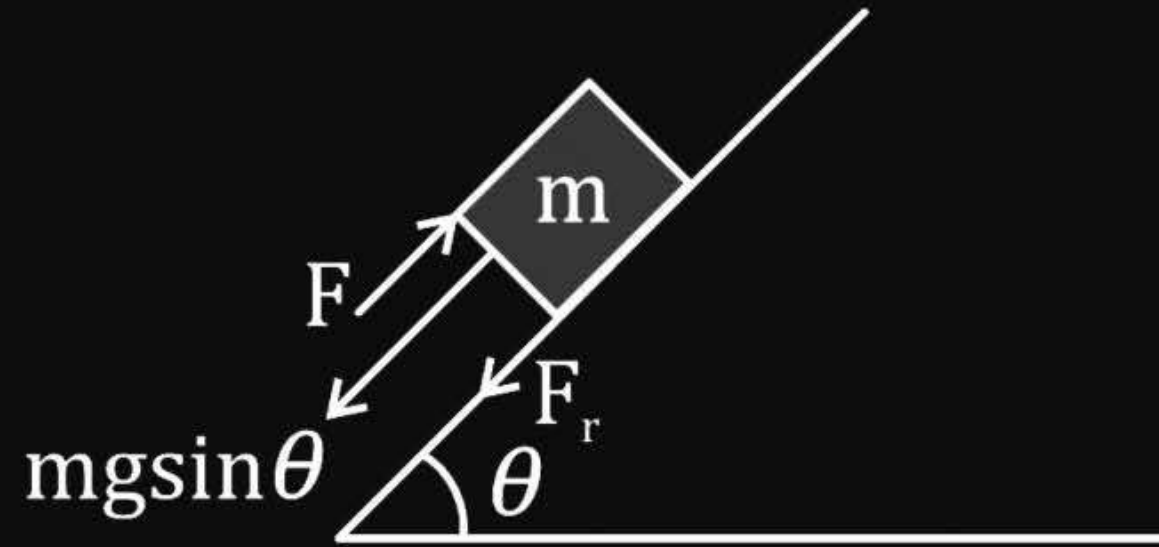
3  $Mg \sin \theta$

4  $\mu Mg \cos \theta$





If  $\mu > \tan \theta$ , then find minimum force required to move up to the inclined plane.

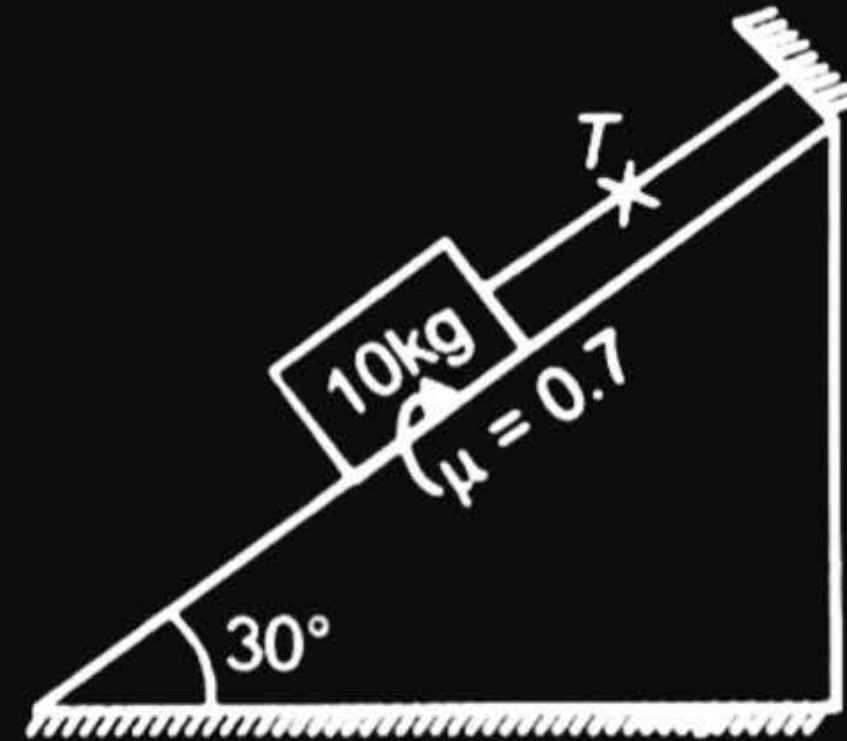


## Question

7

The tension  $T$  in the string shown in figure is

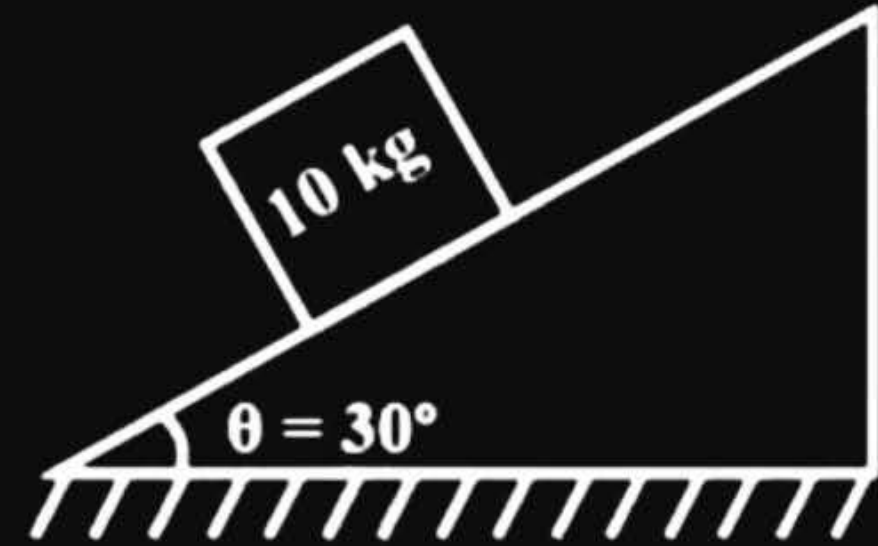
- 1 Zero
- 2 50 N
- 3 35 N
- 4  $(\sqrt{3} - 1)50\text{N}$





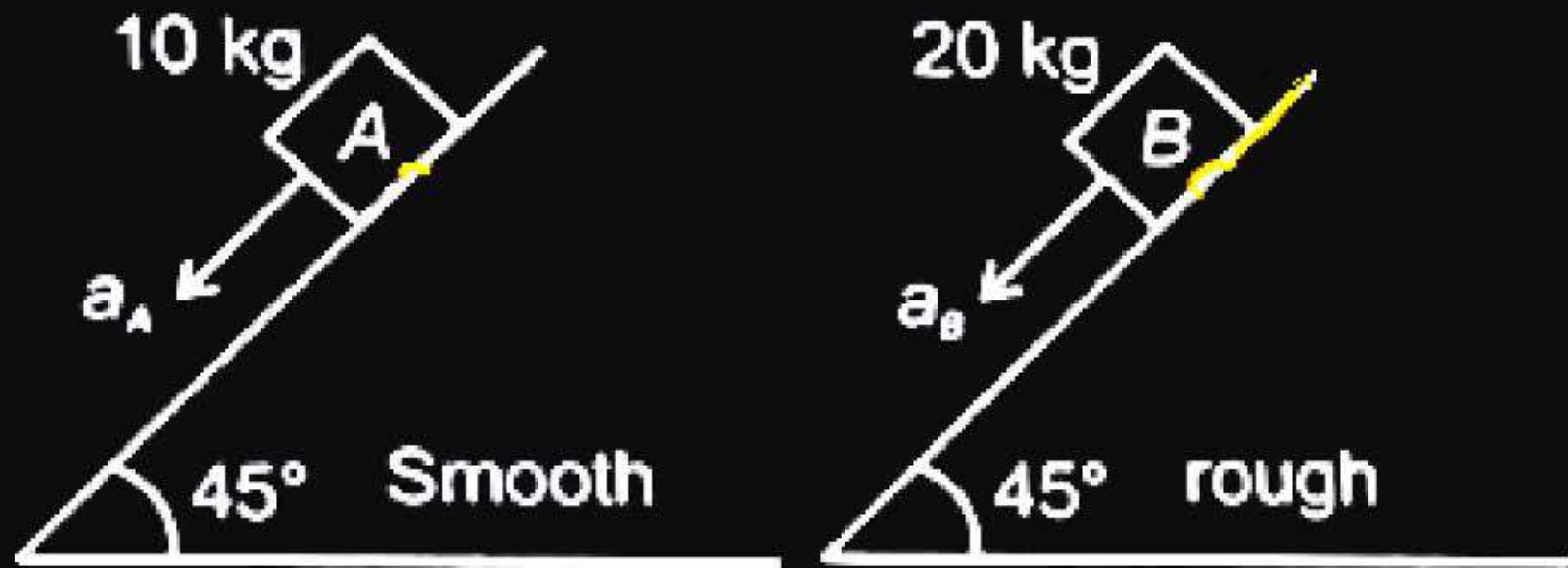
A block of mass 10 kg is kept on a fixed rough ( $\mu = 0.8$ ) inclined plane of angle of inclination  $30^\circ$ . The frictional force acting on the block is

- 1 50 N
- 2  $50\sqrt{3}$  N
- 3 52 N
- 4 54 N



The ratio of the acceleration of blocks A placed on smooth incline with block B placed on rough incline is 2 : 1. The coefficient of kinetic friction between block B and incline is

- 1 0.5
- 2 0.75
- 3 0.57
- 4 None of these





A block rests on a rough inclined plane making an angle of  $30^\circ$  with the horizontal. The coefficient of static friction between the block and the plane is 0.8. If the frictional force on the block is 10 N, the mass of the block (in kg) is (take  $g = 10 \text{ m/s}^2$ )

**[AIEEE 2004]**

**1** 2.0

**2** 4.0

**3** 1.6

**4** 2.5

The force required just to move a body up an inclined plane is double the force required just to prevent the body sliding down. If the coefficient of friction is 0.25, the angle of inclination of the plane is:

- 1  $30^\circ$
- 2  $45^\circ$
- 3  $\tan^{-1}\left(\frac{1}{4}\right)$
- 4  $\tan^{-1}\left(\frac{3}{4}\right)$



A body of mass 10 kg is lying on a rough inclined plane of inclination  $37^\circ$  and  $\mu = 1/2$ , the minimum force required to pull the body up the plane is

1 80 N

2 100 N

3 120 N

4 60 N

A body is sliding down an inclined plane ( $\mu = \frac{1}{2}$ ). If the normal reaction is twice that of the resultant downward force along the incline, the inclination of plane is

1  $15^\circ$

2  $30^\circ$

3  $45^\circ$

4  $60^\circ$



A given object takes  $n$  times as much time to slide down a  $45^\circ$  rough incline as it takes down a perfectly smooth  $45^\circ$  incline. The coefficient of kinetic friction between the object and the incline is given by:

1  $\left(1 - \frac{1}{n^2}\right)$

2  $1 - \frac{1}{n^2}$

3  $\sqrt{\left(1 - \frac{1}{n^2}\right)}$

4  $\sqrt{1 - \frac{1}{n^2}}$

A block of mass  $m$  is placed on a surface with a vertical cross-section given by  $y = \frac{x^3}{6}$ . If the coefficient of friction is 0.5. The maximum height above the ground at which the block can be placed without slipping is:

1  $\frac{1}{6}m$

2  $\frac{2}{3}m$

3  $\frac{1}{3}m$

4  $\frac{1}{2}m$



H/w all  
15 → Question in PPT —

Sangharsh assignment.

**THANK  
YOU**

