

YAKEEN NEET 2.0

2026

Laws of Motion

Physics

Lecture - 9

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Topics to be covered



H/w

1 #

Ph.D on Pseudo force

2

3

4

Sangharsh assignment - 2

Test ka preparation kar liye

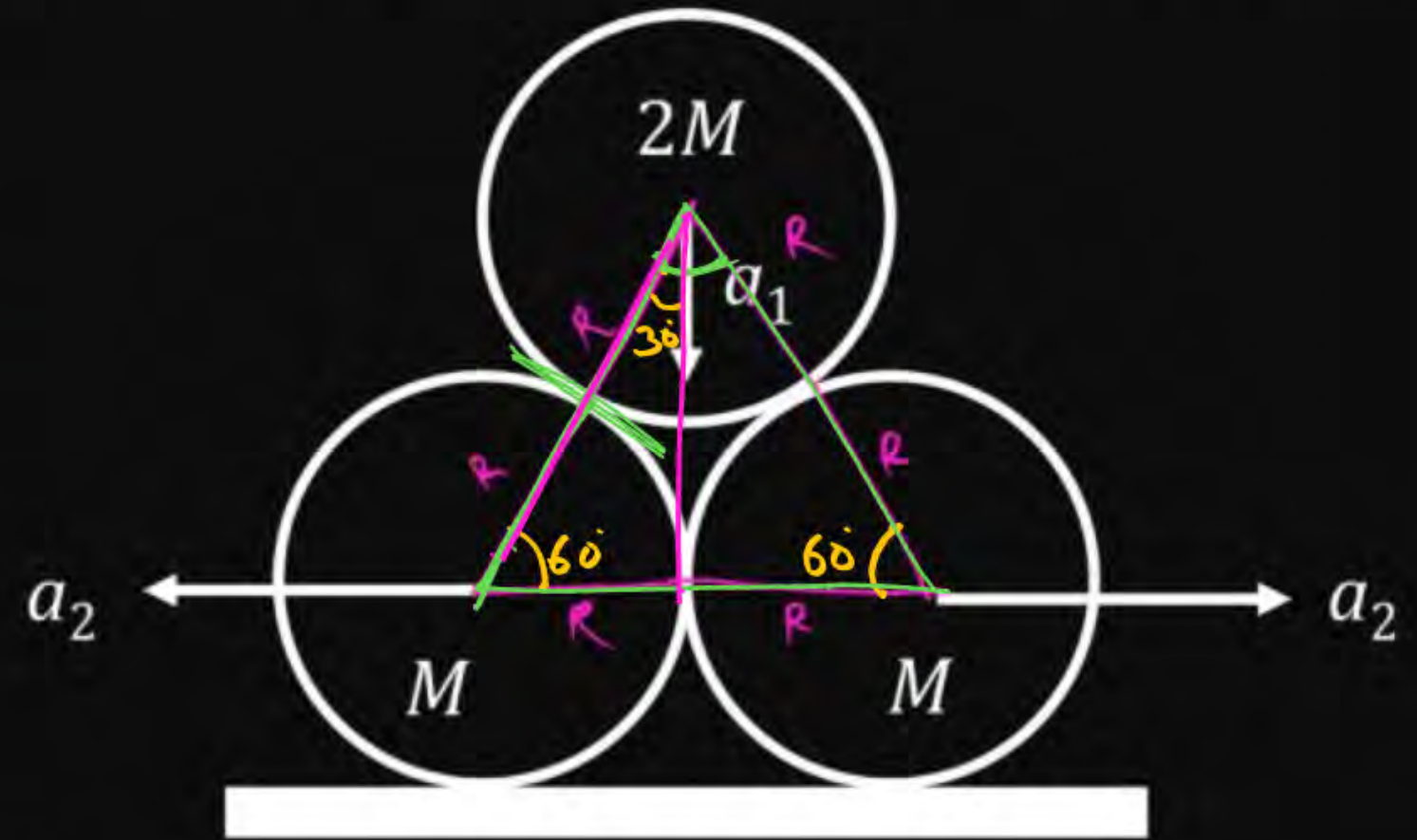
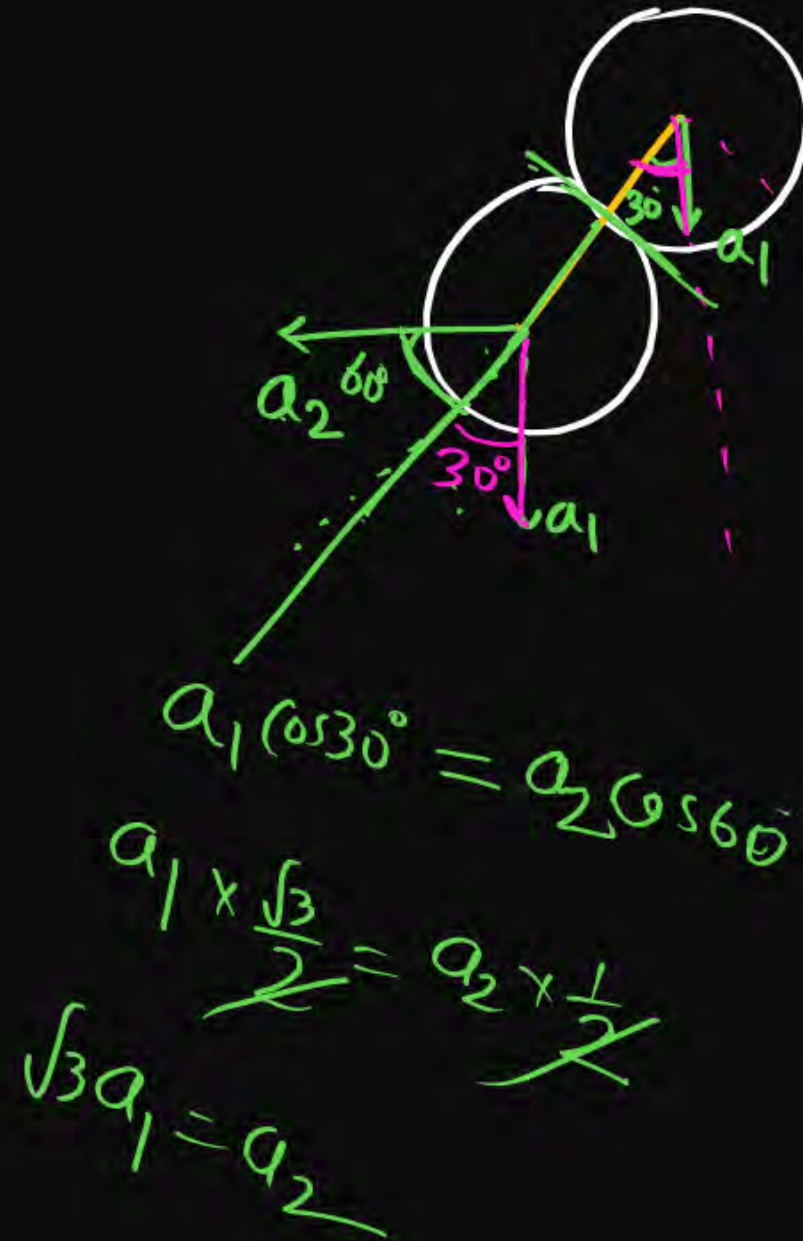
The relation between acceleration a_1 and a_2 , if the radius of each sphere is equal to R .

1 $a_2 = a_1\sqrt{3}$

2 $a_1 = a_2\sqrt{3}$

3 $a_1 = 2a_2$

4 $a_2 = 2a_1$



Question

Challenge Question



A rod AB is shown in figure. End A of the rod is fixed on the ground. Block is moving with velocity $\sqrt{3}$ m/s towards right. The velocity of end B of rod when rod makes an angle of 60° with the ground is;

1 $\sqrt{3}$ m/s

2 2 m/s

3 $2\sqrt{3}$ m/s

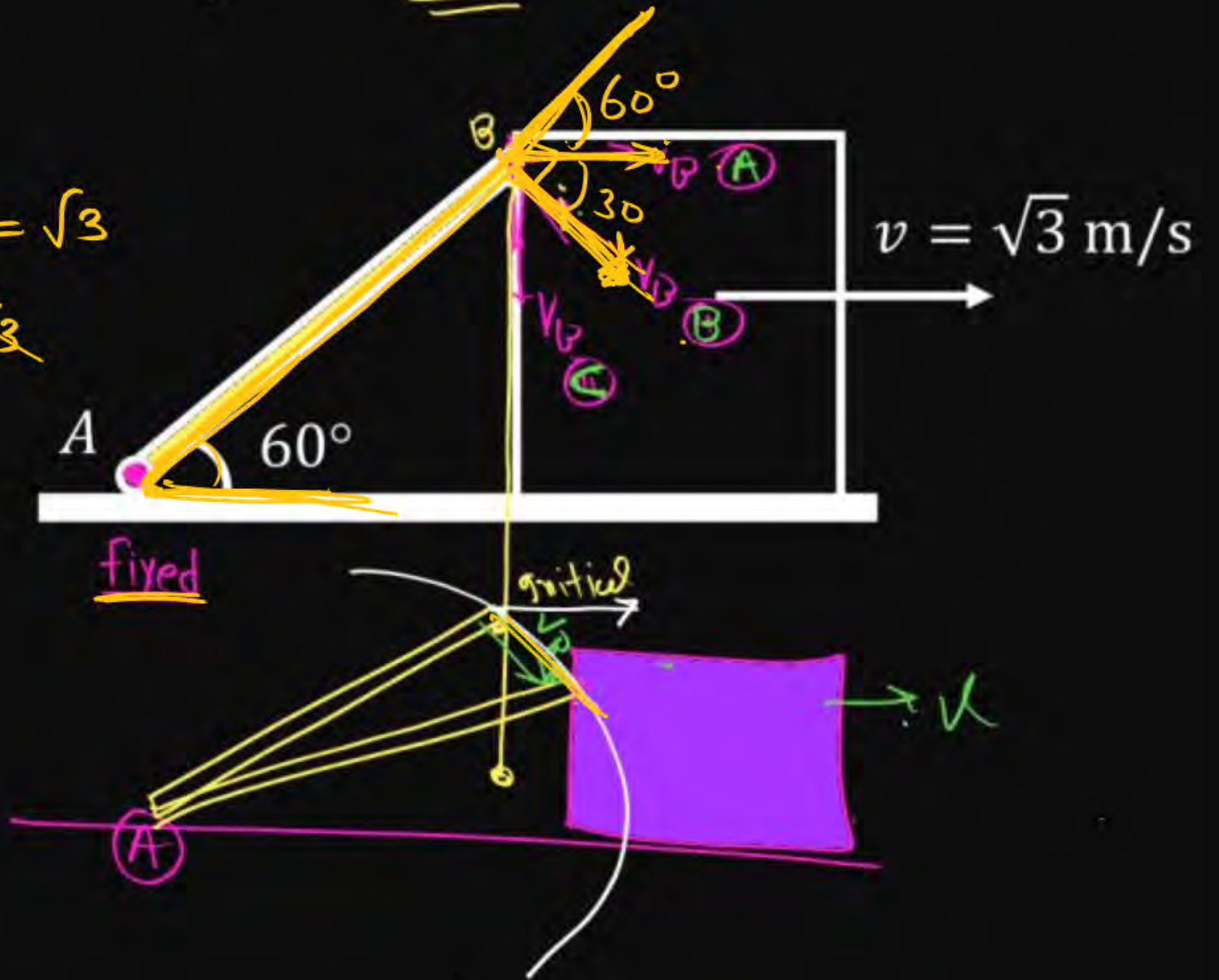
4 3 m/s

Component of velocity along normal must be same.

$$V_B \cos 30^\circ = \sqrt{3}$$

$$V_B \frac{\sqrt{3}}{2} = \sqrt{3}$$

$$V_B = 2 \text{ m/s}$$



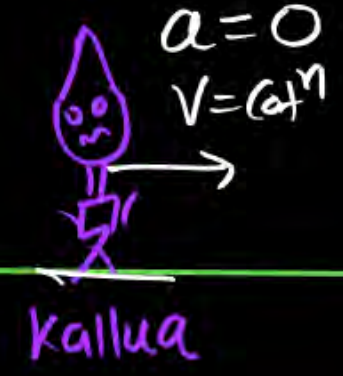


$$F_{net(x)} = 0$$

$$a_x = 0$$

$$F_{net(y)} = N - mg = 0$$

$$a_y = 0$$



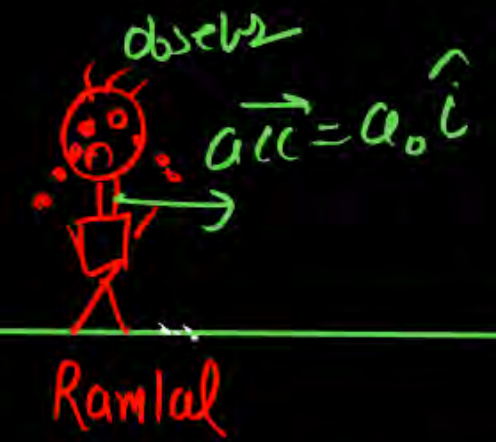
$$F_{net(x)} = 0$$

$$a_x = 0$$

$$(v = at^n)$$

$$F_{net(y)} = N - mg = 0$$

$$a_y = 0$$



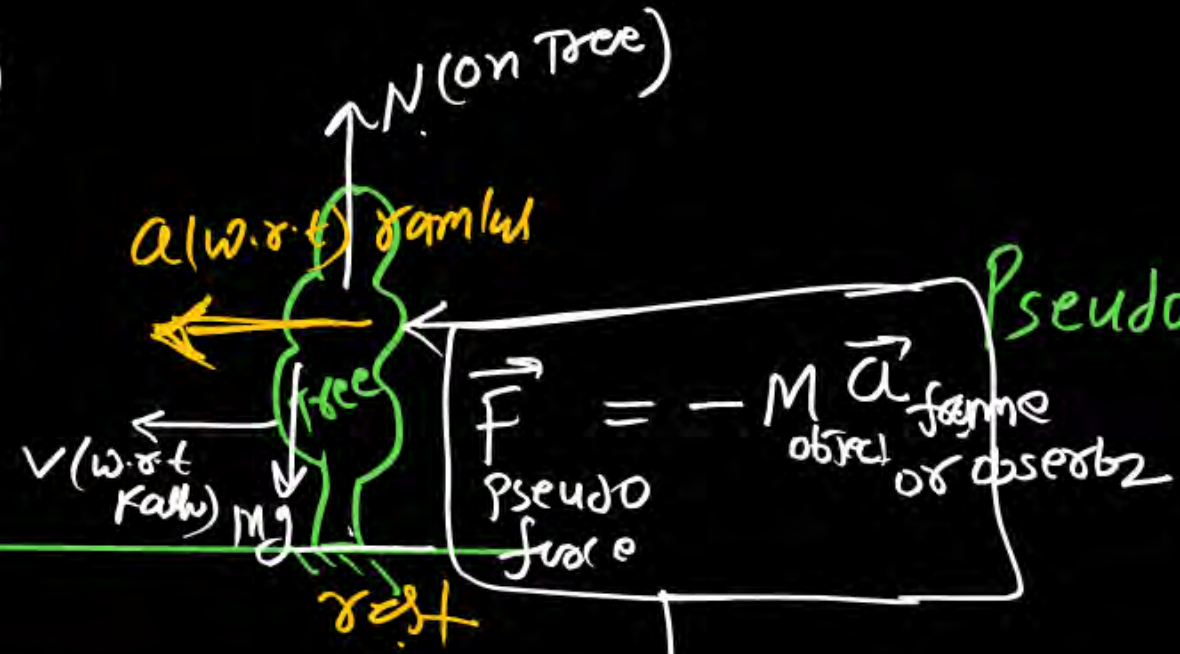
$$F_{net(x)} = 0$$

$$(a_x) = -a_0 \hat{i}$$

$$\text{Tree w.r.t Ramlal}$$

$$F_{net(y)} = N - mg = 0$$

$$a_y = 0$$



only Ramlal
Can Apply
this force

jab wo accelerated
hoga

accelerated frame

Non-Inertial frame
↳ Newtons law of motion
are Not Valid *

Pseudo force → Non-real force
→ always applied
w.r.t accelerated
frame only

→ This force is
a technique
to validate
Laws of motion
from non-inertial
frame ✓

rest or $\vec{v} = at^n$

⇓
Inertial frame
(Newtons law of motion valid)

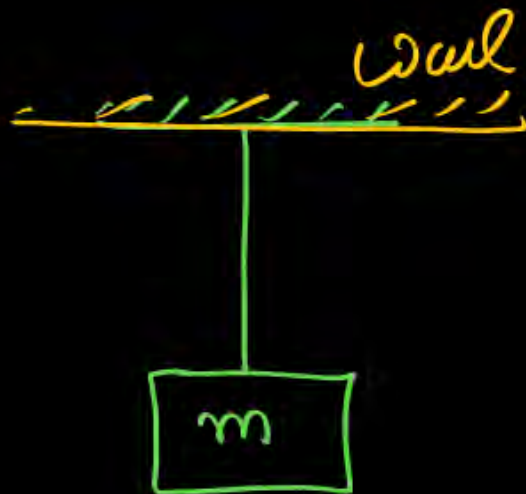
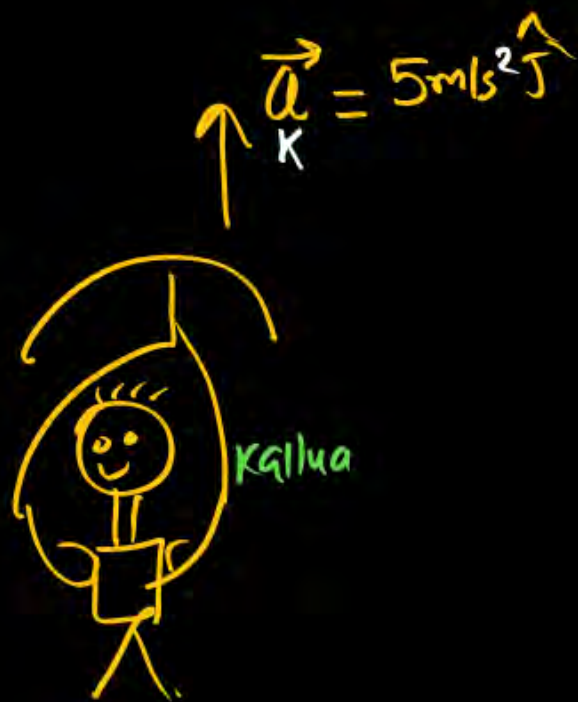
MR^* BOX: —

Rest & constⁿ velocity wala
observer or frame Pseudo
force Nahi laga sakta.

MR^*

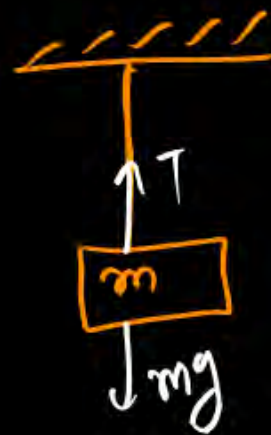
Pseudo force sirf accelerated
frame & observer object par lagaye

$$\vec{F}_{\text{pseud}} = -m_{\text{object}} \vec{a}_{\text{frame}} \checkmark$$



Solⁿ FBD of object w.r.t.

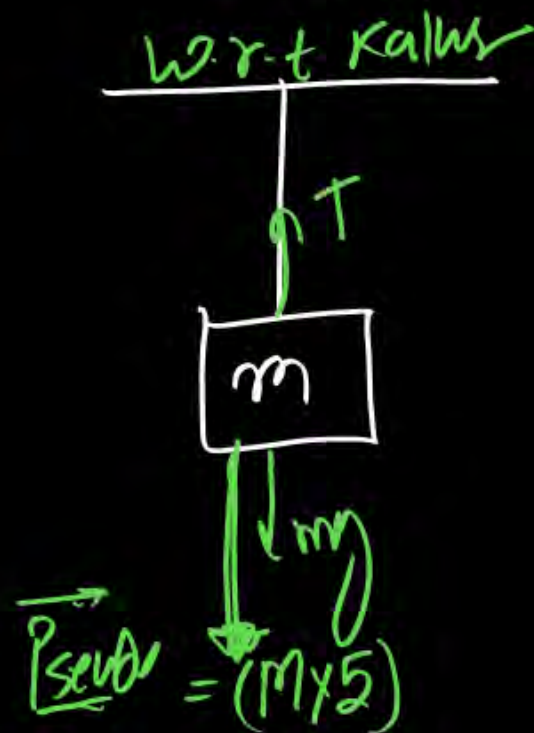
Pinky.
↓
No Pseudo force



FBD of object
w.r.t. (Ramlul)



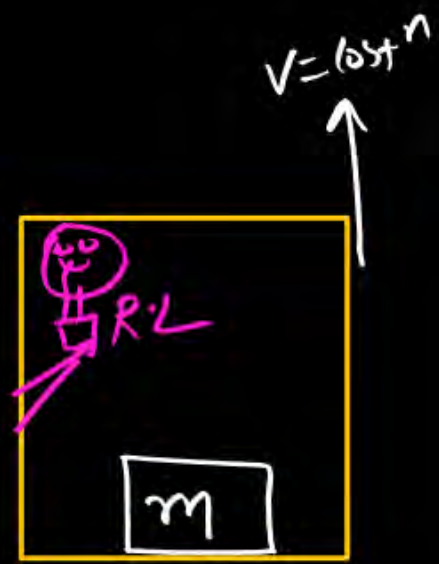
$F_{\text{spec}} = m \times a$
Backward



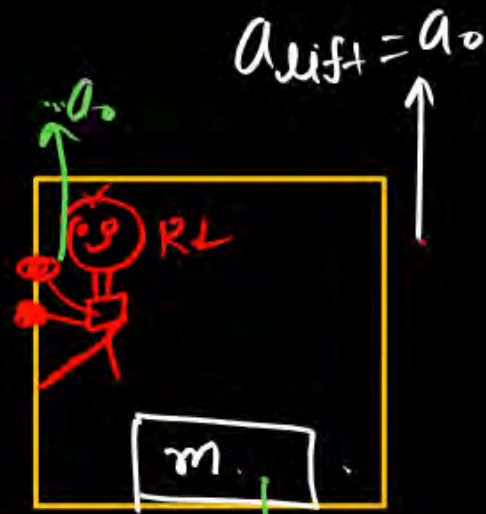
Select the correct statement regarding pseudo force

- 1 It is electromagnetic in origin ~~X~~
- 2 Newton's 3rd law is applicable for it ~~X~~
- 3 It is a fundamental force ~~X~~
- 4 ✓ It is used to make Newton's law applicable in non-inertial frame

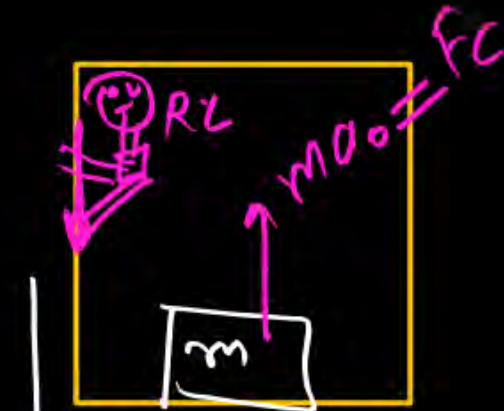
direction of Pseudo force w.r.t given accelerating lift :
 (sirf Pseudo force dekhna hai No comp^t $F \cdot \theta \cdot D$)



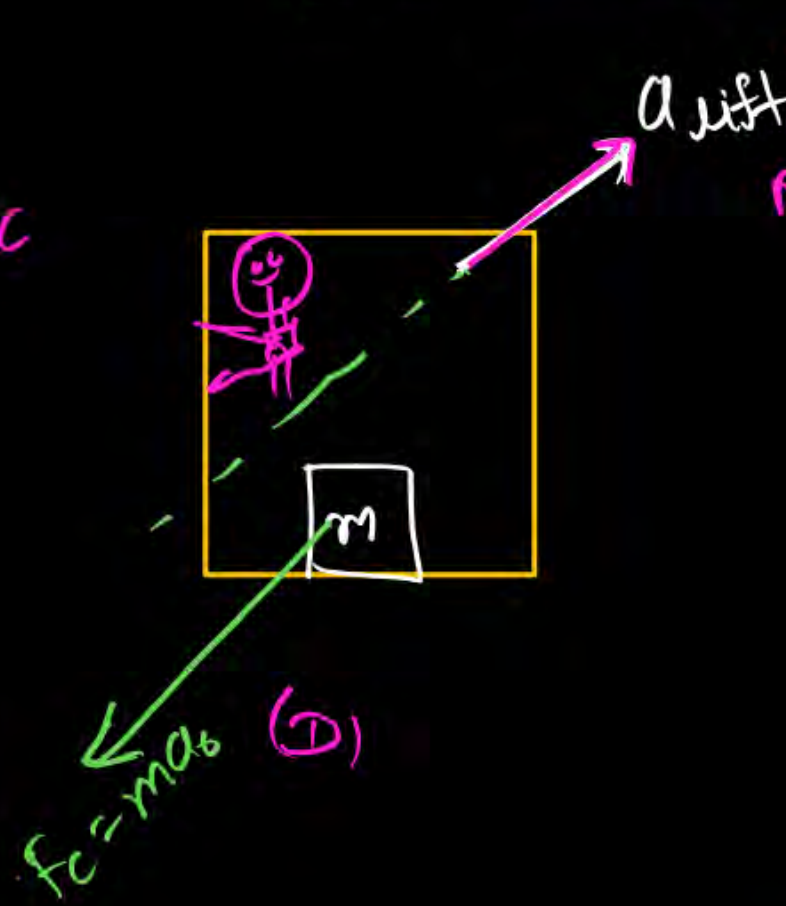
(A)
 $F_c = 0$



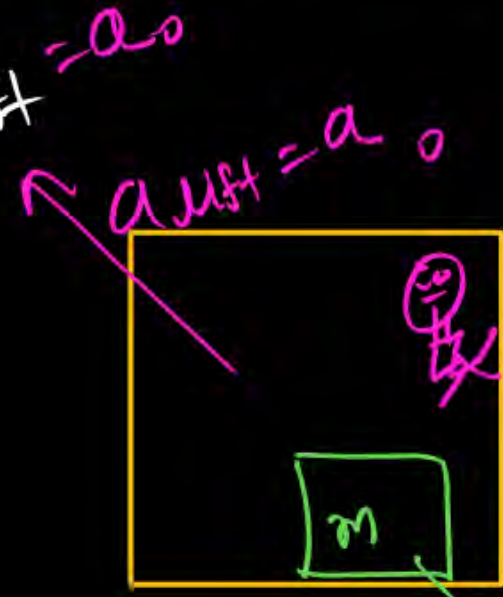
(B)
 $F_c = ma_0$



(C)
 $a_{lift} = a_0$



(D)
 $F_c = ma_0$



(E)
 $F_c = ma_0$

Pseudo force w.r.t ground

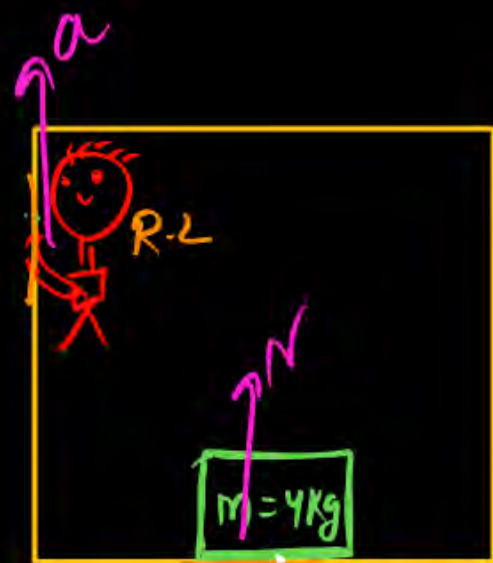


(MR Scam)



Dikna hai

find Normal reaction on 4kg w.r.t Ramkal & Pinky.



$a_{\text{lift}} = 5 \text{ m/s}^2$ (upward)



● F.B.D of Block w.r.t Pinky



$a = 5 \text{ m/s}^2$

$$F_{\text{net}} = m \vec{a}$$

$$N - mg = ma$$

$$N - mg + ma = 4 \times 10 + 4 \times 5 \\ = 40 + 20 = \underline{\underline{60 \text{ N}}}$$

● Ramkal \rightarrow Object is at rest w.r.t Ramkal

F.B.D w.r.t Ramkal

$$F_{\text{net}} = 0$$

$$N = mg + ma \\ = m(g+a) = 4(15) = \underline{\underline{60 \text{ N}}}$$

$\downarrow mg \quad \downarrow ma = \text{Pseudo force}$

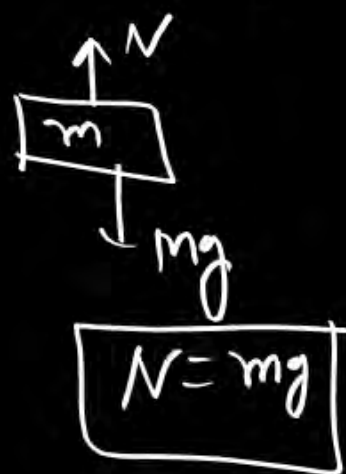
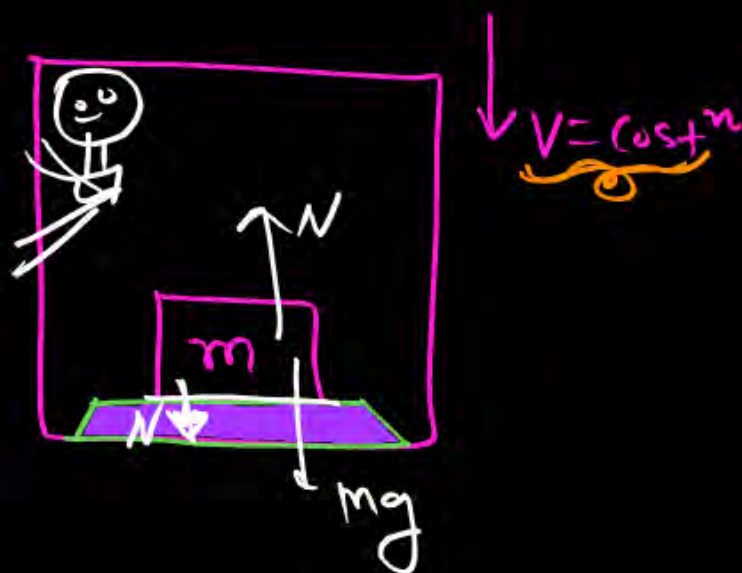
(MR Scam)

(Q) Normal Ramkal & Pinky ke respect me ??

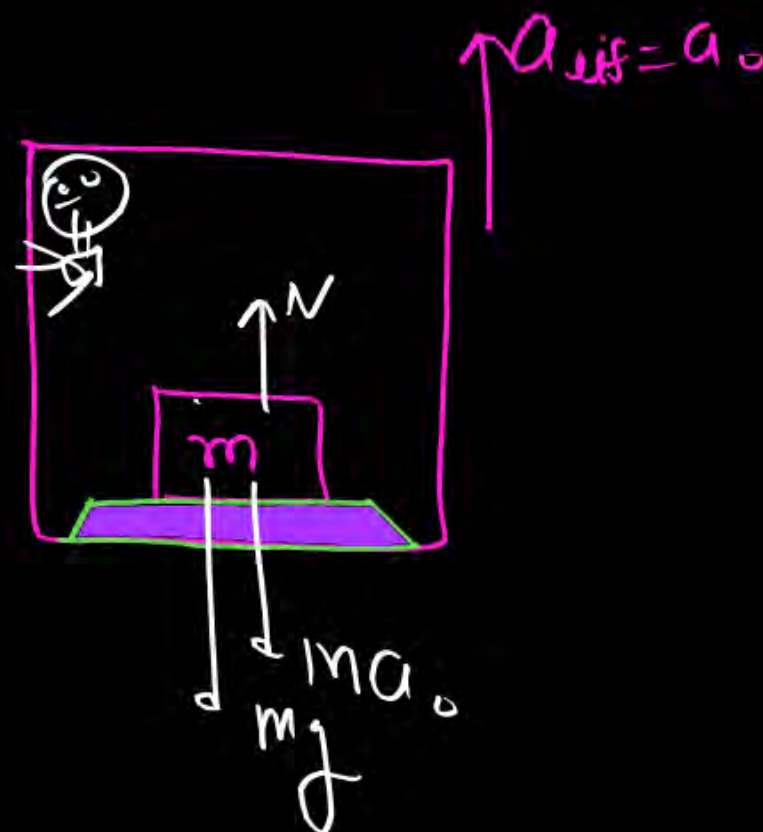
✓ (a) Same

~~(b) diffⁿ (56%)~~

Elevator Problem (lift) \rightarrow [weighing machine] \rightarrow measure normal force

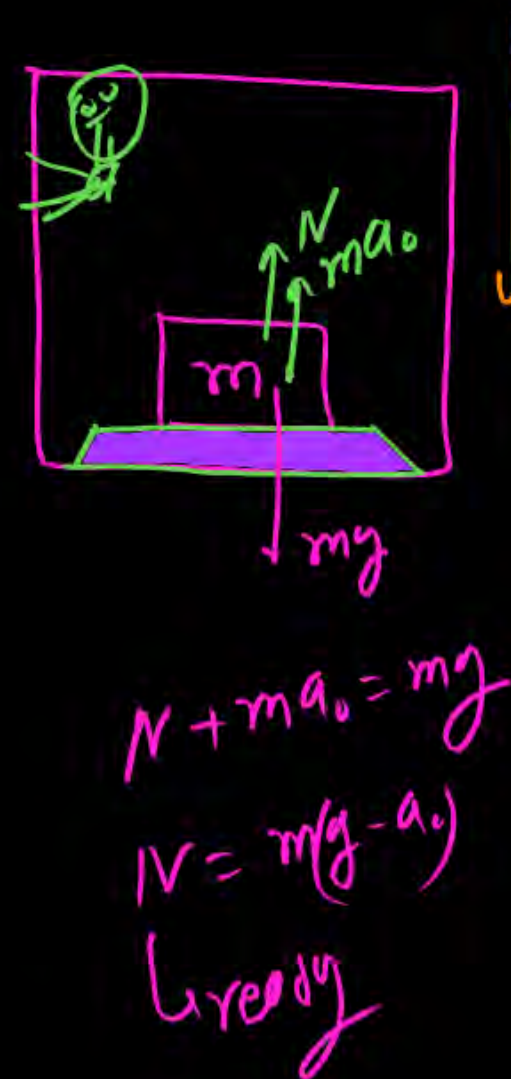


Ready of weighing
 $N = mg$



$$N = m(g + a_0)$$

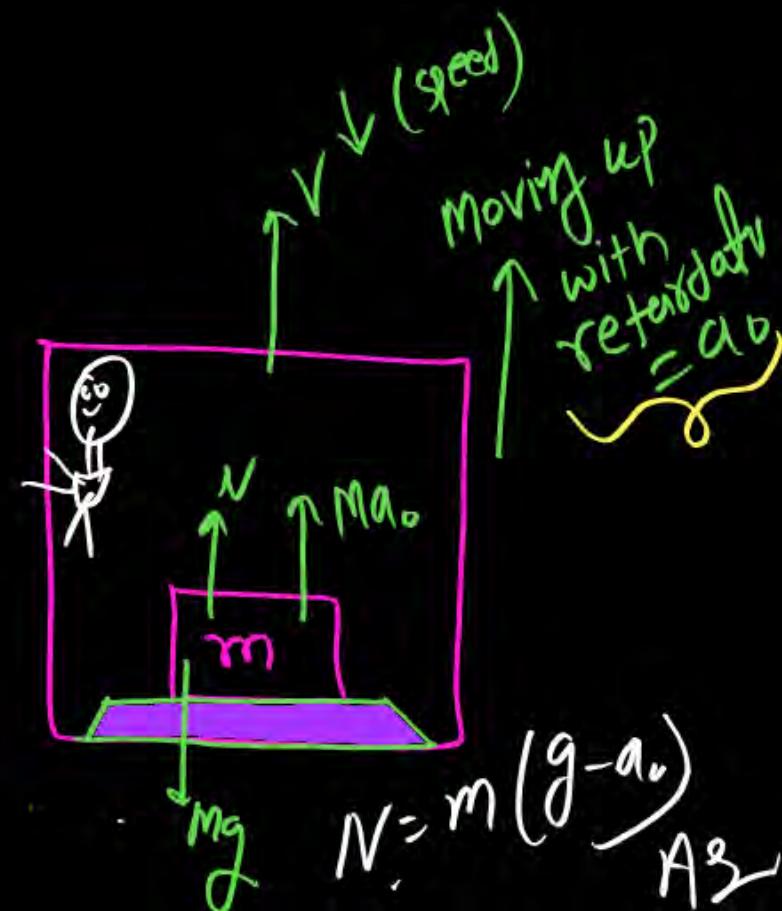
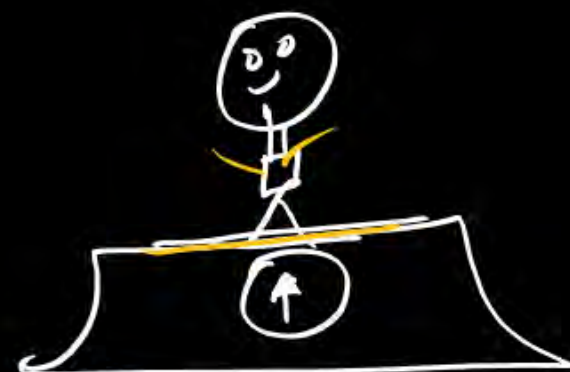
$N = mg$ feel
 ready



$$N + ma_0 = mg$$

$$N = m(g - a_0)$$

ready



$$N = m(g - a_0)$$

A3

MR* Boy

Pseudo force frame ke
accⁿ ke opposite \rightarrow
frame ke retardation ke
dirⁿ me lagta hai ==

Question

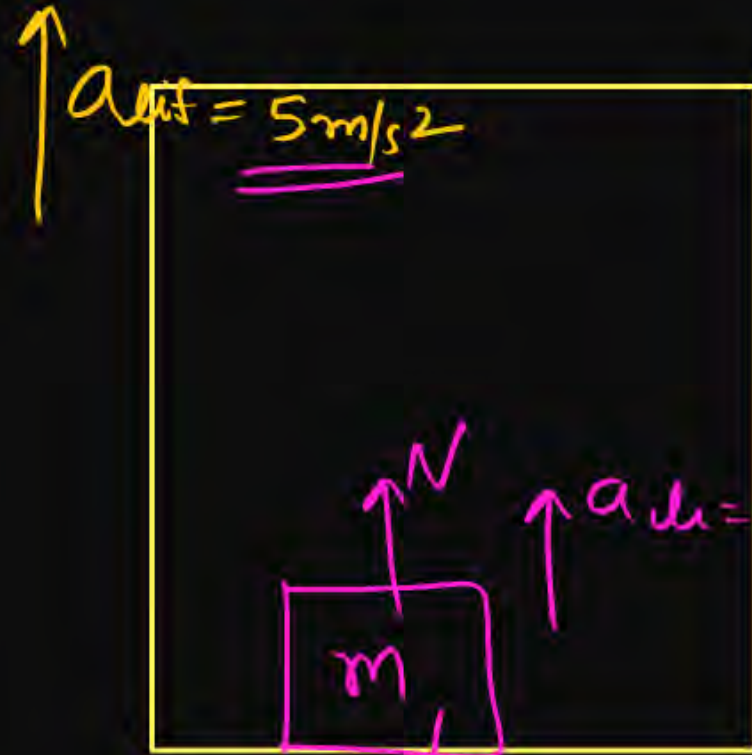
likna nahi hai



Q A man weighs 80 kg. He stands on a weighing scale in a lift which is moving upwards with a uniform acceleration of 5 m/s^2 . What would be the reading on the scale?

($g = 10 \text{ m/s}^2$)

- 1 Zero
- 2 400 N
- 3 800 N
- 4 1200 N



$$N = m(g + a)$$
$$= 80(10 + 5)$$

$$N = mg_u$$
$$= 80[15]$$
$$= 1200 \text{ N}$$

Question

Link



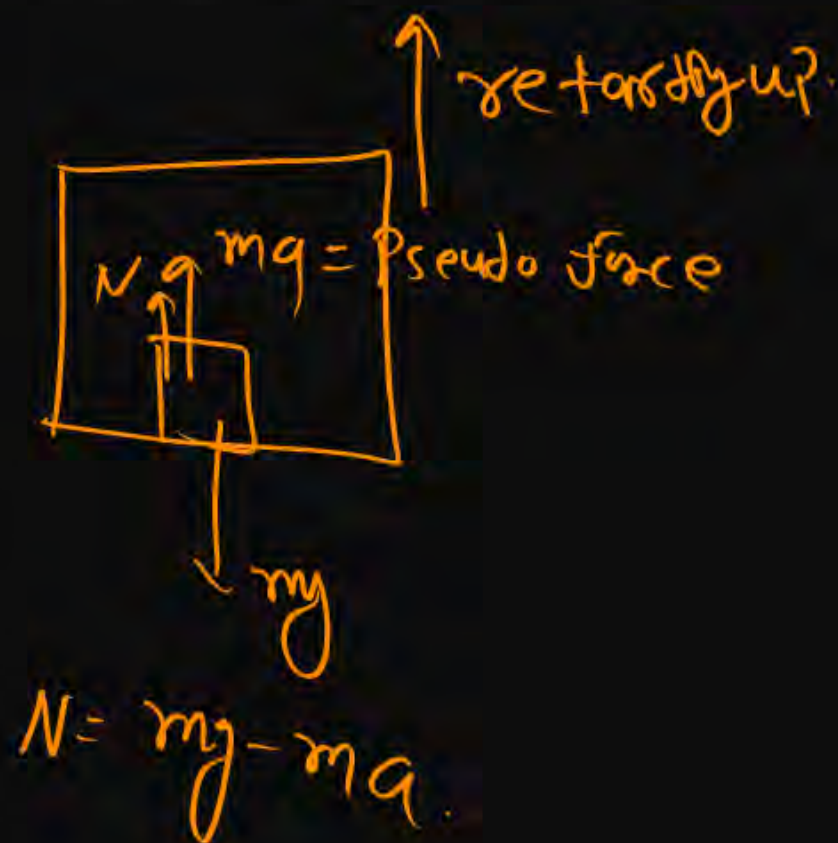
A block of mass m kg is kept on a weighing machine in an elevator. If the elevator is retarding upward by a ms^{-2} , the reading of weighing machine is (in kg)

1 mg

2 $m(g - a)$ (correct in Reading in newton)

3 $m \left(1 - \frac{a}{g} \right)$

4 $m(g + a)$



MR & GUY
weighing ki reading newton me Normal ke equal 3 kg me $\left(\frac{N}{g}\right)$ hoga ✓

$$N = mg - ma$$

$$\begin{aligned} \text{Reading in mas} &= \frac{N}{g} = \frac{mg - ma}{g} \\ &= m - \frac{ma}{g} \\ &= m \left(1 - \frac{a}{g} \right) \end{aligned}$$

HCV find force on A due to B

(dikho)



$a = 2 \text{ m/s}^2$
lift

Solⁿ w.r.t ground

$mg - N = ma$

$N = mg - ma$
 $= m(g - a) = \frac{1}{2}(10 - 2) = \frac{8}{2} = 4 \text{ Newt.}$

$a = 2 \text{ m/s}^2$

Solⁿ w.r.t 'Ram Lal'



$$ma + N = mg$$

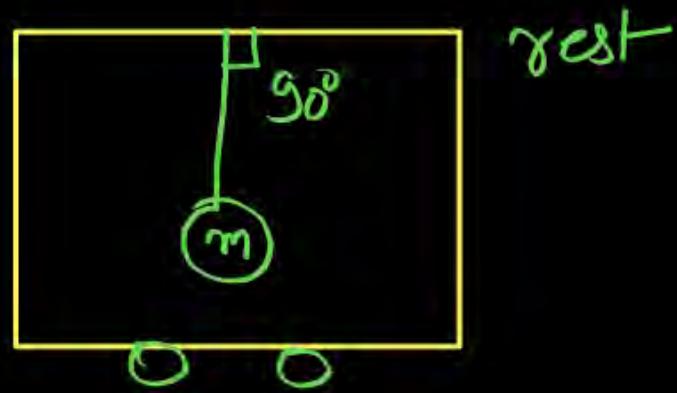
$$N = mg - ma$$

$$= m(g - a)$$

$$= \frac{1}{2}(10 - 2)$$

$$= \frac{8}{2} = 4 \text{ N}$$

CAR is at rest. As shown in Figure; if it starts accelerating a then find Angle made by string with vertical.



$$\tan \theta = \frac{a}{g} = \frac{P}{B}$$

$$H = \sqrt{P^2 + B^2} = \sqrt{a^2 + g^2}$$

$$\sin \theta = \frac{P}{H} = \frac{a}{\sqrt{a^2 + g^2}}$$

$$\theta = \sin^{-1} \left(\frac{a}{\sqrt{a^2 + g^2}} \right)$$

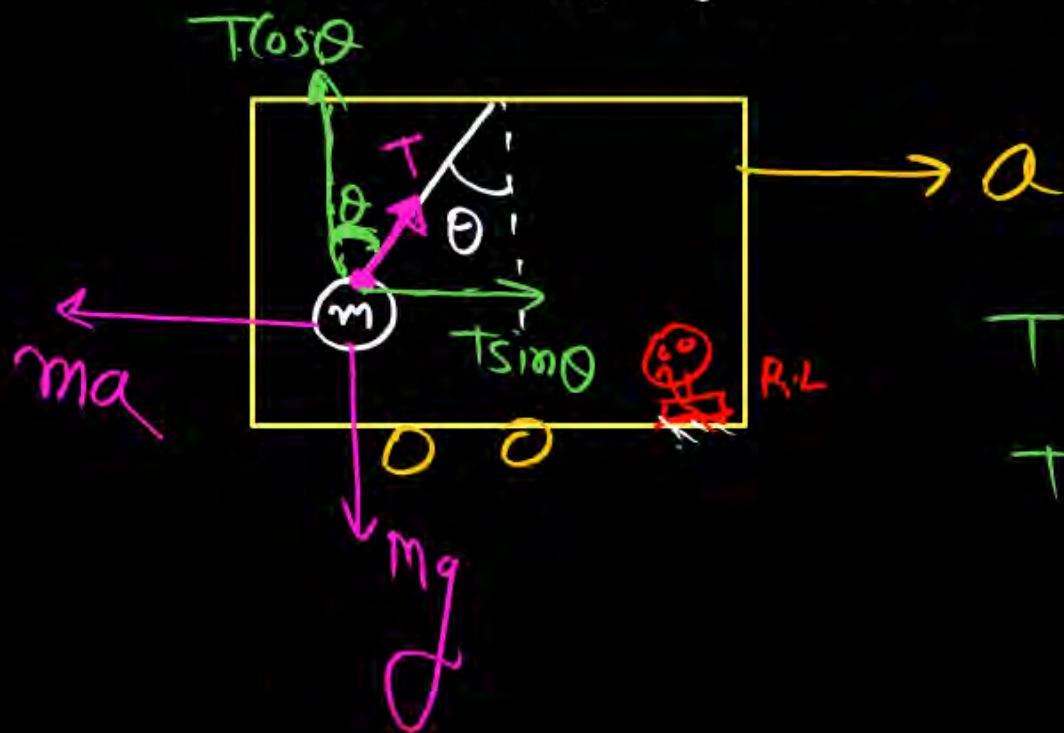
$$\textcircled{1}^2 + \textcircled{11}^2$$

$$T^2 (\sin^2 \theta + \cos^2 \theta) = (ma)^2 + (mg)^2$$

$$T^2 = m^2 (a^2 + g^2)$$

$$T = m \sqrt{a^2 + g^2} \}$$

F.B.D of block w.r.t. Ram Lal



$$T \sin \theta = ma \quad \text{--- (i)}$$

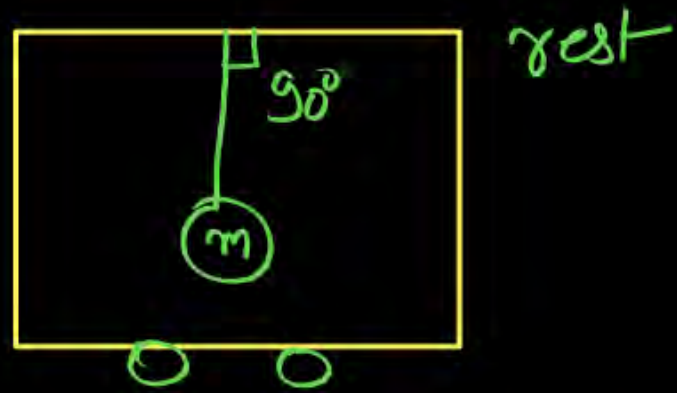
$$T \cos \theta = mg \quad \text{--- (ii)}$$

$$\frac{\textcircled{1}}{\textcircled{11}} \frac{T \sin \theta}{T \cos \theta} = \frac{ma}{mg}$$

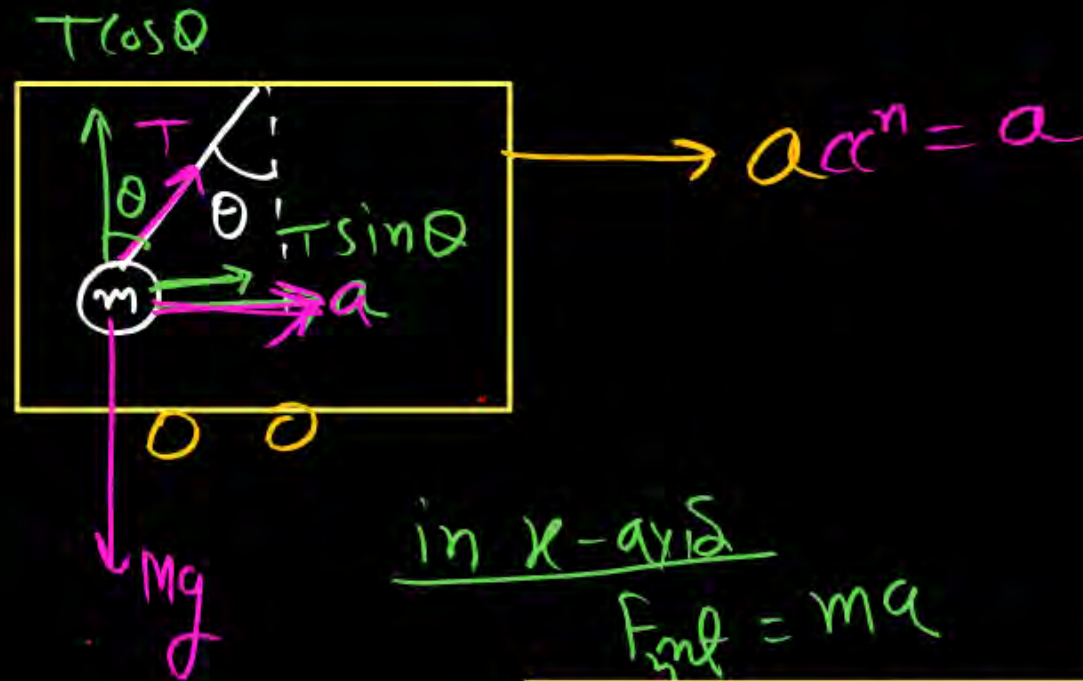
$$\boxed{\tan \theta = \frac{a}{g}}$$

$$\theta = \tan^{-1} \left(\frac{a}{g} \right)$$

CART CAR is at rest, As shown in Figure; if it starts accelerating a then find Angle made by string with vertical.



W.r.t ground



in x-axis

$$F_{net} = ma$$

$$T \sin \theta = ma \quad \text{--- (1) *}$$

$$\Sigma F_y = 0$$

$$T \cos \theta = mg \quad \text{--- (II) *}$$

Same as $\tan \theta = \frac{a}{g}$

$$\tan \theta = \frac{a}{g}$$

Question

जैद मकत



A small metallic sphere of mass m is suspended from the ceiling of a car accelerating on a horizontal road with constant acceleration a . The tension in the string attached with metallic sphere is

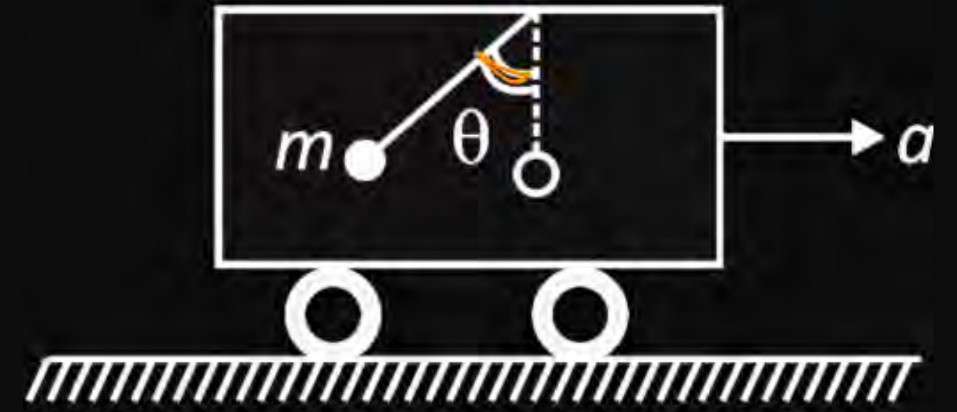
- 1 mg
- 2 $m(g + a)$
- 3 $m(g - a)$
- 4 $m\sqrt{g^2 + a^2}$

Ans

Question

If trolley accelerates horizontally with acceleration a then bob is displaced backward from its initial vertical position. The angular deflection of the bob in equilibrium is ✓

- 1 $\theta = \cos^{-1} \left(\frac{a}{g} \right)$
- 2 $\theta = \sin^{-1} \left(\frac{a}{g} \right)$
- 3 $\theta = \cot^{-1} \left(\frac{a}{g} \right)$
- 4 ✓ $\theta = \tan^{-1} \left(\frac{a}{g} \right)$



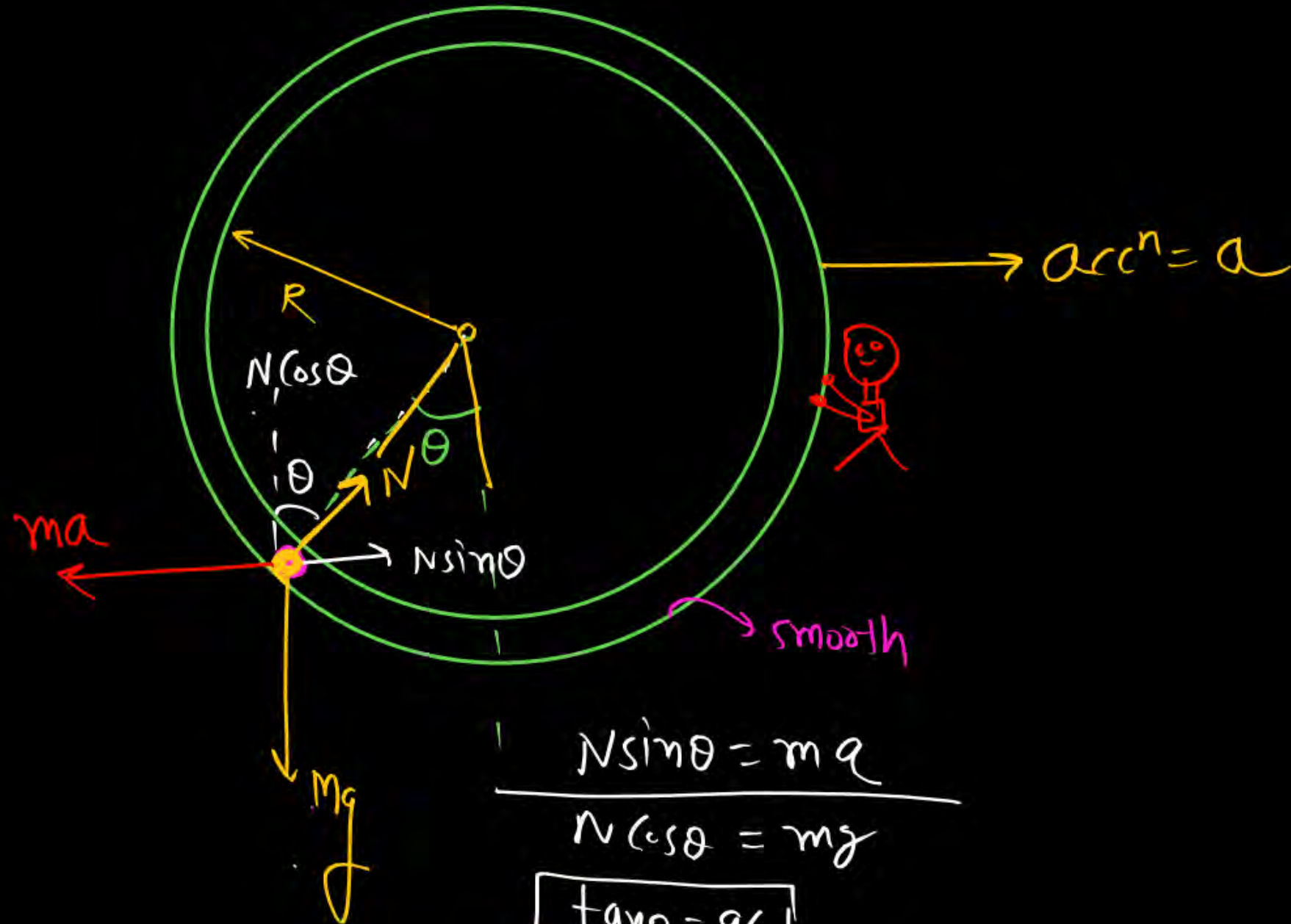
$$\boxed{\tan \theta = a/g}$$

$$\sin \theta = \frac{a}{\sqrt{a^2 + g^2}}$$



(Q) A smooth vertical loop is accelerating then Find Angle made by Ball with vertical.

likha hai



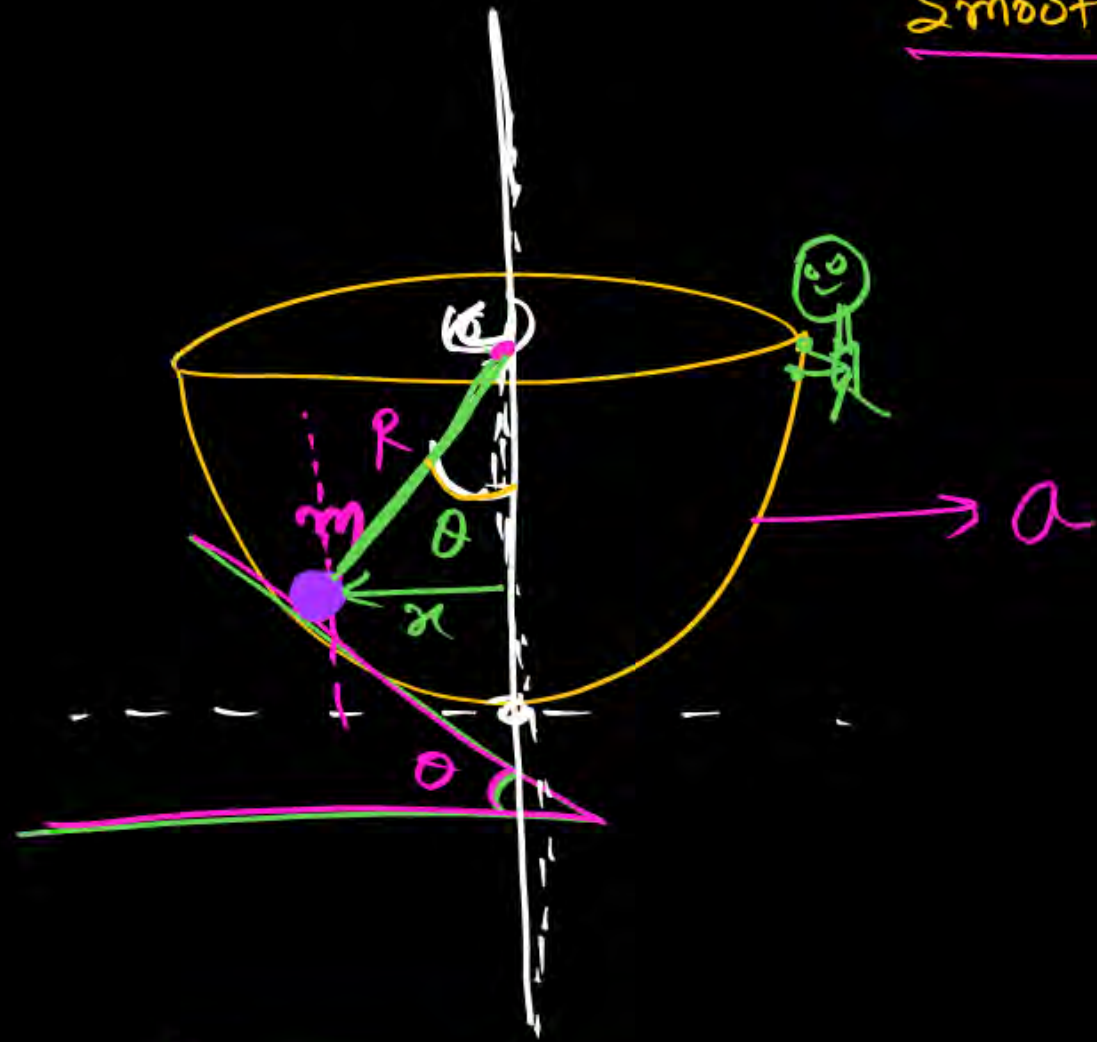
$$\frac{N \sin \theta = ma}{N \cos \theta = mg}$$

$$\boxed{\tan \theta = a/g}$$

#

- (a) Back side
 - (b) wahi reg ~~X~~
 - (c) front side
- Jay

Smooth hemisphere is accelerating with a in x -axis.
Radius of sphere = R



$$\tan \theta = \frac{a}{g}$$

Same as last

Target-21

Position of Bull from y -axis

$$\sin \theta = \frac{x}{R}$$

$$x = R \sin \theta$$

$$= R \left(\frac{a}{\sqrt{a^2 + g^2}} \right)$$

AB



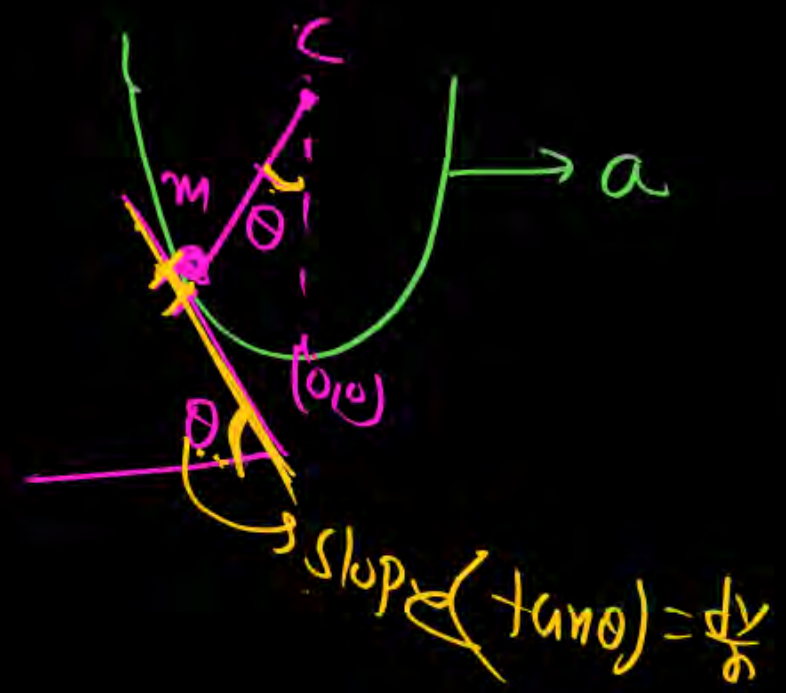
wire of eqn $y = kx^2$ (Parabolic wire)

then find distⁿ of ball from y-axis at equilibrium

→ $a = a$

$$\tan \theta = a/g \quad (1) \quad \text{done}$$

Slope at a point $\tan \theta = \frac{dy}{dx}$ ✓



IIT Advane

distⁿ of ball from y-axis

$$x = \frac{a}{2kg}$$

$$\begin{aligned} \tan \theta &= \frac{d(kx^2)}{dx} \\ \frac{a}{g} &= k \frac{dx^2}{da} \\ \frac{a}{g} &= k 2x \end{aligned}$$

Question



A piece of wire is bent in the shape of a parabola $y = kx^2$ (y -axis vertical) with a bead of mass m on it. The bead can slide on the wire without friction. It stays at the lowest point of the parabola when the wire is at rest. The wire is now accelerated parallel to the x -axis with a constant acceleration a . The distance of the new equilibrium position of the bead, where the bead can stay at rest with respect to the wire, from the y -axis is:

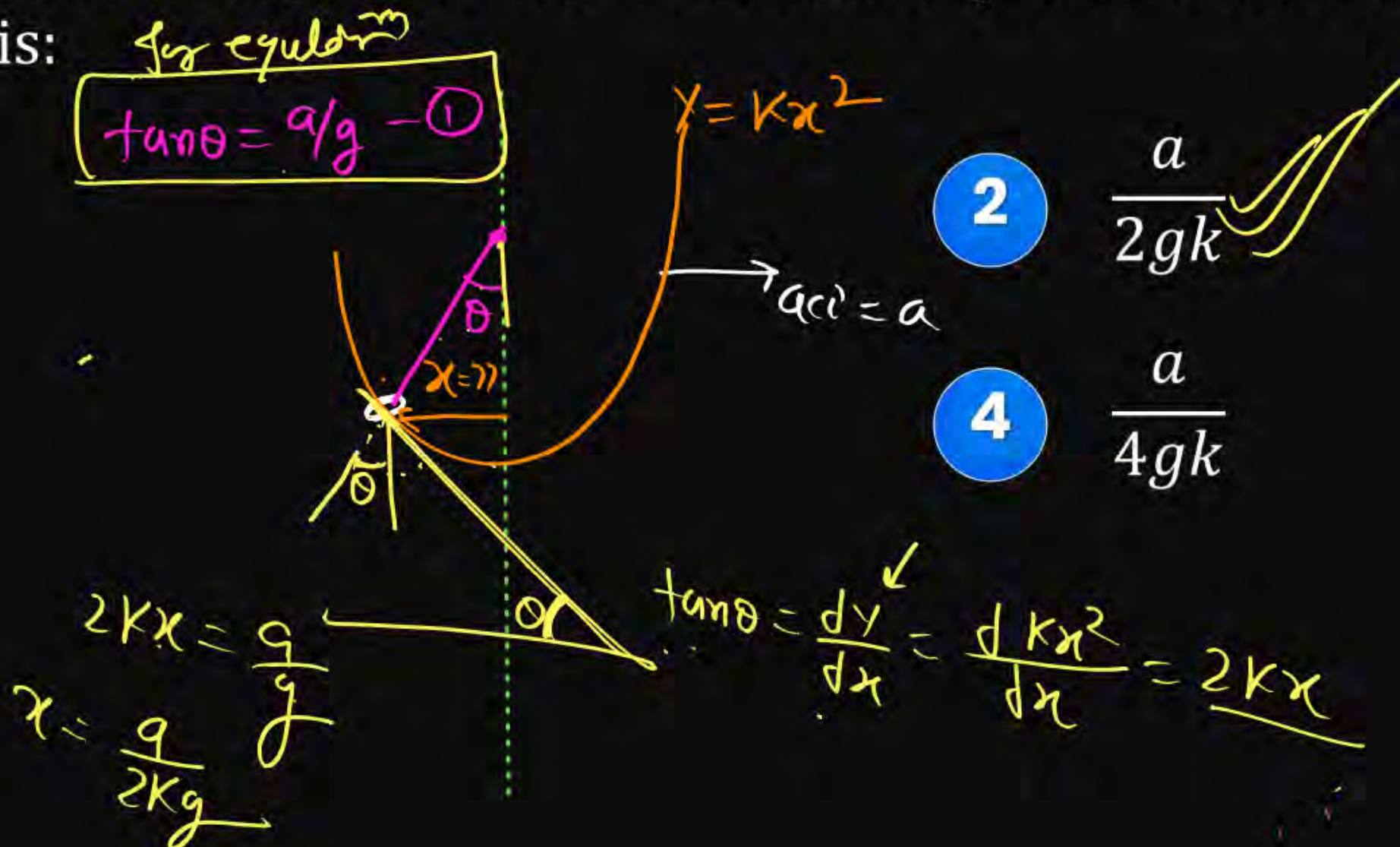
[IIT-JEE 2009]

1 $\frac{a}{gk}$

3 $\frac{2a}{gk}$

2 $\frac{a}{2gk}$

4 $\frac{a}{4gk}$

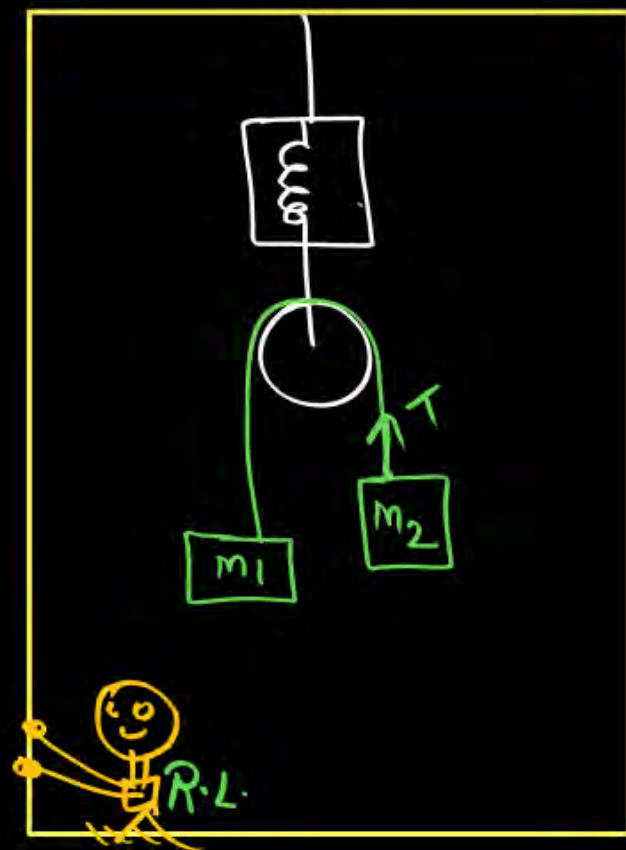


एक प्रश्न
महंगा

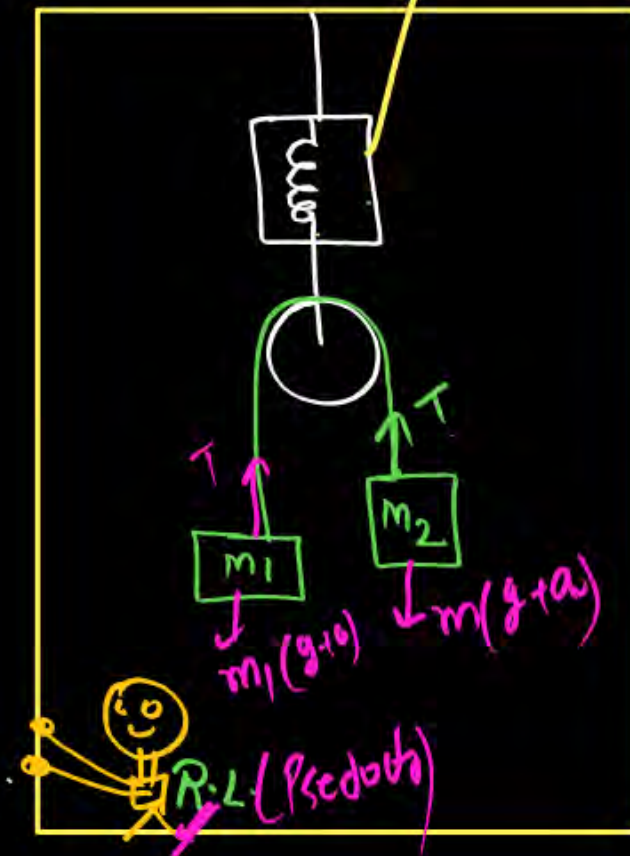
HCV

Pulley block - system in a lift

find Tension in wire & spring Reading.



↑ accⁿ = a₀



$$2\text{Reading} = 2T = 2 \left(\frac{2m_1m_2}{m_1+m_2} \right) (g+a)$$

↑ accⁿ = a₀

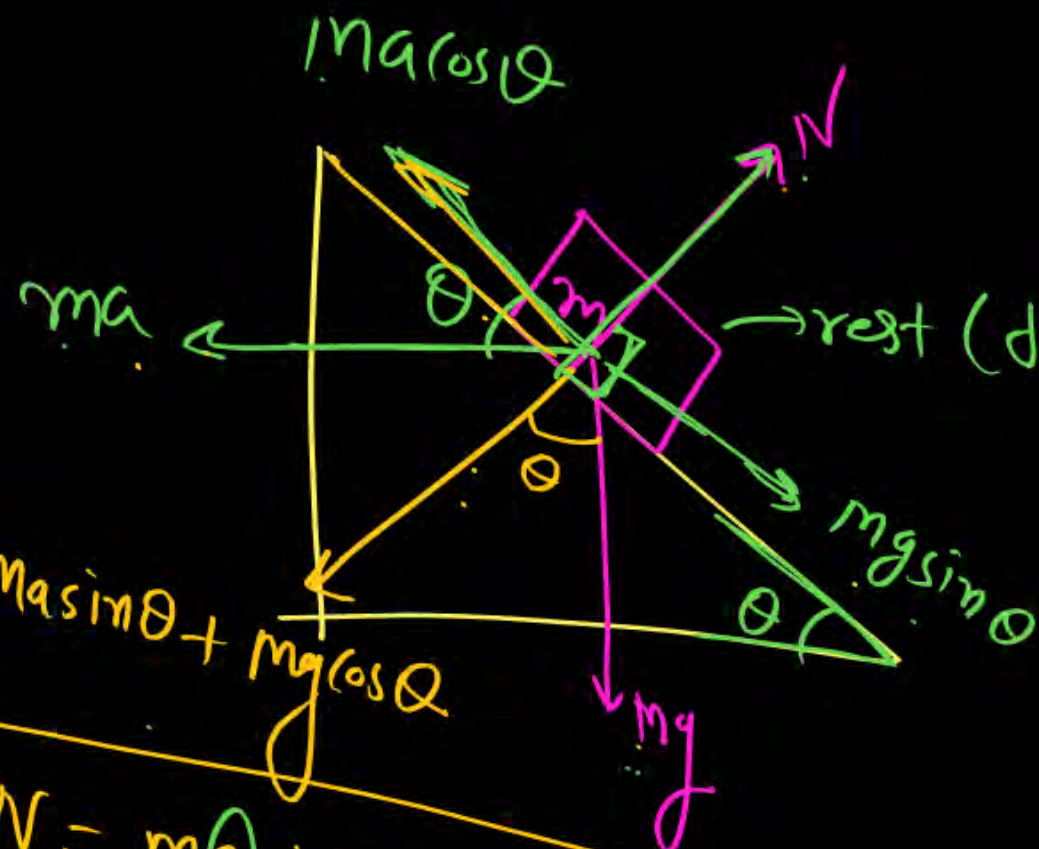
$$T = \frac{2m_1m_2}{m_1+m_2} (g+a)$$

$$T = \frac{2m_1m_2}{m_1+m_2} (g+a_0)$$

MEET

Smooth Inclined plane; then find accⁿ of Inclined plane
so that block of mass m does not slide of Inclined
plane.

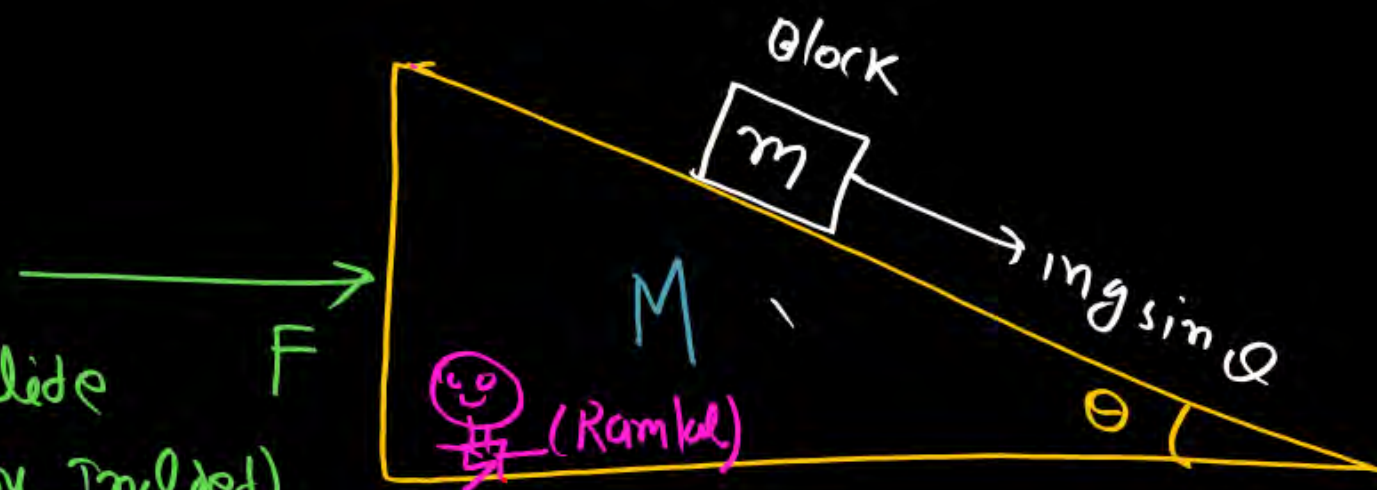
$\rightarrow a$



$$m a \sin \theta + m g \cos \theta$$

$$N = m a \sin \theta + m g \cos \theta = \frac{m g}{\cos \theta}$$

Put $a = g \tan \theta$ then solve

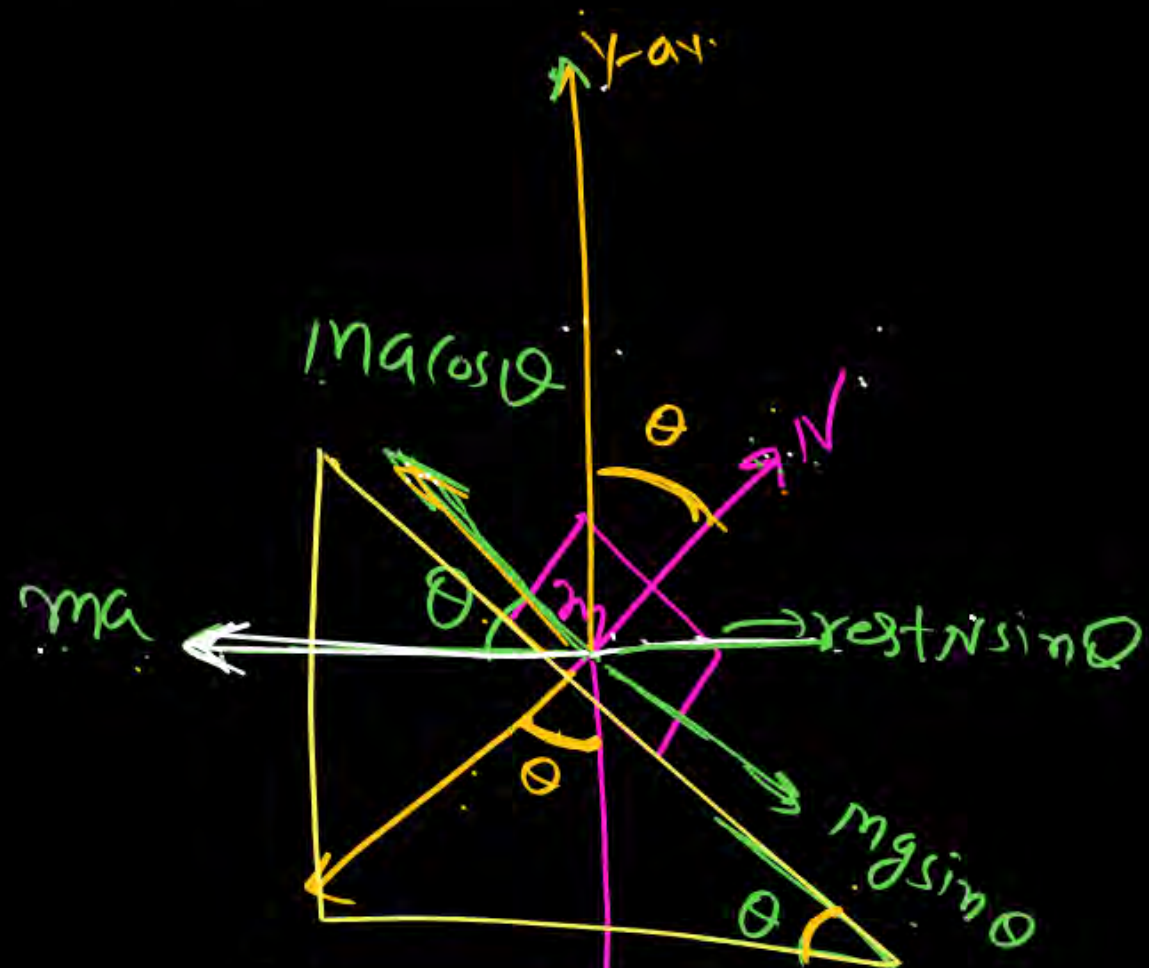


$$F_{\text{net}} = 0 \text{ (along incline)}$$

$$m g \sin \theta = m a \cos \theta$$

$$a = g \sin \theta / \cos \theta = g \tan \theta$$

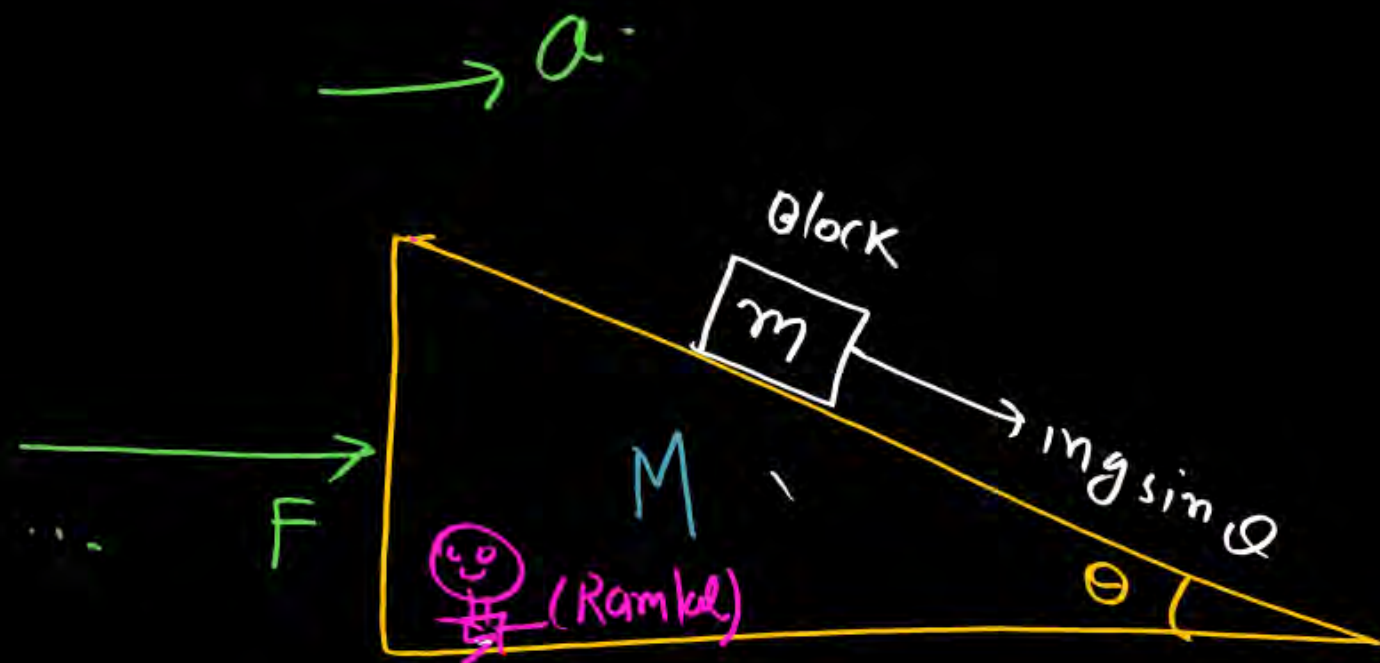
for Normal



Net in y-axis = 0

As

$N \cos \theta = mg$
 $N = \frac{mg}{\cos \theta} = mg \sec \theta$

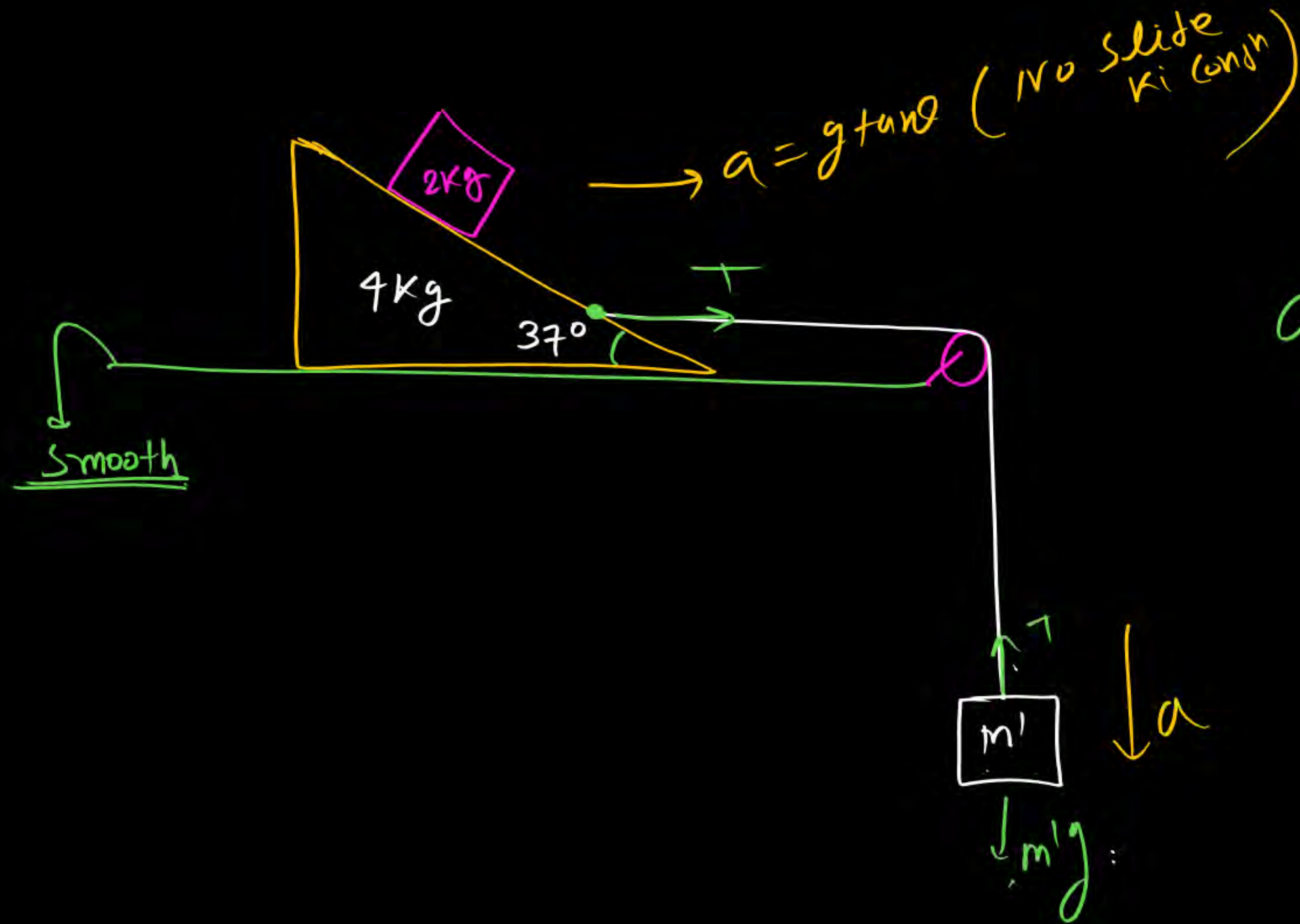


$\Sigma F_n = 0$ wrt Rambl

$N \sin \theta = ma$
 $N = \frac{mg \tan \theta}{\sin \theta} = \frac{mg \sin \theta}{\cos \theta \sin \theta} = \frac{mg}{\cos \theta}$

find value of m' so that Block of mass (2kg) does not slide on smooth Inclined Plane.

H.C. Verma



$$a = \frac{m'g}{(4+2+m')} = g \tan \theta$$

$$\frac{m'}{6+m'} = \tan 37^\circ = \frac{3}{4}$$

$$4m' = 18 + 3m'$$

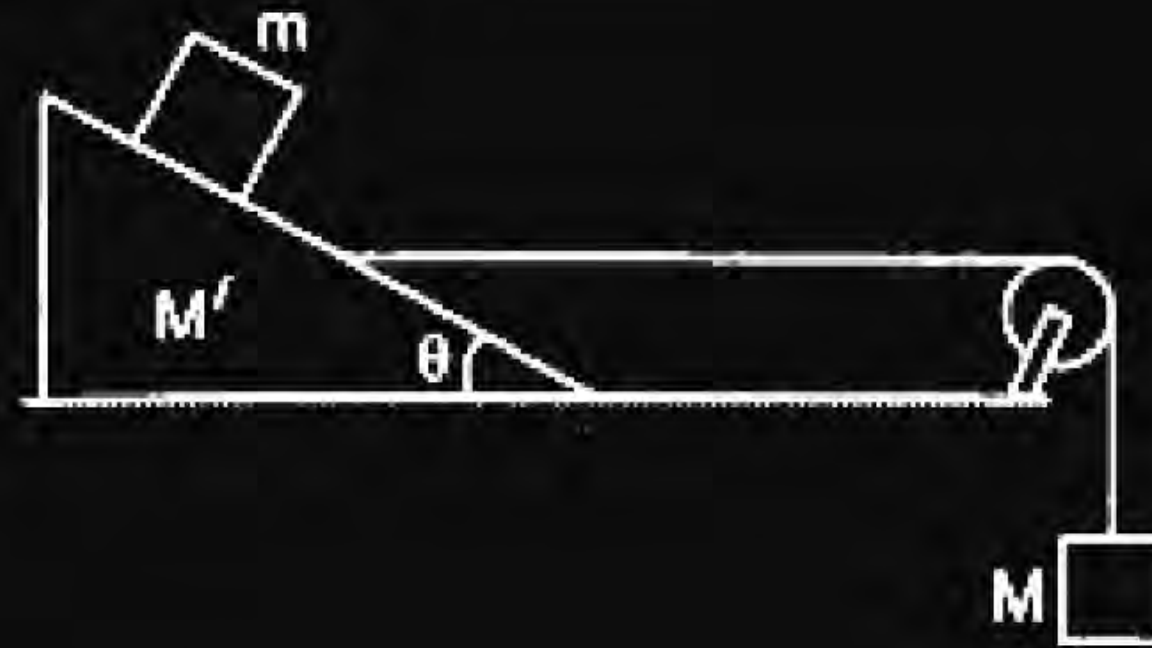
$$4m' - 3m' = 18$$

$$\boxed{m' = 18\text{kg}}$$

Question

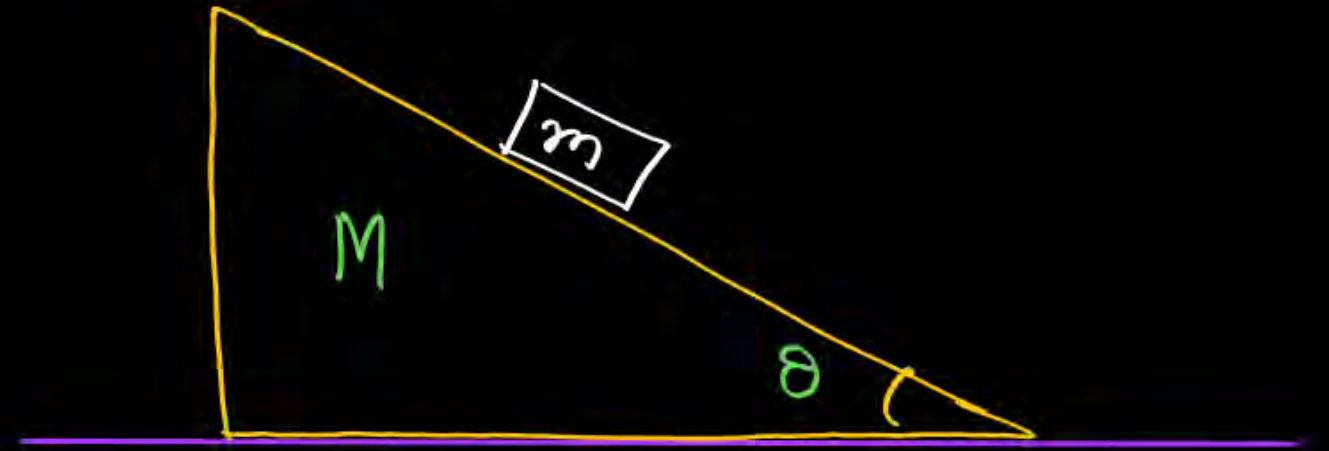


Find the mass M of the hanging block in figure which will prevent the smaller block from slipping over the triangular block. All the surfaces are frictionless and the strings and the pulleys are light.



find acceleration of wedge so that block will free fall.

$$a_{\text{acc}} = a = ??$$



free fall

$$N = 0$$

contact force

$$a = g \cot \theta$$

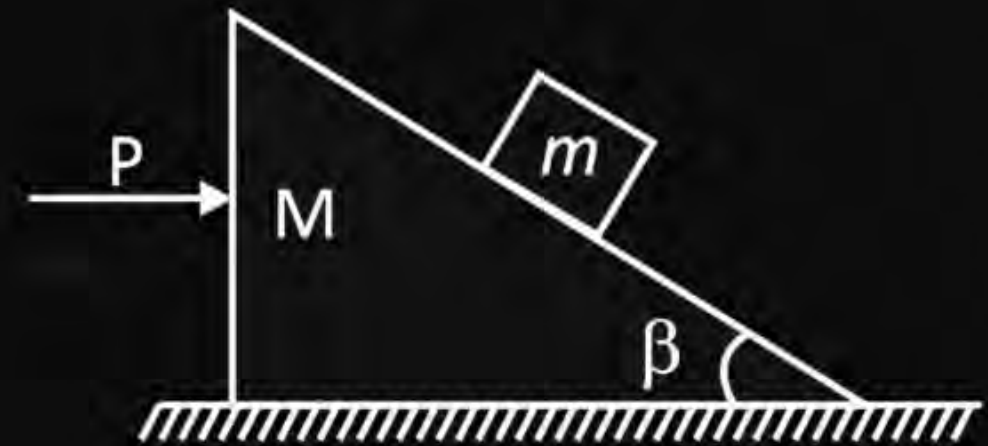
Question

H/W



A block of mass m , is kept on a wedge of mass M , as shown in figure such that mass m remains stationary w.r.t. wedge. The magnitude of force P is

- 1 $g \tan \beta$
- 2 $mg \tan \beta$
- 3 $(m + M)g \tan \beta$
- 4 $mg \cot \beta$



A block of mass m is placed on a smooth wedge of inclination θ . The whole system is accelerated horizontally so that the block does not slip on the wedge. The force exerted by the wedge on the block (g is acceleration due to gravity) will be

- 1 $mg \cos \theta$
- 2 $mg \sin \theta$
- 3 mg
- 4 $mg/\cos \theta$

Question

H/W



A cricketer catches a ball of mass 150 g in 0.1 s moving with speed 20 m/s, then the experiences force of

- 1 300 N
- 2 30 N
- 3 3 N
- 4 0.3 N

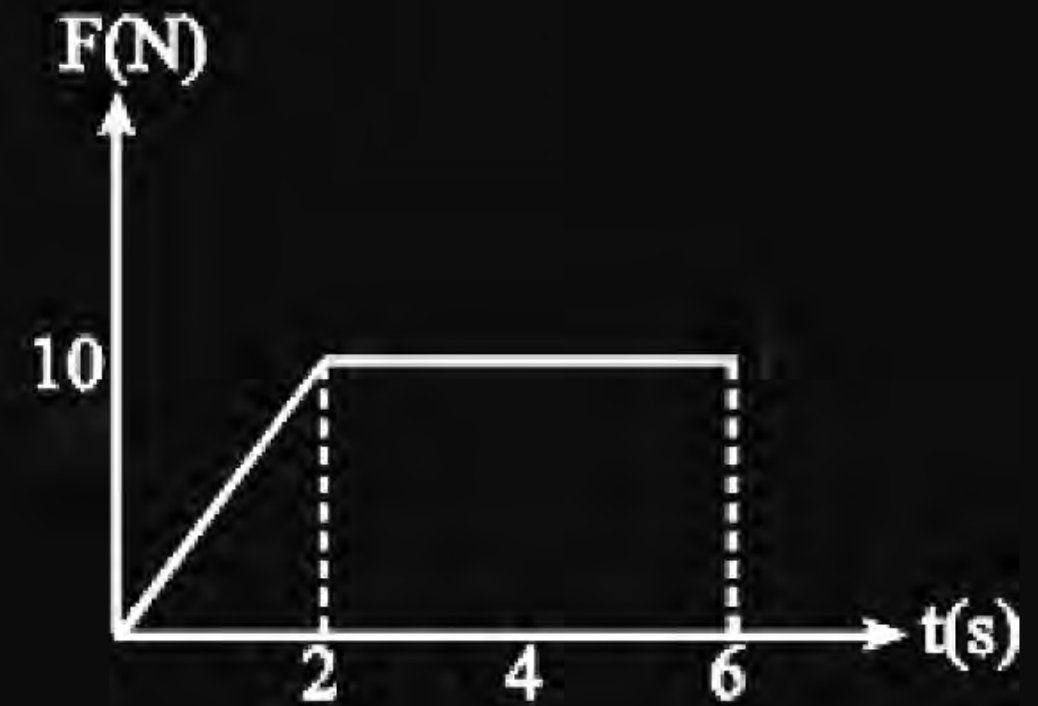
Question

H/W



A body of mass 3 kg is acted on by a force which varies as shown in the graph below. The momentum acquired is given by:

- 1 Zero
- 2 5 N-S
- 3 30 N-S
- 4 50 N-S



Question

H/W



The momentum p (in kg/m) of a particle is varying with time t (in s) as $p = 2 + 3t^2$.
The force acting on the particle at $t = 3$ s will be

1 18 N

2 54 N

3 9 N

4 15 N

Question

M/W



A force $\vec{F} = (2t\hat{i} + 3t^2\hat{j})N$ acts on an object moving in xy plane. Find magnitude of change in momentum of the object in time interval $t = 0$ to $t = 2s$.



←
Rapid Test

Notes में H/W
Marked hai
Wo Karna hai

THANK
YOU