

# YAKEEN NEET 2.0

**2026**

**Laws of Motion**

**Physics**

**Lecture – 02**

**By– Manish Raj (MR Sir)**



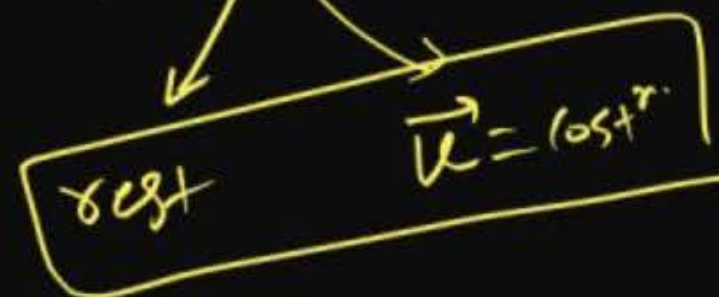


# Topics to be covered

1

#

PhD on Normal force, Tension force, & equilibrium



2

3

4

qaT must hai  $\rightarrow$  Assignment - 3 solve Karna

ansime  $\rightarrow$   $\Delta$  (qaT upla)  
motif in play every



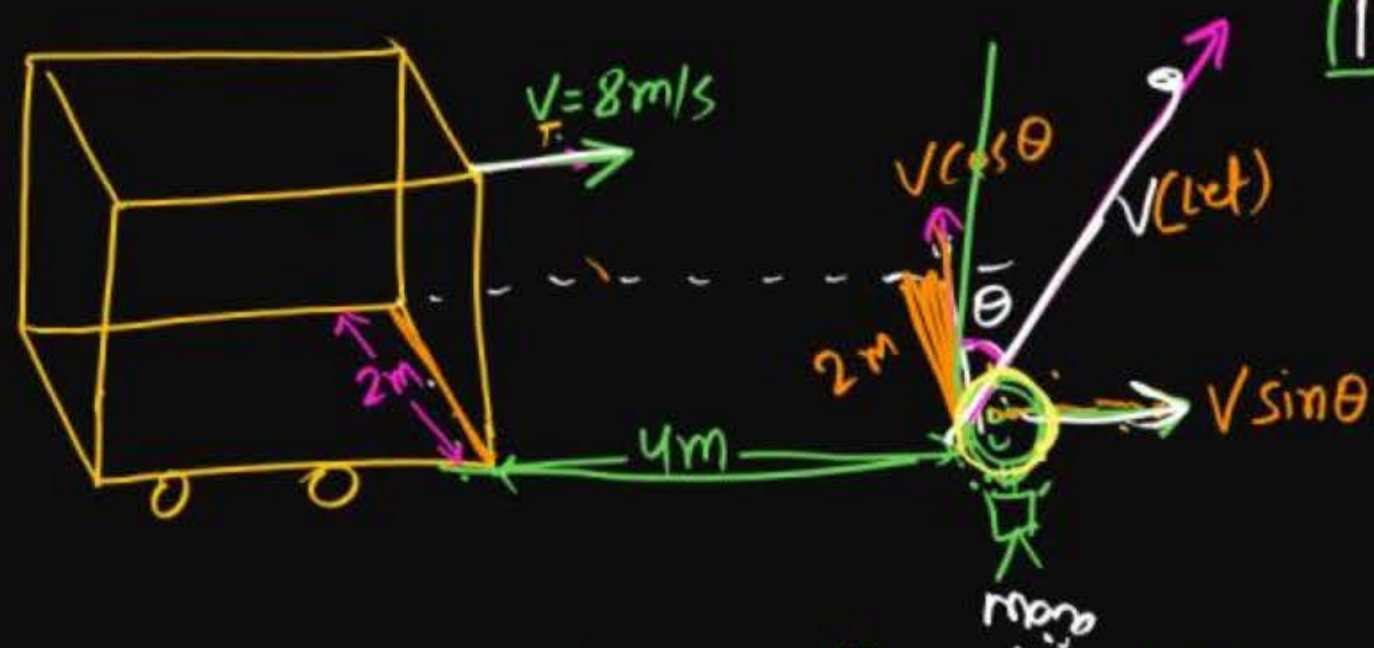
## Question

hint  $y = a \sin \theta + b \cos \theta$   
 $y_{\max} = \sqrt{a^2 + b^2}$



A 2m wide truck is moving with a uniform speed  $V_0 = 8 \text{ ms}^{-1}$  along a straight horizontal road. A pedestrian starts to cross the road with a uniform speed  $v$ , when the truck is 4 m away from him. The minimum value of  $v$  so that he can cross the road safely is

- 1  $2.62 \text{ ms}^{-1}$
- 2  $4.6 \text{ ms}^{-1}$
- 3  $3.57 \text{ ms}^{-1}$
- 4  $1.414 \text{ ms}^{-1}$



For road

$$t = \frac{2}{v \cos \theta} = \frac{\text{dist}^n}{\text{speed}} \quad \text{--- (i)}$$

For truck

$$t = \frac{4}{8 - v \sin \theta} \quad \text{--- (ii)}$$

$$(i) = (ii)$$

$$\frac{2}{v \cos \theta} = \frac{4}{8 - v \sin \theta}$$

$$8 - v \sin \theta = 2v \cos \theta$$

$$v(\sin \theta + 2 \cos \theta) = 8$$

$$v_{\min} = \frac{8}{(\sin \theta + 2 \cos \theta)_{\max}}$$

$$v_{\min} = \frac{8}{\sqrt{1+2^2}} = \frac{8}{\sqrt{5}} = 3.57 \text{ m/s}$$




# HOMEWORK.


(Q) object is project at angle  $\theta$  such that its position vector always increases <sup>from project</sup> then find max<sup>m</sup> angle of projection.

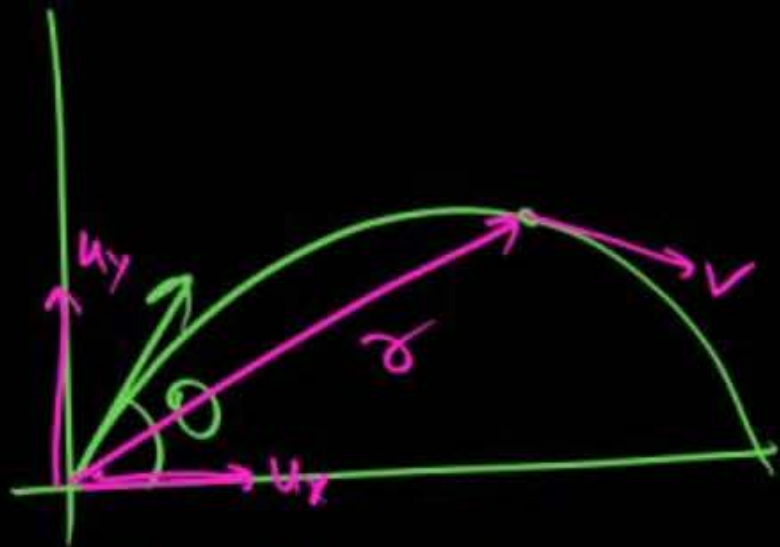
(last class में दिया था।)

if velocity is along position vector then  $\vec{r} \rightarrow$  Incre.

(#)  $(0,0) \xrightarrow{\vec{r}}$    $\vec{r} \cdot \vec{v} = +ve \ r v \cos \theta$   
 ↑ Angle  $\theta$  b/w  $\vec{r}$  &  $\vec{v}$  is acute  $\theta < 90^\circ$   
 then  $\vec{r} \uparrow$

(#)  $(0,0) \xrightarrow{\vec{r}}$    $90^\circ$  length  $\vec{r} \cos \theta$

(#)  $(0,0) \xrightarrow{\vec{r}}$    $\theta > 90^\circ$   
 $\vec{r} \cdot \vec{v} = 0$  (circular motion)  
 $\vec{r} \cdot \vec{v} = -ve$  (obtuse angle)  $\vec{r} \downarrow$



(#)  $\vec{v} = u_x \hat{i} + (u_y - gt) \hat{j}$   $\vec{v} \cdot \vec{r} \geq 0$

(#)  $\vec{r} = u_x t \hat{i} + (u_y t - \frac{1}{2} g t^2) \hat{j}$   $\sin^2 \theta = \frac{8}{9}$

$\sin \theta = \sqrt{8/9}$   
 $\theta \leq 70^\circ$

notes में लिखी

(Q) find  $u$  so that ball will collide & time of collision.

IIT Adv  
2014

Cond<sup>n</sup> of collision.

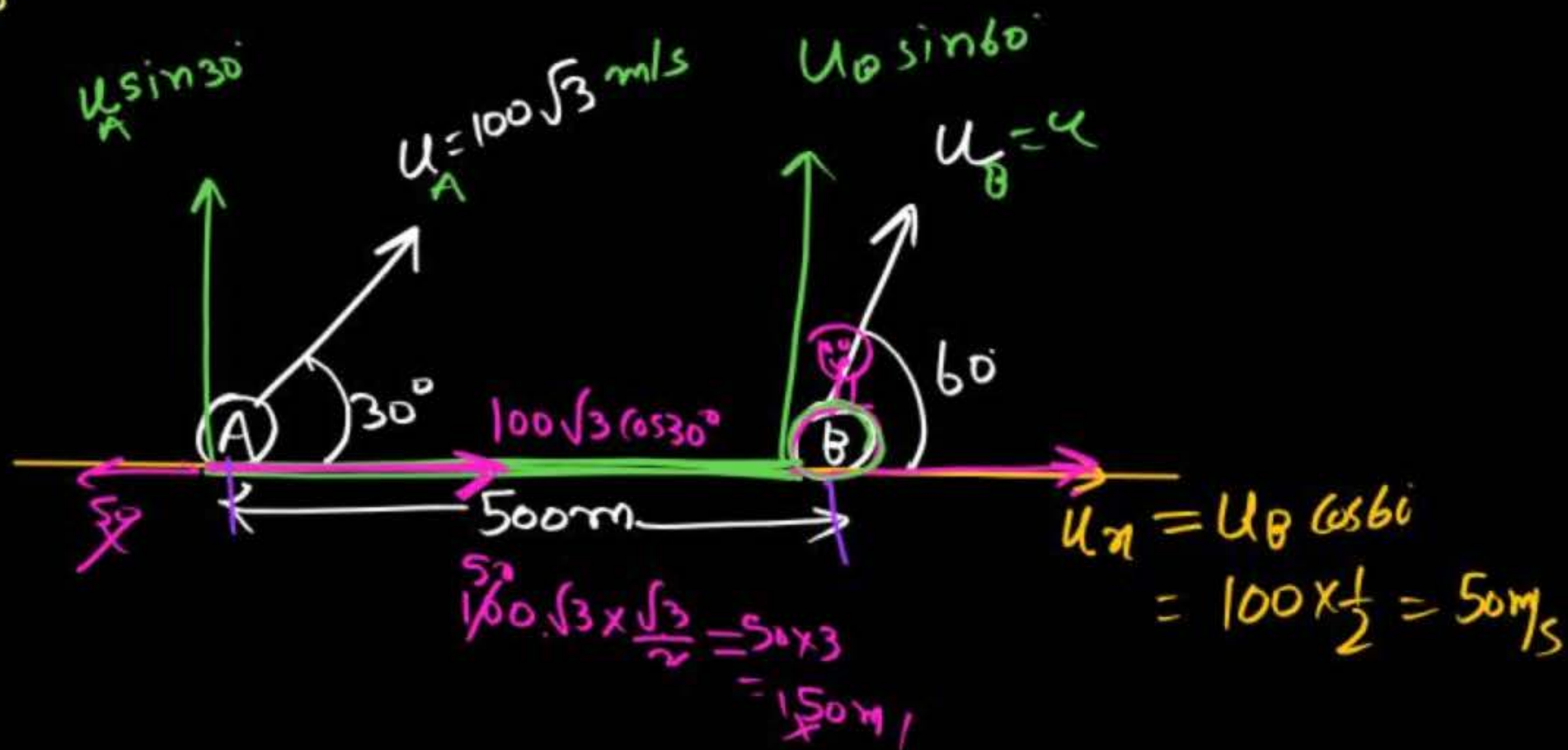
\* Comp<sup>n</sup> of velocity  $\perp$  to line joining must be same.

$$u_A \sin 30^\circ = u_B \sin 60^\circ$$

$$\Rightarrow 100\sqrt{3} \sin 30^\circ = u_B \sin 60^\circ$$

$$100\sqrt{3} \times \frac{1}{2} = u_B \frac{\sqrt{3}}{2}$$

$$\boxed{u_B = 100 \text{ m/s}}$$



# Consider motion in x-axis

$$t = \frac{\text{length of line joining}}{\text{Relative velocity along line joining}}$$

$$t = \frac{500}{150 - 50} = \frac{500}{100} = 5 \text{ sec}$$

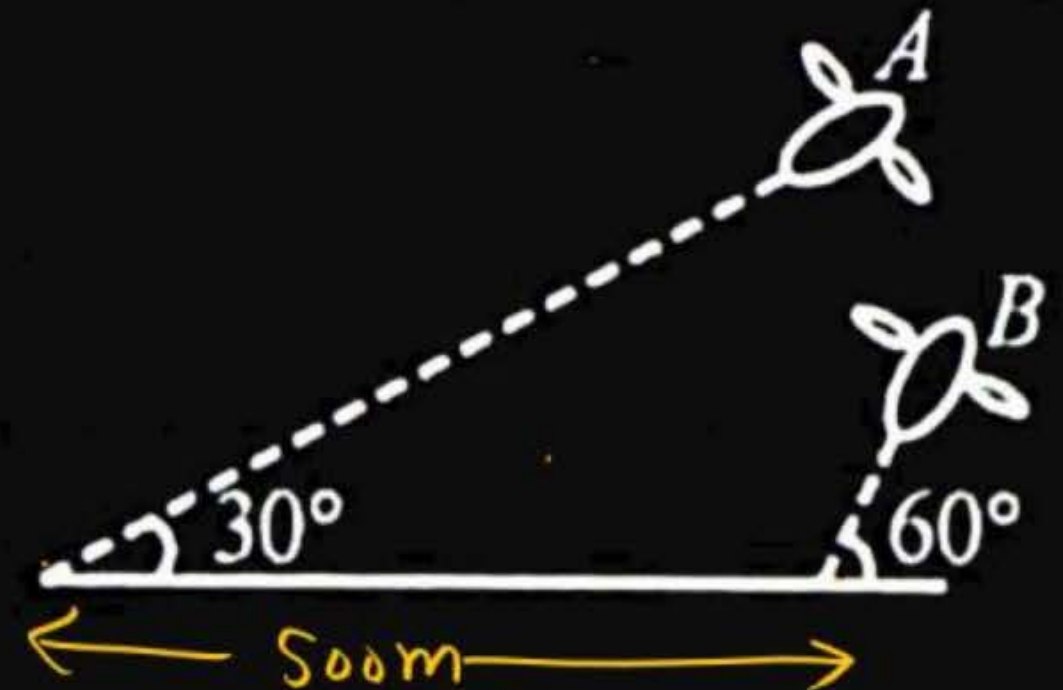


## Question



Airplanes A and B are flying with constant velocity in the same vertical plane at angles  $30^\circ$  and  $60^\circ$  with respect to the horizontal respectively as shown in the figure. The speed of A is  $100\sqrt{3} \text{ ms}^{-1}$ . At the time  $t = 0\text{s}$ , an observer in A finds B at a distance of 500 m. This observer sees B moving with a constant velocity perpendicular to the line of motion of A. If at  $t = t_0$ , A just escapes being hit by B,  $t_0$  in seconds is

**[JEE ADV, 2014]**



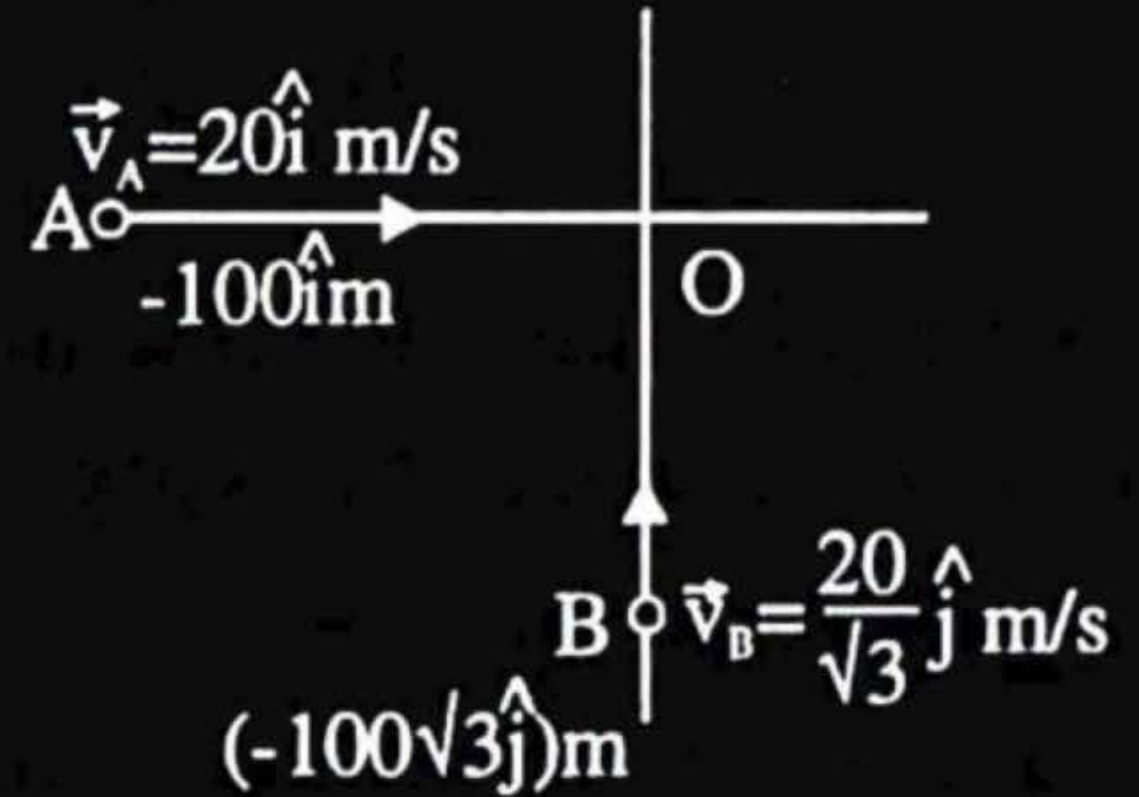
## Question



H/W → Ascey → 5

Positions of two vehicles A and B with reference to origin O and their velocities are as shown. Which of the following options is incorrect?

- 1 They will collide.
- 2 Distance of closest approach is 100 m.
- 3 Their relative velocity is  $\frac{40}{\sqrt{3}}$  m/s
- 4 Their relative velocity is  $\frac{20}{\sqrt{3}}$  m/s

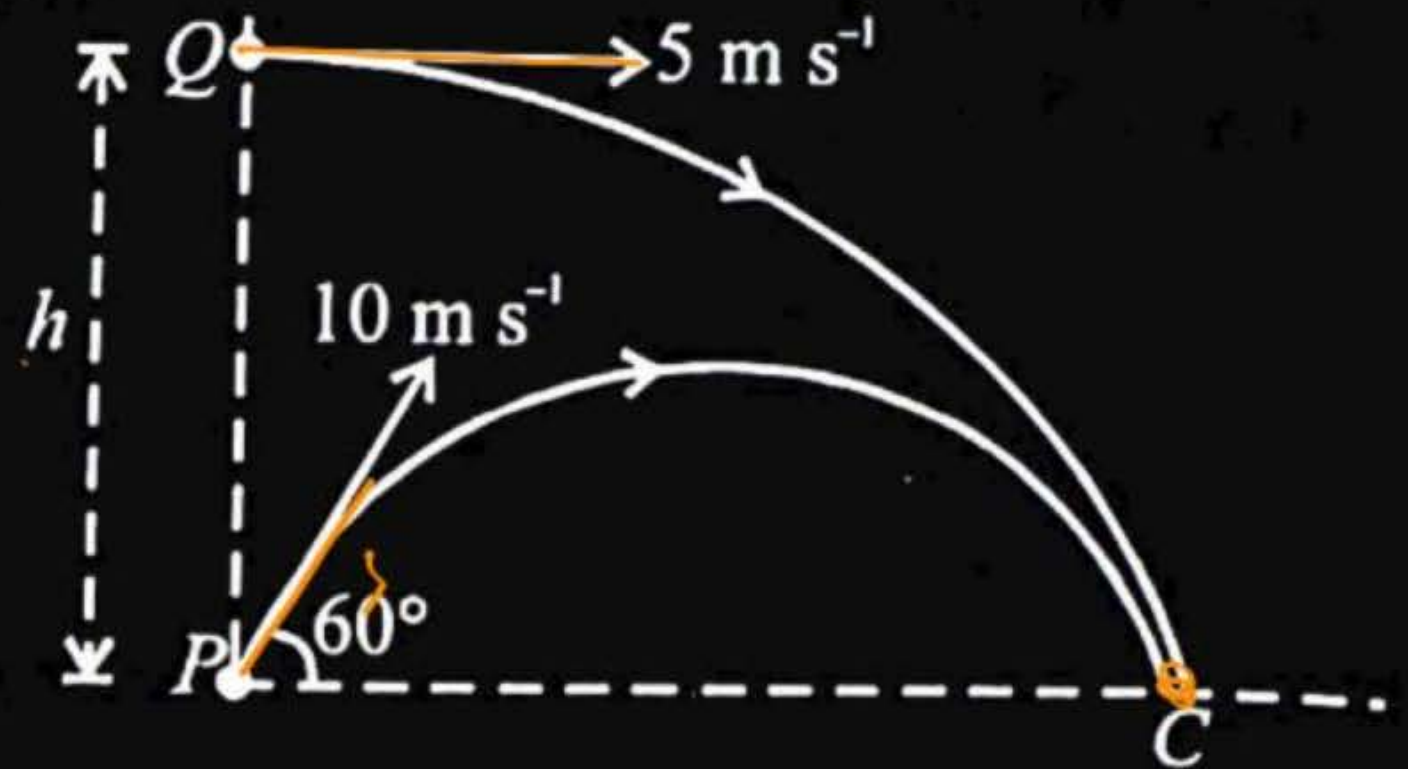




## Question

A particle P is projected from ground with an initial speed of  $10 \text{ m/s}$  at an angle of  $60^\circ$  with the horizontal. From what height  $h$  should another particle be projected horizontally with velocity  $5 \text{ m/s}$  so that both the particles collide in ground at point C, if both are projected simultaneously? ( $g = 10 \text{ m/s}^2$ )

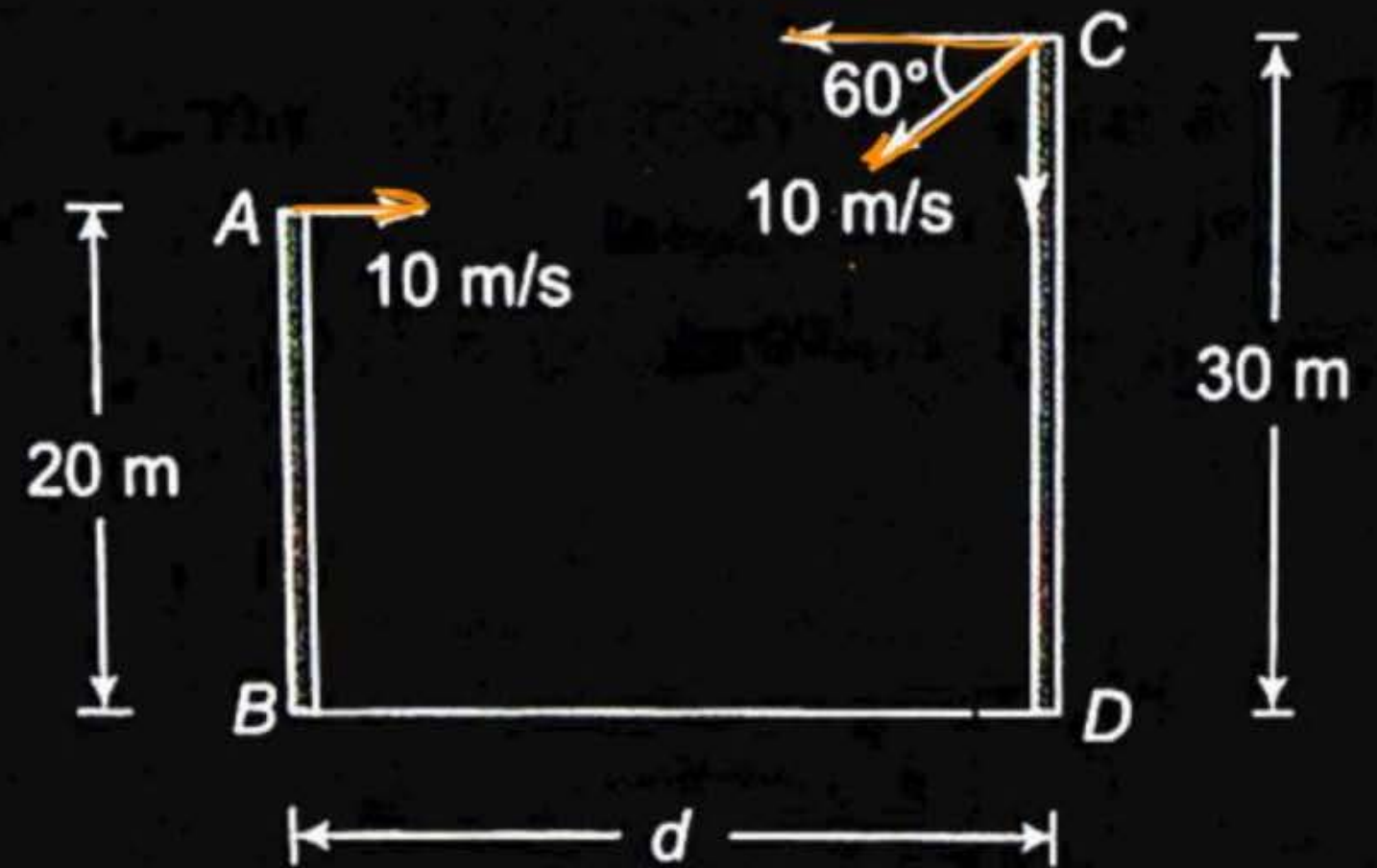
- 1 10 m
- 2 30 m
- 3 15 m
- 4 25 m



## Question



Consider the situation as shown in the figure. Two balls are thrown simultaneously with same speed  $10 \text{ m/s}$ , one horizontally and another at angle  $60^\circ$  in downward direction. After sometime balls collide in mid-air, find distance  $d$ .





## Question



*H/W (clue)*  
A particle is projected from ground at an angle  $\theta$  with horizontal with speed  $u$ . The ratio of radius of curvature of its trajectory at the point of projection to the radius of curvature at maximum height is

1  $\frac{1}{\sin^2 \theta \cos \theta}$

2  $\cos^2 \theta$

3  $\frac{1}{\sin^3 \theta}$

4  $\frac{1}{\cos^3 \theta}$

## Question



H/W

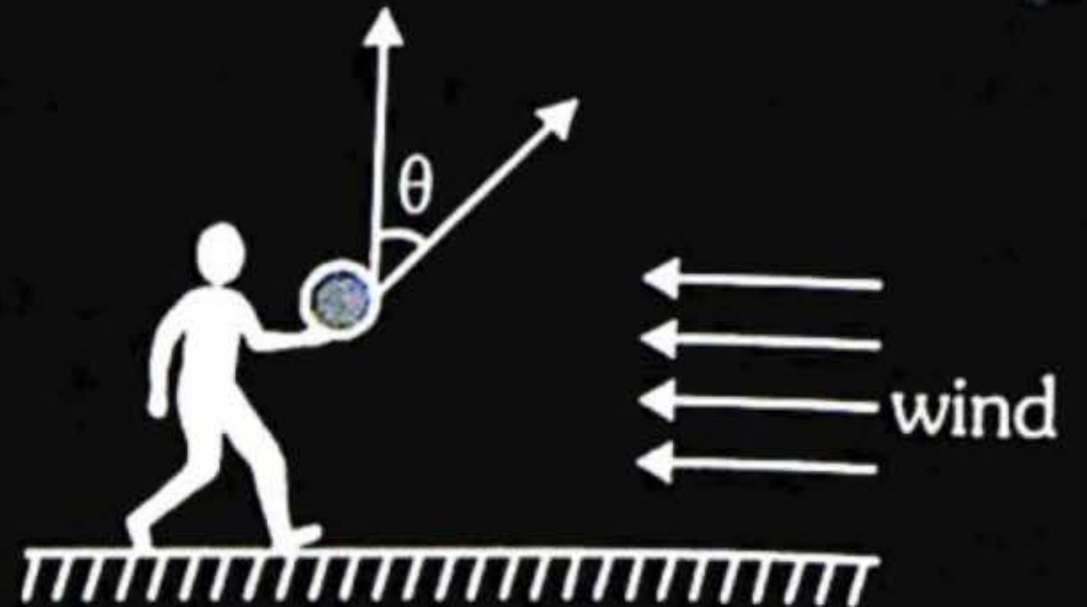
A boy throws a ball upwards with velocity  $v_0 = 20 \text{ m/s}$ . The wind imparts a horizontal acceleration of  $4 \text{ m/s}^2$  to the ball. The angle  $\theta$  from vertical at which the ball must be thrown so that the ball returns to the boy's hand is ( $g = 10 \text{ m/s}^2$ )

1  $\tan^{-1}(1.2)$

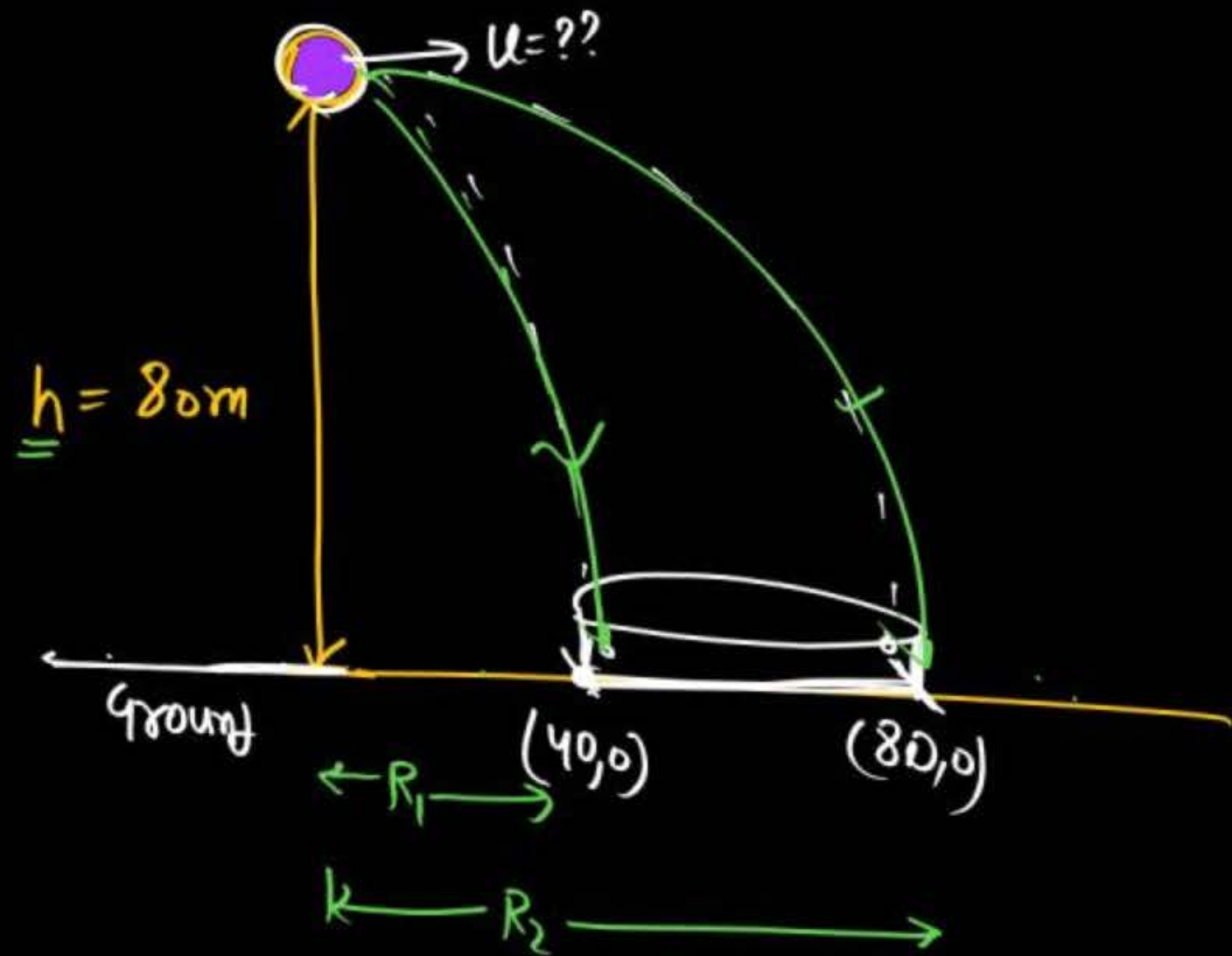
2  $\tan^{-1}(0.2)$

3  $\tan^{-1}(2)$

4  $\tan^{-1}(0.4)$







find  $u_{\min}$  &  $u_{\max}$  so that  
ball will fall in given  
containers.

$$T = \sqrt{\frac{2H}{g}} = \sqrt{\frac{2 \times 80}{10}} = \sqrt{16} = 4 \text{ sec.}$$

$$\text{for } R_1 = u_x T_f$$

$$\frac{40}{10} = u_x \times 4$$

$$u_x = 10 \text{ m/s}$$

min

$$R_2 = u_x T_f$$

$$20 \times 4 = u_{\max} \times 4$$

$$u_{\max} = 20 \text{ m/s}$$

NL.M



# Normal Reaction (Contact Force)

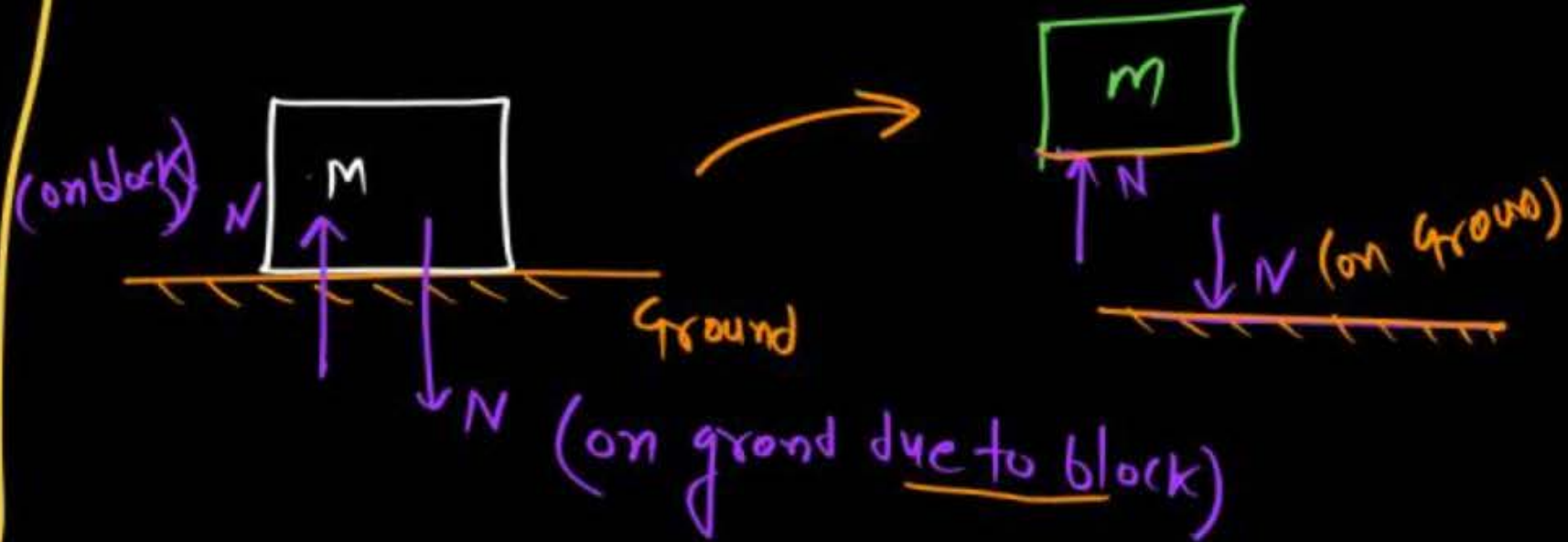
→ when two object in contact

→ Normal ( $N=0$ ) No contact

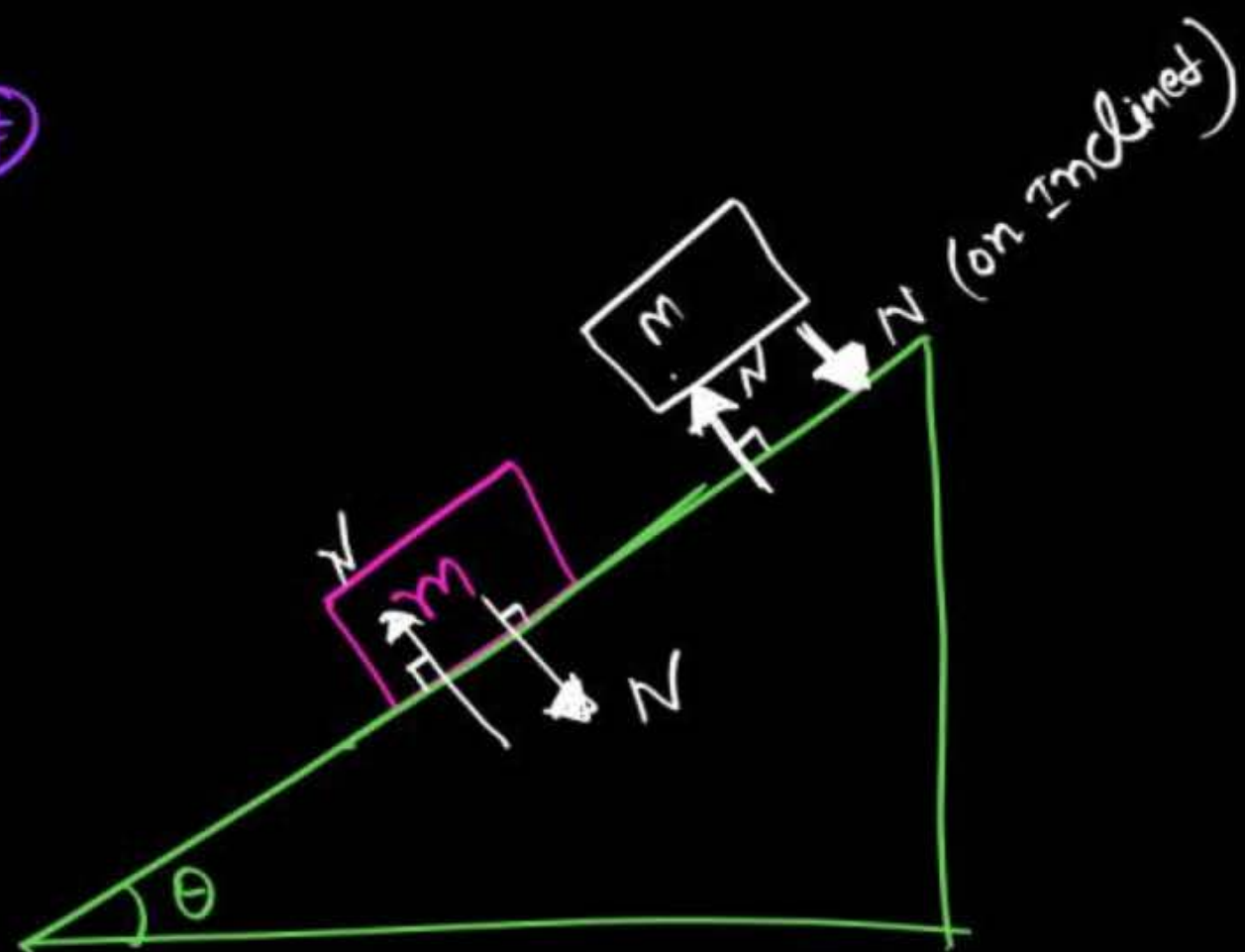
**MRX BOX! —** for Normal

⇒ Contact surface ke  $\perp$   
perpendicular do parallel line  
draw Karo, Normal force  
upar wale pe upar, niche  
pe niche, aage pe aage  
pichhe pe pichhe.

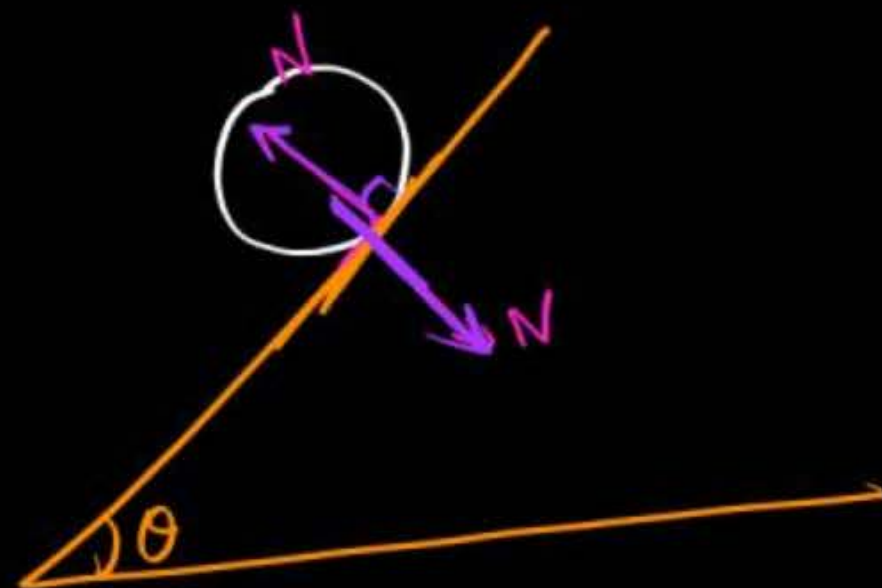
ex contact → 2 line.



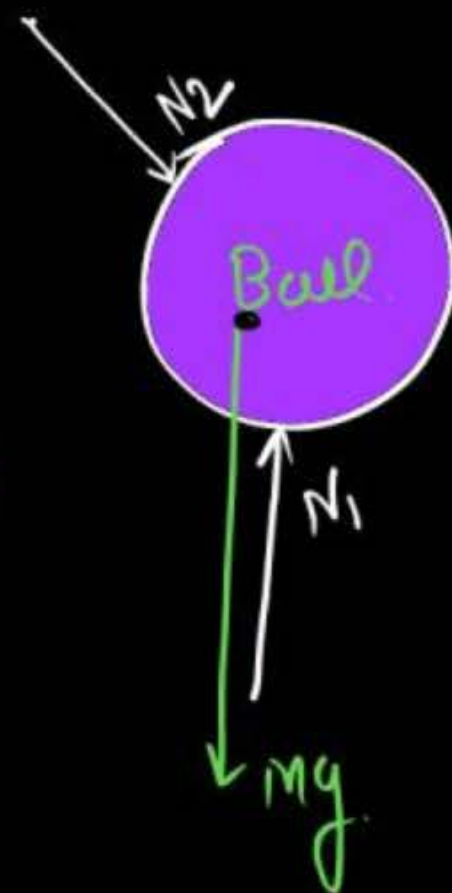
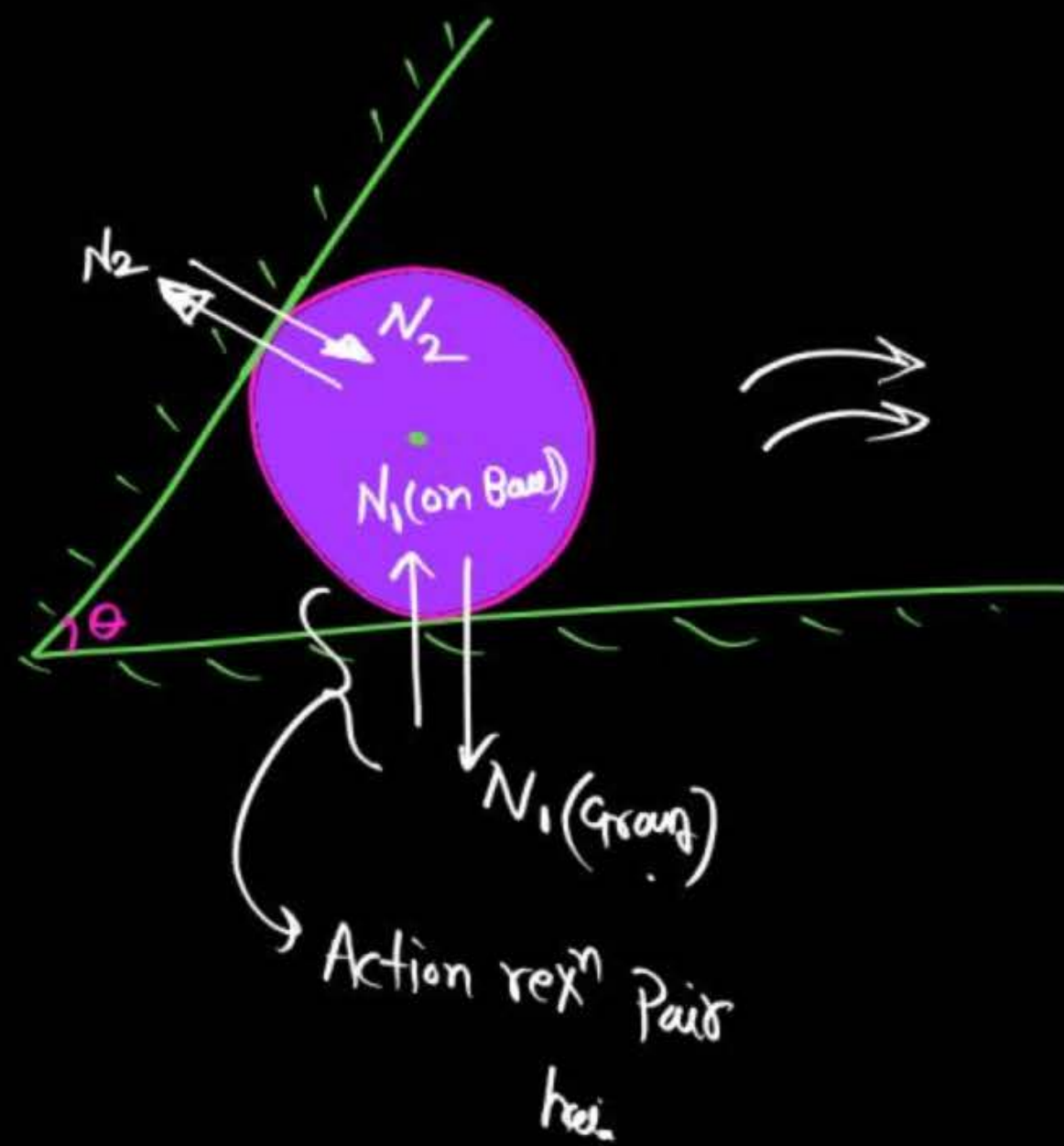
#



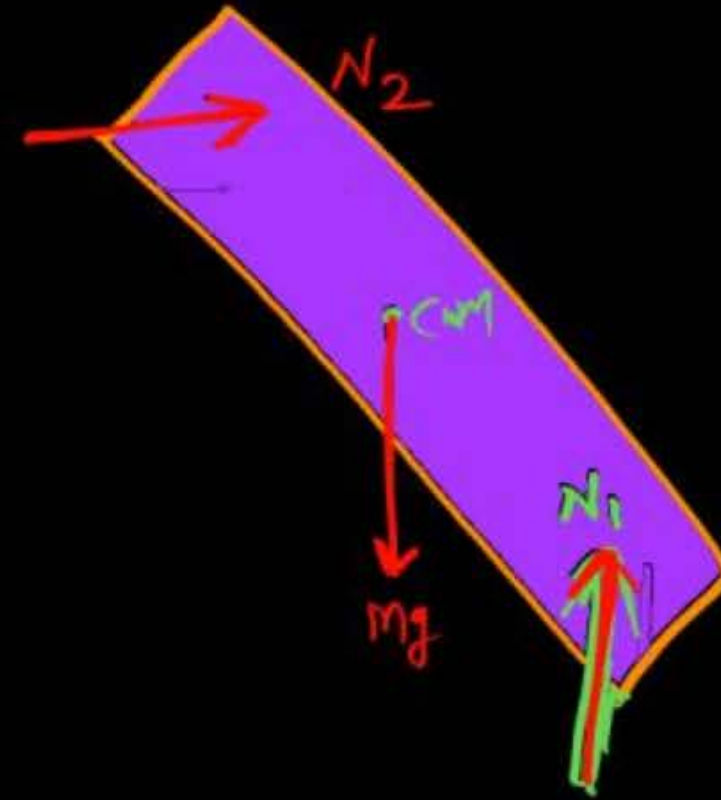
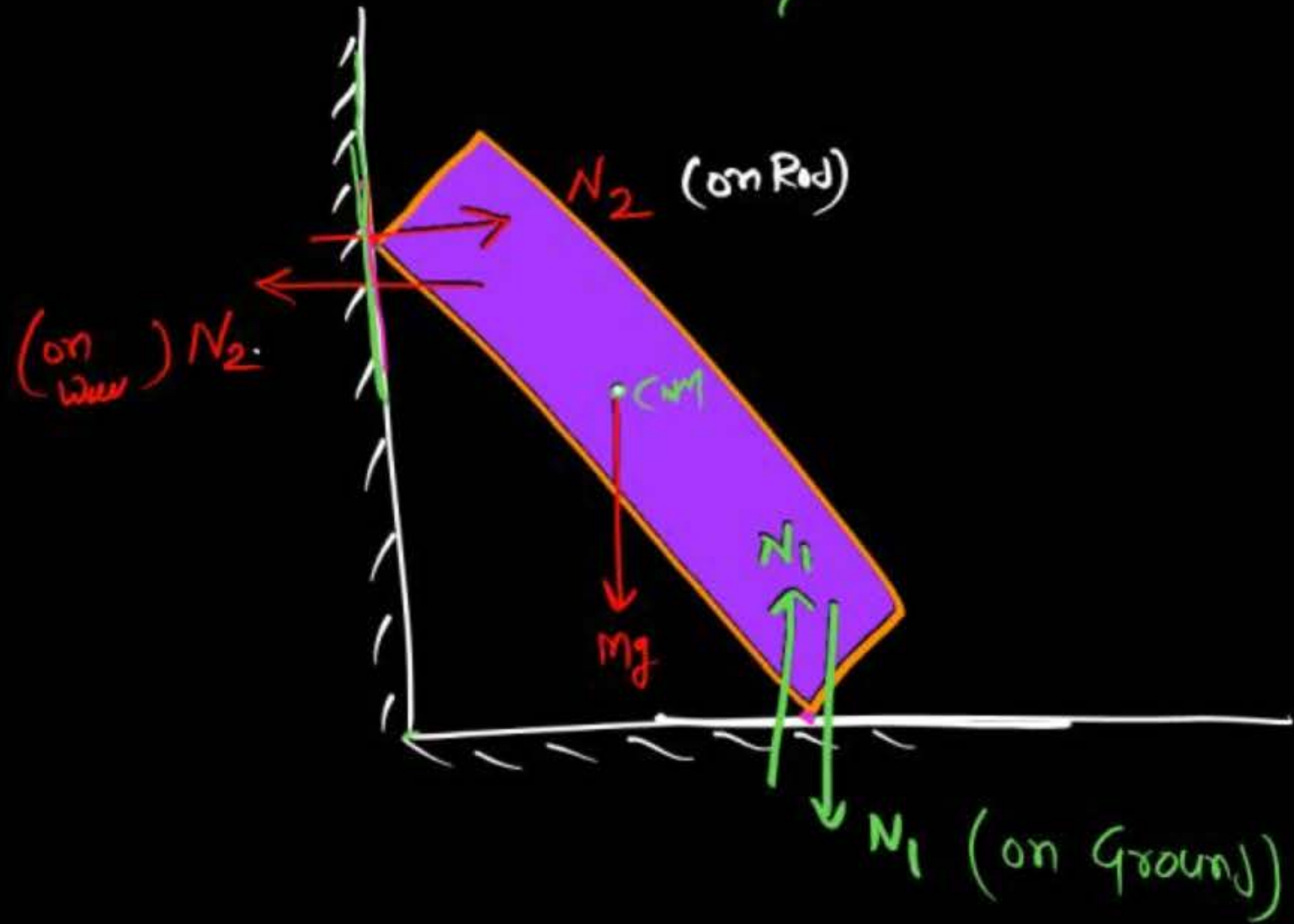
MR & BOY.  
Normal ka ek hi naya  
1 contact pr 2 line ho  
hamara.





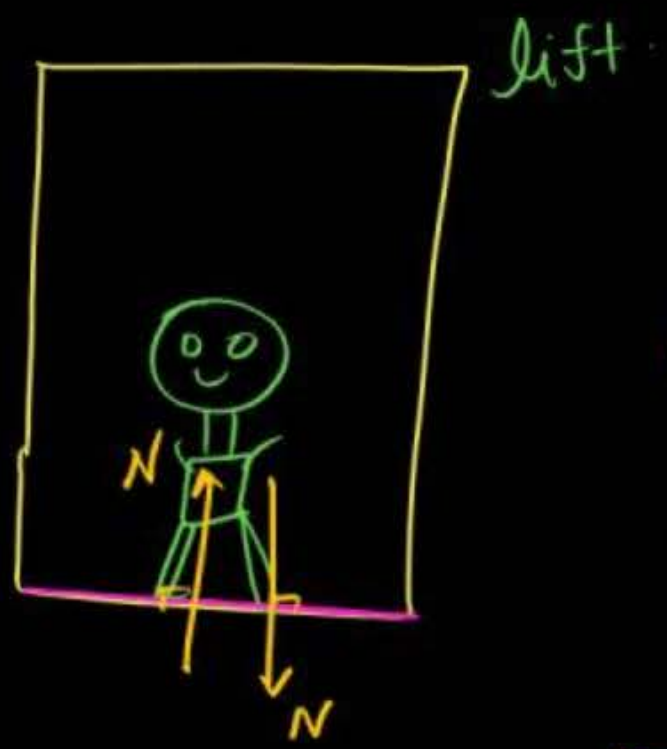


FBD

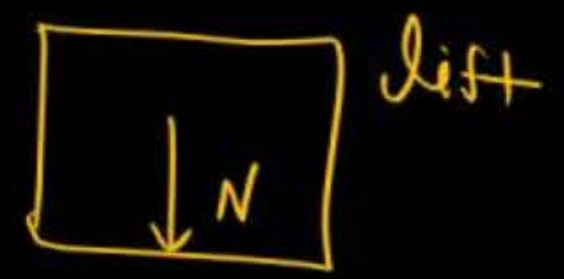




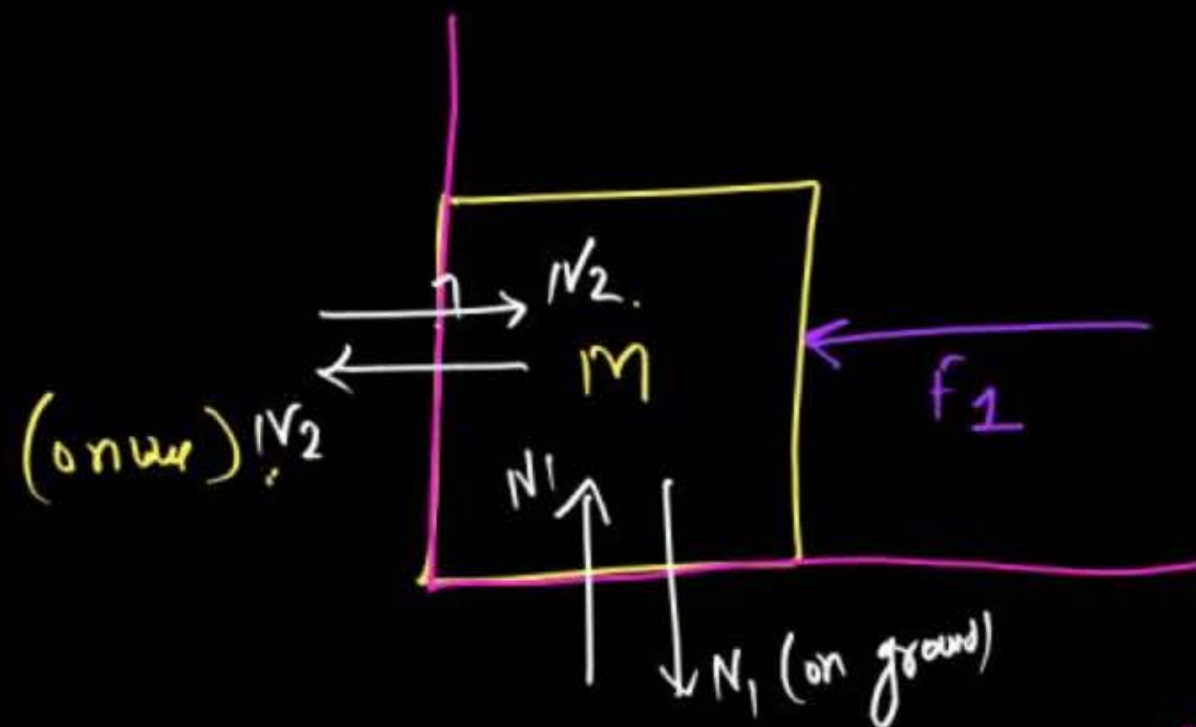
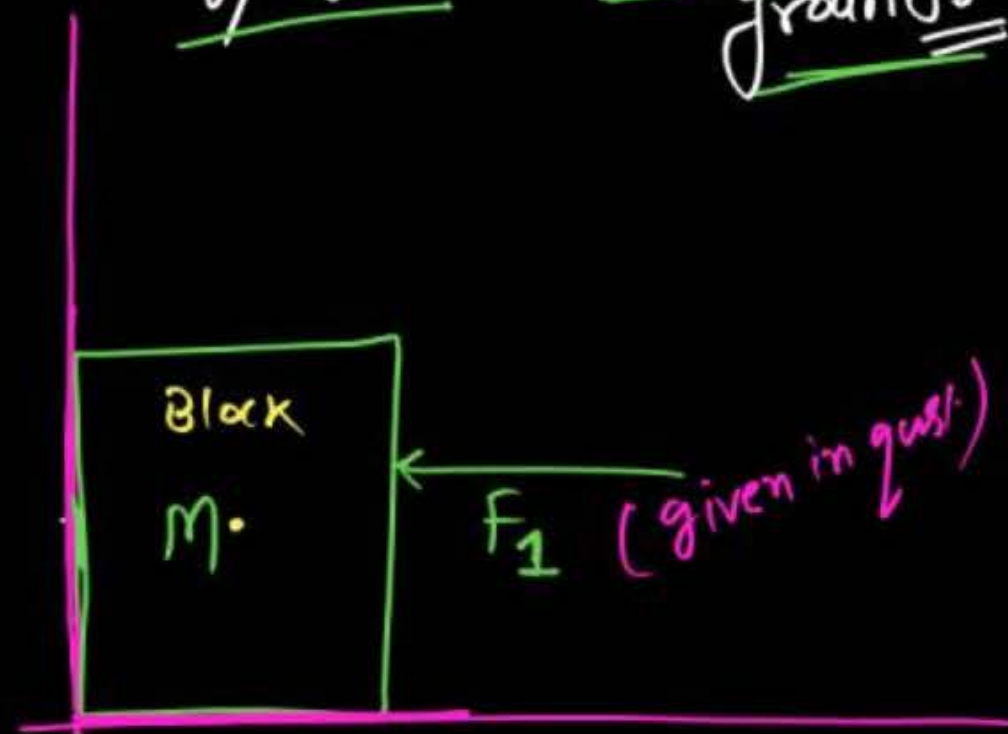
Dir<sup>n</sup> of Normal on man & lift? ??



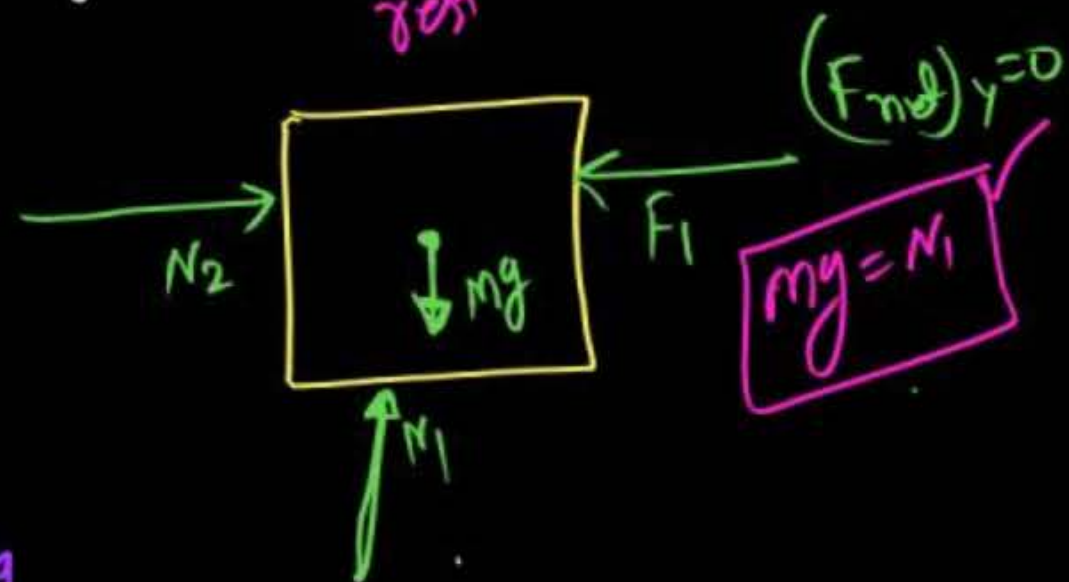
Dono foot ko ek man liya



Find Normal  $\sigma_x^m$  applied  
by Block on wall & ground.

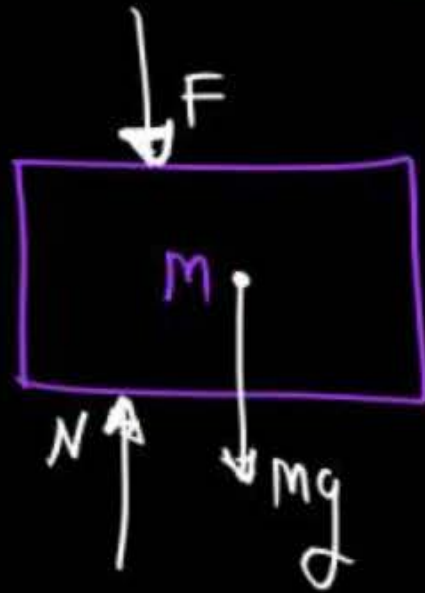
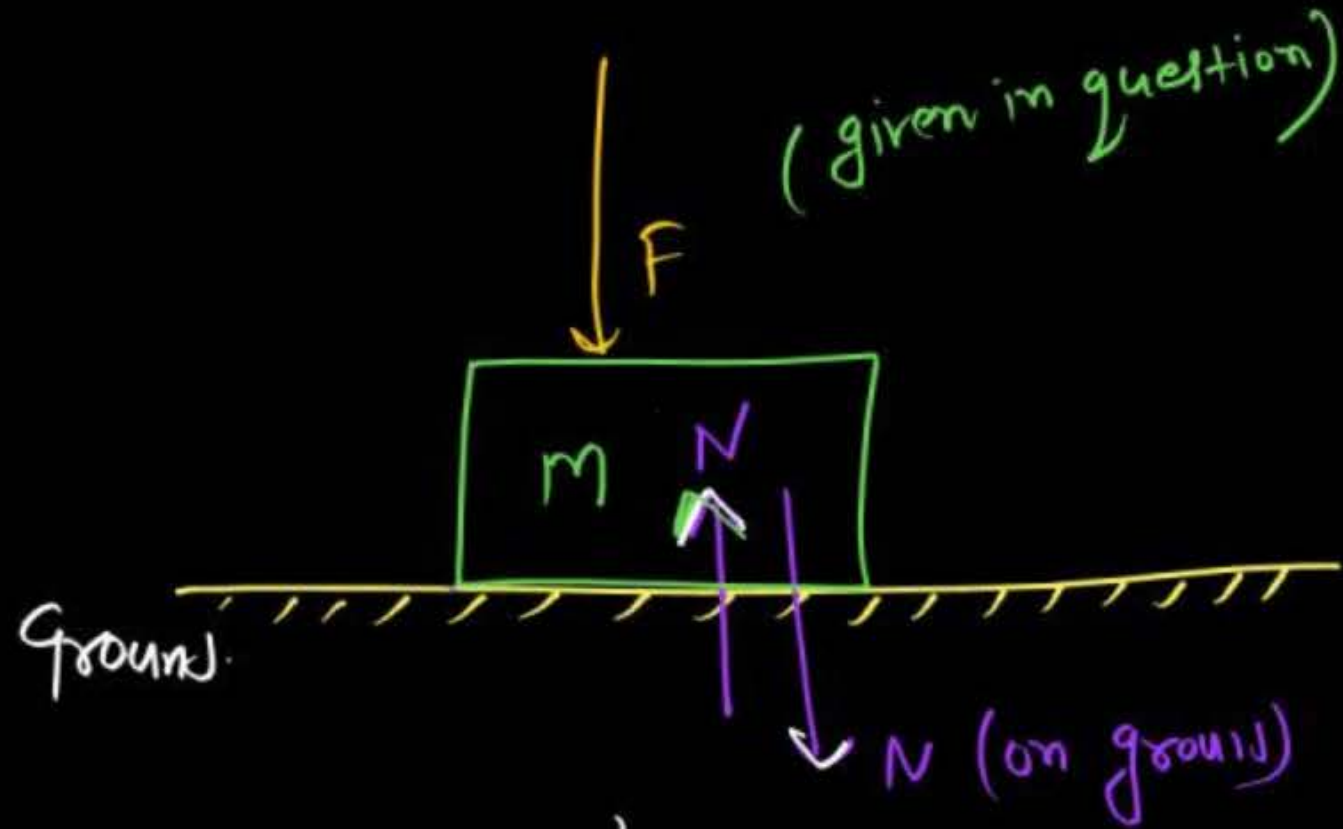


rest  $\rightarrow (F_{net})_{nd} = 0$   
 $F_1 = N_2$



Force on ground due to  
block  $N_1 = mg$   
Force on wall  $= N_2 = F_1$

Q) Find Normal force  
b/w Block & ground



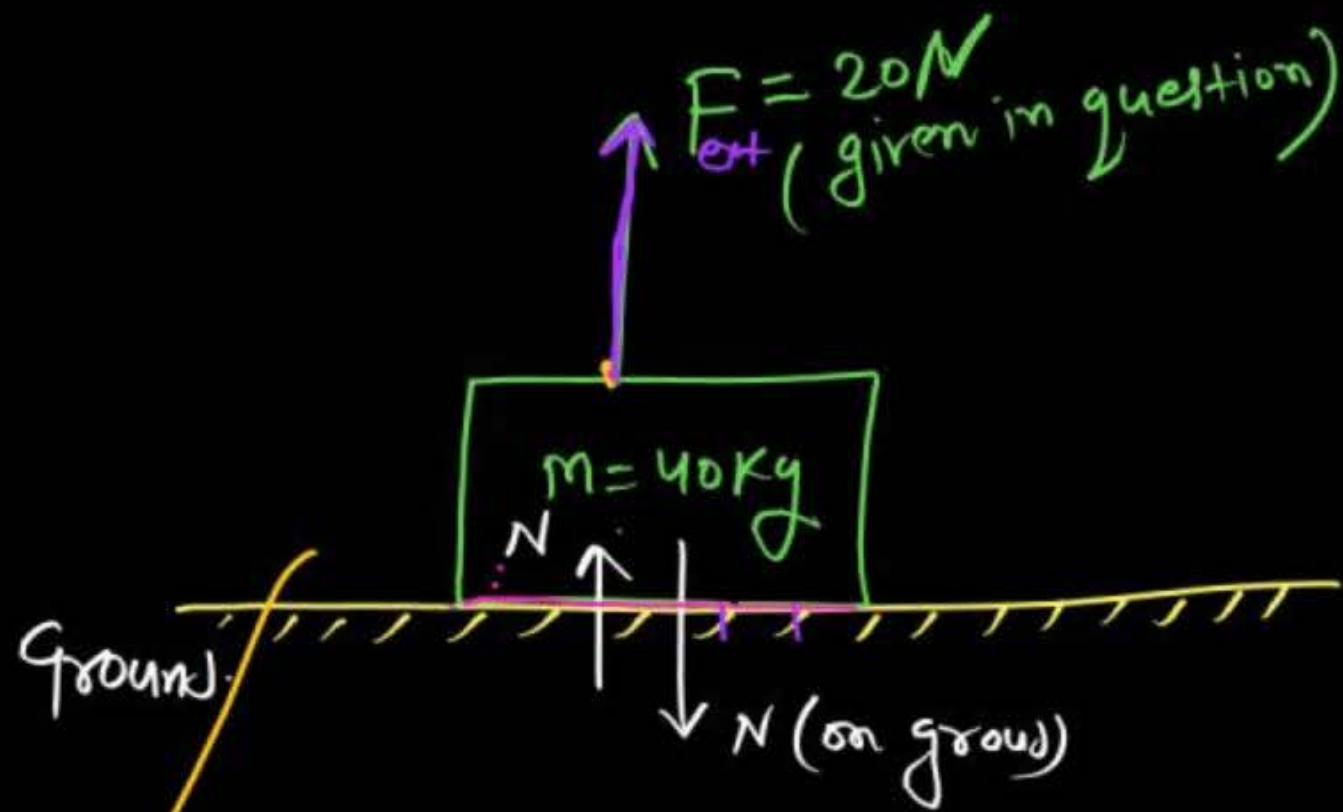
Rest  $\rightarrow$  equilibrium ( $F_{\text{net}} = 0$ )

$$F + mg = N \text{ (on block due to ground)}$$

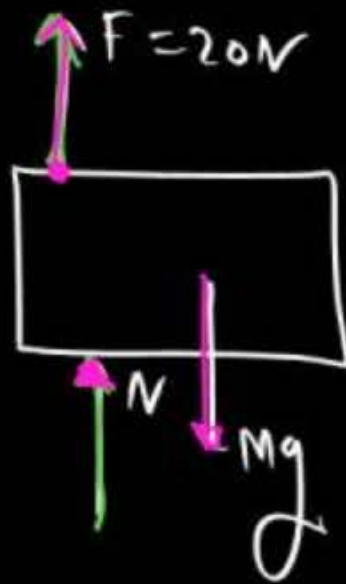
Force applied by Block on ground =  
 $N_{\text{on ground}} = F + mg$   
(downward)



Q1) Find Normal force  
b/w Block & ground



Free body  
diagram



$$\text{Rest } (F=0)$$

$$(N+F) = mg$$

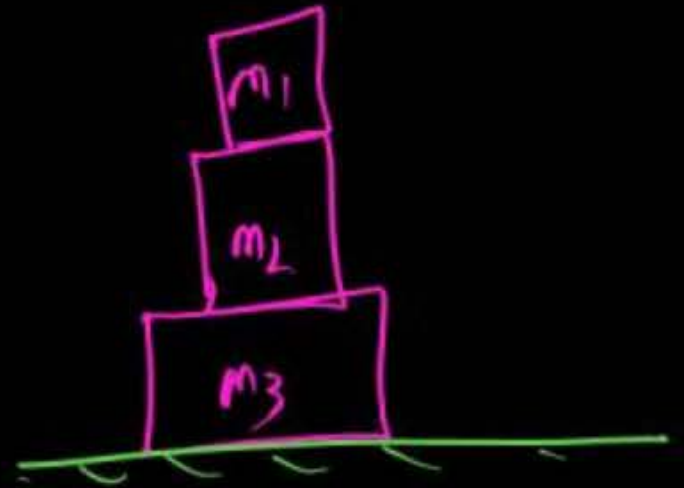
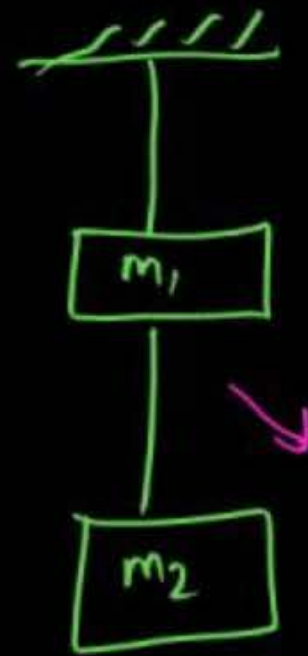
$$N = mg - F$$

$$N = 40 \times 10 - 20 = 400 - 20 = 380 \text{ N}$$

# free body diagram (F.B.D)

MR\* Box: — for F.B.D

- ✓ (1) Body ~~to~~ system se separate kar lo.
- ✓ (2) object par <sup>(body)</sup> Kitne (no.) force kithor (dirn) ke sath dekh lo
- ✓ (3) sare force ko vector form me object par dakh karo.
- ✓ (4) Now apply laws of motion

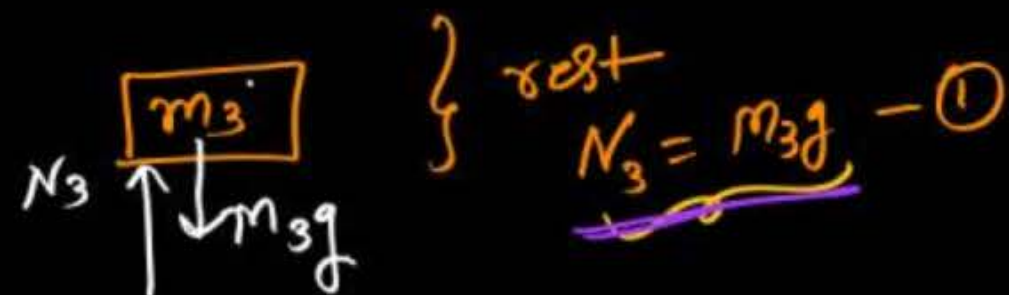


likho

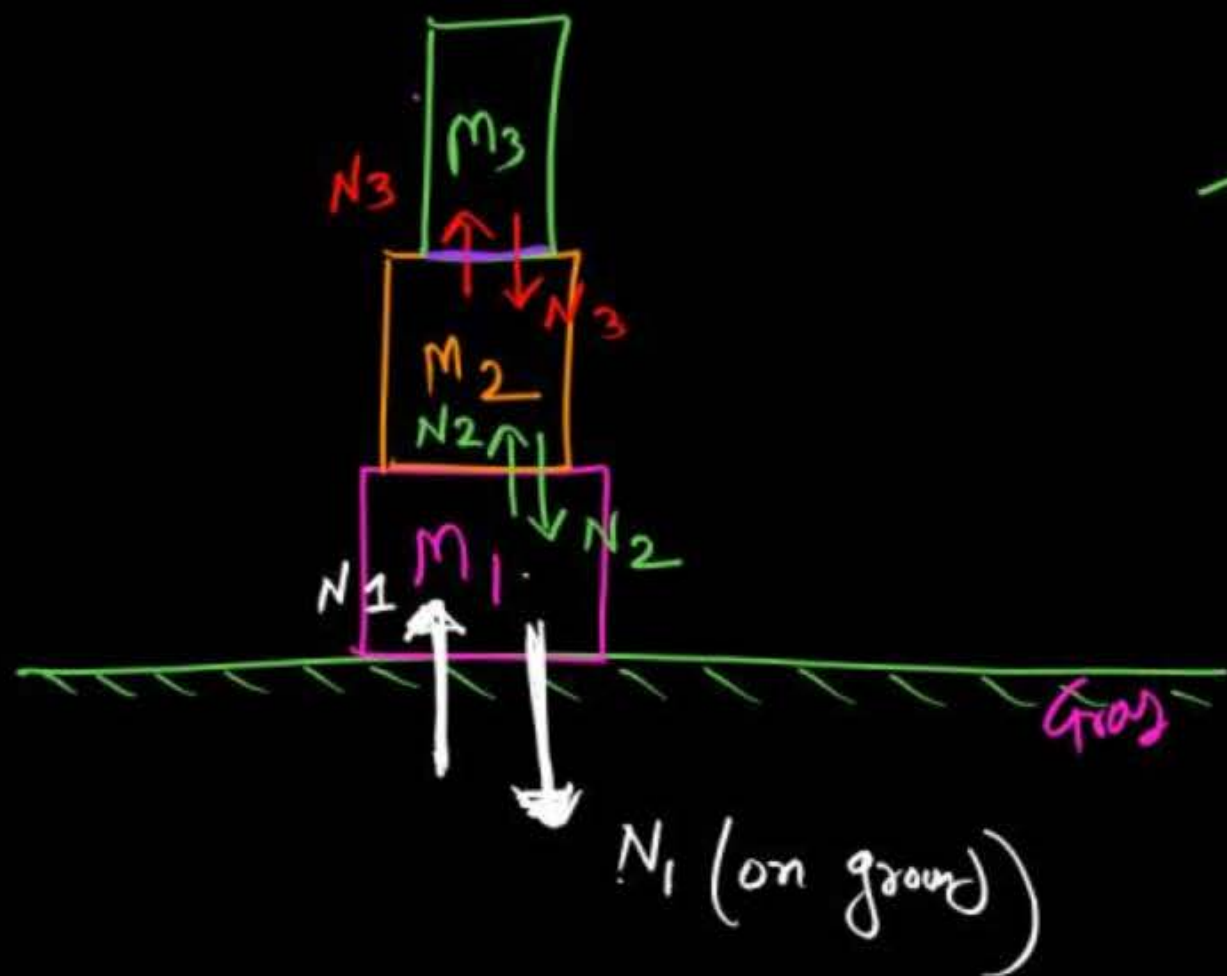
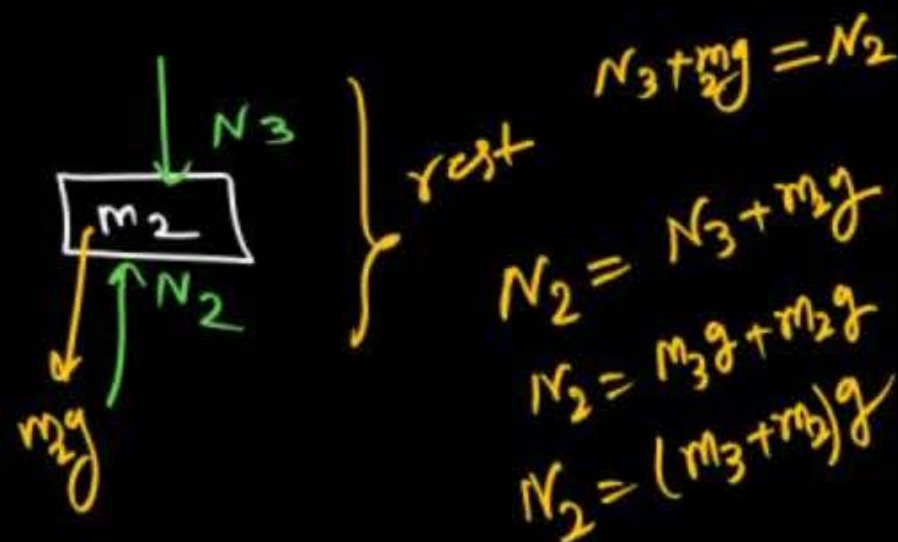


# Likhno

FBD of  $m_3$



FBD of  $m_2$



on ground  
 by  $m_1 \Rightarrow N_1 = (m_1 + m_2 + m_3)g$

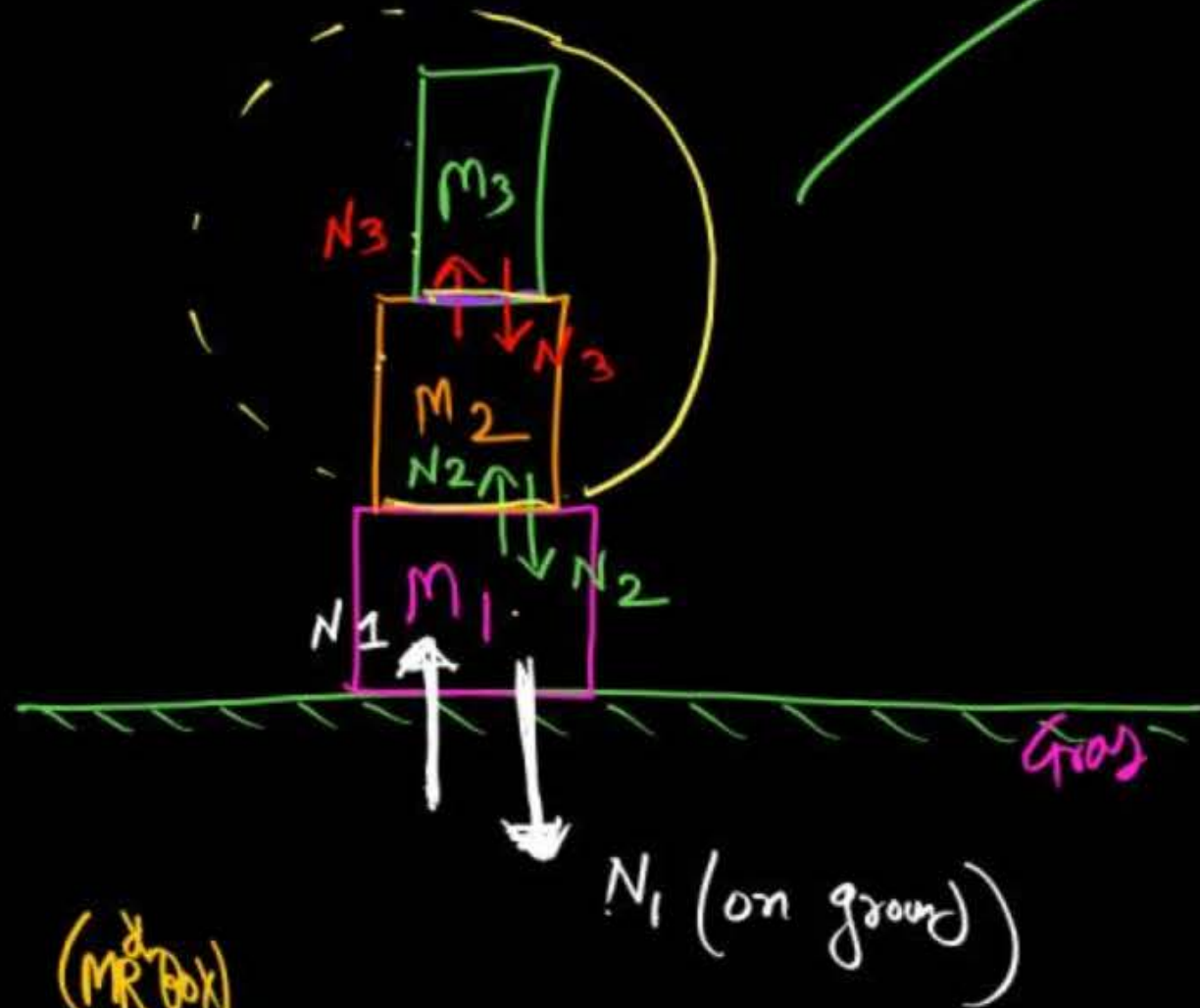
$F_y = 0$   
 $N_2 + m_1g = N_1$

$N_1 = (m_3 + m_2)g + m_1g$



# Likhno

Combined F.B.D of  $m_1, m_2$  &  $m_3$ .



$N_1$  (on ground)

(MR Box)

Jab bhi 2 ya 3  
object ko ek sath  
system assume karenge

to unke bich ka Normal cancel hoga

$m_1, m_2, m_3$

$N_1$

$(m_1 + m_2 + m_3)g$

Now contact  
force b/w  
 $m_1$  &  $m_2$  &  $m_3$   
will cancel

F.B.D of  $m_2$  &  $m_3$

$m_2 + m_3$

$N_2$

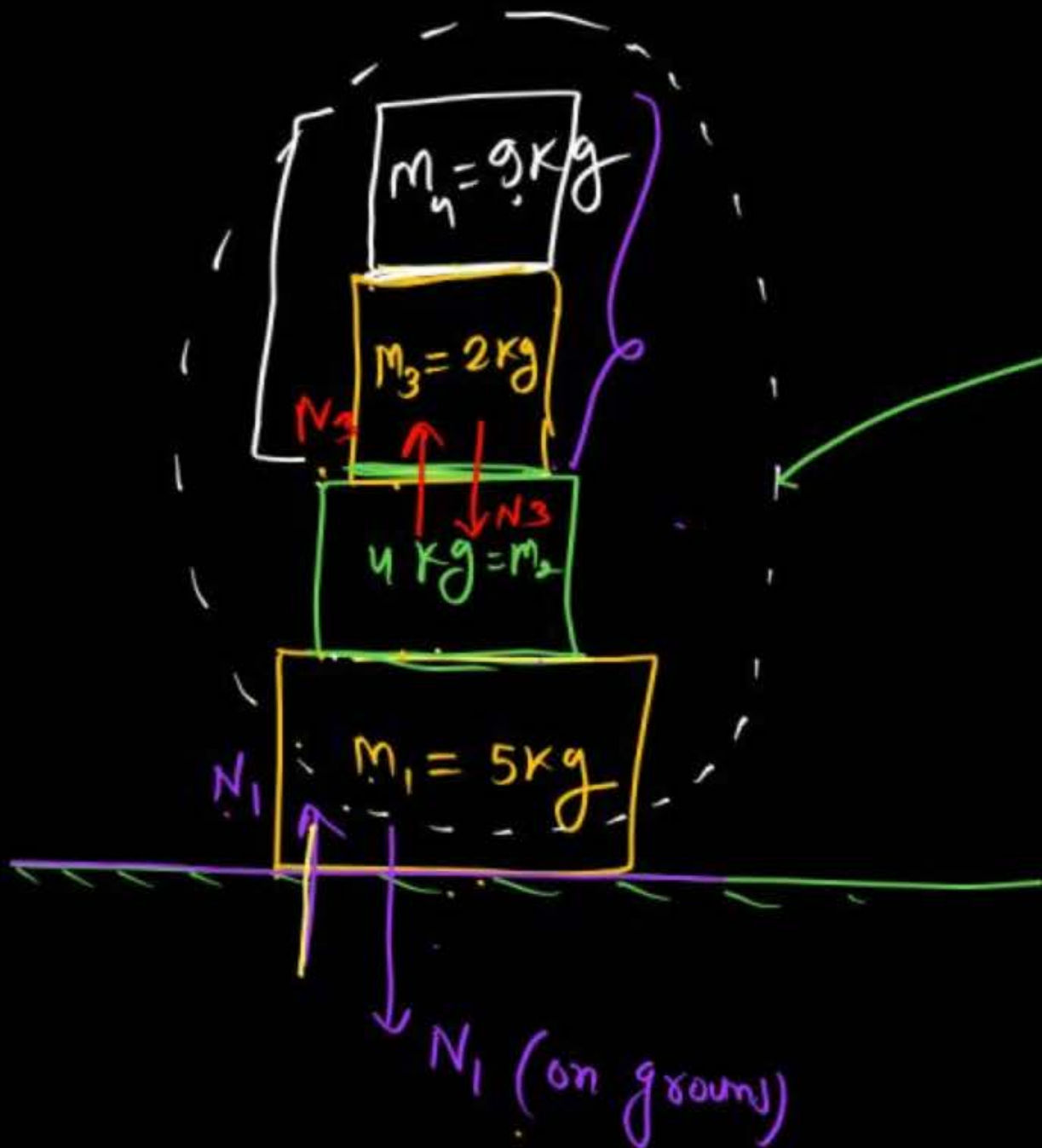
$(m_2 + m_3)g$

$N_2 = (m_2 + m_3)g$

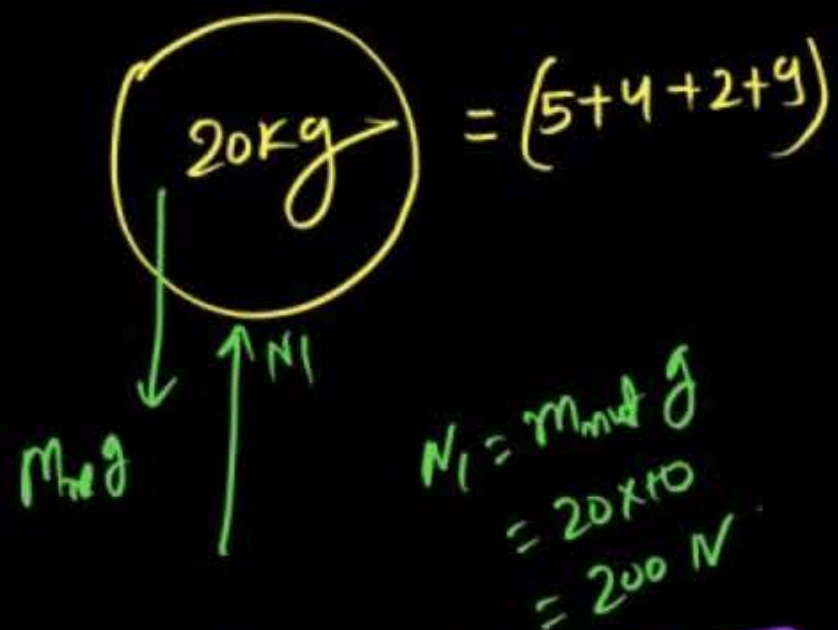
$N_1 = (m_1 + m_2 + m_3)g$

Ans

②



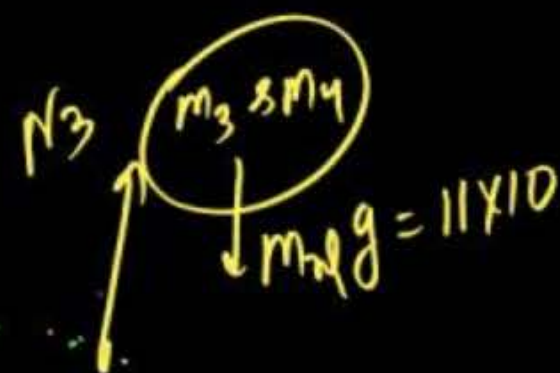
① find force on ground by  $m_1$ .



on ground  $N_1 = 200\text{ (downward)}$

① force on  $m_2$  &  $m_3$ .

Combined F.B.D ( $m_3$  &  $m_4$ )



$N_3 = 110\text{ N}$

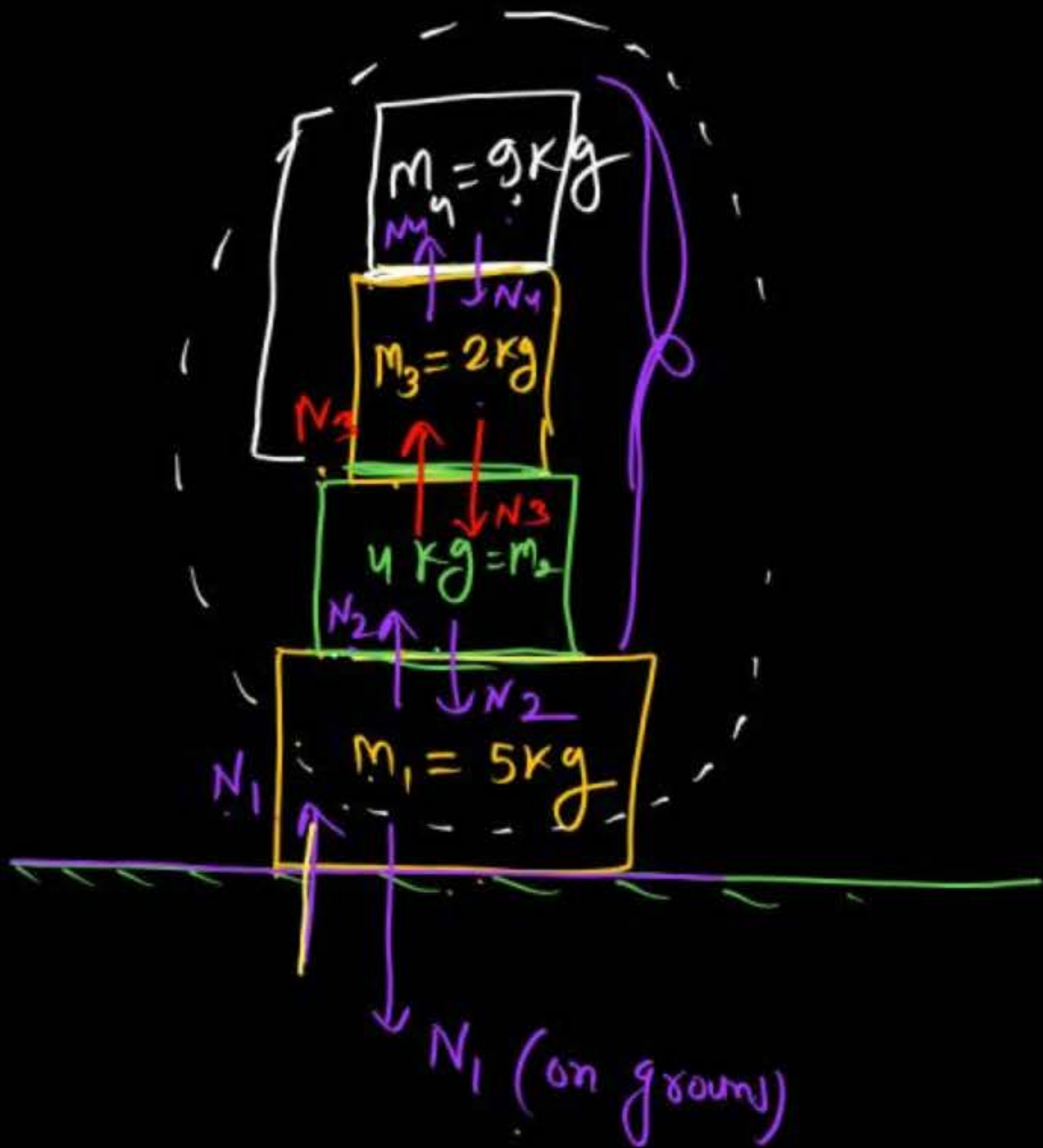
III Normal b/w  $m_4$  &  $m_3$

$$N_4 = 90\text{ N}$$

IV Normal b/w  $m_2$  &  $m_1 \Rightarrow 150\text{ N}$



(2)



① find force on ground by

$$N_4 = 90\text{ N}$$

$$N_3 = 110\text{ N}$$

$$N_2 = 150\text{ N}$$

$$N_1 = 200\text{ N}$$

$\rightarrow \text{imp}^*$



Q  
Dikno



find  $N_1, N_2, N_3$   
 $N_4, N_5$ .

(force B/w  
 $m_3$  &  $m_2$ )

$$N_5 = 50\text{ N}$$

$$N_4 = 130\text{ N}$$

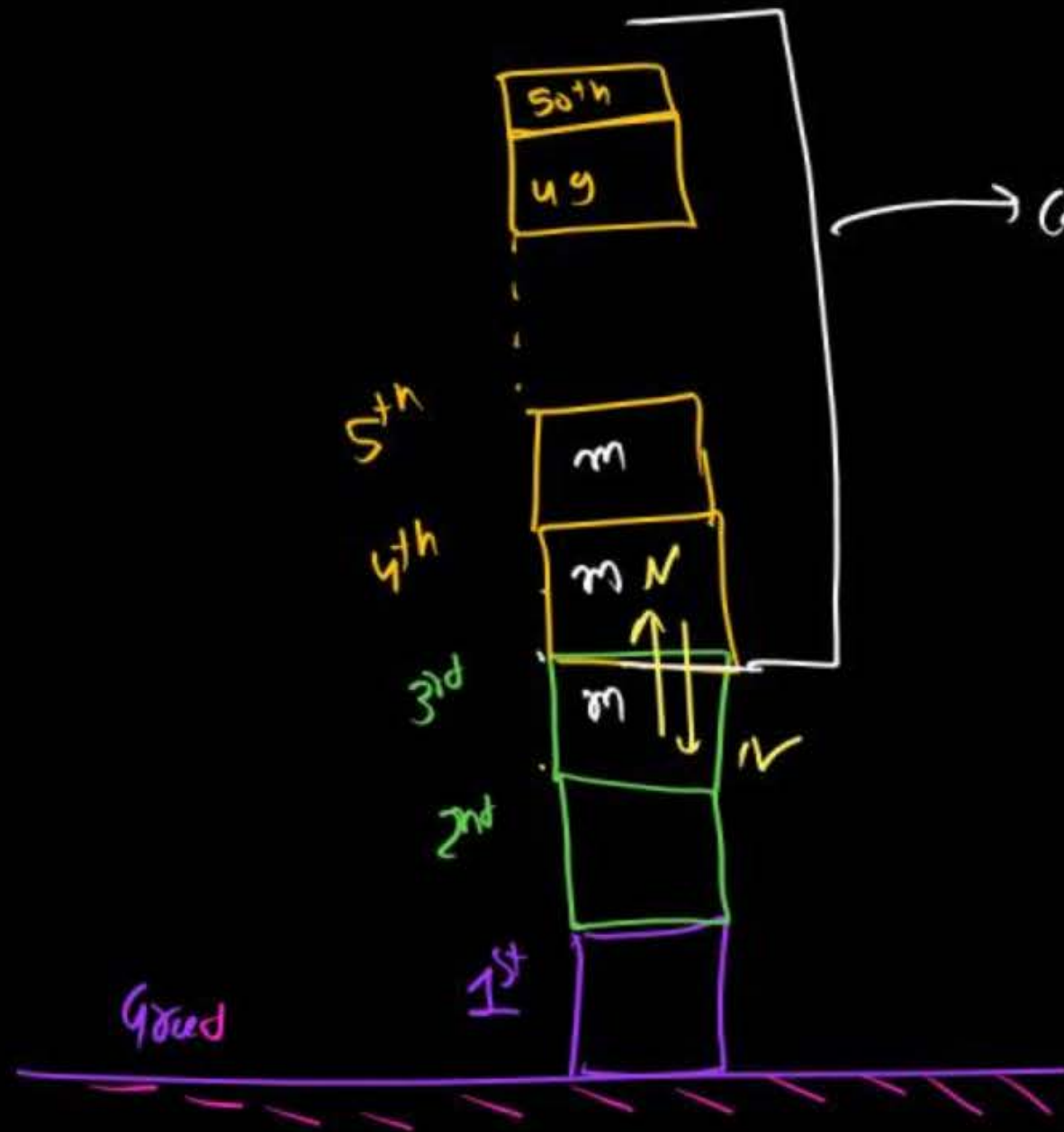
$$N_3 = 150\text{ N}$$

$$N_2 = 210\text{ N}$$

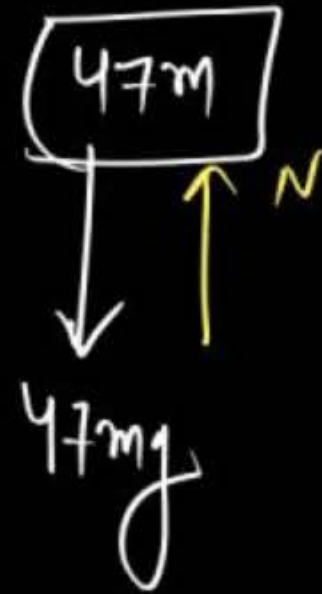
$$N_1 = 250\text{ N}$$

Q) JEE

50 Identical Box of mass  $m$  placed one over other  
then find contact force b/w 3<sup>rd</sup> & 4<sup>th</sup> Box.



→ Combin F.B.D

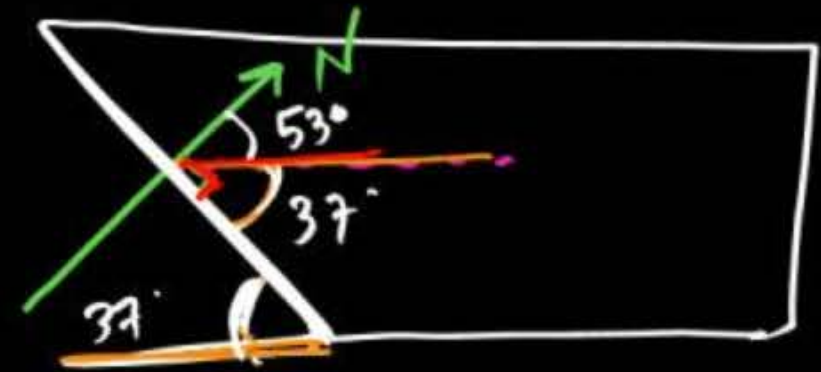
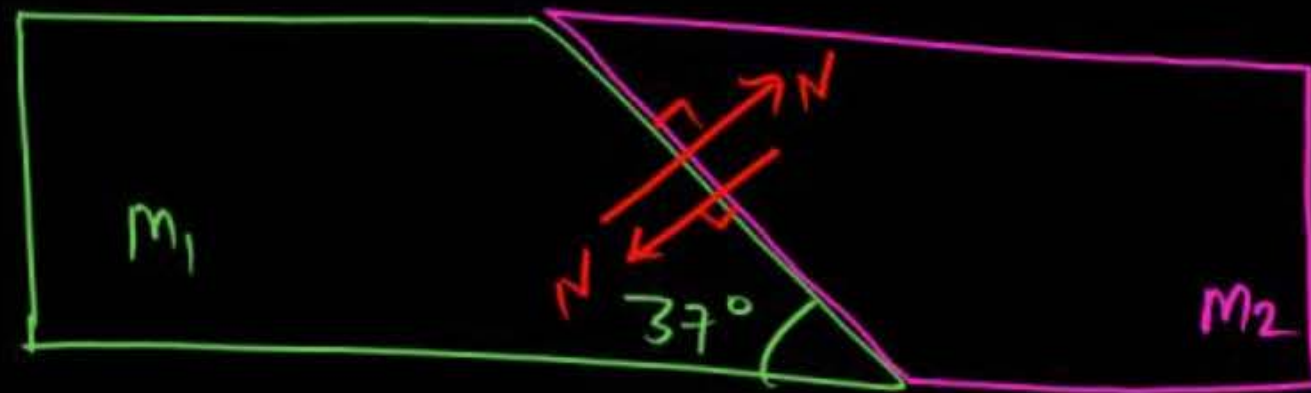


$$N = 47mg$$

Answer

$$N = 470m$$

dir<sup>n</sup> of  
Contact force b/w  $m_1$  &  $m_2$  from Horizontal ??



$53^\circ$  from  
Horizontal



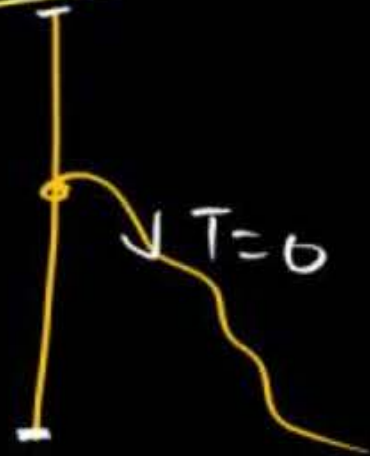
## Tension force

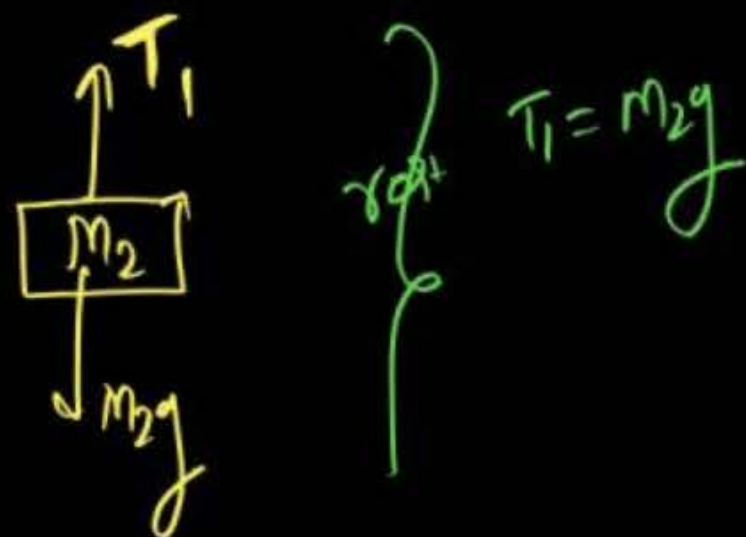
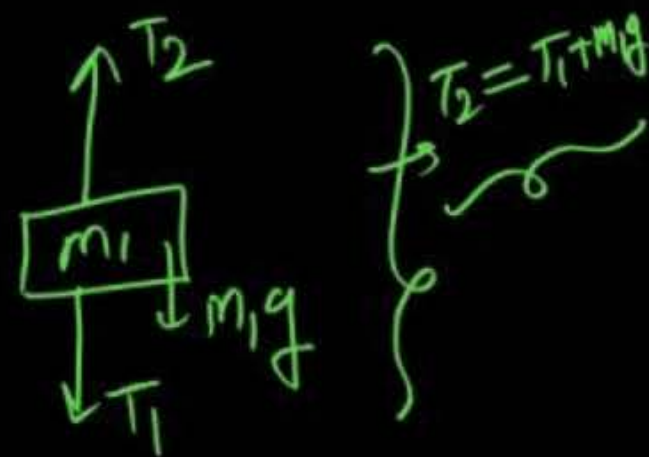
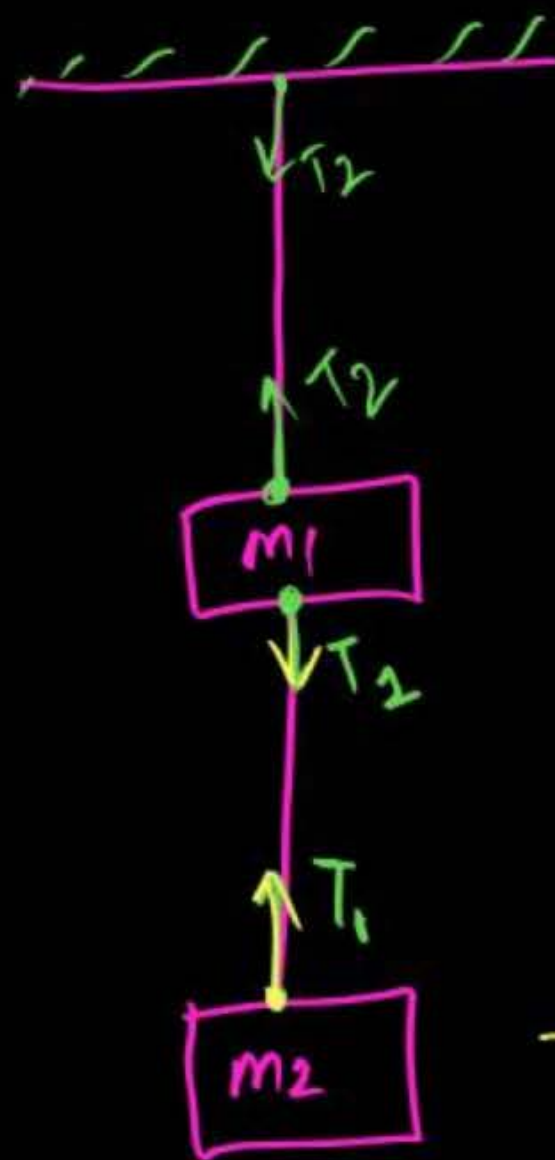
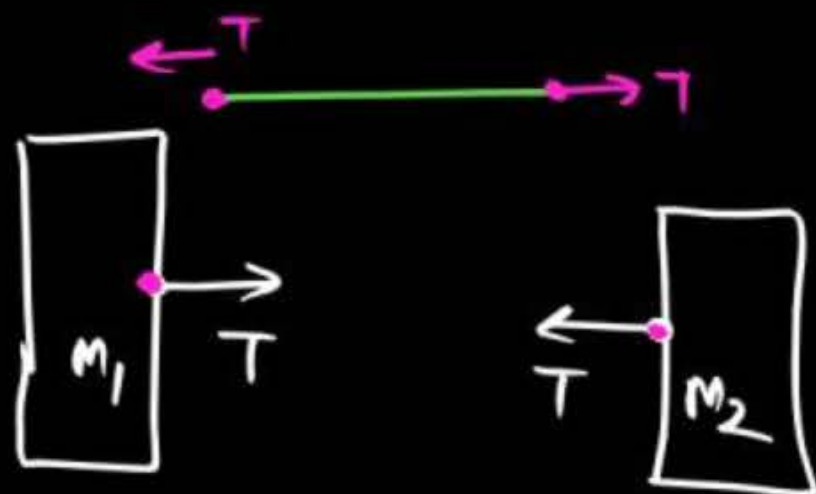
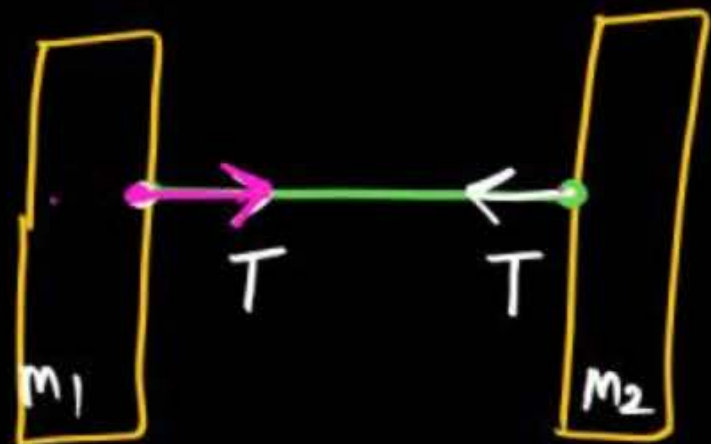
→ gt act away from contact point along length of string.

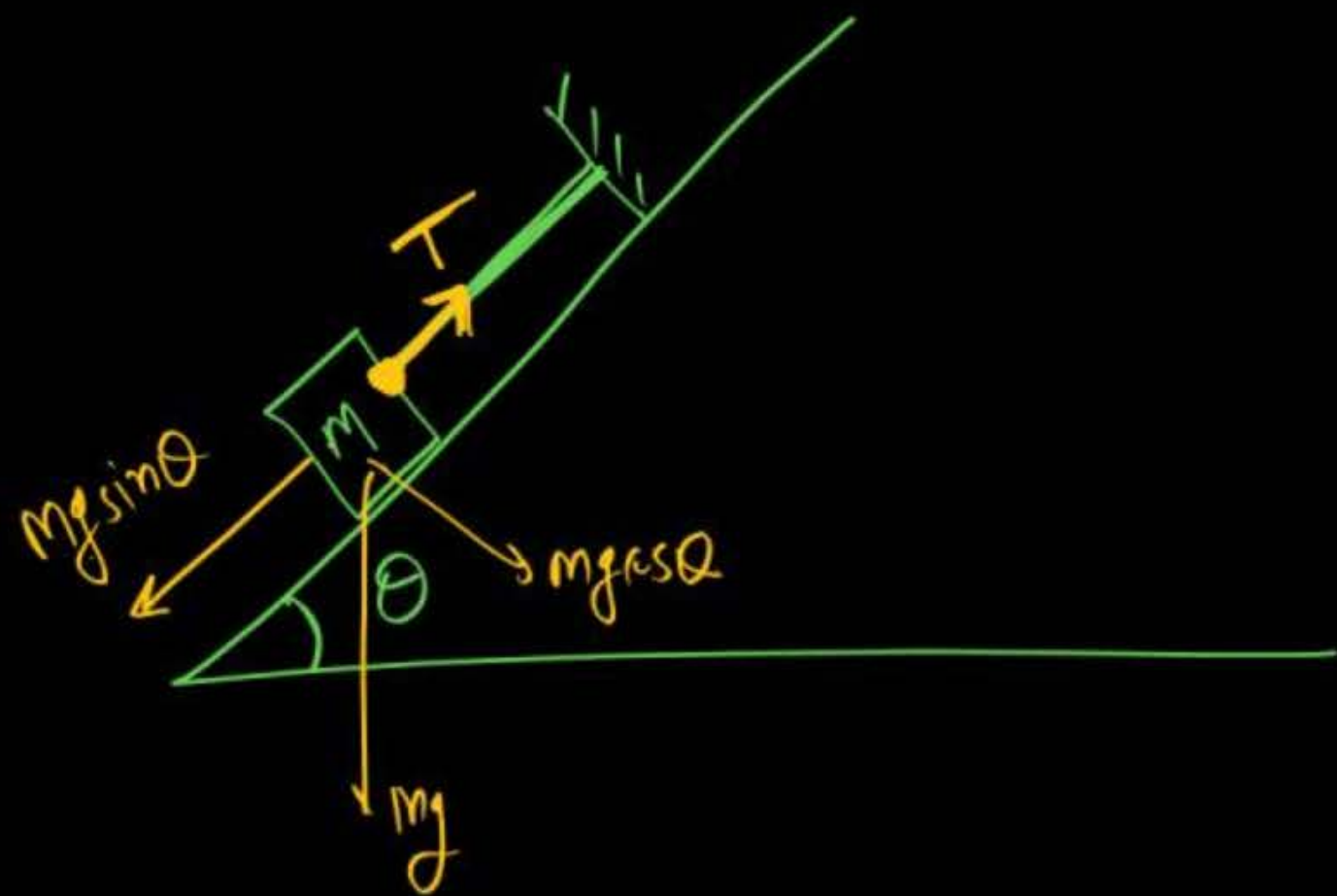
→ In massless string Tension same b/w two contact point → mass wale string me har point pe tension same ya diff<sup>n</sup> ho skta hai.

MRX BOX

⇒ Contact point per baith ke string ke along chhaata (cut) khol lo.

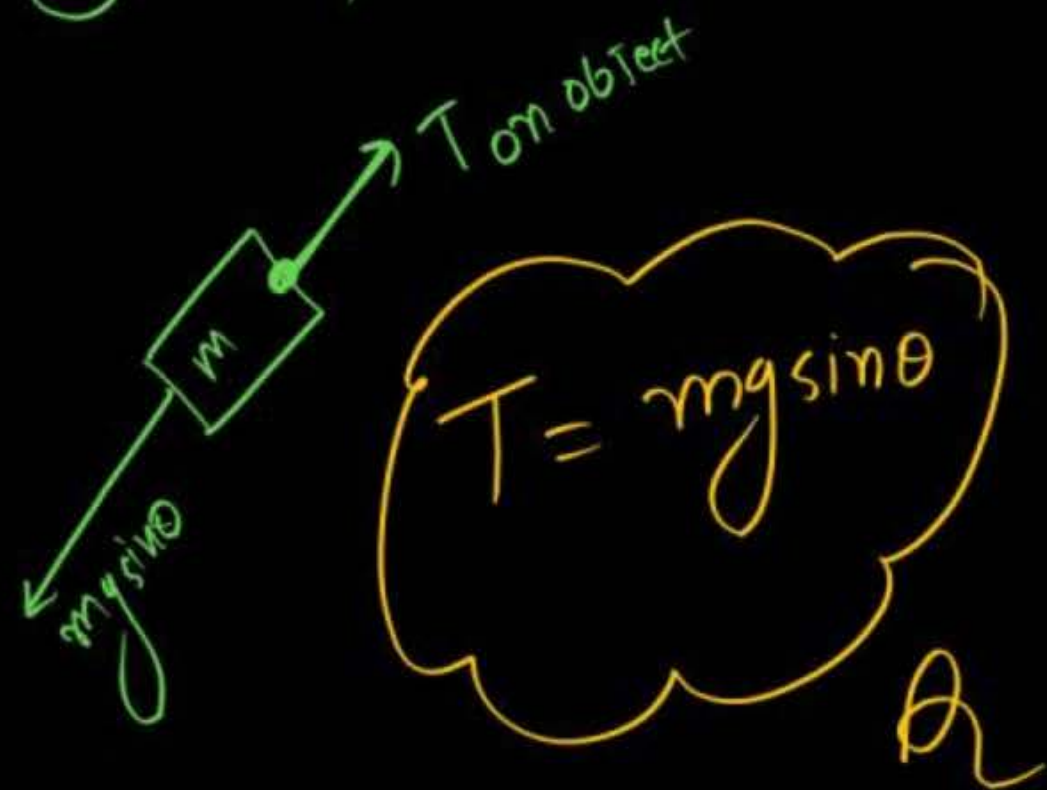




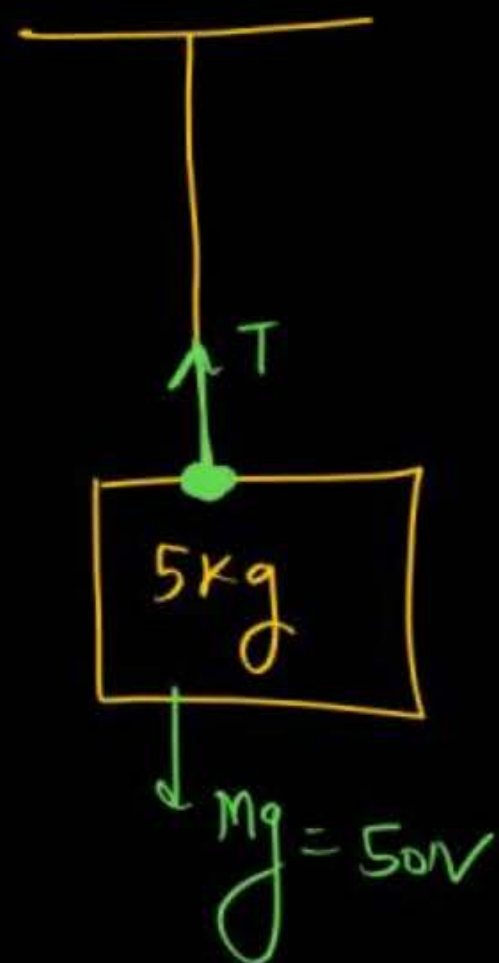


Find Tension in string.

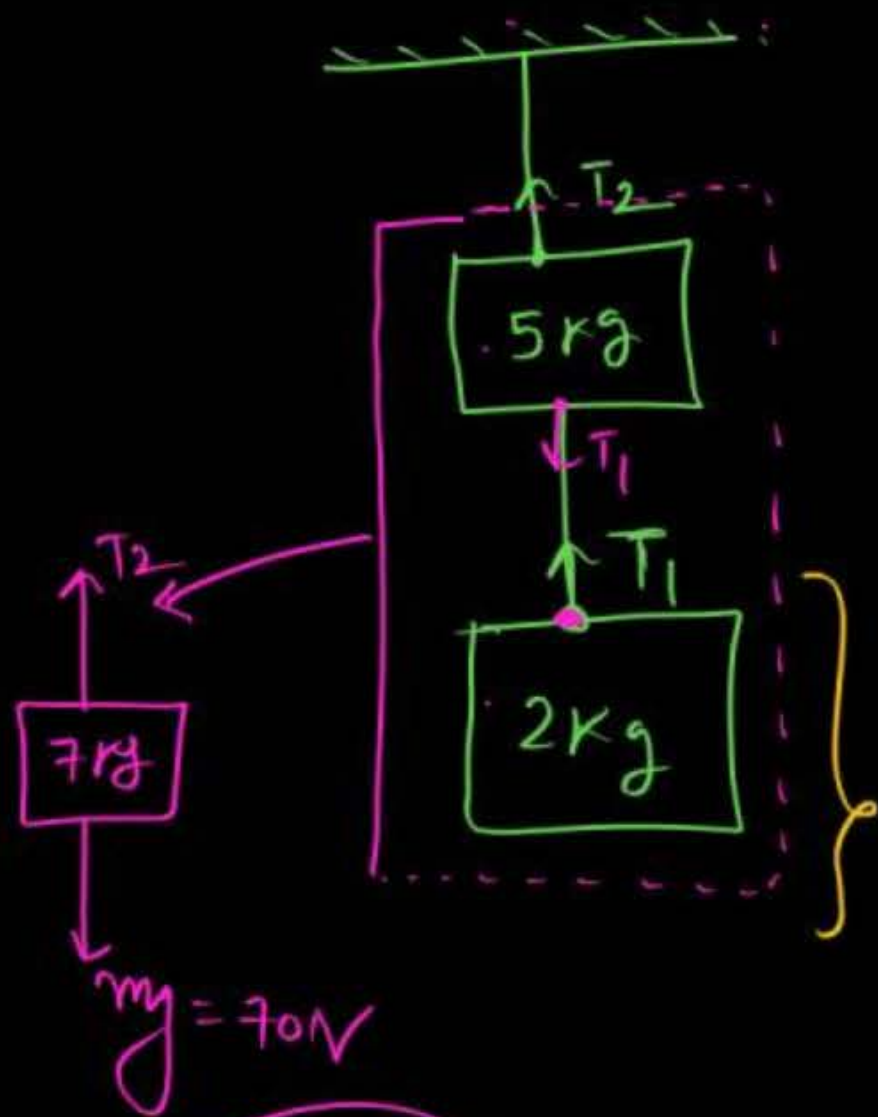
along Inclined Plane  
Net force = zero







$$T = 50\text{N}$$

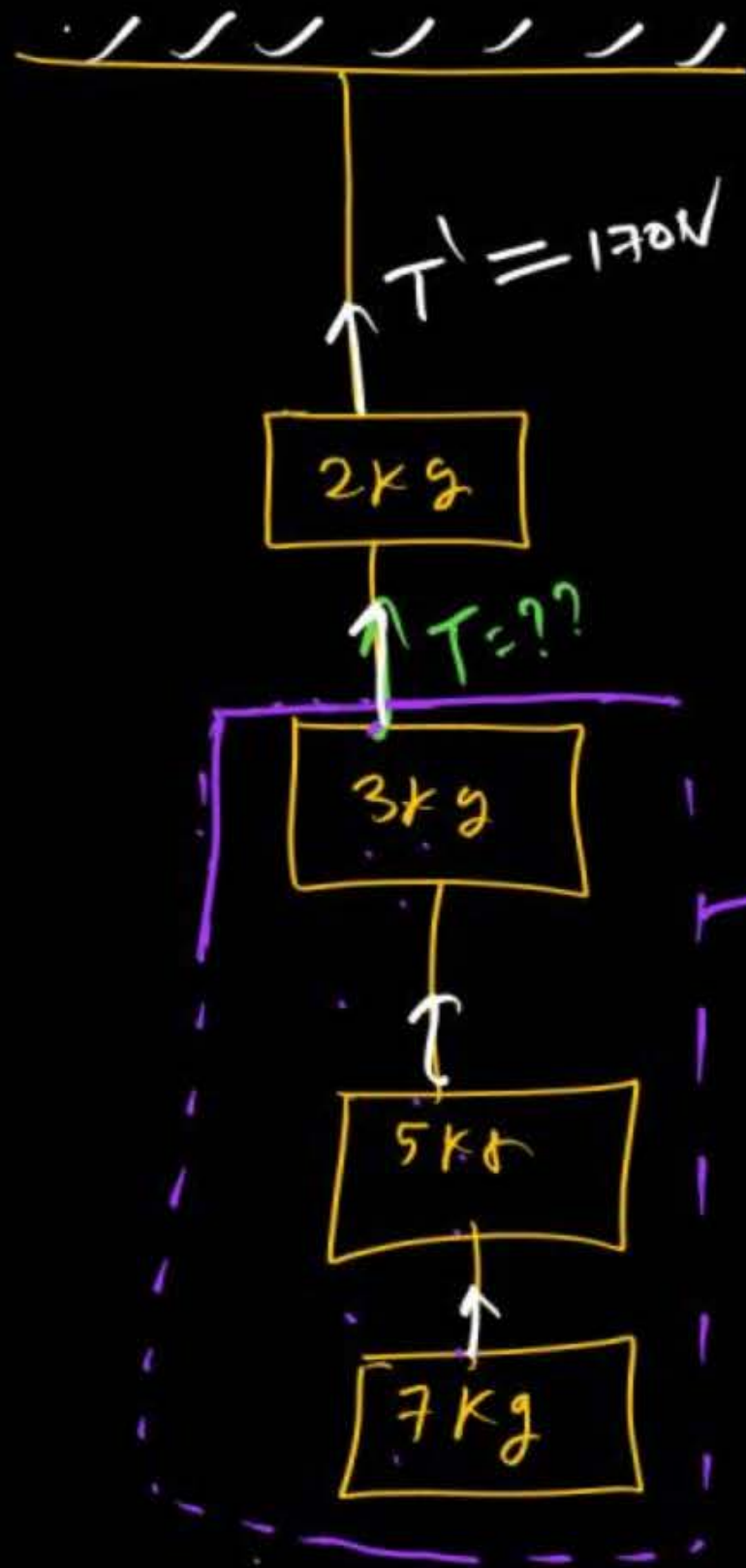


$T_2 = 70N$

Ans



$T_1 = 20N$



$T = 150\text{ N}$

$A_2$

MR\* Box

# Jitne object  
ko ek sath  
F.D.D (system)  
manega

Unke bich ke  
sirf Tension  
Cancel hoga

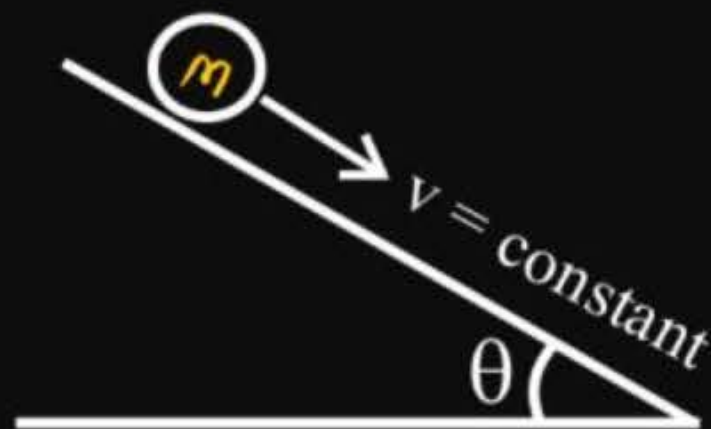


H/W

① find net force on  $m_2$



② find net force on  $m$



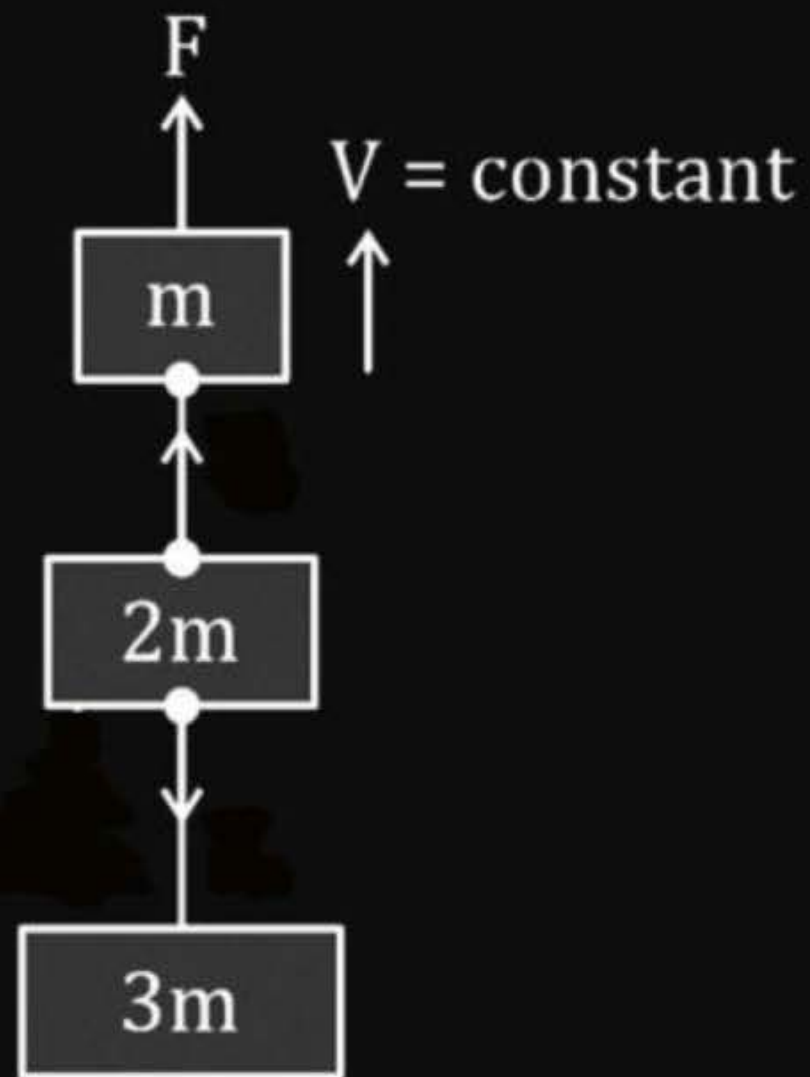
## Question



Find net force on  $2m$ .

[NEET-2013]

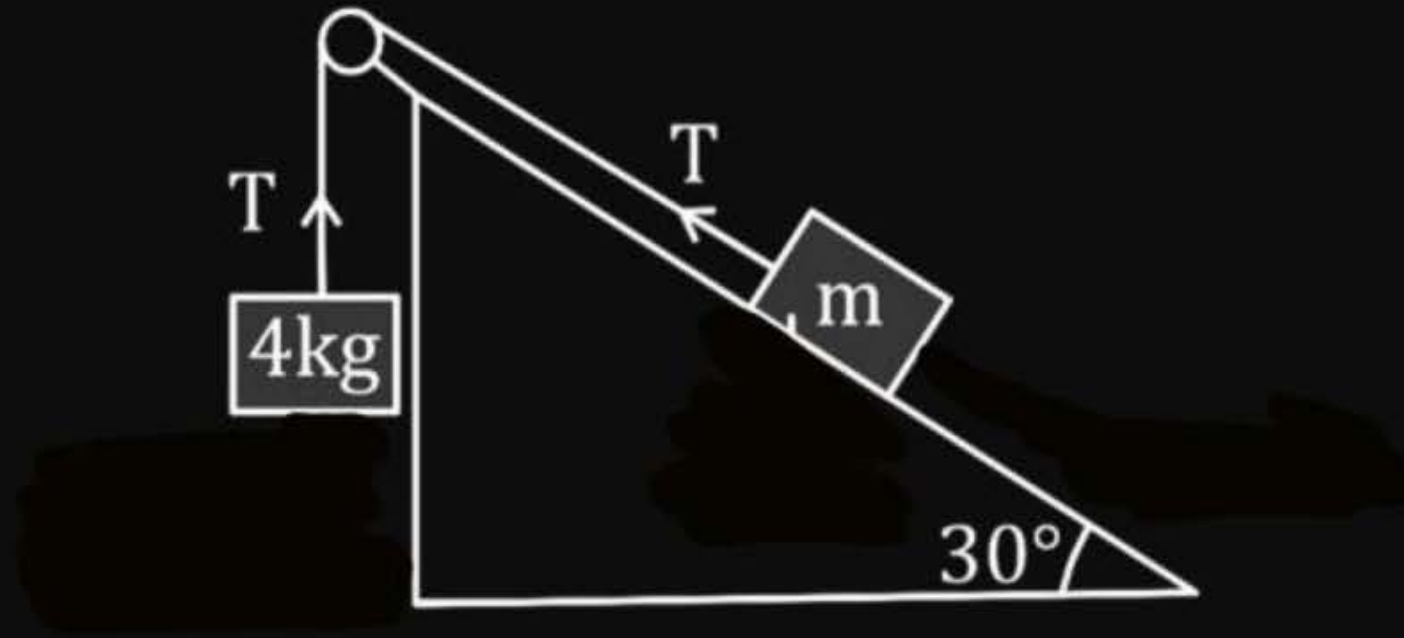
③



## Question

If system is in equilibrium then find value of  $m$ .

4

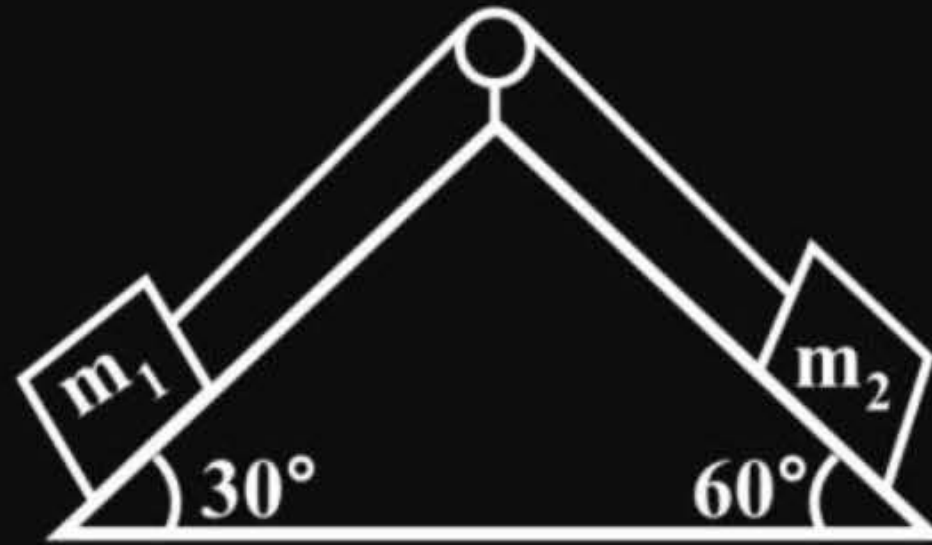




## Question

Find relation between  $m_1$  and  $m_2$  so that system is in equilibrium.

⑤

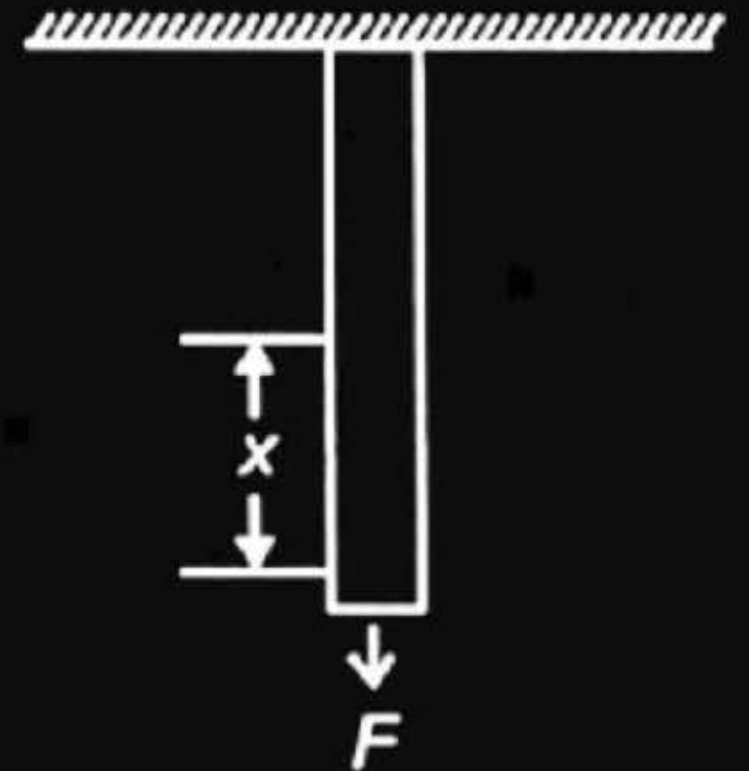


## Question



6 A vertical force  $F$  is applied at one end of a uniform rope of mass  $M$  and length  $L$ . Find out tension in the rope as a function of  $x$ .

- 1  $F + Mg$
- 2  $F + \frac{MgL}{x}$
- 3  $\frac{FL + Mgx}{L}$
- 4  $\frac{Fx + MgL}{L}$



## Question

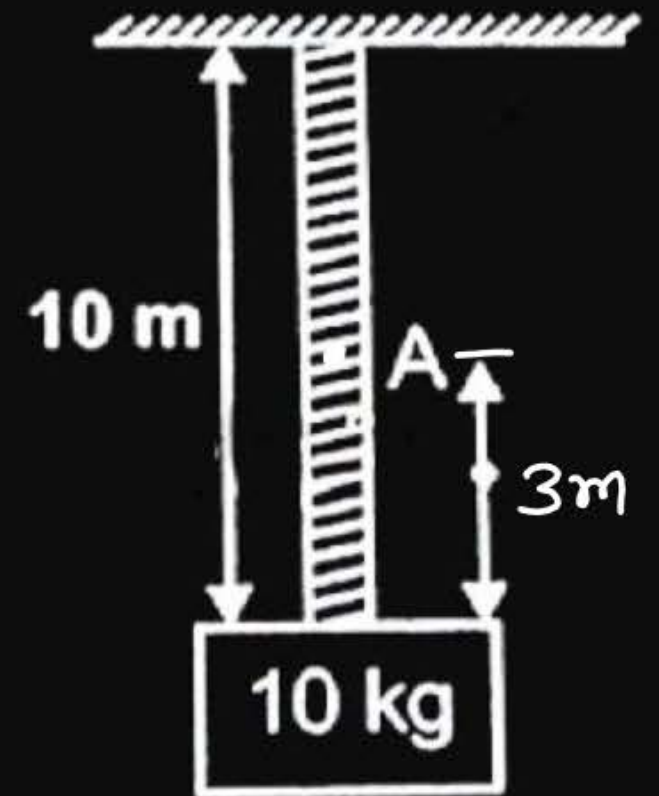
7 The adjoining figure shows a block of mass 10 kg connected to free end of a rope of mass 10 kg and length 10 m. The tension of the rope at point A is: ( $g = 10 \text{ m/s}^2$ )

1 170 N

2 30 N

3 130 N

4 70 N





7 → question of HOME-work  
Must Try.



# THANK YOU

← maha-month  
of motion in  
plane