

# YAKEEN NEET 2.0

**2026**

**Motion in a Plane**

**Physics**

**Lecture -**

**6**

**By- Manish Raj (MR Sir)**





# Topics to be covered

1 #

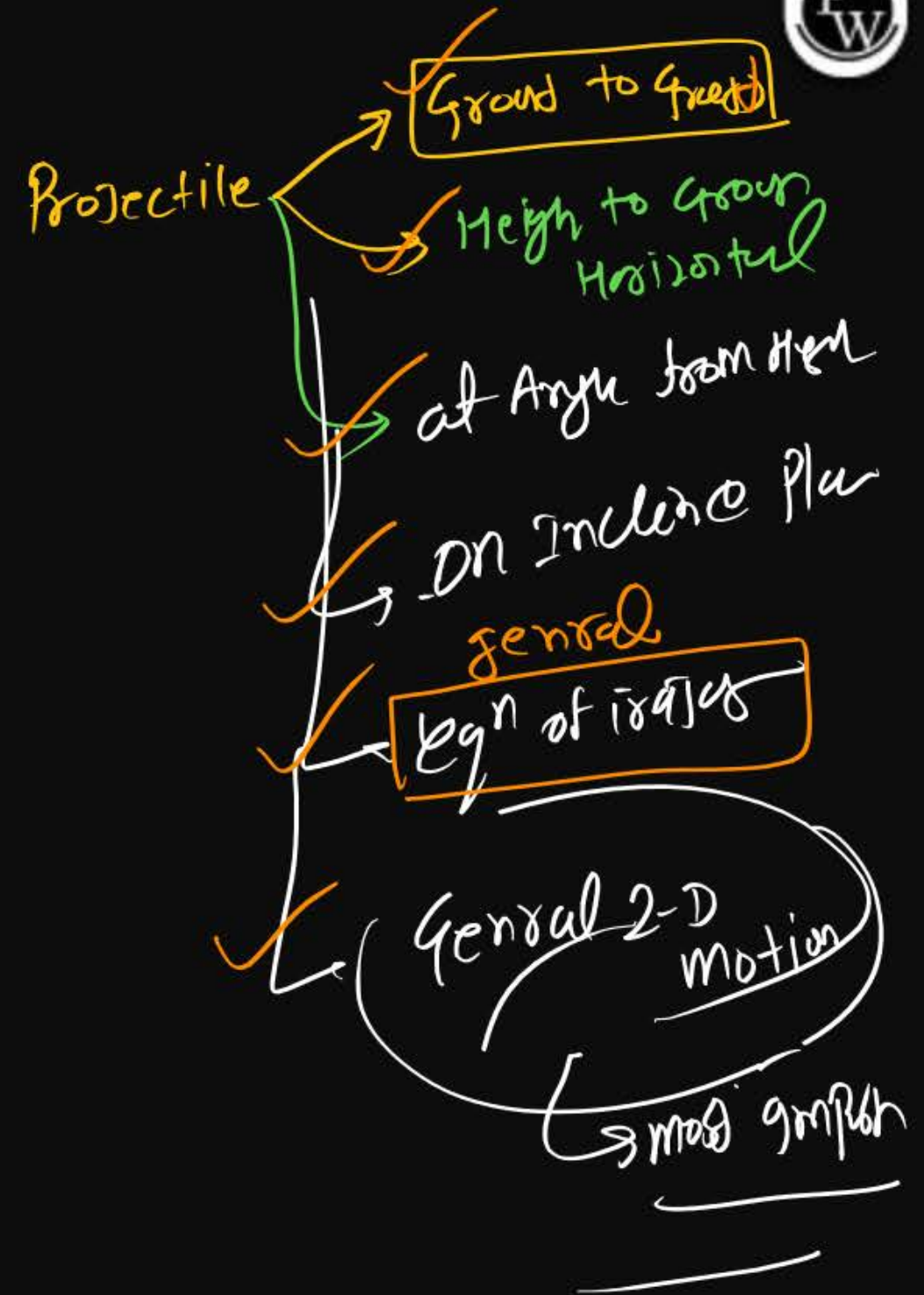
Relative motion ✓✓

2

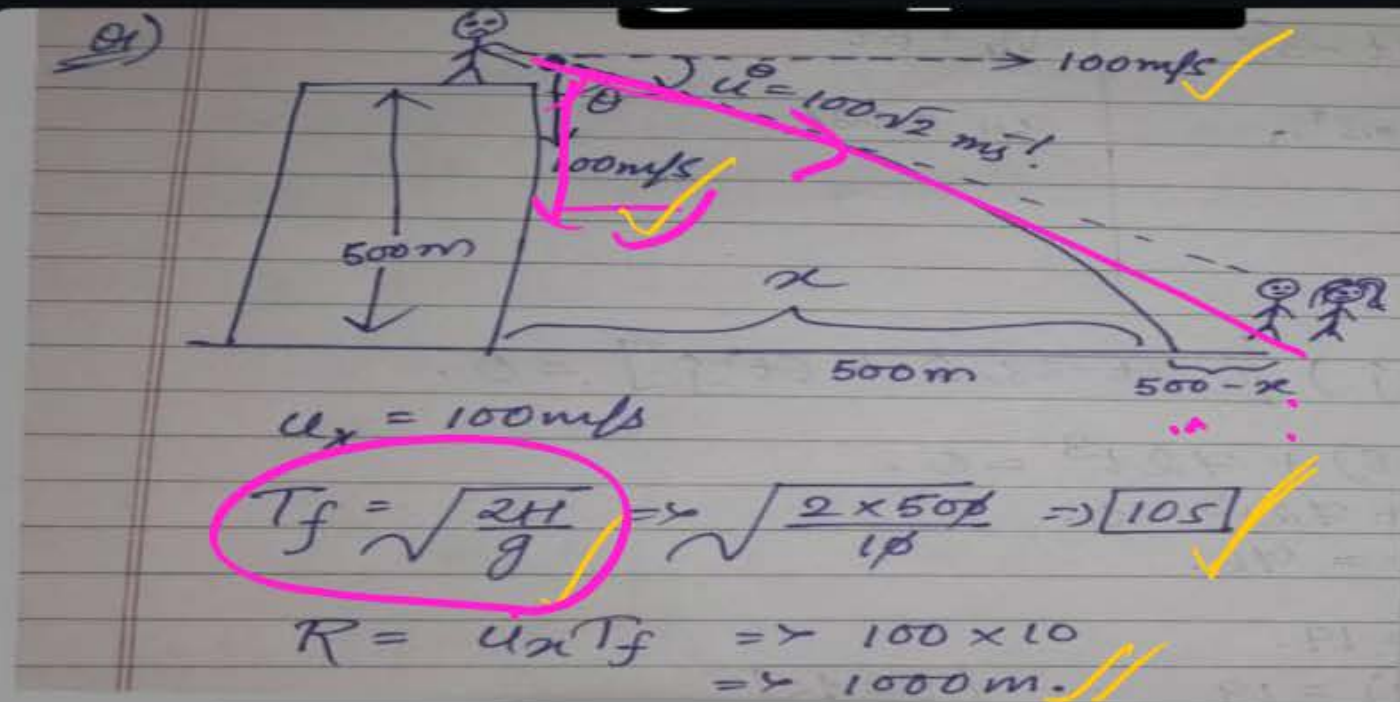
Relative motion in 1-D

3

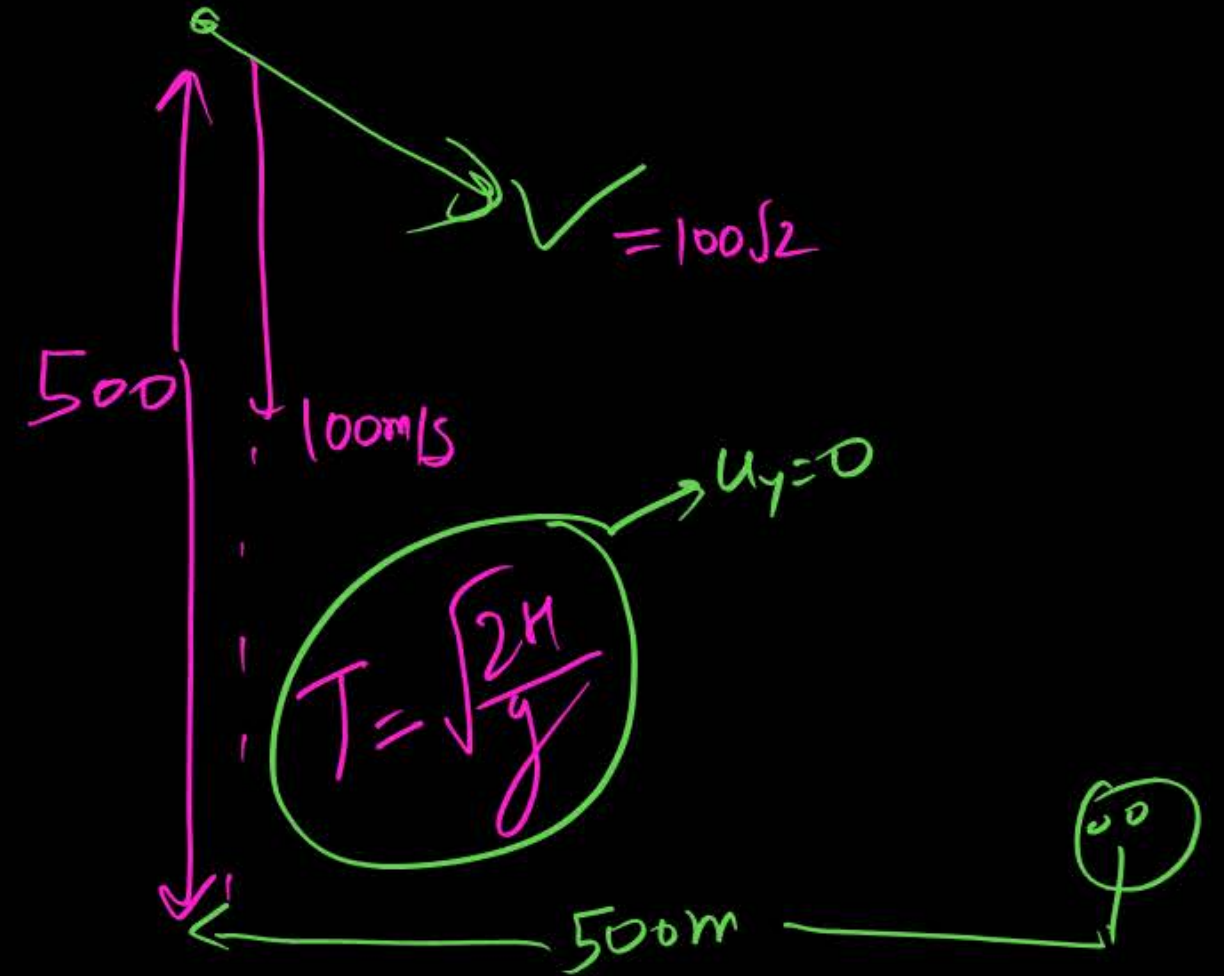
4







Sir aap Message sent hle wala diya gaya case me 500m distance hai tower aur kallua ke bich me, lekin calculation me normally 1000m range aa raha hai, kya iye aapne MR SCAM wala question diya hai??@



Ques

At highest point  $\rightarrow R_{\max}$   
 $\downarrow$   
 $R/2$

$$\frac{R}{2} = \frac{u^2 \sin 2\theta}{2g'}$$

for remaining  $R \rightarrow g' = \frac{g}{0.81}$

$$\frac{R}{2} = \frac{u^2 \sin 2\theta (0.81)}{2g}$$

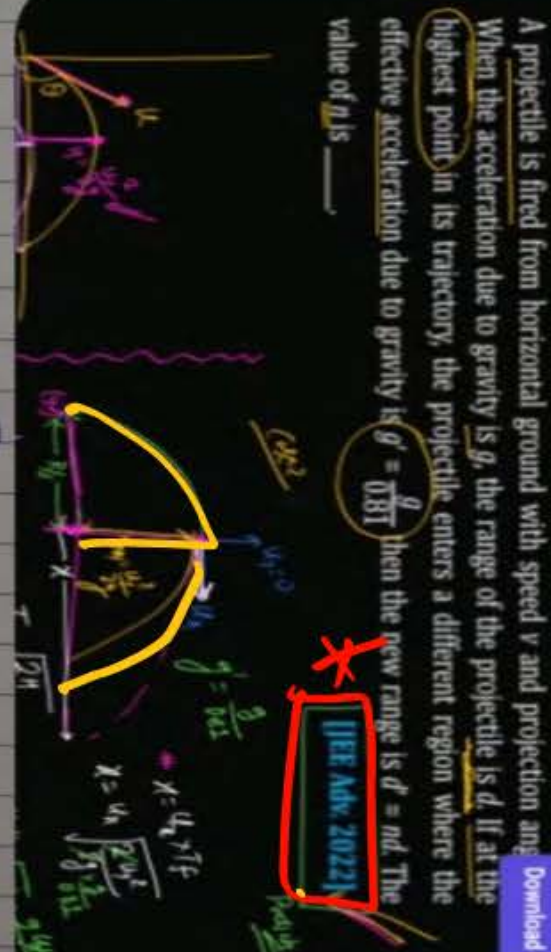
$$\text{New range} = \frac{R}{2} (1 + 0.81)$$

$$= \frac{R (1.81)}{2}$$

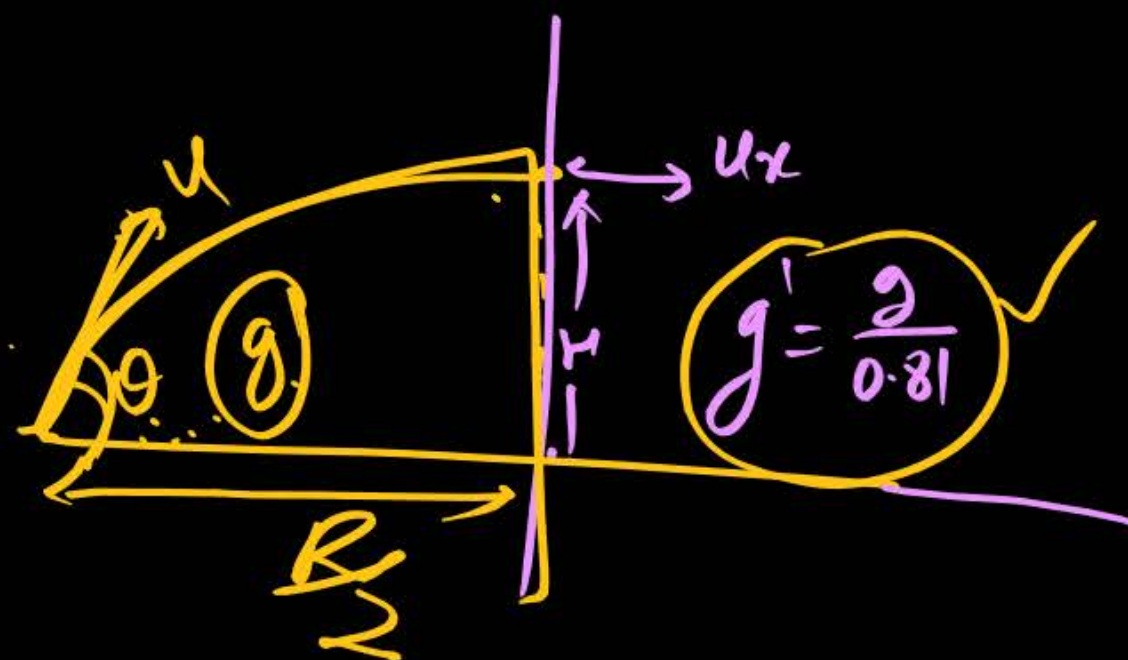
$$= 0.905 R$$

$$n = 0.905$$

@MRSIR\_MRSTAR



Sir this question could be solved this way as well??



50% rise high



10:21

4G

↑ +ve  
↓ -ve

Diagram showing a ball launched from a height  $H = 50\text{m}$  with initial velocity  $u = 50\sqrt{2}\text{ m/s}$  at an angle of  $45^\circ$ . The horizontal distance to the target is  $500\text{m}$ . The ball's trajectory is shown, and the time of flight  $T_f$  is calculated as  $16.2\text{ s}$ . The horizontal range  $R$  is calculated as  $810\text{ m}$ . The distance from the target is  $310\text{ m}$ .

Ball will hit Kallua / Pinki / none of them

Then find how much distance Ball will fall before Kallua

Calculations:

$$T_f = \frac{2u \sin \theta}{g} = \frac{2 \times 50\sqrt{2} \times \frac{1}{\sqrt{2}}}{10} = 10\text{ s}$$

$$R = u \cos \theta \times T_f = 50 \times 10 = 500\text{ m}$$

$$S = ut + \frac{1}{2}at^2$$

$$-500 = 50t + \frac{1}{2} \times (-10)t^2$$

$$-500 = 50t - 5t^2$$

$$5t^2 - 50t - 500 = 0$$

$$t^2 - 10t - 100 = 0$$

$$t = \frac{-b \pm \sqrt{b^2 - 4ac}}{2a}$$

$$t = \frac{-(-10) \pm \sqrt{(-10)^2 - 4 \times 1 \times (-100)}}{2 \times 1}$$

$$t = \frac{10 \pm \sqrt{100 + 400}}{2}$$

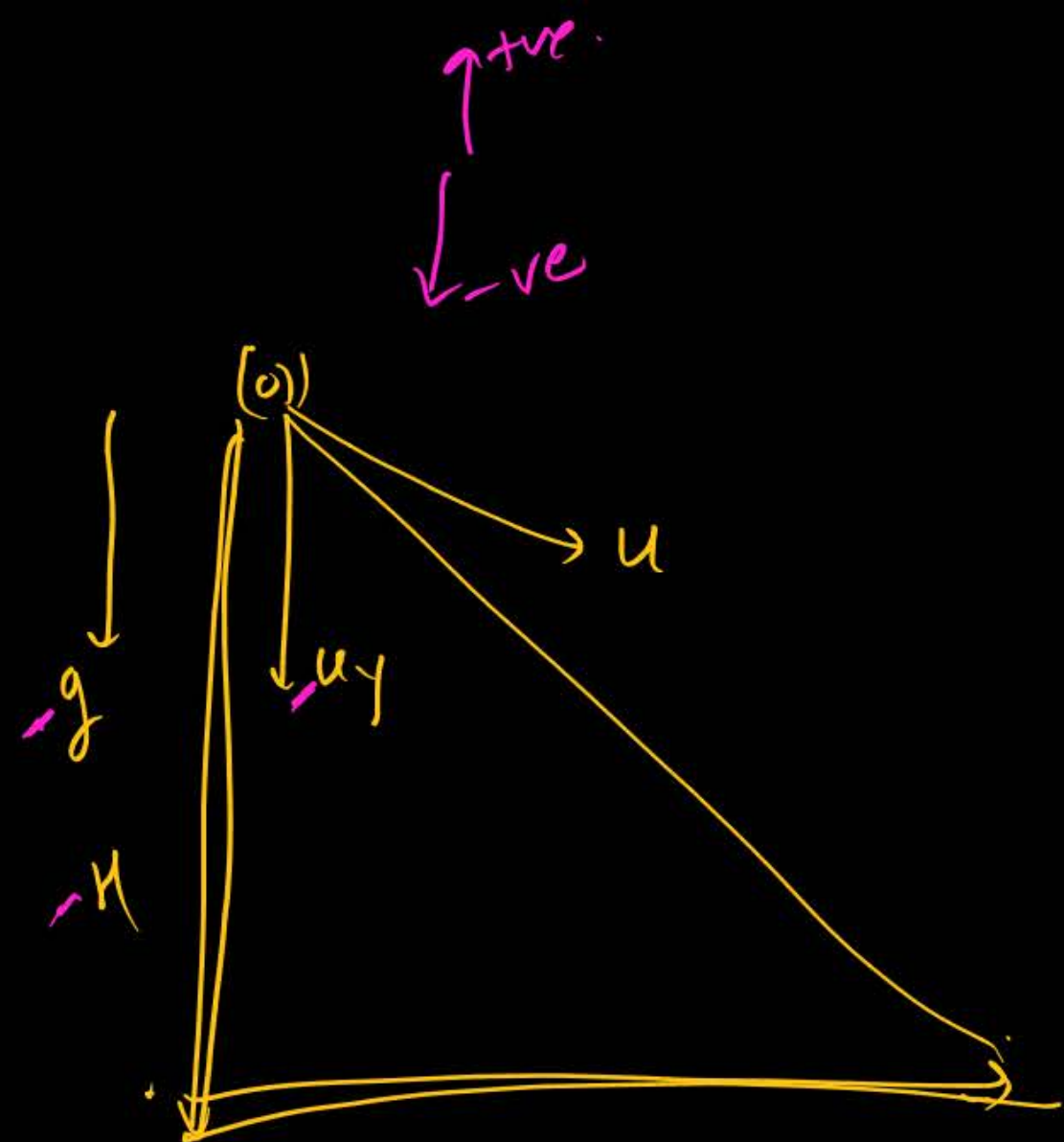
$$t = \frac{10 \pm 10\sqrt{5}}{2}$$

$$t = \frac{10 + 10\sqrt{5}}{2}$$

$$t = \frac{10 + 22.4}{2} = \frac{32.4}{2}$$

Sir plz. Bataye correct or wrong  
Agar correct toh plz like kar do jaise me  
samajh sake correct or wrong

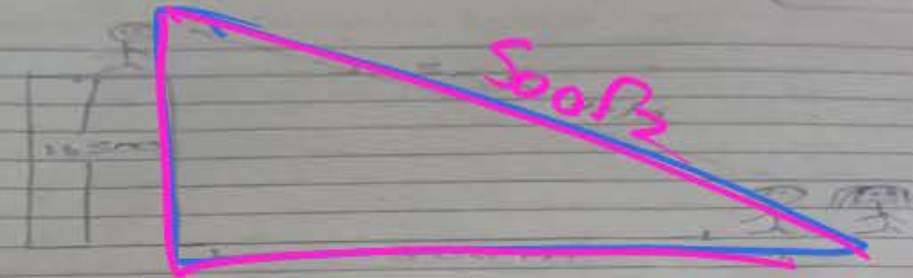
@mrsir\_mrstar



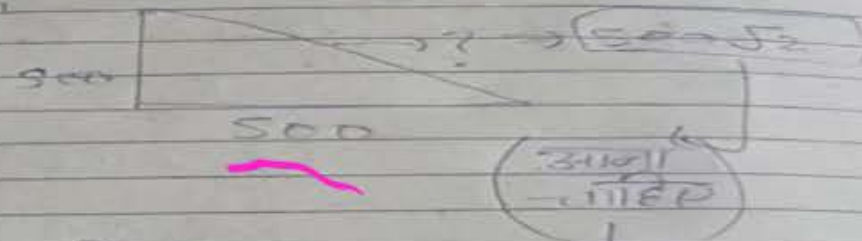
7:06

4G

Sir ji dekho ham simple ye  
soch k bhi approximate  
answer nikaal skte hai kya  
@mrsir\_mrstar



Sir, ye Right angle triangle Jena  
bhi to hai islye ham bol skte  
hai ki  
agan



But  
[ 0.311211 E 5053 ]

$$1) \quad 500\sqrt{2} - 50\sqrt{2}$$

$$2) \quad 500 \times 1.41 - 50 \times 1.41$$

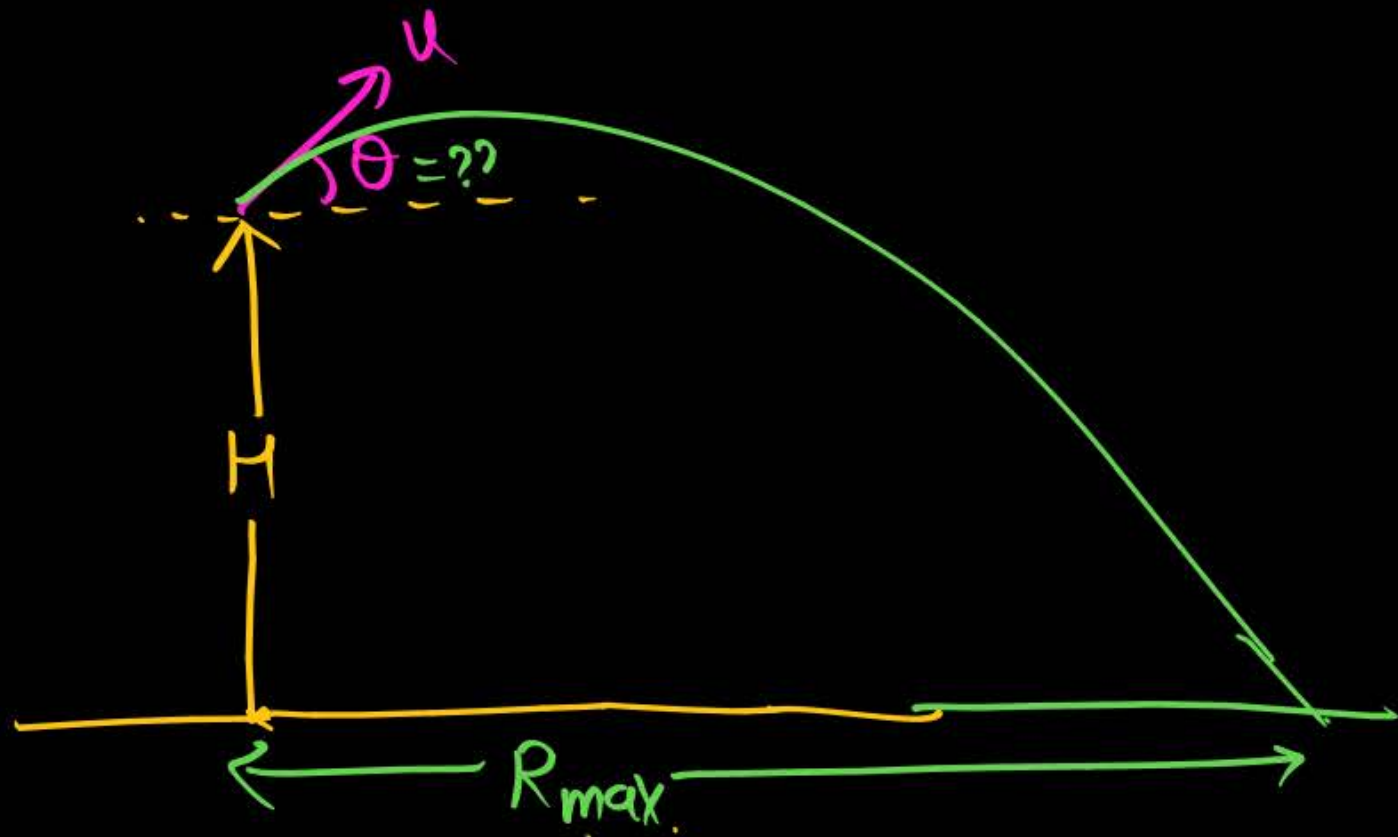
$$3) \quad 700.0 - 7.0$$

$$4) \quad 693$$

$$5) \quad 693 - 500 \approx 190$$

Q

If object is projected from some height then Angle of Projection for Max<sup>m</sup> Range will be ??



X (a)  $\theta > 45^\circ$

✓ (b)  $\theta < 45^\circ$  (40%)

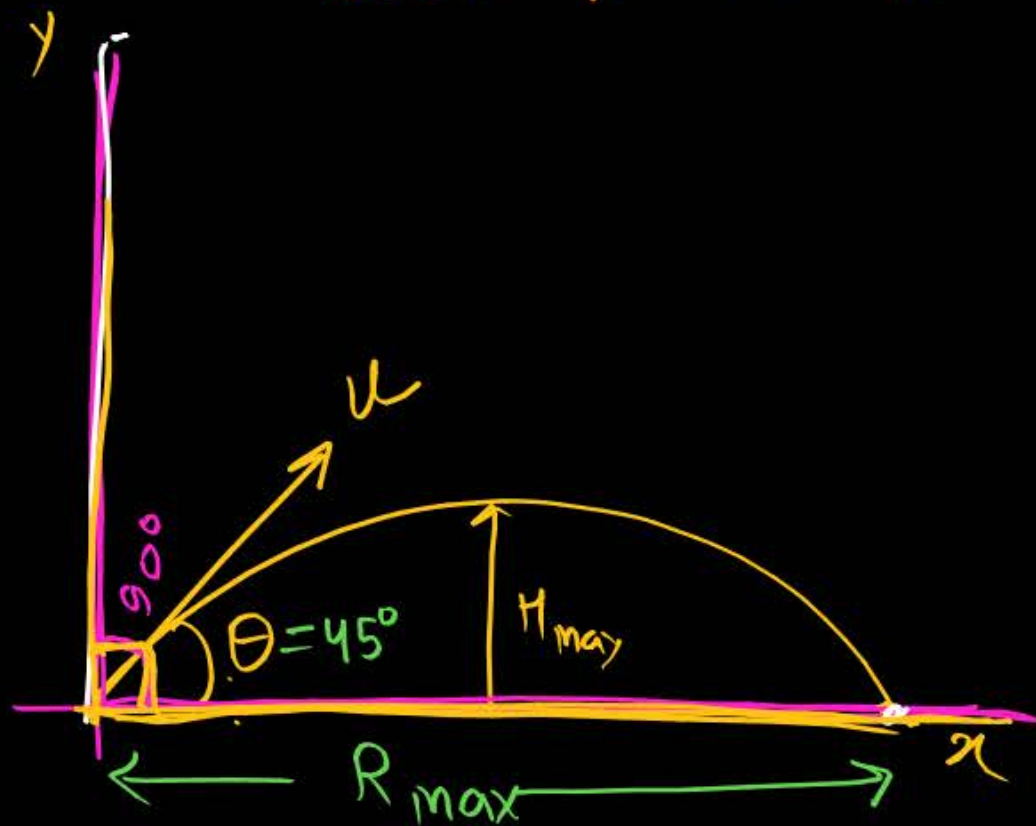
X (c)  $\theta = 45^\circ$

(d) don't know. very good



#

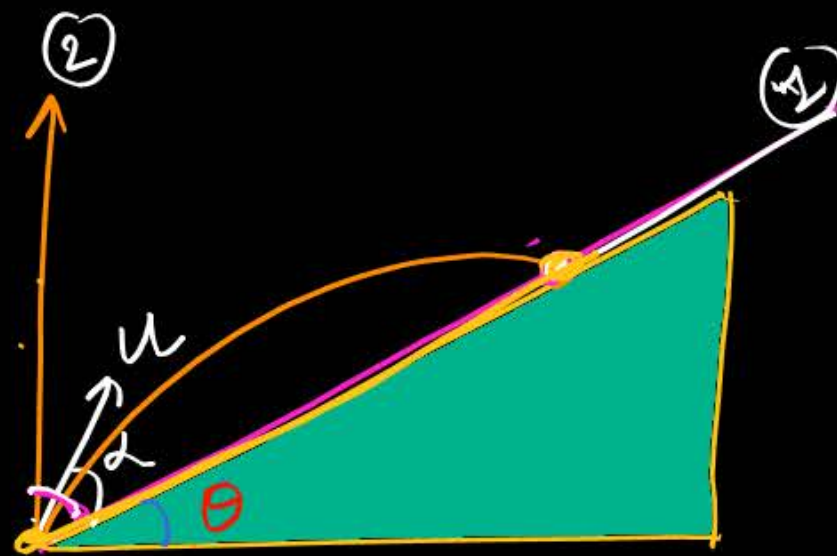
Case-1 Ground to Ground.

for Max<sup>m</sup> Range  $\theta$  must be  $45^\circ$ 

$$\frac{H}{R_{\max}} = \frac{\tan 45^\circ}{4}$$

$$H = \frac{R_{\max}}{4}$$

Case-2



$\alpha$  = Angle of Project<sup>n</sup>  
 $\theta$  = Angle of Inclination

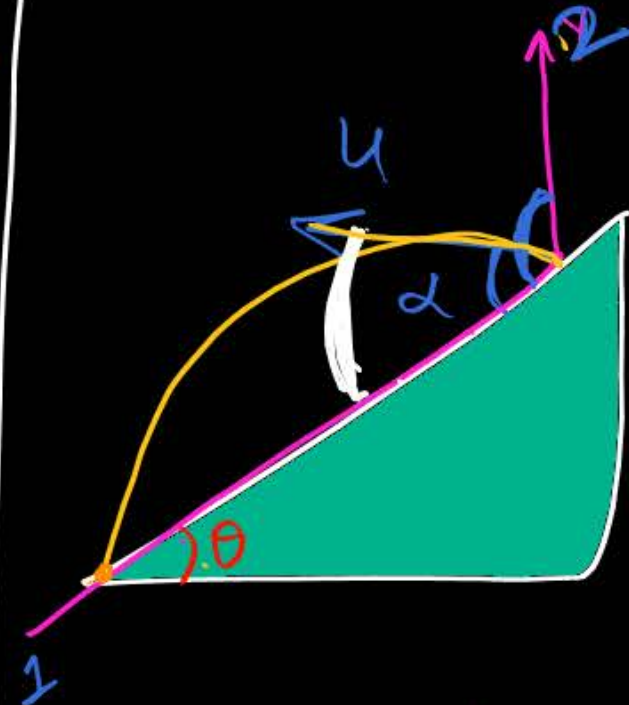
find  $\alpha$  for max<sup>m</sup> Range.total Angle b/w ① & ② li  
 $= 90^\circ - \theta$ 

$$\alpha = \frac{90^\circ - \theta}{2}$$

$$\alpha = 45^\circ - \frac{\theta}{2}$$

for max<sup>m</sup>

Case-3

find  $\alpha$  for max<sup>m</sup> RangeAngle b/w line 1 & line 2  
 $= 90^\circ + \theta$ 

$$\alpha (\text{for max Range}) = \frac{90^\circ + \theta}{2}$$

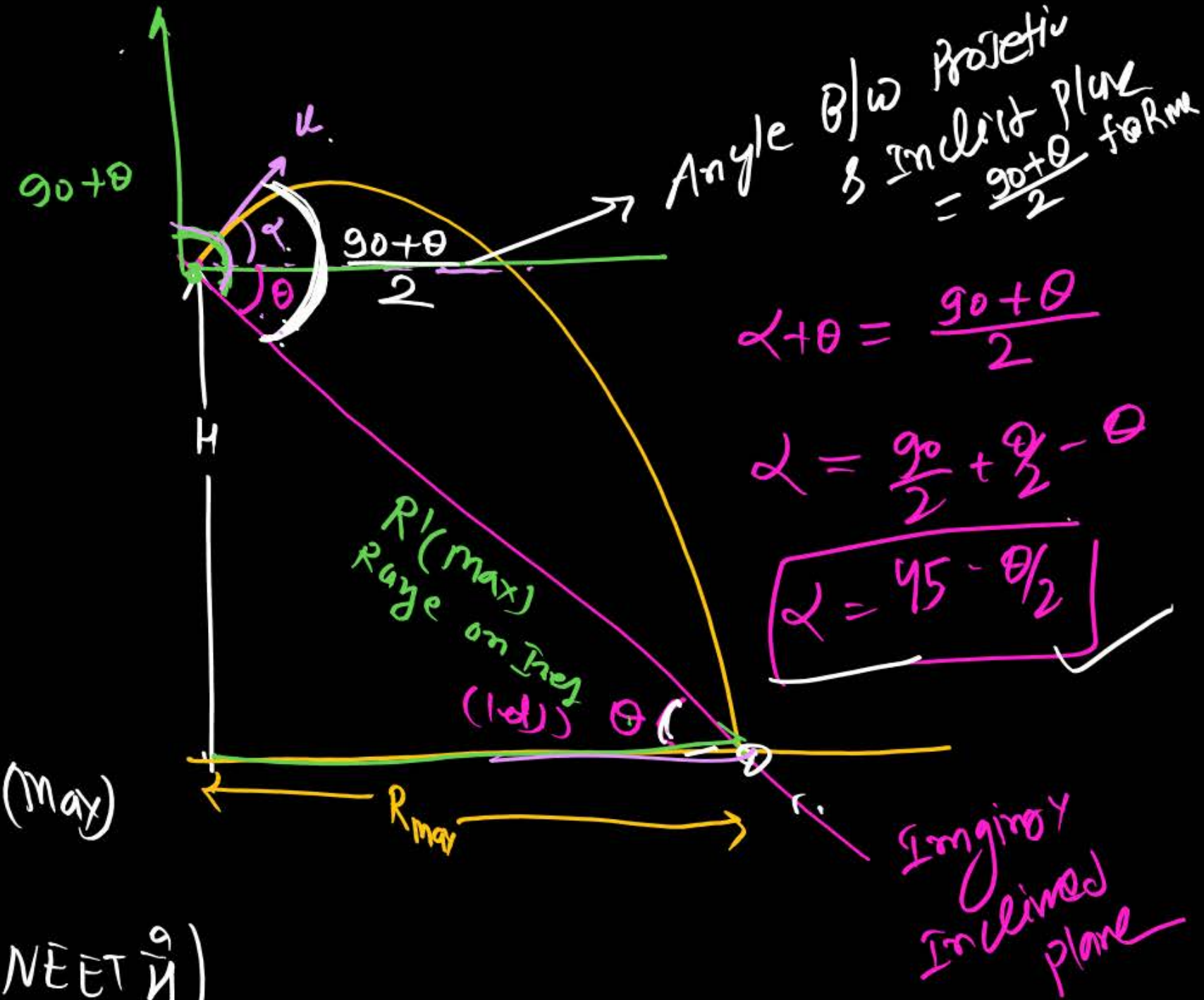
$$= \left( 45^\circ + \frac{\theta}{2} \right)$$





for  $R'(\max)$

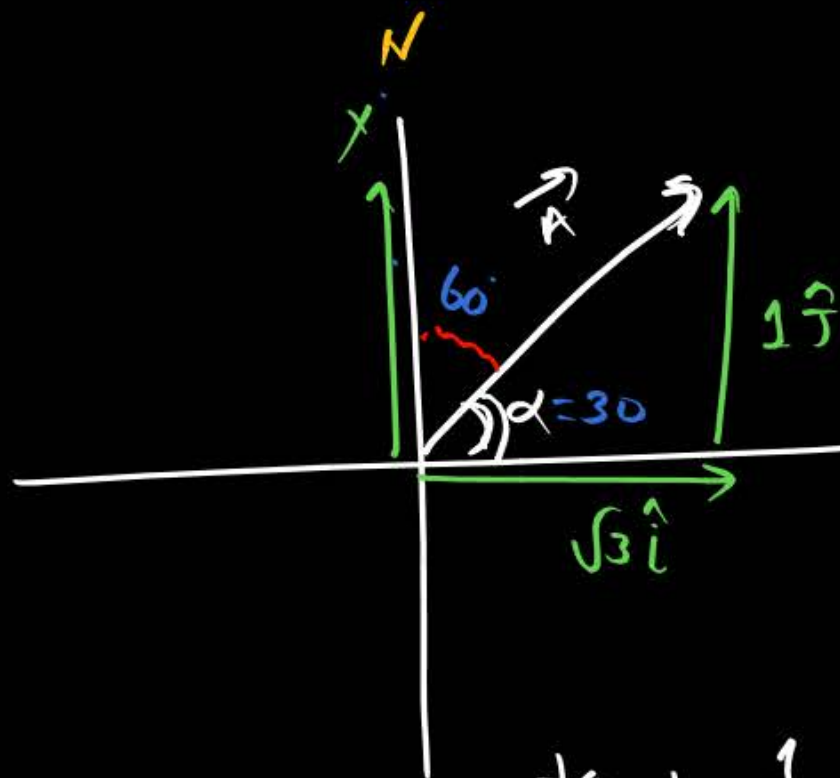
(एक समान NEET में)



## Revision of vector

$$\vec{A} = \sqrt{3} \hat{i} + \hat{j}$$

dir<sup>n</sup> from x-axis:—



$$\tan \alpha = \frac{1}{\sqrt{3}}$$

$$\boxed{\alpha = 30^\circ}$$

$\vec{A}$  is at  $60^\circ$  East of North ✓  
 $\vec{A}$  is at  $30^\circ$  North of east ✓

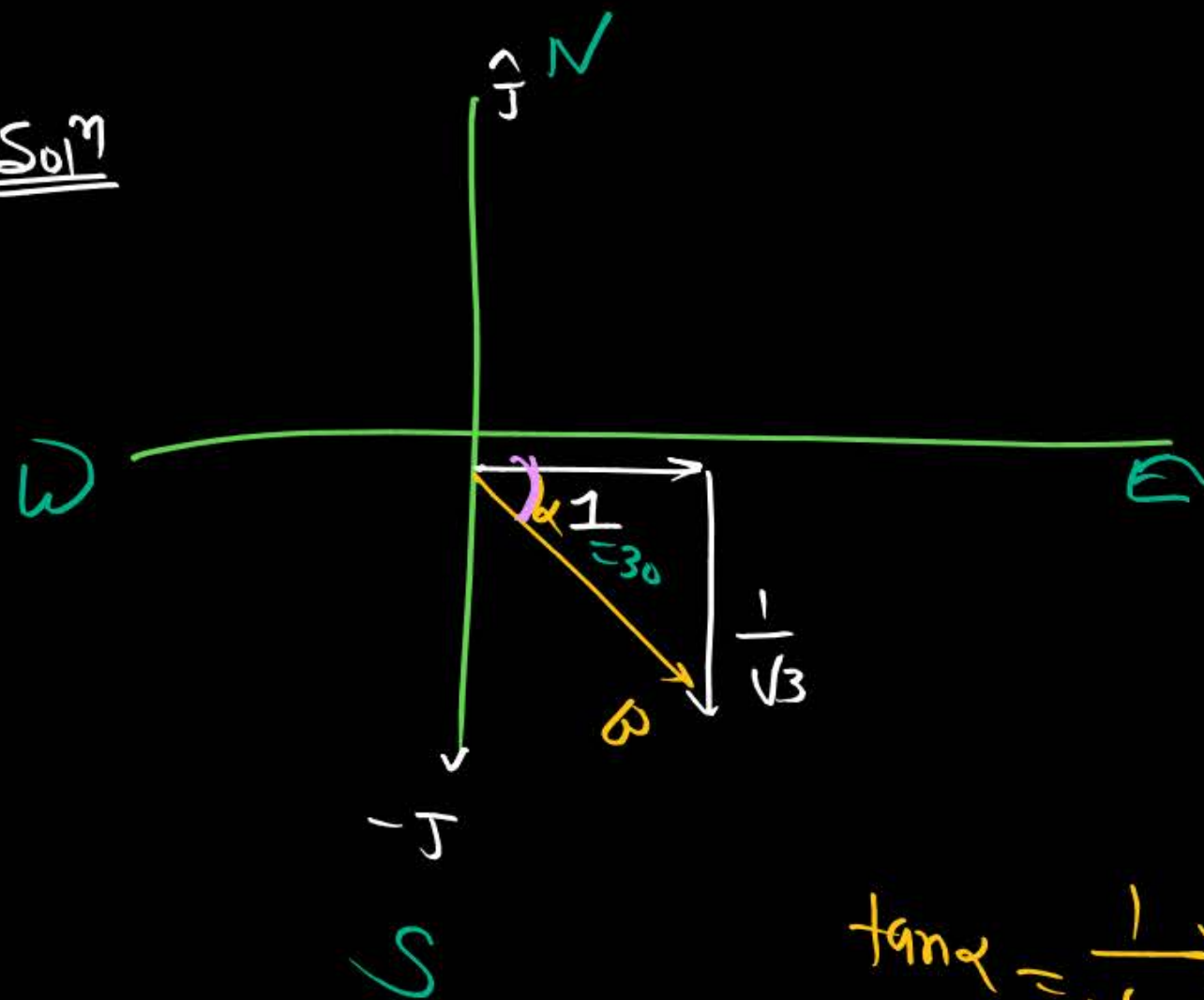
$\vec{A}$  is making an angle  $30^\circ$  from  
Horizontal  
&  $60^\circ$  from vertical



Q)  $\vec{B} = \hat{i} - \frac{1}{\sqrt{3}} \hat{j}$

find dir<sup>n</sup> of  $\vec{B}$

Sol<sup>n</sup>



$$\tan \alpha = \frac{1}{\sqrt{3} \times 1}$$

$$\boxed{\alpha = 30^\circ}$$

MR\* BOX:—  
Jab bhi vector ka dir<sup>n</sup> nikalna ho. x-y plane me Vector ko draw Karo.

$\Rightarrow$  B is making  $30^\circ$  — from Horizontal  
 $\hookrightarrow$   $60^\circ$  from vertical

$\Rightarrow$  B is at  $30^\circ$  south of East

①  $\vec{C} = -\hat{i} - \sqrt{3}\hat{j}$

find Angle from vertical.

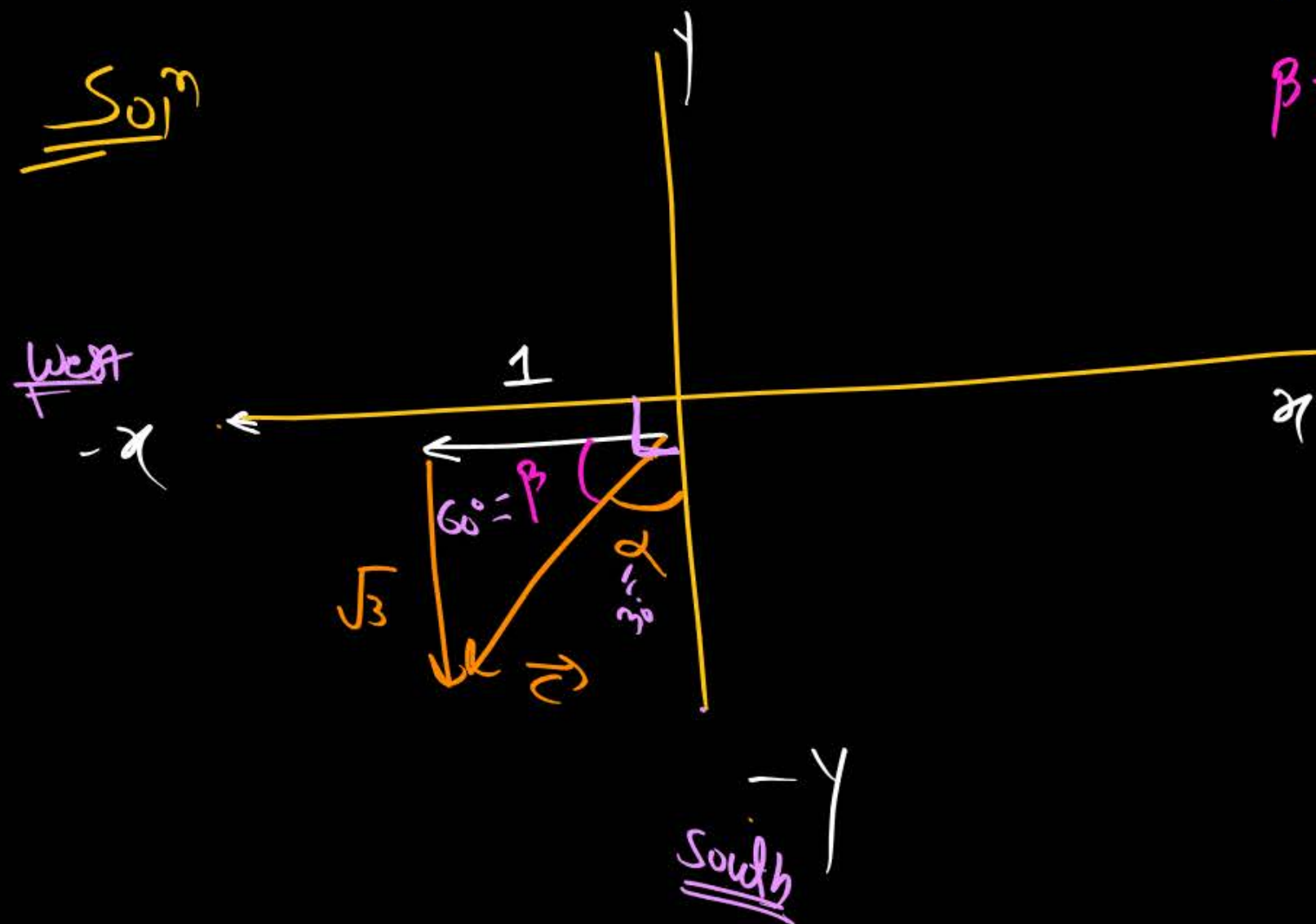
$$\tan \beta = \frac{\sqrt{3}}{1}$$

$$\beta = 60^\circ$$

$$\alpha = 30^\circ$$

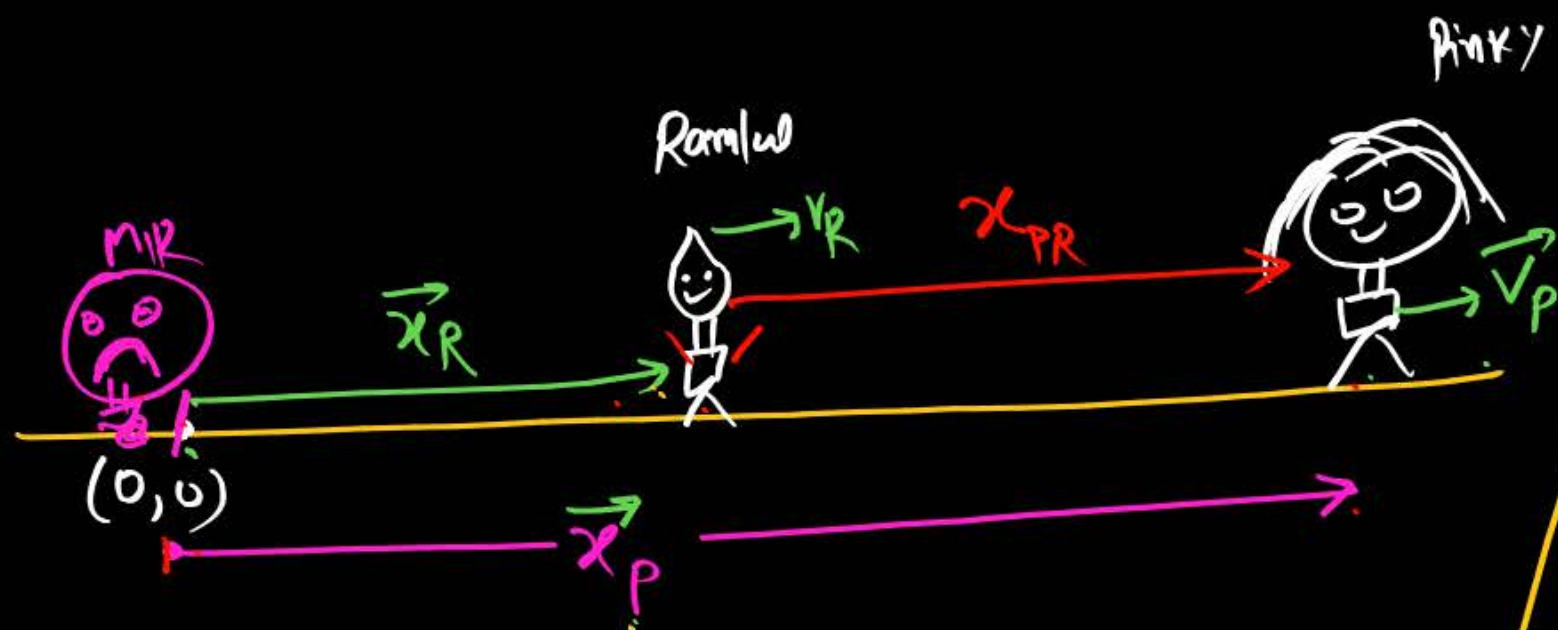
↳ from vertical

$\vec{C}$  is at  $30^\circ$  west of south.





# Relative motion



$x_R$  = Position of Ramdul from origin.

$x_P$  = Position of Pinky from origin.

$$\vec{x}_{PR} = \vec{x}_P - \vec{x}_R$$

Position of Pinky  
w.r.t Ramdul (observed)

$$\frac{dx_{PR}}{dt} = \frac{dx_P}{dt} - \frac{dx_R}{dt}$$

$$\vec{V}_{PR} = \vec{V}_P - \vec{V}_R$$

object velocity of Pinky w.r.t Ramdul observed

$$\vec{V}_{PR} = \vec{V}_P + (-\vec{V}_R)$$

$$\vec{a}_{PR} = \vec{a}_P - \vec{a}_R$$

acceleration of Pinky w.r.t Ramdul

MR\* Box

object ka relative velocity  
ke liye, object ki actual  
velocity ko as it is;  
length and observe ki  
velocity data kar ke  
object me add kar  
dega.

$$\textcircled{A} \rightarrow V_A = 10 \text{ m/s}$$

Person  
 $\textcircled{B} \rightarrow V_B = 5 \text{ m/s}$

Sol<sup>n</sup>  $\vec{V}_{AB} = \vec{V}_A - \vec{V}_B$   
 $= 10 - 5$   
 $= \underline{5 \text{ m/sec}}$

$$\vec{V}_{BA} = \vec{V}_B - \vec{V}_A$$

$$= 5 - 10 = \underline{-5 \text{ m/s}}$$

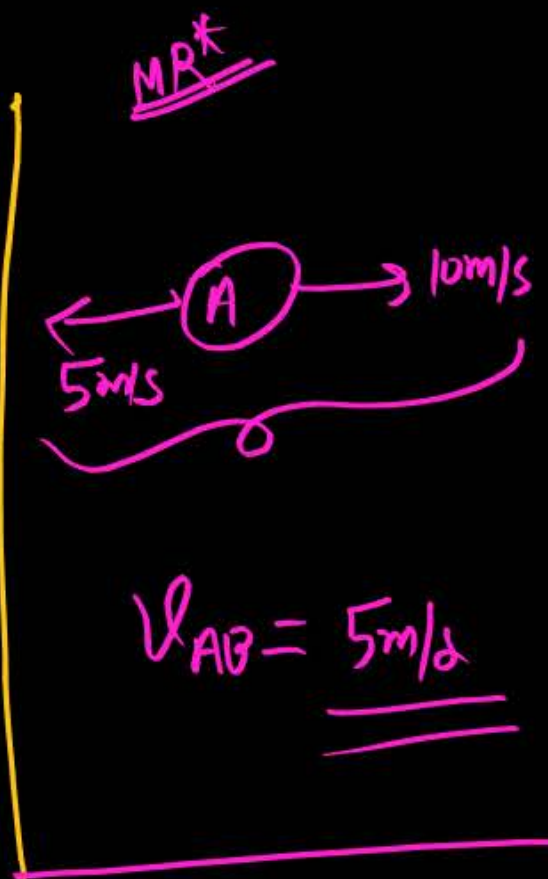


Diagram illustrating the relative velocity calculation. Object B is moving to the left at 10 m/s. Object A is moving to the right at 5 m/s. The relative velocity  $V_{BA}$  is shown as -5 m/s.

$$V_{BA} = \underline{-5 \text{ m/s}}$$



$\textcircled{A} \rightarrow V_A = 10 \text{ m/s}$

$\textcircled{B} \leftarrow V_B = 20 \text{ m/s}$   
*Random (Observer) rest of us*

Soln

$\vec{V}_{AB} = ??$   
*obs*

MR

$\textcircled{A} \rightarrow 10 \text{ m/s}$   
 $\rightarrow 20 \text{ m/s}$

$\vec{V}_{AB} = \underline{30 \text{ m/s}}$

formula

$$\begin{aligned}\vec{V}_{AB} &= \vec{V}_A - \vec{V}_B \\ &= 10 \text{ m/s} - (-20) \\ &= 30 \text{ m/s}\end{aligned}$$

formula

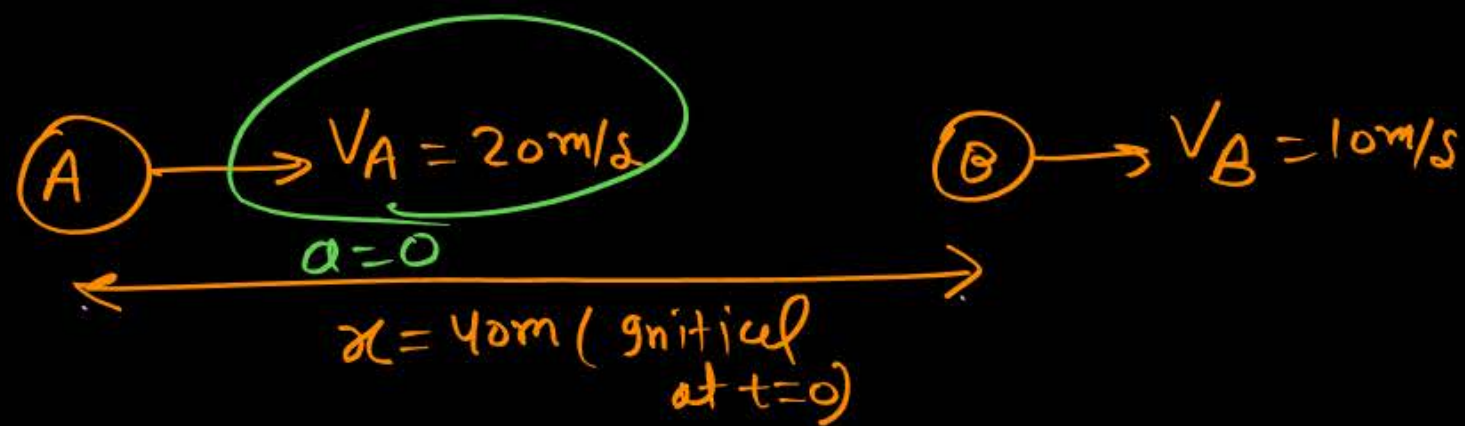
$$\begin{aligned}\vec{V}_{BA} &= \vec{V}_B - \vec{V}_A \\ &= -20 - 10 \\ &= -30 \text{ m/s}\end{aligned}$$

MR

$\textcircled{B} \leftarrow 10$   
 $\leftarrow 20$

$V_{BA} = -30 \text{ m/s}$

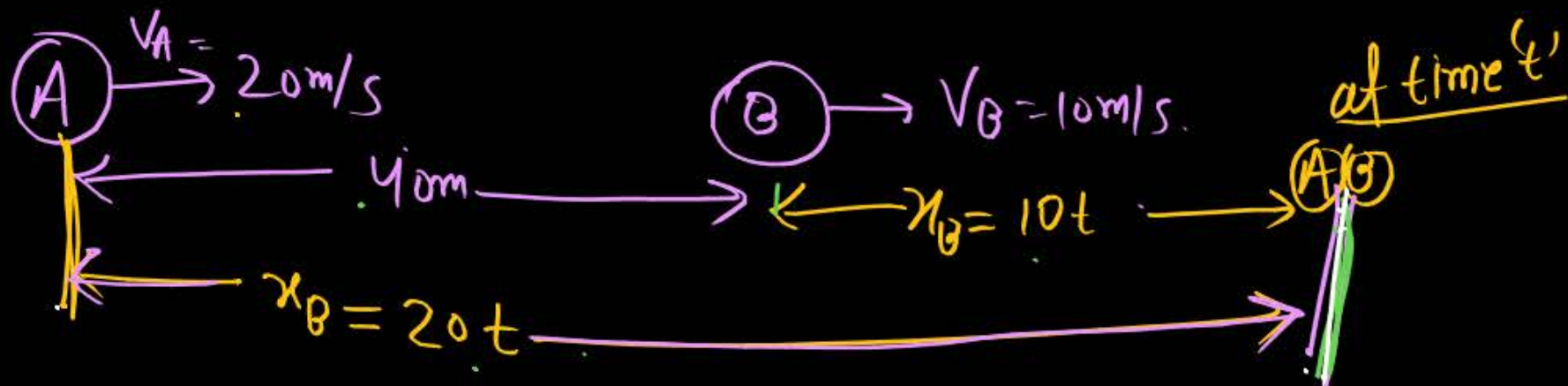
Q)



find time when they will meet :-

Sol<sup>n</sup>

without relative

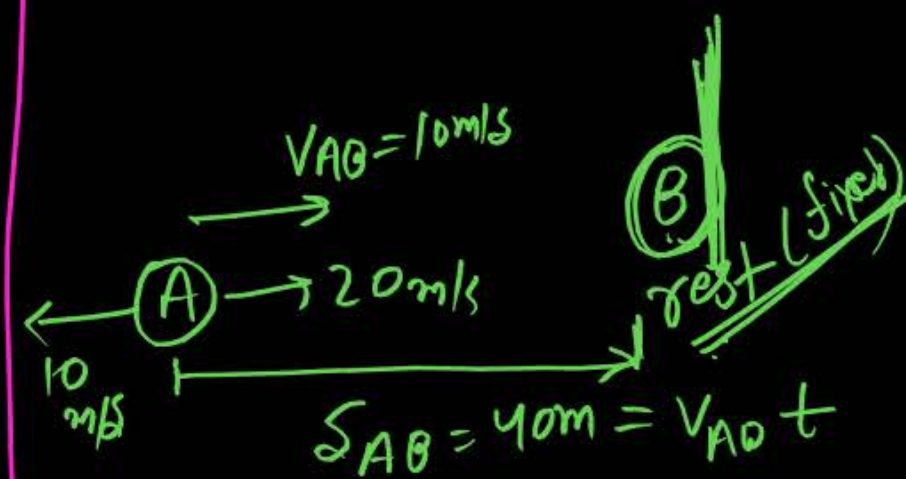
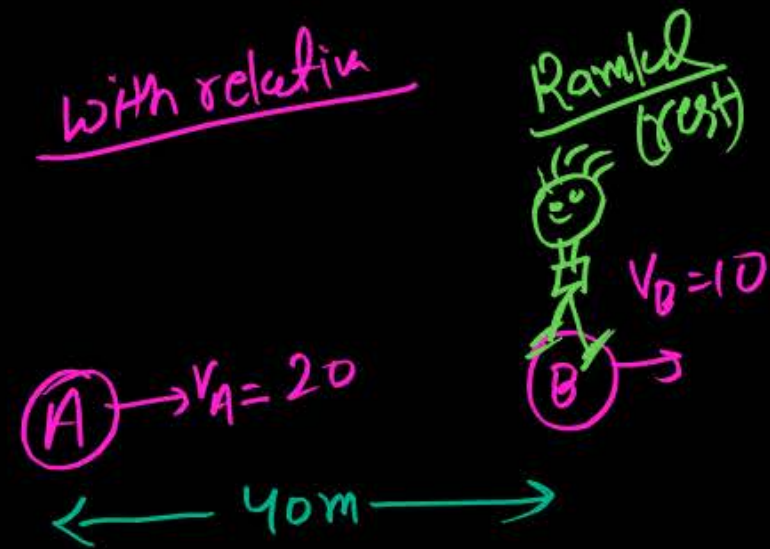


$$40 + 10t = 20t$$

$$40 = 10t$$

$$t = 4 \text{ sec}$$

with relative

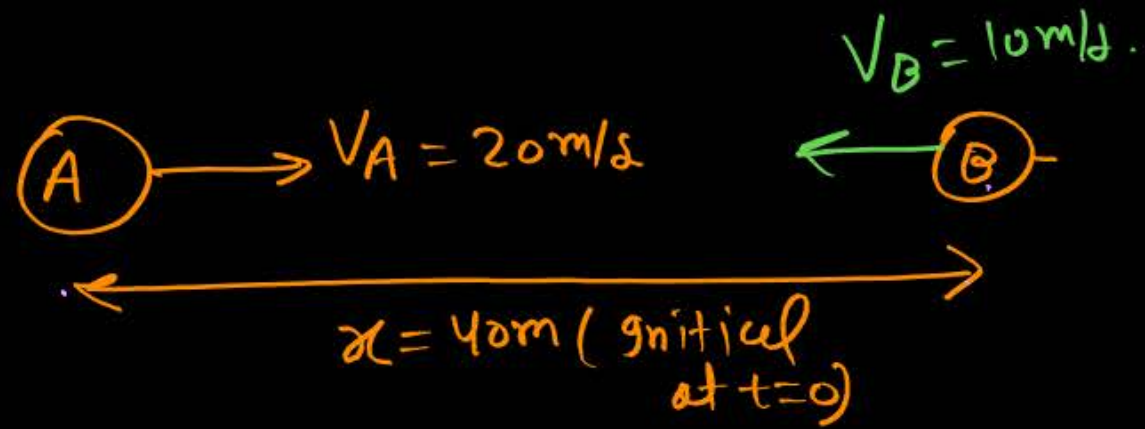


$$40 = 10t$$

$$t = 4 \text{ sec}$$

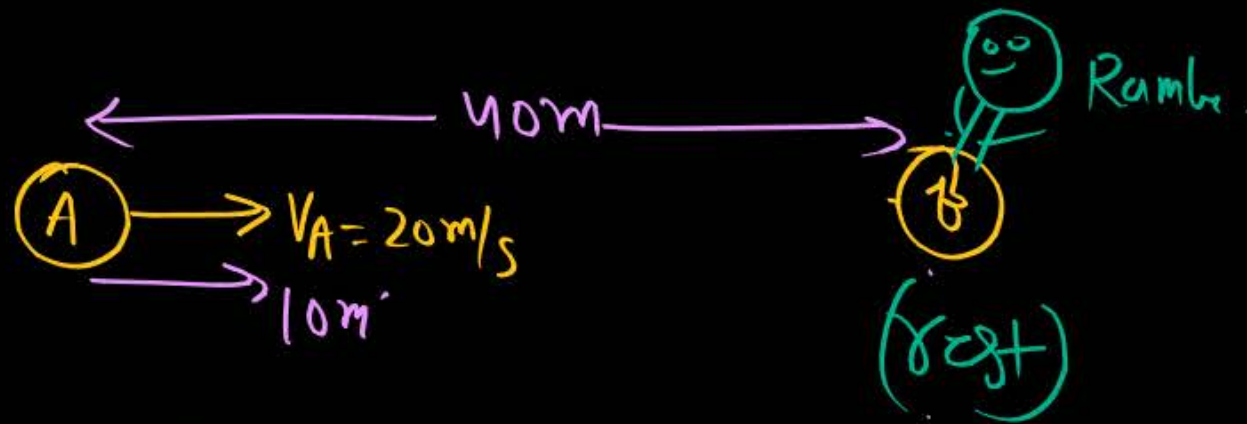


Q)



find time when they will meet :-

Sol<sup>n</sup>



$$V_{AB} = 30 \text{ m/s}$$

$$t = \frac{40}{30} = \frac{\text{dist}^n}{\text{speed}} = \underline{\underline{4/3 \text{ sec}}}$$

Mr. Box

Ramlal (observed) jis  
par baith Jayga  
usko rest me  
manega. or uski  
velocity ulta kar

ke dusre me  
add kar  
dega. ✓

②



MR SCAM

$t = 3$

They will never meet ✓

Soln



$V_{AB} = -10$  m/s.  
Backward



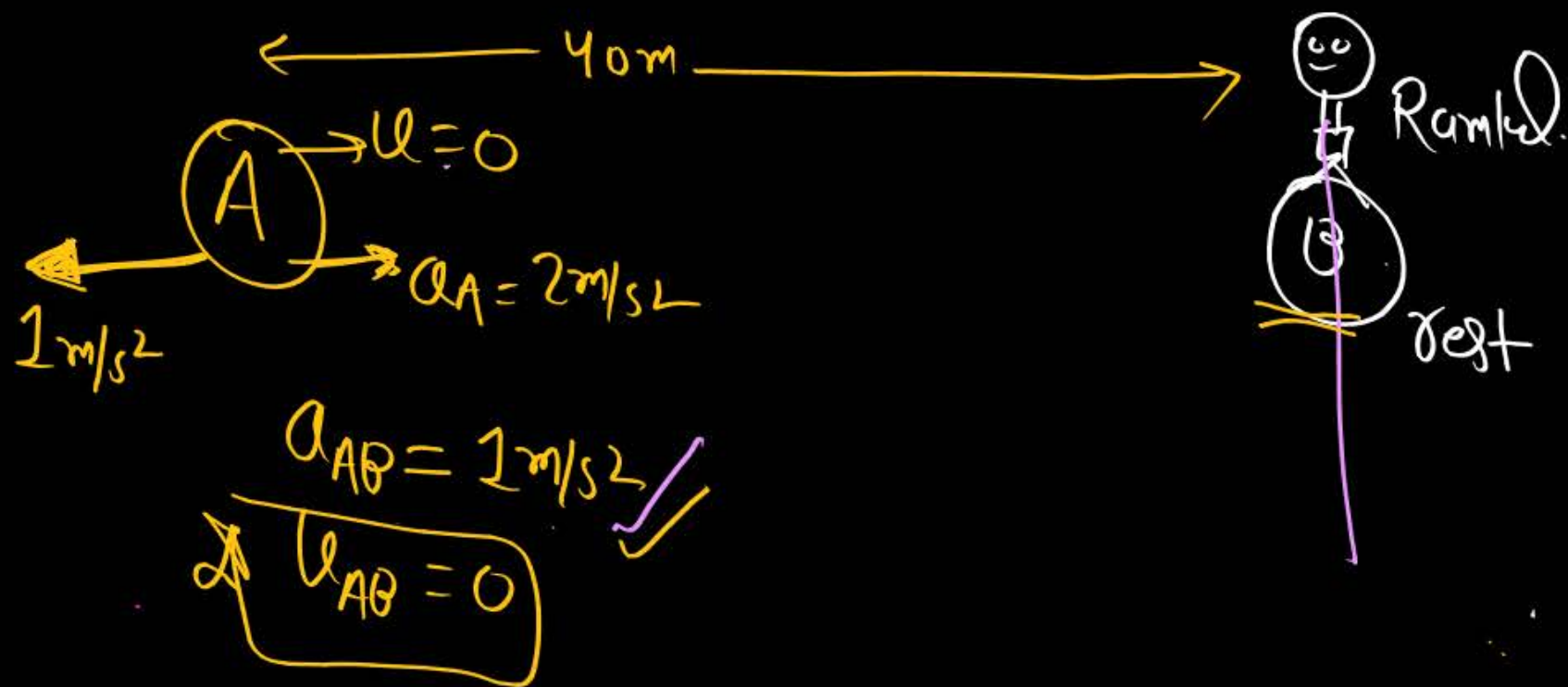


Q



Soln

Find time when they will meet.



Soln

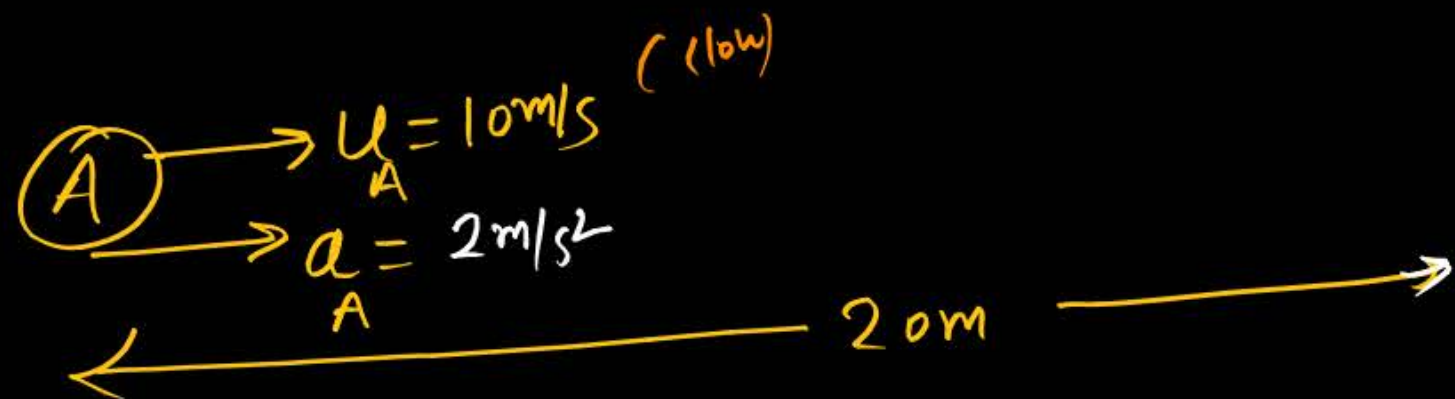
$$S_{AB} = u_{AB}t + \frac{1}{2}a_{AB}t^2$$

$$40\text{m} = \frac{1}{2} \cdot 2 \cdot t^2$$

$$t = \sqrt{80} = \sqrt{16 \times 5}$$

$$t = 4\sqrt{5} \text{ sec}$$

Q



$$s_{AB} = u_{AB}t + \frac{1}{2}a_{AB}t^2$$

$$20 = -10t + \frac{1}{2}t^2$$

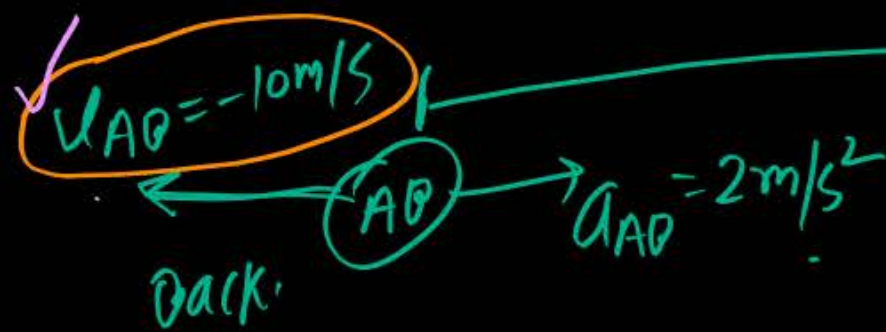
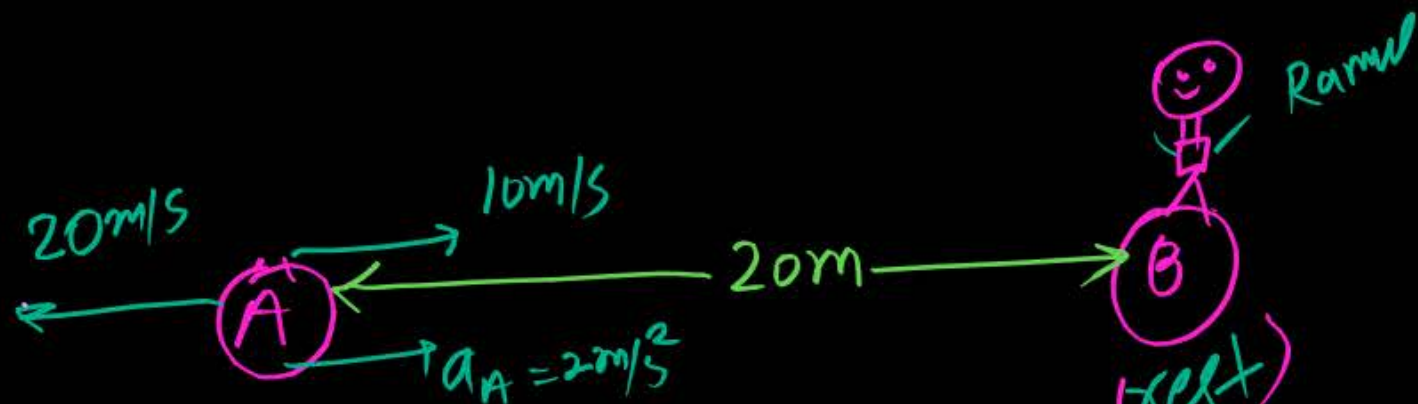
$$t^2 - 10t - 20 = 0$$

$$t = \frac{10 \pm \sqrt{100 - 4(-20)}}{2}$$

$$t = \frac{10 \pm \sqrt{180}}{2} \text{ s}$$

no need to slow

Sol<sup>n</sup>



$$s_{AB} = 20 \text{ m}$$

$$a_{AB} = 2 \text{ m/s}^2$$

$$v_{AB} = -10 \text{ m/s}$$

~~18%~~  
(a) never meet  
(b) will meet



Q1)

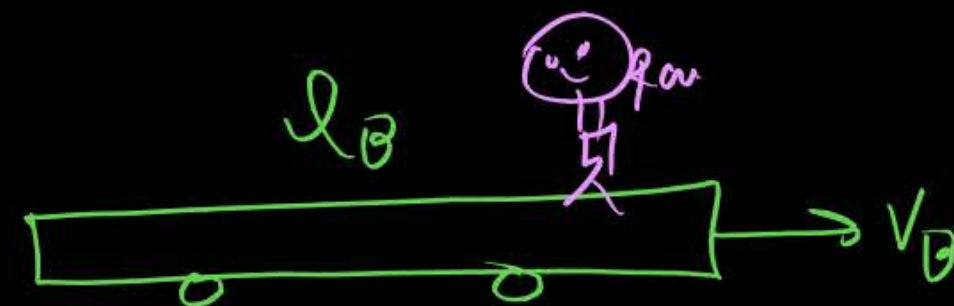
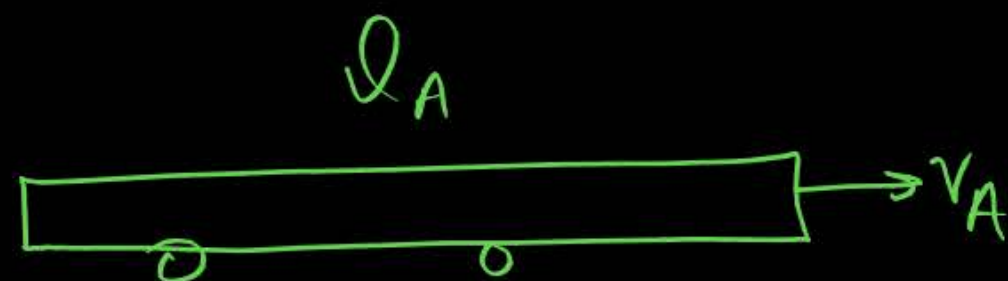


find time taken by train to cross  
the man.??

Sol<sup>n</sup>

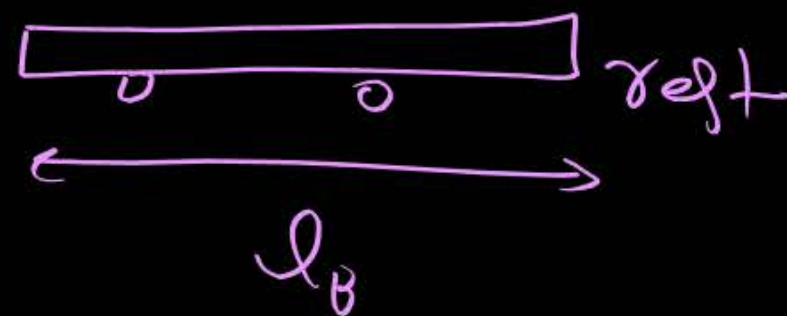
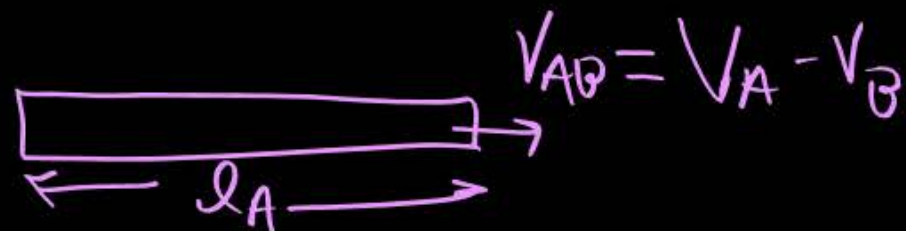
$$t = \frac{l}{v_B}$$

Q



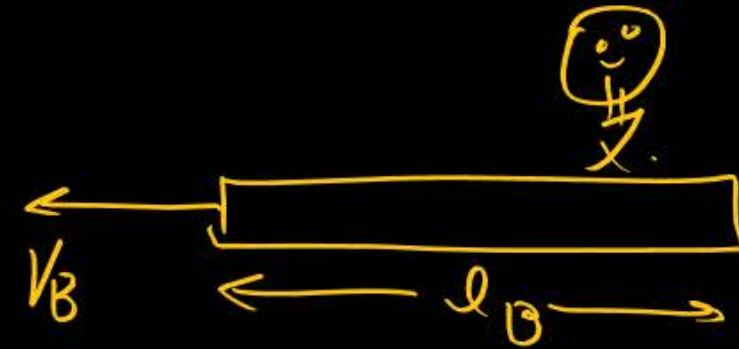
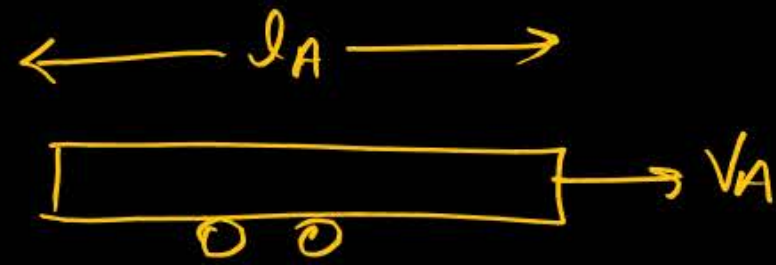
Q Find time when A will overtake train B ( $v_A > v_B$ ).

Sol<sup>n</sup>



$$t = \frac{l_A + l_B}{v_A - v_B}$$

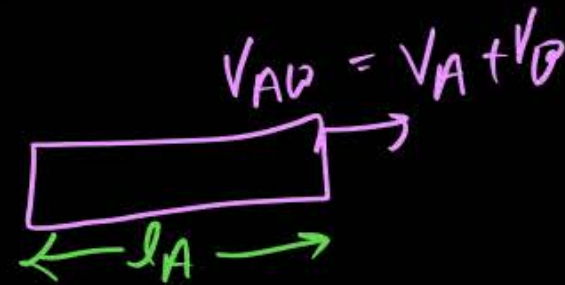




Sol<sup>n</sup>

$$t = \frac{l_A + l_B}{v_A + v_B}$$

time to cross



## Question

निरत लेवा



Two trains each of length 100 m moving parallel towards each other at speed  $72 \text{ km/h} = \frac{5}{18} \times 10 = 10$  and  $36 \text{ km/h}$  respectively. In how much time will they cross each other? (MEET)  $\frac{72}{3.6} = 20 \text{ m/s}$

1 4.5 s

2 6.67 s ✓

3 3.5 s ✗

4 7.25 s

Soln

$$t = \frac{200}{30}$$

$$= \frac{20}{3} = 6.67$$



## Question

A bus is moving with a speed of  $10 \text{ ms}^{-1}$  on a straight road. A scooterist wishes to overtake the bus in 100 s. If the bus is at a distance of 1 km from the scooterist, with what speed should the scooterist chase the bus?

[2009]

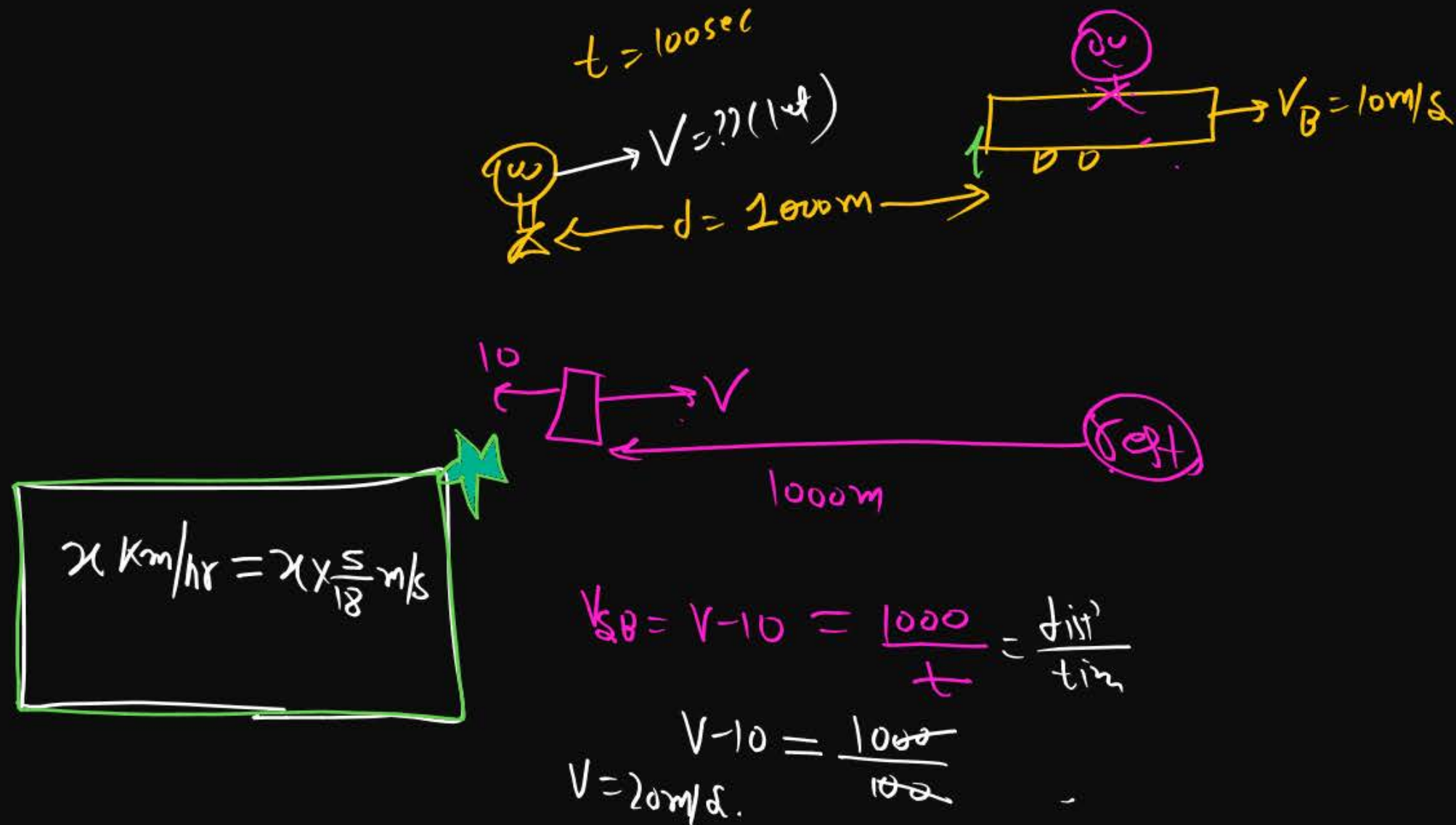
(NEET)

1  $40 \text{ ms}^{-1}$

2  $25 \text{ ms}^{-1}$

3  $10 \text{ ms}^{-1}$

4  $20 \text{ ms}^{-1}$



length of Bus is ignored

(2)

at  $t=0$



$$u_A = u$$

$$a_A = 2a$$



$$u_B = 2u$$

$$a_B = a$$

$$x_A = x_B$$

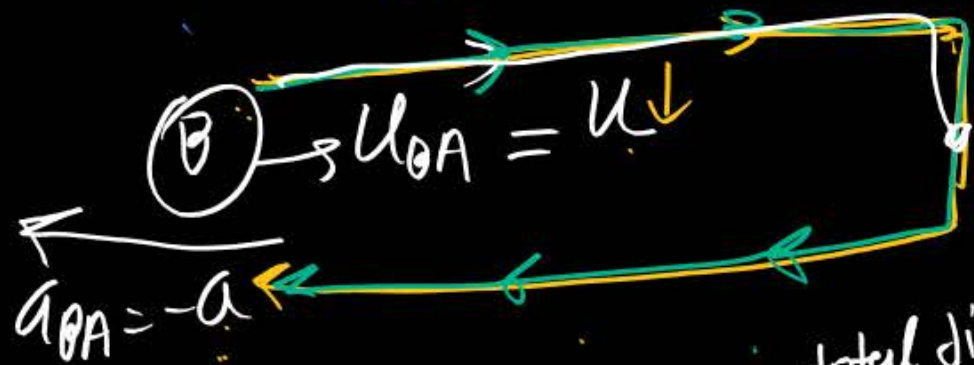
at  $t$  they meet again  
then find  $t$ .



Soln With Relativ. (Power of Relativ.)



$$t_{\text{tot}} = \frac{2u}{a}$$



$$V_{\text{avg}}(\text{tot}) = \frac{u^2}{2a}$$

$$\text{total dist}^n \text{ of } B \text{ w.r.t } A = \left[ \frac{u^2}{2a} \right] \times 2$$

Soln without relativ. (मजरी)

$$x_A = x_B$$

$$ut + \frac{1}{2}2at^2 = 2ut + \frac{1}{2}at^2$$

$$at^2 - \frac{1}{2}at^2 = 2ut - ut$$

$$\frac{at^2}{2} = ut$$

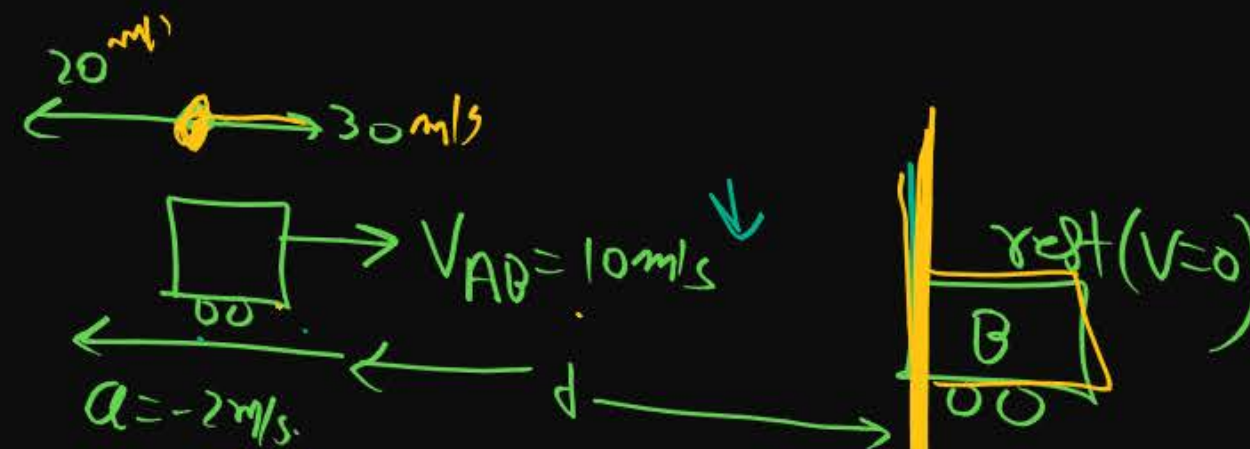
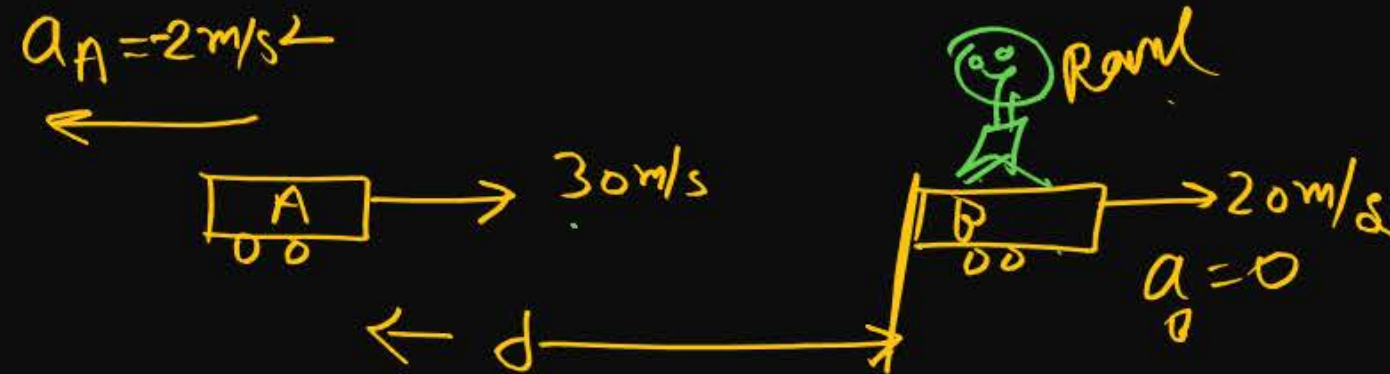
$$t = \frac{2u}{a}$$



## Question

Two cars A and B are moving in same direction with velocities  $30 \text{ m/s}$  and  $20 \text{ m/s}$ . When car A is at a distance  $d$  behind the car B, the driver of the car A applies brakes producing uniform retardation of  $2 \text{ m/s}^2$ . There will be no collision when

- 1  $d < 2.5 \text{ m}$
- 2  $d > 125 \text{ m}$
- 3  $d > 25 \text{ m}$
- 4  $d < 125 \text{ m}$



To avoid colls.

$$d > 25 \text{ m}$$



one line n

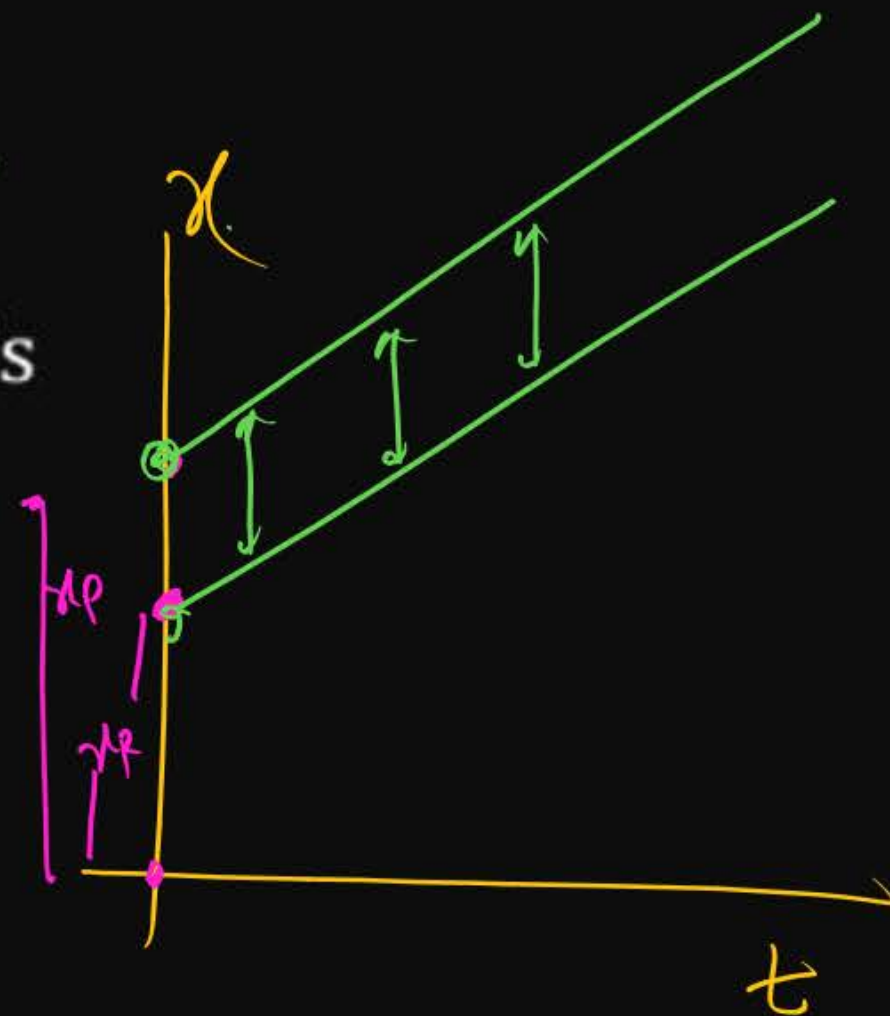
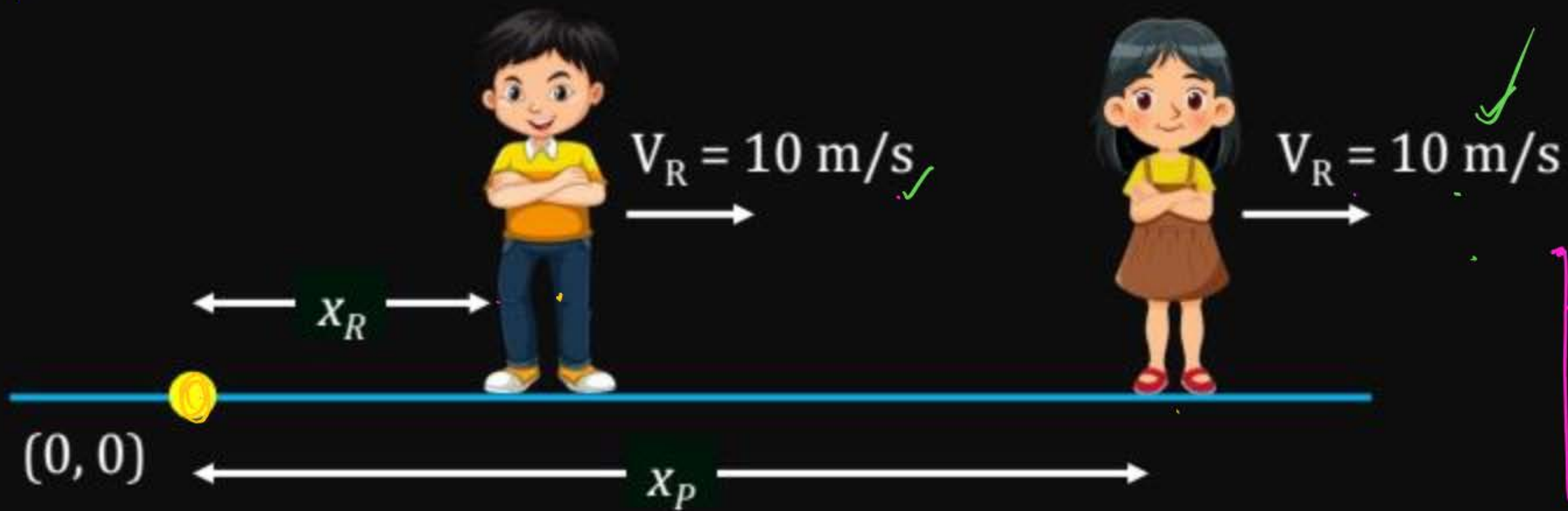
$$S = \frac{u_{AB}^2}{2a} = \frac{(10)^2}{2 \times 2} = \frac{100}{4} = 25 \text{ m}$$

(Same as stopping dist<sup>n</sup>)

## Question

Draw position-time graph and comment on relative separation? ✓

H/w

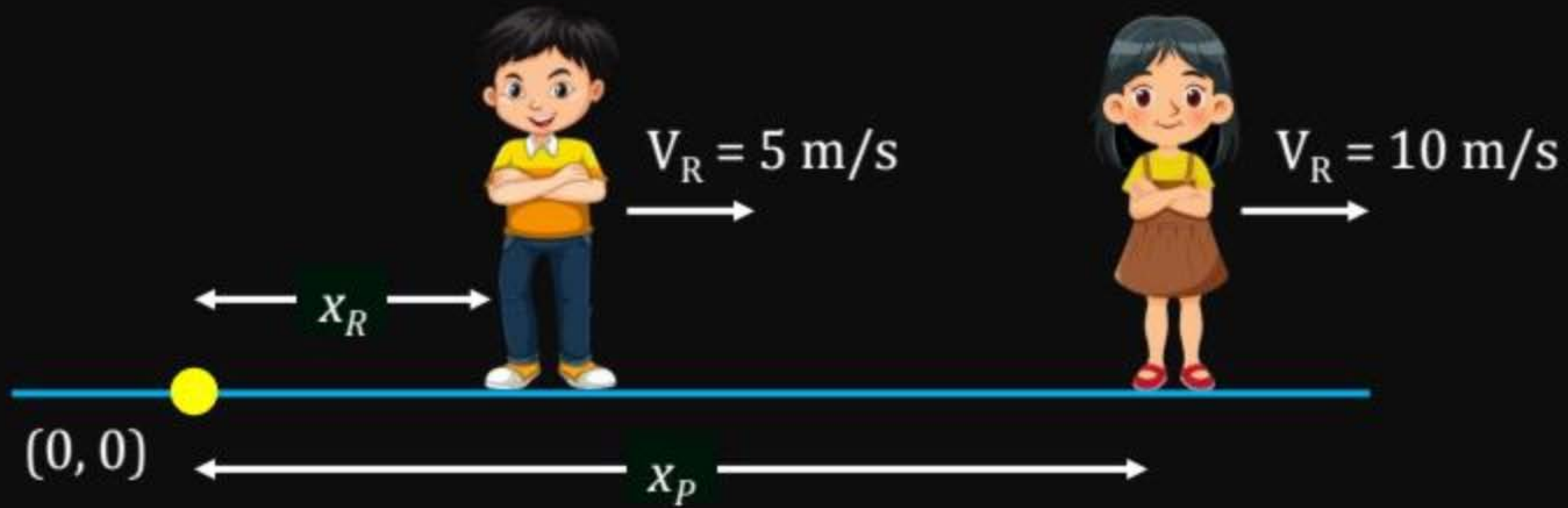


Slope of Posit-time graph = velocity

## Question

Draw position-time graph and comment on relative separation?

n/w



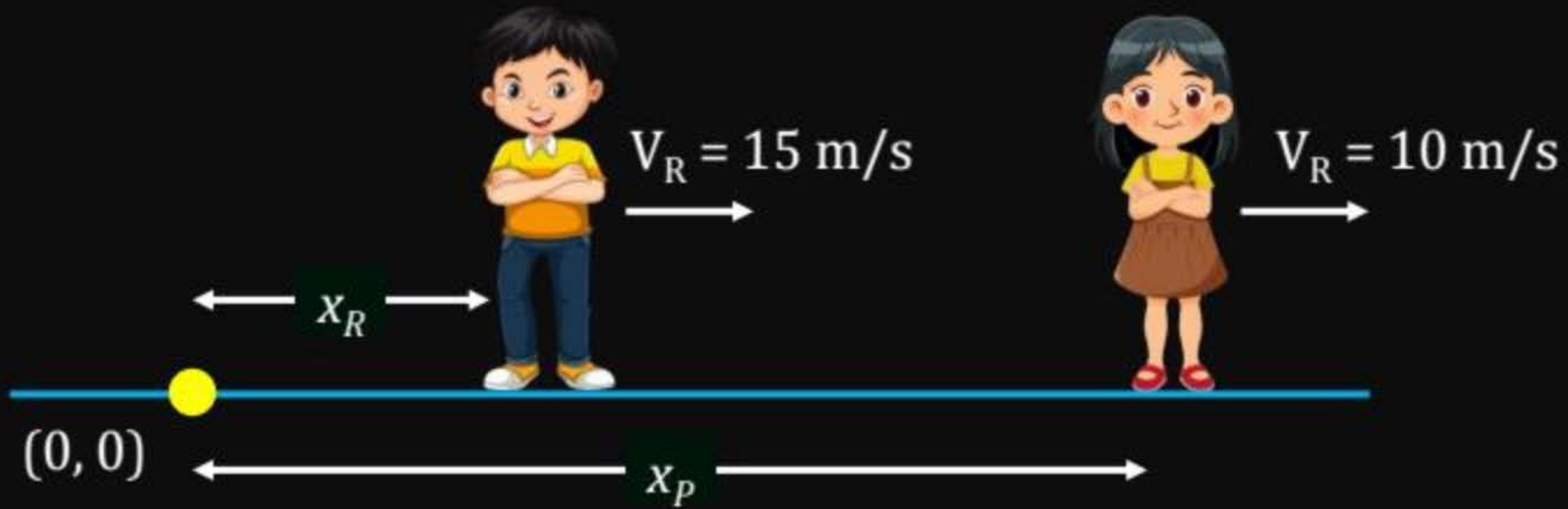


## Question



Draw position-time graph and comment on relative separation?

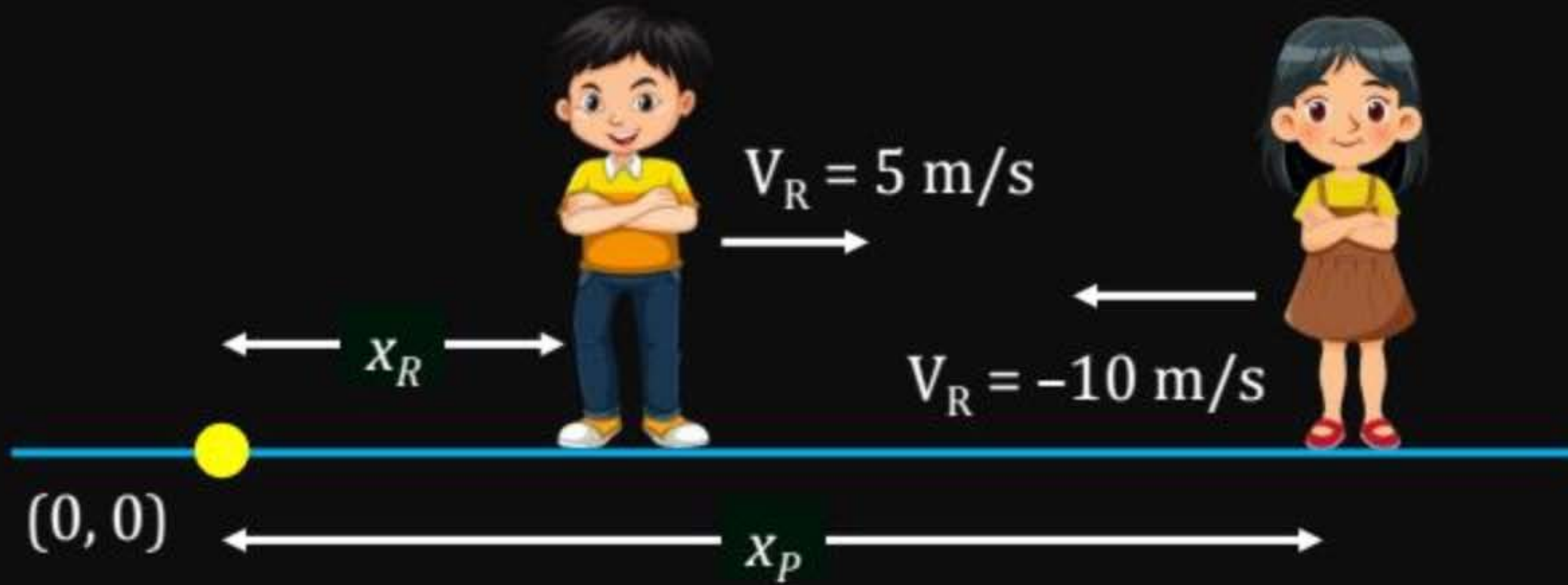
n/w



## Question

Draw position-time graph and comment on relative separation?

H/W



## Question



Bus is moving with constant velocity  $21 \text{ m/s}$  and Ramlal starts his motion from rest and constant acceleration  $2 \text{ m/s}^2$ . If initial distance is  $100 \text{ m}$  then find time when Ramlal will catch the bus.

H/W



## Question



Two cars are moving in the same direction with a speed of 30 km/h. They are separated from each other by 5 km. Third car moving in the opposite direction meets the two cars after an interval of 4 minutes. The speed of the third car is

- <sup>H/W</sup>  
**1** 30 km/h
- 2** 25 km/h
- 3** 40 km/h
- 4** 45 km/h

## Question



A ball is dropped from the top of a building of height 80 m. At same instant another ball is thrown upwards with speed 50 m/s from the bottom of the building. The time at which balls will meet is

H/W

- 1 1.6 s
- 2 5 s
- 3 8 s
- 4 10 s



# THANK YOU

for 2-D  
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