

Todays Goal



- Component of vector & ques practise.

which of the following vector are unit vector.

$$\overrightarrow{A} = 3\hat{\lambda} + 4\hat{j}$$

$$A = \sqrt{3^2 + 4^2} = 5 + 1$$

$$\overrightarrow{A} = \widehat{\lambda} + \widehat{j}$$

$$A = \sqrt{2}$$

$$\vec{A} = \hat{\lambda} - \hat{j} + \hat{k}$$

$$A = \sqrt{3}$$

$$A = \sqrt{1}$$

$$\sqrt{2}$$

$$A = \sqrt{\left(\frac{1}{\sqrt{2}}\right)^2 + \left(\frac{1}{\sqrt{2}}\right)^2} = 1$$

$$\overrightarrow{A} = \frac{\widehat{\lambda} + \widehat{j} + \widehat{k}}{\sqrt{3}}$$

$$6) \vec{A} = \hat{\lambda} - \hat{j} - \hat{k}$$

$$(5) \overline{A} = \frac{\overline{P} + \overline{Q}}{|P + \overline{Q}|}$$



(10)
$$\vec{R} = \frac{\vec{p} + \vec{a} - \vec{R}}{|\vec{p} + \vec{a} - \vec{R}|}$$

$$\overrightarrow{A} = \frac{\overrightarrow{P} + \overrightarrow{a} - \overrightarrow{R}}{|\overrightarrow{P} + \overrightarrow{a} + \overrightarrow{R}|}$$

which of the following vector are unit vector.

$$\overrightarrow{A} = \frac{\overrightarrow{\lambda} + \overrightarrow{i} + \overrightarrow{k}}{\sqrt{3}} \Rightarrow A = \left(\frac{1}{\sqrt{3}}\right)^2 + \left(\frac{1}{\sqrt{3}}\right)^2 + \left(\frac{1}{\sqrt{3}}\right)^2 = 1$$

$$\overrightarrow{A} = \widehat{\lambda} - \widehat{j} - \widehat{k}$$

$$\overrightarrow{A} = \sin \alpha \widehat{\lambda} + \cos \alpha \widehat{j} \qquad A = \sqrt{\sin \alpha j^2 + (\cos \alpha)^2} = 1$$

$$(5) \overline{A} = \frac{7+8}{|7+8|} = \frac{7}{|R|}$$



$$\vec{p} = \frac{\vec{p} + \vec{a} - \vec{R}}{|\vec{p} + \vec{a} - \vec{R}|}$$

$$\overrightarrow{A} = \frac{\overrightarrow{P} + \overrightarrow{a} - \overrightarrow{R}}{|\overrightarrow{P} + \overrightarrow{a} + \overrightarrow{R}|}$$

which of the following vector are unit vector.



$$\vec{D} \vec{A} = \frac{\vec{p} + \vec{a} - \vec{R}}{|\vec{p} + \vec{a} - \vec{R}|} = \frac{\vec{a} \cdot \vec{A} \cdot \vec{A}}{|\vec{a} \cdot \vec{A}|} = 1$$

$$\overrightarrow{A} = \frac{\overrightarrow{P} + \overrightarrow{a} - \overrightarrow{R}}{|\overrightarrow{P} + \overrightarrow{a} + \overrightarrow{R}|}$$

$$\overrightarrow{P} + \overrightarrow{Q} - \overrightarrow{R} = \overrightarrow{S}$$

& which of the follow vector can give Resultant 10 Unit.



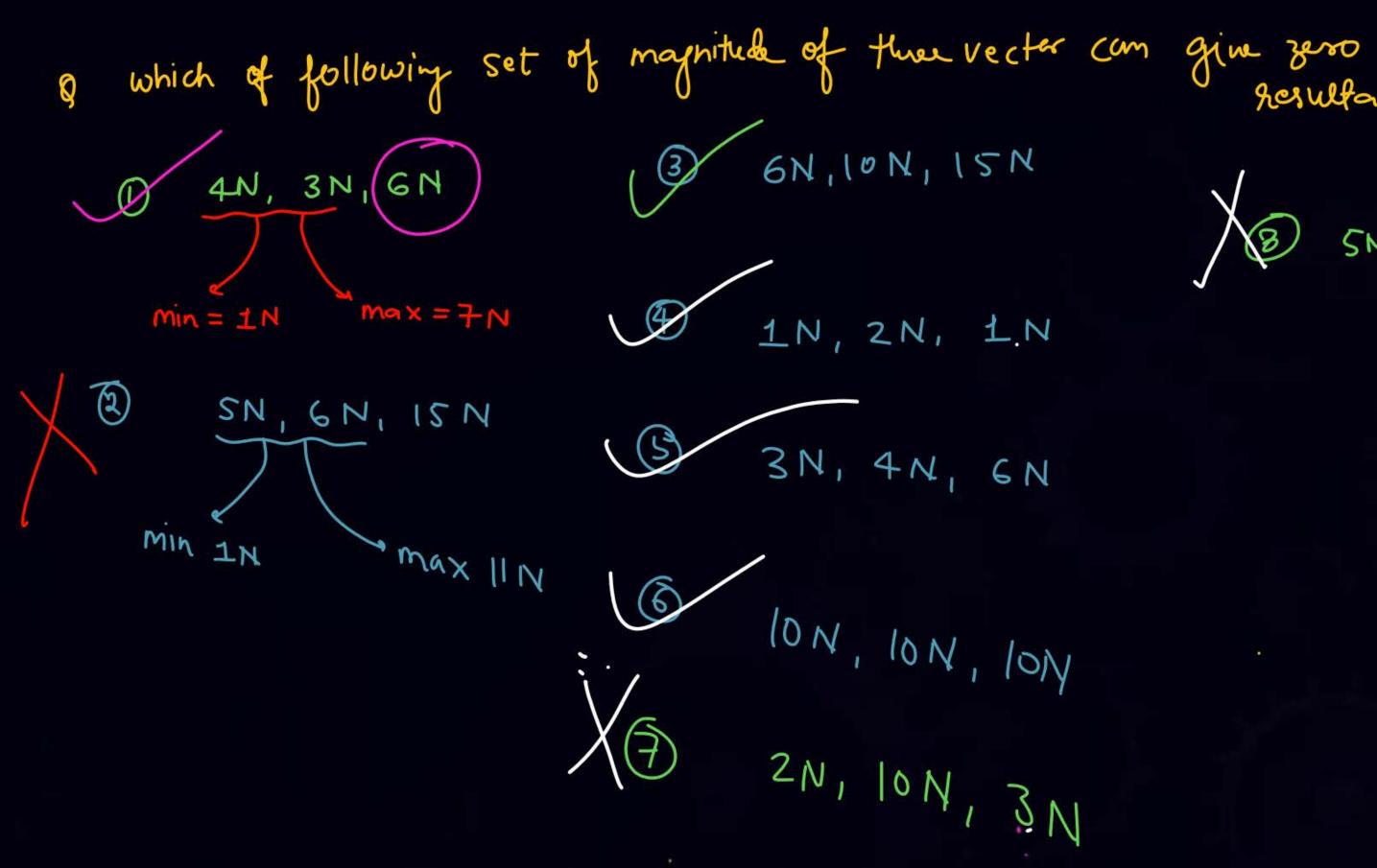
$$A = 15$$

$$B = 6$$

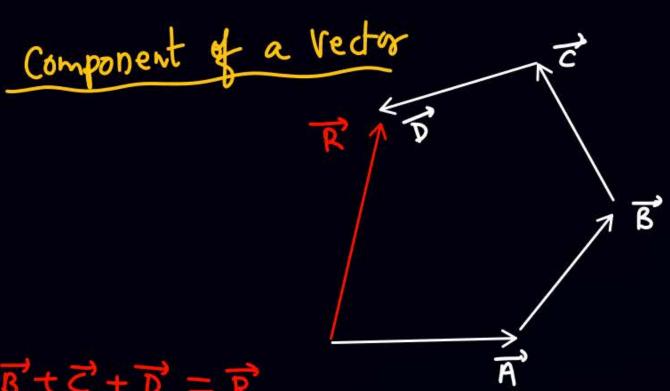




$$B = 6$$



X8 5N,3N,12N



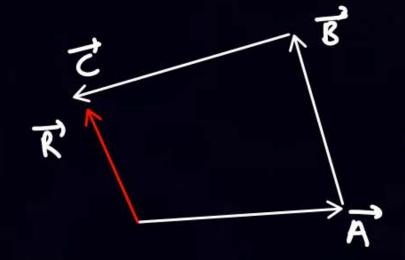
$$\vec{R} = \vec{R} + \vec{C} + \vec{D} = \vec{R}$$

 $\vec{R} = \vec{A} + \vec{B} + \vec{C} + \vec{D}$

here $\vec{A}, \vec{B}, \vec{C}, \vec{D}$ are four composit of \vec{R} .







4×4

Ractanguler component of a Vectur

$$\vec{A}_x + \vec{A}_y = \vec{A}$$

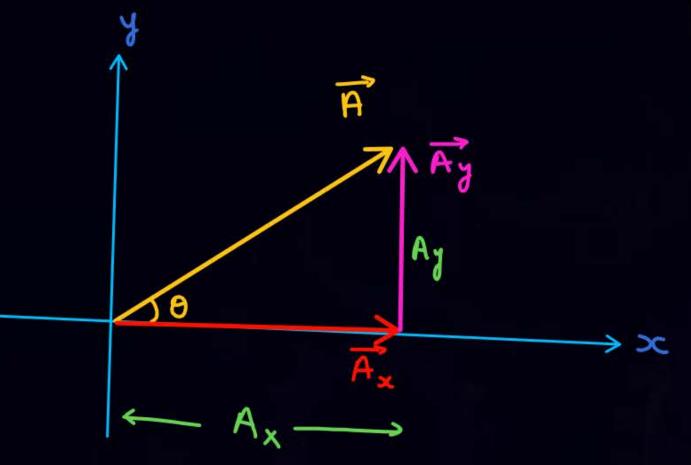
$$\vec{A} = \vec{A}_{x} + \vec{A}_{y}$$

Asc -> Component of A along x-Axis

$$\vec{A} = \vec{A}_X + \vec{A}_Y$$

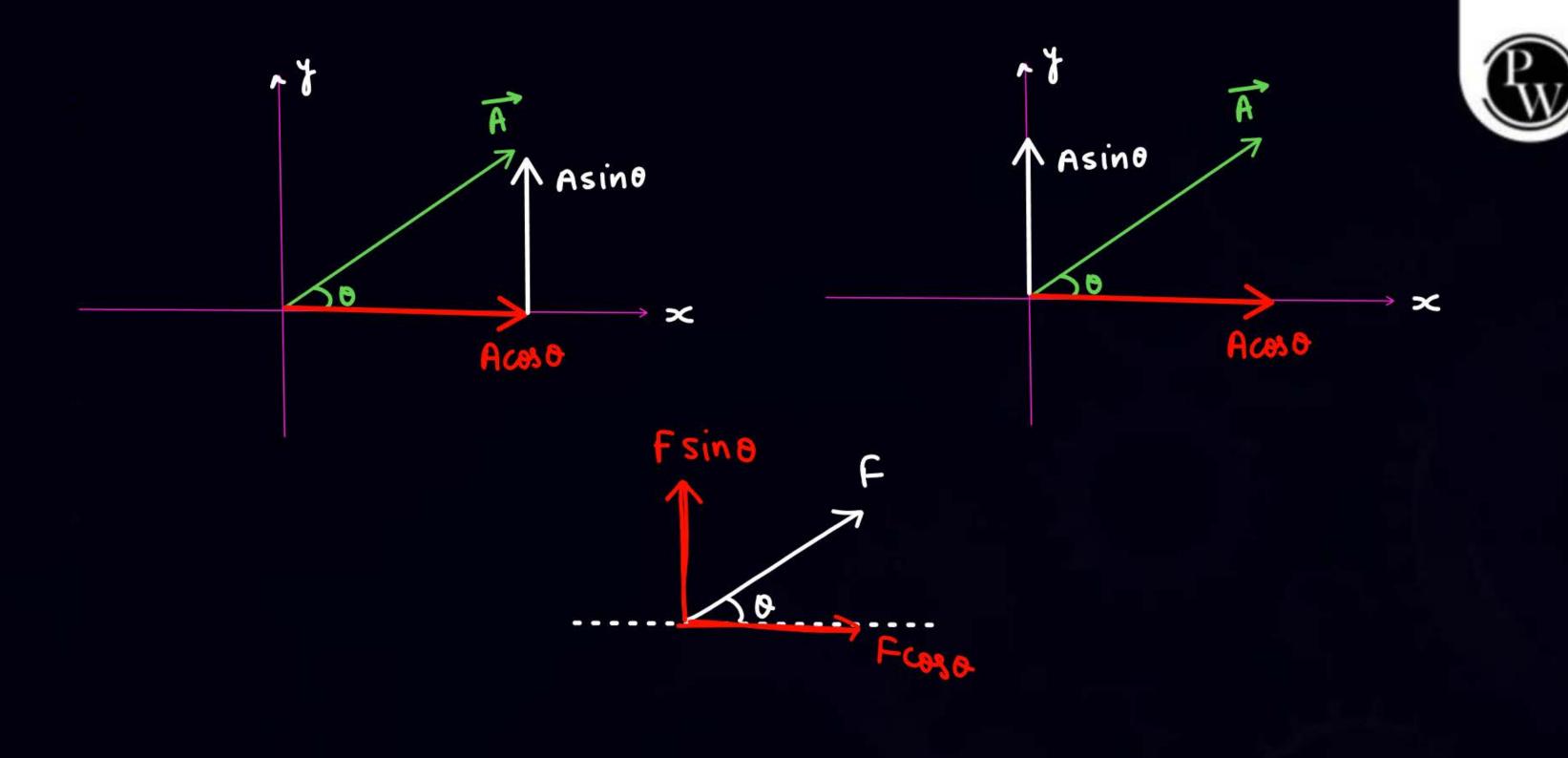
$$\vec{A} = (A\cos a) \hat{i} + (A\sin a) \hat{j}$$





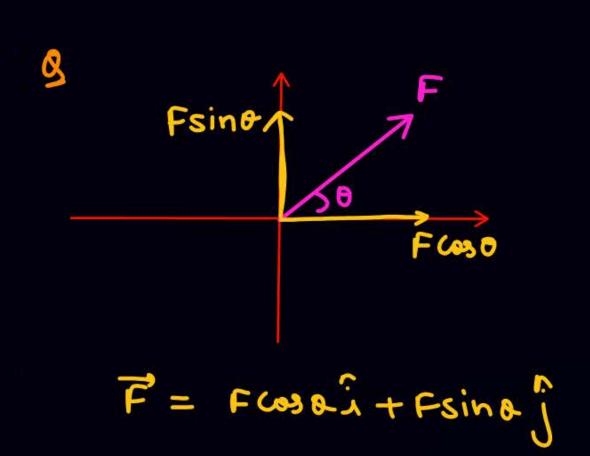
Coso =
$$\frac{A_x}{A} \Rightarrow A_x = A \cos \theta$$

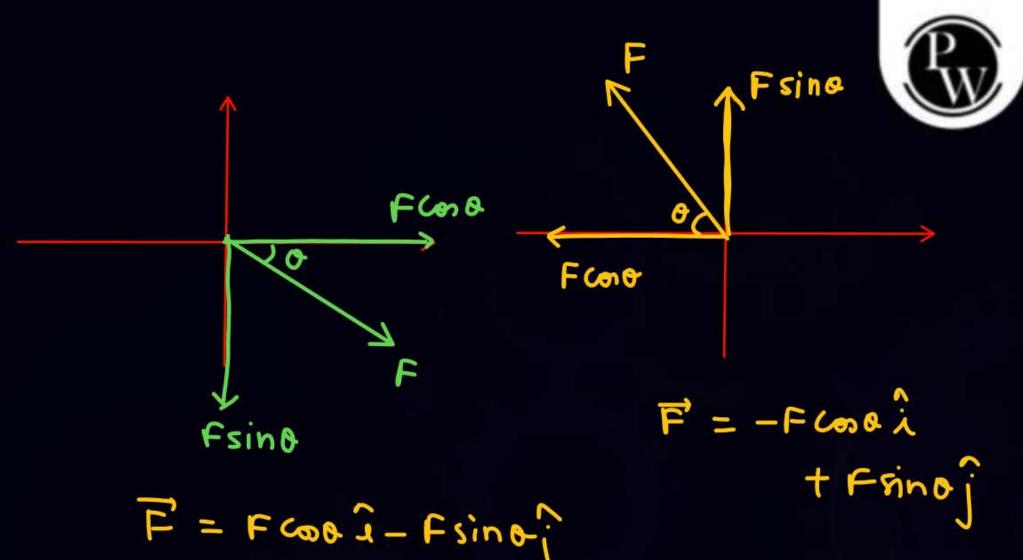
Sin $\theta = \frac{A_x}{A} \Rightarrow A_y = A \sin \theta$

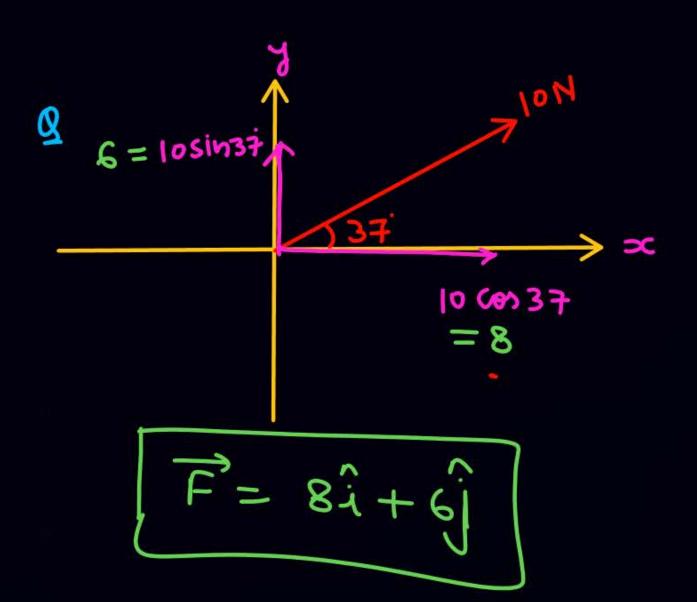




जिस line के साथ angle है बनाया
उधर Fcoso आया
और Fsino रेसे लगाना है ताकि
Fcoso & Fsino के बीच में रहे



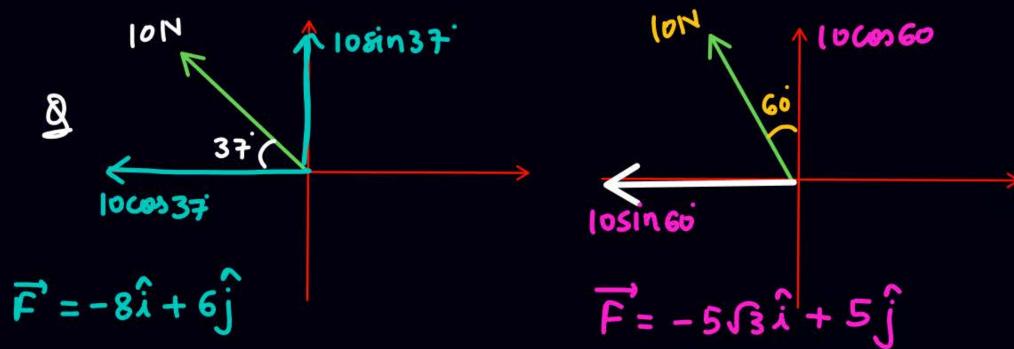


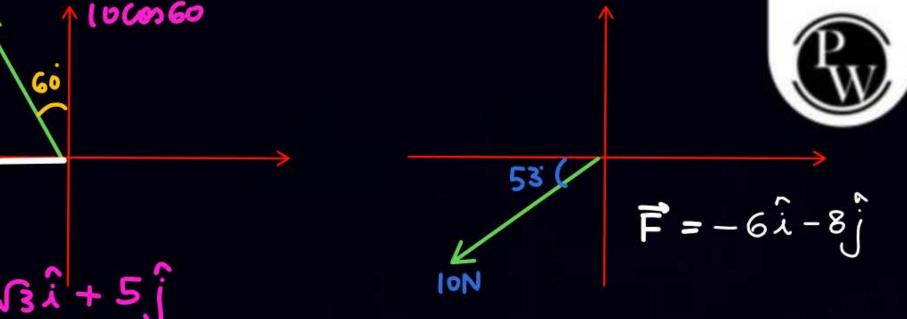


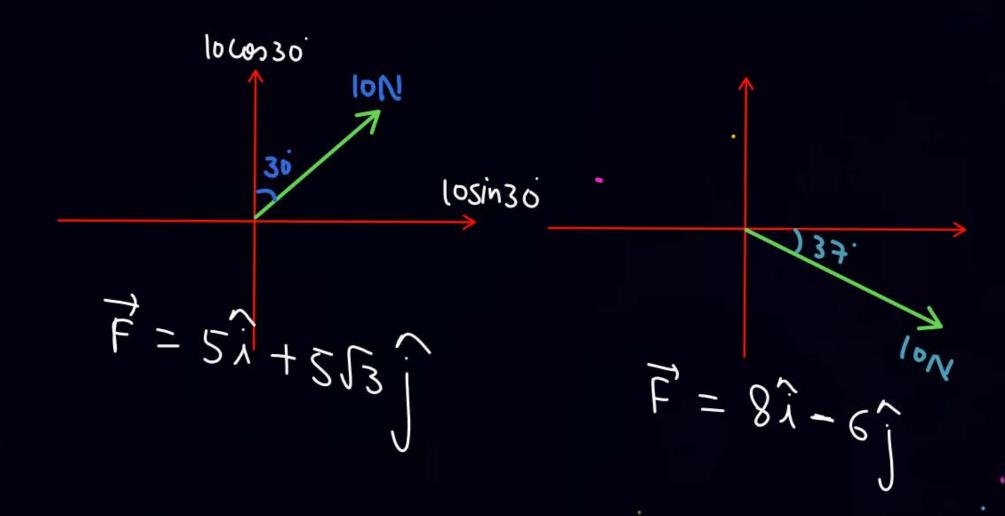


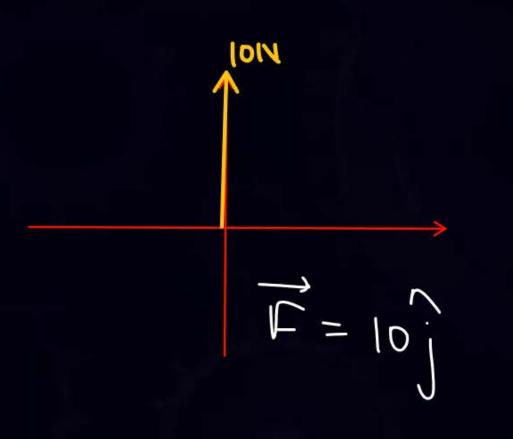
$$\sin 37 = \frac{3}{5}$$

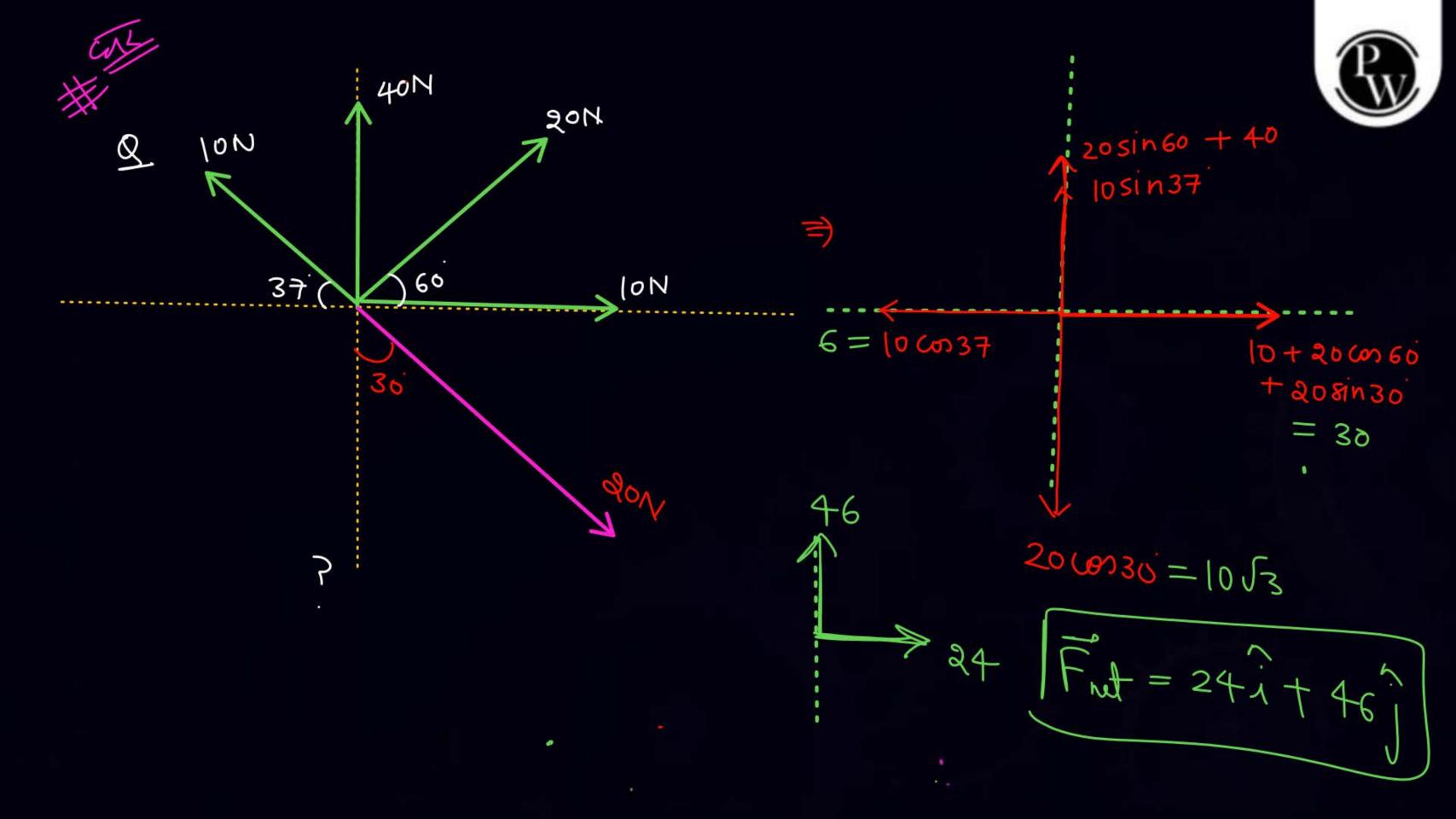
$$10 \sin 37 = 10 \times \frac{3}{5} = 6$$

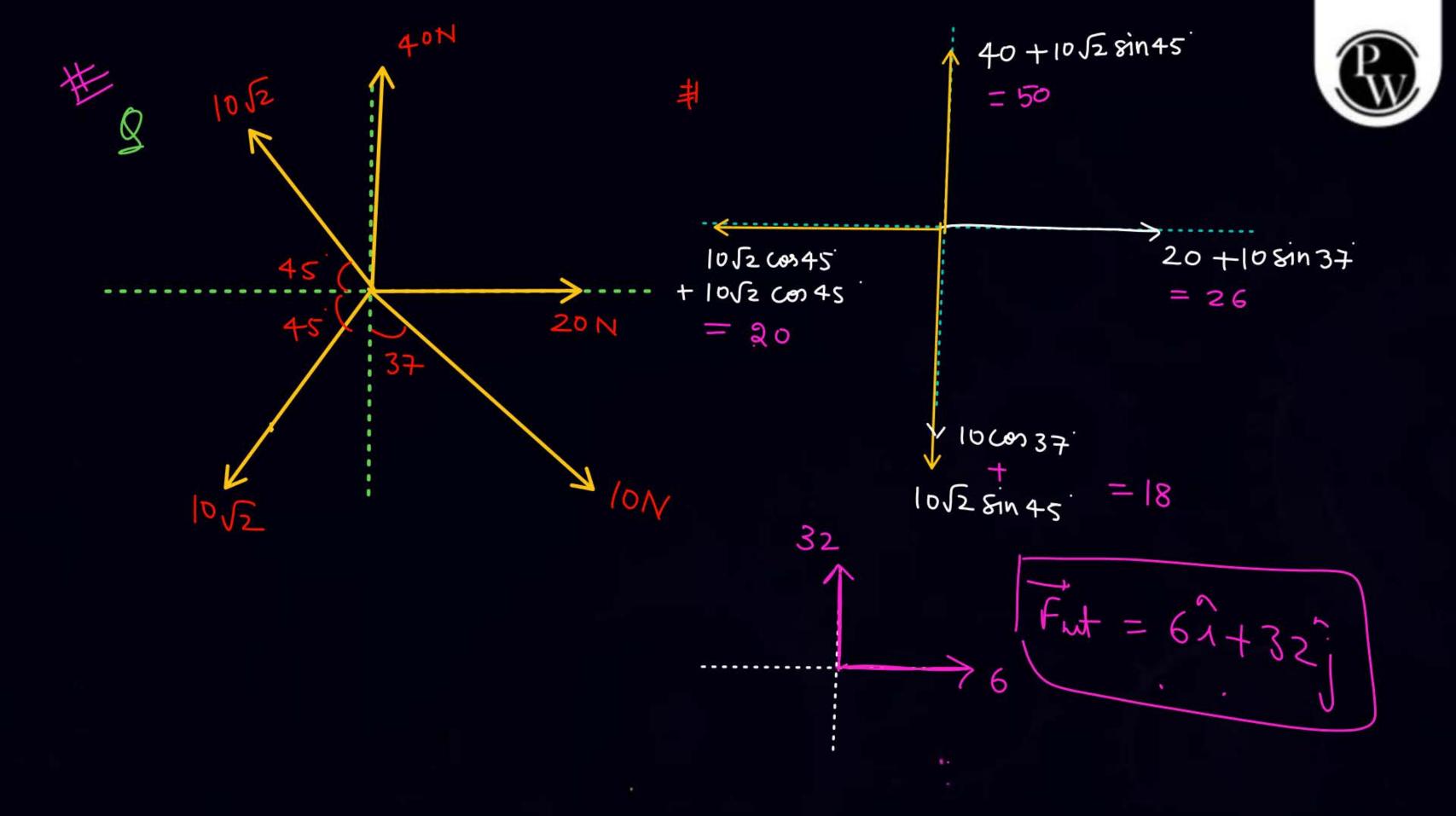




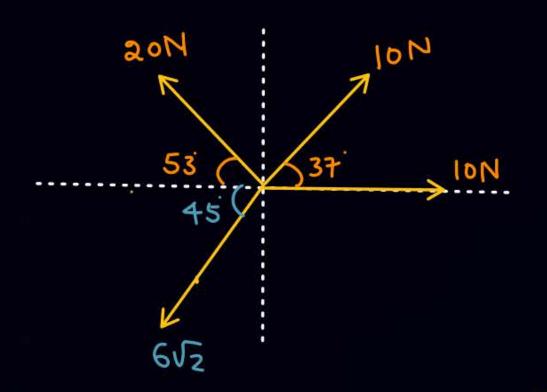


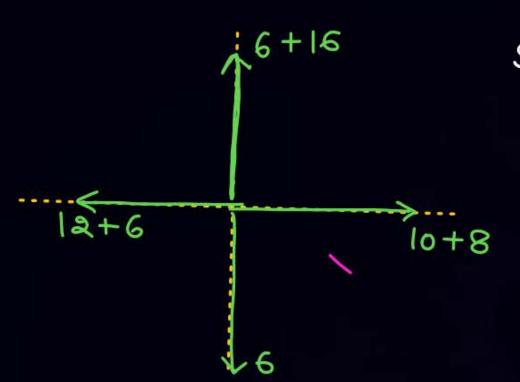






9 1 Fnet





what external force
must be added in a port
so that particle remains
in equilibrium

Am -16j



MBRIM



mello romal pars usu on 9 col (Sa) (B) क्री ल खु 两里





Starting ke do vector ke magnitude se Unki max (A+18)

8 min |A-B| Value Nikalo Am Dekho ki third vector
in dono Value ke beech me aa raha han ya Nahi
Agan aya to resultant zero porsible Han.

$$(F_1, F_2, F_3) = |F_1 - F_2| \le F_3 \le (F_1 + F_2)$$

Home work



4:01 🖘 [18] module will upload @SALEEMSIR_PW



Thank You