

Working memory in action: directional differences in transsaccadic working memory?

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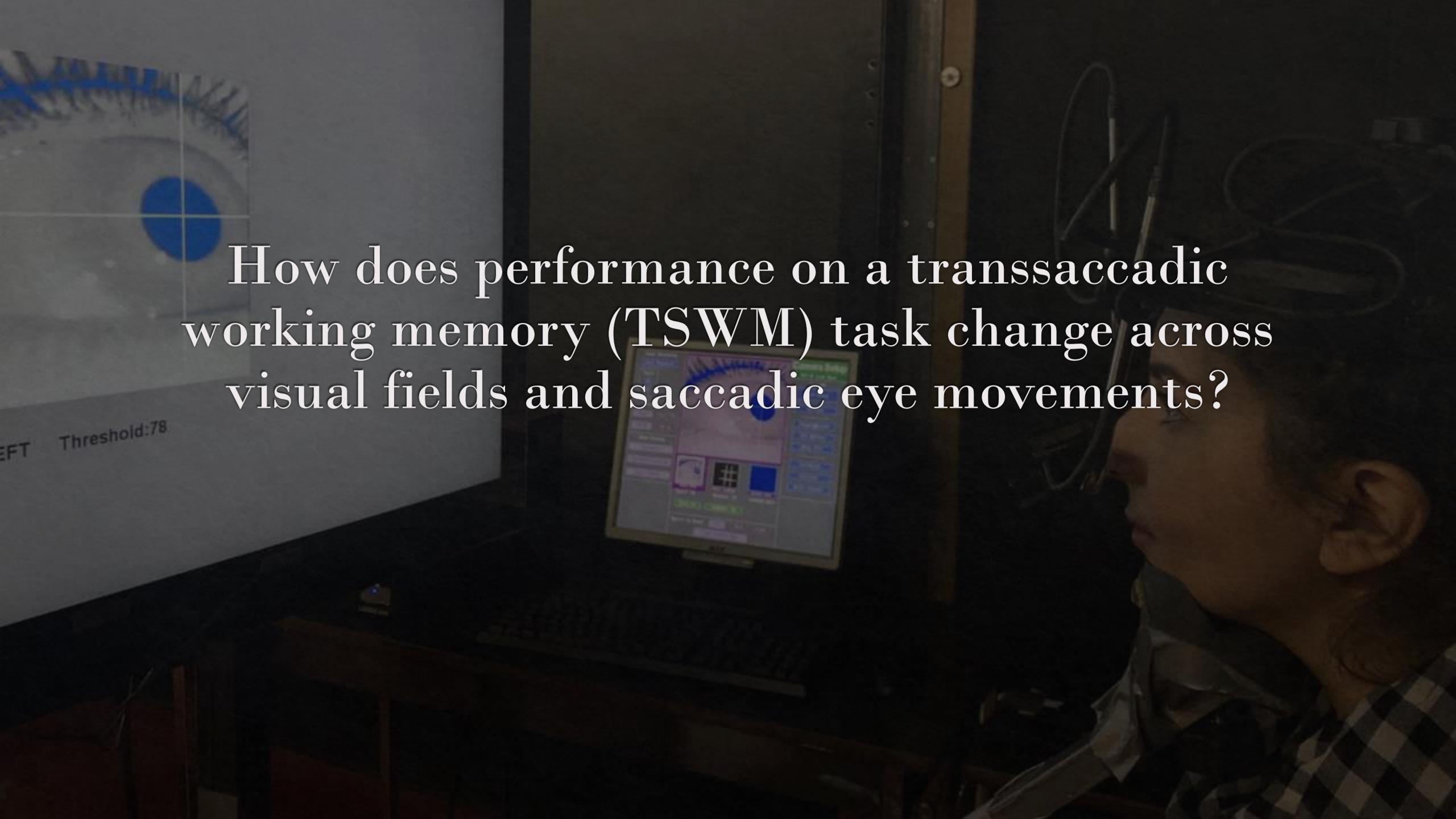
Background information

- ❖ Individuals make saccades to fully perceive and scan their surroundings.
- ❖ This results in a buildup of images in their percept which then is unified by **transsaccadic integration**.
- ❖ The integration of information into a unified percept results in **transsaccadic perception**.



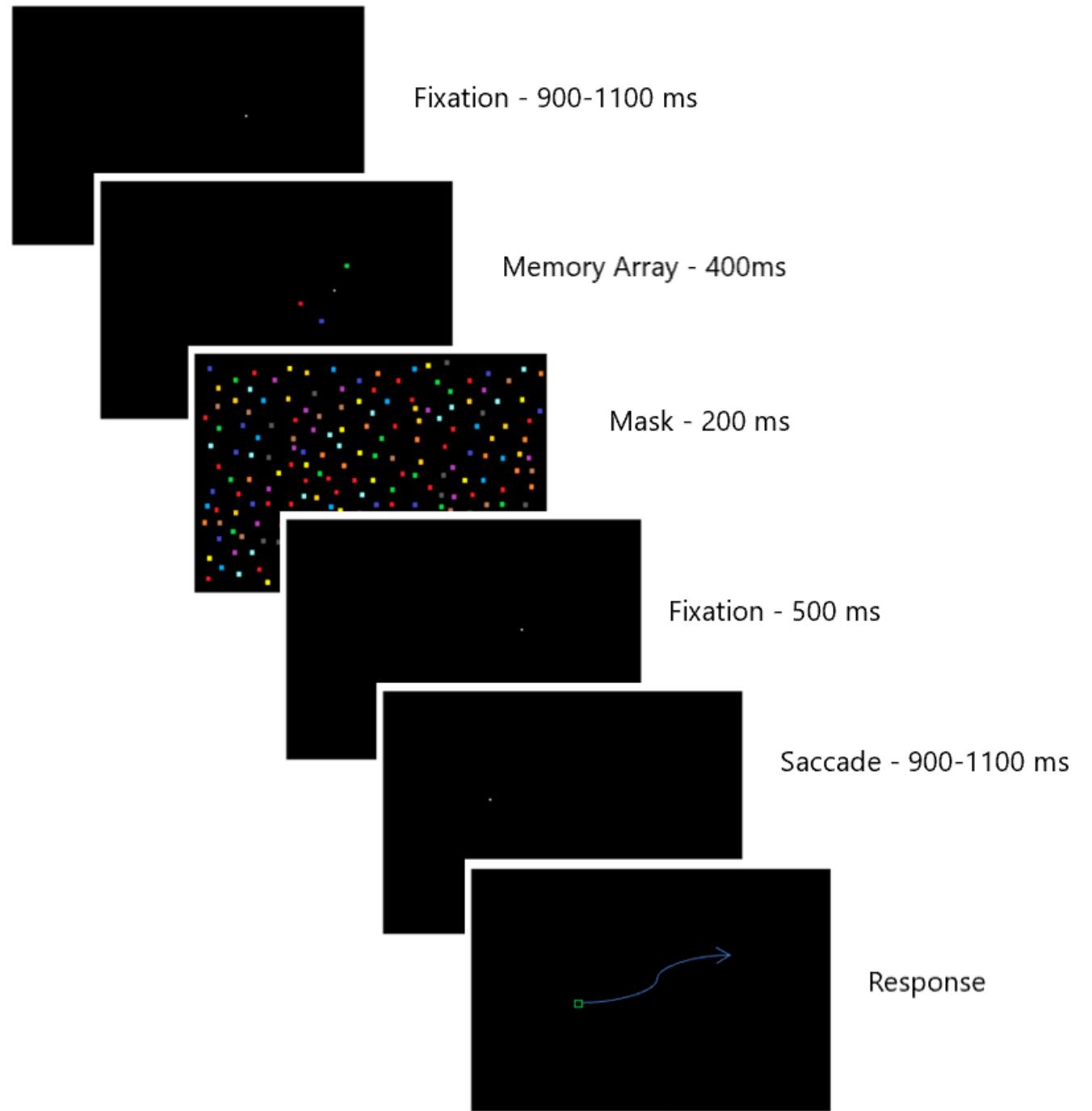
Possible limitations in TSWM?

- ❖ Perception of a displaced target is **distorted** and **suppressed** during a saccadic eye movement
 - ❖ change blindness or suppression of displacement
 - ❖ ...visual representations have still been shown to be **preserved** across saccades
 - ❖ It is the attentional shift that allows for the encoding of information near the saccade time and location



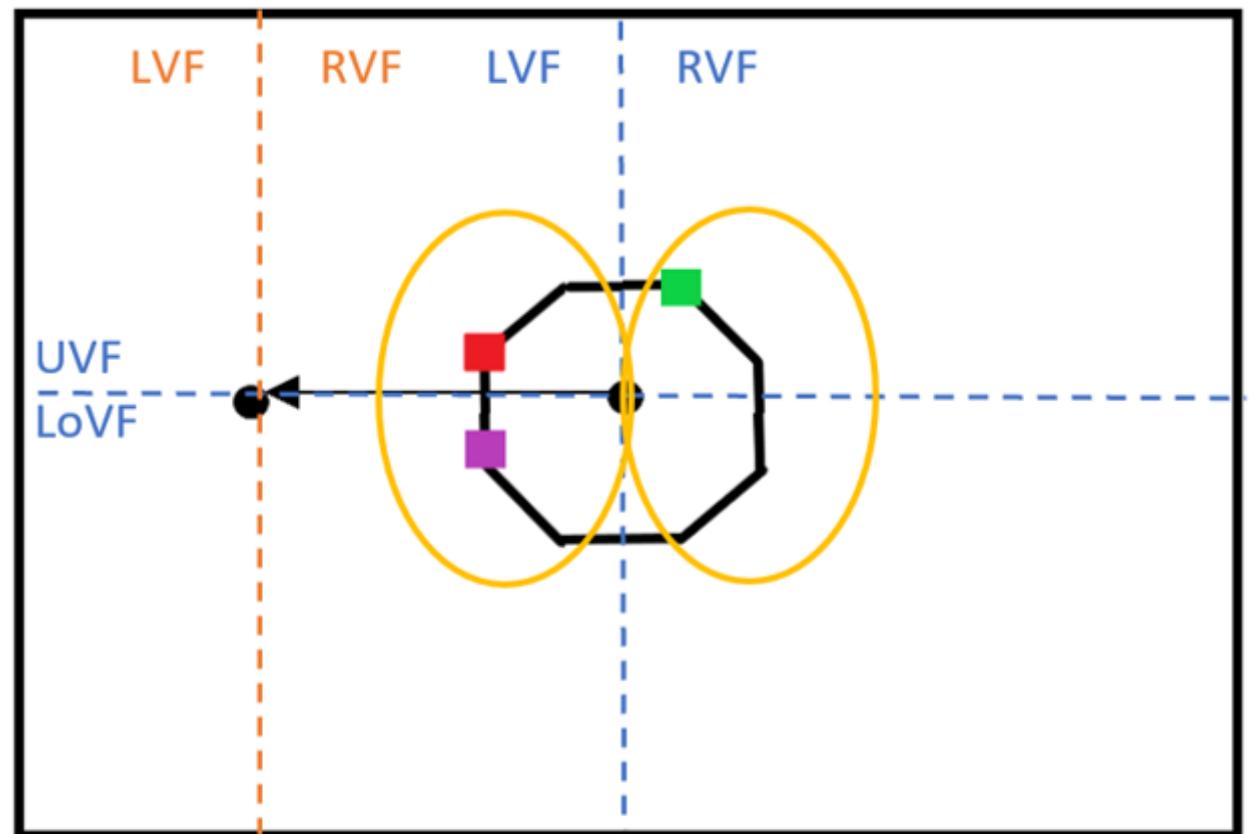
How does performance on a transsaccadic working memory (TSWM) task change across visual fields and saccadic eye movements?

Experimental Design



- ❖ Left saccade and Left Visual Field
 - ❖ Crosses LVF → RVF
- ❖ Left saccade and Right Visual Field
 - ❖ Stays in RVF
- ❖ Right saccade and Left Visual Field
 - ❖ Stays in LVF
- ❖ Right saccade and Right Visual Field
 - ❖ Crosses RVF → LVF
- ❖ Up saccade and Left Visual Field
 - ❖ Stays in LVF
- ❖ Up saccade and Right Visual Field
 - ❖ Stays in RVF
- ❖ Down saccade and Left Visual Field
 - ❖ Stays in LVF
- ❖ Down saccade and Right Visual Field
 - ❖ Stays in RVF

Leftward Saccade



Measures of TSWM

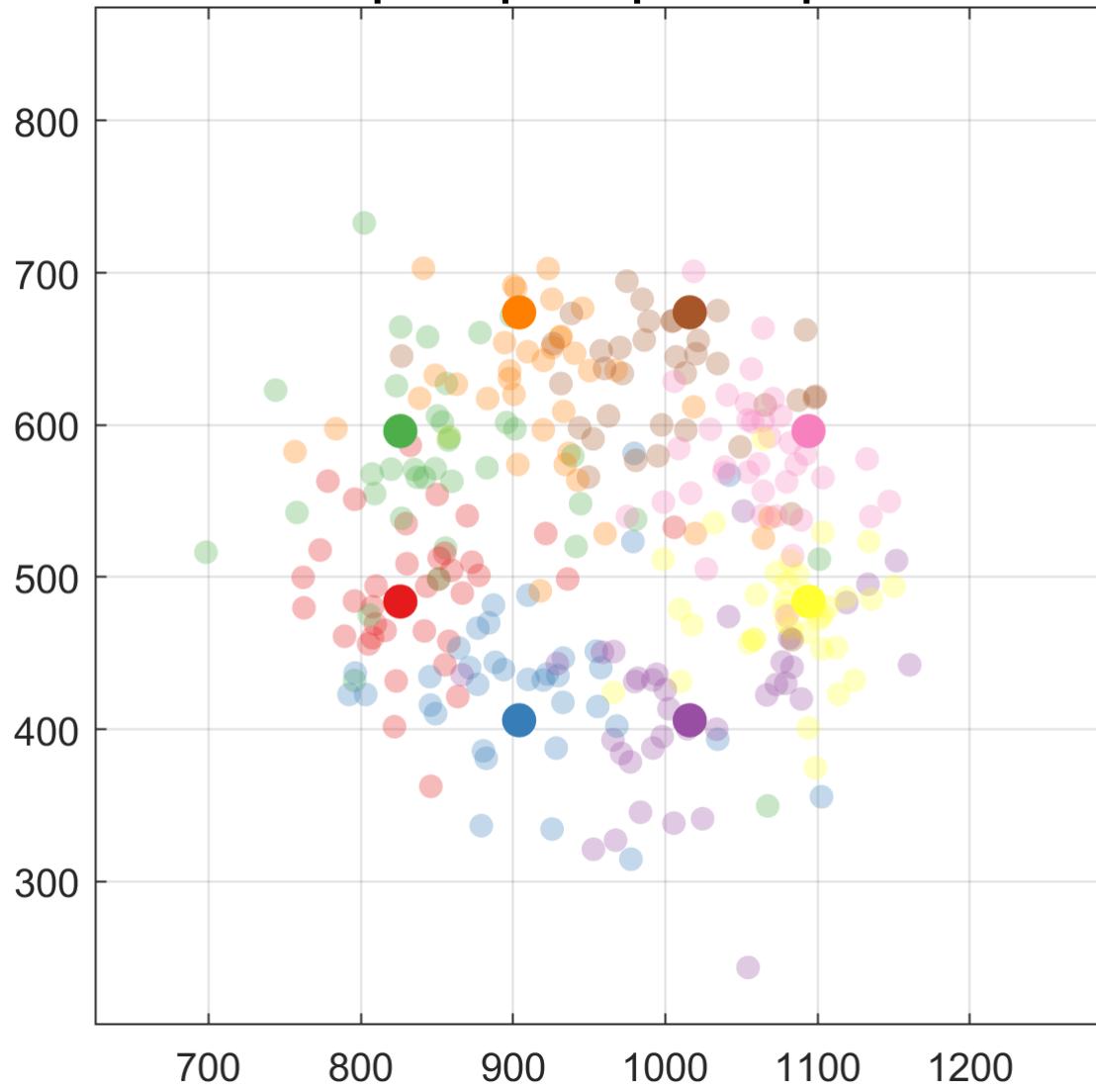
Unsystematic errors

Standard deviation

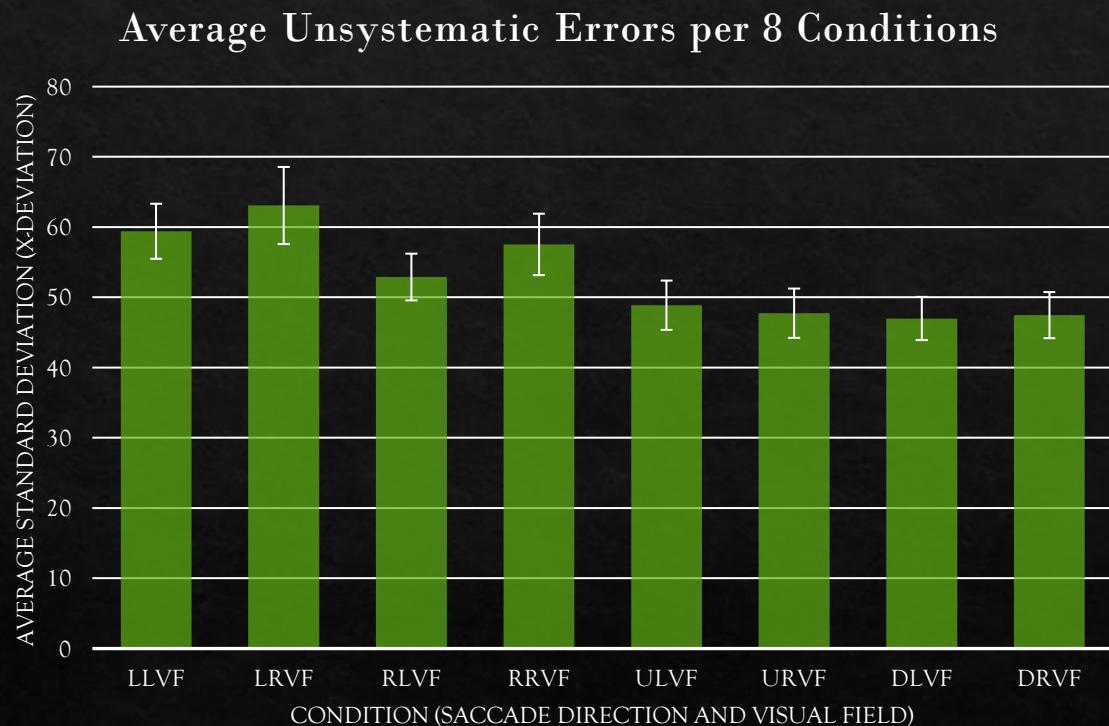
Systematic errors

Procrustes D,
Rotation,
Translation,
Scaling

Example of participant responses



Unsystematic Errors – Standard Deviation



3-way Repeated Measures ANOVA

- Level 1: Visual Field (LVF or RVF)
- Level 2: Saccade Plane (Horizontal or Vertical)
- Level 3: Saccade Direction (Left/Up or Right/Down)
- Saccade Plane Significant
- Saccade Direction Significant

2-way Repeated Measures ANOVA Horizontal saccades

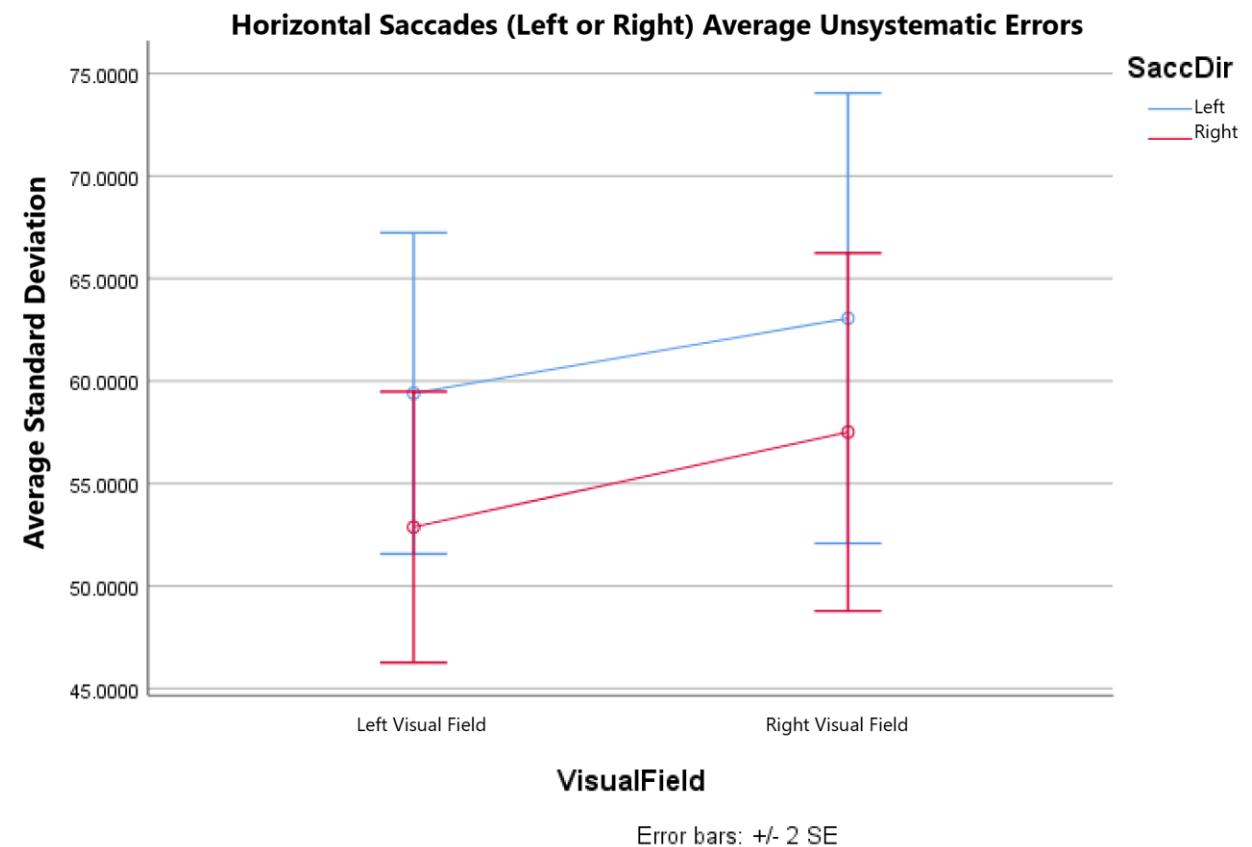
- Saccade Direction was significantly different
- Trend for difference across VF

2-way Repeated Measures ANOVA Vertical saccades

- Nothing is significant

2-way Repeated Measures ANOVA Horizontal saccades

- Saccade Direction was significantly different ($p = 0.017$)
- Trend for difference across VF



Measures of TSWM

Unsystematic errors

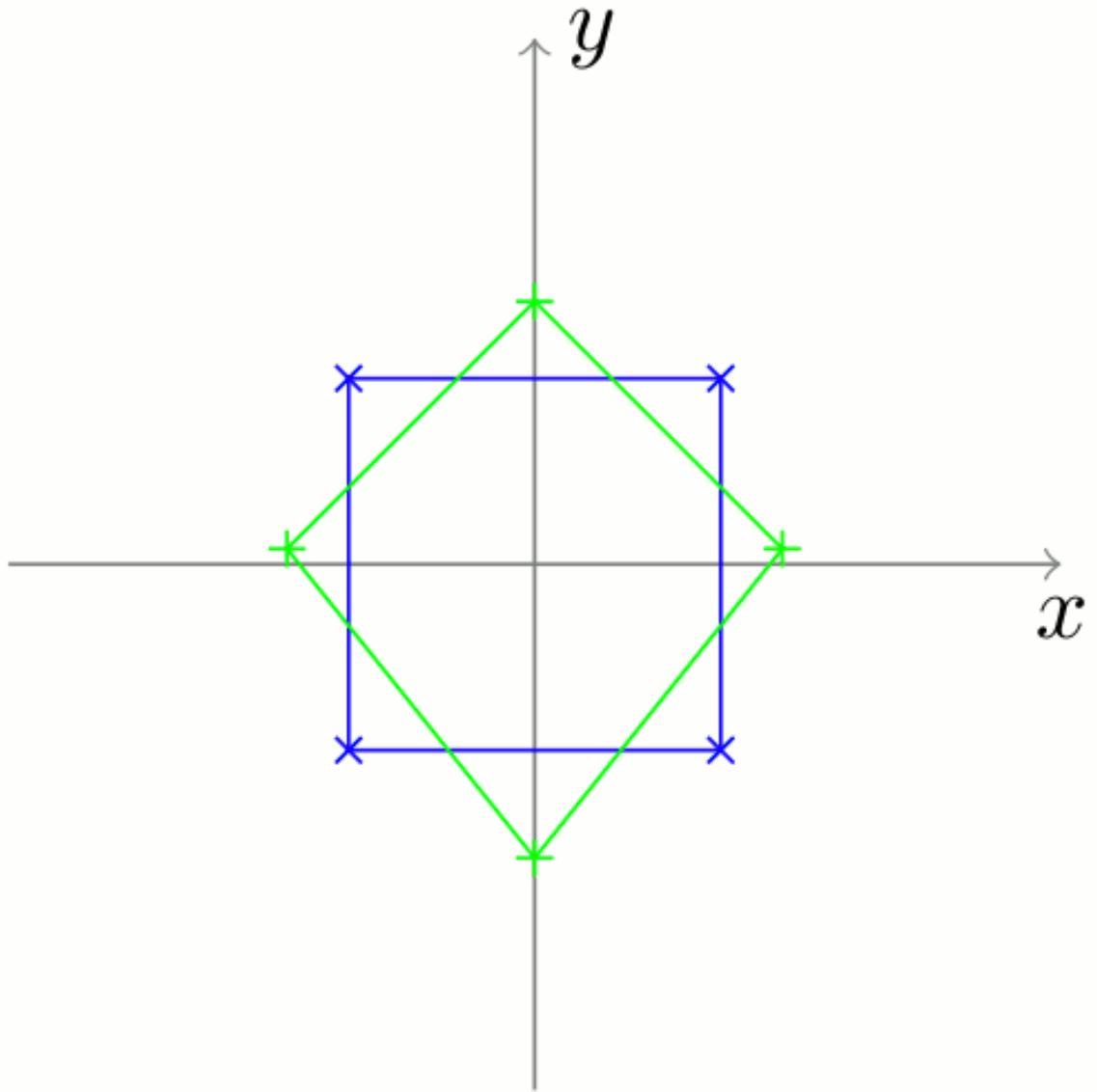
Standard deviation

Systematic errors

Procrustes D,
Rotation,
Translation,
Scaling

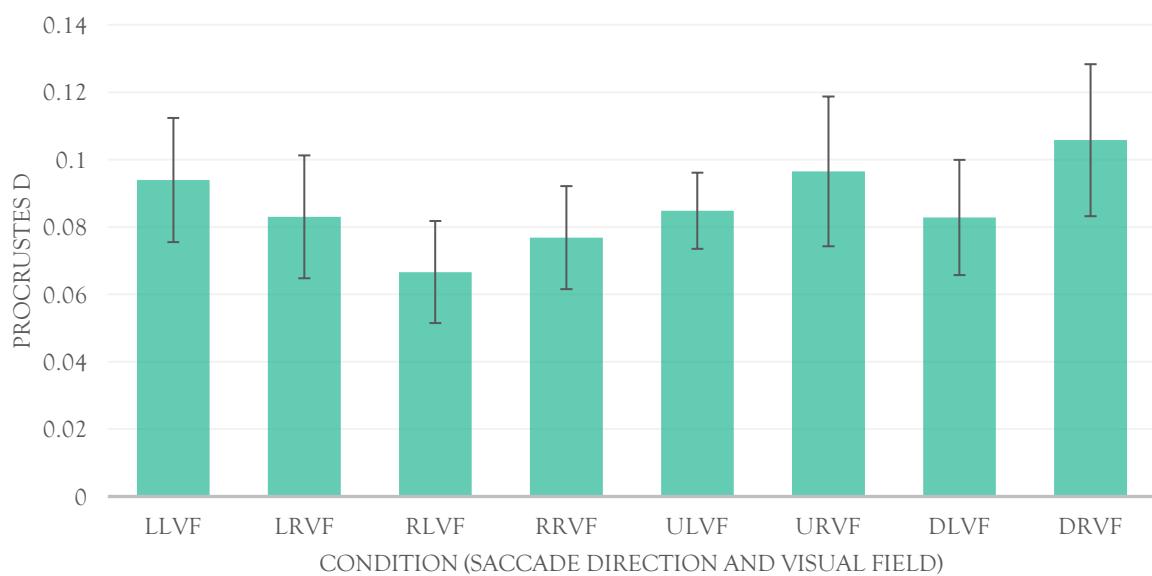
Procrustes D – D, Rotation, Scaling and Translation (x and y)

- ❖ Procrustes analysis is a form of statistical shape analysis used to analyse the distribution of a set of shapes.
- ❖ Linear transformation required of points in matrix Y (responses) to best conform to points in matrix X (Actual location of stimuli).



Systematic Errors

Systematic Errors for each of the 8 Conditions



3-way Repeated Measures ANOVA

- ❖ Level 1: Visual Field (LVF or RVF)
- ❖ Level 2: Saccade Plane (Horizontal or Vertical)
- ❖ Level 3: Saccade Direction (Left/Up or Right/Down)
- ❖ Significance for Saccade Plane $p < 0.05$ (0.046)

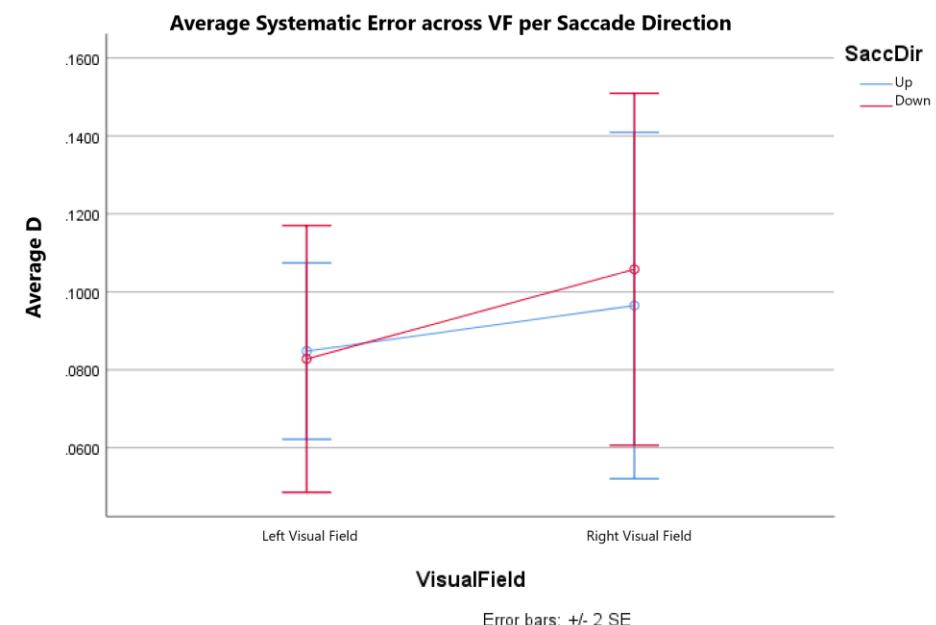
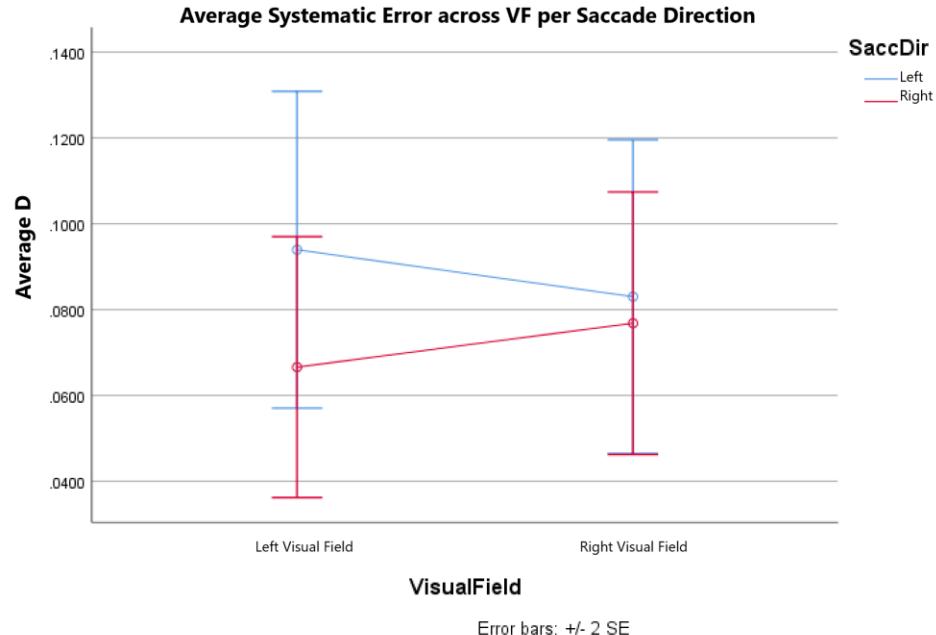
2-way Repeated Measures ANOVA

- ❖ No Significant difference for both Vertical and Horizontal Saccades

2-way Repeated Measures ANOVA

2-way Repeated Measures ANOVA

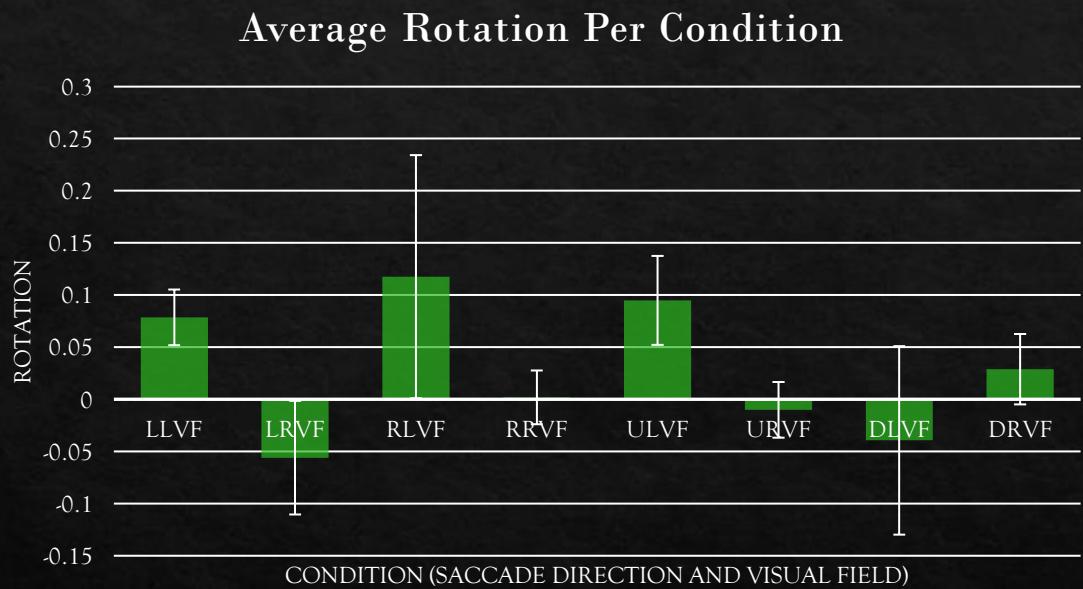
- ❖ No Significant difference for both Vertical and Horizontal Saccades
- ❖ Trend for less Systematic errors in LVF compared to the RVF for Vertical Saccades



Next, I will be looking at
the individual
components of
Procrustes D (Rotation,
Scaling and Translation).

This is to further analyze
changes across visual fields,
saccade planes and saccade
directions.

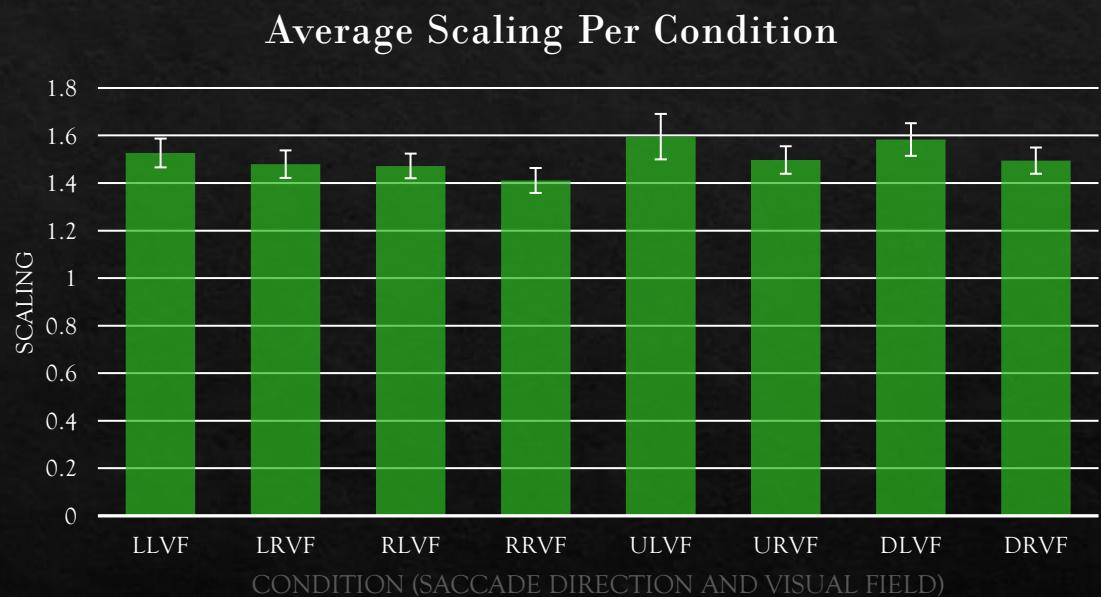
Rotation and Scaling



3-way RM ANOVA: Saccade Plane * Saccade Direction interaction effect $p = 0.022$.

2 way Horizontal: VF significant $p = 0.009$

2 way Vertical: VF*SaccDir interaction effect $p = 0.013$

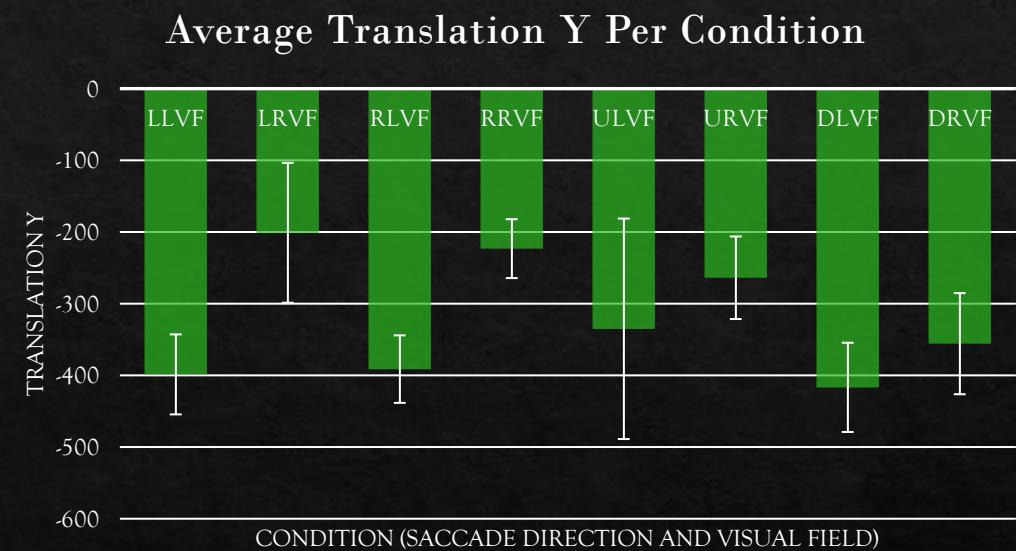
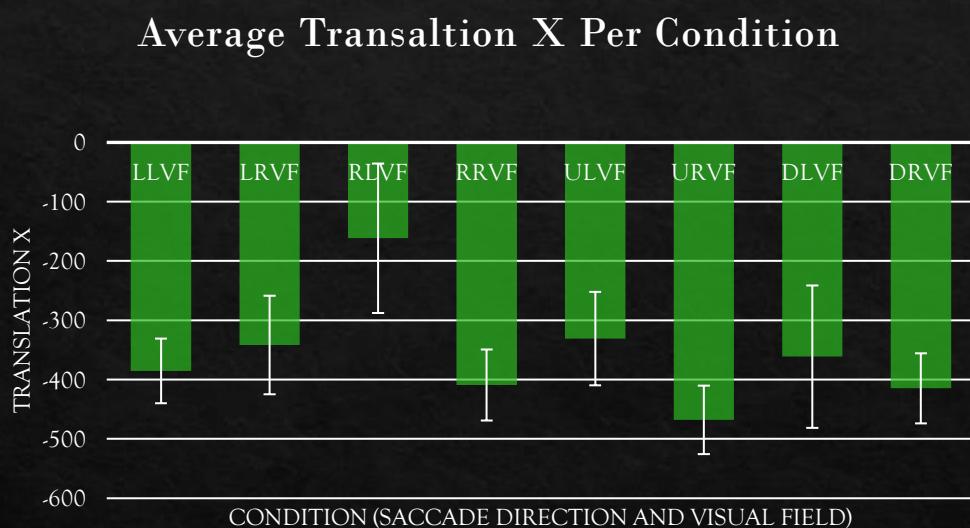


3-way RM ANOVA: Saccade Plane $p = 0.036$ and Visual Field $p = 0.022$

2 way Horizontal: No significant differences

2 way Vertical: No significant differences

Translation x and y



3-way RM ANOVA: Visual Field $p = 0.043$, Saccade Plane $p = 0.021$, 3 way interaction $p = 0.034$

2 way Horizontal: VF significant $p = 0.018$

2 way Vertical: NS

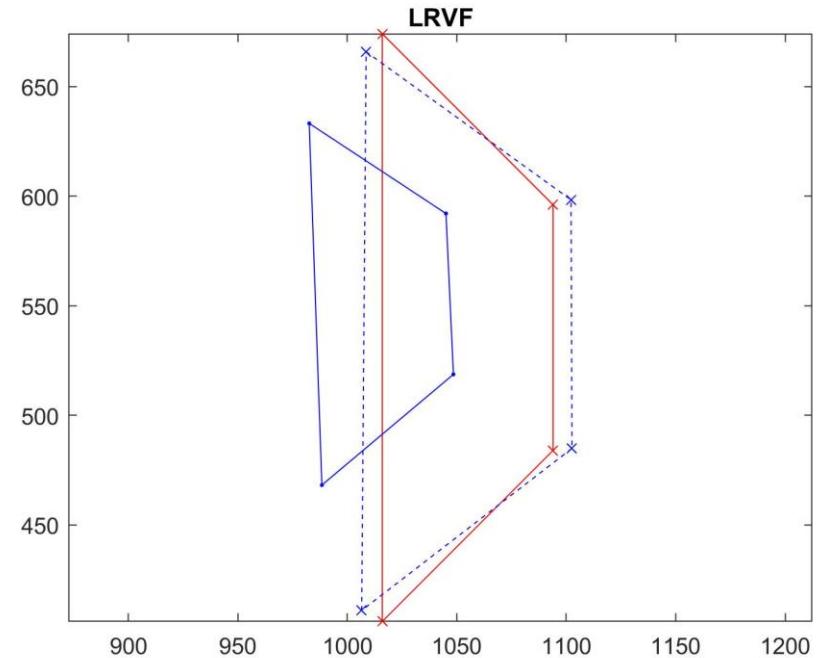
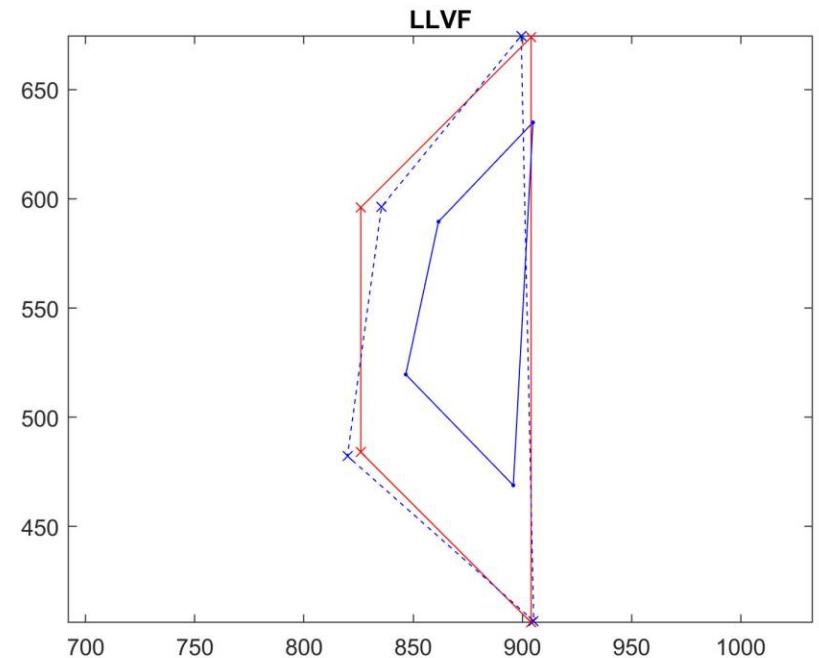
3-way RM ANOVA: Visual Field $p = 0.027$

2 way Horizontal: Visual Field $p = 0.000...$

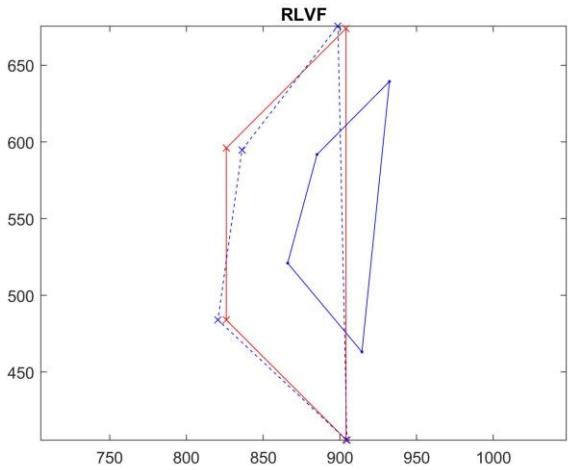
2 way Vertical: NS

Systematic Errors – Left Saccade

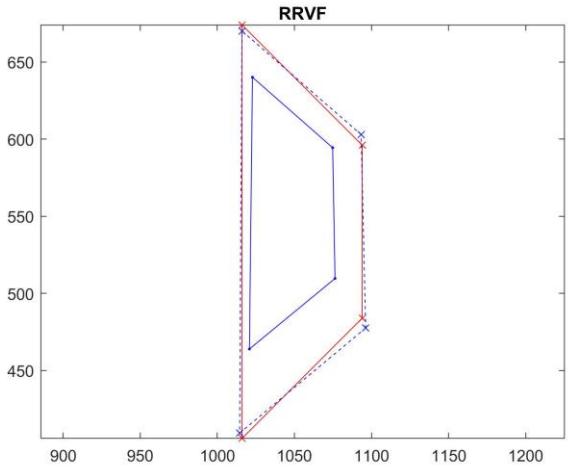
- ❖ Amount of scaling look similar across VF
- ❖ Rotation amount similar but in opposite directions
- ❖ Differences in translation

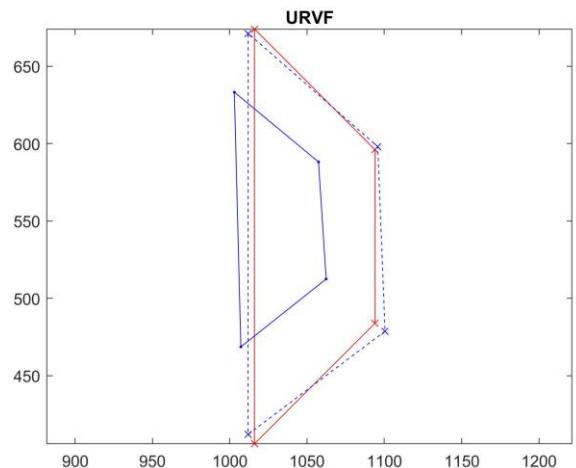
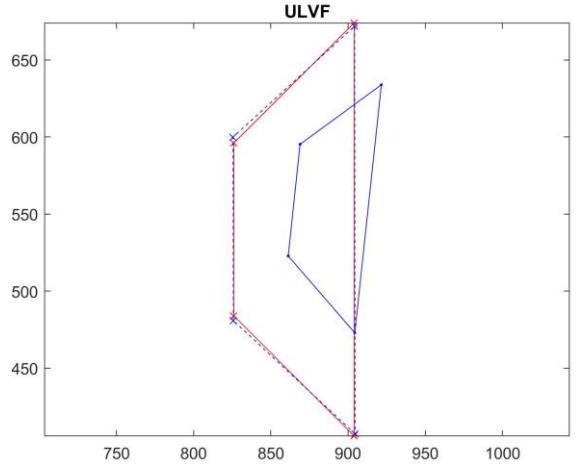


Systematic Errors – Right Saccade



- ❖ Require approximately same amount of scaling
- ❖ More translation required for LVF
- ❖ More rotation required for LVF



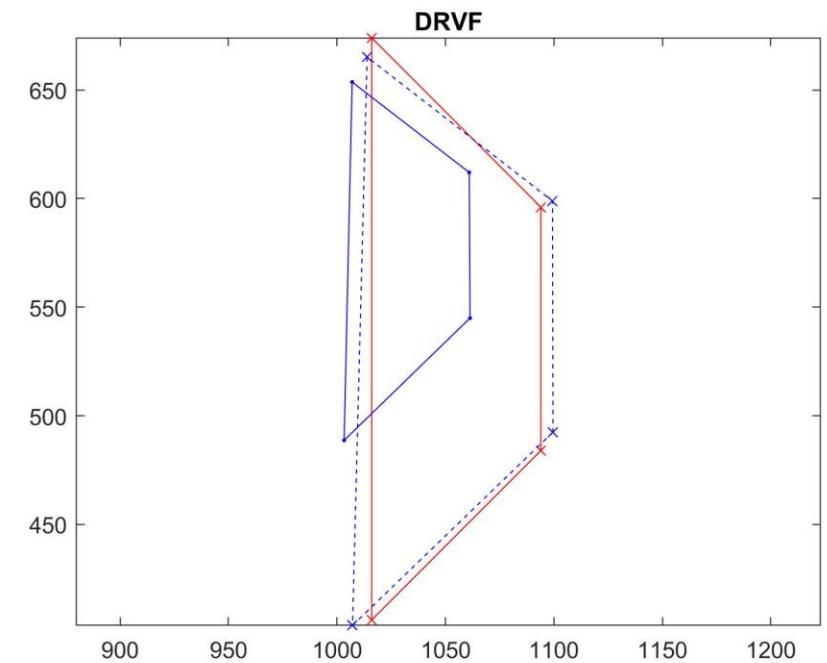
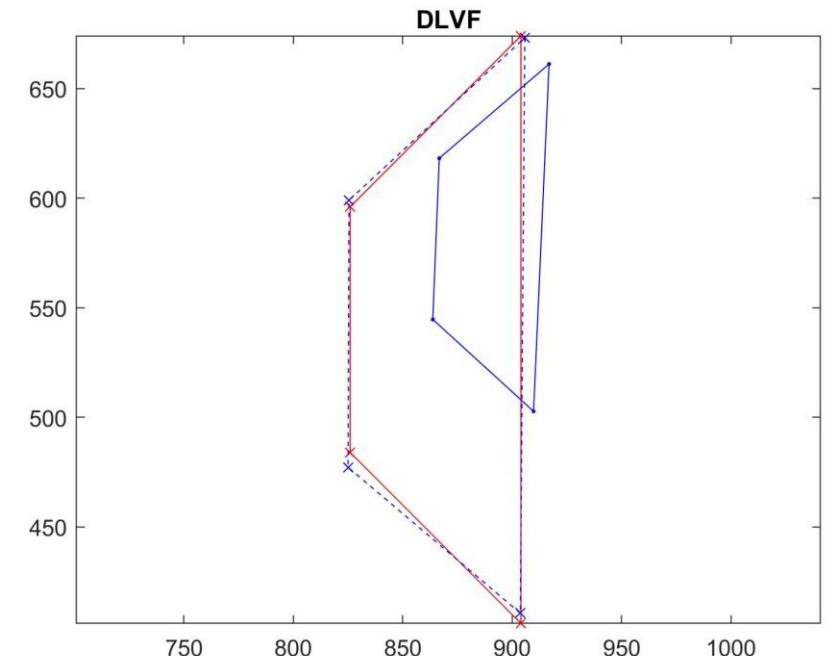


Systematic Errors – Up Saccade

- ❖ Similar amount of scaling required for both
- ❖ Slight rotation differences
- ❖ Similar in terms of amount of translation required

Systematic Errors – Down Saccade

- ❖ Amount of required scaling is very similar
- ❖ Amount of translation is very similar
- ❖ Amount of rotation is also very similar



Can we make some conclusions?

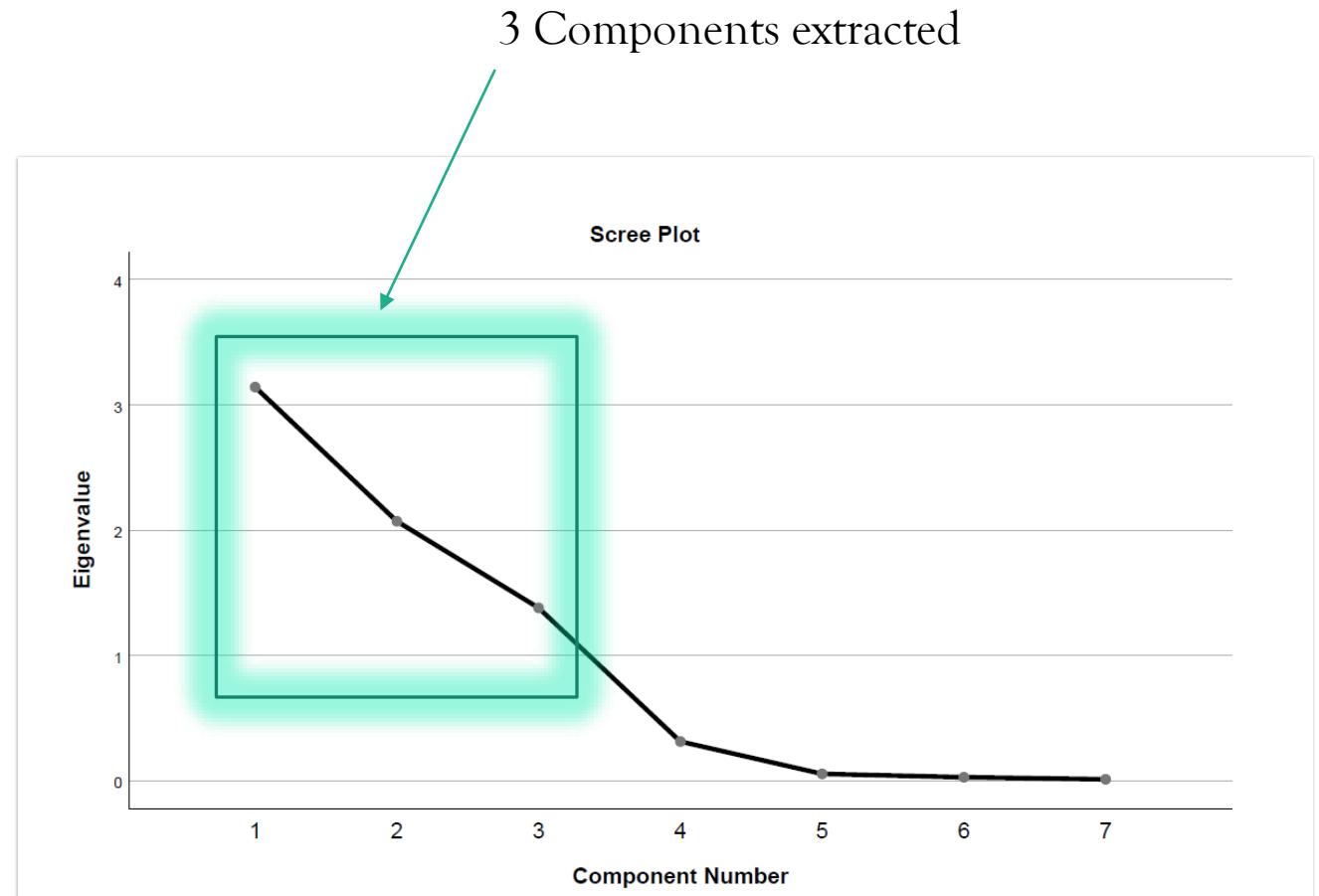
- ❖ Similar systematic deviations for vertical saccades
- ❖ Increased amount of deviation when starting off in the LVF for horizontal saccades
- ❖ Looking for overall differences in precision is hard to decipher when variables include positive and negative values, where high positive and low negative both mean poor performance

... what's next?

Principal Component Analysis

- ❖ How much does each condition relate to one another?
- ❖ Instead of 7 different components, can we reduce the components to 2 or 3?
 - ❖ 2 or 3 components that the 7 conditions vary along
- ❖ We want to find the components account for most of the variation in the data

Principal Component Analysis – 3 Components

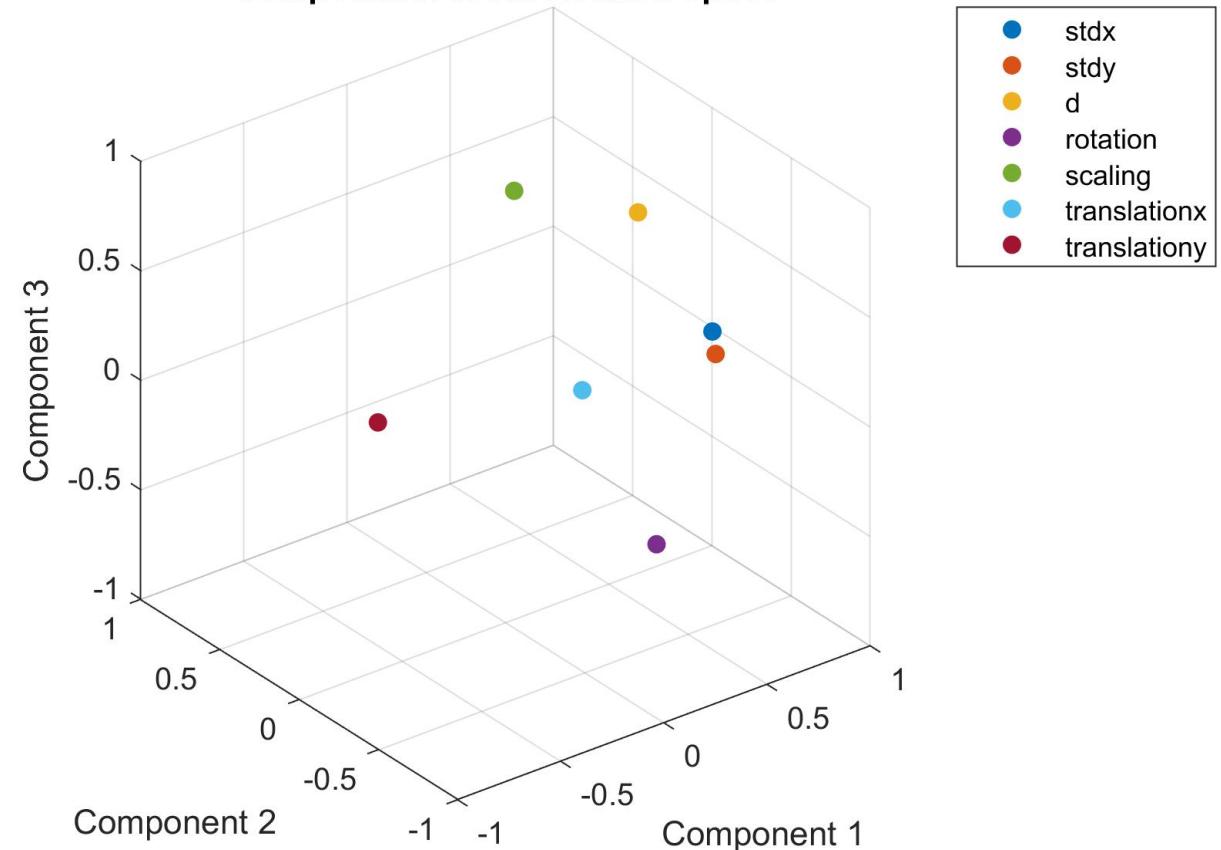


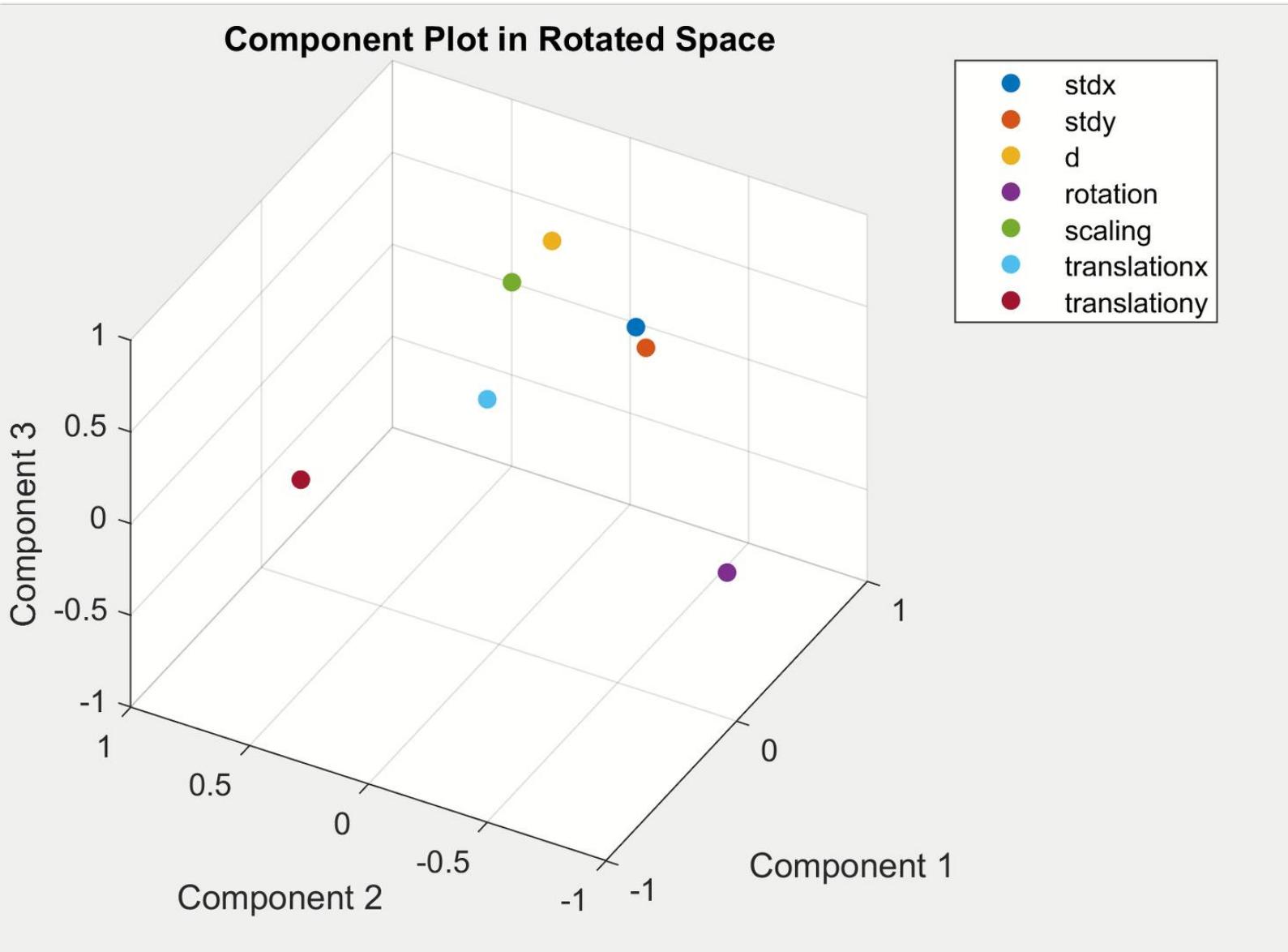
Principal Component Analysis – 3 Components

Rotated Component Matrix

	Component		
	1	2	3
stdX	0.971	-0.041	0.007
stdY	0.942	-0.099	-0.059
d	0.816	0.227	0.483
rotation	-0.008	-0.964	-0.198
scaling	0.001	-0.053	0.996
translationX	0.711	0.442	-0.391
translationY	0.039	0.857	-0.492

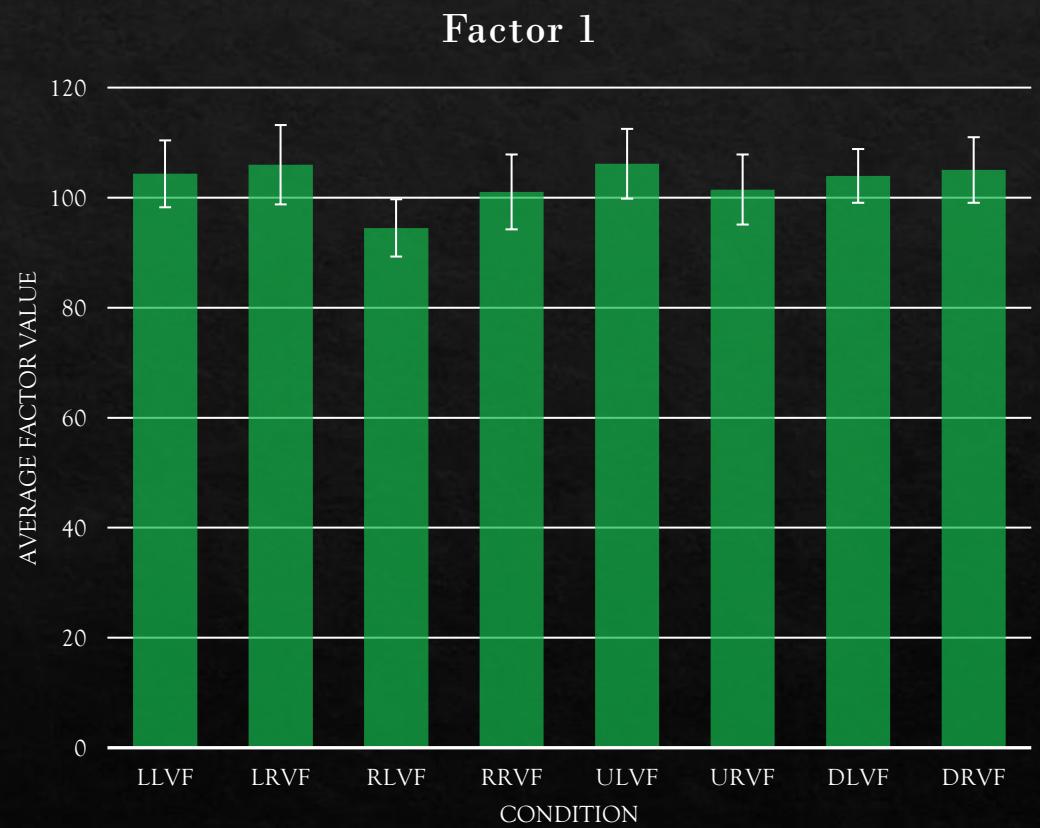
Component Plot in Rotated Space



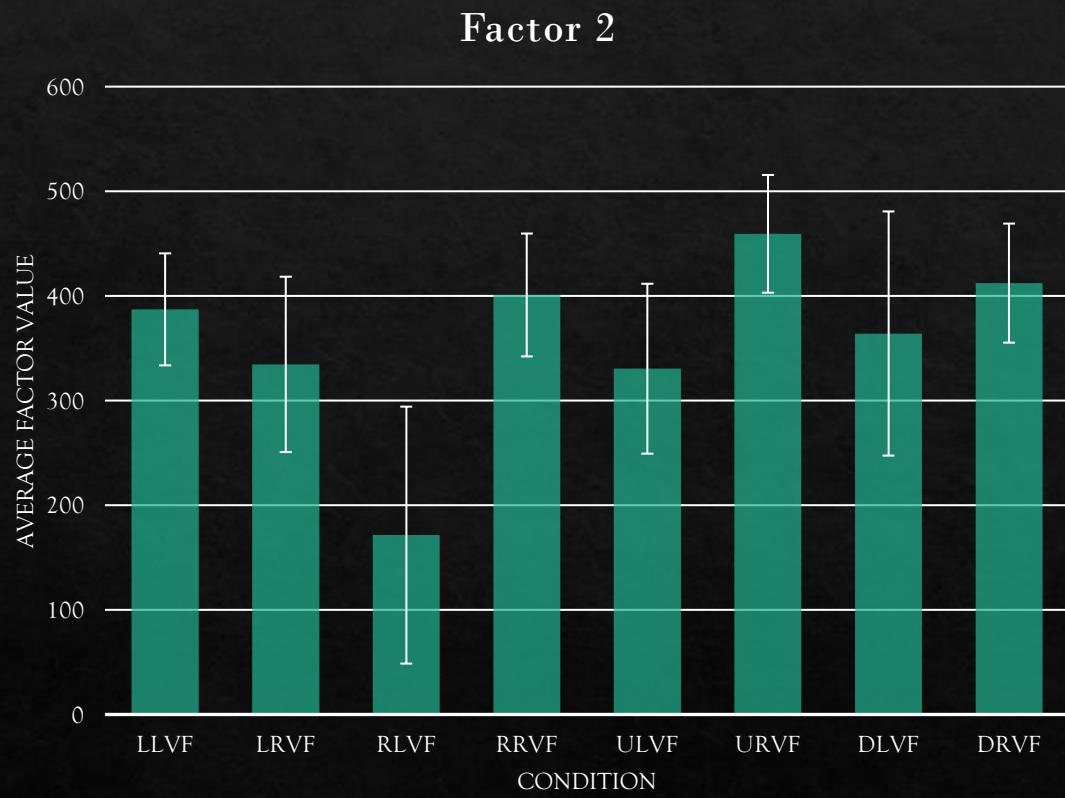


Factor 1

- ❖ 3-way Repeated Measures ANOVA
 - ❖ Level 1: Visual Field
 - ❖ Level 2: Saccade Plane
 - ❖ Level 3: Saccade Direction
- ❖ No significance

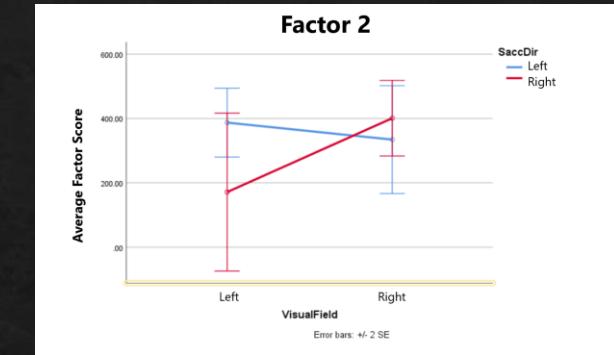


Factor 2



3-way Repeated Measures ANOVA

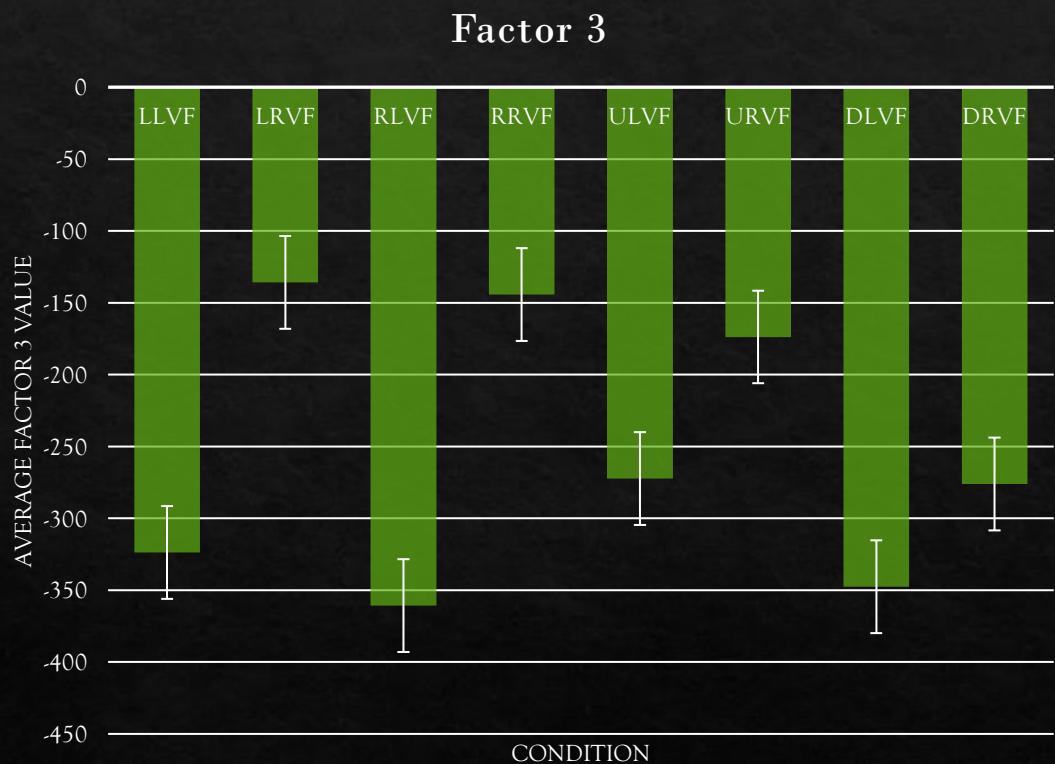
- ◊ Level 1: Visual Field
- ◊ Level 2: Saccade Plane
- ◊ Level 3: Saccade Direction
- ◊ Saccade Plane significant ($p = 0.021$)
- ◊ Visual Field * Saccade Plane ($p = 0.05$)
- ◊ Visual Field * Saccade Plane * Saccade Direction Significant ($p = 0.044$)



2-way Repeated Measures ANOVA

- ◊ Level 1: Visual Field
- ◊ Level 2: Left or right saccade
- ◊ Vertical saccades: No Significance
- ◊ Horizontal Saccade: Visual Field Significant ($p = 0.032$)

Factor 3



3-way Repeated Measures ANOVA

- ❖ Level 1: Visual Field
- ❖ Level 2: Saccade Plane
- ❖ Level 3: Saccade Direction
- ❖ Visual Field Significant ($p = 0.002$)

2-way Repeated Measures ANOVA

- ❖ Horizontal Saccades: VF significant ($p < 0.0005$)
- ❖ Vertical Saccades, No significance, but trend similar to Horizontal Saccades

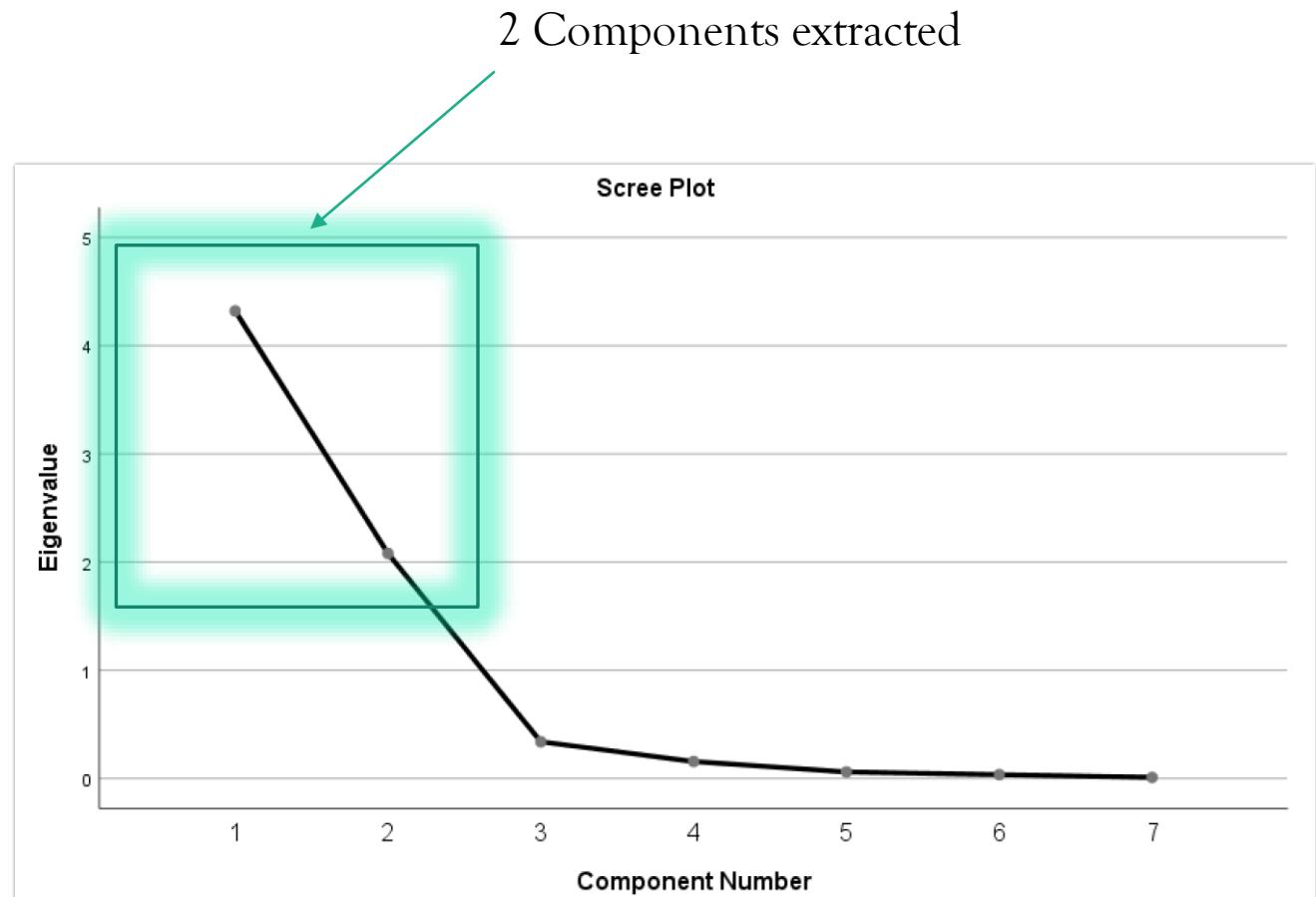
What to do now?

- ❖ Negative values = deviation away from perfect performance
- ❖ Take the absolute values of rotation, translation X and Y.
- ❖ Run a PCA on the rectified data, as well as on the rectified and unrectified data to see the relationship between all these variables.
- ❖ PCA with positive values might give us a better idea of whether working memory performance was good or bad.

Second PCA

- ❖ Rectified rotation, translation x and translation y data

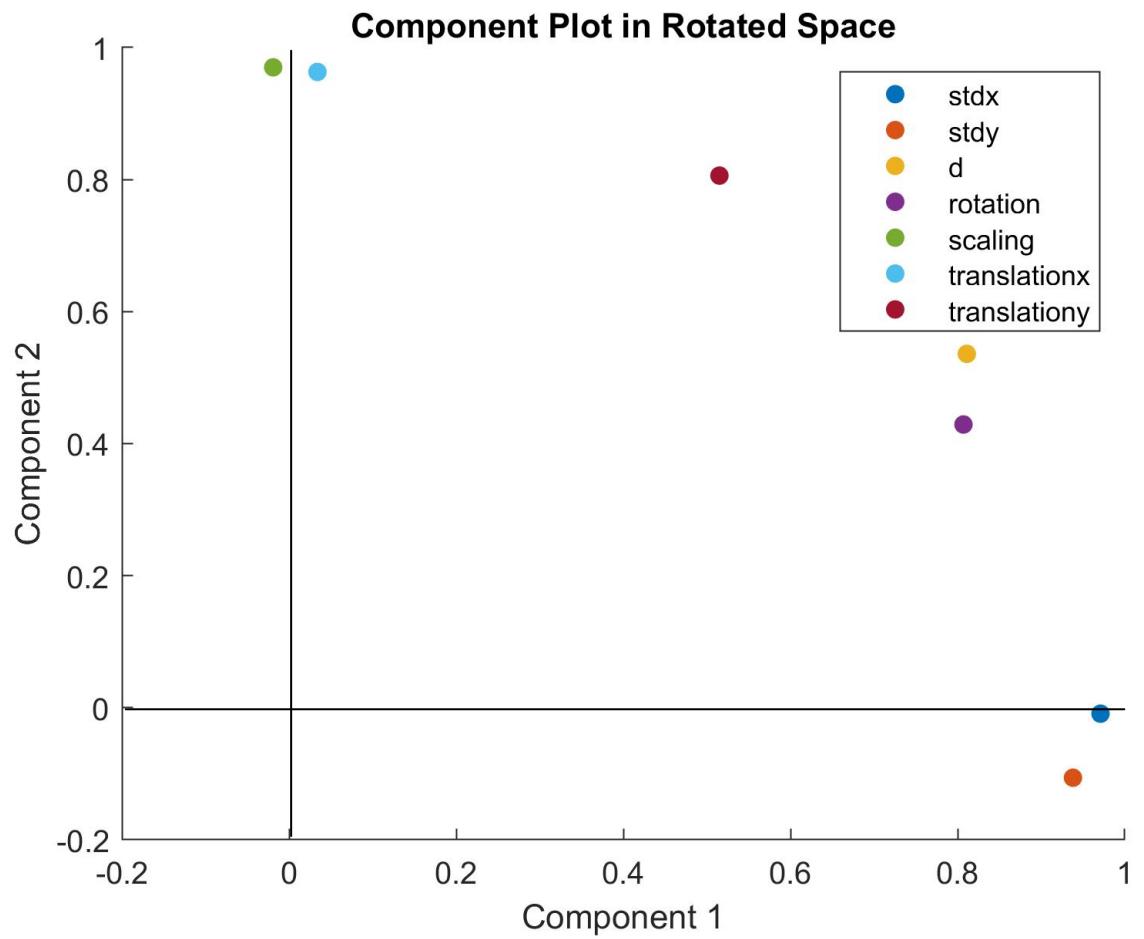
Principal Component Analysis – Adjusted Data



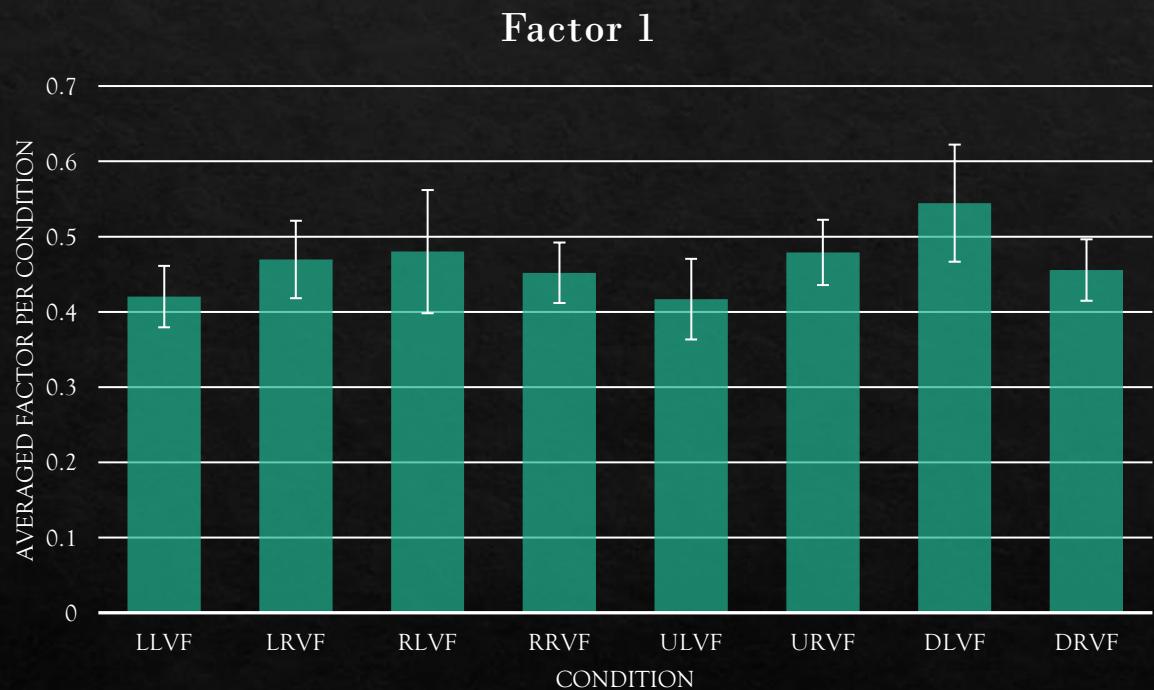
Principal Component Analysis – Adjusted Data

Rotated Component Matrix^a

	Component	
	1	2
stdx	0.971	-0.009
stdy	0.938	-0.106
d	0.811	0.536
rotation	0.807	0.429
scaling	-0.019	0.970
translationx	0.034	0.963
translationy	0.515	0.806



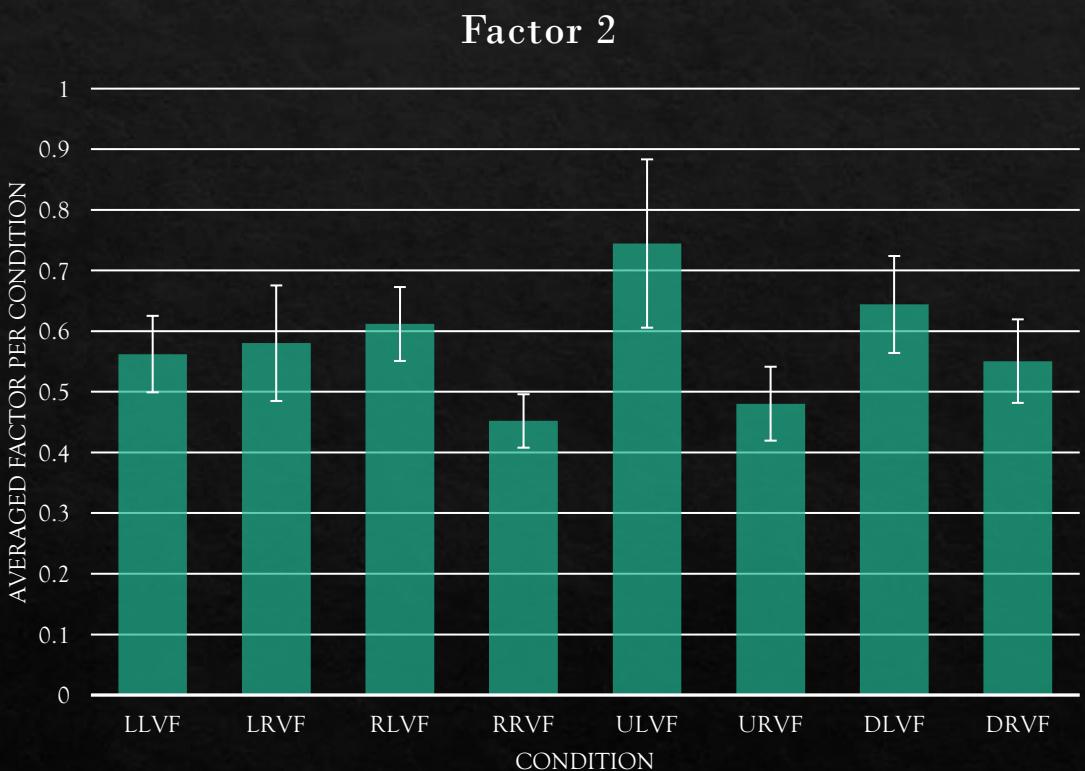
Factor 1



3-way Repeated Measures ANOVA

- ❖ 3 Levels (Visual Field, Saccade Direction, Saccade Plane)
- ❖ No significance

Factor 2



3 Way repeated Measures ANOVA

- ◆ 3 Levels (VF, SaccDir, SaccPlane)

- ◆ Visual Field Significant ($p = 0.000\dots$)

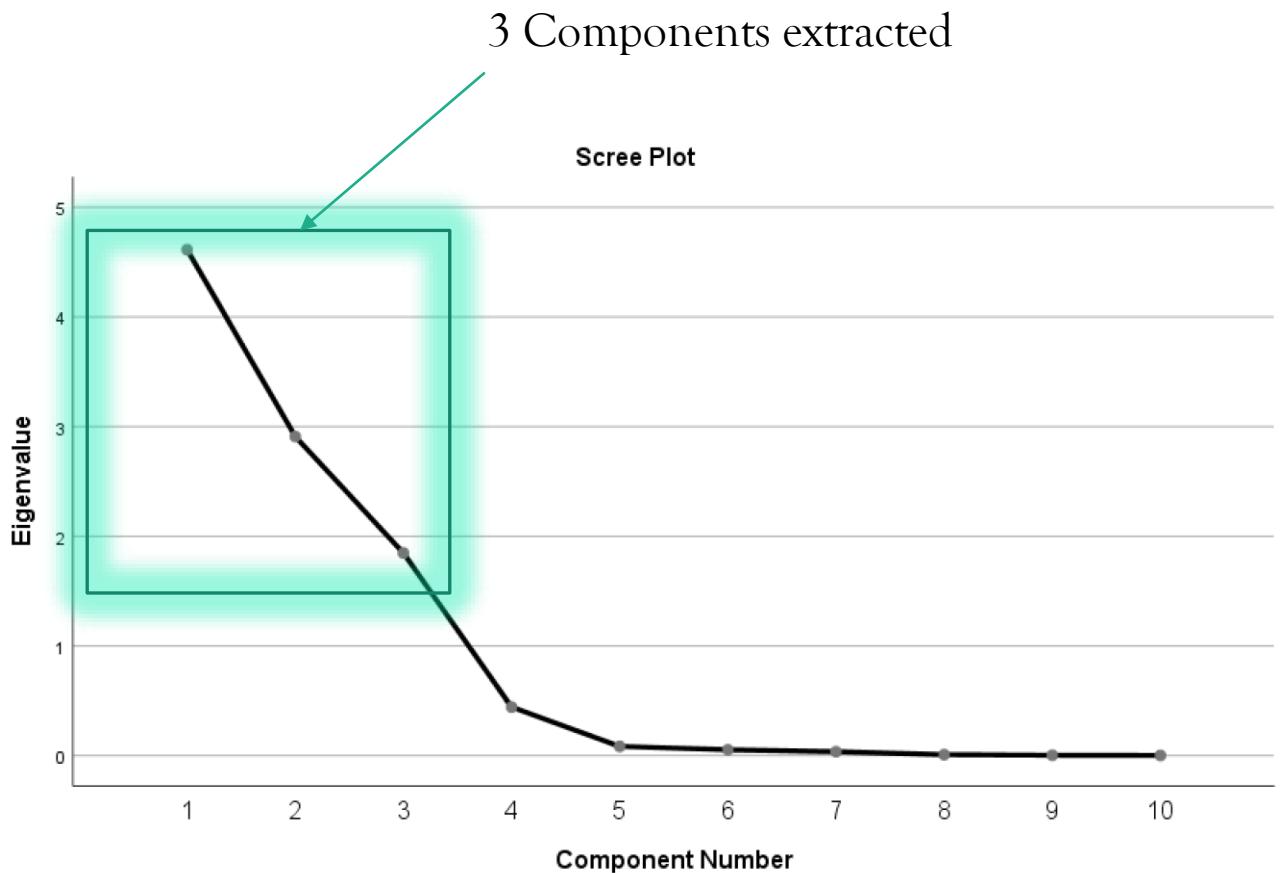
2 Way Repeated Measures ANOVA

- ◆ Horizontal Saccades: No Significance

- ◆ Vertical Saccades: Visual Field Significant at $p = 0.008$

3rd PCA: Rectified + Unrectified Data

How the two PCAs relate to one another

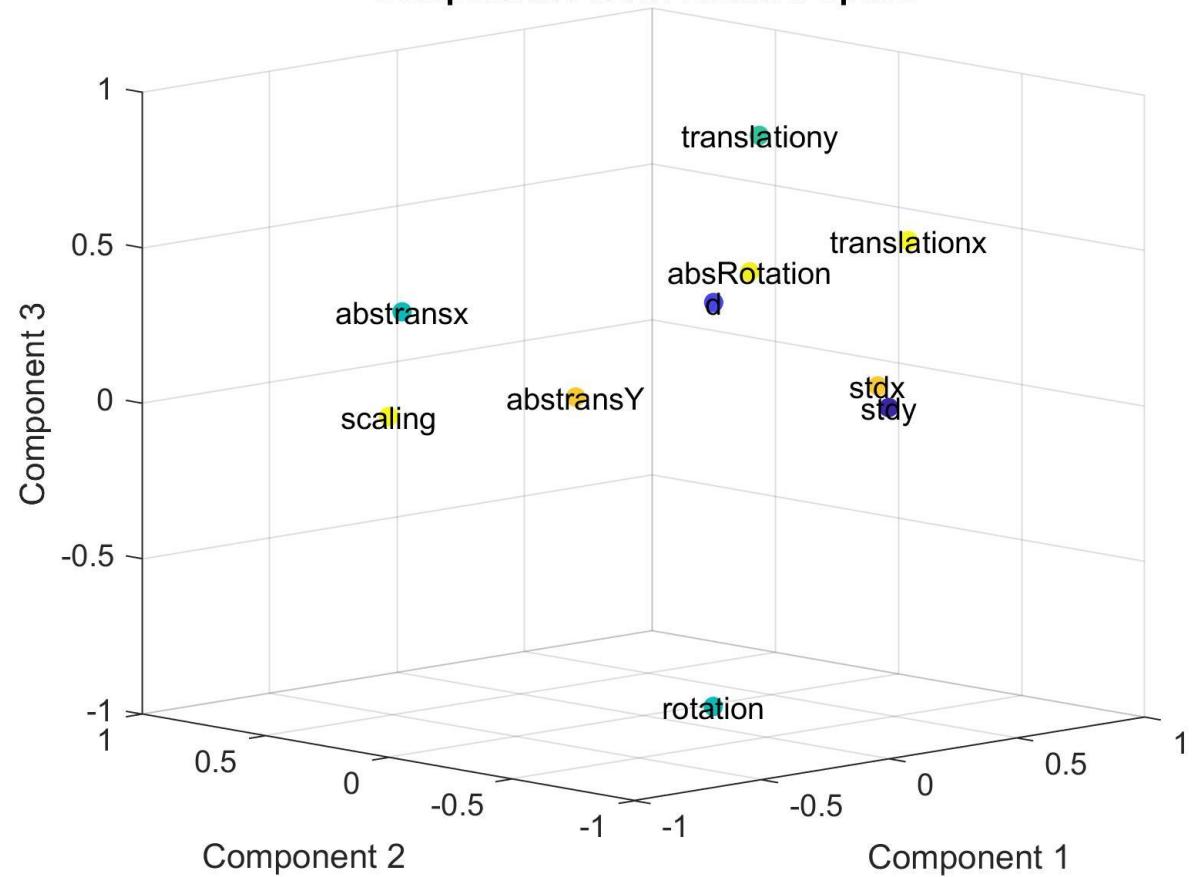


PCA: Rectified + Unrectified Data

Rotated Component Matrix^a

	Component		
	1	2	3
stdx	0.950	0.032	-0.072
stdy	0.909	-0.055	-0.124
d	0.804	0.547	0.144
rotation	-0.007	-0.291	-0.929
scaling	-0.051	0.981	-0.168
translationx	0.776	-0.272	0.461
translationy	0.077	-0.391	0.910
rotationABS	0.822	0.419	0.258
transxABS	-0.007	0.972	0.164
transyABS	0.517	0.810	-0.158

Component Plot in Rotated Space



Component Plot in Rotated Space

