# Understanding Network Routing Problem and Study of Network Routing Algorithms

#### Introduction

**Problem Statement:** 

To identify, understand and compare various routing algorithms used in real world networks.

#### Introduction

Research Objectives:

Define and understand the concepts of routing

Identify the common routing algorithms used in real world networks

Compare existing routing algorithms, and identify which routing strategy Greedy or Dynamic Programming strategy algorithm is more efficient for routing

## **Routing Algorithms**

Types of Routing Algorithms:

Link State

**Distance Vector** 

## Routing Algorithms

#### Common Routing Algorithms:

Dijkstra's single-source, shortest path Algorithm

- Greedy
- Link state
- OSPF (Open Shortest Path First)

Bellman - Ford Algorithm

- Dynamic Programming
- Distance Vector
- RIP (Routing Information Protocol)

## Performance Metrics for Comparison

Throughput: The rate at which bits are sent into the network i.e. no of bits sent per unit time. The aim of a good routing algorithm is to maximise the throughput.

Delay: The delay determines the time taken for data to travel from source to destination. Aim is to minimise the delay.

Performance: Throughput
Performance: Delay
Performance: Long-term Reliability
Implementation: Measurability
Implementation: Complexity
Popularity

The six evaluation criteria when determining the efficiency of an algorithm

## Software and Testing Environment

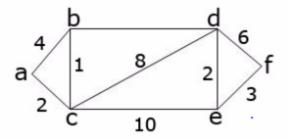
The following software were used as part of testing and implementation:

Network Simulator 2 (ns2)

Dev C++

GNS3

## **Network Topology**



w(u,v)	а	b	С	d	d	f
а	0	4	2	INF	INF	INF
b	4	0	1	5	INF	INF
с	2	1	0	8	10	INF
d	INF	5	8	. 0	2	6
e	INF	INF	10	2	0	3
f	INF	INF	INF	6	3	0

## Dijkstra's Algorithm

Dijkstra's algorithm is a single source shortest path algorithm that calculates shortest paths of all other nodes from the source vertex.

```
dist[s] ←o
                                           (distance to source vertex is zero)
for all v \in V - \{s\}
    do dist[v] \leftarrow \infty
                                          (set all other distances to infinity)
S←Ø
                                          (S, the set of visited vertices is initially empty)
O←V
                                           (Q, the queue initially contains all vertices)
while O ≠Ø
                                           (while the queue is not empty)
do u \leftarrow mindistance(Q, dist)
                                           (select the element of Q with the min. distance)
   S←SU{u}
                                           (add u to list of visited vertices)
    for all v \in neighbors[u]
        do if dist[v] > dist[u] + w(u, v)
                                                     (if new shortest path found)
               then d[v] \leftarrow d[u] + w(u, v)
                                                     (set new value of shortest path)
                                                     (if desired, add traceback code)
```

return dist

## Dijkstra's Algorithm

#### Advantages:

- Quickly adjusts to link failures
- Does not propagate the entire routing protocol but it transmits information only about its link
- Suitable for large networks
- Fast for fault discovery and rerouting.

#### Disadvantages:

- Complicated to configure
- Consumes large bandwidth
- Requires higher processing and memory

## Bellman - Ford Algorithm

```
// Step 1: initialize graph
  for each vertex v in vertices:
     distance[v] := inf
                                   // At the beginning , all vertices have a weight of infinity
     predecessor[v] := null
                                     // And a null predecesor
  distance[source] := 0
                                             // Except for the Source, where the Weight is zero
 // Step 2: relax edges repeatedly
  for i from 1 to size(vertices)-1:
     for each edge (u, v) with weight w in edges:
       if distance[u] + w < distance[v]:</pre>
          distance[v] := distance[u] + w
          predecessor[v] := u
  // Step 3: check for negative-weight cycles
  for each edge (u, v) with weight w in edges:
     if distance[u] + w < distance[v]:</pre>
       error "Graph contains a negative-weight cycle"
  return distance[], predecessor[]
```

## Bellman - Ford Algorithm

#### Advantages:

- Simple
- Easy to configure

#### Disadvantages:

- Not scalable in heterogeneous networks
- The periodic updating of routing table consumes bandwidth because the entire routing table is propagated to neighbours
- Slow convergence
- Not suitable for large networks

#### **Observations**

From the comparison of performance of OSPFv2 Routing Protocol and RIPv2 in the IPv4 network:

- Every router within the same routing protocols build routing tables, based on information from neighbouring routers for sharing information between routers.
- Dijkstra's algorithm performs better in terms of bandwidth utilization
- Dijkstra's algorithm performs better in terms of speed

## Comparison of the two algorithms

F	RIP		OSPF		
Features	Version 1	Version 2	0311		
Algorithm	Bellman-Ford		Dijkstra		
Path Selection	Hop based		Shortest Path		
Routing	Classful	Classless	Classless		
Transmission	Broadcast	Multicast	Multicast		
Administrative Distance		120	110		
Hop Count Limitation	15		No Limitation		
Authentication	No	MD5	MD5		
Protocol	UDP		IP		
Convergence Time		RIP>OSPF			

#### Conclusions

Dijkstra's Algorithm outperforms the Bellman - Ford algorithm in terms of:

- Average throughput
- Packet delay

For number of packets lost,

- In small networks, Dijkstra's algorithm is better
- Bellman-Ford is better in large networks

#### Conclusions

The network implementation of Dijkstra's Algorithm is better than that of the Bellman - Ford Algorithm because:

- Dijkstra's Algorithm uses either bandwidth or delay as metric for shortest path and it does not use the number of hops as in the Bellman - Ford algorithm
- Dijkstra's Algorithm can adjust the link more quickly than the Bellman Ford algorithm

# Thank you!