Tiling With Dominoes
Our "tiles":

an: Can a Ixin grid be completely tiled using dominous?

If you are in breakout kaom n, go to page

5n+1

an: What about a 2xn grid?

It's quite possible here that they'll figure out you can't do it for even n using a case-by- case analysis | argument. nxn board with dominous, for one can tile an

Qn: A 2xn grid with its apposite corners removed can be tiled when n is odd.

How many different ways are there to tile it?

(Only one: working our way up from the a corner square, we're forced to place each tile covering the first square horizontally)

Qn: A 2×n grid can be tiled with dominous.

How many different ways are there to tile it?

first tile could be

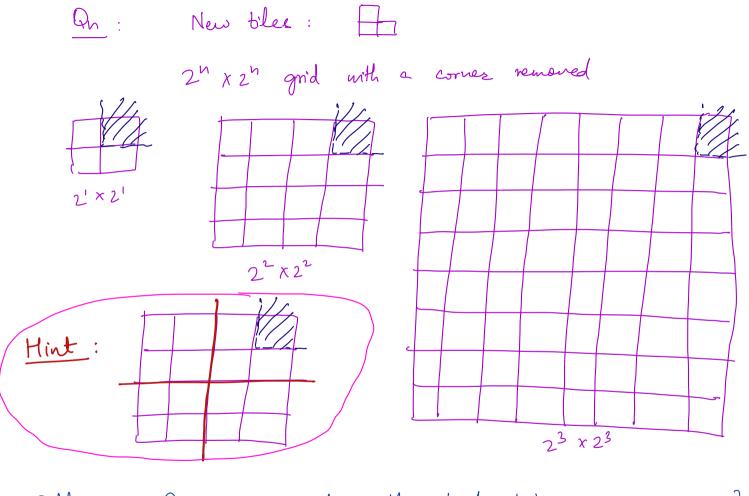
(Fibonacci nos:

hon toutal or vertical;

that decides the # ways

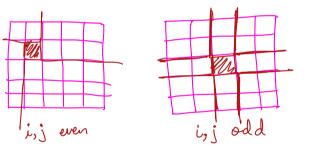
for the rest of the board)

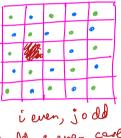
that: Think about the file covering the first equere



Follow-up an: Does it metter which IXI square me remove? What if it isn't a corner? Con me still file it? If there's still time, or some beforer fine after the domino problems but not enough for the bomino excuple, as ask the following:

- In general, if n is odd, is it possible to tile an nxn board with 2x1 tiles if one square is covered with a 1x1 tile? Does it matter which square is covered? Yes it metters ; use a chedicared colouring argument— see below
 - In general, if n is even, is it possible to tile an nxn board with 2x1 tiles if two squares are removed? Does it matter which two squares are removed? Yes it metters; checkered colouring argument Say (i,) th square has been removed





Cen't do it - we took away a blue revere and so now there's an imbalance; we have 13 green squares and 11 blue one