



EE 417 Computer Vision

Term Project

Simple Offside Detection

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Importance of the Problem & Problem Definition

The offside detection is an important part of the sport of soccer (or football). The offside rule is designed to prevent teams from gaining an unfair advantage by positioning players in a way that allows them to receive passes that they would not be able to receive if they were in an onside position. If a player is offside, they are not allowed to participate in the play and the opposing team is awarded a free kick. Offside detection algorithms are used to help referees and assistant referees make accurate offside calls during a match [2]. These algorithms use computer vision and machine learning techniques to analyze live video feeds of the match and identify players who are in an offside position. This can be a challenging task, as it requires accurately tracking the positions of all players on the field in real-time and determining whether they are in an offside position based on the position of the ball [2]. Overall, the offside detection algorithm plays an important role in ensuring that the offside rule is applied fairly and consistently in soccer matches, and it helps to ensure that the game is played in a fair and sporting manner. Aim of this project is to implement a simple offside detection algorithm by using Computer Vision techniques covered in the scope of EE 417 course. Our algorithm detects whether a player is in offside position or not, given different in-game images from video recordings of soccer games as input.

Problem Formulation & Solution Method

Problem Formulation:

Let say that there are N defending players ($P_{D1}, P_{D2}, \dots, P_{DN}$) and M attacking players ($P_{A1}, P_{A2}, \dots, P_{AM}$) in a given video frame. Also, let define that the coordinates of the closest region of body (head, chest, shoulder or foot) to the attacking goal post for defending players are (x_{Di}, y_{Di}) for $i=1, 2, \dots, N$; for attacking players are (x_{Ai}, y_{Ai}) for $i=1, 2, \dots, M$.

The mathematically formulation of the problem basically is as follows:

$$G(\text{frame}) = \begin{cases} \text{"Offside detected"} & \text{if any } (x_{Ai}, y_{Ai}) \text{ is closer than } (x_{Dm}, y_{Dm}) \\ \text{"Failed to Detect Offside"} & \text{otherwise} \end{cases} \}$$

where (x_{Dm}, y_{Dm}) is the coordinates of the defending player who is the closest to the attacking goalpost where $1 \leq m \leq M$.

Solution Method:

In this problem, there are two main issues:

- 1) How to detect the players and differentiate them as defenders and attackers?
- 2) How to measure the closeness of the players regardless of perspective?

The first approach is color segmentation as a preprocessing step for player detection:

The implementation of this approach starts with an assumption that blue colored team is the attacking team while the red-colored team is the defending team, and the attack direction is from right to left. This situation can be easily generalizable in future projects. Therefore, the pixels are measured by how they are close to the blue and red, respectively, by using the `fuzzycolor` toolbox [1]. Based on their closeness to these colors, the algorithm segments the image after grey-scaling it. The pixels converging to blue and red were whitened, while others were darkened.

Before entering the detection part, it is necessary to minimize the effect of noise as much as possible. In this regard, the ‘`imfill`’ function is used to fill in holes or gaps in objects, which is useful for object recognition since it allows to consider the entire object as a single entity rather than a collection of disconnected parts. The ‘`bwareaopen`’ function is used to remove noise or small, unwanted objects from the image. It is essential to consider only the larger, more meaningful objects in the image. By removing the small objects, the image is simplified, and the analysis can be focused on the more important features. Lastly, a morphological structuring element is created by ‘`strel`’ function in order to apply dilation operation. This aims for the same purpose as ‘`imfill`’ since it also allows to consider the entire object as

a single entity. The objects in the image are expanded, and any gaps or holes within the objects are filled, making it easier to analyze the entire object as a single entity by dilating the image. The explanation in this paragraph belongs to the part of the implementation in the lines between 90-140 as can be seen in Appendix B-C.

After several preprocessing steps are done for each blue and red segmentation, the remaining regions are the regions where the players we are looking for are located. Thus, the last process is to detect the remaining regions with the bounding box. This process nearly solves the first main issue except when the tribune is in the photo because the tribune causes the detection part since it contains blue and red parts.

To tackle this little problem, it is enough to detect the line determining the football field because the outside of the field is irrelevant. The Hough Transform is preferred to apply for this detection problem [3]. Since we decided that the position of the camera angle, which takes the images we applied in our project, is on the long side of the football field, the longest horizontal line detection tackles our problem. Then, it is possible to discard the region above the line, which corresponds to the tribune. Also, a threshold is determined to pick the longest horizontal line in order to stop discarding the pictures without tribune [3]. The Hough Transform is utilized in the lines between 58-87 as can be seen in Appendix A-B.

The second approach is the vanishing point for determining the position of the player relative to themselves:

Our offside detection problem is based on the comparing the distances of the defensive players and attacking players from the goalpost. However, it is not as easy as comparing the x coordinates and choosing which is displayed further to the left or the right due to the perspective in the image. To make this comparison possible, we will get help from the vanishing point idea since the straight lines in the football field are parallel and converge at a single image point, called a vanishing point [3].

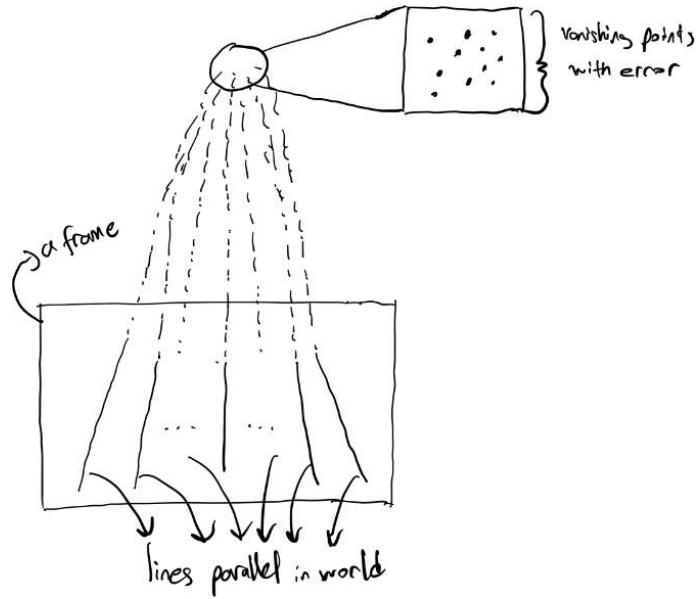


Figure 1: This is the illustration of the vanishing point approach in the algorithm.

Different from the theoretical explanation stating that lines converge at a single point, lines will intersect in pairs, as in Figure 1, since determining all lines perfectly is impractical. This implies that there needs a reconstruction of the vanishing point, which is averaging all possible pairwise intersections in our case. The implementation of this approach in the lines between 21-52 as can be seen in Appendix A.

In the next step, we need to draw an offside line in order to decide whether the position is offside or not. There comes another assumption for simplicity: the offside lines are always drawn according to a fixed point on the bounding boxes of defending players, and offside is also detected according to the same fixed bound bounding boxes of attacking players, as shown in Figure 2.

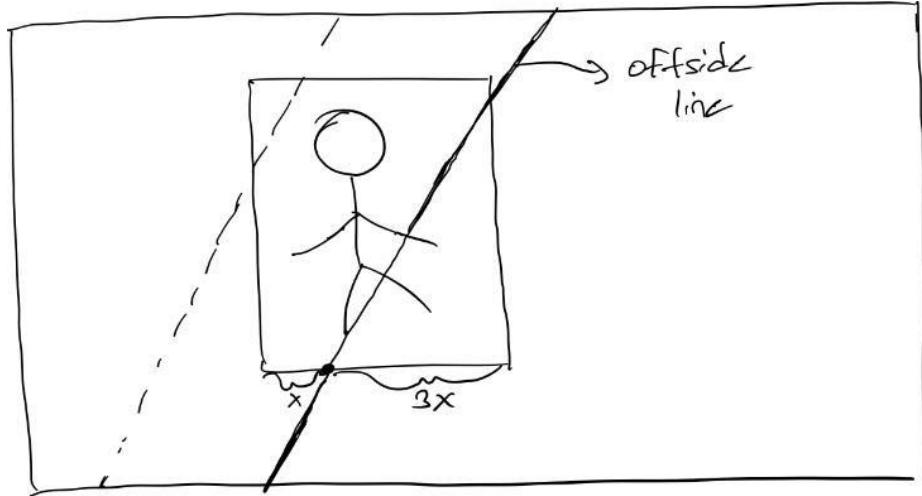


Figure 2: It visualizes the assumption

For drawing the offside line, it is necessary to determine the closest defending player to the attacking goalpost, which is the left-most player in our case [2]. Thanks to the reconstructed vanishing point, it is possible to get a projection of all defending players' positions into a line to understand whom the left-most player is with avoiding the projection illusion. As mathematically speaking, let us say that there are K defending players; therefore, K projections will be made. The points corresponding to each defending player are $(x_1, y_1), (x_2, y_2), \dots$, and (x_K, y_K) using the above assumption in Figure 2. For each

point, a line expressing $mx + c = y$ will be drawn where the vanishing point is (x_{VP}, y_{VP}) , $m = \frac{y_{VP} - y_i}{x_{VP} - x_i}$, and $c = y_i - mx_i$. Then the answer becomes the $\operatorname{argmax}_i \frac{s - c}{m}$ while projecting on the line $y = s$ for

$i=1,2, \dots, K$. This logic improved by us is implemented in the lines between 151-175 as can be seen in Appendix C.

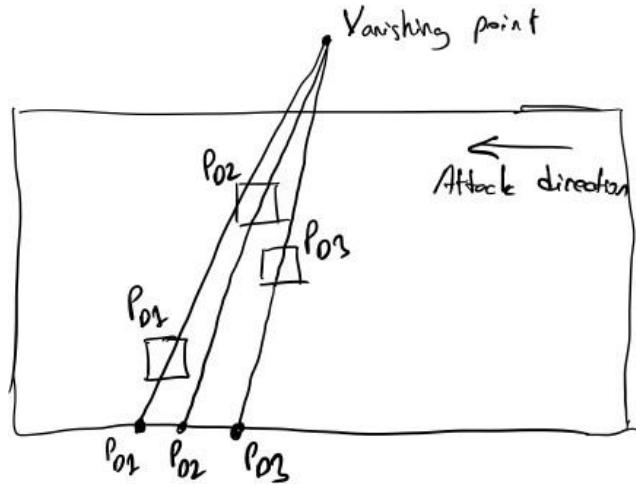


Figure 3: It is an illustration of determining the defending player to draw the offside line, which results in choosing Player 1

After determining the desired player, the offside line was calculated automatically as equals to $mx + c = y$ where $m = \frac{y_{VP} - y_k}{x_{VP} - x_k}$, and $c = y_k - mx_k$ if $k = \operatorname{argmax}_i \frac{s_i - c}{m}$. Now, everything is ready to

reach the ultimate goal, offside detection. We are going to implement the if condition mentioned in the ‘Problem Formulation’, which checks whether any attacking player is on the left of the offside line. The implementation is mathematically simple because it is enough to check that there exists any attacking player whose coordinates satisfy the equation $mx + c > y$ for deciding whether ‘Offside detected’ or not, as shown in Figure 4. This part is implemented in the lines between 178-198 as can be seen in Appendix C.

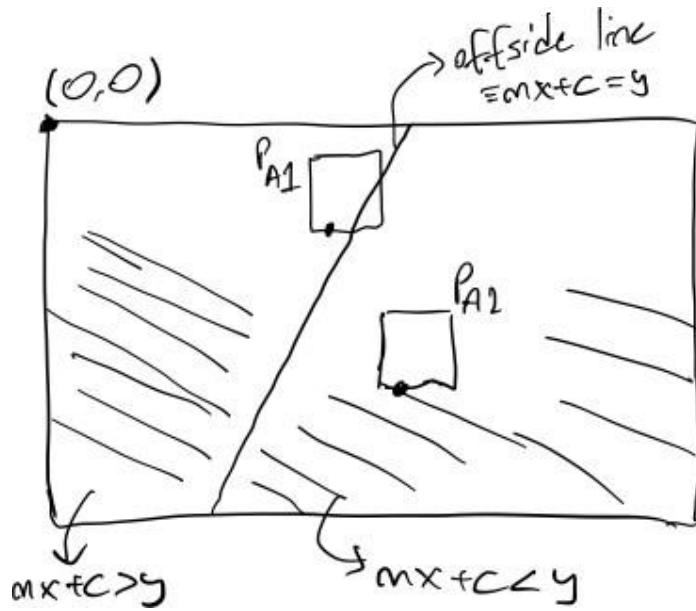


Figure 4: The geometric interpretation of the offside detection

Mathematical Background of Line Detection with Hough Lines and Hough Transform

All points in cartesian coordinates can be defined the tuples of (x_i, y_i) where x_i is the projection of it on x-axis and y_i is the projection of it on y-axis. Moreover, all lines in cartesian coordinates can be expressed as $y = mx + b$ where m and b are the parameters we're looking for. To do further analysis of the parameters, a mapping operation performs from the spatial domain to parameter domain. While x and y are variables in spatial domain, it turns out that m and b are new variables where x and y are parameters. After this stage, it is more convenient to make an interpretation regarding the parameters.

For instance, this operation maps a point in spatial domain to a line in parameter domain. Firstly, the equation transforms into $y - mx = b$ as changing the domain. Since a point is defined as only one tuple of (x_i, y_i) . In parameter space, there will be one equation originating from this point, which corresponds to a line equation $y_i - mx_i = b$.

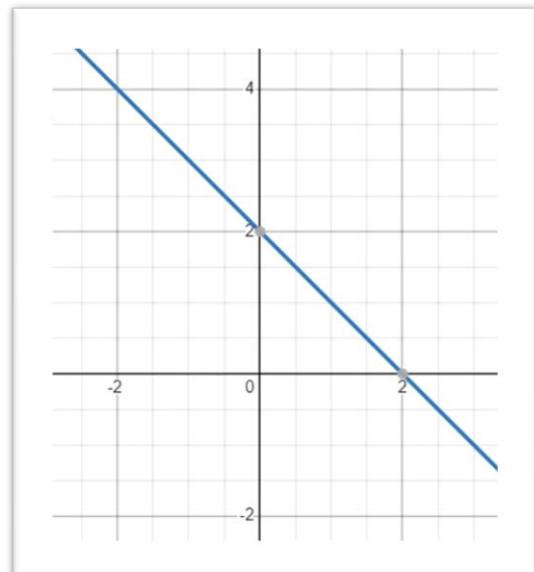
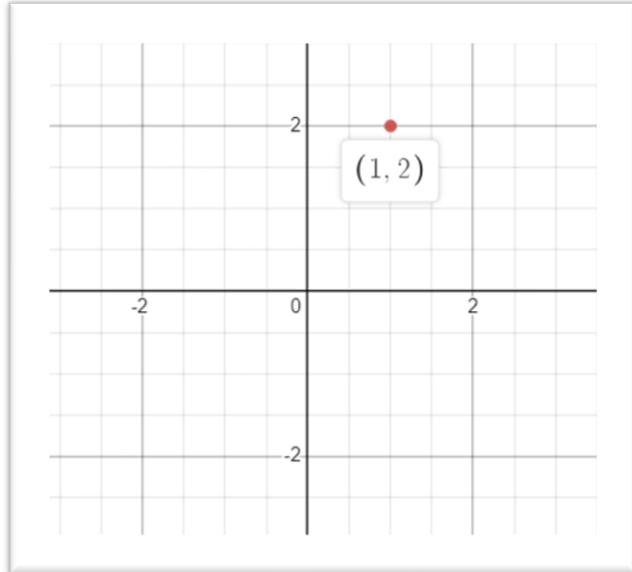


Figure 5: $(1, 2)$ is mapping onto $b = 1-2m$ [3]

Also, this operation maps a line in spatial domain to a point in parameter domain. It is because a line contains infinitely many tuples of (x_i, y_i) which originates infinitely many equations, which there exists one common solution for all of it, in parameter domain. This solution is the location where this line will be mapping in parameter domain.

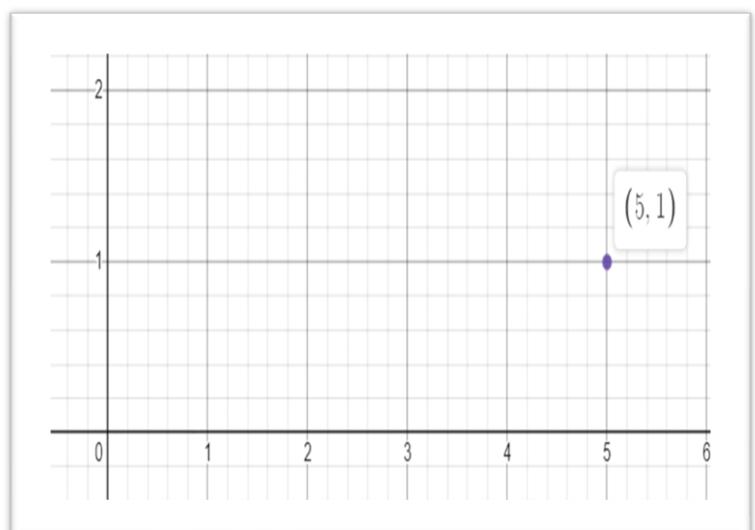
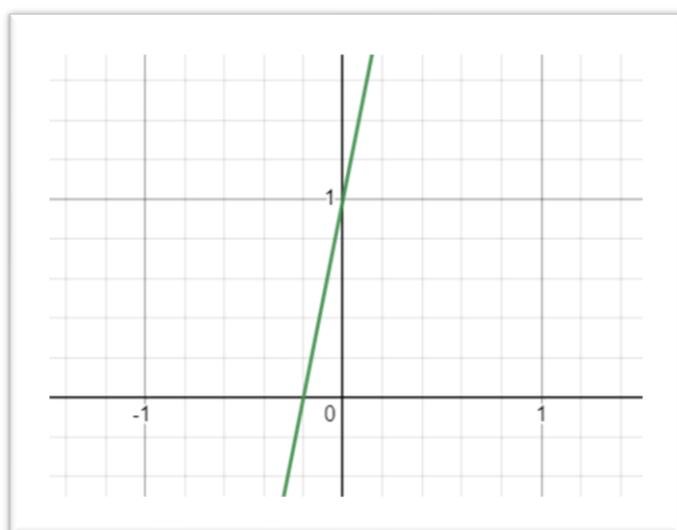


Figure 6: $5x+1=y$ is mapping onto the point of $(5, 1)$ [3]

One more observation will be the case of multiple points in spatial domains. This situation is more realistic in terms of line detection problem than the others. With the help of the previous observations, it is obvious that each point transforms a line in parameter domain. Except the points whose x_i 's are the same, lines originated by points will be intercepting pairwise at a point on a space. At the end, an image consisting of lots of intersection points will be appearing. The intersection point, which is crossed by the largest number of lines, will be a line spanning the greatest number of points in the spatial domain as we are searching for. As an example,

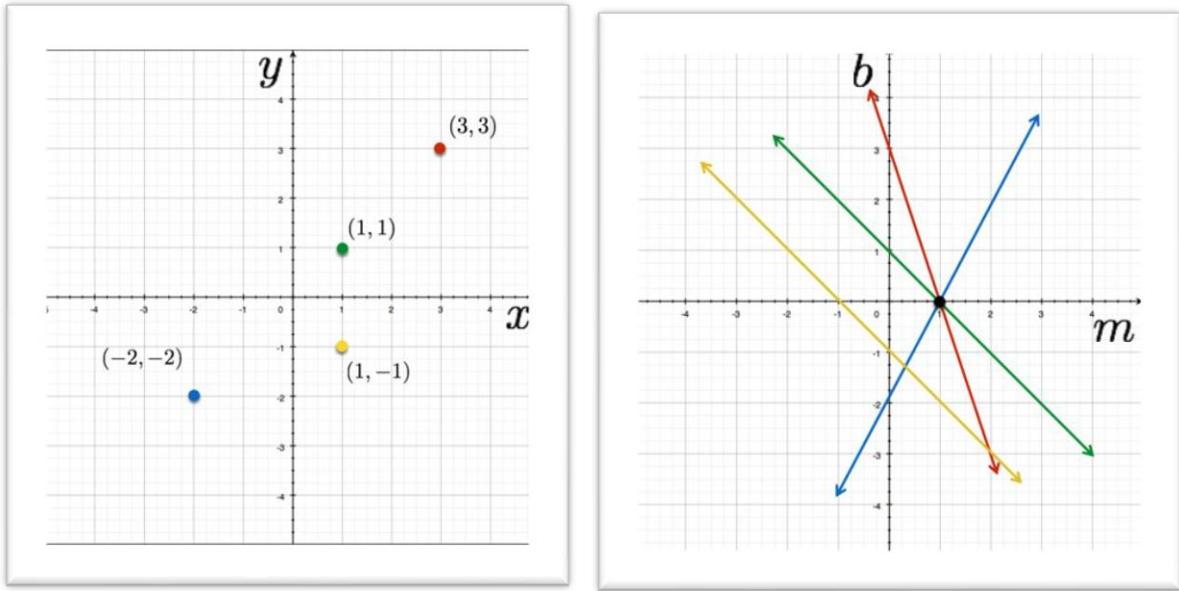


Figure 7: $(1,0)$ is crossed by in total 3 lines in right image, and the line corresponds of that point is the most likely edge while considering given four points [3]

Therefore, the following steps belong to the algorithm which is a line detection algorithm with Hough Transform [3]:

- 1) Quantizing Parameter Space (m, c)
- 2) Create Accumulator Array $A(m, c)$
- 3) Setting the array A to 0 for all elements
- 4) Incrementing the entries of A whenever the point of (m, c) is crossed by a line
- 5) Finding local maxima in $A(m, c)$

However, this algorithm has its own problem. One of them is that it still problematic when the case of $x = \text{a constant}$. And also, quantizing parameter space is not applicable since the limits of parameters m and c are infinity. For the above problems, we define a new mapping operation as follows:

Firstly, the equation of $mx+b=y$ changes into a new form of an equation by using trigonometric manipulation: $x\cos\theta + y\sin\theta = \rho$ where ρ is the shortest distance between the origin and the line, and θ is the angle of between the positive side of x -axis and this shortest distance. In this stage, $x\cos\theta + y\sin\theta = \rho$ is the equation of parameter space while $y = mx+b$ is the equation of image space. Also, the new axis of parameter space is ρ and θ instead of m and b . The main difference of new mapping operation is that the points in spatial domain map onto a sinusoid in parameter domain.

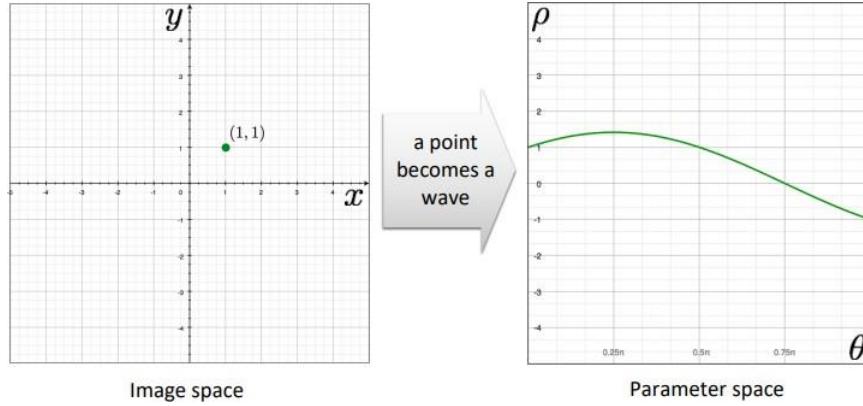


Figure 8: It is an illustration for the case of mapping of one point [3]

Also, a line in spatial domain mapping onto a point in parameter space as in the previous parameterization. Moreover, there occurs again an image consisting of lots of intersection points caused by sinusoids in the case of multiple points in spatial domains. The intersection point, which is crossed by the largest number of sinusoids, will be a line spanning the greatest number of points in the spatial domain as we are searching for. As an example,

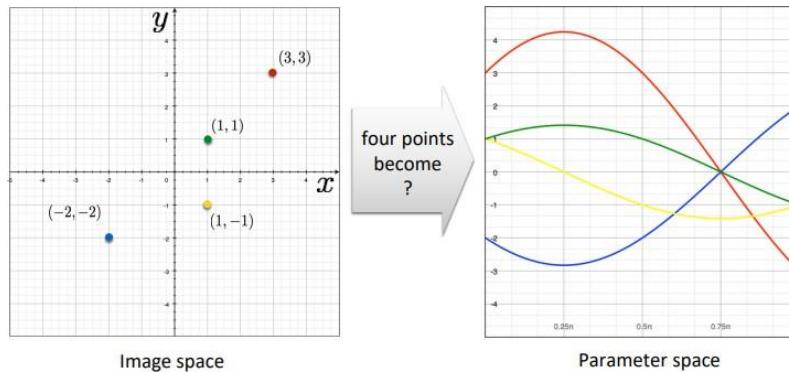


Figure 9: It is an illustration for the case of mapping of multiple points [3]

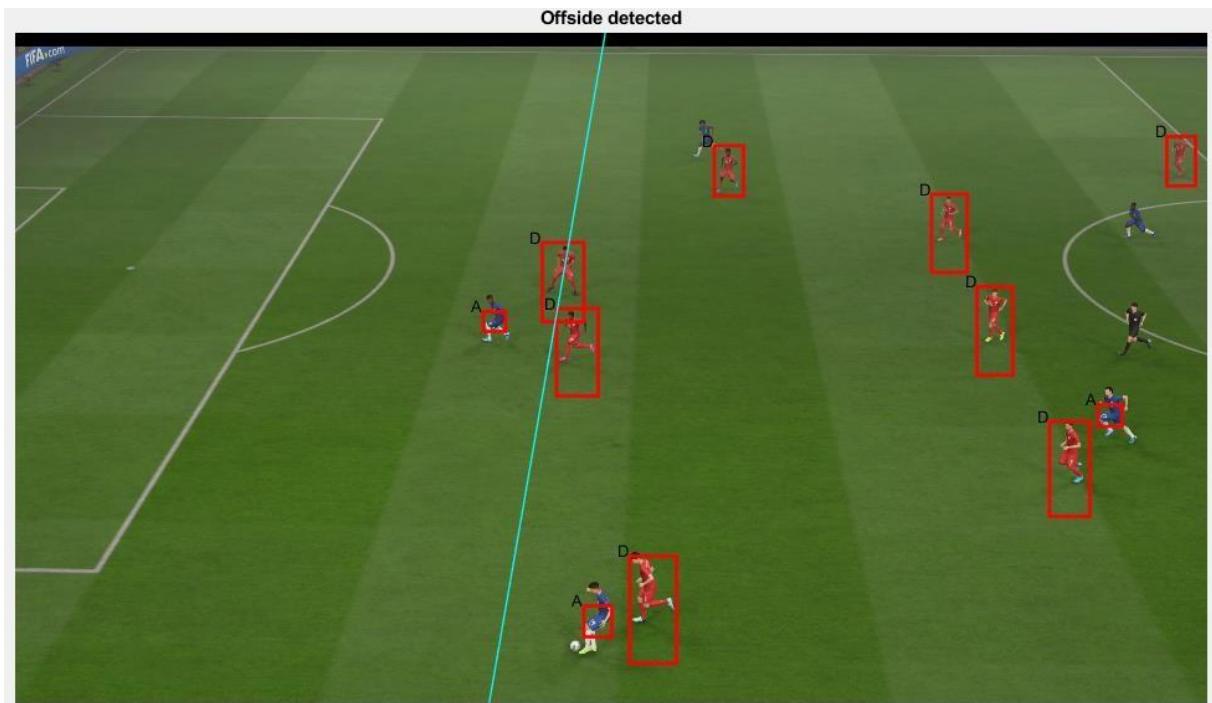
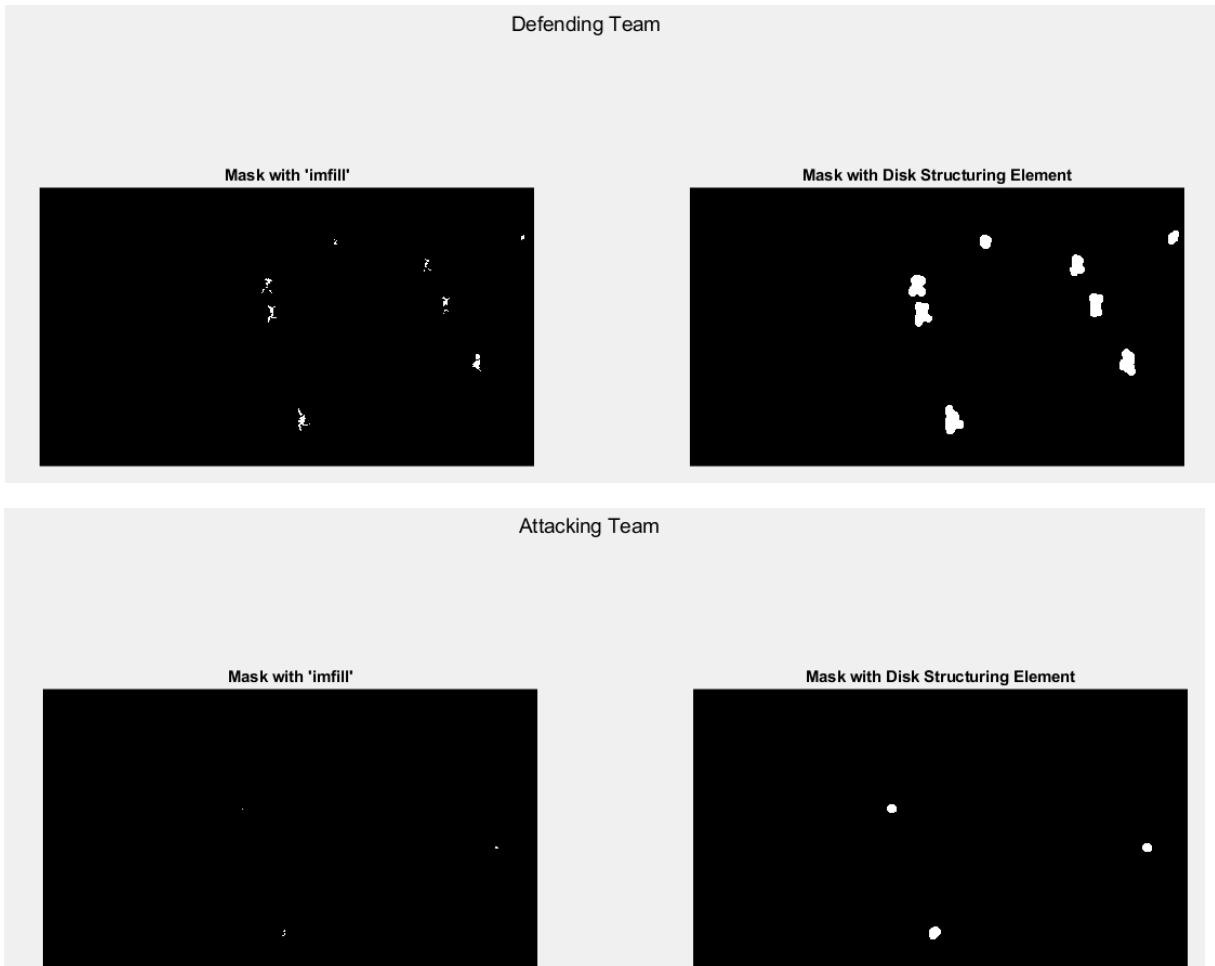
Consequently, the previous algorithm also changes as the axis of parameter space changes as follows [3]:

- 1)Quantizing Parameter Space (θ, ρ)
- 2)Create Accumulator Array $A(\theta, \rho)$
- 3)Setting the array A to 0 for all elements
- 4)Incrementing the entries of A whenever the point of (θ, ρ) is crossed by a sinusoid
- 5)Finding local maxima in $A(\theta, \rho)$

This update on the algorithm solves the issues that the first one is struggling with since the θ can be valued between 0 and 2π , and ρ can be valued between 0 and a distance with a finite value, and the line with the equation of $x = a$ constant corresponds to a sinusoid thanks to new parameterization.

Results



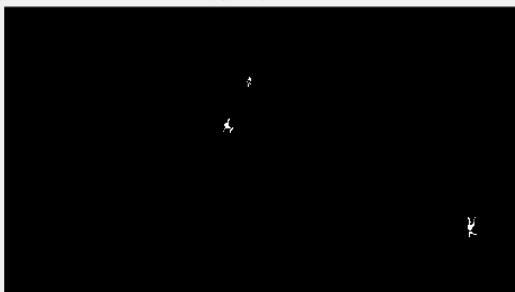


(Figure 1: Test 1 Correct)

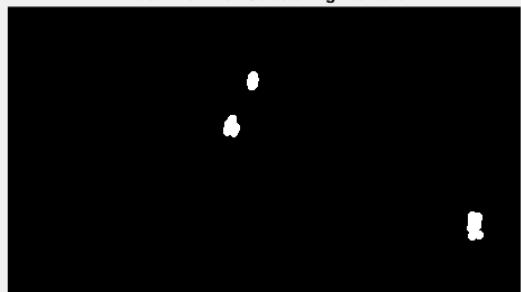


Defending Team

Mask with 'imfill'

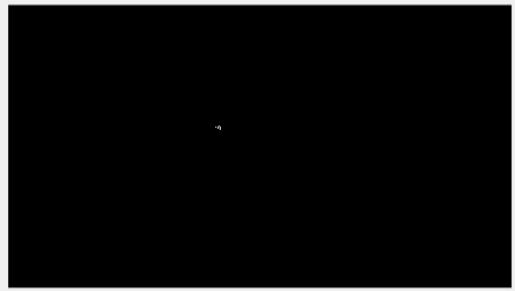


Mask with Disk Structuring Element

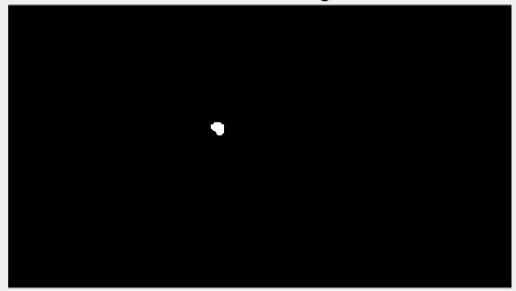


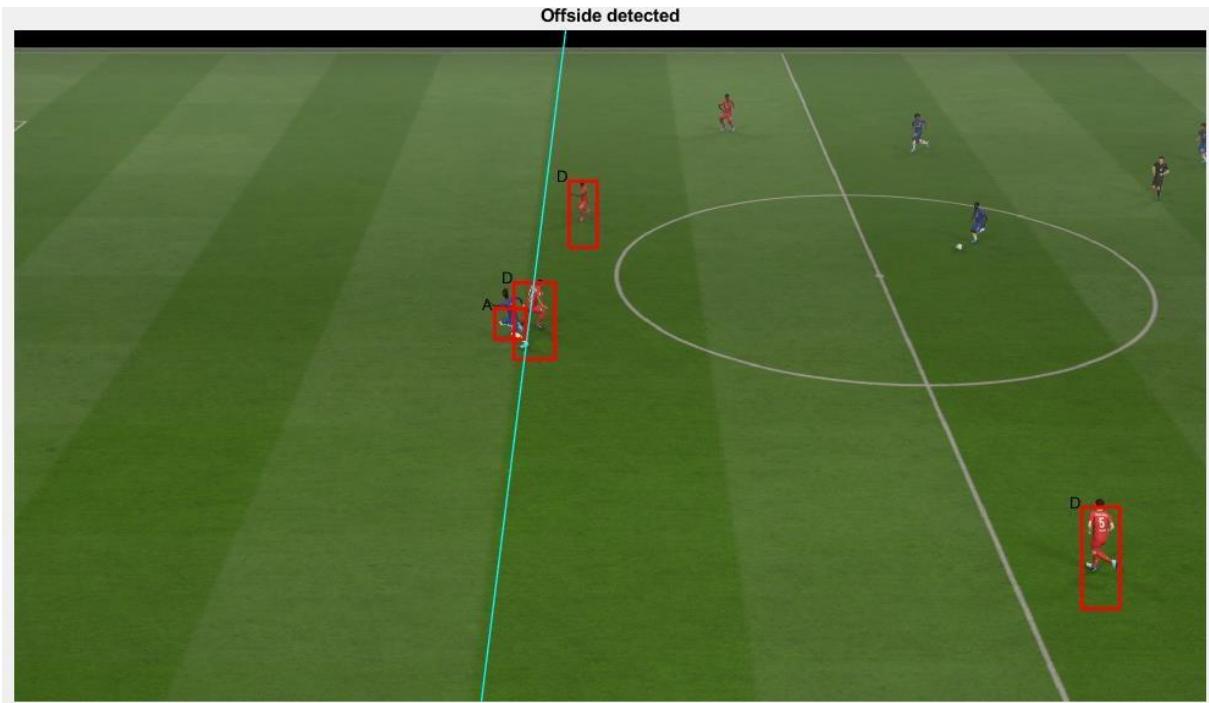
Attacking Team

Mask with 'imfill'

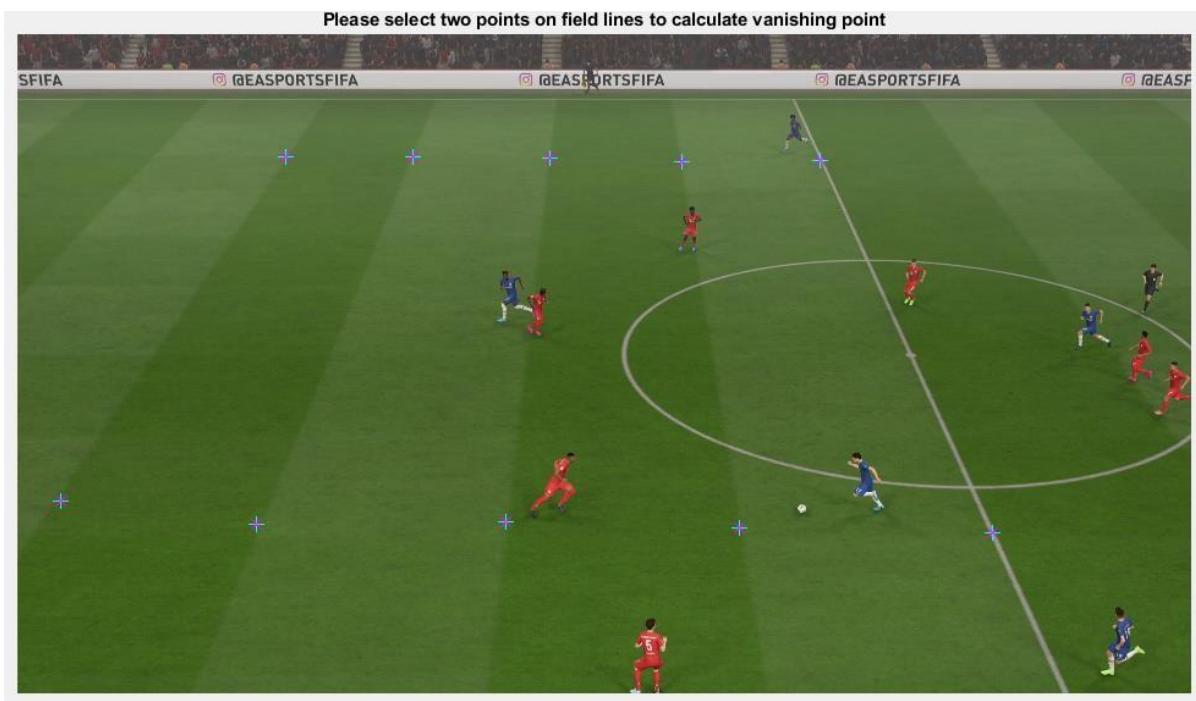


Mask with Disk Structuring Element



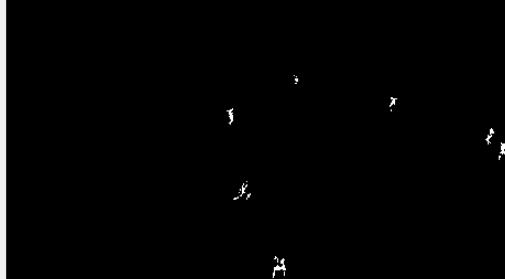


(Figure 2: Test 2 Correct)



Defending Team

Mask with 'imfill'

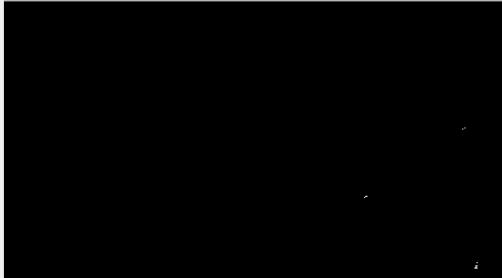


Mask with Disk Structuring Element

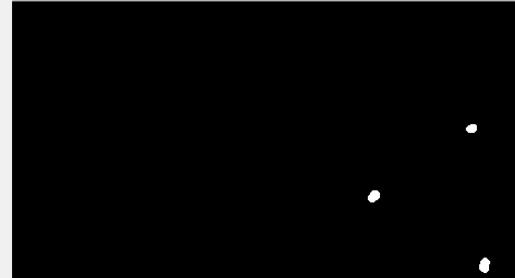


Attacking Team

Mask with 'imfill'



Mask with Disk Structuring Element



Failed to Detect Offside



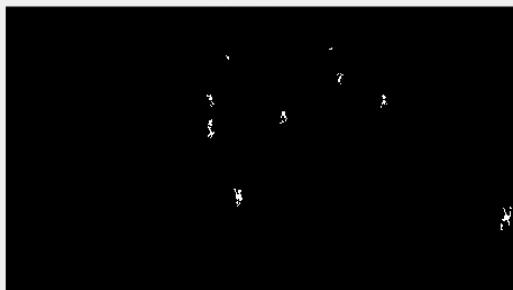
(Figure 3: Test 3 Fail)

Please select two points on field lines to calculate vanishing point

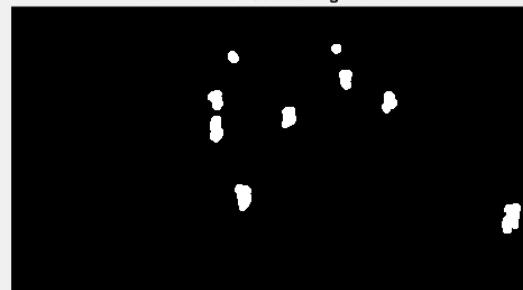


Defending Team

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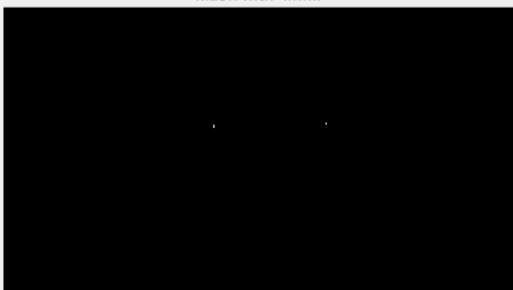


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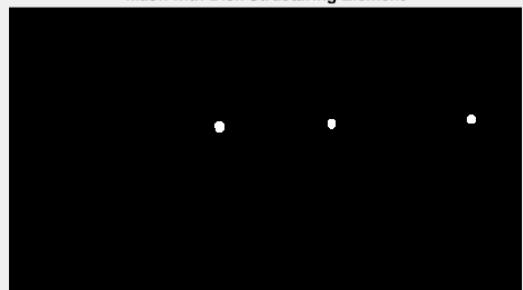


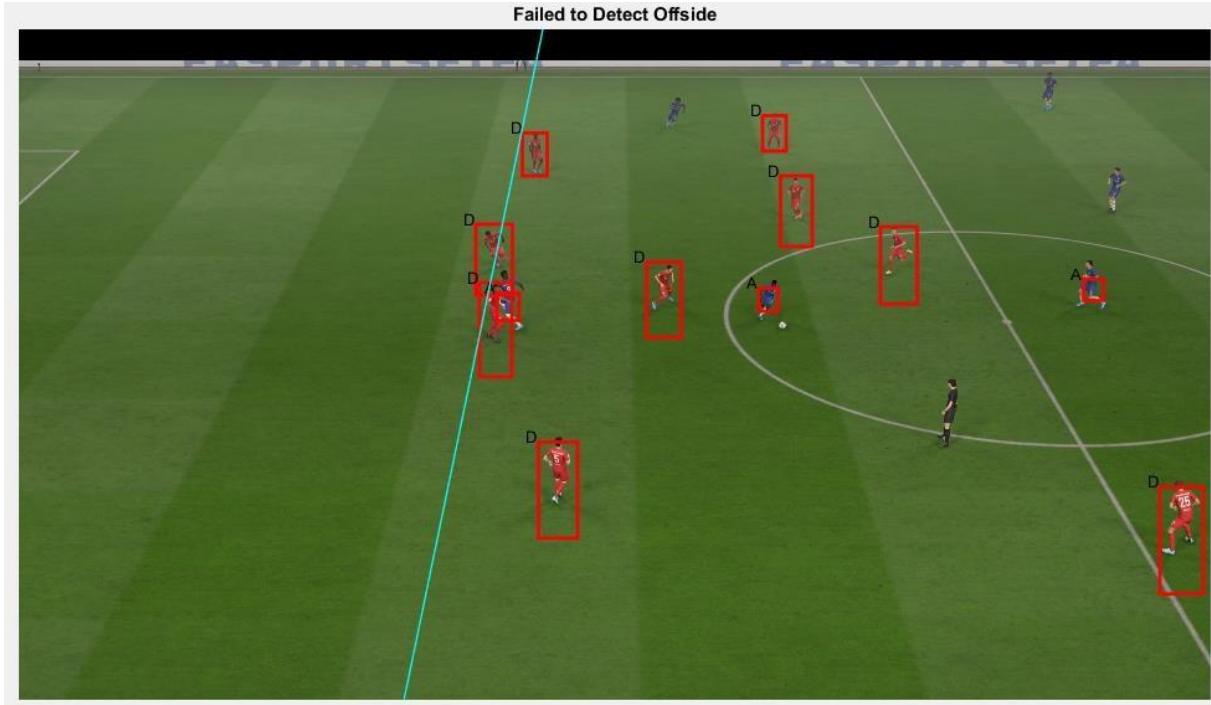
Attacking Team

Mask with 'imfill'



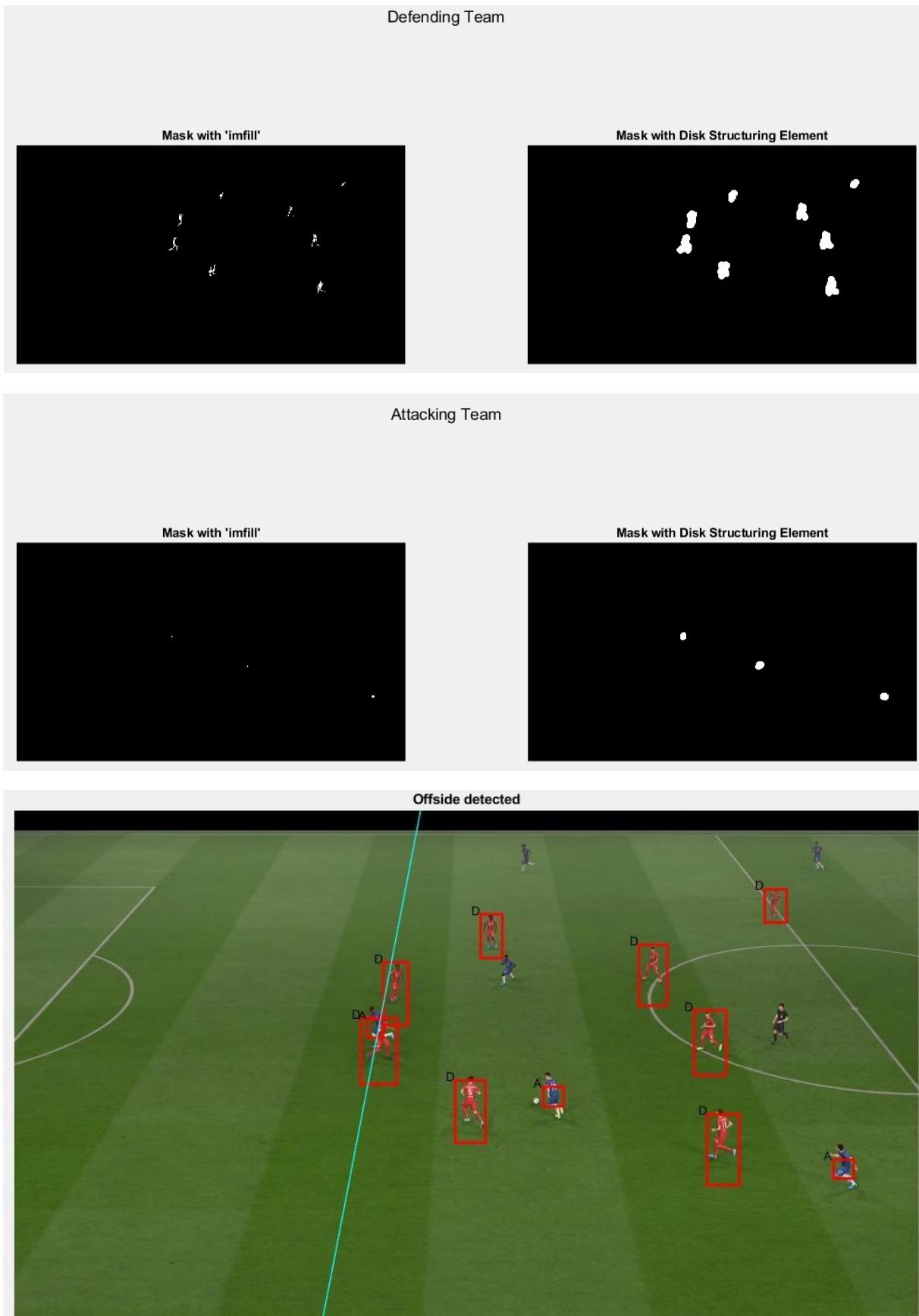
Mask with Disk Structuring Element





(Figure 4: Test 4 Correct)



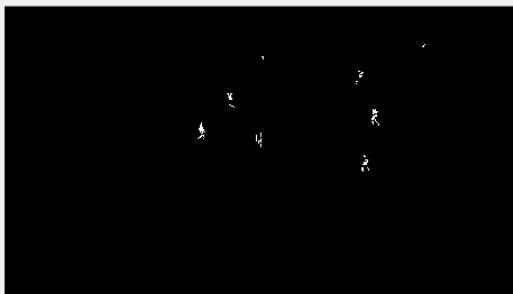


(Figure 5: Test 5 Correct)



Defending Team

Mask with 'imfill'

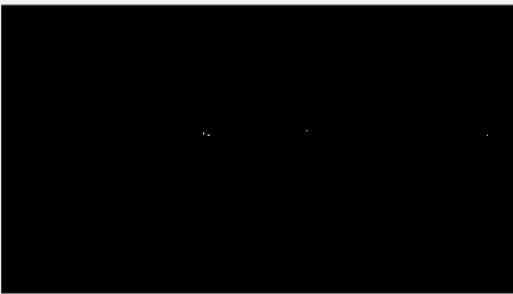


Mask with Disk Structuring Element

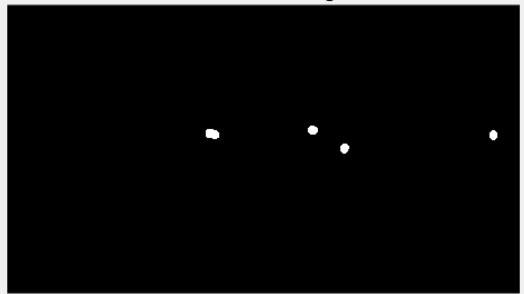


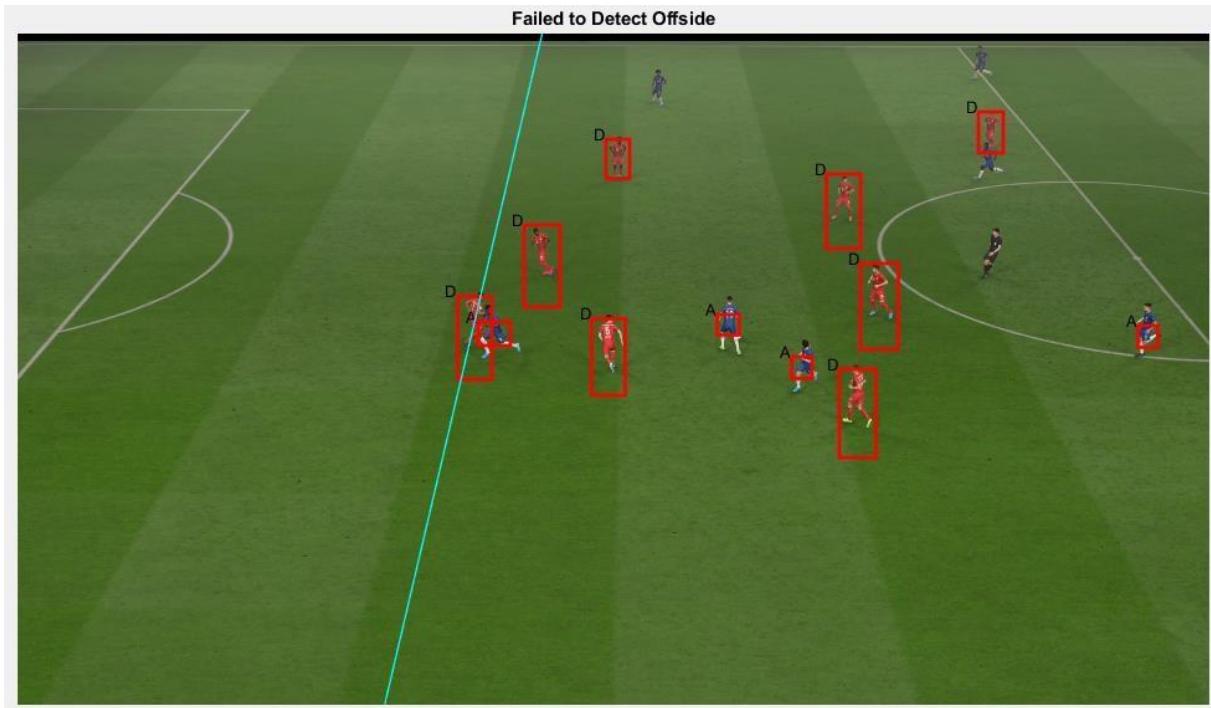
Attacking Team

Mask with 'imfill'



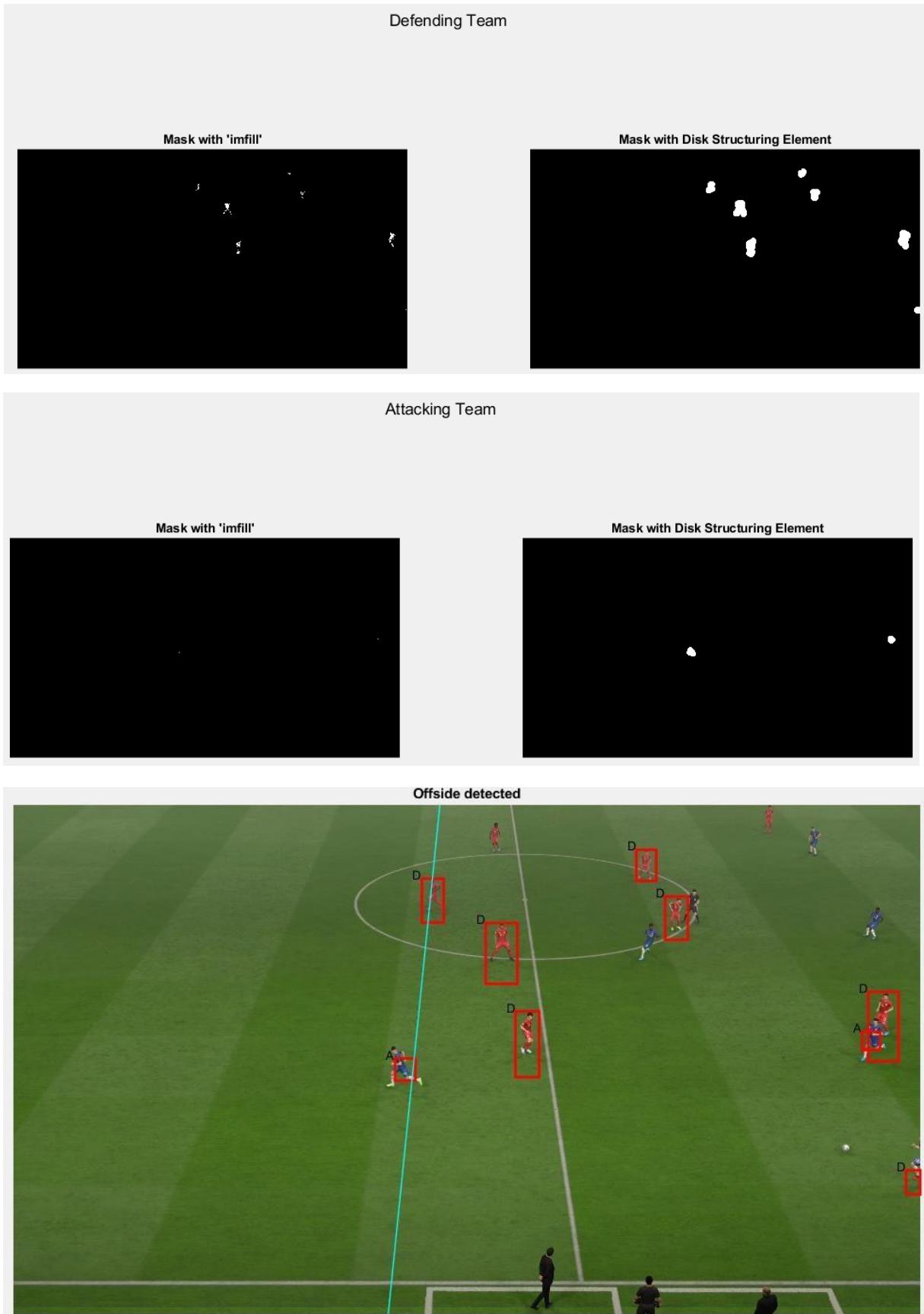
Mask with Disk Structuring Element



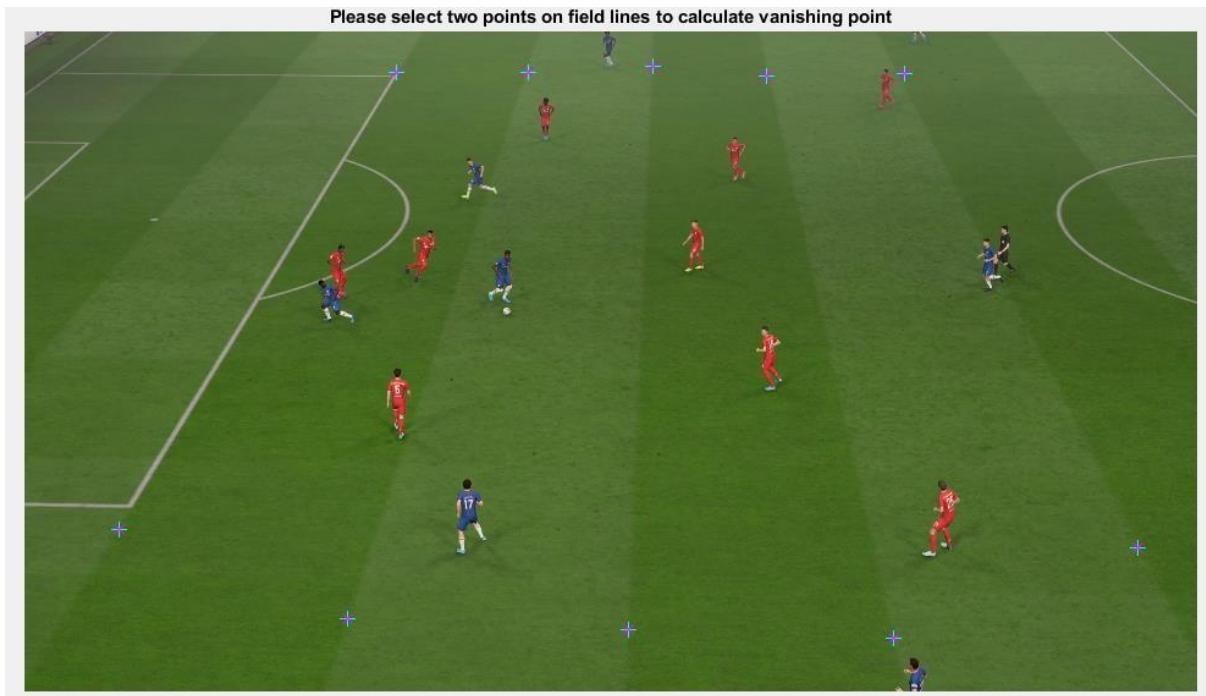


(Figure 6: Test 6 Correct)





(Figure 7: Test 7 Correct)



Defending Team

Mask with 'imfill'



Mask with Disk Structuring Element

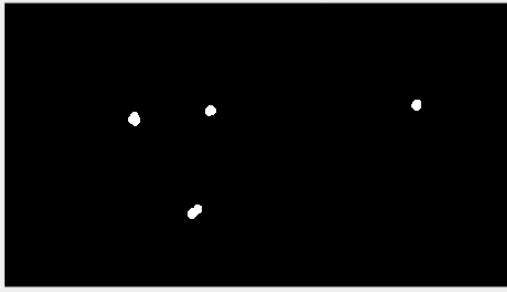


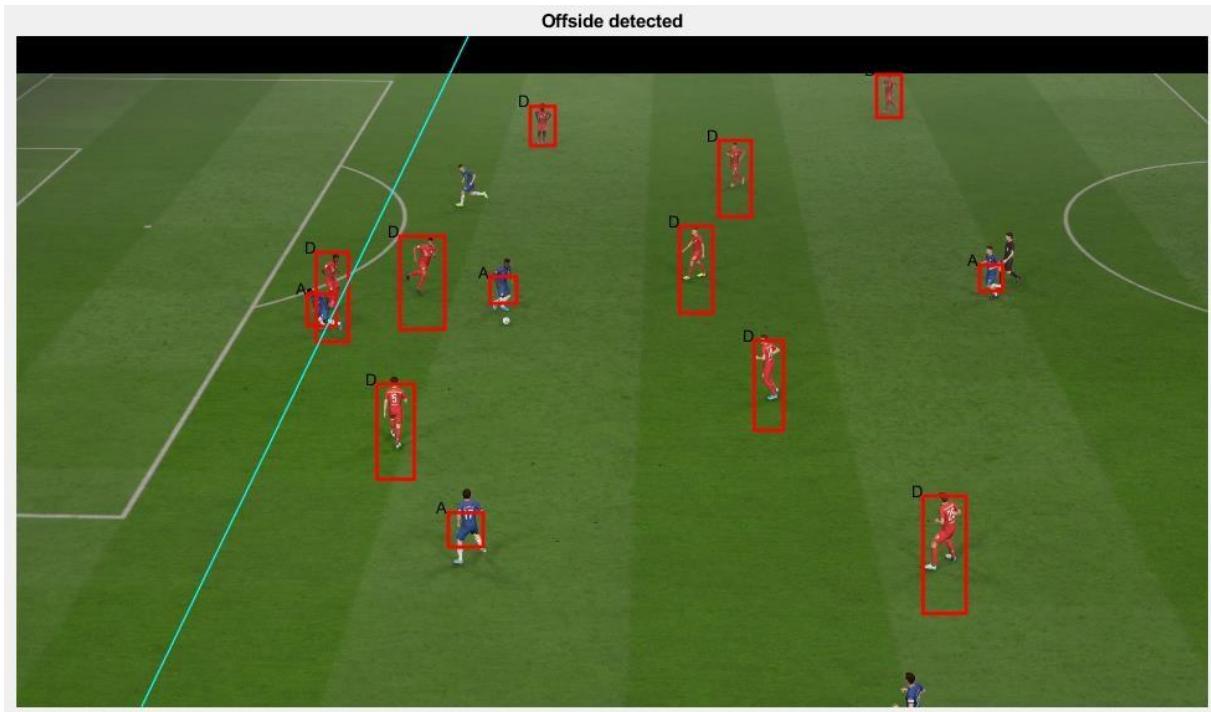
Attacking Team

Mask with 'imfill'



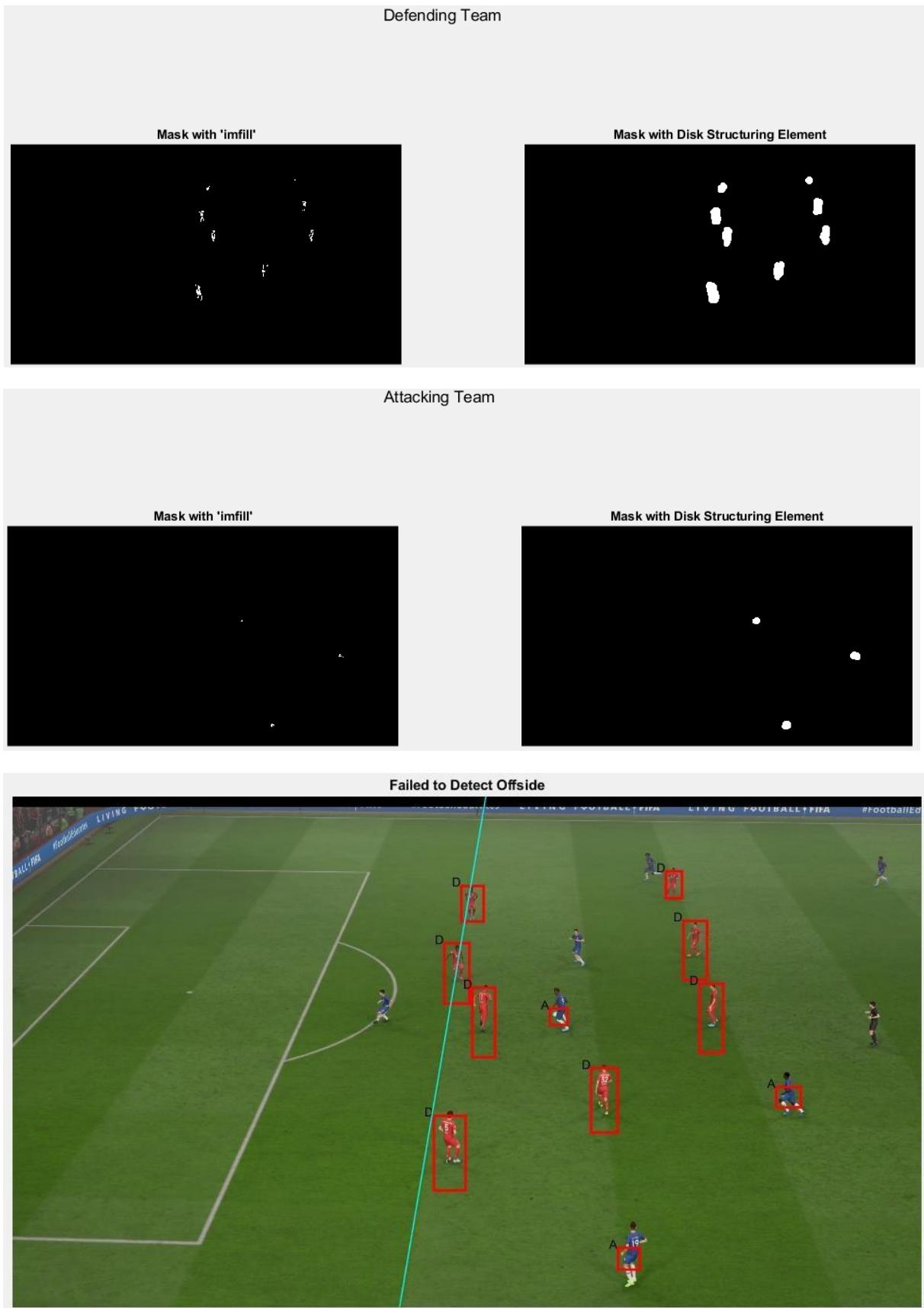
Mask with Disk Structuring Element





(Figure 8: Test 8 Correct)

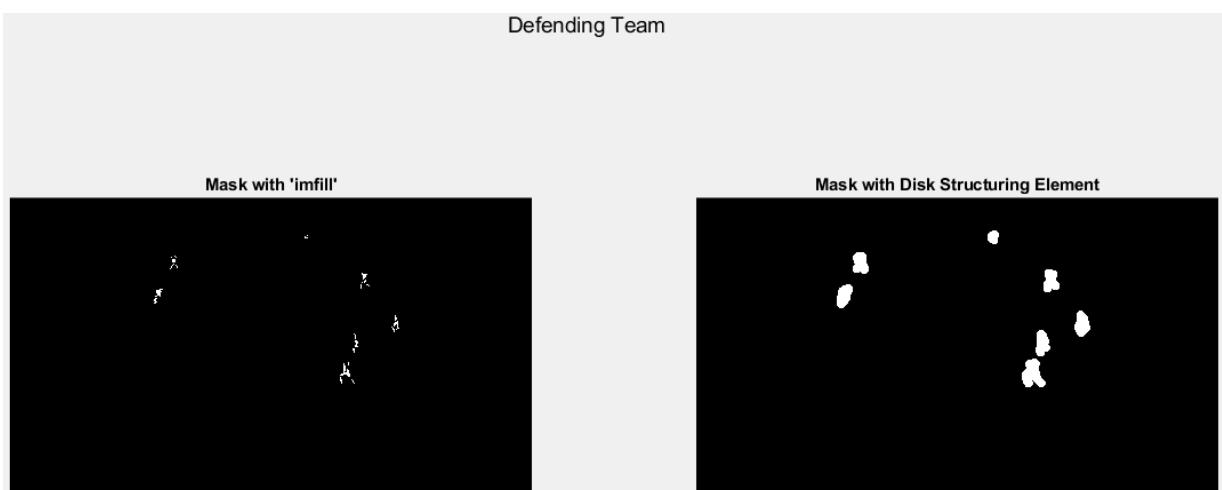




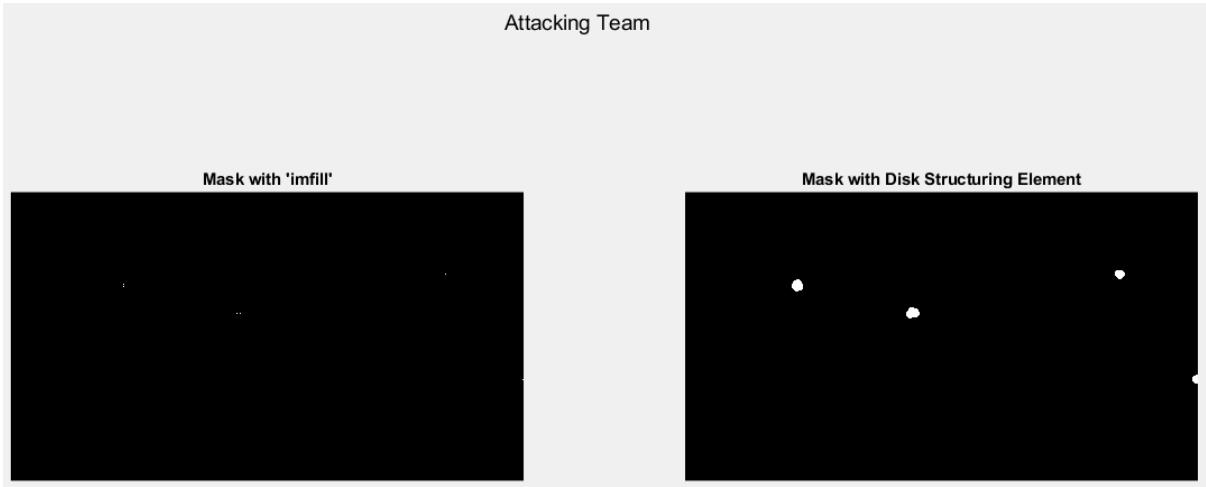
(Figure 9: Test 9 Failed)

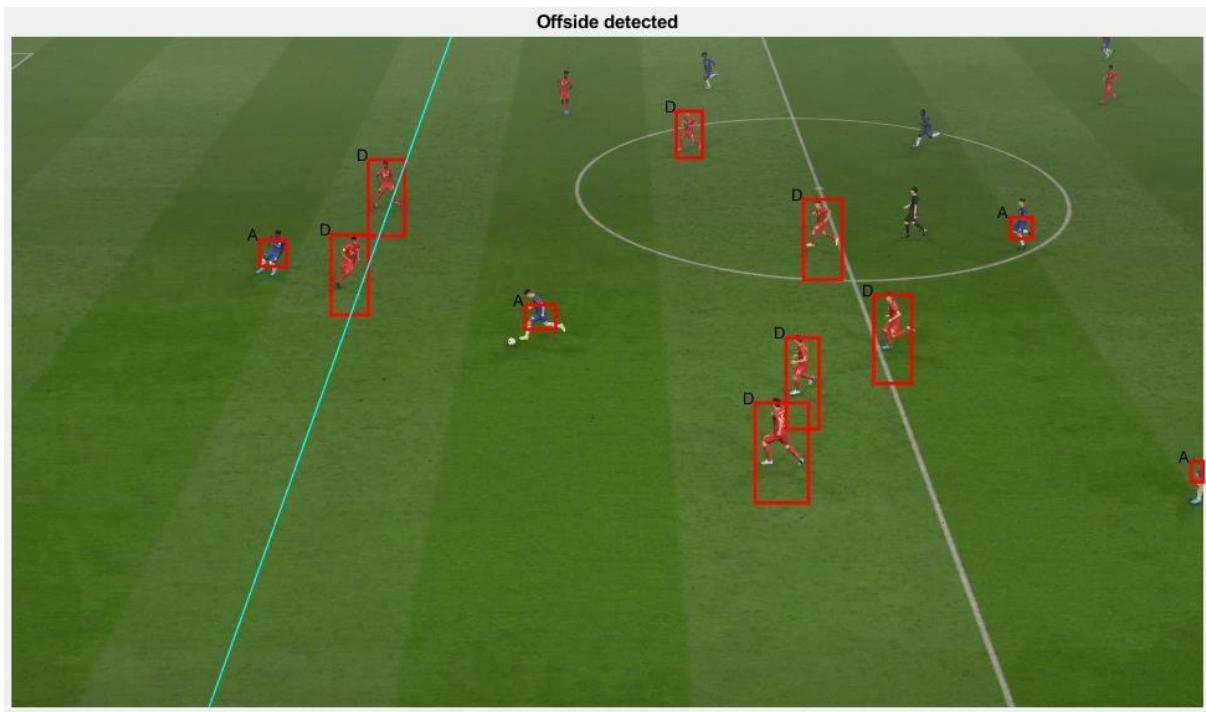


Defending Team



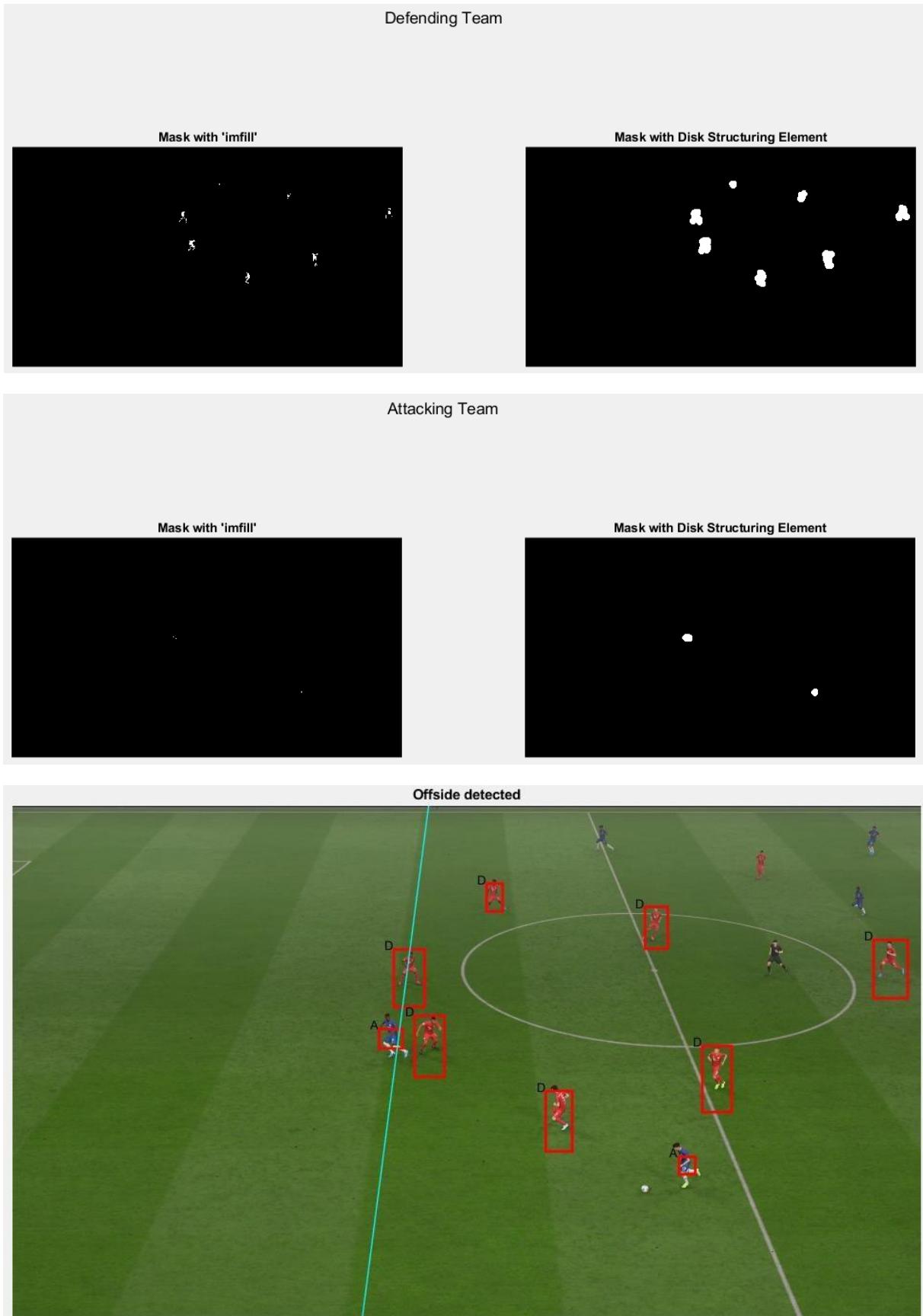
Attacking Team





(Figure 10: Test 10 Correct)



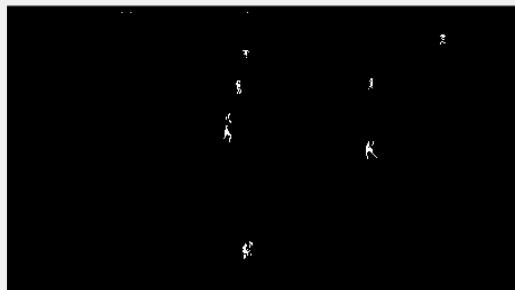


(Figure 11: Test 11 Correct)

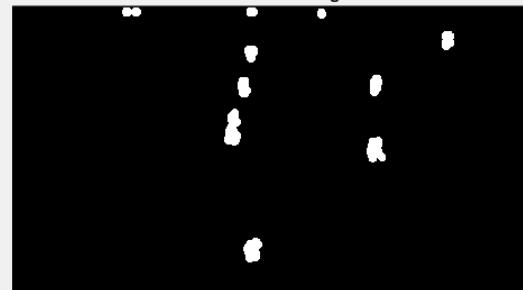


Defending Team

Mask with 'imfill'

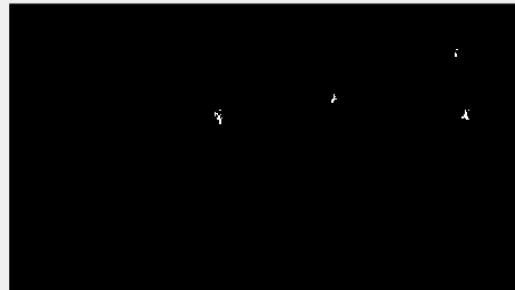


Mask with Disk Structuring Element

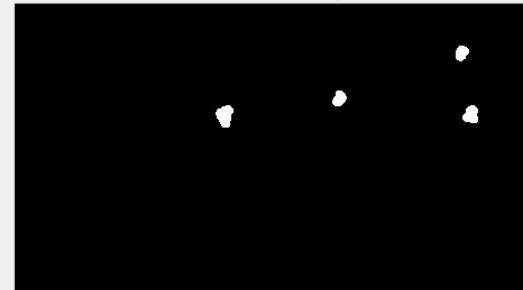


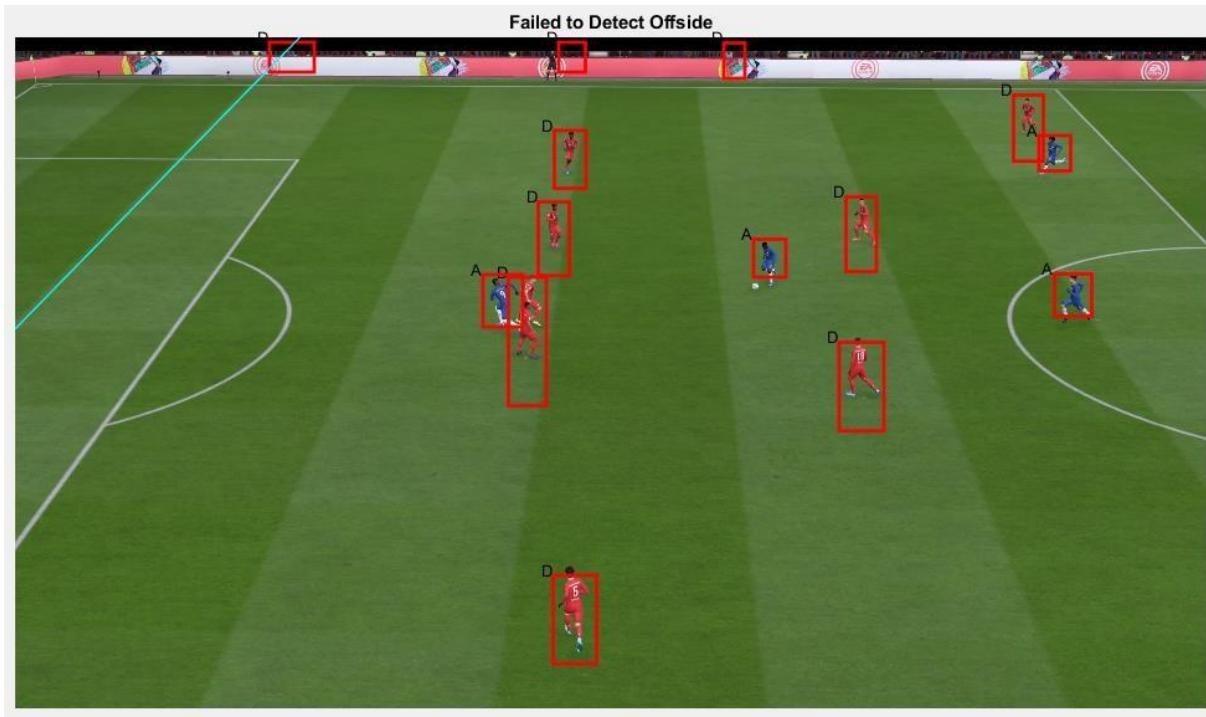
Attacking Team

Mask with 'imfill'



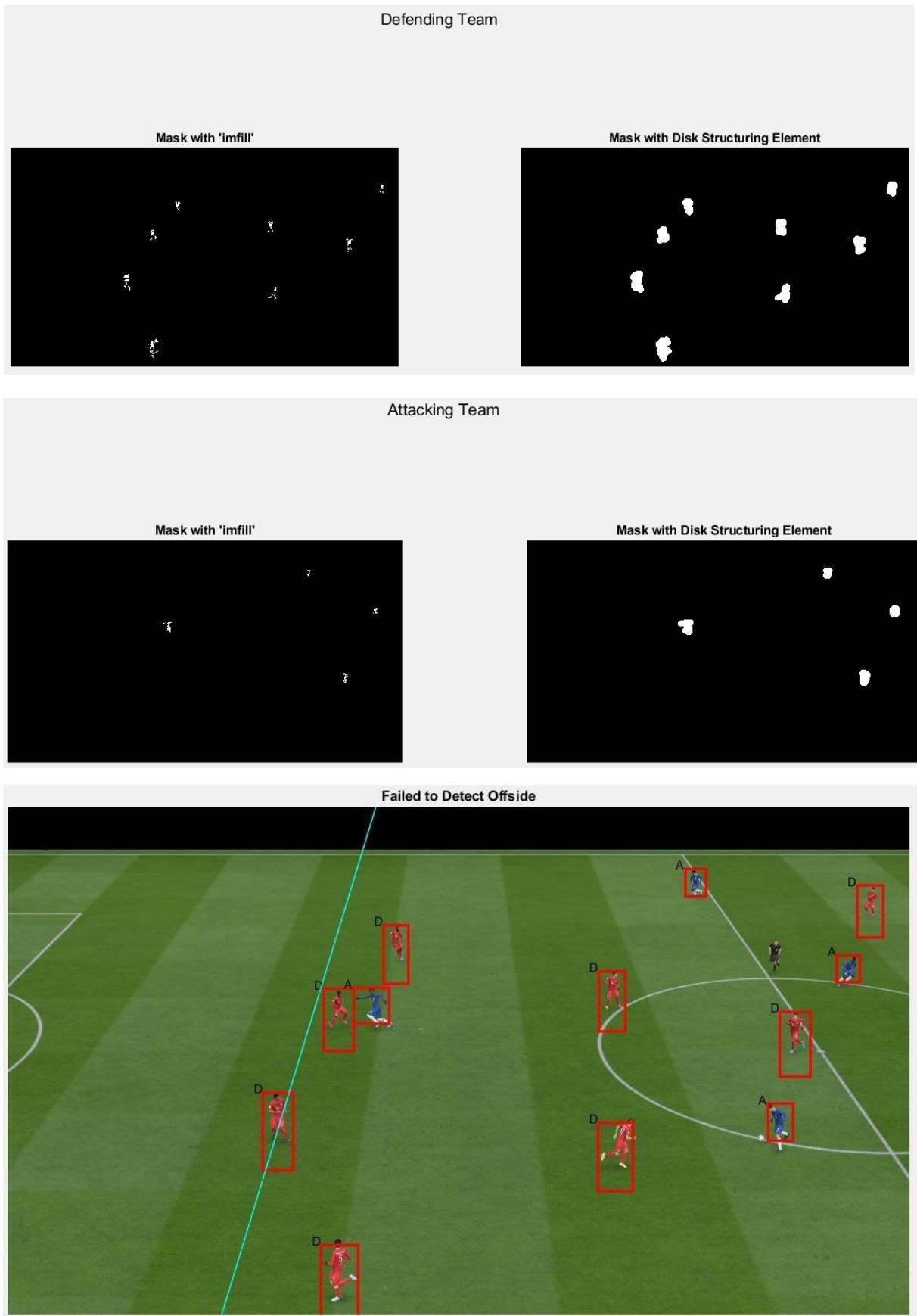
Mask with Disk Structuring Element



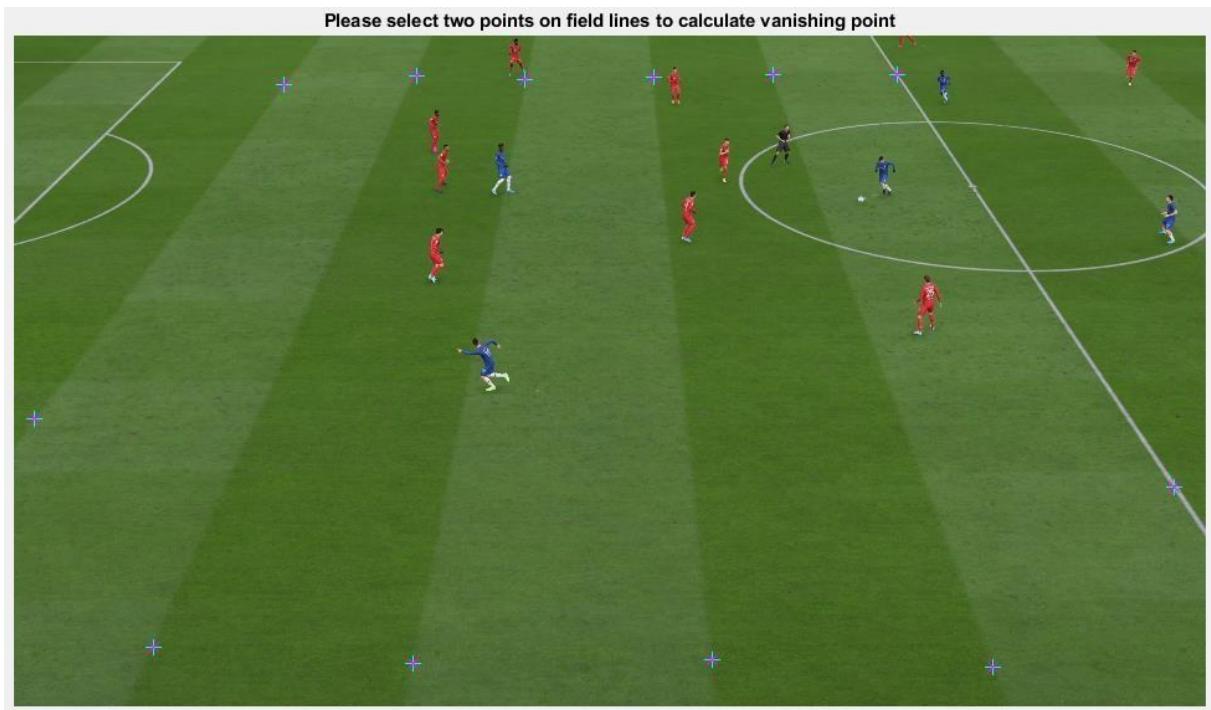


(Figure 12: Test 12 Failed, necessity of cutting tribune)

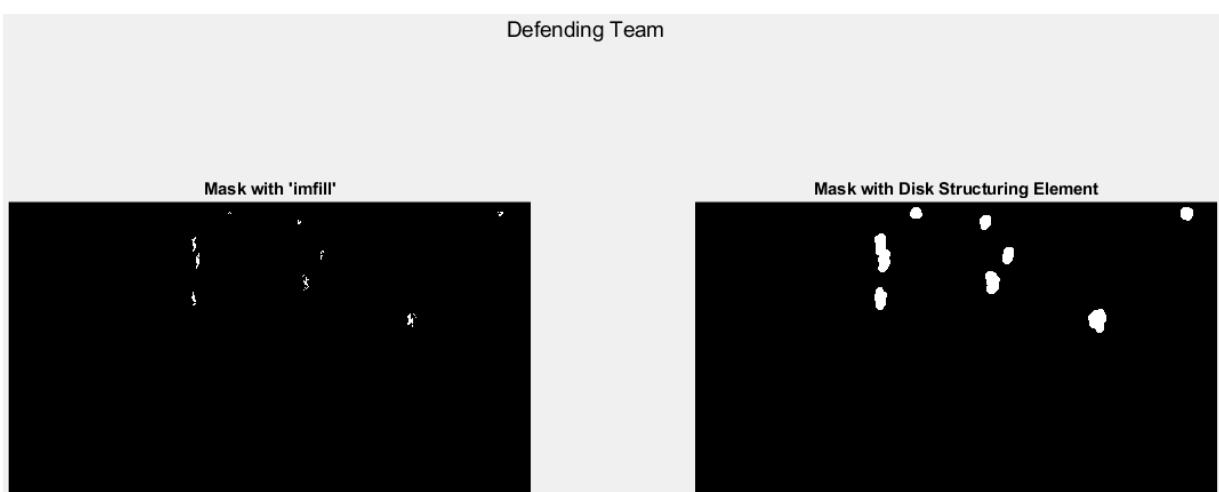




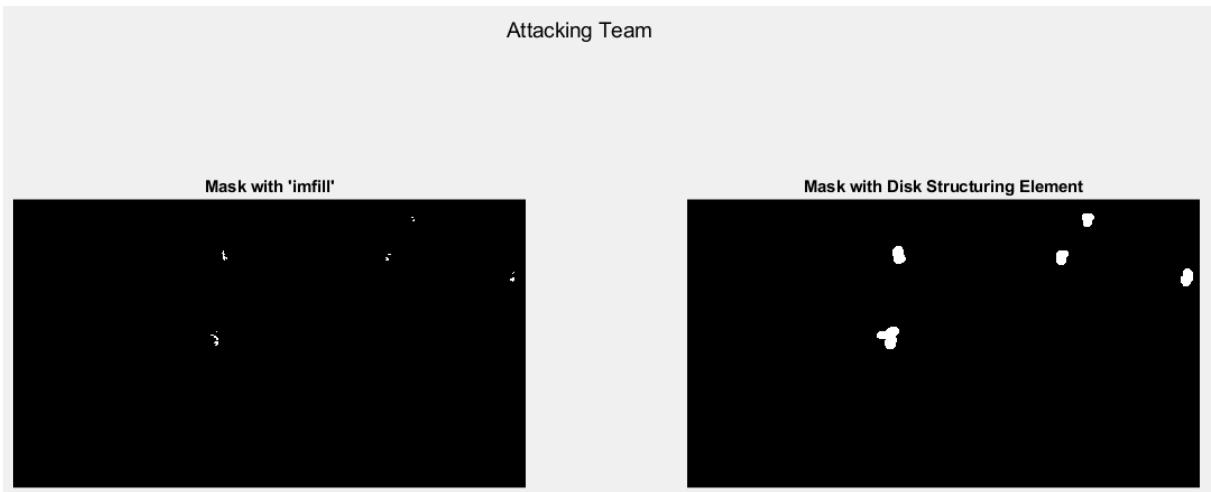
(Figure 13: Test 13 Correct)

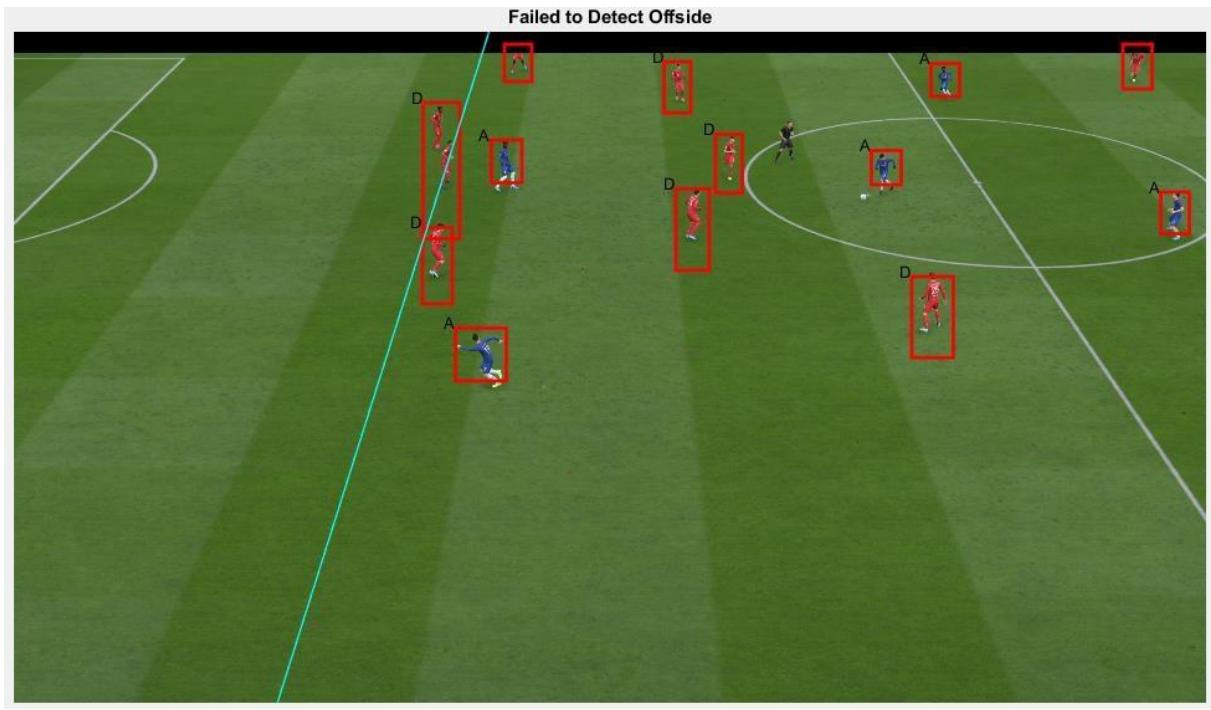


Defending Team

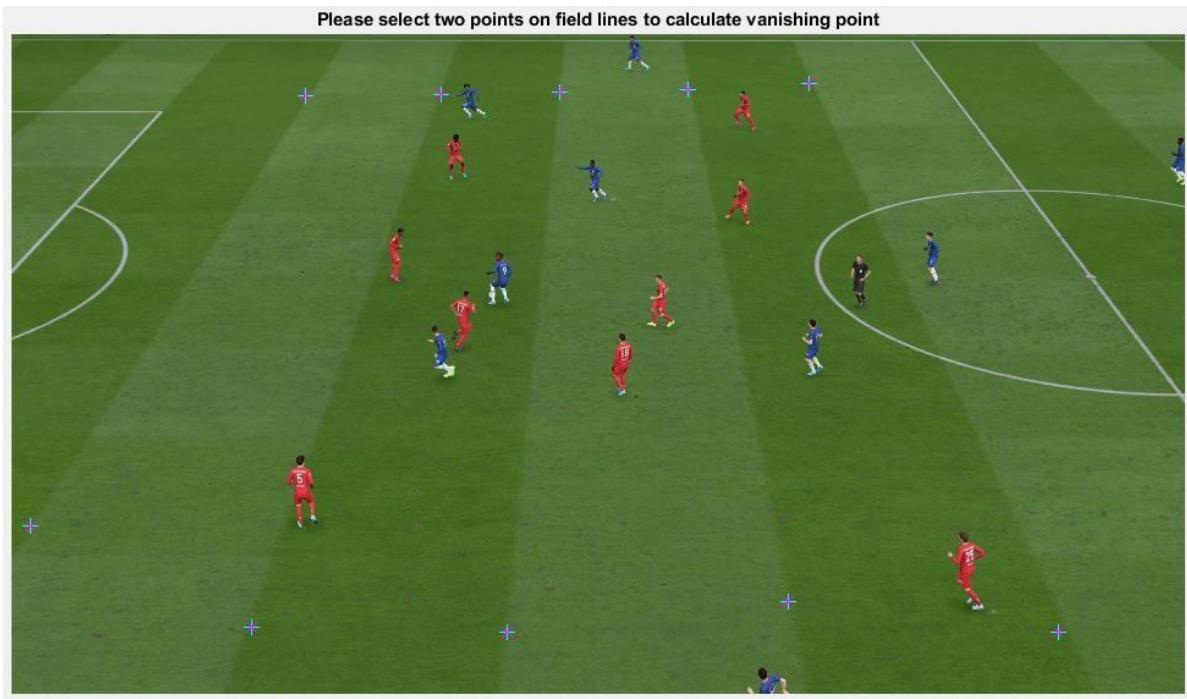


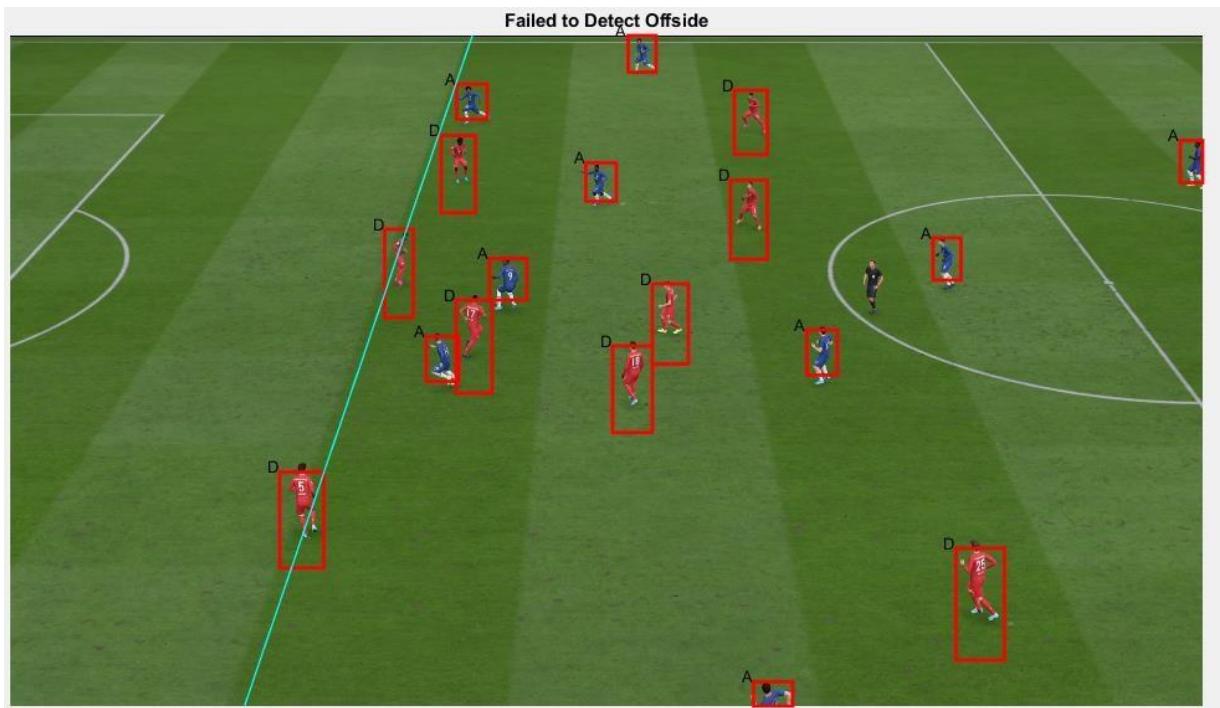
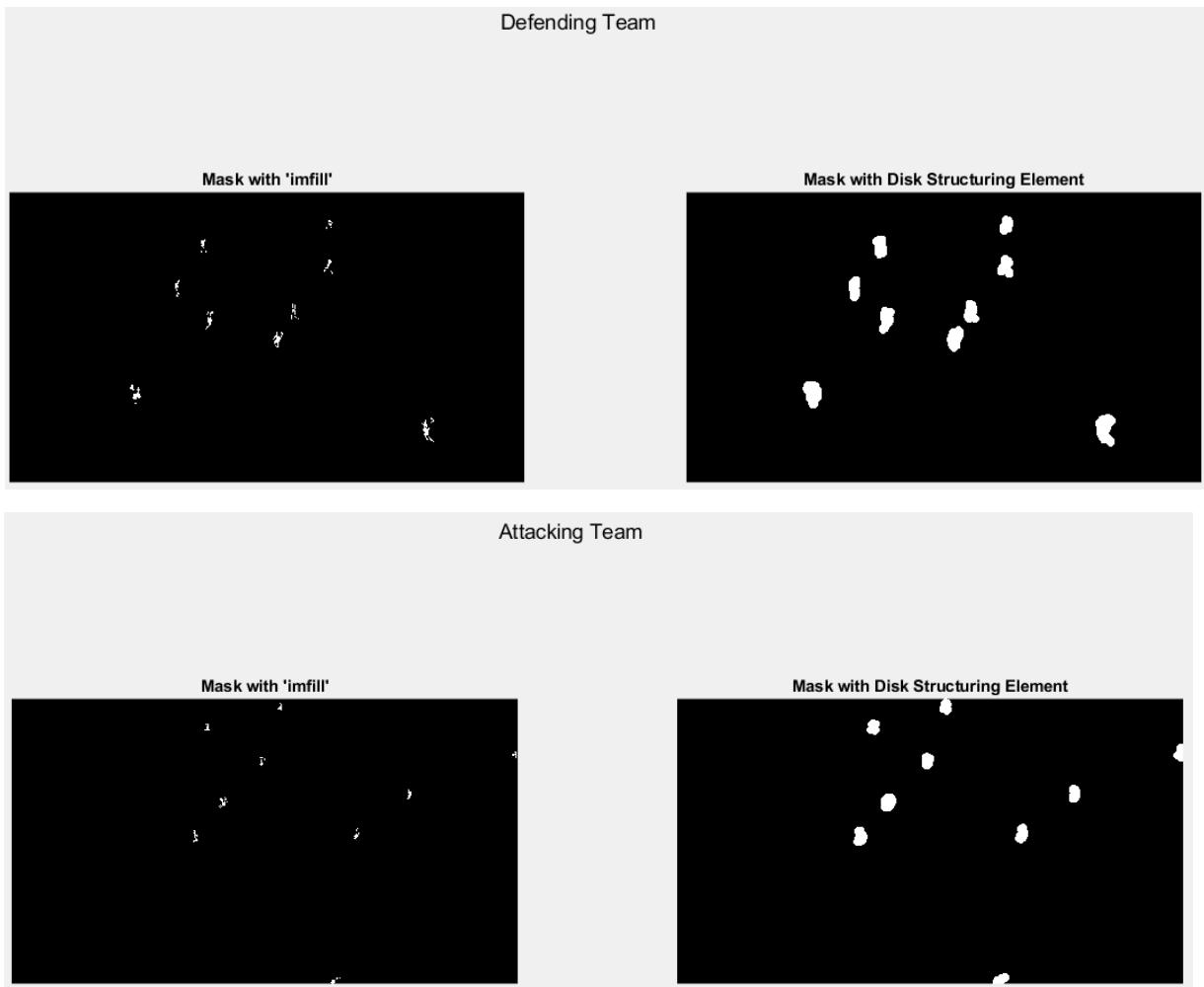
Attacking Team



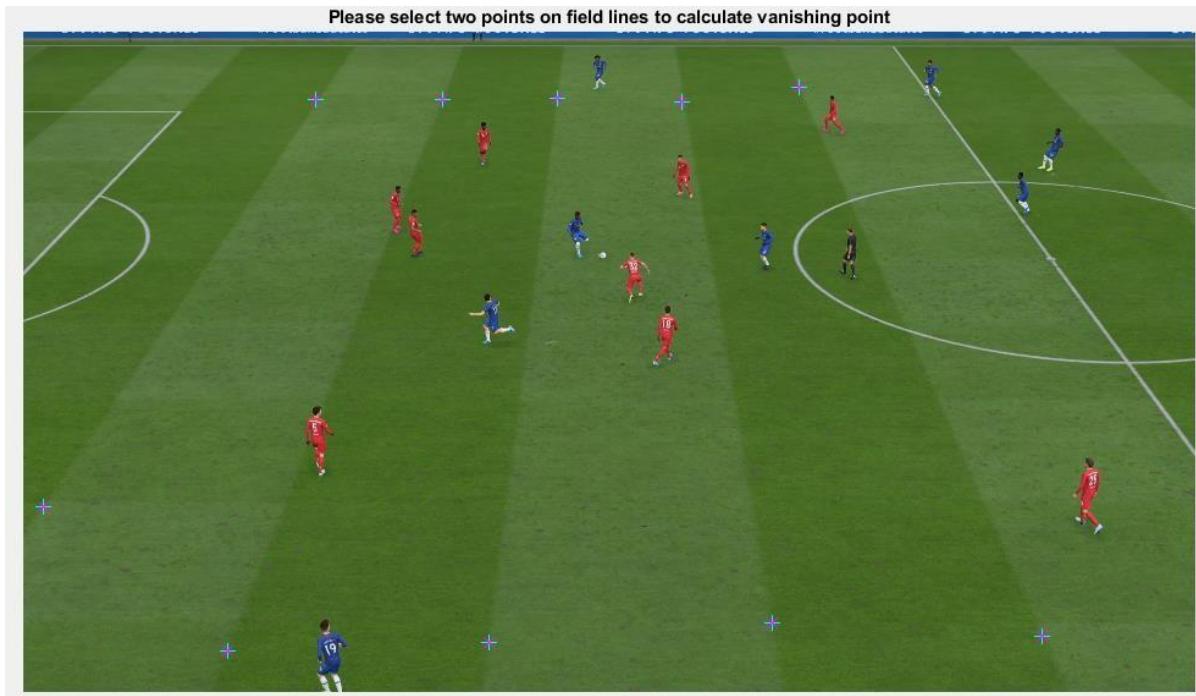


(Figure 14: Test 14 Correct, but a bit problematic player detection)



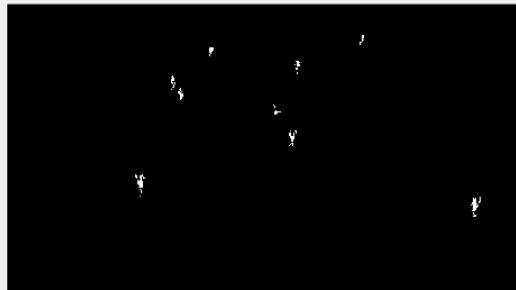


(Figure 15: Test 15 Correct)

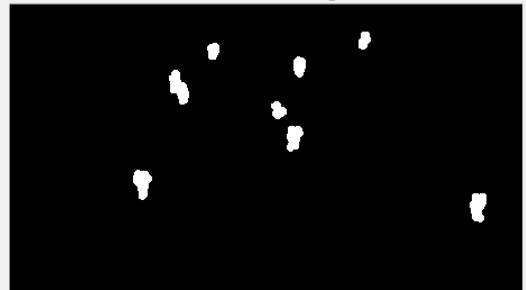


Defending Team

Mask with 'imfill'



Mask with Disk Structuring Element

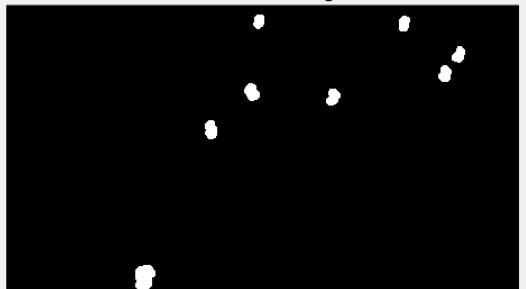


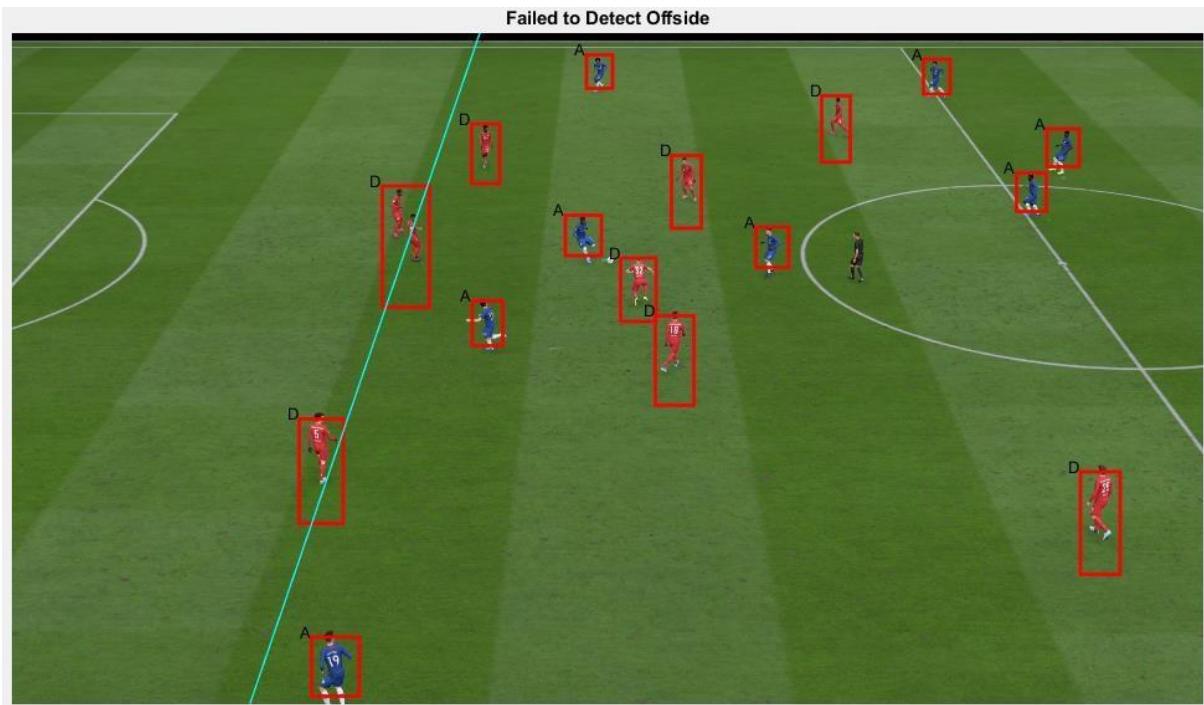
Attacking Team

Mask with 'imfill'

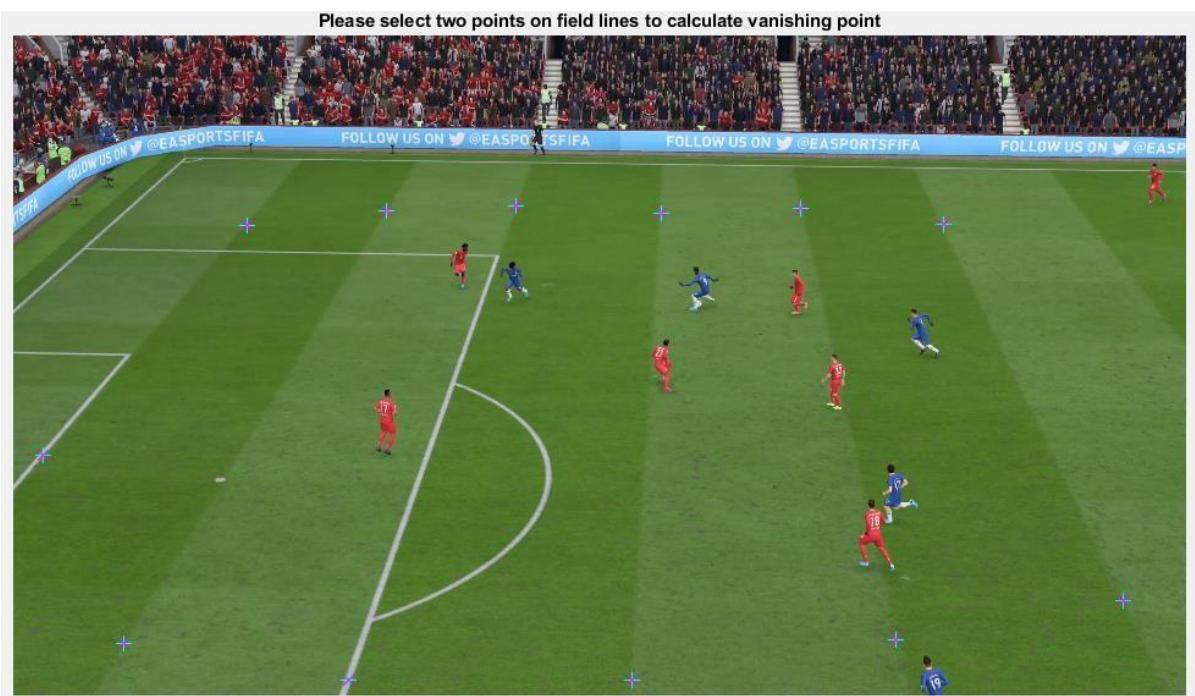


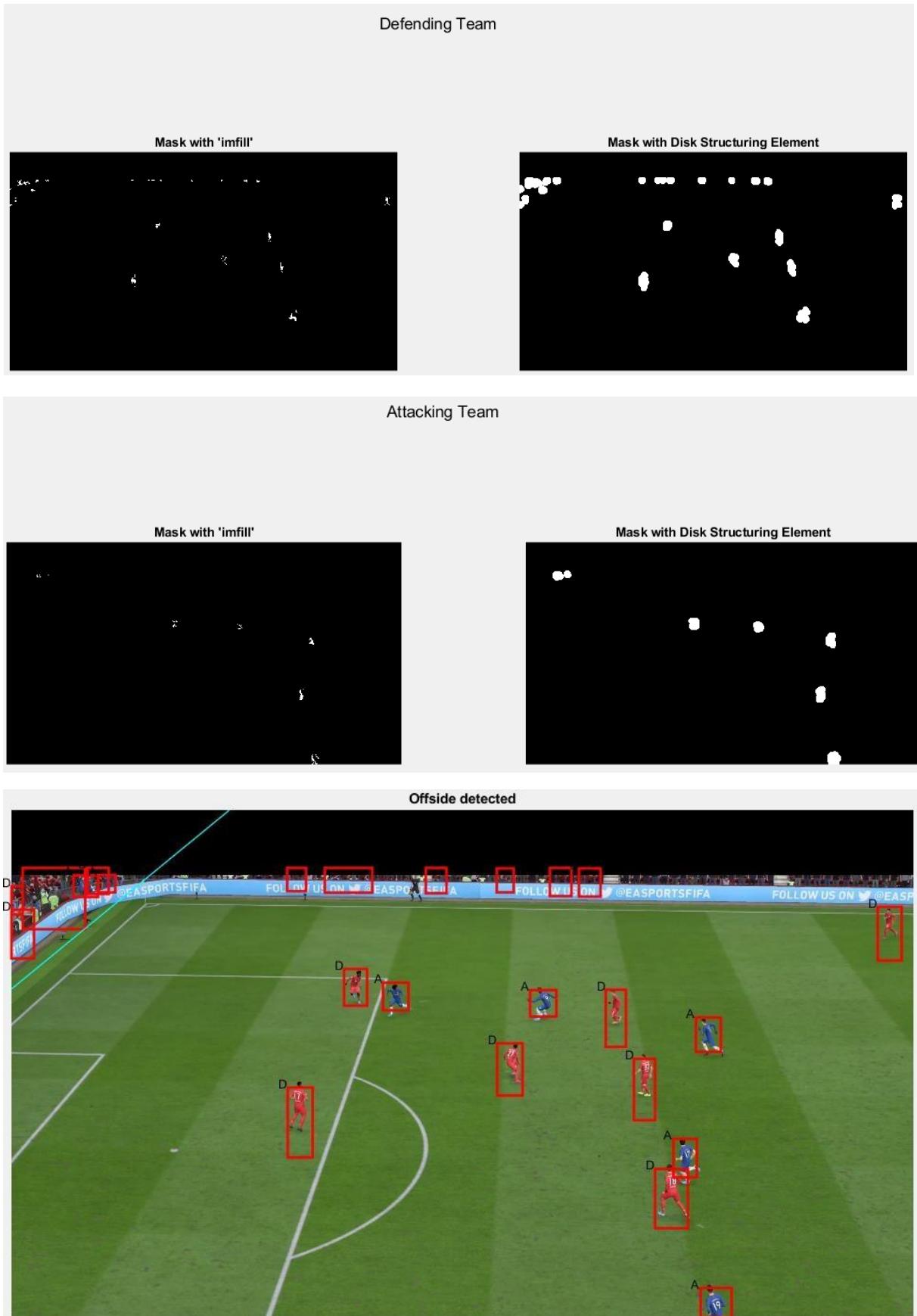
Mask with Disk Structuring Element





(Figure 16: Test 16 Correct, but a bit problematic player detection)



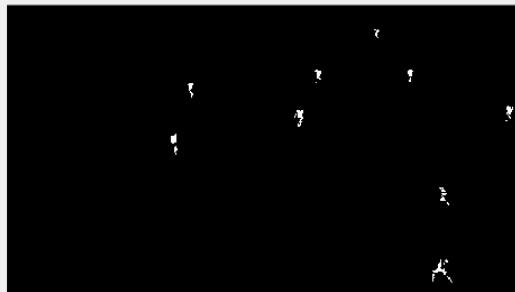


(Figure 17: Test 17 Failed, due to tribune behind the goal)

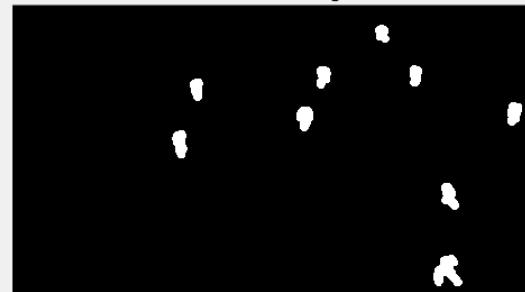


Defending Team

Mask with 'imfill'

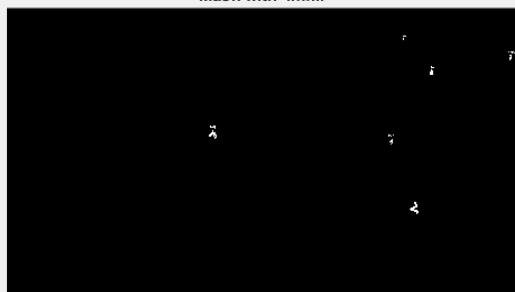


Mask with Disk Structuring Element



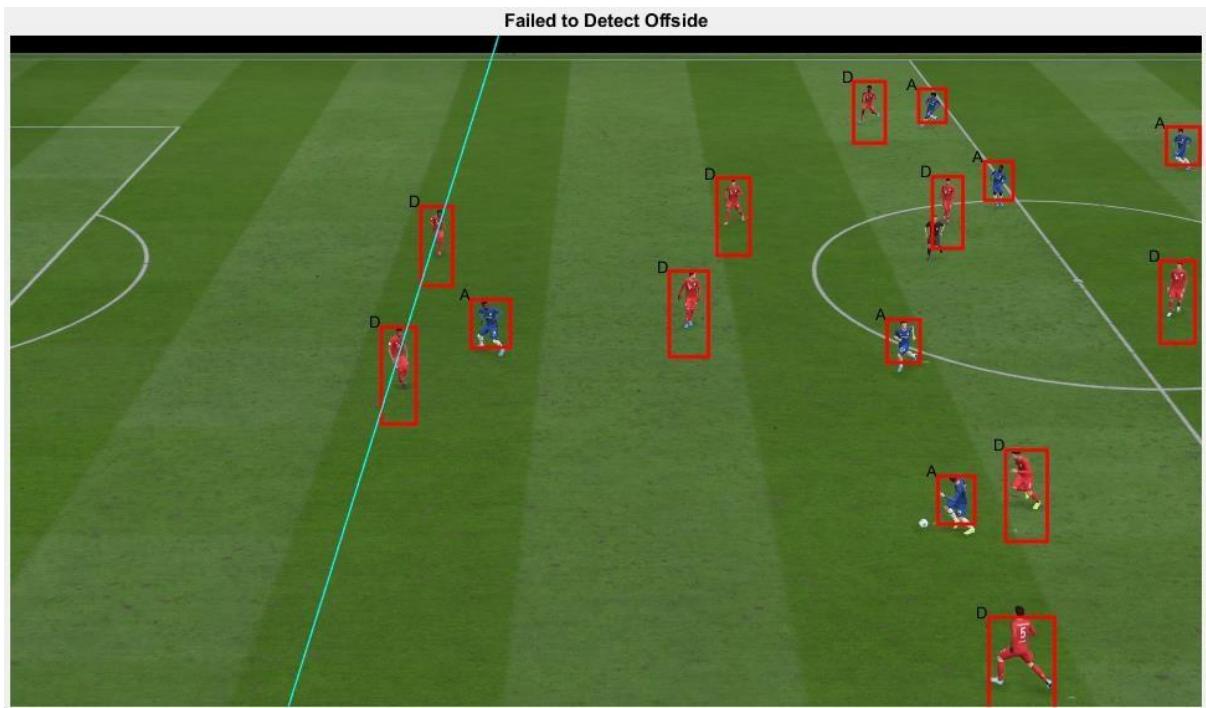
Attacking Team

Mask with 'imfill'

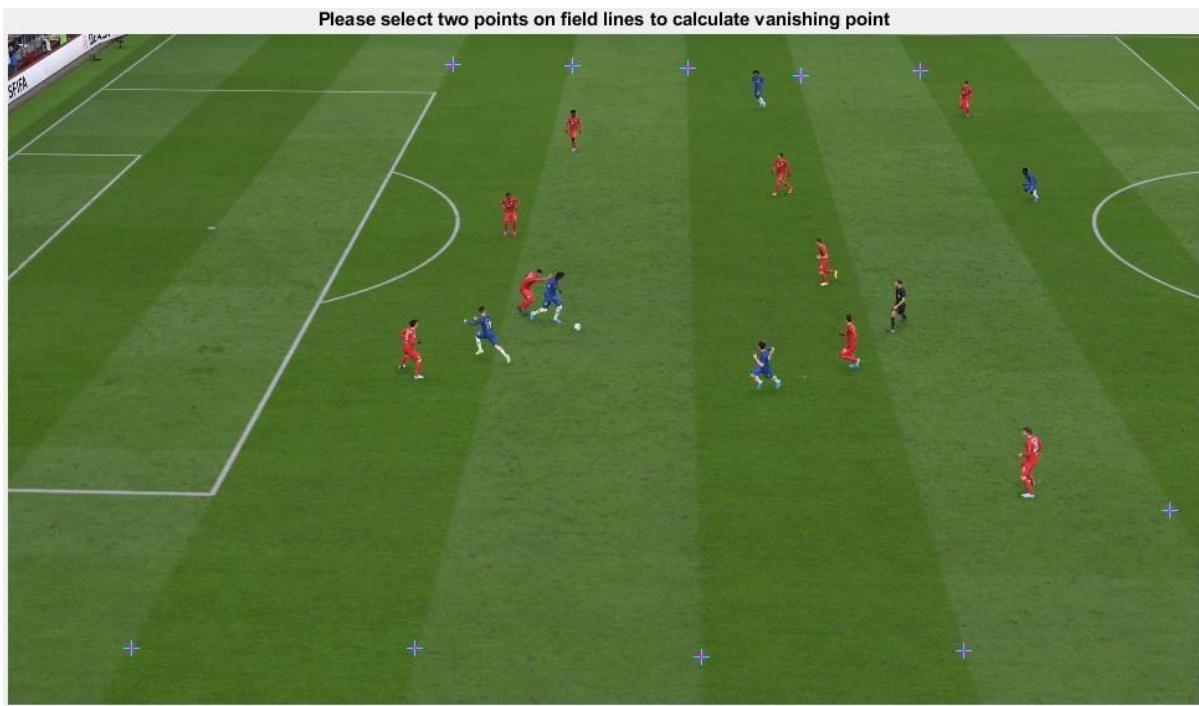


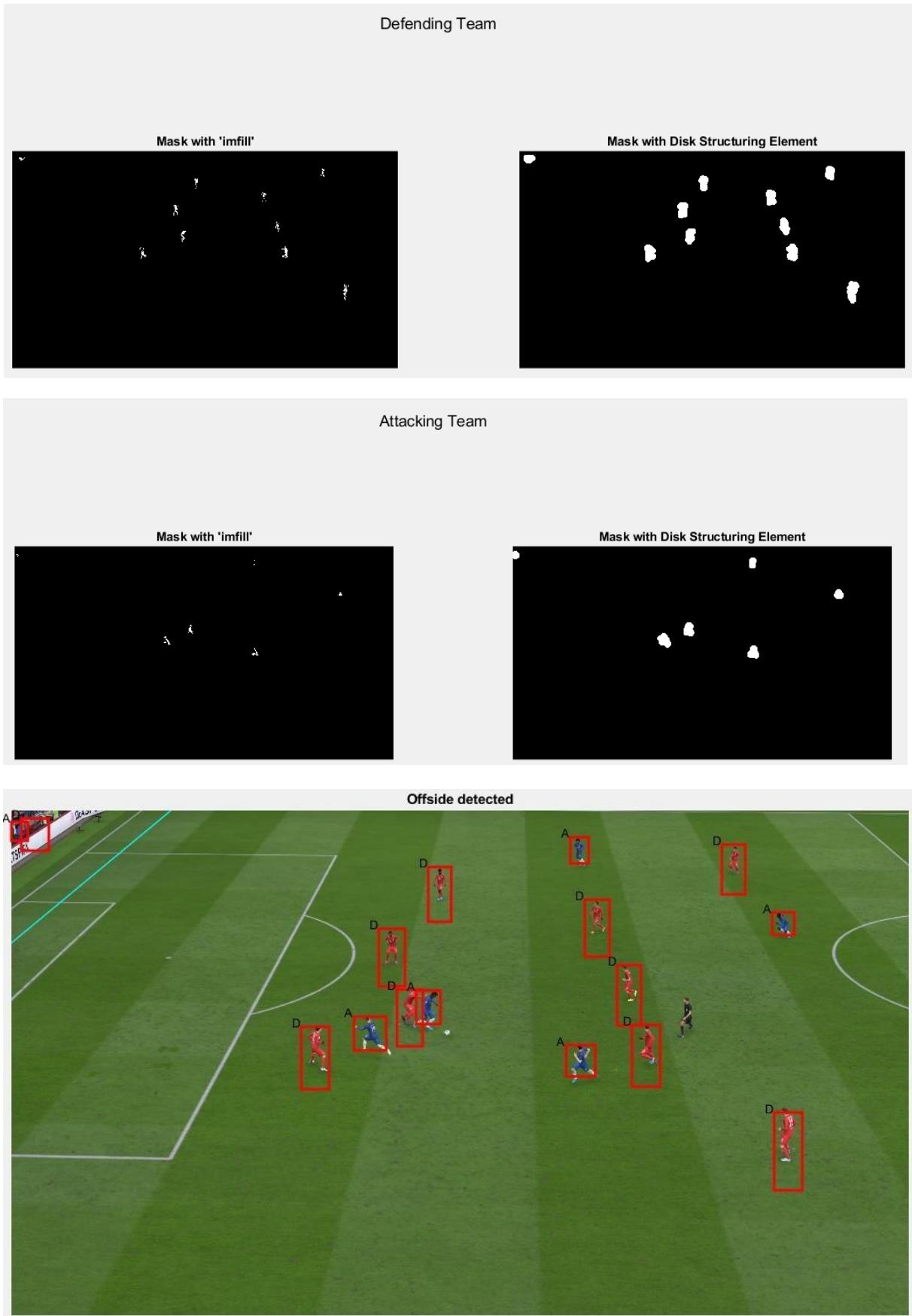
Mask with Disk Structuring Element





(Figure 18: Test 18 Correct)



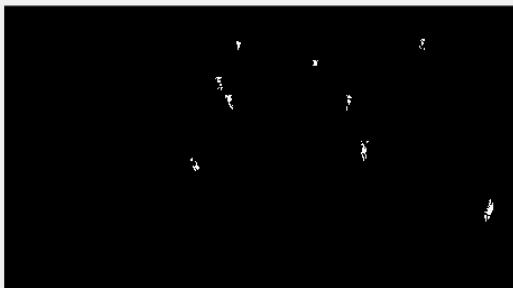


(Figure 19: Test 19 Failed, non-player objects must be discarded)

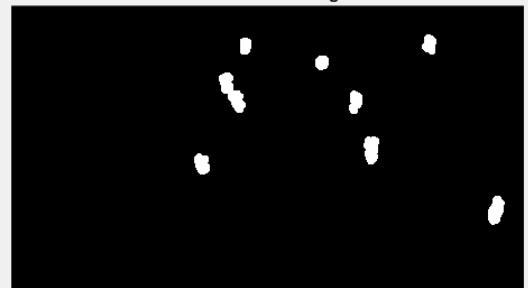


Defending Team

Mask with 'imfill'

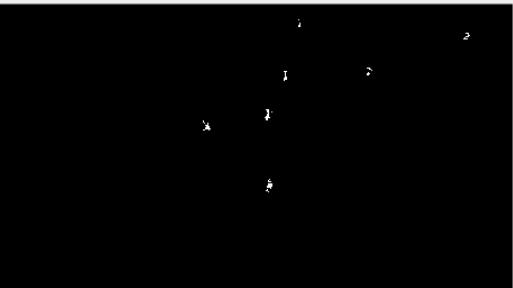


Mask with Disk Structuring Element

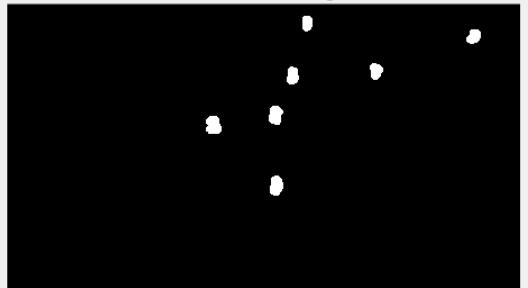


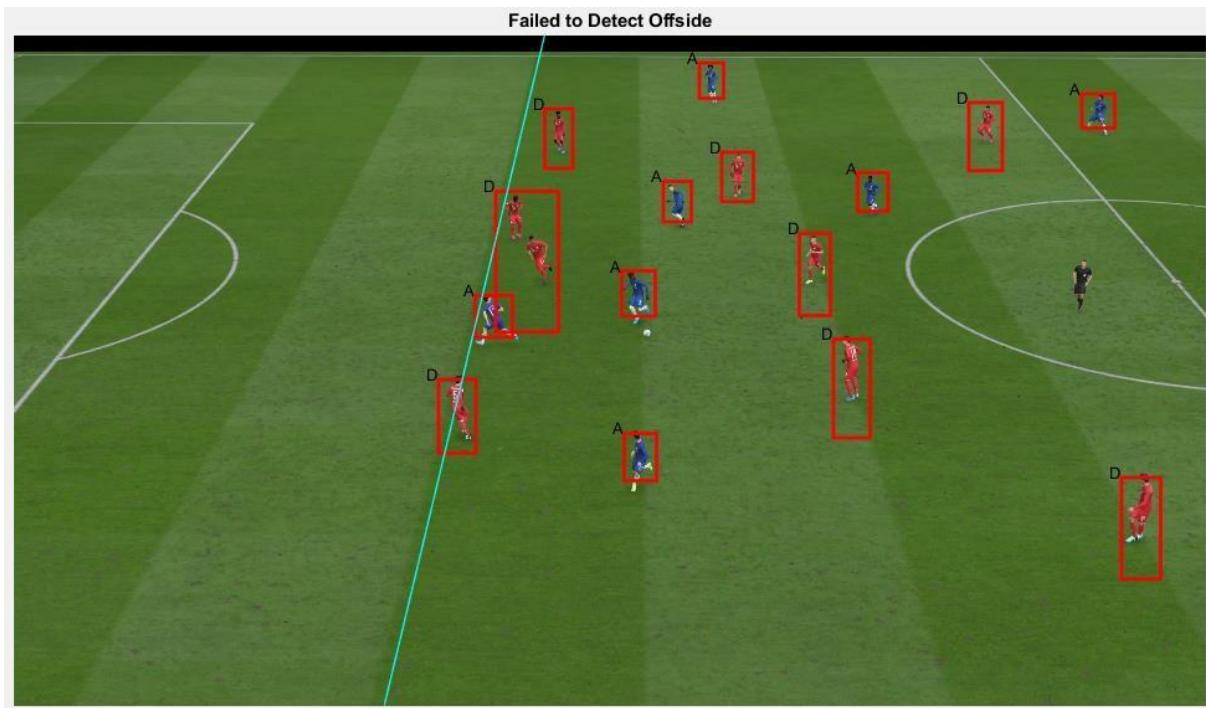
Attacking Team

Mask with 'imfill'



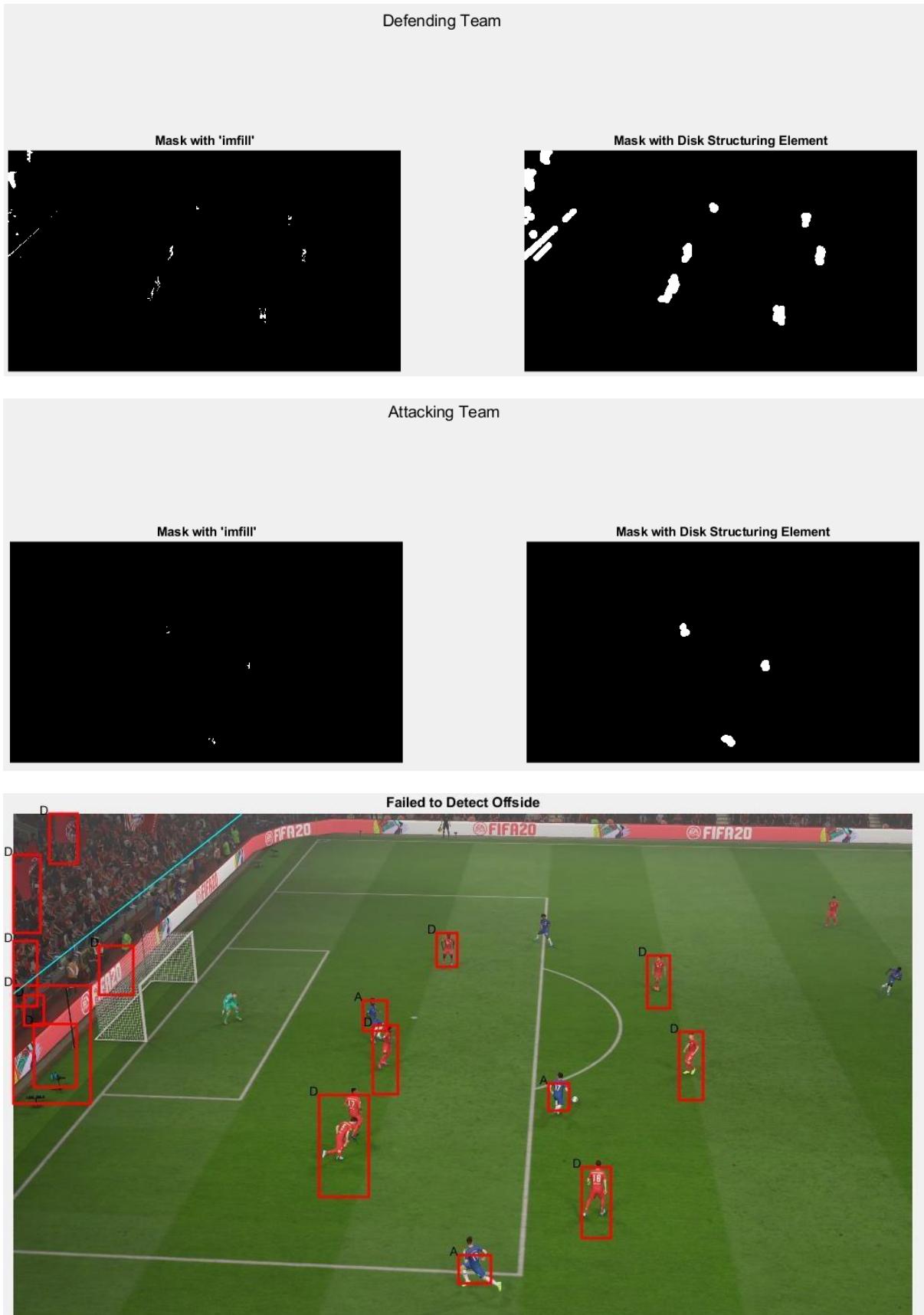
Mask with Disk Structuring Element



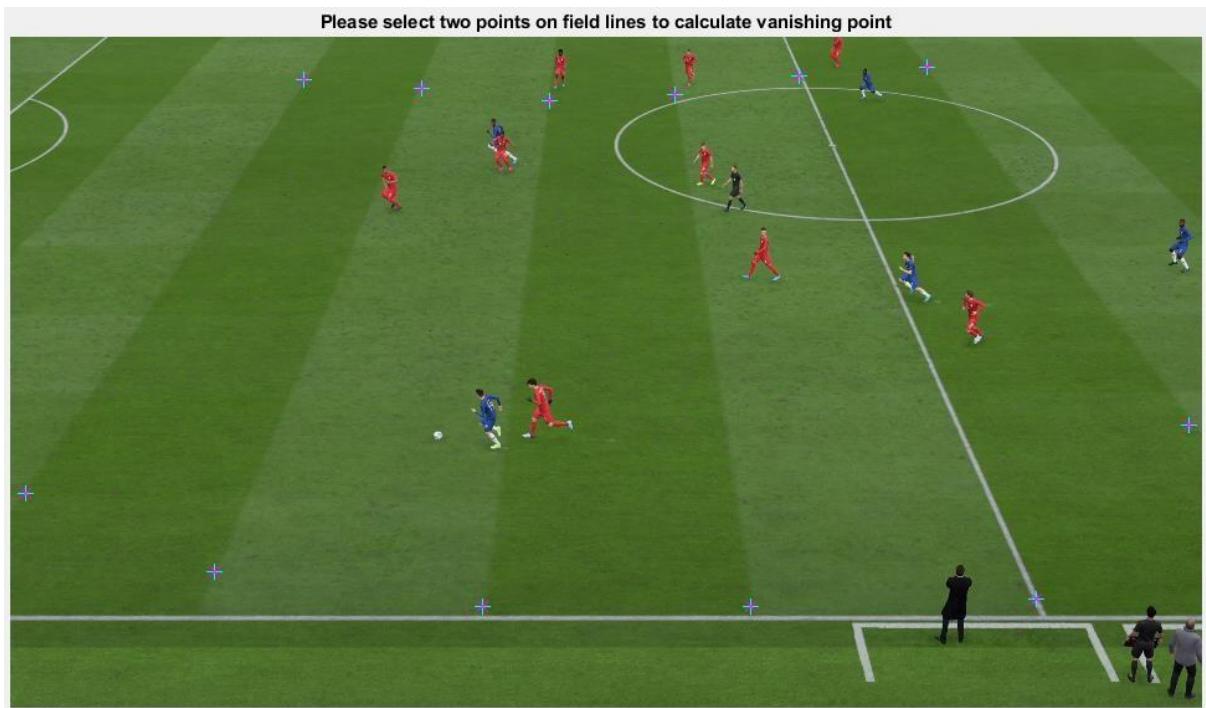


(Figure 20: Test 20 Correct)

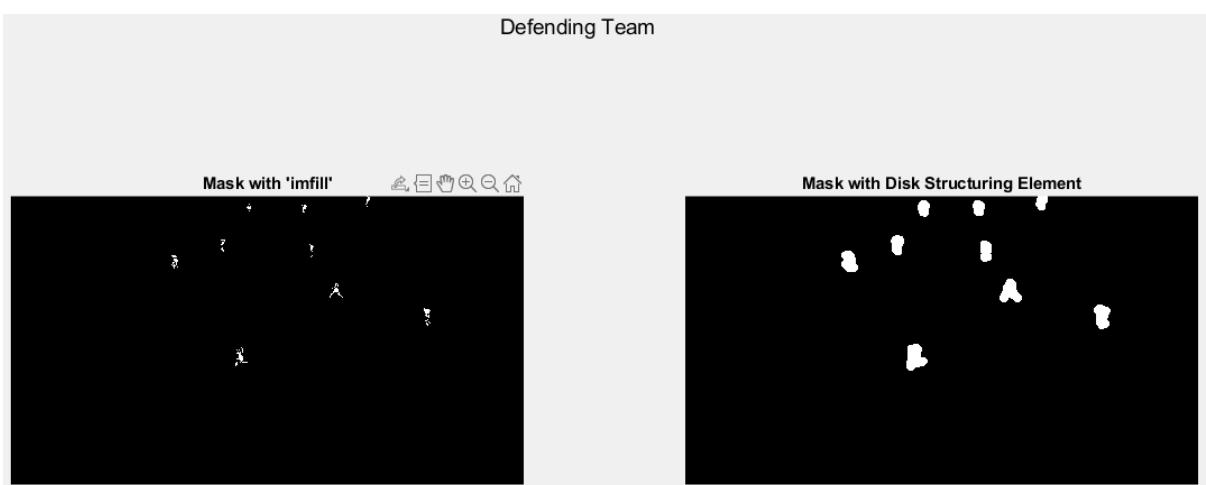




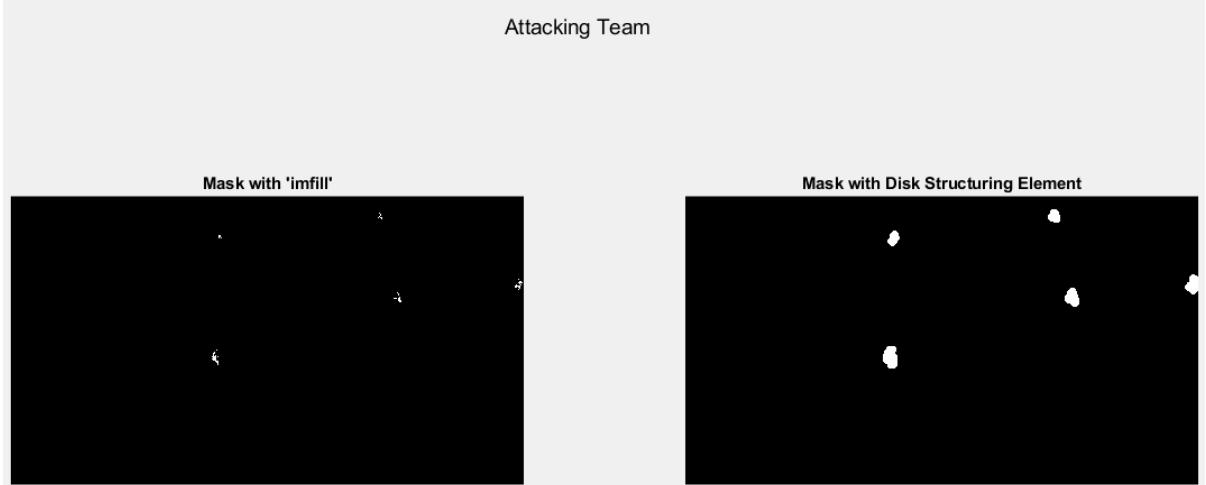
(Figure 21: Test 21 Failed, for the sake of demonstration)

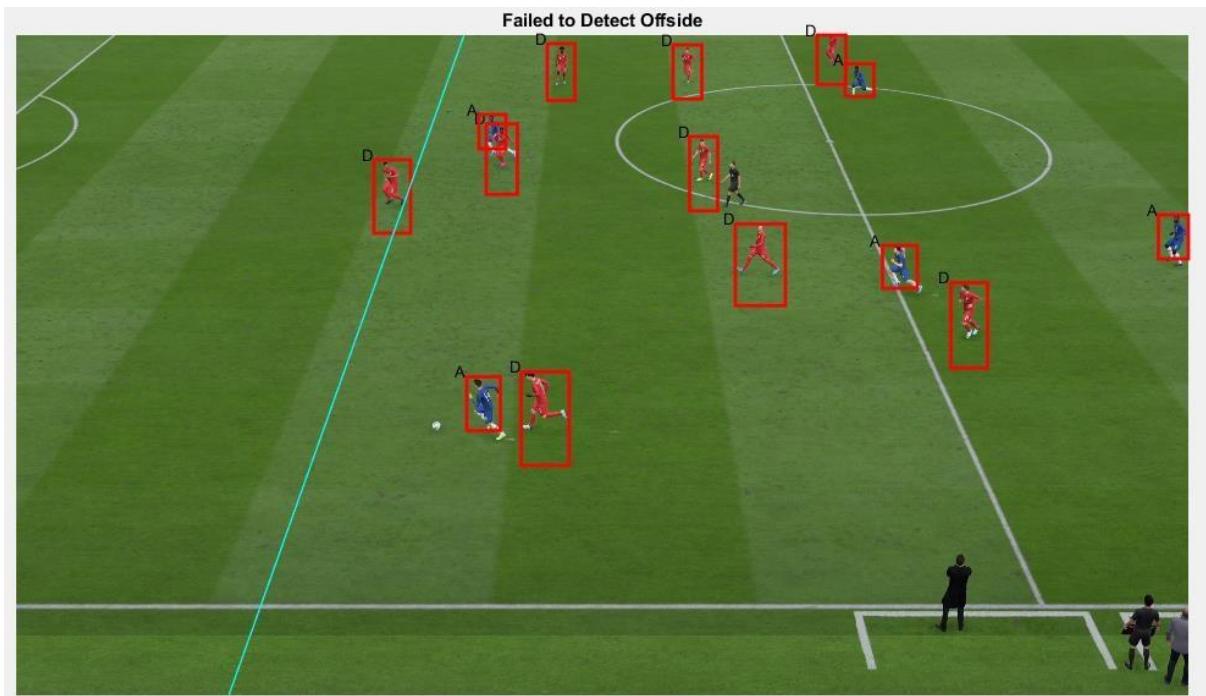


Defending Team



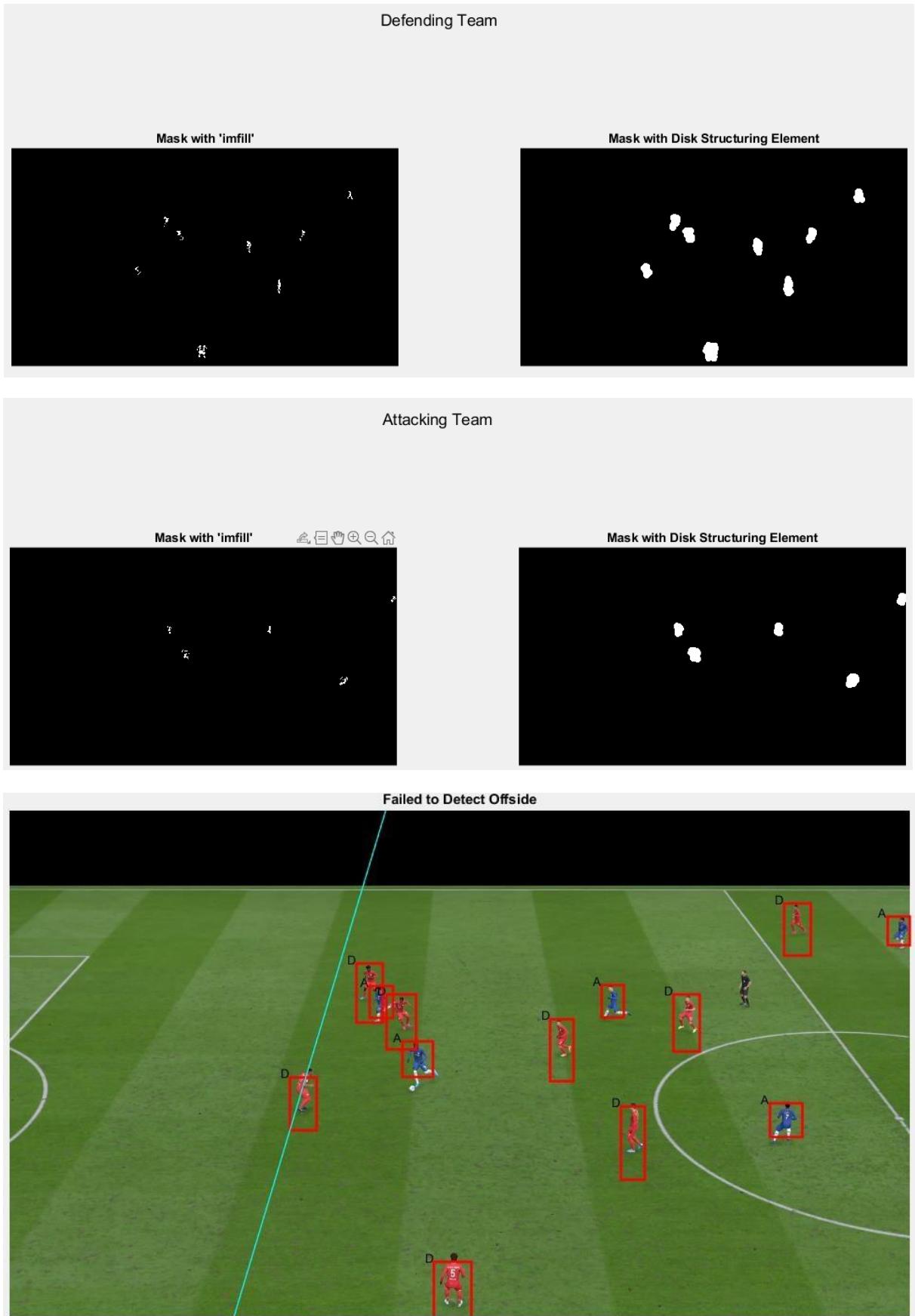
Attacking Team





(Figure 22: Test 22 Correct)





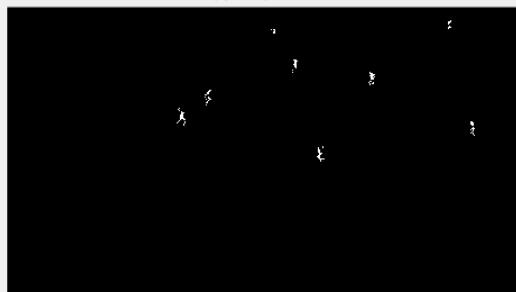
(Figure 23: Test 23 Correct, importance of clipping the tribune)

Please select two points on field lines to calculate vanishing point

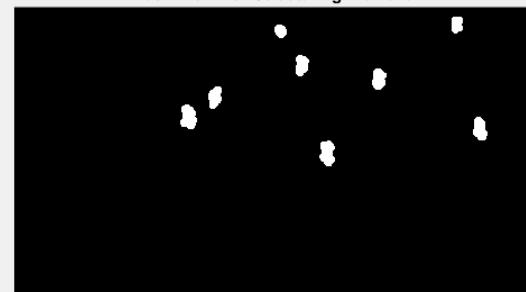


Defending Team

Mask with 'imfill'

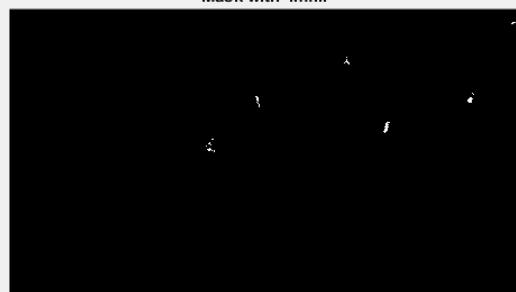


Mask with Disk Structuring Element



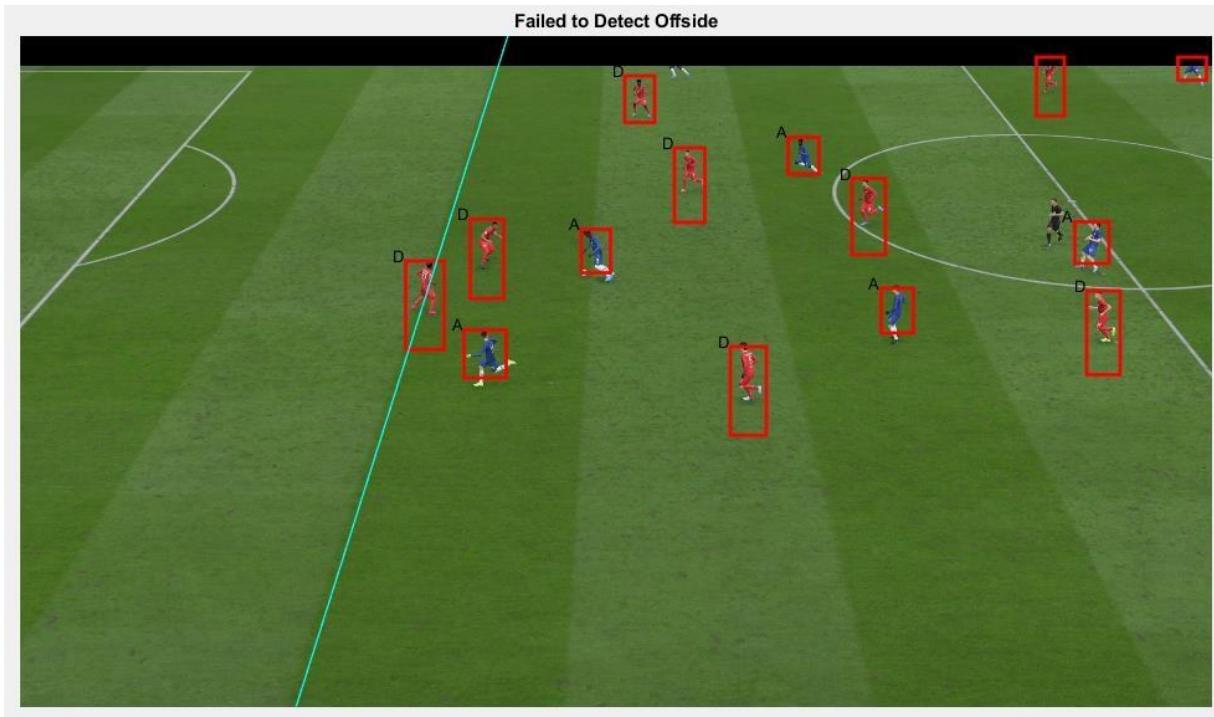
Attacking Team

Mask with 'imfill'



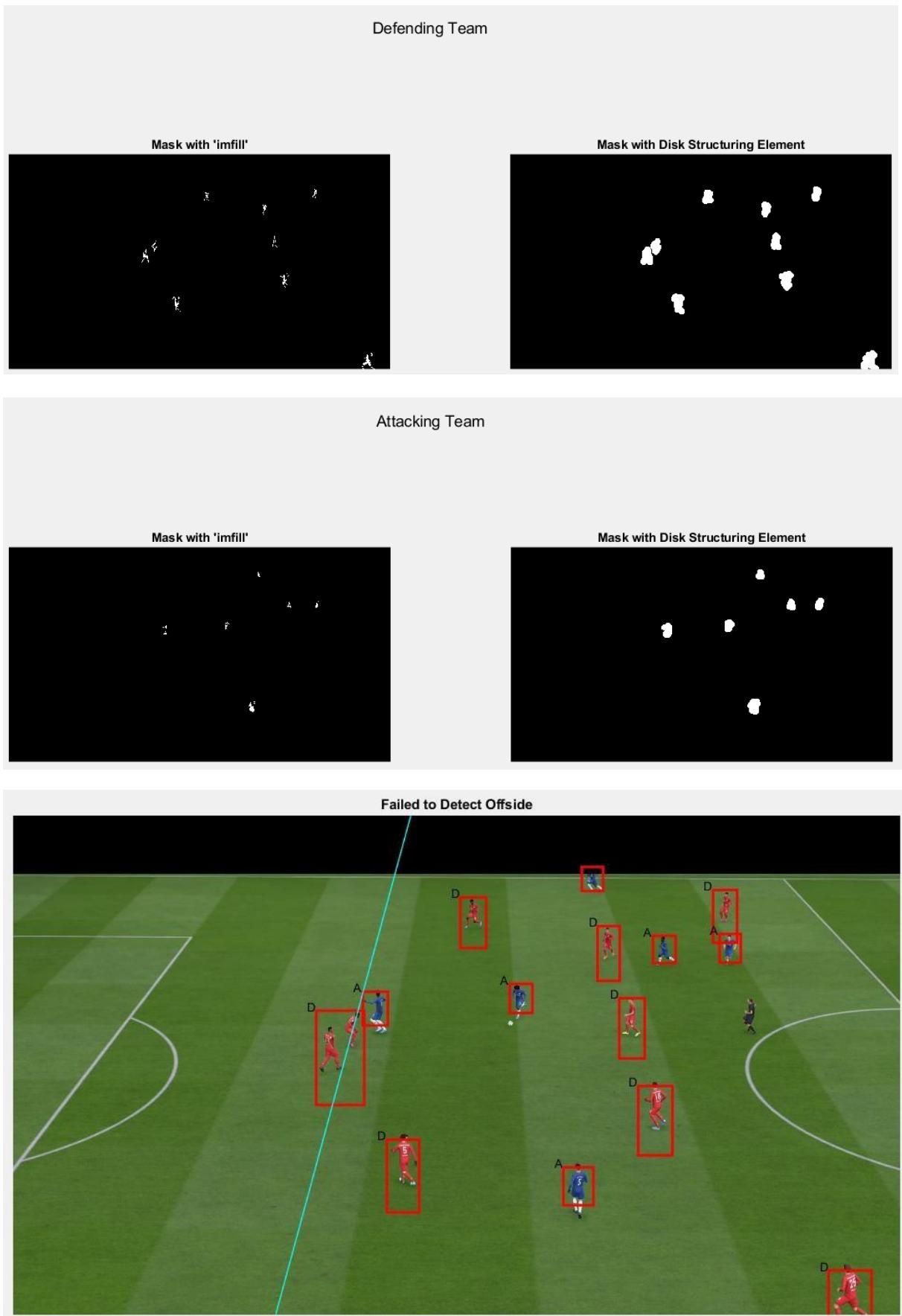
Mask with Disk Structuring Element





(Figure 24: Test 24 Correct)

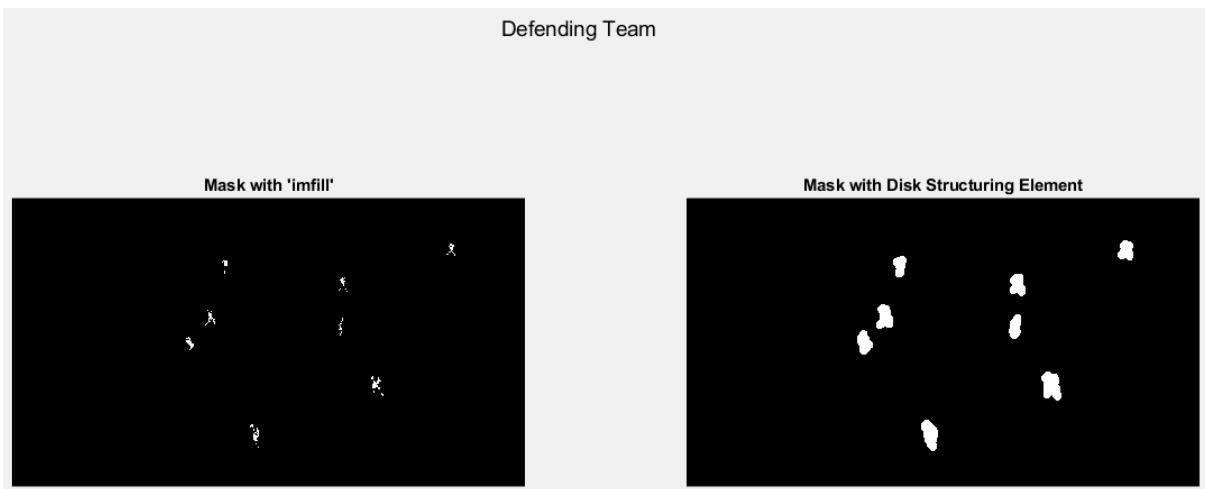




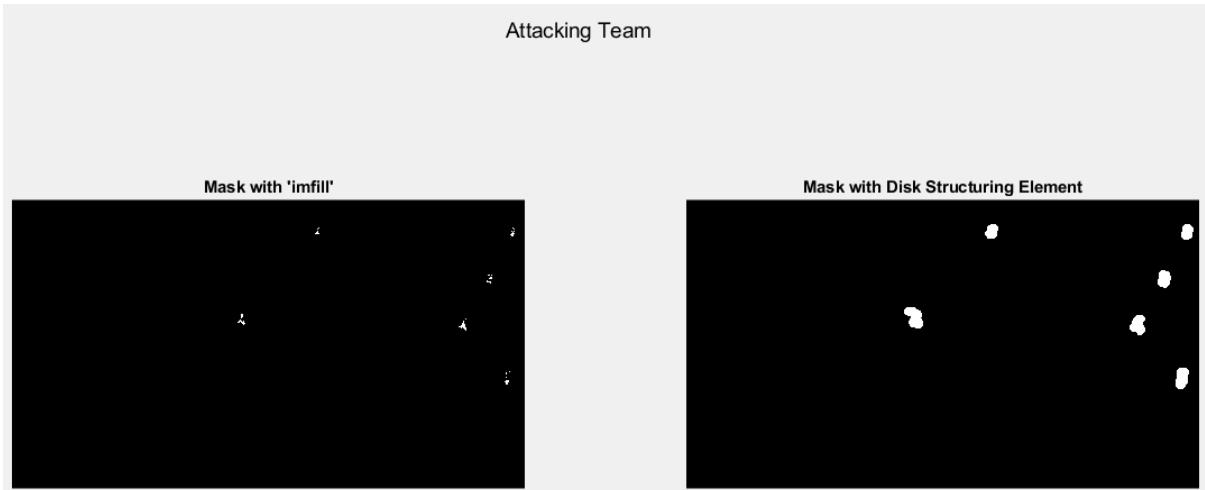
(Figure 25: Test 25 Correct)

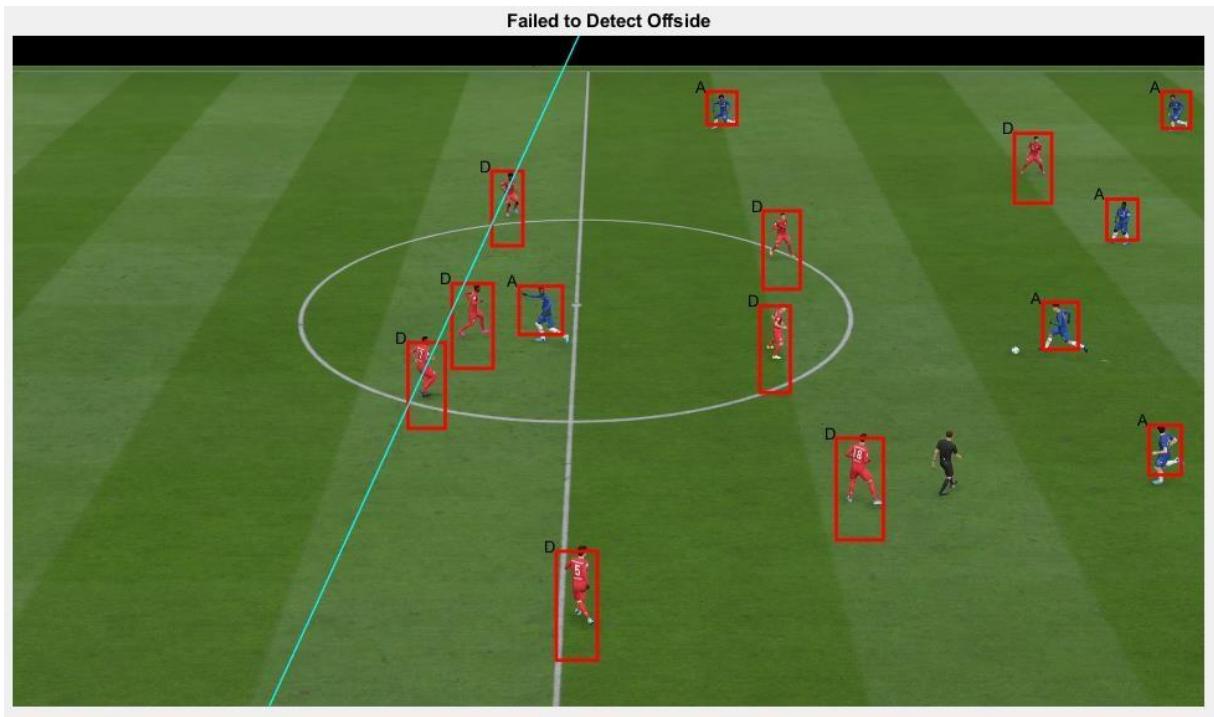


Defending Team



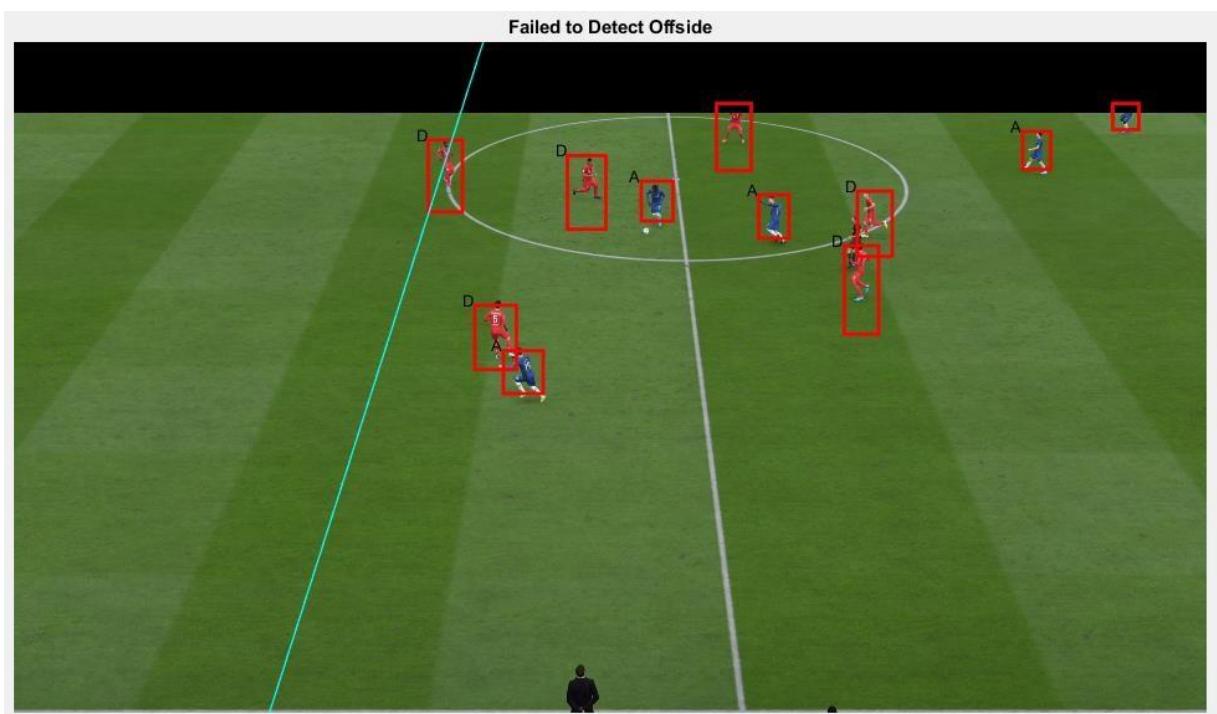
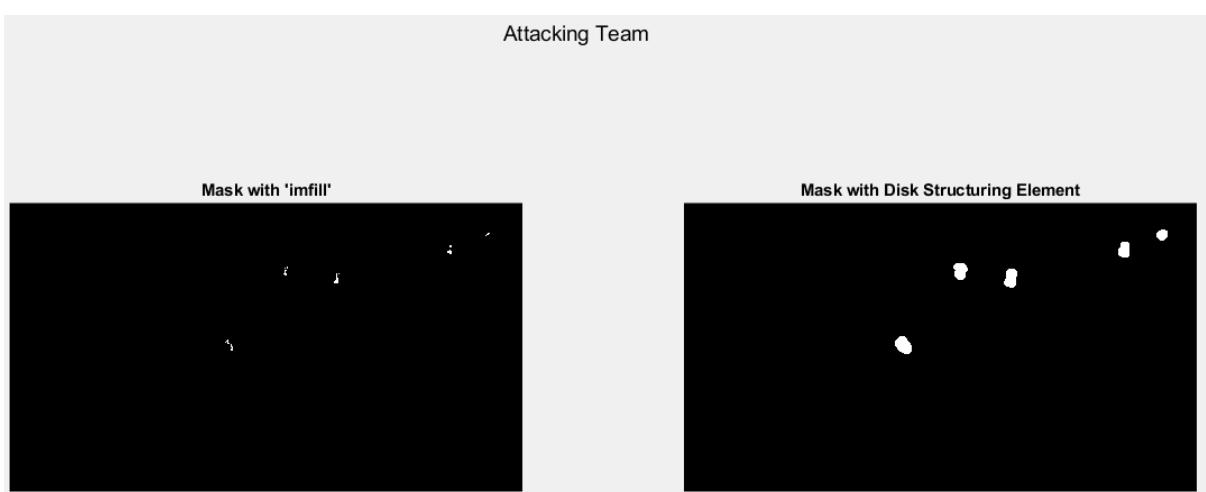
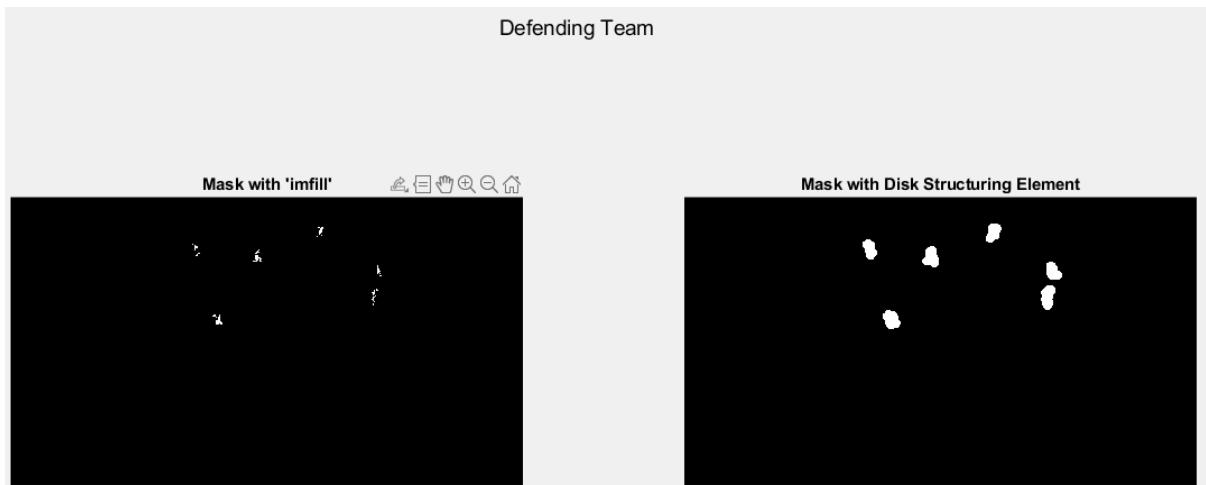
Attacking Team





(Figure 26: Test 26 Correct, but effect of choosing too many field lines)

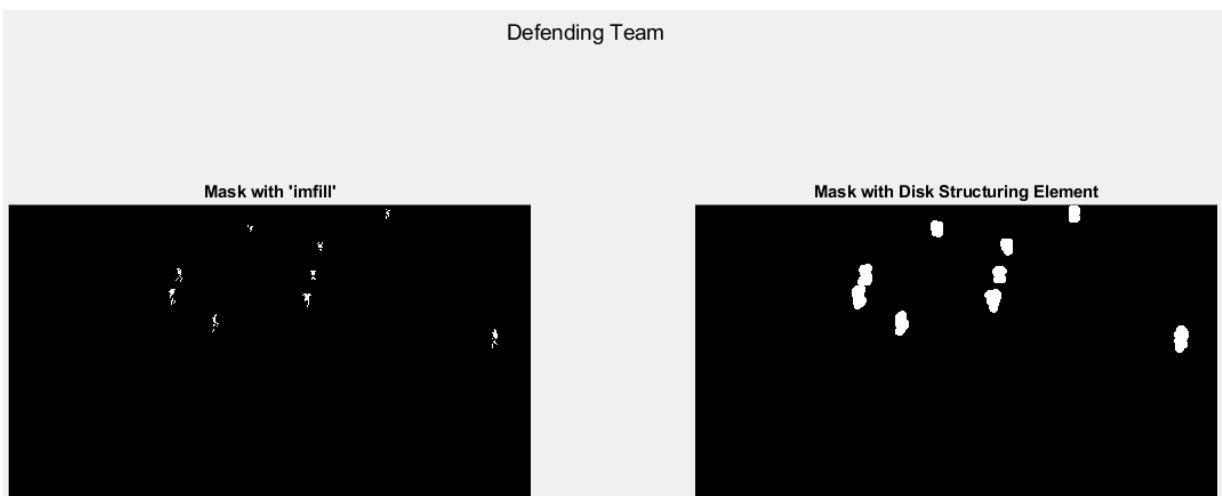




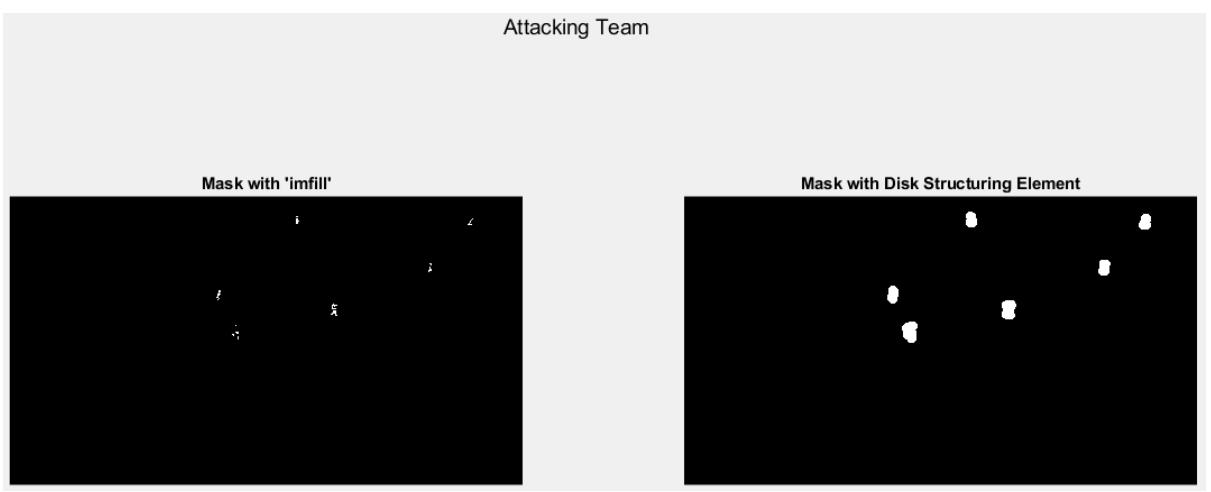
(Figure 27: Test 27 Correct)

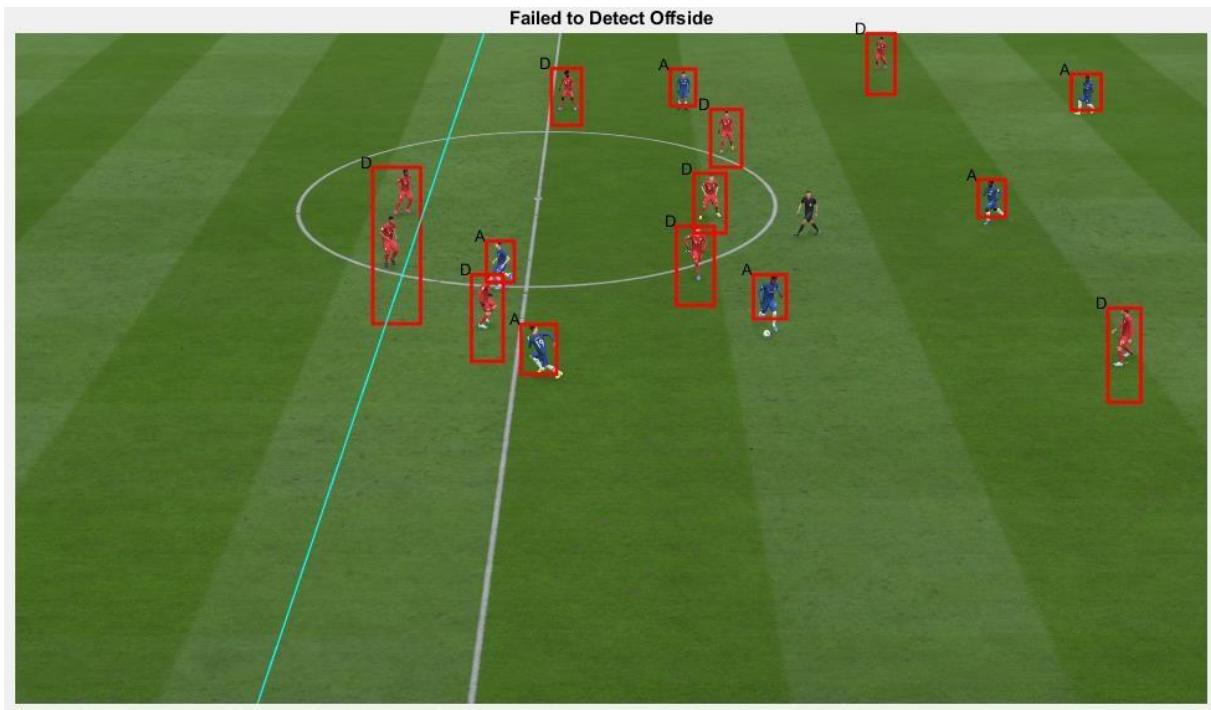


Defending Team



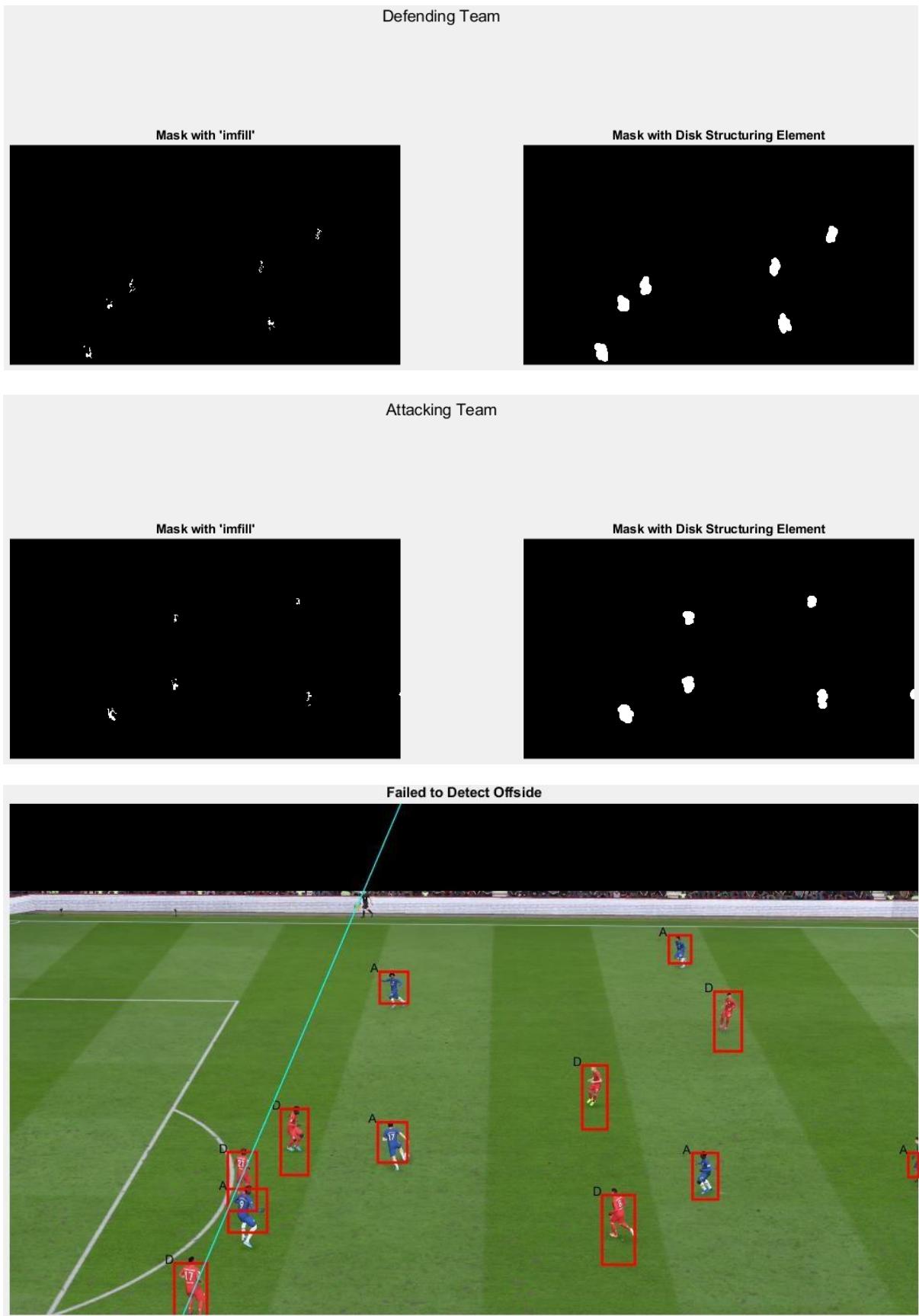
Attacking Team





(Figure 28: Test 28 Correct)





(Figure 29: Test 29 Correct)



Defending Team

Mask with 'imfill'

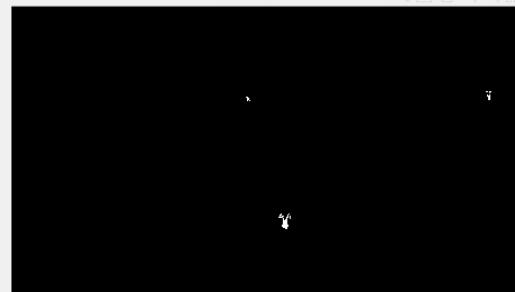


Mask with Disk Structuring Element

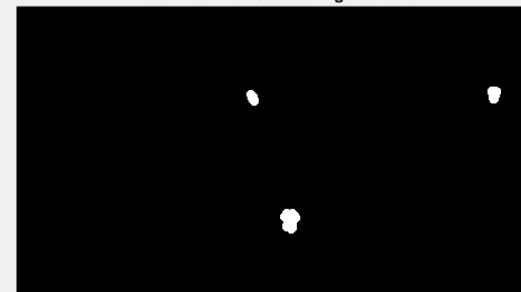


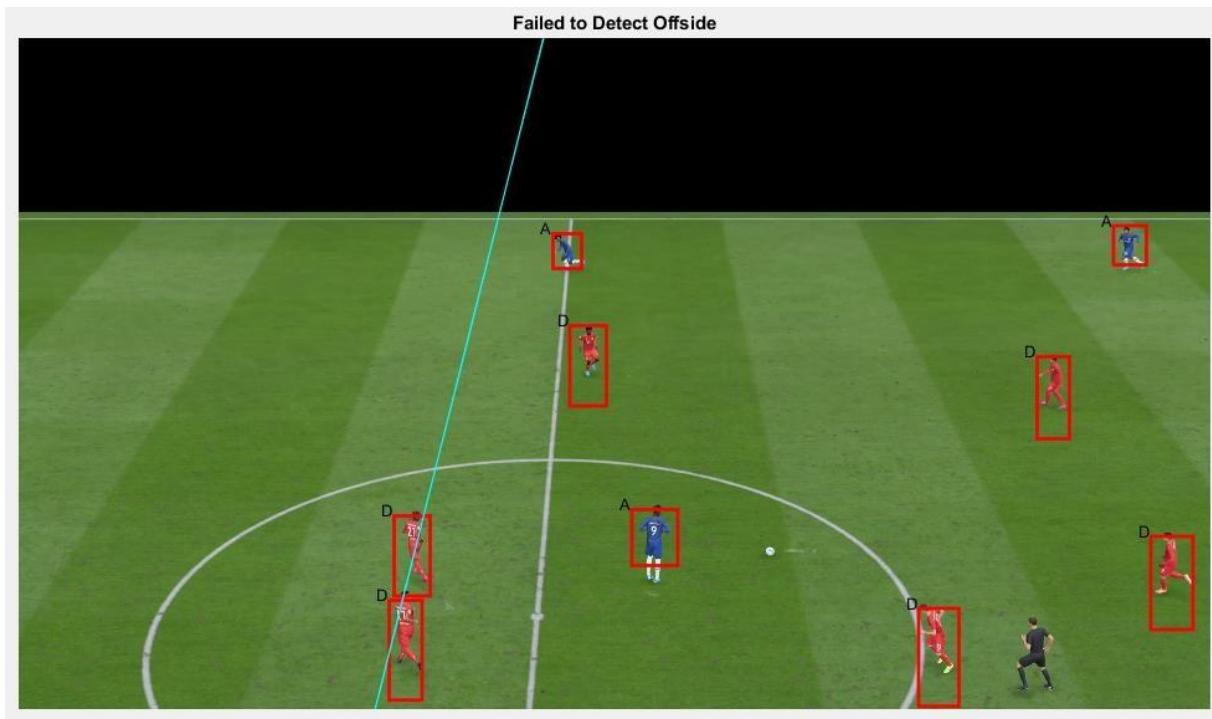
Attacking Team

Mask with 'imfill'



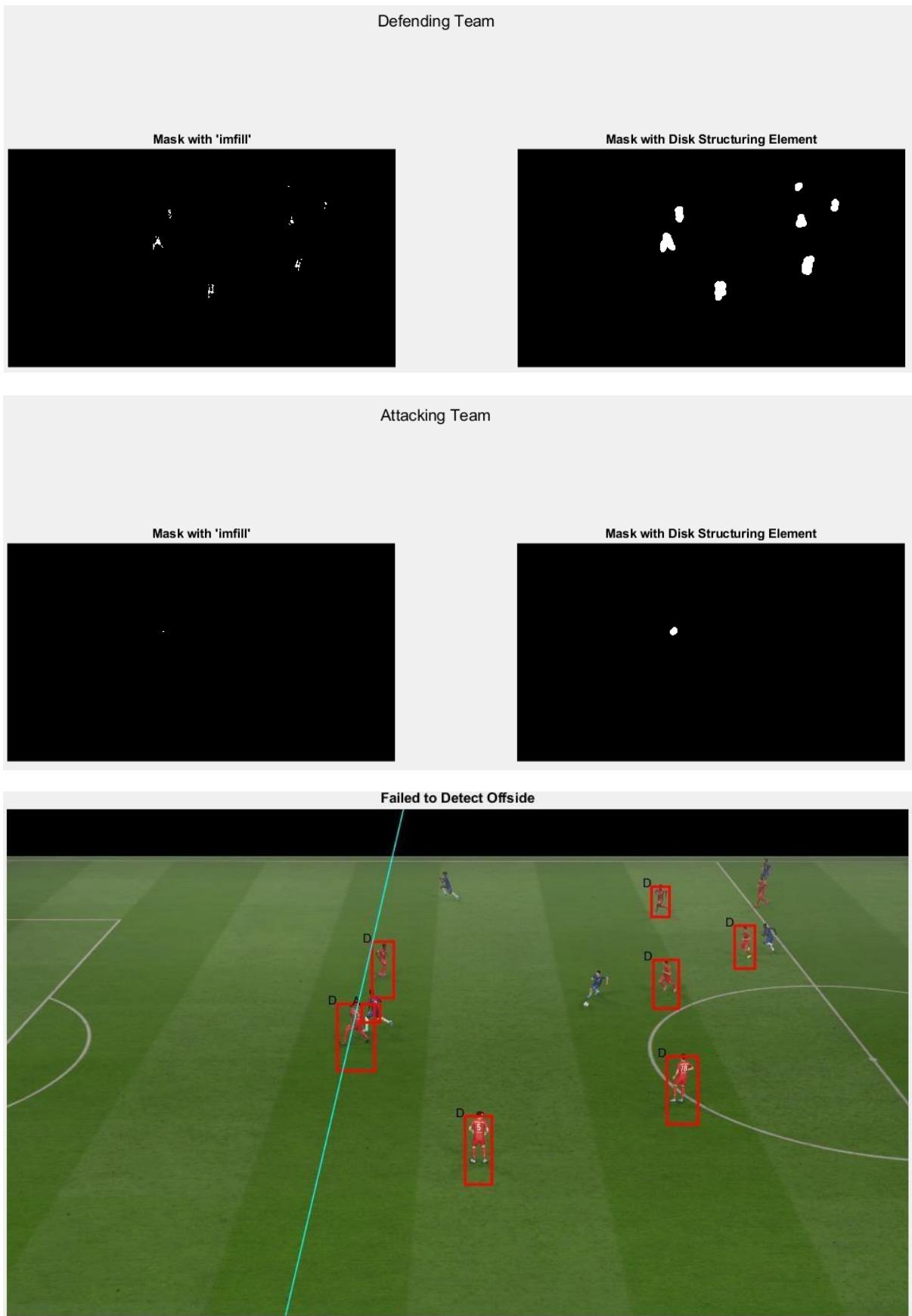
Mask with Disk Structuring Element





(Figure 30: Test 30 Correct)



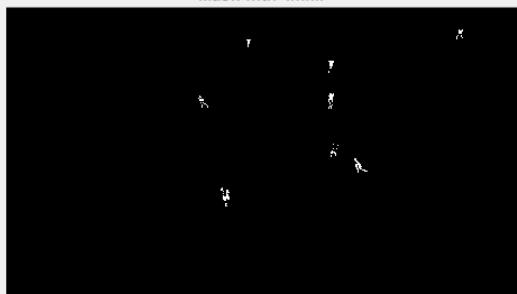


(Figure 31: Test 31 Correct)



Defending Team

Mask with 'imfill'



Mask with Disk Structuring Element

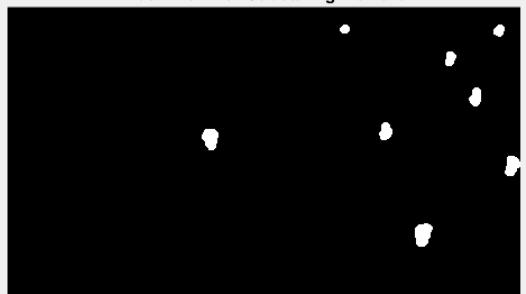


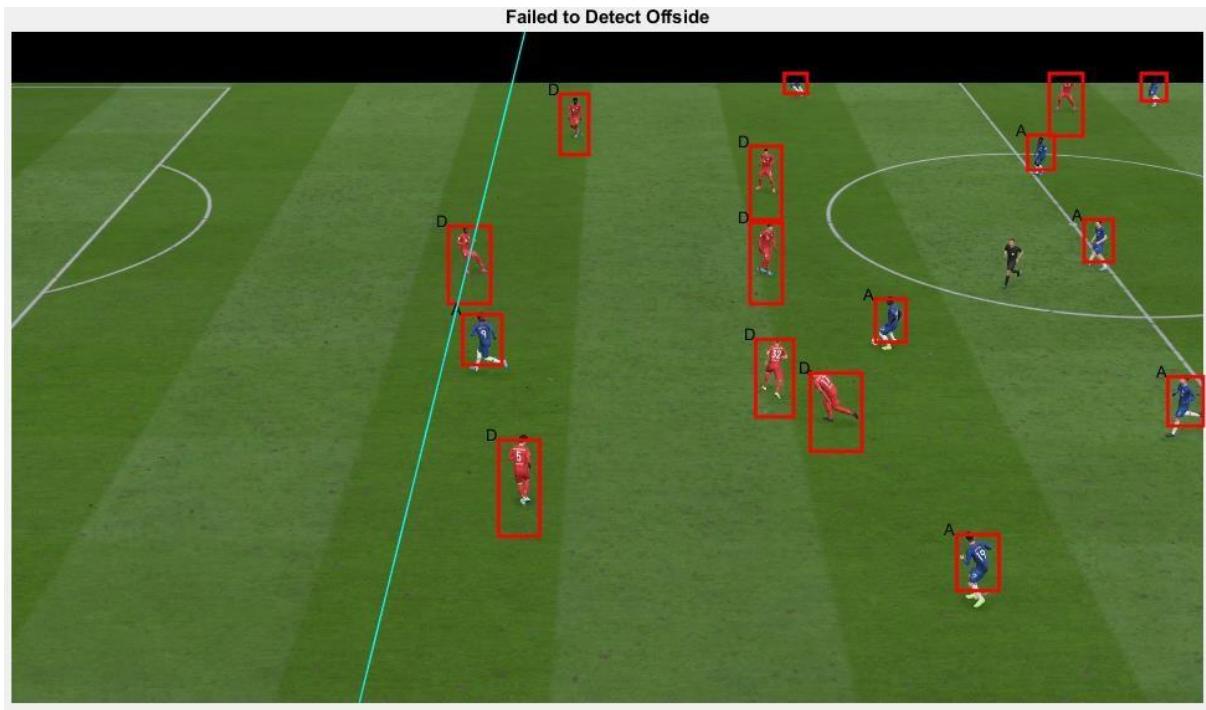
Attacking Team

Mask with 'imfill'



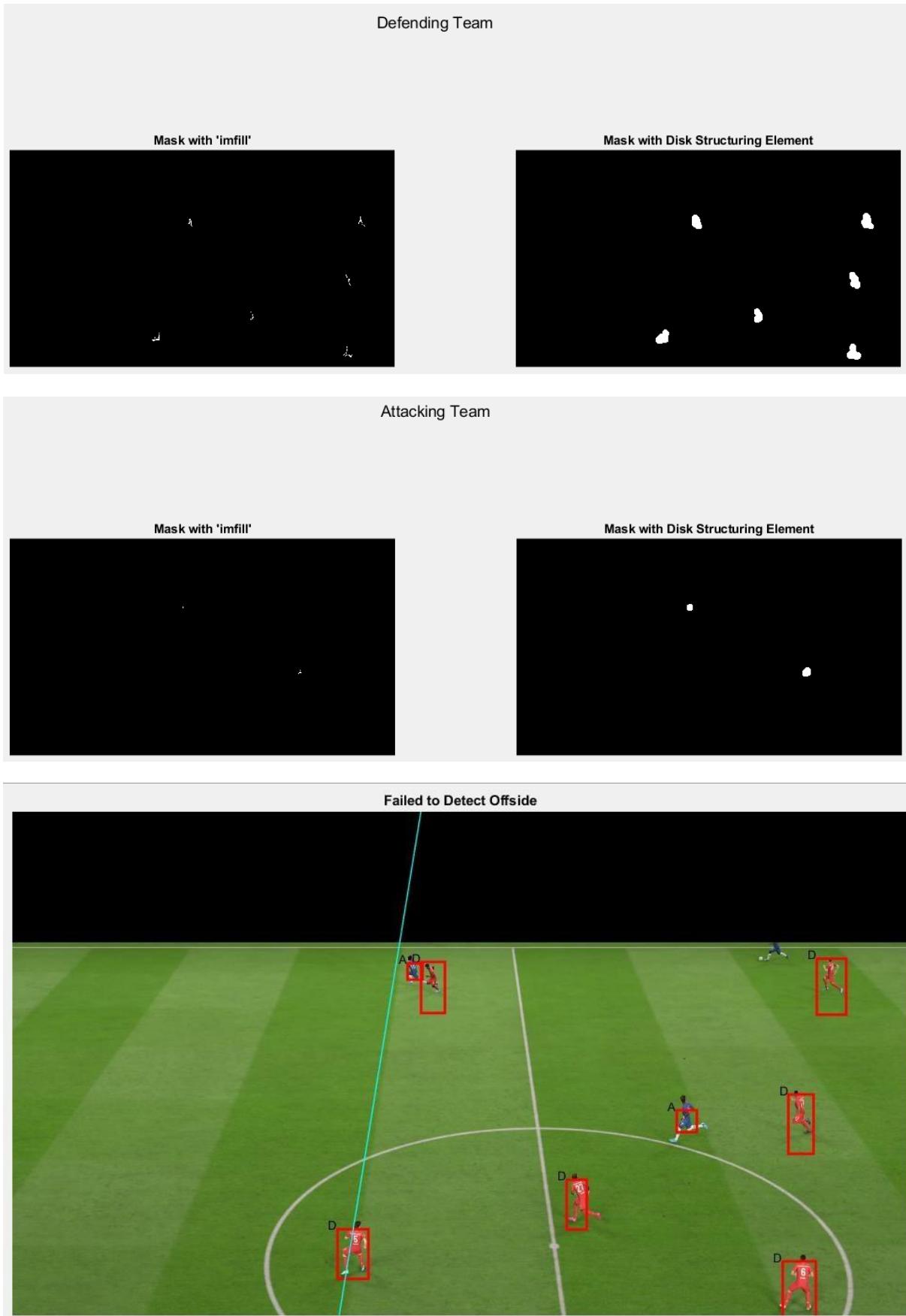
Mask with Disk Structuring Element





(Figure 32: Test 32 Correct)





(Figure 33: Test 33 Correct)

Discussion

In total, there are thirty-three different football positions shot from different angles to test our designed offside detection algorithm and analyze the effect of the number of selected points for vanishing point, the tribune, the number of the players in the field. Also, each position is considered as if the ball is coming out the foot right now. The results are organized in such a way that there are outputs of same position image from point selection part, color segmentation steps and detection with offside line, respectively for each position.

The number of selected points becomes very critical while the decision of the corresponding position cannot be finalized obviously. In other words, it really influences the course of the decision when two opposite players are very close each other around the offside line. The small shifts may result in a wrong offside decision. Therefore, it is important to increase the number of selected points as much as possible and as accurate as possible. However, it is also necessary to be careful not to pick the points very close to the edges of the image where the lines may increase the margin of error in vanishing point reconstruction as seen in Figure 26. The tribune affects the directly result of the decision by deflecting the offside line and doing misdetection the players. In this regard, we have developed a method based on Hough Transform to reduce its negative effects on our decisions. Thus, this method managed to eliminate this negative effect in 16 out 20 positions, working with 80% accuracy. While the method is completely failed in Figure 12, 17 and 21, we see that the method lacks discarding the tribune behind the goal in Figure 17, 19 and 21. On the other hand, it is difficult to say clear statement about the direct or indirect effect of the number of the players in the field on the result. Because, the algorithm works well or does not work correctly regardless of the number of the players in the field.

Tests on Figure 3 and Figure 9 show the importance of masking both with “imfill” and “disk”. Initially, Imfill identifies the attacking team players and defending team players. Then, disk structuring element emphasizes the locations of corresponding player locations by magnifying the detected areas with white ‘disks’. Figure 12 and Figure 17 show the importance and necessity of shadowing tribune areas, in order to prohibit incorrect detection of non-player objects as players. All the tests, where tribunes are discarded from the player detection phase, gave correct outputs. Figure 21 shows the importance of discarding non-player objects from the scene to have tangible results. In this test case, red flags and advertisement panels are classified as a defense player which leads an incorrect placement of the offside line. Actually, according to the rulebook, all the defense players behind the goalkeeper are not considered into account for the decision. This edge case is not covered in our scope, and in all our cases, it is assumed that there is not any defense player behind the goalkeeper. In Figure 26, all visible field lines are chosen in order to calculate the vanishing point. Intuitively, this selection seemed to lead the most accurate vanishing point to draw an offside line; however, it turns out that abusing the selection

of field lines may deteriorate the drawing of offside line. In Figure 26, the resultant offside line is not correct, even though the algorithm did not decide an offside in this position. The offside line should be parallel to the field lines, with respect to the perspective projection of the camera.

Accuracy	# of positions for defensive player	# of positions for attacking player
$acc = \%100$	19	15
$\%100 < acc \leq \%80$	7	1
$\%80 < acc \leq \%60$	3	4
$\%60 < acc \leq \%40$	0	7
$\%40 < acc$	0	2

Table 1: It shows how detection of the players works well using color segmentation based on the positions except the cases resulted in wrong decision due to the tribune.

Based on all football position displayed in the Result section, our offside detection algorithm works with 81.81% accuracy. The reason for two of the wrong decisions is the failure of the detection of an attacking player while the reason for four of the wrong decisions is the failure of the eliminate of the tribune deceptive effect on the algorithm. On the other hand, Table-1 shows that the number of the positions where the identification of defensive players results in high odds makes up most of the cases. One of the reasons that we can observe in the results section is that two defensive players are perceived as a single defensive player due to the mixing with each other during the preprocessing stage. Although the number of the positions where the identification of defensive players results in high odds is not as much as the positions for defensive player, their numbers are also pretty enough. According to the table, there are 9 positions with having less than 60% detection accuracy although the total number of positions resulted in wrong decision are 2. It demonstrates that undetectable players are those who are far from the main issue, that is, the office line, in many cases. It is a good inference since our main problem is to detect whether the position is offside or not.

The proposed technique only solves the offside problem for one attacking direction. It may easily be extended to a technique for both attacking direction. On the other hand, elimination of the effect of the tribune behind the goalpost can be studied on; or the human pose estimation can be studied to get rid of our assumption of projecting the human body to a fixed point on the bounding boxes for offside line and come up with a more serious solution as a future work.

Appendix

A) Implementation of Offside Detection Algorithm

```
offside_detection.m  × +
```

```
1 % Initialization
2 clear
3 close all
4 clc
5
6 %% Read Video
7 obj = VideoReader('35.mp4'); % create video object
8 start_frame = 1;           % start frame
9 offside_frame = 3;         % frame at which the pass is made
10
11 for frame_index = 1:4    % parsing through video frames
12     if(exist('img'))
13         prev_img = img;
14     end
15     img = readFrame(obj);
16
17 if(frame_index < start_frame)
18     continue
19 end
20
21 %% Getting Vanishing Point lines
22 % Requesting parallel vanishing lines input from user
23 if (frame_index == start_frame)
24     imshow(img)
25     title("Please select two points on field lines to calculate vanishing point");
26     [x,y] = getpts;
27     points = [x,y];
28     close all
29     %tStart = cputime;
30
31     % Calculating Slope
32     m = zeros(size(points,1)/2,1);          % slope matrix
33     c = zeros(size(points,1)/2,1);          % intercept matrix
34
35     vp = zeros(2,1);                      % vanishing point matrix
36     for j = 1:2:size(points,1)
37         m(k) = (points(j+1,2) - points(j,2)) / (points(j+1,1) - points(j,1));
38         c(k) = - points(j,1) * m(k) + points(j,2);
39         k = k+1;
40     end
41
42     % Calculating the Vanishing point
43     count = 0;
44     for p = 1:size(points,1)/2
45         for q = p+1:size(points,1)/2
46             count = count + 1;
47             A = [-m(p),1;-m(q),1];
48             b = [c(p);c(q)];
49             vp = vp + A\b;
50         end
51     end
52     vp = int32(vp/count);
53
54 %% Actual Detection starts (one every 20 frames).
55 BW_img = rgb2gray(img);           % Converting the image to grayscale
56 Edge_img = edge(BW_img,'sobel'); % Converting greyscale image to edge image using Sobel
57
58 %% Removing the TOP Boundary using Hough Transform
59 % Defining Hough Parameters
60 start_angle = 89;
61 end_angle = 89.99;
62 theta_resolution = 0.01;
63 % Obtaining Hough coefficients
64 [hou,theta,rho] = hough(Edge_img(1:floor(size(Edge_img,1)/2),:), 'Theta', start_angle:theta_resolution:end_angle);
65 peaks = houghpeaks(hou,2,'threshold',ceil(0.3*max(hou(:))));
66 lines = houghlines(Edge_img(1:floor(size(Edge_img,1)/2),:),theta,rho,peaks,'FillGap',5,'MinLength',7);
67 % Identifying longest horizontal lines
68 min_row = lines(1).point1(2);
69 xy_long = [lines(1).point1; lines(1).point2];
```

B) Implementation of Offside Detection Algorithm cont'd

```

70         max_len = 0;
71         sizes = size(img);
72         for k = 1:length(lines)
73             xy = [lines(k).point1; lines(k).point2];
74
75             % Determine the endpoints of the longest line segment
76             len = abs(lines(k).point1(1) - lines(k).point2(1));
77             if ( len > max_len)
78                 max_len = len;
79                 xy_long = xy;
80             end
81         end
82         if(xy_long(2,1)-xy_long(1,1) > 70)
83             % Removing top boundary pixels
84             img(1:xy_long(:,2)-10,:,:)=0;
85             BW_img(1:xy_long(:,2)-10,:,:)=0;
86             Edge_img(1:xy_long(:,2)-10,:,:)=0;
87         end
88
89     %
90
91 %% Determining the players and Team_Ids
92     img_valid = img;
93     % Define defending team colours
94     indg = find(fuzzycolor(im2double(img_valid),'red')<0.1);
95     n = size(img,1)*size(img,2);
96
97     img_team_red = img_valid;
98     img_team_red([indg;indg+n;indg+2*n]) = 0;
99
100    % Image processing
101    mask = imbinarize(rgb2gray(img_team_red));
102    mask = imfill(mask,'holes');
103    mask_open = bwareopen(mask,30);
104    mask_open = imfill(mask_open,'holes');
105    if(frame_index == offside_frame)
106        figure; sgtitle('Defending Team'); subplot(1,2,1);imshow(mask_open);title("Mask with 'imfill'");
107    end
108    S_E_D = strel('disk',15);
109    mask_open = imdilate(mask_open,S_E_D);
110    Conn_Comp_team_red = bwconncomp(mask_open,8);
111    S_team_red = regionprops(Conn_Comp_team_red,'BoundingBox','Area');
112    if(frame_index == offside_frame)
113        subplot(1,2,2); imshow(mask_open);title("Mask with Disk Structuring Element");
114    end
115
116    % Define attacking team colours
117    indg = find(fuzzycolor(im2double(img_valid),'blue')<0.1);
118    n = size(img,1)*size(img,2);
119    img_team_red = img_valid;
120    img_team_red([indg;indg+n;indg+2*n]) = 0;
121    mask = imbinarize(rgb2gray(img_team_red));
122    mask = imfill(mask,'holes');
123    mask_open = bwareopen(mask,15);
124    mask_open = imfill(mask_open,'holes');
125    if(frame_index == offside_frame)
126        figure; sgtitle('Attacking Team'); subplot(1,2,1);imshow(mask_open);title("Mask with 'imfill'");
127    end
128    S_E_D = strel('disk',15);
129    mask_open = imdilate(mask_open,S_E_D); % dilate (genisletmek) the binary image with disk structuring element
130    Conn_Comp_team_blue = bwconncomp(mask_open,8);
131    S_team_blue = regionprops(Conn_Comp_team_blue,'BoundingBox','Area');
132    if(frame_index == offside_frame)
133        subplot(1,2,2);imshow(mask_open);title("Mask with Disk Structuring Element");
134    end

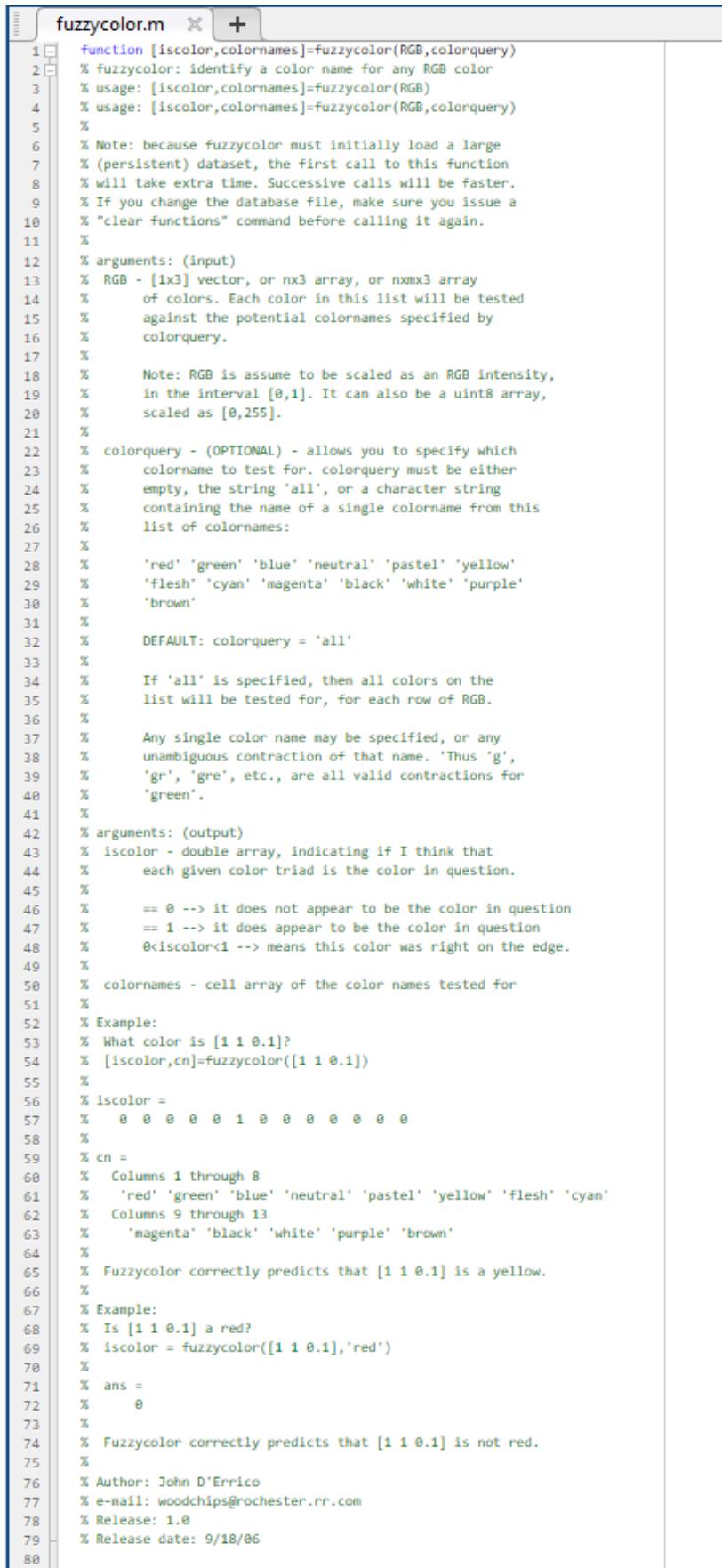
```

C) Implementation of Offside Detection Algorithm cont'd

```

135
136 % Getting all players/teamids in one list
137 S = [S_team_red; S_team_blue];
138 Team_Ids = [ones(size(S_team_red,1),1); 2*ones(size(S_team_blue,1),1)]; % Mark defense team as 1 and attacker team as 2
139 Players = cat(2,[vertcat(S(1:size(S,1)).BoundingBox)], Team_Ids); % Concatenate team_ids with their corresponding teams
140
141 %% Mark the bounding boxes
142 f = figure('visible','off');
143 left_most = 9999;
144 team_index = 5;
145
146 if(frame_index == offside_frame)
147     figure; imshow(img)
148     hold on;
149 end
150
151 for i =1:size(S,1) % For all detected players
152     BB = S(i).BoundingBox; % Get their bounding box
153     if(Team_Ids(i)==1) % If defense team
154         text(BB(1)-20, BB(2)-10,'D'); % Display D above its bounding box
155         BB(4) = 1.5*BB(4);
156         S(i).BoundingBox(4) = BB(4); % Bounding boxes of defense team is larger (?)
157     end
158     if(Team_Ids(i)==2) % If attack team
159         text(BB(1)-20, BB(2)-10,'A'); % Display A above its bounding box
160     end
161 rectangle('Position',[BB(1),BB(2),BB(3),BB(4)],...
162 'LineWidth',2,'EdgeColor','red') % Draw a rectangle to display bounding box
163
164 x1 = floor(BB(1)+BB(3)/4); % Coordinates of bounding box
165 y1 = floor(BB(2) + BB(4));
166 ly = size(img,1);
167 slope = int32((vp(2) - y1)/(vp(1) - x1));% Slope of the line from vanishing point to bounding box
168 y_int = int32(- x1 * slope + y1);
169 ix = int32((ly - y_int)/slope); % Left x coordinate of the player
170 if(ix<left_most && Team_Ids(i) == 1) % Determine x coord of the leftmost defender
171     left_most = ix;
172     slope_last_def = slope;
173     y_int_last_def = y_int;
174 end
175
176
177 offside = 0;
178 if(frame_index == offside_frame)
179     m = (ly - vp(2))/(left_most-vp(1));
180     c = vp(2) - m*vp(1);
181     for z = 1:size(Players,1)
182         if(Players(z,team_index) == 2)
183             x = Players(z,1) + Players(z,3)/4;
184             y = Players(z,2) + Players(z,4);
185             if(m*x + c > y)
186                 title("Offside detected")
187                 offside=1;
188                 break
189             end
190         end
191     end
192     if offside == 0
193         title("Failed to Detect Offside")
194     end
195 end
196
197 % Plot offside line
198 plot([left_most,vp(1)],[ly ,vp(2)],'c','LineWidth',1)
199 %(...)
```

D) Fuzzy Color Function



The screenshot shows a MATLAB code editor window with the file 'fuzzycolor.m' open. The code is a function that identifies color names for RGB colors. It includes comments explaining its usage, arguments, and internal logic. The code uses various MATLAB functions like `function`, `if`, `for`, and `switch`. It also includes a section for examples and author information at the end.

```
function [iscolor,colordnames]=fuzzycolor(RGB,colorquery)
% fuzzycolor: identify a color name for any RGB color
% usage: [iscolor,colordnames]=fuzzycolor(RGB)
% usage: [iscolor,colordnames]=fuzzycolor(RGB,colorquery)
%
% Note: because fuzzycolor must initially load a large
% (persistent) dataset, the first call to this function
% will take extra time. Successive calls will be faster.
% If you change the database file, make sure you issue a
% "clear functions" command before calling it again.
%
% arguments: (input)
% RGB - [1x3] vector, or nx3 array, or nxmx3 array
%          of colors. Each color in this list will be tested
%          against the potential colordnames specified by
%          colorquery.
%
%          Note: RGB is assumed to be scaled as an RGB intensity,
%          in the interval [0,1]. It can also be a uint8 array,
%          scaled as [0,255].
%
% colorquery - (OPTIONAL) - allows you to specify which
%          colorname to test for. colorquery must be either
%          empty, the string 'all', or a character string
%          containing the name of a single colorname from this
%          list of colordnames:
%
%          'red' 'green' 'blue' 'neutral' 'pastel' 'yellow'
%          'flesh' 'cyan' 'magenta' 'black' 'white' 'purple'
%          'brown'
%
%          DEFAULT: colorquery = 'all'
%
%          If 'all' is specified, then all colors on the
%          list will be tested for, for each row of RGB.
%
%          Any single color name may be specified, or any
%          unambiguous contraction of that name. Thus 'g',
%          'gr', 'gre', etc., are all valid contractions for
%          'green'.
%
% arguments: (output)
% iscolor - double array, indicating if I think that
%          each given color triad is the color in question.
%
% == 0 --> it does not appear to be the color in question
% == 1 --> it does appear to be the color in question
% 0<iscolor<1 --> means this color was right on the edge.
%
% colordnames - cell array of the color names tested for
%
% Example:
% What color is [1 1 0.1]?
% [iscolor,cn]=fuzzycolor([1 1 0.1])
%
% iscolor =
% 0 0 0 0 1 0 0 0 0 0 0 0
%
% cn =
% Columns 1 through 8
% 'red' 'green' 'blue' 'neutral' 'pastel' 'yellow' 'flesh' 'cyan'
% Columns 9 through 13
% 'magenta' 'black' 'white' 'purple' 'brown'
%
% Fuzzycolor correctly predicts that [1 1 0.1] is a yellow.
%
% Example:
% Is [1 1 0.1] a red?
% iscolor = fuzzycolor([1 1 0.1],'red')
%
% ans =
% 0
%
% Fuzzycolor correctly predicts that [1 1 0.1] is not red.
%
% Author: John D'Errico
% e-mail: woodchips@rochester.rr.com
% Release: 1.0
% Release date: 9/18/06
```

E) Fuzzy Color Function cont'd

```

81 % have we loaded in the fuzzycolordata array yet?
82 persistent FuzzyColorData
83 if isempty(FuzzyColorData)
84     % not yet loaded.
85     load FuzzyColorData
86 end
87 ncolors = FuzzyColorData.ncolors;
88
89 % default for colorquery?
90 if (nargin<2) || isempty(colorquery)
91     colorquery = 'all';
92     colorind = 1:ncolors;
93 else
94     % which color name was requested?
95     colorquery = lower(colorquery);
96     if strcmp(colorquery,'all')
97         % all was requested, so
98         colorind = 1:ncolors;
99     else
100        % must have been a color name
101        colormames = FuzzyColorData.colormames;
102        colorind = find(strncmp(colorquery,colormames,length(colorquery)));
103        if isempty(colorind)
104            error 'colorquery is not a match for any color name in the database'
105        elseif length(colorind)>1
106            error 'colorquery is an ambiguous color name'
107        end
108    end
109 end
110
111 % verify that RGB is a valid color or set of colors
112 if mod(numel(RGB),3)~=0
113     error 'RGB array must be a 1x3 vector, a nx3 or an nxmx3 array'
114 end
115 if isa(RGB,'uint8')
116     RGB = double(RGB)/255;
117 else
118     if (max(RGB(:))<0) || (min(RGB(:))>1)
119         error 'RGB array does not appear to be scaled as [0,1] intensity'
120     end
121 end
122
123 RGB = reshape(RGB,[],3);
124 np = size(RGB,1);
125
126 % initialize the result array
127 iscolor = zeros(np,length(colorind));
128
129 for i = 1:length(colorind)
130     iscolor(:,i) = interp3(FuzzyColorData.rnodes, ...
131                           FuzzyColorData.gnodes,FuzzyColorData.bnods, ...
132                           FuzzyColorData.colorlut{colorind(i)},RGB(:,1),RGB(:,2),RGB(:,3),'linear');
133 end
134
135 % return the list of colormames tested for
136 colormames = FuzzyColorData.colormames(colorind);

```

F) Fuzzy Color Data

x.FuzzyColorData	
Field ▾	Value
ncolors	13
colormames	1x13 cell
colorlut	1x13 cell
rnodes	1x52 double
gnodes	1x52 double
bnodes	1x52 double

References

- [1] Color name identification: fuzzycolor, 2006,
<https://www.mathworks.com/matlabcentral/fileexchange/12326-color-name-identification-fuzzycolor>
- [2] Deblom, Axel, DETECTING OFFSIDE POSITION USING 3D RECONSTRUCTION, Lund University, 2020
- [3] Ünel, Mustafa, EE 417 Computer Vision Lecture Slides, 2022