

## 1. Write generalize function for Fibonacci series.

**Ans:**

	<i>Line</i>	<i>Cost</i>	<i>No. of times</i>
void fibonacci(int n) {			
int a[n];	1	c1	1
int i;	2	c2	1
a[0] = 0;	3	c3	1
a[1] = 1;	4	c4	1
printf("%d\n", a[1]);	5	c5	1
for (i = 2; i <= n; i++) {	6	c6	n
a[i] = a[i - 1] + a[i - 2];	7	c7	n-1
printf("%d\n", a[i]);	8	c8	n-1
}			
}			

$$\begin{aligned} \text{TSumOfList} &= c1(1) + c2(1) + c3(1) + c4(1) + c5(1) + c6(n) + c7(n-1) + c8(n-1) \\ &= c1 + c2 + c3 + c4 + c5 + nc6 + nc7 - c7 + nc8 - c8 \\ &= n(c6 + c7 + c8) + 1(c1 + c2 + c3 + c4 + c5 - c7 - c8) \\ &= O(n) \end{aligned}$$

So the time complexity of the iterative method is linear, as the loop runs from 2 to n. i.e,  $O(n)$

## 2. Which of the given options provides the increasing order of asymptotic complexity of functions given below?

$2^n$ ,  $n^{3/2}$ ,  $n \log n$ ,  $n^{(\log n)}$

**Ans:**

-  $n \log(n)$  is the slowest

-  $2^n$  is fastest

$$2^n < n^{\log(n)} < n^{(3/2)} < n \log(n)$$

**3. I want to find the the book from the book record database. What should be worst case time complexity to find the particular book?**

**Ans:**

- Lets assume the books database is an array.

- to search one item from that array we can use linear search.

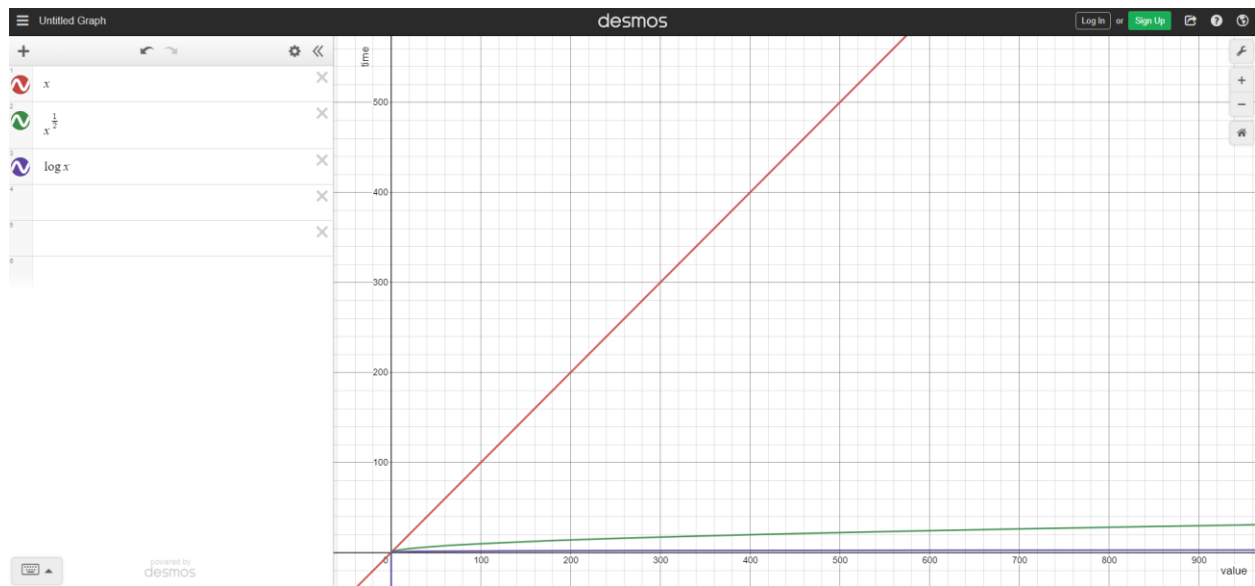
Time complexity for worst case of linear search is  $O(n)$ .

**4. Time complexities of three algorithms are given. Which should execute the slowest for large values of  $n$ ?**

$$O(n), O(n^{(1/2)}), O(\log(n))$$

**Ans:**

As per the graph



$O(n)$  is the slowest.