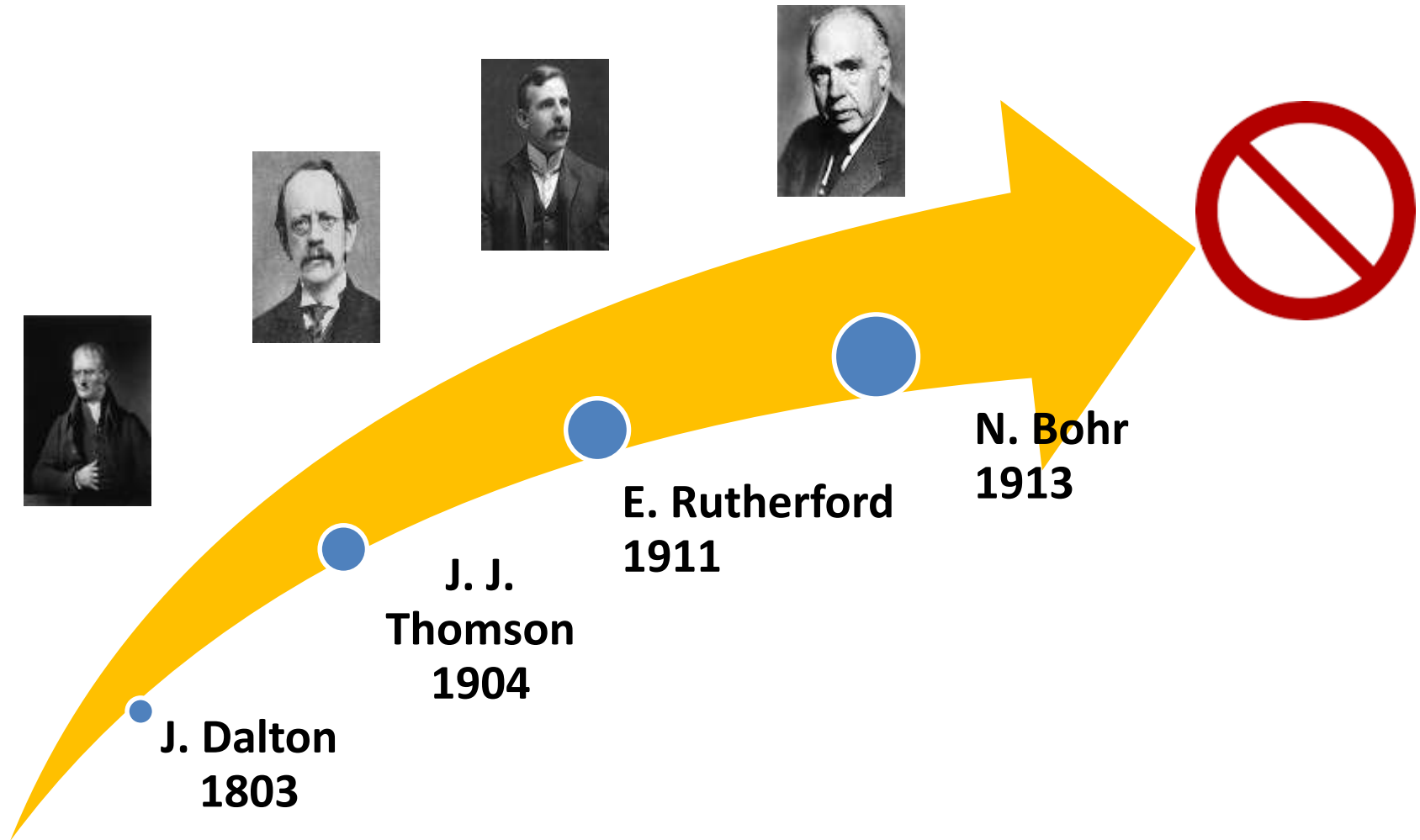


Limitations of Bohr's Theory

Dr. Mithil Fal Desai

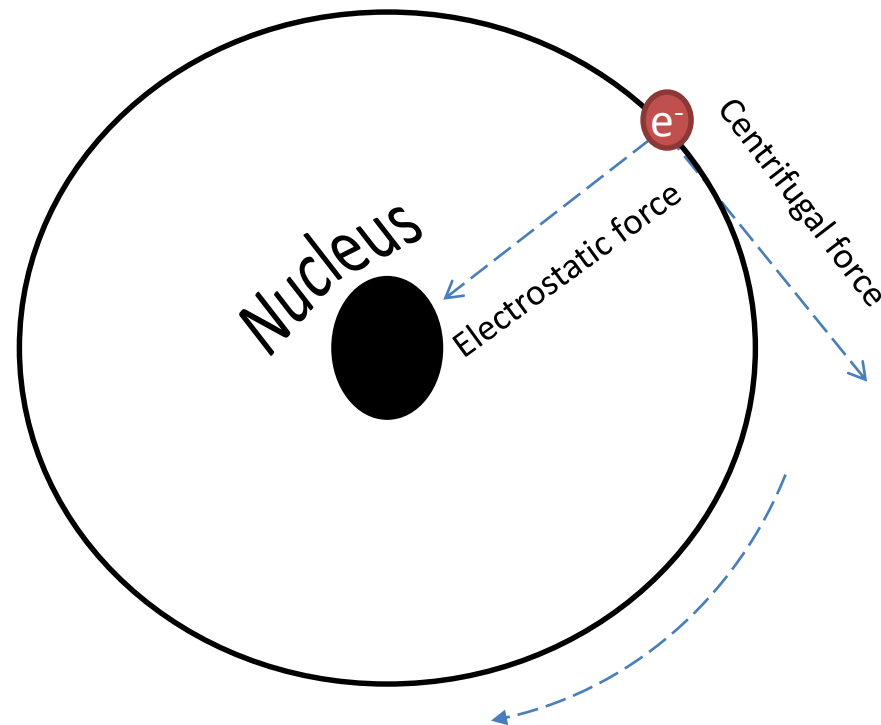
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Background



Neil Bohr postulated

- Electron does not radiate energy as it moves in a particular orbit.
- Electron can move from one orbit to another absorbing or radiating energy.
- Centrifugal force in which electron orbits is equal to electrostatic force, thus electron remains in orbit.



Calculating Bohr radius

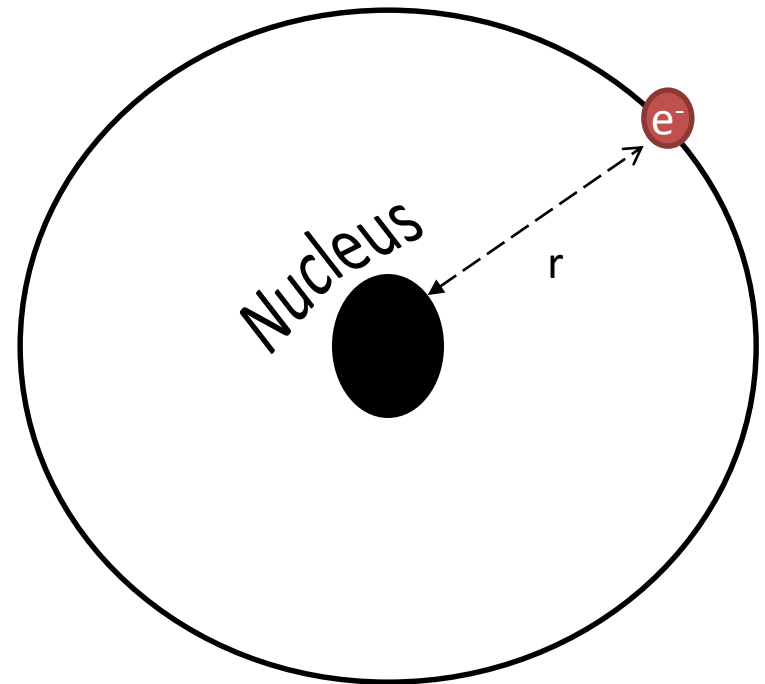
Electron to remain in orbit

Cetrifugal force
= Electrostatic force

$$\frac{mv^2}{r} = \frac{Ze^2}{4\pi\epsilon_0 r^2} \dots\dots\dots 1$$

Where,

r is radius of atom, mass of electron $m = 9.1091 \times 10^{-31}$ Kg; charge on electron $e = 1.60210 \times 10^{-19}$ C; vacuum permittivity of vacuum $\epsilon_0 = 8.854185 \times 10^{-12} \text{J}^{-1}\text{m}^{-1}\text{C}^2$



Calculating Bohr radius

According to Plank 'Energy is discrete': only certain energy levels are possible which integral multiple of $h/2\pi$ (of n a whole number 0, 1, 2, 3...)
Plank constant $h = 6.6262 \times 10^{-34} \text{Js}$

Angular momentum = Electrostatic force

$$mvr = \frac{nh}{2\pi} \dots\dots\dots 2$$

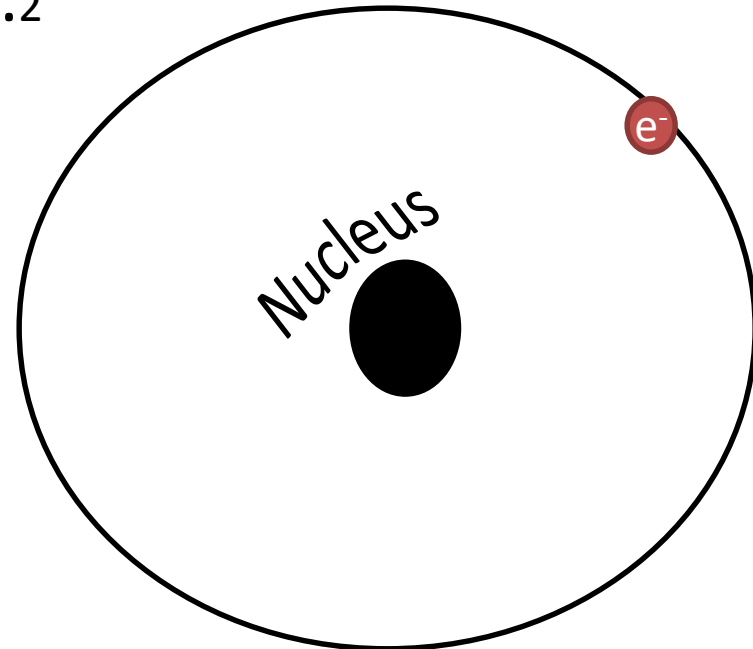
From 1 and 2

$$r = \frac{n^2 h^2 \epsilon_0}{\pi Z m e^2}$$

For Hydrogen, $Z = 1$, than for

$n=1$; $r = 1 \times 0.0529 \text{ nm}$

$n=2$; $r = 2^2 \times 0.0529 \text{ nm}$



Energy of orbit and energy of electronic transition

For energy we can consider equation 1

$$E = -\frac{1}{2}mv^2 = -\frac{Z^2 e^4 m}{8 n^2 h^2 \epsilon_0^2} \dots \dots \dots 3$$

Difference in energy (ΔE) of two orbits

$$E_2 - E_1 = -\frac{Z^2 e^4 m}{8 n_2^2 h^2 \epsilon_0^2} - \left(-\frac{Z^2 e^4 m}{8 n_1^2 h^2 \epsilon_0^2} \right)$$

$$\Delta E = \frac{Z^2 e^4 m}{8 h^2 \epsilon_0^2} \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right) \dots \dots \dots 4$$

Energy of orbit and energy of electronic transition

$$E = h\nu = h\tilde{\nu}C$$

$\tilde{\nu}$ = wavenumber

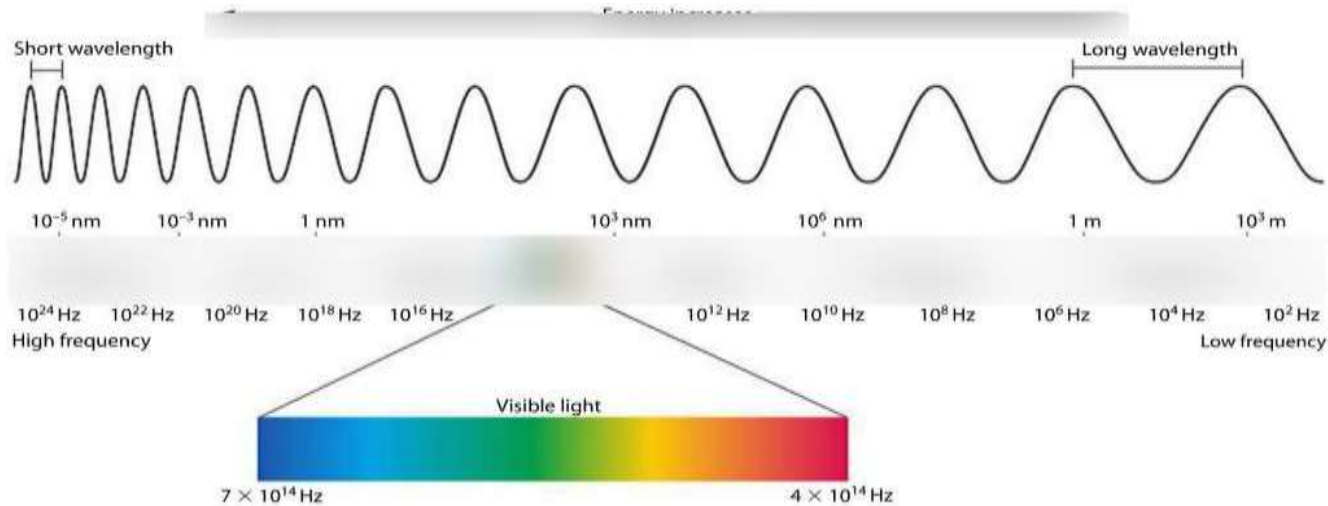
Then,

$$\tilde{\nu} = \frac{Z^2 e^4 m}{8h^3 \epsilon_0^2 C} \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$$

$$\tilde{\nu} = R \left(\frac{1}{n_1^2} - \frac{1}{n_2^2} \right)$$

R= Rydberg constant = $1.0973 \times 10^7 \text{ m}^{-1}$

Bohr orbit of hydrogen atom and spectral series



Series name	n_1	n_2	λ nm	Electromagnetic radiation
Lyman	1	2,3,4,5...	91.2-121.6	UV
Balmer	2	3,4,5,6...	383.5-656.2	Visible
Paschen	3	4,5,6,7...	954.6-1875.0	Infrared
Brackett	4	5,6,7,8...	2630-4050	Infrared
Pfund	5	6,.....	7400	infrared

Limitations

- Spectral lines is a collection of several lines very close together.
- does not spectral series for the atoms having a more number of electrons.
- Bohr theory does not explain the use of the principle of quantization of energy
- Bohr assumes electrons are at a fixed point
- No justification of the Zeeman effect or Stark effect.

Bohr's Theory

- Why electron does not slow down as it moves in orbit?
- Why circular path it follows?
- Why electron does not collide with nucleus as electron is negative and nucleus positive.

