

# VCU Discrete Mathematics Seminar

## *Intersecting Families of Spanning Trees*

**Prof Nathan Lindzey**  
**(University of Memphis)**

Wednesday, Feb. 26

1:00-1:50 EDT

**In person!** in 4145 Harris Hall. And on Zoom:

<https://vcu.zoom.us/j/92975799914>  
password=graphs2357



A family of spanning trees of the complete graph on  $n$  vertices  $K_n$  is  $t$ -intersecting if any two members have a forest on  $t$  edges in common. We prove an Erdős-Ko-Rado result for  $t$ -intersecting families of spanning trees of  $K_n$ . In particular, we show there exists a constant  $C > 0$  such that for all  $n \geq C(\log n)t$  the largest  $t$ -intersecting families of spanning trees of  $K_n$  are the families consisting of all spanning trees that contain a fixed set of  $t$  disjoint edges (as well as the stars on  $n$  vertices for  $t = 1$ ). The proof uses the spread approximation technique in conjunction with the Lopsided Lovász Local Lemma.

This is joint work with Peter Frankl, Glenn Hurlbert, Ferdinand Ihringer, Andrey Kupavskii, Karen Meagher, and Venkata Raghu Tej Pantangi

For the DM seminar schedule, see:

<https://go.vcu.edu/discrete>