

# VCU Discrete Mathematics Seminar

## *Reconfiguration of Colorings and List Colorings*

**Prof Dan Cranston  
(VCU!)**

Wednesday, Mar. 5  
1:00-1:50 EDT

**In person!** in 4145 Harris Hall. And on Zoom:

`https://vcu.zoom.us/j/92975799914  
password=graphs2357`



A *proper*  $k$ -coloring of a graph  $G$  assigns to each vertex  $v$  a color  $\alpha(v)$ , with  $\alpha(v) \in \{1, \dots, k\}$  such that  $\alpha(v) \neq \alpha(w)$  for every edge  $vw$ . (A *list coloring* is similar, except that distinct vertices may have distinct lists of allowable colors.)

A *recoloring step* in a graph  $G$  for a coloring  $\alpha$  recolors some vertex  $v$  with a color allowable for  $v$  that is not used by  $\alpha$  on any neighbor of  $v$ , yielding a new proper coloring. Given proper colorings  $\alpha$  and  $\beta$  of  $G$ , we ask questions like: Can we transform  $\alpha$  to  $\beta$  by a sequence of recoloring steps? And: Over all  $\alpha$  and  $\beta$ , what is the longest that a shortest sequence from  $\alpha$  to  $\beta$  can be?

In this talk we survey results on reconfiguration of colorings and list colorings. We end with a few conjectures.

For the DM seminar schedule, see:

`https://go.vcu.edu/discrete`