Hungarian Algorithm

- 1. Subtract the smallest number in each row from every number in the row. (This is called row reduction.) Enter the results in a new table
- 2. Subtract the smallest number in each column of the new table from every number in the column. (This is called column reduction.) Enter the results in another table
- 3. Test whether an optimal set of assignments can be made. You do this by determining the minimum number of lines needed to cover (i.e., cross out) all zeros. Go to 6 if the minimum number of lines is equal to the number of rows
- 4. If the number of lines is less than the number of rows, modify the table in the following way:
 - (a) Subtract the smallest uncovered number from every uncovered number in the table
 - (b) Add the smallest uncovered number to the numbers at intersections of covering lines
 - (c) Numbers crossed out but not at the intersections of cross-out lines carry over unchanged to the next table
- 5. Repeat steps 3 and 4 until an optimal set of assignments is possible
- 6. Make the assignments one at a time in positions that have zero elements