

use stimulates the probability distribution of cigarette...
 were function (including the measure effects). This is v...

use stimulates the probability distribution of eigenvalues from the square of the quenched...
 approaches. It also is free from sign or phase problems... (measure effects). This is very different in spirit than lattice...
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Using the same Monte Carlo code, we will address the ques...
 simple class of ways functions, namely those described by...

functions the geometry of the eigenvalues looks like a fi... a five-sphere with a hole in the center, For these wave
 functions the geometry of the eigenvalues looks like a five sphere with a hole in the center,

beginning. The is issue we will study see... seems very mundane: how do we measure the radius...
 of the hole? Since these are more function base are wave functions of fixed topology, we first

question above at all: the topology is known so we do not...
 of the hole. Since these are wave functions of fixed topology, we will not address the first

We also have chosen the orientation of the feature on the...
 the data to analyze the geometry. Given this, we can see... given this,

situations by projecting the particles positions on the Z...
 also determining the topodoss for a random configuration...
 situations by projecting the particles positions on the Z plane. The more general problem of

would be heard, we would need to find a way to do pattern...
 to define topology. Regarding measurement of size, are pr...
 size of the simplest geometric features and we study thei...

to simplify matters further, we want to characterize... the simplest such non-trivial feature:
 the radius of the hole compared to the radius of the sphere...

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 an optimal solution to the problem. For this particular c...
 address the 1/N corrections in more detail. The definitio...

but that does not mean that they are optimal. We can on...
 within the choices we have... not mean that they are optimal. We can only say that they are optimal only

The paper is organized as follows. In section II we descr... In section II we describe some basic
 functions and statistical distributions that we simulate... follows. In section II we describe some basic aspects of the wave

the thermodynamic limit should be taken:... : $N \rightarrow \infty$, keeping $q = Q/N$ fixed. We also pay
 special attention to how a factor of N^2 appears in front...

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the size depends on taking a limit is $\rightarrow \infty$ of such meas...
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the size depends on taking a limit $k \rightarrow \infty$ of such measurements, so that one expects a well

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"were function (including the measure effects). This is very different in

approaches. It also is free from sign or phase problems. Also, because our matrices are

. dasional, we have only any dangers of freedom, or, or can be made here of moderate cost.

Using the same Monte Carlo code, we will address the questions above for a particularly simple class of ways functions, namely those described by equation 1. For these wave functions the geometry of the cigenvalues looks like a fi

a five-sphere with a hole in the center,

. so we are not studying the process of topology changes. We are facing the topology of the beginning. The is

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seems

s very mundane: how do we measure the radius

of the hole? Since these are more functions of fixed topology, we will not address the first first

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question above at all: the topology is known so we do not need an algorithm to figure it out.

We also have chosen the orientation of the feature on the sphere and do not have to orient given this ,

the data to analyze the geometry. Given this, we can see by eye the topology on these simple situations by projecting the particles positions on the Z plane. The more general problem of also determining the topodoss for a random configuration with a complicated wave function would be heard, we would need to find a way to do pattern recognition on these distributions to define topology. Regarding measurement of size, are proposed various definitions of the size

size of the simplest geometric features and we study their virtues and feelings. In particular, to simplify matters further, we want to characterize

e the simplest such non-trivial feature:

the radius of the hole compared to the radius of the sphere. In the end, from the different choices of definitions of the radius at finite N , one such class of measurements seems to give an optimal solution to the problem. For this particular class of observations we can then address the $1/N$ corrections in more detail. The definitions we use are simple to describe, but that does not mean that they are optimal. We can only say that they are optimal only within the choices we have.

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The paper is organized as follows. In section II we describe some basic aspects of the wave functions and statistical distributions that we simulate later on. In particular, we show how the thermodynamic limit should be taken:

: $N \rightarrow \infty$, keeping Q/N fixed. We also pay

special attention to how a factor of N^0 appears in front of the energy for the thermodynamic limit after appropriate recordings. We also describe various functions that allow us to define the size of the features of the geometry of the eigenspace distributions. The definition of the size depends on taking a limit is $N \rightarrow \infty$ of such measurements, so that one expects a well