

# SESSION 8: Exploratory Data Analytics Assignment 2

## 1. library(RcmdrPlugin.IPSUR)

### data(RcmdrTestDrive)

install.packages("RcmdrPlugin.IPSUR")

install.packages("rlang")

install.packages("car")

library(rlang)

library(Rcmdr)

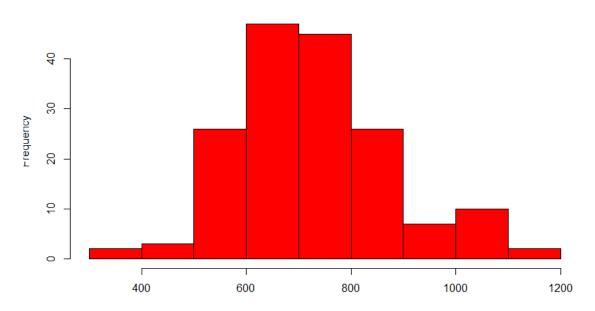
library(RcmdrMisc)

library(RcmdrPlugin.IPSUR)

library(sandwich)

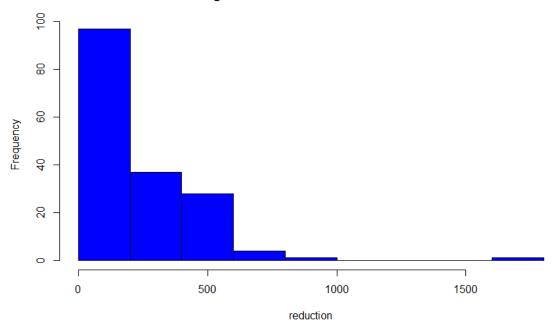
```
library(effects)
library(car)
data("RcmdrTestDrive")
data(BloodPressure)
View(RcmdrTestDrive)
View(BloodPressure)
Perform the below operations: -
a. Compute the measures of central tendency for salary and
reduction which variable has highest center?
> #Find the measures of central tendency for salary and reduction for Sala
> library(RcmdrPlugin.lPSUR)
> x<- c(mean(RcmdrTestDri ve$sal ary), medi an(RcmdrTestDri ve$sal ary))
[1] 724.5164 710.1500
> #for reduction
> y<- c(median(RcmdrTestDrive$reduction), mean(RcmdrTestDrive$reduction))</pre>
[1] 139.500 223.631
> #now since we are looking for variable which has highest center
> #we can check for this by plotting histogram or
> #by checking kurtosis which describes the amount of peakedness of a dist
ri buti on.
> #install.packages("psych")
> library(psych)
> kurtosi (RcmdrTestDri ve$sal ary)
[1] 0.2006576
> kurtosi (RcmdrTestDri ve$reducti on)
[1] 10.01655
> #thus we can see variable reduction has more kurtosis thus more peaked h
ence more highest center
> #or by plotting histogram we can also check that
```

#### histogram of salary with normal curve



> y<-RcmdrTestDrive\$reduction > h<- hist(y, breaks = 10, col = "blue", xlab = "reduction", main= "histogram of reduction with normal curve")

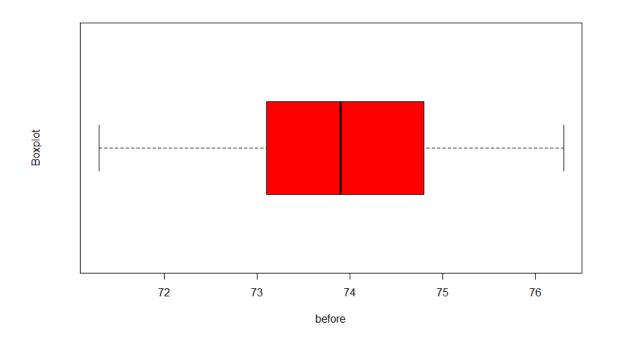
#### histogram of reduction with normal curve



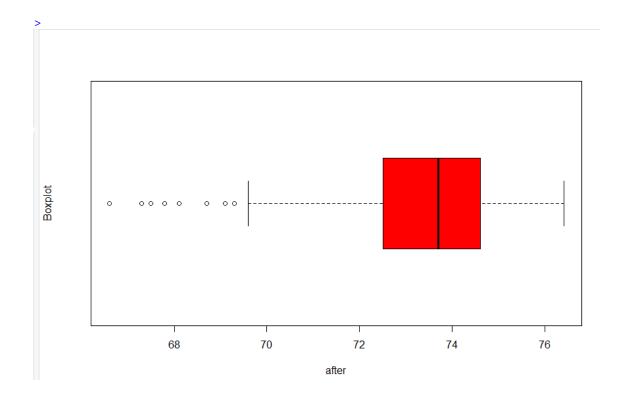
- > #however as reduction is not purely continous hence for center we cant s ee peak of this in from center
- $> \# \mathrm{i}\, \mathrm{n}$  that manner salary is more peaked from center as it is purely continous
- > #howsoever variable reduction is more peaked if we talk about the peaked ness from whole data
- > #by seeing histo curve overall as compare to salary variable

# b. Which measure of center is more appropriate for before and after?

```
> #If the distribution is fairly symmetric then the mean and median
> #should be approximately the same
>
> #by boxplot we can check for median where it lies
> boxplot(RcmdrTestDrive$before, horizontal = T, col = "red", xlab="before", y lab="Boxplot")
> #normal distributed
>
```



- > boxplot(RcmdrTestDrive\$after, horizontal = T, col = "red", xlab="after", yla b="Boxplot")
  > #left skewed as the data is assymetrical distributed



- > #if we check the skewness of variables
- > skew (RcmdrTestDri ve\$before)

#### [1] -0.03510369

> skew (RcmdrTestDri ve\$after)

#### [1] -1.164056

- > #after more negative so data more on right side as compare to before var i abl e
- > #thus, the median would likely be a good choice and it is more appropria
- > #ps: dots in plots are outliars