

Variances equal

$$t = \frac{\bar{x}_1 - \bar{x}_2}{s \sqrt{\frac{1}{n_1} + \frac{1}{n_2}}}$$

Variances Unequal

$$t = \frac{\bar{x}_1 - \bar{x}_2}{\sqrt{\frac{s_1^2}{n_1} + \frac{s_2^2}{n_2}}}$$

$$H_0: \mu_1 = \mu_2$$

$$H_1: \mu_1 \neq \mu_2$$

```

....: result = ttest_ind(chilled['uptake'],
nonchilled['uptake'],
....:                     equal_var=True)
....: test_stat = result[0]
....: p_value = result[1]
....: print("Test Statistic =", test_stat)
....: print("P - Value =", p_value)
Test Statistic = -3.0484611149819503
P - Value = 0.0030957332525416484 < 0.05

```

∴ We reject H_0

$$H_0: \mu_{\text{chilled}} \geq \mu_{\text{non-chilled}} \quad H_1: \mu_{\text{chilled}} < \mu_{\text{non-chilled}}$$

```

....: result = ttest_ind(chilled['uptake'], nonchilled['uptake'],
....:                     alternative="less", equal_var=True)
....: test_stat = result[0]
....: p_value = result[1]
....: print("Test Statistic =", test_stat)
....: print("P - Value =", p_value)
Test Statistic = -3.0484611149819503
P - Value = 0.0015478666262708242 < 0.05

```

∴ We reject H_0 at 5% l.o.s.

Conclusion:- Mean of chilled may be less than mean of nonchilled

Puromycin

$$H_0: \sigma_1^2 = \sigma_2^2$$

$$H_1: \sigma_1^2 \neq \sigma_2^2$$

```

In [35]: result = bartlett(treated['rate'], untreated['rate'])
....: test_stat = result[0]
....: p_value = result[1]
....: print("Test Statistic =", test_stat)

```

```
In [35]: result = bartlett(treated['rate'], untreated['rate'])
...: test_stat = result[0]
...: p_value = result[1]
...: print("Test Statistic =", test_stat)
...: print("P - Value =", p_value)
Test Statistic = 1.3347300574703427
P - Value = 0.2479654757261583 > 0.05
```

Conclusion:- Variances may be equal

$$H_0: \mu_1 = \mu_2 \quad H_1: \mu_1 \neq \mu_2$$

```
...: result = ttest_ind(treated['rate'],
untreated['rate'],
...:                     equal_var=True)
...: test_stat = result[0]
...: p_value = result[1]
...: print("Test Statistic =", test_stat)
...: print("P - Value =", p_value)
Test Statistic = 1.6112266721746469
P - Value = 0.1220595563419023 > 0.05
```

Means May be equal

Mann-Whitney U Test

Test is for 2 independent Samples

Test does not assume any specific distribution of population

It is a non-parametric test.