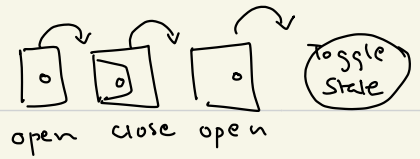




Lecture - 2



Warmup . Circular Tail

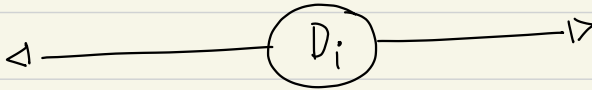
↳

	D1	D2	D3	D4	D5	D6	-----	D100
J1	0	0	0	0	0	0	0	----- 0
J2		x		x		x		x
J3			x			0	-----	
J4								
⋮								
J100								

how many doors are open?

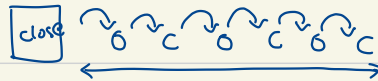
Perfect Square

when it would be open?



Door 12 → 1, 2, 3, 4, 6, 12

even
6 Rounds



Toggling a door even times will never change state of the door

→ odd of factors of D_i → open

tailer

Door → 12

1 →	12
2 →	12
3 →	12
4 →	12

Div \Rightarrow Rounds

$\left\{ \begin{matrix} 6 \\ 12 \end{matrix} \right\} \rightarrow$
 \rightarrow ~~odd~~ Closed

$D1 \rightarrow 1$

$D2 \rightarrow 1, 2$

$D3 \rightarrow 1, 3$

$D4 \rightarrow 1, 2, 4 \rightarrow \overset{3}{\text{odd}}$

$D5 \rightarrow 1, 5 \rightarrow \text{even}$

$D6 \rightarrow 1, 2, 3, 6 \rightarrow \text{even}$

$D7 \rightarrow 1, 7 \rightarrow \text{even}$

$D8 \rightarrow 1, 2, 4, 8 \rightarrow \text{even}$

$D9 \rightarrow 1, 3, 9 \rightarrow \overset{3}{\text{odd}}$

$D10 \rightarrow 1, 2, 5, 10$

$a \times b = 30$

$\rightarrow \text{even}$
 $\left\{ \begin{matrix} 1 \times 30 = 30 \\ 2 \times 15 = 30 \\ 3 \times 10 = 30 \\ 5 \times 6 = 30 \end{matrix} \right\}$

Non-perfect Sq $\rightarrow 30 \rightarrow 1, 2, 3, 5, 6, 10, 15, 30$

pairs
 \downarrow
even

Perfect Square $36 \rightarrow 1, 2, 3, 4, 6, 9, 12, 18, 36$

$2x+1$
odd

$\sqrt{N} \times \sqrt{N} = N$
 $\uparrow \quad \uparrow$
odd

$1^2, 2^2, 3^2, 4^2, 5^2, 6^2, 7^2, 8^2, 9^2, 10^2$

10 doors

$\rightarrow 1, 4, 9, 16, 25, 36, 49, 64, 81, 100 \leftarrow \text{open}$

open

$1000 \rightarrow \sqrt{1000}$
 poor
 Not a perfect Square
 poor 33 \rightarrow 1, 3, 11, 33
 Closed
 R1 R2 R3 R4
 0 C 0 C

66 \rightarrow 1, 2, 3, 6, 11, 33, 66
 even

Pseudo Code

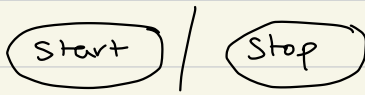
\rightarrow Human readable desc. of an algorithm.

- o lang Independent
- o Structure
- o Fast / verify / Review

\downarrow
 sequence of
 steps in a
 particular
 order to
 solve
 a problem

Instructions

①



Start / Exit

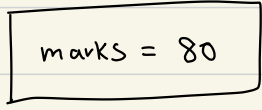
Assignment



marks = 80

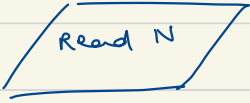
SI = $P \times R \times T / 100$

②



③

Input / Output



Read N

Print N

Print "Hello"

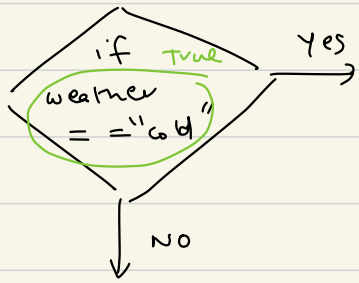
Print "N"



double quotes

True

④



if (Condition) {

==
==
==

sweater

}

else {

==
==
==

}

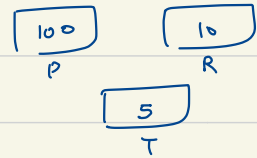
Given P, R, T and we want to compute SI

1 Read P, R, T

$$2 \quad SI = \frac{P \cdot R \cdot T}{100}$$

3 Print SI

4 Exit



Largest of 3 No's

1. Read A, B, C

2 if $A \geq B$ and $A \geq C$ {
 print "A is largest"
 exit ←

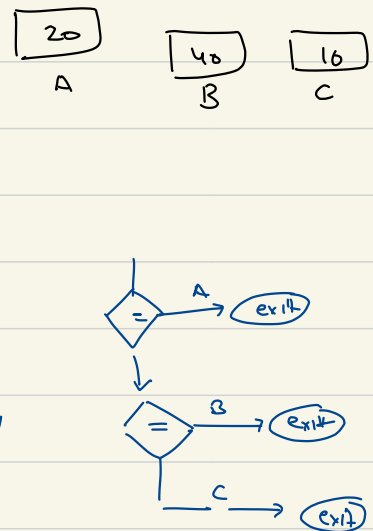
3

3 if ~~$B \geq A$~~ and $B \geq C$ {
 print "B is largest"
 exit ←

3

4 else {
 print "C is largest"
 exit

3



Independent

if

→ True

A is largest

exit

↓

if
else

→ False

C is largest

if
else if
else

exit

#3 Read N, Numbers, and find their smallest. & Sum

Input

N = 5

1, 3, 2, 0, 5
↑
N-1 numbers

output

Min → 0

Sum → ~~10~~ 11

Calc your ans
as you take

input one by one.

↓ ↓ ↓ ↓
1, 3, 2, 0, 5

Solution

Read N

5
N

Read num

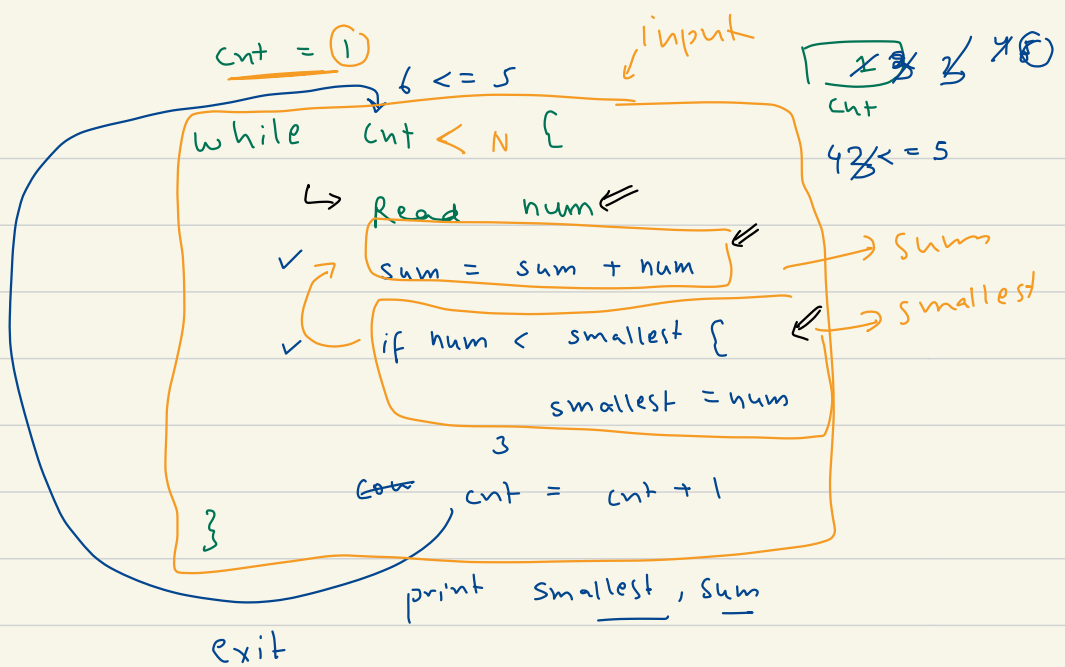
Sum = num

Smallest = num

✓ 11
Sum

✓ 0
Smallest

3 num



cnt 0 $N-1$ $N=5$

↳ [0, 1, 2, 3, 4]

cnt 1 N $N=5$

↳ [1, 2, 3, 4, 5]

$\frac{100}{\quad}$ $\frac{105}{\quad}$

6 times

Read 5 No's and print them

$N = 5$

cnt = 1

while cnt <= N:

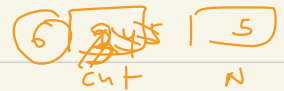
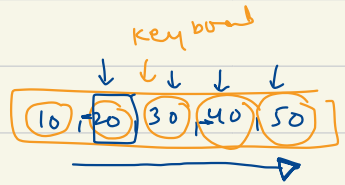
Read No

Print No

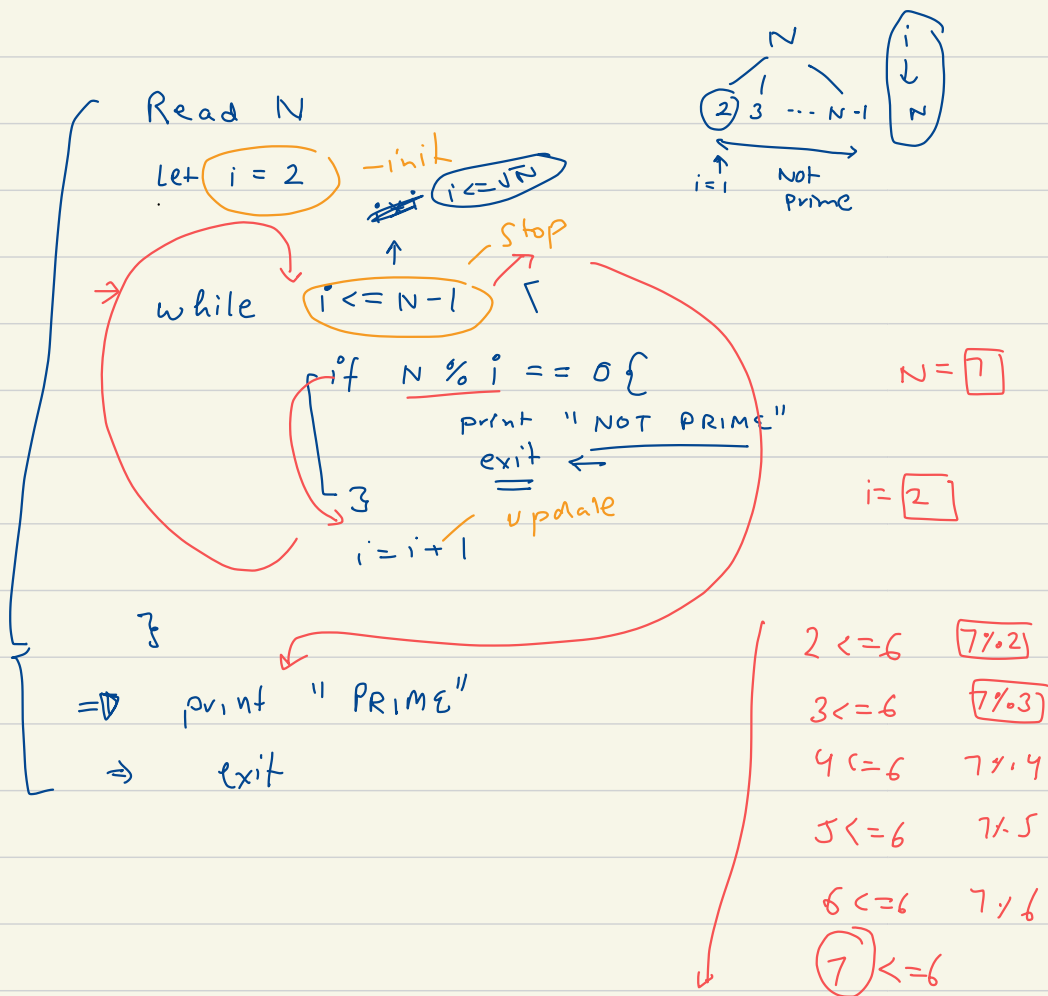
cnt = cnt + 1

3
exit

10 ~~20~~ 30 ~~40~~ 50



Q Check if a No N is prime or Not.



Few Optimisations



$N = 10,000$

approx 10000 steps

$N/2$

approx 5000 steps

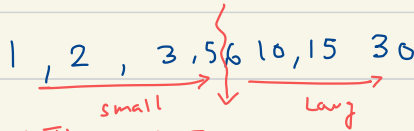
\sqrt{N}

approx 100 steps

why →

30

→



1	x	30	= 30
2	x	15	= 30
3	x	10	= 30
5	x	6	= 30

$\downarrow a \times b \uparrow = \boxed{N}$

$\downarrow \sqrt{N} \times \sqrt{N} \uparrow = N$

if a no doesn't have a div. less than \sqrt{N}
it will never have a divisor $> \sqrt{N}$

36

→

1 x	36	= 36
2 x	18	= 36
3 x	12	= 36
4 x	9	= 36
6 x	6	= 36

atleast 1 div 2 to \sqrt{n}

1, 2, 3, 4, 6, 9, 12, 18, 36 =

↓ 6 x 6 ↑ = 36

4 x 9 = 36

15 →

1, 3, 5, 15

2 to $\sqrt{29}$

29

→

2, 3, 4, 5

$\sqrt{29} = 5$

Prime

29 ÷ 2
29 ÷ 3
29 ÷ 4
29 ÷ 5

2, 3, 4, 5, ..., 28

43

→

2, 3, 4, 5, 6

$\sqrt{43} = 6$

Prime

Read N

$i = 2$

while

$i \times i \leq N$ {
if $N \% i == 0$ {
print "not prime"
exit
}

}

$i = i + 1$

}

print Prime

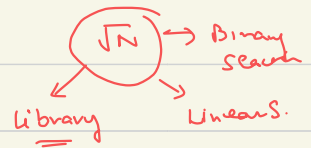
exit

$i \leq \sqrt{N}$

$i^2 \leq N$

$6 \times 6 \leq 43$

$7 \times 7 \leq 43$



for ($i=2$; $i^2 \leq N$; $i++$) {

if $N \% i == 0$
Not prime
exit

}

Pattern Problem

Print a pattern for given N.

input

N = 4

output

R1 1
R2 2 3
R3 4 5 6
R4 7 8 9 10



Observations

- 1) No of Rows = N
- 2) No of elements in each Row \rightarrow Row No
- 3) Every time the no is inc by 1.

Read N

$r = 1$, ~~$val = 1$~~

while $r \leq N$ {

$cnt = 1$

while $cnt \leq r$ {
 ~~$print\ val + " "$~~
 ~~$val = val + 1$~~
 $cnt = cnt + 1$

}
 $print("\n")$
 $r = r + 1$

$print\ cnt$

\rightarrow Enter

N=3

single Row r

val

$k=3$

1
2 3
4, 5, 6
exit

Read N

→ row = 1

N = 4

while row ≤ N {

col = 1

while col ≤ row {

print col

col = col + 1

}

print "\n"

row = row + 1

}

→ 1

→ 1 2

row 3 → 1 2 3

row 4 → 1 2 3 4

Read N

row = 1

while (row ≤ N) {

star = 1

while star ≤ row {

print "*"

star = star + 1

}

print "\n"

row = row + 1

}

(x)

Star

N = 3

→ [X]

im Row → [X X]

→ [X X X]

Logic for simple

row =

R1 [X] 1 to 1

R2 [X X] 1 to 2

R3 [X X X] 1 to 3

Homework

Q1. Print Star Pattern for N.

N=3

```
  _ _ *
 _ * * *
* * * * *
```



Q2

1

N=4

0 1

1 0 1

0 1 0 1

Q3

Patten

N=4

_ _ _ 1

_ _ 2 3 2

_ 3 4 5 4 3

4 5 6 7 6 5 4