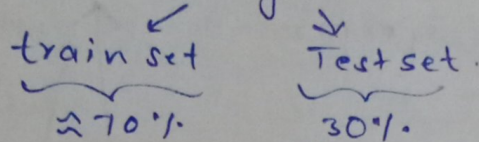


* Troubleshooting *

Assume that your hypothesis not performing well on the test set.

* (00 L) But how will I know **WELL** that it's not performing?

1. Classify your training data



Evaluate error on this using hypothesis generated from training set.

For linear R
Use squared error

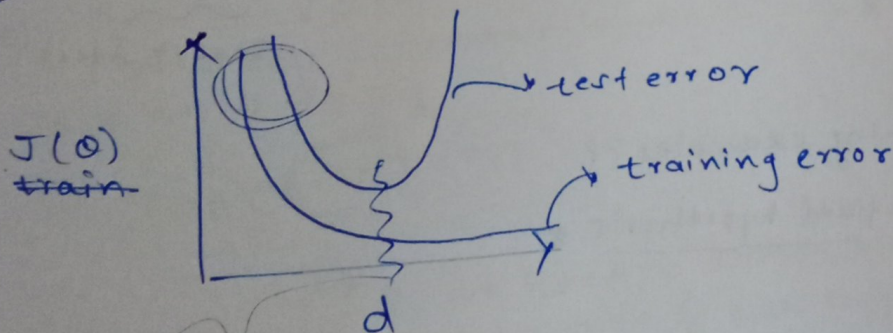
For classification
use accuracy $\frac{\text{correct pred}}{\text{total pred.}}$

Zalqian: How to choose the best order

model. { cross validation not introduced }

- (A) 1. $\Theta_0 + \Theta_1 x$ $d=1 \rightarrow$ Train on this get $\Theta^{(1)}$
 2. $\Theta_0 + \Theta_1 x + \Theta_2 x^2$ $d=2 \rightarrow$ $\Theta^{(2)}$
 3. \vdots \vdots \vdots $\Theta^{(3)}$
 \vdots \vdots \vdots $\Theta^{(4)}$

(B) Now use the Θ_s obtained before;



When the

$J_{\text{train}} \approx J_{\text{test}}$
 \Rightarrow Probably {Bias}

$J_{\text{test}} \gg J_{\text{train}}$

\Rightarrow Probable {Variance} overfitting



CHOOSE ME BUT DONT

REPORT ME

Because, "I am very very optimistic!"

{ Report me on test set.

\rightarrow set me on cross validation set.

(C) How to report regularization?

Note that you use gradient descent on model

$$J(\theta) = \text{sqerror} + \lambda \theta^2$$

\downarrow
 train

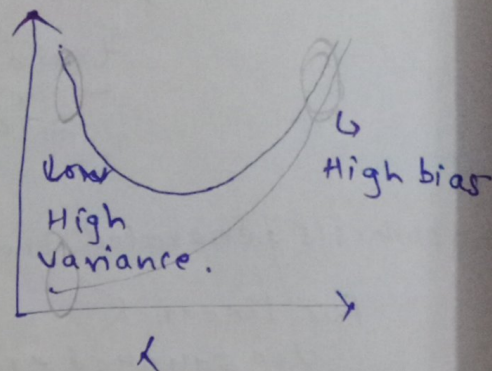
But report cost in terms

$$J'_{\text{train}}(\theta) = \text{sqerror}$$

$$J'_{\text{cv}}(\theta) = \text{sqerror}$$

$$J'_{\text{train}}(\theta) \approx J'_{\text{cv}}(\theta)$$

error $\{J(\theta)\}$



Decrease your λ

$$J'_{\text{cv}}(\theta) \gg J'_{\text{train}}(\theta) \quad \left. \vphantom{J'_{\text{cv}}(\theta)} \right\} \text{Increase your } \lambda$$

Learn θ_s through $J(\theta) = \text{sq}^2 + \lambda \theta^2 \in \lambda = \{0.01 \dots 10.0\}$

Then using the θ_s obtained, plot

$$J'_{\text{cv}}(\theta) = \text{sq}^2 + \lambda \theta^2 \text{ and obtain the graph as above.}$$

* The best combo *

Finding minimum through

\Rightarrow

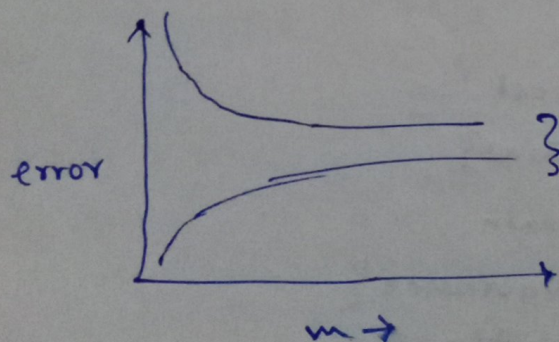
Finding minimum through λ .

best combo
of θ and λ

Report $J_{\text{test}}(\theta)$

(D) How about training examples??

* For a fixed hypothesis *



If not yet converged

\downarrow
check for high variance

If converged

\downarrow
No point in increasing training examples.

1. Getting more training examples : Fixes high variance
2. Trying smaller set of features : Fixes high variance
3. Adding features : Fixes high bias
4. Adding polynomial features : Fixes high bias
5. Decreasing λ : Fixes high variance
6. Increasing λ : Fixes high bias

* Getting real deep into System Design. *

- ①: Getting the features to be selected right.
Use your own brain.
- ②: Prototyping and analysing.
 - 1) Start with a simple algorithm, implement it, Quick and dirty test it.
 - 2) See if what is the problem, high bias, variance, training examples
 - 3) Manually examine also.

* Precision and Recall * { Keyword : Skewed } { Dected : Skewed }

Let us assume a cancer classification problem.

My hypothesis gives 99% accuracy

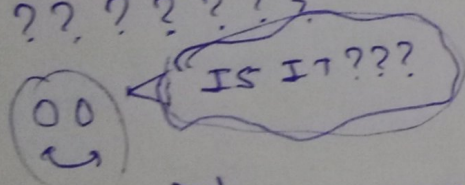
And actual cases of cancer are 0.5%.

So I innovate and change my hypothesis to %

$$y = 0.$$

Now my accuracy is 99.5% } Great improvement

right ?? ?? ?? ?



⇒ So we need a better parameter. to equalate the performance of our hypothesis.

Specially important in case of skewed cases

		Actual		Precision
		Positives	Negative	
Predicted	Positive	True positive	False positive	$\frac{\text{Tact. True}}{\text{Total pred True}}$
	Negative	False Negative	True Negative	
Recall \Rightarrow		$\frac{\text{Pred True}}{\text{Actual True}}$		

\therefore Best F value $2 \times \frac{RP}{R+P}$ wins } Note: Twitch with threshold in case of LR and see the effect