Resource selection studies with marked animals: making inference to average selection with GLMMs

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March 25, 2024



Motivation

In the analysis of resource selection by animals, datasets are usually made up of a series of presence vs. (pseudo)absence data (binomial distribution)

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► Adequate quantities of usable resources are necessary to sustain animal populations.

The need to document the availability of resources is critical in efforts to preserve endangered species and manage exploited populations - old growth forest is vital to the continued existence of the spotted owl (Strix occidentalis)?

Motivation

In the analysis of resource selection by animals, datasets are usually made up of a series of presence vs. (pseudo)absence data (binomial distribution)

▶ Determining which resources (or conditions) are selected more often than others provides fundamental information about the nature of animals and how they meet their requirements for survival

Motivation

In the analysis of resource selection by animals, datasets are usually made up of a series of presence vs. (pseudo)absence data (binomial distribution)

▶ Differential resource selection is one of the principal relationships which permit species to coexist - evaluation of the effect of domestic animals on wild animal forage

Motivation

In the analysis of resource selection by animals, datasets are usually made up of a series of presence vs. (pseudo)absence data (binomial distribution)

▶ The process of natural selection can occur when resource selectivity results in successful (e.g., breeding) and unsuccessful individuals - food and oviposition selection play a significant role in evolution and speciation among some insects

Definitions

Basic concepts

It is often assumed that a species will select resources that are best able to satisfy its life requirements, and that high quality resources will be selected more than low quality ones.

The availability of various resources is not generally uniform in nature, and use may change as availability changes.

Therefore, used resources should be compared to available (or unused) resources in order to reach valid conclusions concerning resource selection.

Definitions

Usage

The usage of a resource is defined as that quantity of the resource that is utilized by an animal (or population of animals) in a fixed period of time.

Abundance and availability

The abundance of a resource is the quantity of the resource in the environment.

The availability of a resource is the quantity accessible to the animal (or population of animals) during that same period of time.

Selection and preference

When resources are used disproportionately to their availability, use is said to be selective.

Selection is the process in which an animal chooses a resource, and preference is the likelihood that a resource will be selected if offered on an equal basis with others.

Case study description

A case study

Animal Behaviour 82 (2011) 791-799



Contents lists available at ScienceDirect

Animal Behaviour

journal homepage: www.elsevier.com/locate/anbehav



To lay or not to lay: oviposition of *Maculinea arion* in relation to *Myrmica* ant presence and host plant phenology

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ARTICLE INFO

Article history: Received 19 November 2010 Initial acceptance 12 January 2011 Final acceptance 1 July 2011 Available online 6 August 2011 MS, number: 10-00810R

Keywords: host selection Maculinea myrmecophily Origanum vulgare oviposition social parasite

The choices made by ovipositing female butterflies play a key role in the survival of their offspring and consequently in the persistence of butterfly populations. These choices are even more crucial in the case of obligate myrmecophilous organisms such as Maculinea butterflies with larvae that, after a phytophagous period, need to be adopted by Myrmica ants to complete their life cycle. Because the worker ants' foraging range is limited, selecting an 'ideal' oviposition site requires that both the phenological stage of the larval food plant (short-term larval fitness) and the presence of suitable host ants (long-term larval fitness) are taken into account. Whether the female's selection of a valuable oviposition plant is influenced by the closeness of a Myrmica nest is unclear. We studied the oviposition behaviour of a Maculinea grion population exploiting Origanum vulgare as a host plant. By following females, we collected phenological data on the visited plants that were either 'chosen' for oviposition or 'avoided' (flowers were visited and evaluated, but received no eggs), and we assessed the presence of Myrmica ants in the vicinity of each plant. Results suggest that plants are selected by M. grion females on the basis of their bud phenology and the presence of host ants and not of other environmental features. We thus hypothesize the evolution of an adaptive mechanism that affords females of this strictly myrmecophilous butterfly the ability to ensure the long-term survival of their brood by selecting host plants growing near a Myrmica nest.

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Case study description

A case study







Resource selection studies Case study Generalized Linear Model Correlation structure Explicit modelling of correlation 80000000000 00

10

27

214 obs. of

int

31 10 12 2 5 9 9 2

19 3 12 13 14 15 16

4 5 6 7 8

13 variables:

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Study design

Data

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4

Study design

Study design

Three general study designs for evaluating resource selection have been identified in the literature - they differ with respect to the level at which resource use and availability are measured, at the population level or for each animal.

Design I

Measurement are made at the population level. Individual animals are not identified.

Design II

Individual animals are identified and the use of resources is measured for each, but availability is measured at the population level.

Design III

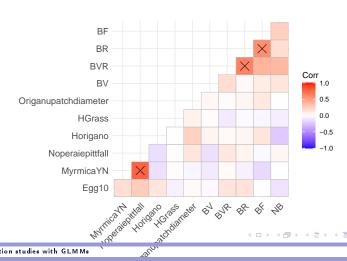
Individual animals are identified and both the use of resources and their availability are measured for each marked animal.



Resource selection studies Case study Generalized Linear Model Correlation structure Explicit modelling of correlation 000

Data exploration

Data exploration - exercise 1

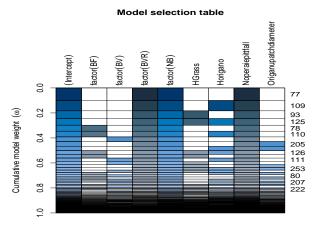


We use a typical fixed-effects exponential resource selection function:

$$\hat{w}(x) = exp(\hat{\beta}_0 + \hat{\beta}_1 x_1 + \hat{\beta}_2 x_2 + ... + \hat{\beta}_n x_n)$$

Parameters are estimated from logistic regression

Model selection: model averaging



Introducing the Specimen - exercise 3

```
> dati.GLMM <- read.csv("dati/dati.GLMM.csv")</pre>
> str(dati.GLMM)
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  BR.
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  BF
                         : int
```

Repeated observations, are they a nuisance?

Repeated observations on the same individuals are often assumed to give rise to constant within group correlation structures.

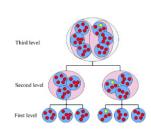
Even if we assume independence among observations taken on different individuals, there will probably be a (constant?) correlation between any two observations from the same individual.



Repeated observations, are they a nuisance?

We can easily generalize to hierarchically structured populations

- constant correlation among observations from the same individual
- correlation to a lesser degree among observation from animals in the same herd
- independence among observations from animals in different herds



Correlation vs. autocorrelation

Correlation

It is due to the hierarchical nature of data, and it results in general correlation structures

Autocorrelation

Specifically, the within-animal correlation patterns (eg. correlations that change as a function of temporal and spatial distance between observations)

Correlation structure: assumptions

Animals are randomly sampled and independence is assumed among observations taken on different individuals



Implications

Issues

Correlation violates the assumption of independence

- biased estimates of coefficients
- deceptively low estimates of uncertainty
- overfit models
- spurious conclusion!!

In our previous analysis, the relocation was considered as the experimental unit, but we actually pooled data across animals.

POOLING HAS IMPORTANT CONSEQUENCES FOR INFERENCE

Implications

Issues

Pooling observations from several animals is often the **only option** when sample size is limited. But we are violating the assumption of independence...(this constitutes pseudo-replication)

Three main avenues:

- 1. data censoring collect data a priori (or rarify through subsampling) to satisfy the assumption of independence
- 2. variance inflation adopt a post hoc approach to adjust (inflate) standard errors of the parameters
- 3. explicit modelling of correlation

When sample size is sufficient (for both the no. of animals and no. of relocations per animal), animals (not relocations) should be considerd as the unit of replication if we want to infer average selection patterns for the entire population

Two-stage methods

An intuitive approach

First stage

Regression models may be fit to data from individual animals and then averaged to determine population level responses.

$$Y_{ij} = \alpha_i + \beta_i x_{ij} + \epsilon_{ij}$$

We obtain 22 estimates of α_i and β_i

Second stage

Sample means and variances are used in the second stage to characterize population means and variances.

Two-stage methods

Two-stage method: advantages

- \blacktriangleright unbiased estimators of $\bar{\beta}$ assuming individuals are independent
- can determine different covariate structures for each individual (model selection at individual level)
- model selection can be performed at the population level (makes more sense if we want to characterize typical selection patterns note: likelihoods are additive given independence of the animals)

Two-stage methods

Two-stage method: drawbacks

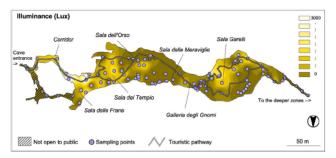
- ▶ sufficient data must exist for fitting individual-level models
- Γ17 22
- > table(dati.GLMM\$Specimen)
- 1 2 3 4 5 6 7 8 9 10 12 13 14 15 16 17 18 19 20 21 22
- 4 2 5 9 9 12 13 19 3 27 31 10 12 2 5 9 9 2 7 17 4

Are we going to drop individuals that are followed for only a short period of time?

Random effects - exercise 4

With the two-stage approach, the animal is treated as a random effect.

A variable is considered random when the investigator has not controlled explicitly for levels of the variable in the experimental design, but has chosen a random sample of levels from the population



Mixed model formulation

By including a random effect for individuals, individual variability is identified explicitly and the scope of inference can be extended to the entire population

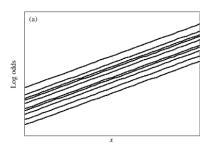
Mixed-effects models offer a powerful apporach to modelling correlated data under the assumption that latent or unmeasured characteristics associated with individuals might induce correlation among repeated measurements on these individuals.

$$Y = X\beta + Zb + \epsilon$$

Random intercept model: interpretation

For a single animal, the logit model g(x) is:

$$g(x) = (\beta_0 + \gamma_{0j}) + \beta_1 x_{1ij} + \beta_2 x_{2ij} + \dots + \beta_n x_{nij}$$

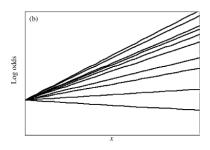


Random intercepts allow the intercept or magnitude of the response to vary among animals.

The addition of a random intercept compensates for unbalanced designs

Random slope model: interpretation

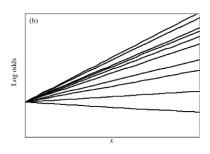
$$g(x) = \beta_0 + \beta_1 x_{1ij} + \dots + \beta_n x_{nij} + \gamma_{nj} x_{nj}$$



The inclusion of random coefficients allows the effect of covariates to vary among animals. This is more biologically meaningfull

Random slope model: interpretation

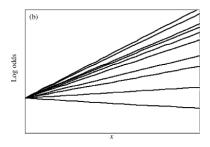
$$g(x) = \beta_0 + \beta_1 x_{1ij} + \dots + \beta_n x_{nij} + \gamma_{nj} x_{nj}$$



BUT...what about the number of parameters??

Random slope model: interpretation

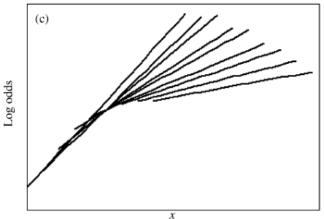
$$g(x) = \beta_0 + \beta_1 x_{1ij} + \dots + \beta_n x_{nij} + \gamma_{nj} x_{nj}$$



If we fit models with random coefficients, we allow for animal-level specific estimates for a response (conditional estimates) and for an overall estimate (marginal or population-level estimator)

Random intercept and slope model: interpretation

$$g(x) = (\beta_0 + \gamma_{0j}) + \beta_1 x_{1ij} + \dots + \beta_n x_{nij} + \gamma_{nj} x_{nj}$$



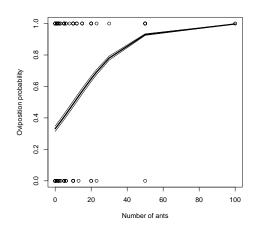
R packages

What methods are available to fit (estimate) GLMMs?

(adapted from Bolker et al TREE 2009)

Penalized quasi- likelihood	Flexible, widely implemented	Likelihood inference may be inappropriate; biased for large variance or small means	PROC GLIMMIX (SAS), GLMM (GenStat), glmmPQL (R:MASS), ASREML-R
Laplace approximation	More accurate than PQL	Slower and less flexible than PQL	glmer (R:lme4,lme4a), glmm.admb (R:glmmADMB), AD Model Builder, HLM
Gauss- Hermite quadrature	More accurate than Laplace	Slower than Laplace; limited to 2-3 random effects	PROC NLMIXED (SAS), gimer (R:ime4, ime4a), gimmML (R:gimmML), xtiogit (State
Markov chain Monte Carlo	Highly flexible, arbitrary number of random effects; accurate	Very slow, technically challenging, Bayesian framework	MCMCglmm (R:MCMCglmm), MCMCpack (R), WinBUGS/OpenBUGS (R interface: BRUgs/R2WinBUGS), JAGS (R interface: rjags/R2jags), AD Model Builder (R interfa glmm.admb¹ (R:glmmADMB)

Mixed model selection



Any other issue?

$$Y = \underbrace{\text{fixed part}}_{\alpha + \beta_1 X_1 + \dots + \beta_q X_q}$$
$$\alpha + f_1(X_1) + \dots + f_q(X_q)$$

random part

Nested data (random effects)
Temporal correlation
Spatial correlation
Random noise

Mixed models for resource selection: advantages

Mixed-effects models are appealing

- ▶ they match the way in which ecological data are structured
- ▶ they can effectively use data from individuals having few data points, eliminating the problem of sampling inequities among individuals
- they simultaneously fit individual- and population-level models, efficiently pooling information across individuals

Main references

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Overview

Resource selection studies

Motivation Definitions

Case study

Case study description Study design

Generalized Linear Model

Data exploration

Model fitting and selection

Correlation structure

Repeated observations Implications

Explicit modelling of correlation

Two-stage methods Mixed-effects models