

# DESIGN AND ANALYSIS OF ALGORITHMS LAB

## TOPIC 5: GREEDY ALGORITHMS (Q1–Q12)

### Q1. Activity Selection Problem

**Aim:** To select maximum non-overlapping activities.

**Procedure:** Sort by finish time and select greedily.

**Code:**

```
def activity_selection(start, finish):
    activities = sorted(zip(start, finish), key=lambda x: x[1])
    selected = [activities[0]]
    last = activities[0][1]
    for i in range(1, len(activities)):
        if activities[i][0] >= last:
            selected.append(activities[i])
            last = activities[i][1]
    return selected
```

```
print(activity_selection([1,3,0,5,8,5],[2,4,6,7,9,9]))
```

**Output:** Selected activities displayed.

**Result:** Maximum activities selected successfully.

### Q2. Fractional Knapsack

**Aim:** To maximize profit allowing fractions.

**Procedure:** Sort items by value/weight ratio.

**Code:**

```
def fractional_knapsack(W, items):
    items.sort(key=lambda x: x[1]/x[0], reverse=True)
    profit = 0
    for wt, val in items:
        if W >= wt:
            profit += val
            W -= wt
        else:
            profit += val * (W/wt)
            break
    return profit
```

```
print(fractional_knapsack(50, [(10,60),(20,100),(30,120)]))
```

**Output:** 240.0

**Result:** Maximum profit obtained.

### Q3. Job Sequencing with Deadlines

**Aim:** To schedule jobs to maximize profit.

**Procedure:** Sort jobs by profit and schedule greedily.

**Code:**

```
def job_sequencing(jobs):
    jobs.sort(key=lambda x: x[2], reverse=True)
    max_dead = max(j[1] for j in jobs)
    slot = [-1]*(max_dead+1)
    profit = 0
    for j in jobs:
        for d in range(j[1],0,-1):
            if slot[d] == -1:
                slot[d] = j[0]
                profit += j[2]
                break
    return profit
jobs=[('A',2,100),('B',1,19),('C',2,27),('D',1,25),('E',3,15)]
```

```
print(job_sequencing(jobs))
```

**Output:** 142

**Result:** Jobs scheduled successfully.

## Q4. Huffman Coding

**Aim:** To generate optimal prefix codes.

**Procedure:** Merge lowest frequency symbols greedily.

**Code:**

```
import heapq
def huffman(freq):
    heap=[[w,[c,""]] for c,w in freq.items()]
    heapq.heapify(heap)
    while len(heap)>1:
        lo=heapq.heappop(heap)
        hi=heapq.heappop(heap)
        for p in lo[1:]:
            p[1]='0'+p[1]
        for p in hi[1:]:
            p[1]='1'+p[1]
        heapq.heappush(heap,[lo[0]+hi[0]]+lo[1:]+hi[1:])
    return heap[0][1:]
```

```
print(huffman({'a':5,'b':9,'c':12,'d':13,'e':16,'f':45}))
```

**Output:** Huffman codes printed.

**Result:** Optimal codes generated.

## Q5. Prim's Algorithm

**Aim:** To find Minimum Spanning Tree.

**Procedure:** Select minimum edge connecting vertices.

**Code:**

```
import heapq
def prim(graph):
    visited={0}
    edges=[(w,0,v) for v,w in graph[0]]
    heapq.heapify(edges)
    cost=0
    while edges:
        w,u,v=heapq.heappop(edges)
        if v not in visited:
            visited.add(v)
            cost+=w
            for nv,nw in graph[v]:
                if nv not in visited:
                    heapq.heappush(edges,(nw,v,nv))
    return cost
```

**Output:** MST cost printed.

**Result:** MST constructed successfully.

## Q6. Kruskal's Algorithm

**Aim:** To find MST using greedy approach.

**Procedure:** Sort edges and avoid cycles.

**Code:**

```
def kruskal(edges,n):
    parent=list(range(n))
    def find(x):
        if parent[x]!=x:
            parent[x]=find(parent[x])
        return parent[x]
    cost=0
    for u,v,w in sorted(edges,key=lambda x:x[2]):
```

```

        if find(u)!=find(v):
            parent[find(u)]=find(v)
            cost+=w
    return cost

```

**Output:** MST cost printed.

**Result:** MST obtained successfully.

## Q7. Dijkstra's Algorithm

**Aim:** To find shortest path from source.

**Procedure:** Select vertex with minimum distance.

**Code:**

```

import heapq
def dijkstra(graph,src):
    dist={v:float('inf') for v in graph}
    dist[src]=0
    pq=[(0,src)]
    while pq:
        d,u=heapq.heappop(pq)
        for v,w in graph[u]:
            if d+w<dist[v]:
                dist[v]=d+w
                heapq.heappush(pq,(dist[v],v))
    return dist

```

**Output:** Shortest paths printed.

**Result:** Shortest path found successfully.

## Q8. Optimal Merge Pattern

**Aim:** To minimize total merging cost.

**Procedure:** Merge smallest files first.

**Code:**

```

import heapq
def optimal_merge(files):
    heapq.heapify(files)
    cost=0
    while len(files)>1:
        a=heapq.heappop(files)
        b=heapq.heappop(files)
        cost+=a+b
        heapq.heappush(files,a+b)
    return cost

```

```
print(optimal_merge([20,30,10,5]))
```

**Output:** 115

**Result:** Optimal merge achieved.

## Q9. Coin Change (Greedy)

**Aim:** To form amount with minimum coins.

**Procedure:** Pick largest denomination first.

**Code:**

```

def coin_change(coins,amt):
    res=[]
    for c in sorted(coins,reverse=True):
        while amt>=c:
            amt-=c
            res.append(c)
    return res

```

```
print(coin_change([1,2,5,10],27))
```

**Output:** [10, 10, 5, 2]

**Result:** Amount formed successfully.

## Q10. Minimum Platforms

**Aim:** To find minimum number of platforms.

**Procedure:** Sort arrival and departure times.

**Code:**

```
def min_platform(arr,dep):
    arr.sort(); dep.sort()
    i=j=0; plat=ans=0
    while i<len(arr) and j<len(dep):
        if arr[i]<=dep[j]:
            plat+=1; ans=max(ans,plat); i+=1
        else:
            plat-=1; j+=1
    return ans

print(min_platform([900,940,950,1100],[910,1200,1120,1130]))
```

**Output:** 2

**Result:** Minimum platforms calculated.

## Q11. Optimal Storage on Tapes

**Aim:** To minimize mean retrieval time.

**Procedure:** Sort programs by length.

**Code:**

```
def optimal_storage(files):
    files.sort()
    total=0; s=0
    for f in files:
        s+=f; total+=s
    return total/len(files)

print(optimal_storage([5,10,3]))
```

**Output:** Mean retrieval time printed.

**Result:** Optimal storage achieved.

## Q12. Scheduling with Deadlines

**Aim:** To schedule tasks efficiently.

**Procedure:** Schedule tasks greedily based on deadlines.

**Code:**

```
def schedule(tasks):
    tasks.sort(key=lambda x:x[1])
    time=0
    for t,d in tasks:
        if time+t<=d:
            time+=t
    return time

print(schedule([(2,4),(1,1),(3,5)]))
```

**Output:** Total time printed.

**Result:** Tasks scheduled successfully.