2.

$$\beta_0 = 6523.516, \beta_1 = -0.01485$$

We get this from:

$$\beta_{1} = \frac{\sum_{i=1}^{n} x_{i}(y_{i} - \bar{y})}{\sum_{i=1}^{n} x_{i}(x_{i} - \bar{x})} \qquad \beta_{0} = \bar{y} - \beta_{1}\bar{x}$$

Here
$$\overline{y} = 5988.1443$$
, $\overline{x} = 36040.05$

$$\sum_{i=1}^{n} x_i (y_i - \bar{y}) = -58050289.7$$

$$\sum_{i=1}^{n} x_i(x_i - \bar{x}) = 3907812841$$

These values of β_0 , β_1 mean that each car according to our model will be sold at most for a price of 6523.516 and will decrease by 0.01485 for every mile on the odometer.

3.

Pearson linear correlation = -0.9496964

Coefficient of determination $(R^2) = 0.901923222$

SSE of least squares linear regression = 0.91857745

Plot of Linear regression in comparison with training data:



This plot gives us an idea on what happens when a linear regression model is used to learn data that could be learnt well with a logistic regression model. For the given training data, a linear regression model does not learn the data well as seen by the SSE value and the plot.