SPCC

* Postfix Notation

1) $a+b*c \Rightarrow a+bc* \Rightarrow abc*+$

2) $a*b+c \Rightarrow ab*+c \Rightarrow ab*c+$

3) $a+b*c-d \Rightarrow a+bc*-d \Rightarrow abc*+-d \Rightarrow abc*+d-$

4) $a*b+c/d \Rightarrow ab*+cd/ \Rightarrow ab*cd/+$

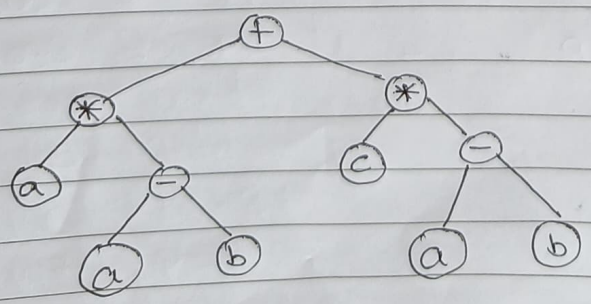
5) $a*(b+c/d) \Rightarrow a*(b+cd/) \Rightarrow a*(bcd/+)$
$\Rightarrow a(bcd/+)* \Rightarrow abcd/+*$

6) $a*(b+c)/d \Rightarrow a*(bc+)/d \Rightarrow$ ~~$a*(bc+d/$~~ $a(bc+)*/d$
$\Rightarrow abc+*d/$

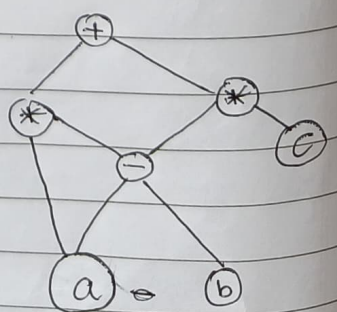
* Syntax tree and DAG

1) $a*(a-b)+c*(a-b)$
2) $a+a*(b-c)+(b-c)*d$
3) $(a*b)+(c-d)*(a*b)+b$

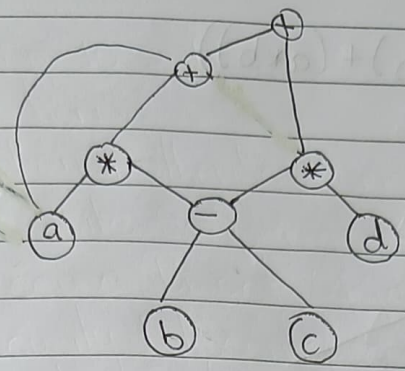
Ans 1) Syntax Tree.



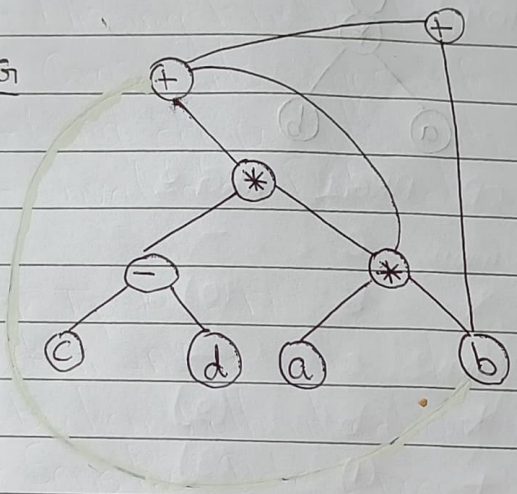
DAG



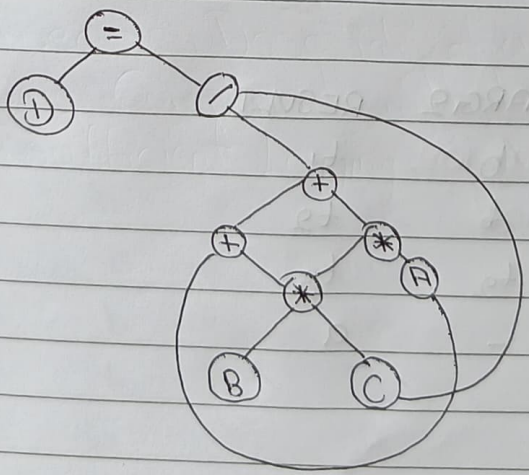
Ans 7) DAG



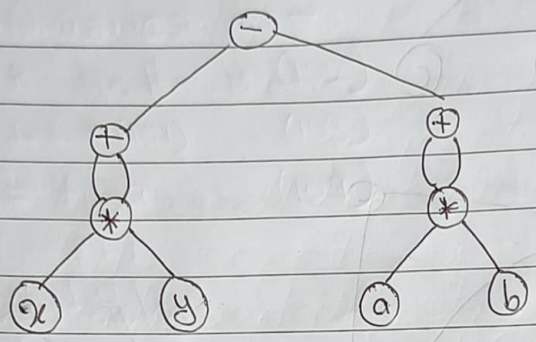
Ans 8) DAG



4) D = ((A+B*C) + (A*B*C))/C



5) $((x*y)+(x*y))-((a*b)+(a*b))$



* 3 Address Code Form

1) $a=(e-b)*(c+d)$

→ $t_1 = e-b$

$t_2 = c+d$

~~t_3~~ $= t_1 * t_2$

~~$a = t_3$~~ $a = t_3$

* Quadruples

	OP	ARG1	ARG2	RESULT
100	-	e	b	t_1
101	+	c	d	t_2
102	*	t_1	t_2	t_3
103	=	t_3	-	a

* Triples

	OP	ARG1	ARG2
100	-	e	b
101	+	c	d
102	*	(100)	(101)
103	=	a	(102)

* Indirect Triple

0	100
1	101
2	102
3	103

OP	ARG1	ARG2
100 -	e	b
101 +	c	d
102 *	(0)	(1)
103 =	a	(2)

Q) $a = b * -c + b * -c$ [-c = Unary Minus]

→ $t_1 =$ uminus c

$t_2 = b * t_1$

$t_3 =$ uminus c

$t_4 = b * t_3$

$t_5 = t_2 + t_4$, $a = t_5$

Quadruples

	OP	ARG1	ARG2	RESULT
100	uminus	c	-	t_1
101	*	b	t_1	t_2
102	uminus	c	-	t_3
103	*	b	t_3	t_4
104	+	t_2	t_4	t_5
105	=	t_5	-	a

* Triples

	OP	ARG1	ARG2
100	-	e	b
101	+	c	d
102	*	(100)	(101)
103	=	a	(102)

* Indirect Triple

0	100
1	101
2	102
3	103

	OP	ARG1	ARG2
100	-	e	b
101	+	c	d
102	*	(0)	(1)
103	=	a	(2)

Q) $a = b * -c + b * -c$ [-c = Unary Minus]

→ $t_1 =$ ~~-c~~ uminus c

$t_2 = b * t_1$

$t_3 =$ ~~$t_2 + t_2$~~ uminus c

~~$a = t_3$~~ $t_4 = b * t_3$

$t_5 = t_2 + t_4$, $a = t_5$

Quadruples

	OP	ARG1	ARG2	RESULT
100	uminus	c	-	t_1
101	*	b	t_1	t_2
102	uminus	c	-	t_3
103	*	b	t_3	t_4
104	+	t_2	t_4	t_5
105	=	t_5	-	a

* Triples

	OP	ARG1	ARG2
100	−	e	b
101	+	c	d
102	*	(100)	(101)
103	=	a	(102)

* Indirect Triple

0	100
1	101
2	102
3	103

	OP	ARG1	ARG2
100	−	e	b
101	+	c	d
102	*	(0)	(1)
103	=	a	(2)

Q) $a = b * -c + b * -c$ [-c = Unary Minus]

→ $t_1 = -c$ uminus c

$t_2 = b * t_1$

$t_3 = t_2 + t_2$ uminus c

~~$a = t_3$~~ $t_4 = b * t_3$

$t_5 = t_2 + t_4$, $a = t_5$

Quadruples

	OP	ARG1	ARG2	RESULT
100	uminus	c	−	t_1
101	*	b	t_1	t_2
102	uminus	c	−	t_3
103	*	b	t_3	t_4
104	+	t_2	t_4	t_5
105	=	t_5	−	a

→ triples:-

	OP	ARG 1	ARG 2
100	uminus	c	-
101	*	b	(100)
102	uminus	c	-
103	*	b	(102)
104	+	(101)	(103)
105	=	a	(104)

→ indirect triples

		OP	ARG 1	ARG 2
0	100	100	uminus	c	-
1	101	101	*	b	(0)
2	102	102	uminus	c	-
3	103	103	*	b	(2)
4	104	104	+	(1)	(3)
5	105	105	=	a	(4)

e.g.) if (x<y)
a = b+c*3
else
p = q+r

→ 100 if (x<y) goto 102
101 else goto 106
102 $t_1 = c*3$
103 $t_2 = b+t_1$
104 $a = t_2$
105 goto 109
106 $t_3 = q+r$
107 $p = t_3$
108 goto 109
109 STOP

2) while (i<=n) {
sum = sum + i;
i++;
}

→ 100 if (i<=n) go to 102
101 else goto 107
102 $t_1 = sum + i$
103 sum = t_1
104 $t_2 = i + 1$
105 i = t_2
106 go to 100
107 STOP

3) do {
sum = sum + i;
i++;
} while (i<=n);

→ 100 $t_1 = sum + i$
101 sum = t_1
102 $t_2 = i + 1$
103 i = t_2
104 if (i<=n) go to 100
105 else go to 106
106 STOP

4) while (a<b) do
if (c<d)
x = y + z

→
100 if (a<b) go to 102
101 else go to ~~106~~ 107
102 if (c<d) go to 104
103 else go to ~~106~~ 107
104 $t_1 = y + z$
105 x = t_1
106 ~~STOP~~ go to 100
107 STOP

***
5) while (a<b) do
if (a>b)
x = a + b
else
x = a - b

→ 100 if (a<b) go to 102
101 else go to 110
102 if (a>b) go to 104
103 else go to 107
104 $t_1 = a + b$
105 x = t_1
106 go to 109
107 $t_2 = a - b$
108 x = t_2
109 go to 100
110 STOP

6) for (i=1; i<=n; i++){
    f=f*i;
}

→
100 i=1
101 if (i<=n) go to 103
102 else go to 108
103 t_1=f*i
104 f=t_1
105 t_2=i+1
106 i=t_2
107 go to 101
108 STOP

7) If A<B and C<D then t=1 else t=0
8) (a*b)+(c+d)-(a+b+c+d)

Ans 7)
100 if (a<b) go to 102
101 go to 107
102 if (c<d) go to 104
103 go to 106
104 t=1
105 go to 107
106 t=0
107 STOP

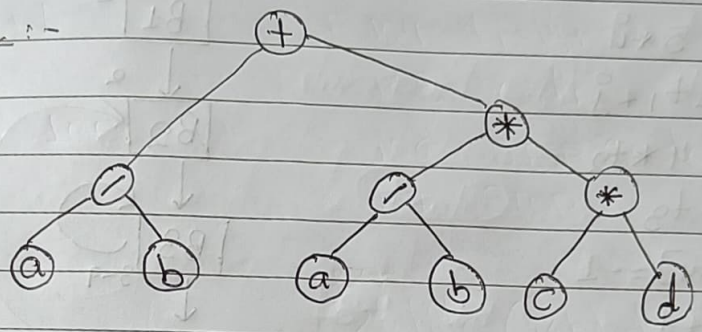
Ans 8)
100 t_1=c+d
101 t_2=b+t_1
102 t_3=a+t_2
103 t_4=c+d
104 t_5=a*b
105 t_6=t_5+t_4
106 t_7=t_6-t_3

classmate
Date
Page

Q) Write postfix notation. Draw syntax tree and DAG and also compute 3AC for the expression
(a/b)+(a/b)*(c*d)

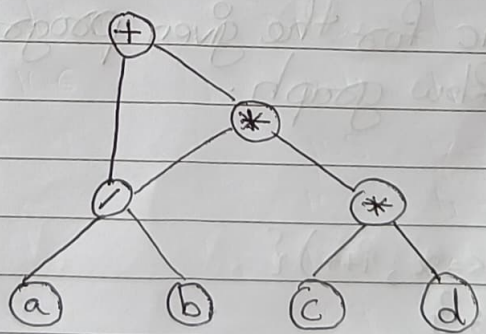
→ Postfix notation :- (a/b)+(a/b)*(cd*)
(ab/)+(ab/)*(cd*)
(ab/)+(ab/cd**)
(ab/ab/cd**+)

→ Syntax Tree :-



→ 3AC :- 100 $t_1 = a/b$
101 $t_2 = a/b$
102 $t_3 = c*d$
103 $t_4 = t_2 * t_3$
104 $t_5 = t_1 + t_4$

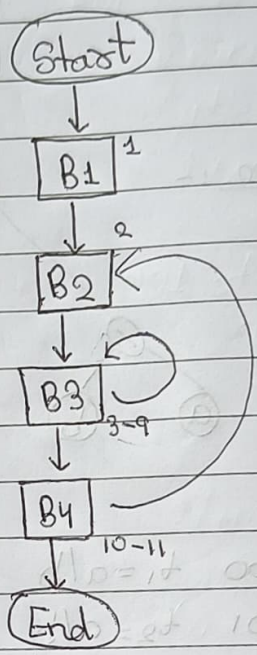
→ DAG :-



* Basic Block and Flow Graph

Q) Consider the intermediate code given below. Draw basic block and flow graph and find the number of nodes and edges in control-flow-graph constructed for the below code.

1) i = 1
2) j = 1
3) $t_1 = 5 * i$
4) $t_2 = t_1 + j$
5) $t_3 = 4 * t_2$
6) $t_4 = t_3$
7) $a[t_4] = -1$
8) $j = j + 1$
9) if ($j <= 5$) go to (3)
10) $i = i + 1$
11) if ($i < 5$) go to 2



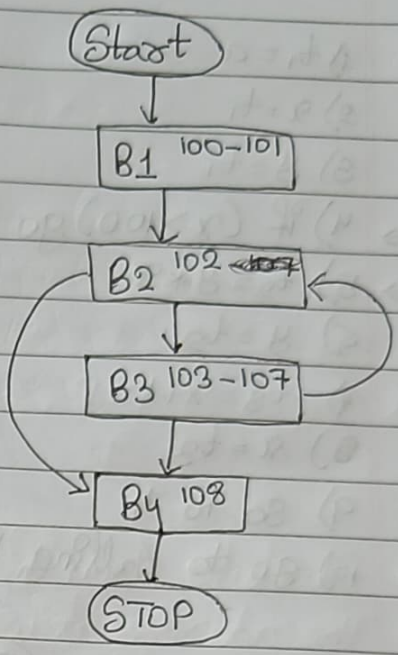
No. of nodes = 4 [Except Start & End]
No. of edges = 7

Q) Compute 3AC for the given program and draw basic block and flow graph.

```
fact (x){
  int f = 1
  for (i=2; i<=x; i++){
      f = f * i; }
    return f;
}
```

Jab initialise hoga to Direct likhna h aur jab Assignment hoga to Temporary me store krke likhna h।

```
→ 100  f = 1
  101  i = 2
→ 102  if i > x go to 108
→ 103  t1 = f * i
  104  f = t1
  105  t1 = i + 1
  106  i = t1
  107  go to 102
→ 108  Go to Calling Program
```

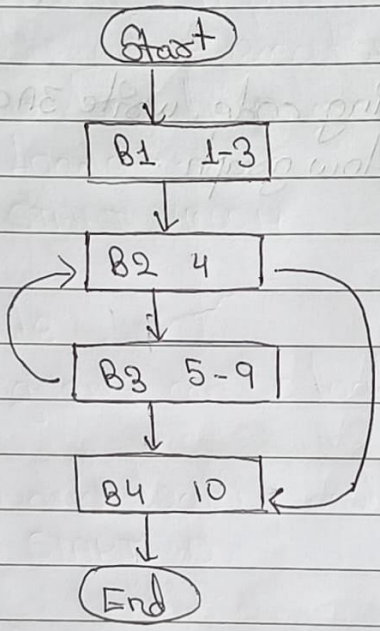


Q) Consider the following code, write 3AC and draw basic block and flow graph.

```
int func(int a){
  int x, y;
  x = a;
  y = a;
  while (a < 100){
    y = y * x;
    x = x + 1;
  }
  return y;
}
```

→ 1) ~~$t_1 = a$~~
2) $x = t_1$
3) $t_2 = a$
4) $y = t_2$
→ 5) if $(x < 100)$ go to 7
→ 6) go to 12
→ 7) $t_3 = y * x$
8) $y = t_3$
9) $t_4 = x + 1$
10) $x = t_4$
→ 11) go to 5
→ 12) Go to Calling Program

→ 1) $t_1 = a$
2) $x = t_1$
3) $y = t_1$
→ 4) if ($x > 100$) go to 10
→ 5) $t_2 = y * x$
6) $y = t_2$
7) $t_3 = x + 1$
8) $x = t_3$
9) go to 4
→ 10) go to calling Program



Q) prod=0 ; i=1 ;
do {
prod = prod + a[i]*b[i]
i = i+1 ;
} while (i<=10) ;

1) prod = 0
2) i = 0
3) $t_1 = 4 * i$
4) $t_2 = a[t_1]$
5) $t_3 = 4 * i$
6) $t_4 = b[t_3]$
7) $t_5 = t_2 * t_4$
8) ~~prod = prod~~ $t_6 = prod + t_5$
9) $prod = t_6$
10) $t_7 = i + 1$
11) $i = t_7$
12) if ($i <= 10$) go to 3