

Most Frequently asked DSA questions in MAANG

DSA Questions

1. Two Sum

Problem: Given an array of integers nums and an integer target, return indices of the two numbers such that they add up to target. Assume each input has exactly one solution, and you may not use the same element twice.

Example:

```
def twoSum(nums, target):
    hashmap = {}
    for i, num in enumerate(nums):
        if target - num in hashmap:
            return [hashmap[target - num], i]
        hashmap[num] = i
```

```
# Example
print(twoSum([2,7,11,15], 9)) # [0,1]
```

Explanation:

- Use a hashmap to store elements and their indices.
- For each number, check if $\text{target} - \text{num}$ already exists in the hashmap.
- If yes, return their indices.
- **Time:** $O(n)$
- **Space:** $O(n)$

2. Best Time to Buy and Sell Stock

Problem: You are given an array prices where $\text{prices}[i]$ is the price of a stock on day i . Find the maximum profit you can achieve by choosing a day to buy and a later day to sell.

```
def maxProfit(prices):
    min_price = float('inf')
    max_profit = 0
    for price in prices:
        min_price = min(min_price, price)
        max_profit = max(max_profit, price - min_price)
    return max_profit
```

```
# Example
print(maxProfit([7,1,5,3,6,4])) # 5
```

- Track the minimum stock price so far.
- At each step, calculate profit = price - min_price.
- Update maximum profit accordingly.
- **Time:** O(n)
- **Space:** O(1)

3. Valid Parentheses

Problem: Given a string containing only ()[]{}, determine if the string is valid (every open bracket has a matching closing bracket in correct order).

Example:

```
def isValid(s):
    stack = []
    mapping = {')':'(', ']':'[', '}':'{'}
    for char in s:
        if char in mapping:
            top = stack.pop() if stack else '#'
            if mapping[char] != top:
                return False
        else:
            stack.append(char)
    return not stack

# Example
print(isValid("()[]{}")) # True
```

Explanation:

- Use a stack to track opening brackets.
- Every time a closing bracket appears, pop and check if it matches.
- If mismatched or stack isn't empty at end → invalid.
- **Time:** O(n)
- **Space:** O(n)

4. Maximum Subarray (Kadane's Algorithm)

Problem: Find the contiguous subarray with the largest sum and return the sum.

```
def maxSubArray(nums):
    max_sum = nums[0]
    curr_sum = nums[0]
    for num in nums[1:]:
        curr_sum = max(num, curr_sum + num)
        max_sum = max(max_sum, curr_sum)
    return max_sum

# Example
print(maxSubArray([-2,1,-3,4,-1,2,1,-5,4])) # 6

print(longest_common_prefix(["flower", "flow", "flight"]))
```

Explanation:

- At each index, either extend the previous subarray or start new.
- Keep track of global maximum.
- Time: O(n)
- Space: O(1)

5. Merge Intervals

Problem: Given a collection of intervals, merge all overlapping intervals.

```
def merge(intervals):
    intervals.sort(key=lambda x: x[0])

    merged = [intervals[0]]

    for start, end in intervals[1:]:
        if start <= merged[-1][1]:
            merged[-1][1] = max(merged[-1][1], end)
        else:
            merged.append([start, end])

    return merged
```

- Sort intervals by start.
- Merge overlapping intervals by updating end time.
- Add new interval only when no overlap.
- **Time:** $O(n \log n)$ (sorting)
- **Space:** $O(n)$ (result list)

6. Product of Array Except Self

Problem: Return array where each element is product of all other elements (no division).

Example: $[1,2,3,4] \rightarrow [24,12,8,6]$

Approach: Prefix and suffix products in two passes.

def product_except_self(nums):

```
n = len(nums)
res = [1]*n
prefix = 1
for i in range(n):
    res[i] = prefix
    prefix *= nums[i]
suffix = 1
for i in range(n-1, -1, -1):
    res[i] *= suffix
    suffix *= nums[i]
return res
```

```
print(product_except_self([1,2,3,4])) # [24,12,8,6]
```

Complexity: $O(n)$, $O(1)$ extra (output not counted)

7. Group Anagrams

Problem: Given an array of strings, group the anagrams together..

```
from collections import defaultdict
```

```
def groupAnagrams(strs):
    groups = defaultdict(list)
    for word in strs:
        key = "".join(sorted(word))
        groups[key].append(word)
    return list(groups.values())
```

```
# Example
```

```
print(groupAnagrams(["eat", "tea", "tan", "ate", "nat", "bat"]))
# [['eat', 'tea', 'ate'], ['tan', 'nat'], ['bat']]
```

- Sort each word → use as a key (anagrams share the same sorted form).
- Group words by key.
- **Time:** $O(n \cdot k \log k)$ (n = words, k = length of each word)
- **Space:** $O(n \cdot k)$

8. Longest Substring Without Repeating Characters

Problem: Given a string s , find the length of the longest substring without repeating characters.

Example: $\text{nums}=[1,1,1]$, $k=2 \rightarrow 2$

Approach: Prefix sums + hashmap counting occurrences.

```
def lengthOfLongestSubstring(s):
    seen = {}
    left = 0
    max_len = 0
    for right, char in enumerate(s):
        if char in seen and seen[char] >= left:
            left = seen[char] + 1
        seen[char] = right
        max_len = max(max_len, right - left + 1)
    return max_len
```

```
# Example
```

```
print(lengthOfLongestSubstring("abcabcbb")) # 3 ("abc")
```

9. Word Search (Backtracking)

Problem: Given an $m \times n$ board and a word, return true if the word exists in the grid.

The word can be constructed from adjacent cells (horizontally/vertically), and each cell can be used once.

```
def exist(board, word):
    rows, cols = len(board), len(board[0])

    def dfs(r, c, i):
        if i == len(word): return True
        if r < 0 or c < 0 or r >= rows or c >= cols or board[r][c] != word[i]:
            return False

        temp, board[r][c] = board[r][c], "#"
        found = (dfs(r+1,c,i+1) or dfs(r-1,c,i+1) or
                 dfs(r,c+1,i+1) or dfs(r,c-1,i+1))
        board[r][c] = temp
        return found

    for r in range(rows):
        for c in range(cols):
            if dfs(r,c,0): return True
    return False

# Example
board = [
    ["A","B","C","E"],
    ["S","F","C","S"],
    ["A","D","E","E"]
]
print(exist(board, "ABCED")) # True
```

Explanation:

- Use DFS + backtracking to explore neighbors.
- Mark visited cell temporarily (#) to avoid reuse.
- Return true if full word matched.
- Time: $O(m \cdot n \cdot 4^L)$ (L = word length)
- Space: $O(L)$ recursion stack

10. Linked List Cycle Detection (Floyd's Algorithm)

Problem: Given the head of a linked list, determine if the linked list has a cycle in it.

```
class ListNode:  
    def __init__(self, x):  
        self.val = x  
        self.next = None  
  
def hasCycle(head):  
    slow, fast = head, head  
    while fast and fast.next:  
        slow = slow.next  
        fast = fast.next.next  
        if slow == fast:  
            return True  
    return False
```

Explanation:

- Use **two pointers**: slow moves 1 step, fast moves 2 steps.
- If cycle exists, they will eventually meet.
- If fast reaches None, no cycle.
- **Time:** $O(n)$
- **Space:** $O(1)$

11. Minimum Window Substring

Problem: Given strings s and t, find minimum window in s containing all chars of t. Return "" if none.

Example: s="ADOBECODEBANC", t="ABC" → "BANC"

Approach: Sliding window + counts of required chars; expand then contract. A CTE (Common Table Expression) is a temporary, named result set that you can reference within a SQL query. It improves readability and simplifies complex subqueries or recursive logic.

Syntax:

```
from collections import Counter

def min_window(s, t):
    need = Counter(t)
    missing = len(t)
    left = 0
    best = (0, float('inf'))
    for right, ch in enumerate(s):
        if need[ch] > 0:
            missing -= 1
            need[ch] -= 1
        while missing == 0:
            if right - left < best[1] - best[0]:
                best = (left, right)
            # try to move left
            need[s[left]] += 1
            if need[s[left]] > 0:
                missing += 1
            left += 1
    l, r = best
    return "" if r == float('inf') else s[l:r+1]

print(min_window("ADOBECODEBANC", "ABC")) # "BANC"
```

Benefits:

- **Complexity:** $O(|s| + |t|)$ typical, $O(1)$ alphabet assumption.

Tip: Explaining need and missing succinctly is crucial in interviews.

12. Longest Subarray with At Most K Distinct

Problem: Given array (or string) find longest subarray with at most k distinct elements.

Example: [1,2,1,2,3], k=2 → length 4 (1,2,1,2)

Approach: Sliding window + hashmap counting distinct in window.

```
from collections import defaultdict

def longest_at_most_k_distinct(nums, k):
    cnt = defaultdict(int)
    left = 0
    distinct = 0
    best = 0
    for right, x in enumerate(nums):
        if cnt[x] == 0:
            distinct += 1
        cnt[x] += 1
        while distinct > k:
            cnt[nums[left]] -= 1
            if cnt[nums[left]] == 0:
                distinct -= 1
            left += 1
        best = max(best, right - left + 1)
    return best

print(longest_at_most_k_distinct([1,2,1,2,3], 2)) # 4
```

Explanation:

- **Complexity:** O(n).

Graph Traversal

13. Top K Frequent Elements

Problem: Return the k most frequent elements from an integer array.

```
from collections import deque
def import heapq
from collections import Counter
```

```
def topKFrequent(nums, k):
    count = Counter(nums)
    return [x for x,_ in
            heapq.nlargest(k,
                           count.items(), key=lambda
                           x: x[1])]
```

```
# Example
```

```
print(topKFrequent([1,1,1,2,2,3]
                   , 2)) # [1,2]
```

```
# Example adjacency
```

```
adj = {1:[2,3], 2:[4], 3:[], 4:{}}
print(bfs_shortest_path(adj, 1, 4)) # [1,2,4]
```

Count frequency using hashmap.

Use max-heap to extract top k frequent elements.

Time: $O(n \log k)$

Space: $O(n)$

14. Detect Cycle in Directed Graph (DFS)

Problem: Detect if a directed graph has a cycle.

Approach: DFS with 3-color marking (0=unvisited,1=visiting,2=visited).

```
def has_cycle_directed(adj):
    nstates = {}
    def dfs(u):
        if nstates.get(u,0) == 1:
            return True
        if nstates.get(u,0) == 2:
            return False
        nstates[u] = 1
        for v in adj.get(u, []):
            if dfs(v):
                return True
        nstates[u] = 2
        return False
    for node in adj:
        if nstates.get(node,0) == 0:
            if dfs(node):
                return True
    return False

print(has_cycle_directed({1:[2], 2:[3], 3:[1]}))
```

Explanation:

- **Complexity:** O(V+E)..
- WHERE t.customer_id IS NULL ensures the customer had **no purchase in the last 6 months.**

15. Number of Connected Components (Union-Find)

Problem: Given n nodes and edge list, count connected components.

Approach: Union-Find (disjoint set union).Using IS NULL / IS NOT NULL:

```
SELECT * FROM employees WHERE manager_id IS NULL;
```

class DSU:

```
    def __init__(self, n):
        self.par = list(range(n))
        self.rank = [0]*n
    def find(self, a):
        while self.par[a] != a:
            self.par[a] = self.par[self.par[a]]
            a = self.par[a]
```

```

        return a
def union(self, a, b):
    ra, rb = self.find(a), self.find(b)
    if ra == rb:
        return False
    if self.rank[ra] < self.rank[rb]:
        ra, rb = rb, ra
        self.par[rb] = ra
    if self.rank[ra] == self.rank[rb]:
        self.rank[ra] += 1
    return True

def count_components(n, edges):
    dsu = DSU(n)
    for a, b in edges:
        dsu.union(a, b)
    roots = set(dsu.find(i) for i in range(n))
    return len(roots)

print(count_components(5, [(0,1),(1,2),(3,4)])) # 2

```

Complexity: $\sim O(\alpha(n))$ per op.

Tip: Explain path compression + union by rank.

