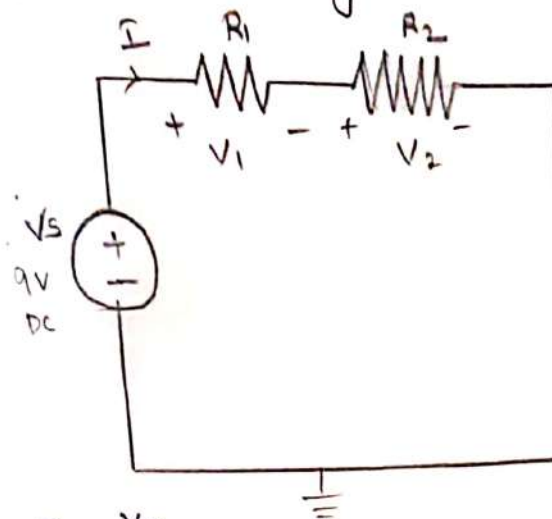


Model circuit diagram:



$$I = \frac{V_s}{R_1 + R_2}$$

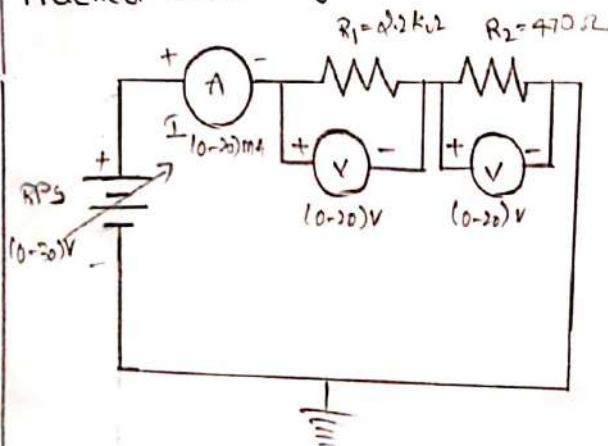
$$V_1 = I R_1$$

$$V_2 = I R_2$$

$$= \frac{V_s \cdot R_1}{R_1 + R_2}$$

$$= \frac{V_s \cdot R_2}{R_1 + R_2}$$

Practical circuit Diagram



calculations of Theoretical value:-

Given $R_1 = 2.2 \text{ K}\Omega$ $R_2 = 470$
 $= 2200\Omega$ $V_s = 14 \text{ V}$

$$I = \frac{V_s}{R_1 + R_2} = \frac{14}{2200 + 470}$$

$$I = 5.24 \times 10^{-3} \text{ A}$$

$$V_2 = \frac{V_s R_2}{R_1 + R_2}$$

$$= \frac{14 \times 470}{2200 + 470}$$

$$V_2 = 2.46 \text{ V}$$

$$V_1 = \frac{V_s R_1}{R_1 + R_2}$$

$$= \frac{14 \times 2200}{2200 + 470}$$

$$V_1 = 11.53 \text{ V}$$

$$V = V_1 + V_2$$

$$= 11.53 + 2.46$$

$$V = 13.99 \text{ V}$$

Analysis of Series and Parallel Circuits

[1A]

Prove voltage divider rule.

Aim : To analyze the series circuit

Apparatus :

Sno	Name of the Apparatus	Range	Quantity
1	Ammeter	(0-20) mA	1
2	Voltmeter	(0-20) V	2
3	Breadboard		1
4	Resistors	2.2K Ω , 470 Ω	2
5	connecting wires		AS per requirement
6	RPS	(0-30) V	1
7	Patch chords		

Procedure

- * Connect the circuit as shown in fig;
- * Vary the RPS (voltage) and note the values of V_1 , V_2 and current (I) as shown in tabular column
- * Verify the theoretical and practical values

Precautions

- * Loose connections shd be avoided
- * Voltmeters shd be connected in "parallel" to resistor and ammeter shd be connected in "series"
- * Parallax error should be avoided

Tabular form:-

$V_S (V)$	$I (mA)$	$V_1 (V)$	$V_2 (V)$
1.3	0.5	1.1	0.2
1.9	0.7	1.6	0.3
2.5	1.0	2.1	0.4
3.4	1.3	2.8	0.6
4.6	1.7	3.8	0.8

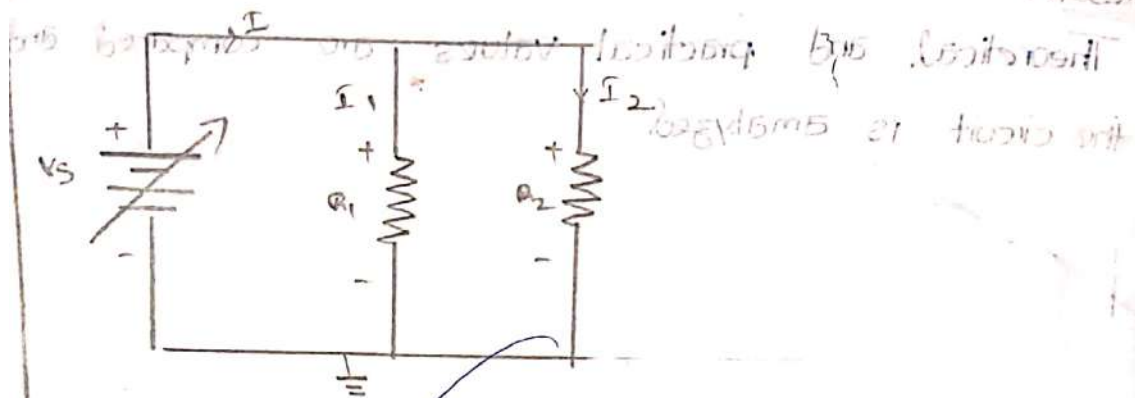
comparison:-

	Theoretical	Practical
$V_1 (V)$	11.5	11.6
$V_2 (V)$	2.46	2.4
$I (mA)$	5.2	5.1

Result:-

Theoretical and practical values are compared and the circuit is analyzed.

Model circuit diagram:-



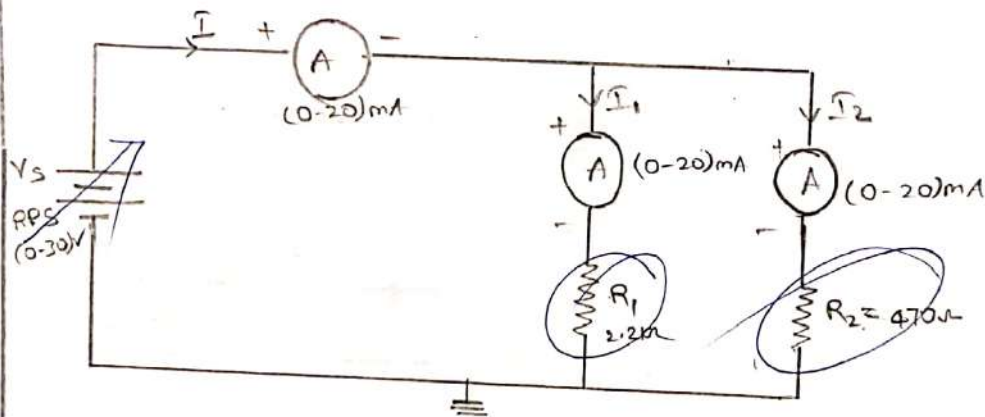
$$V_S = \frac{I R_1 R_2}{R_1 + R_2}$$

$$I_1 = \frac{V_S}{R_1} = \frac{I R_2}{R_1 + R_2}$$

$$I_2 = \frac{V_S}{R_2} = \frac{I R_1}{R_1 + R_2}$$

$$I = \frac{V_S (R_1 + R_2)}{R_1 R_2}$$

Practical circuit diagram



Calculation

Theoretical value

$$V_S = 9V \quad R_1 = 2.2k\Omega = 2200 \quad R_2 = 470\Omega$$

$$I = \frac{9(2670)}{(2200)(470)} = \frac{V_S(R_1 + R_2)}{R_1 R_2}$$

$$I = 23.2 \text{ mA}$$

$$I_1 = \frac{I R_2}{R_1 + R_2} = \frac{23.2(470)}{2670}$$

$$I_1 = 4.09 \text{ mA}$$

$$I_2 = \frac{23.2(2200)}{2670} = \frac{I R_1}{R_1 + R_2}$$

$$I_2 = 19.11 \text{ mA}$$

Analysis of series and parallel circuit

1(b)

Aim :- To analyse the parallel circuits

Apparatus:

Sl. No	Name of apparatus	Range	Quantity
1	Ammeter	(0-20) mA	3
2	Resistor	2.2 K Ω , 470 Ω	2
3	Bread board		1
4	connecting wires		AS per req
5	RPS	(0-30) V	1
6	Patch chords		AS per req

Procedure:

- * connect the circuit as shown in fig
- * Vary the RPS (voltage) and note down the values of I , I_1 , I_2 as shown in tabular column.
- * Verify the theoretical and practical values.

Precautions

- * Loose connections should be avoided
- * (Ammeter) Ammeters are connected series to the resistor.
- * Parallax error should be avoided

Tabular Column:

$V_s(V)$	$I(mA)$	$I_1(mA)$	$I_2(mA)$
1.1	1.2	0.5	0.1
2.6	6.1	1.1	2.9
6.7	16.9	2.9	13.3
9	23.1	4	19.1
10.1	26.1	4.4	21

Comparison:

	Theoretical	Practical
$I(mA)$	23.2	23.1
$I_1(mA)$	4.09	4
$I_2(mA)$	19.11	19.1

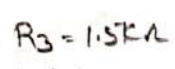
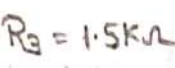
Precautions:
 * Loose connections should be avoided.
 * (Ammeter) pointers are connected across to the resistor.
 * Batteries used should be avoided.

Result:

Theoretical & practical values are compared and the parallel circuit is analysed.



Mar 24



Aim:- To analyze the nodal circuits with the given resistors by using Ammeter & Voltmeter

Apparatus required:

S.NO	components	Type	Range	Quantity
1	RPS	variable	(0-30)	1
2	Breadboard	—	—	1
3	Resistor	—	3.2k Ω , 2.2k Ω , 1.5k Ω , 470 Ω , 47k Ω	5
4	voltmeter	MC	(0-20)	2
5	connecting wire	—	—	AS per req

Theory:

In electric circuit analysis, nodal analysis, node voltage analysis, or the (branch current method) is a method of determining the voltages b/n nodes in an electrical circuit in terms of branch current.

In analyzing a circuit using Kirchhoff's circuit laws, one can either do nodal analysis using Kirchhoff's current law or mesh analysis using Kirchhoff's voltage law. Nodal analysis writes on eq. at each electrical node, requiring that branch currents incident at node must the sum to zero.

Nodal analysis is possible when all circuit elements branch constitutive relations have an admittance representation. Nodal analysis produce a compact set of eq. for the network, which can be solved by hand if small. or can be quickly solved using linear algebra

Con!

Comparison values

Model analysis is possible when all circuit elements have an equivalent circuit model. Model analysis begins with the selection of the reference node and the assignment of node voltages. Kirchhoff's voltage law, Kirchhoff's current law, and Ohm's law are used to set up each electrical node, resulting in a set of branch currents. One of the advantages of circuit analysis is that it can be used to find the voltage across any element in the circuit. The method of estimating the voltage across an element is to find the voltage across the element in the circuit. The method of estimating the voltage across an element is to find the voltage across the element in the circuit.

Procedure:-

- ⇒ connect the circuit as shown in fig;
- ⇒ vary the supply voltage by steps until 30V
- ⇒ Note down the values of V_1 & V_2 from the respective voltmeter
- ⇒ calculate the voltage values theoretically.
- ⇒ verify the circuit by KCL at diff. node
- ⇒ now compare the theoretical & practical val.

Precautions:

- * The voltmeter shd be connecting in parallel
- * Avoid loose connection
- * Avoid errors in readings

$$2I + pI = 5I + 5I$$

$$\frac{V-V}{2I} + \frac{V-V}{5I} = \frac{V-V}{2I}$$

$$1 - 0 = 2.5I + 1.5I$$

$$1 = 4I$$

$$I = 0.25A$$

$$\frac{V-V}{2I} + \frac{V-V}{5I} = \frac{V-V}{2I}$$

$$\frac{(V-V) \cdot 5I + (V-V) \cdot 2I}{10} = \frac{V-V}{2I}$$

$$(V-V) \cdot 5 + (V-V) \cdot 2 = 5(V-V)$$

$$5(V-V) + 2(V-V) = 5(V-V)$$

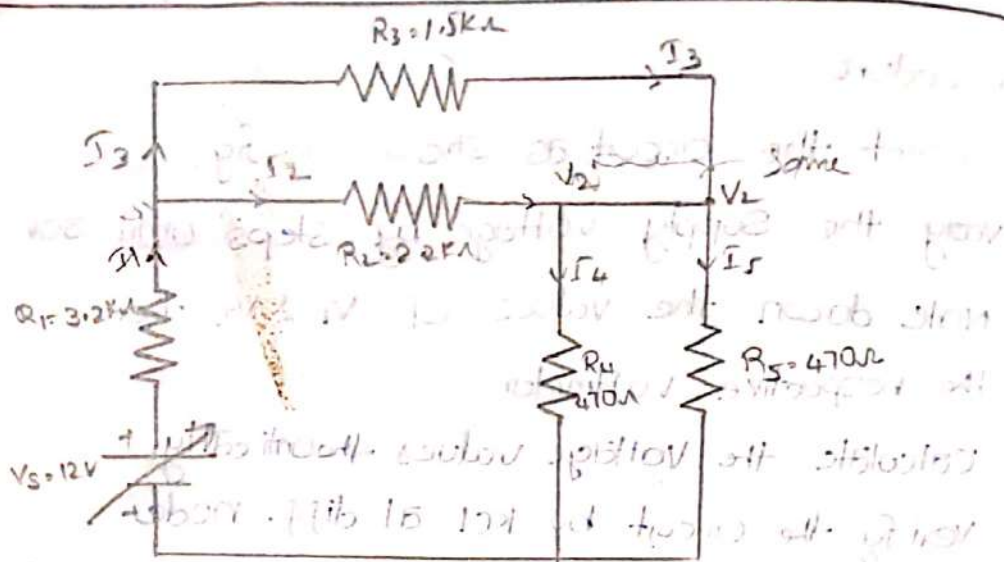
$$7(V-V) = 5(V-V)$$

$$2(V-V) = 0$$

$$2(V-V) = 0$$

$$2(V-V) = 0$$

$$2(V-V) = 0$$



calculation :- At node 2

$$I_3 + I_2 = I_4 + I_5$$

$$\frac{V_1 - V_2}{1.5 \times 10^3} + \frac{V_1 - V_2}{2.2 \times 10^3} = \frac{V_2}{470} + \frac{V_2}{470}$$

$$\frac{V_1 - V_2}{1.5} + \frac{V_1 - V_2}{2.2} = \frac{10^3 \times 2}{470} (V_2)$$

$$1.12V_1 - 1.12V_2 = 4.25V_2$$

$$1.12V_1 - 5.37V_2 = 0 \quad \text{--- (1)}$$

At node -1 :-

$$I_1 = I_2 + I_3$$

$$\frac{V_s - V_1}{R_1} = \frac{V_1 - V_2}{2.2} + \frac{V_1 - V_2}{1.5}$$

$$\frac{12 - V_1}{3.2} = \frac{1.5(V_1 - V_2) + 2.2(V_1 - V_2)}{3.3}$$

$$-3.3V_1 + 39.6 = 11.84(V_1 - V_2)$$

$$15.14V_1 - 11.84V_2 = 39.6 \quad \text{--- (2)}$$

By solving (1) & (2)

$$V_1 = 3.12V, \quad V_2 = 0.6V$$

$$I_3 = \frac{3.12 - 0.6}{1.5} = 1.68mA, \quad I_2 = 1.14mA$$

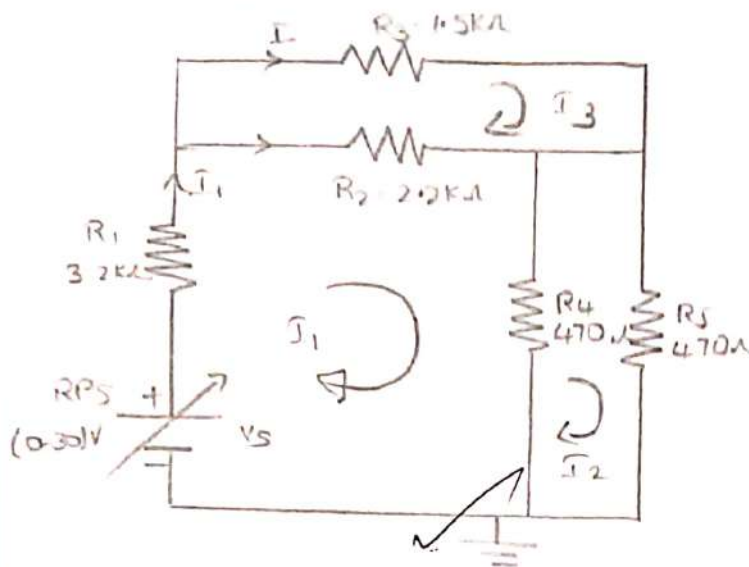
$$I_4 = 1.2mA, \quad I_5 = 1.2mA, \quad I_1 = 2.7mA$$

$$I_3 + I_2 = I_4 + I_5$$

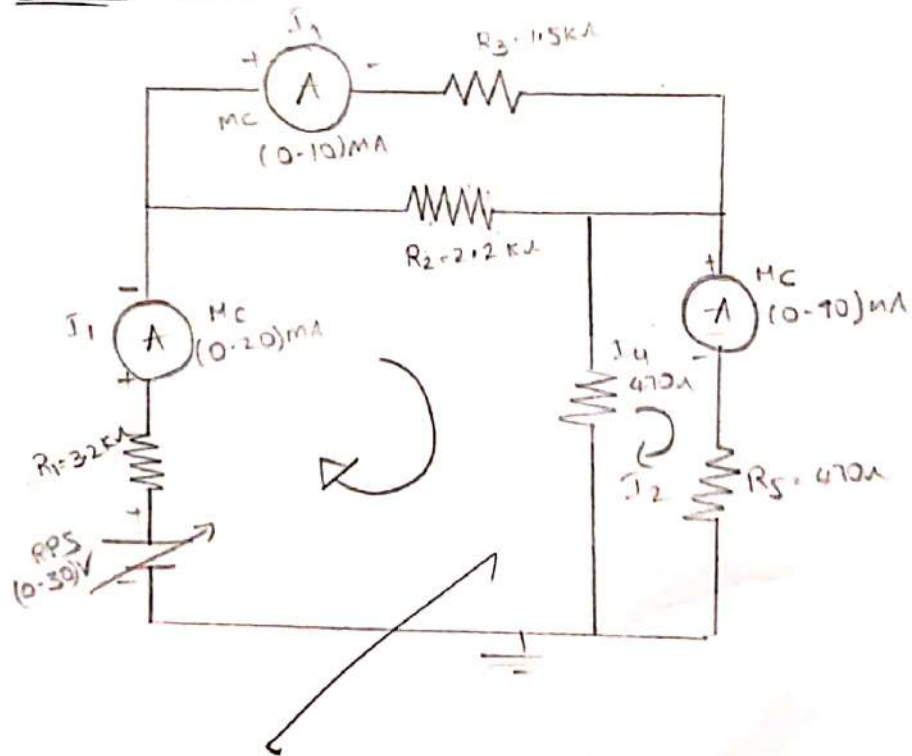
$$I_1 = I_2 + I_3$$

Result:- Hence nodal analysis of theoretical & practical values are verified

Theoretical circuit



Practical circuit



As indicated to students when using the
ammeter in the circuit.

Mesh-Analysis

Aim:- To analyze the branch currents in the meshes (loops)

Materials required

SNO	Name of material	Type	Range	Quantity
1	Bread board	Variable	-	1
2	RPS	Variable	(0-30)V	1
3	Ammeters	MC	(0-20)mA	3
4	connecting wires	-	-	As per req.
5	Patch cord	-	-	"
6	Resistor	-	3.2K Ω , 2.2K Ω , 1.5K Ω , 470 Ω , 470 Ω	5

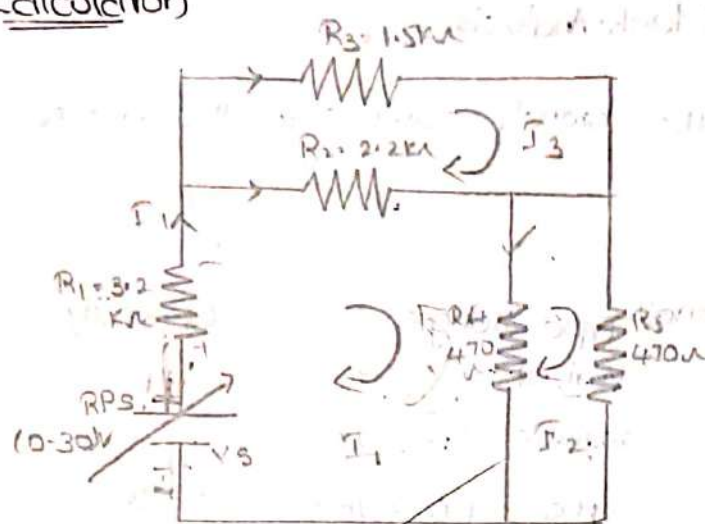
Procedure:

- i) Find the meshes (loops) for the given circuits & mark the currents for the branches of circuit
- ii) connect the circuits as shown in practical circuit of mesh analysis
- iii) connect the Ammeters in series to the Resistors as shown in given circuit
- iv) By varying the voltage in the RPS note down the values of current I_1, I_2, I_3 in the tabular column
- v) For finding the theoretical values use KVL & find a branch currents in the given circuit
- vi) Analyse the theoretical & practical val. in the given circuit

Theory

Mesh analysis is a method that is used to solve planar circuit for the currents at any place in the electrical circuit. Planar circuits are circuits that can be drawn on a plane surface with no wires crossing each other. A more general technique, called

Calculation



At loop 1 :-

$$-V_s - 3.2 I_1 - 2.2 (I_1 - I_3) - 0.47 (I_1 - I_2) = 0$$

$$V_s - 3.2 I_1 - 2.2 I_1 + 2.2 I_3 - 0.47 I_1 + 0.47 I_2 = 0$$

$$(V_s - 3.2 I_1 - 2.2 I_1 + 2.2 I_3) \times$$

$$V_s - 5.87 I_1 + 0.47 I_2 + 2.2 I_3 = 0$$

$$5.87 I_1 - 0.47 I_2 - 2.2 I_3 = V_s \quad \text{--- (1)}$$

At loop 2 :-

$$-0.47 I_2 + 0.47 (I_2 - I_1) = 0$$

$$\text{or } -0.47 I_2 + 0.47 I_1 - 0.47 I_2 = 0$$

$$-0.94 I_2 + 0.47 I_1 = 0$$

$$I_1 - 2 I_2 = 0 \quad \text{--- (2)}$$

At loop 3 :-

$$-1.5 I_3 + 2.2 (I_1 - I_3) = 0$$

$$-1.5 I_3 + 2.2 I_1 - 2.2 I_3 = 0$$

$$-3.7 I_3 + 2.2 I_1 = 0$$

$$2.2 I_1 - 3.7 I_3 = 0$$

$$I_1 = 2.77 \text{ mA} \quad I_2 = 1.3 \text{ mA} \quad I_3 = 1.64 \text{ mA}$$

loop analysis can be applied to any circuit, planar or not

Mesh analysis & loop analysis both make use of KVL to arrive at a set of equations guaranteed to be solvable if the circuit has a solution.

Precautions

The ammeter should be connected in series

Avoid loose connections

Avoid errors in readings

Instrument	Connected	Measurement	Symbol
SI	SI	(MMV) μV	V
FS	FS	(Am) μA	A
P-I	PBI	(Am) μP	P
DI	DDI	(Am) μI	I

Practical readings

S.NO	V_s (VOLT)	I_1 (mA)	I_2 (mA)	I_3 (mA)
1	5	1.3	0.8	0.6
2	10	2.3	1.6	1.3
3	12	2.7	1.9	1.6
4	20	5	2.3	2

Comparison table

S.NO	Parameter	Theoretical	Practical
1	V_s (VOLT)	12	12
2	I_1 (mA)	2.7	2.7 ✓
3	I_2 (mA)	1.84	1.9 ✓
4	I_3 (mA)	1.84	1.6 ✓

Result :- Hence the mesh analysis was completed

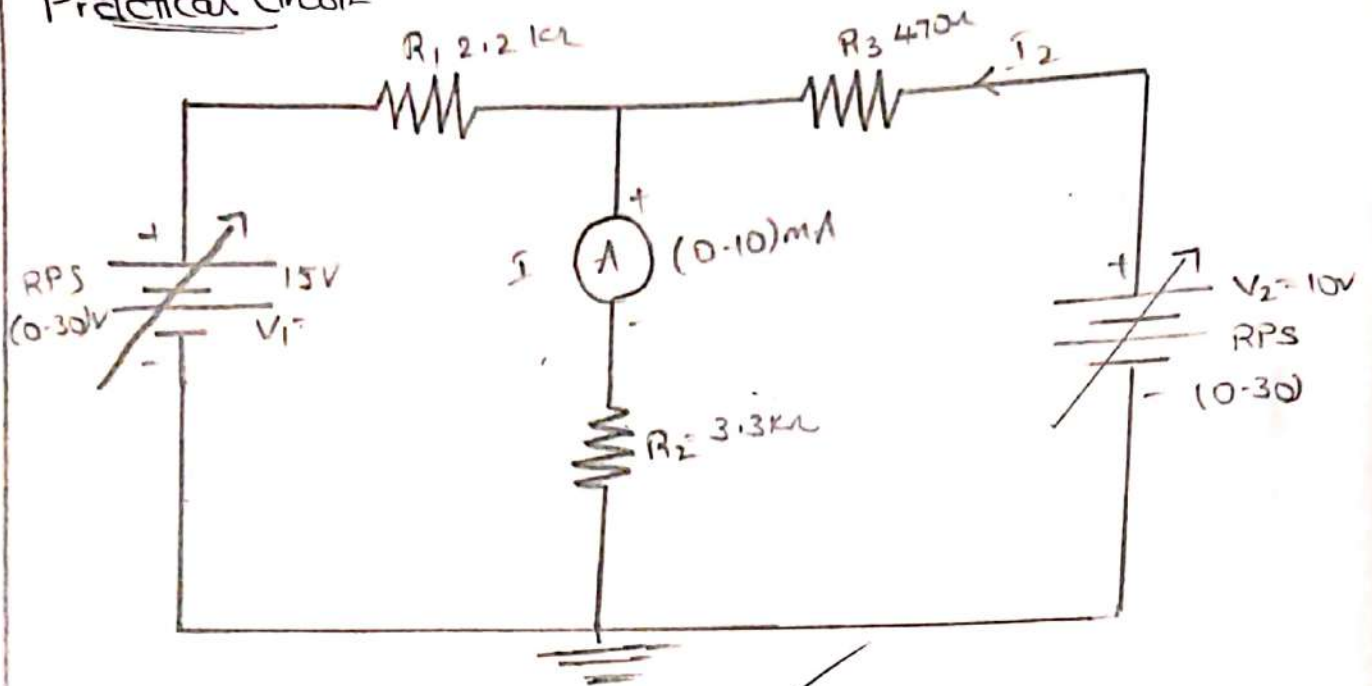
~~1~~

✓

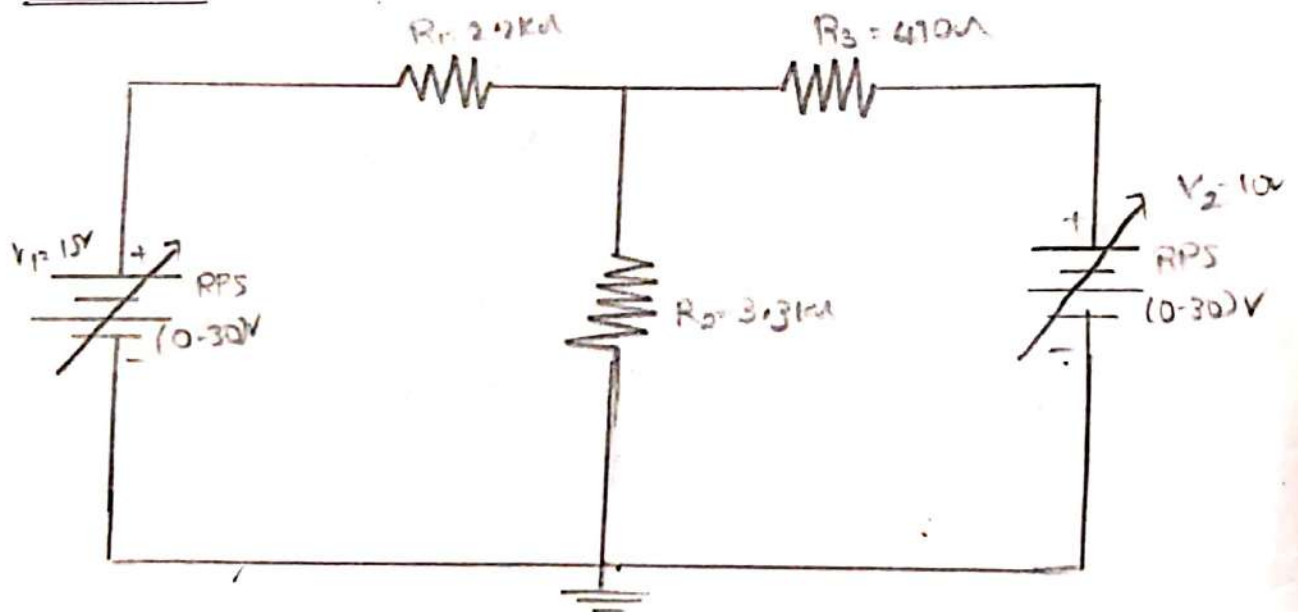
Date: 17/02/2020

Experiment no: -

Practical circuit



Theoretical circuit



11/12/2020

3(a). Verification of Superposition Theorem

Aim:- To verify the superposition theorem.

Apparatus required:

S.No	Apparatus	Type	Range	Quantity
1.	RPS	Variable	(0-30)V	2
2	Resistors		2.2 k Ω , 3.3 k Ω , 470 Ω	3
3	Ammeter	MC	(0-20) mA	1
4	Patch cords	-	-	As per req.
5	connecting wire	-	-	"

Statement :- Superposition th. states th. for a linear sys the response in any branch of a bilateral linear circuit hvg more than one independent source equal to algebraic sum of response caused by independent source acting alone, wr. all other independent source are replaced by their internal impedance.

Theory

The superposition (Stater) th. for electrical circuits states that for a linear sys the response (voltage or current) in any branch of a bilateral linear circuit hvg more than one indep. source equals the algebraic sum of responses caused by each independent source acting alone, wr. all the other indep. sources are replaced by their internal impedance.

Practical Readings with 2 sources:

S.NO	$V_1(V)$	$V_2(V)$	$I(mA)$	$I_1(mA)$	$I_2(mA)$
1	10	5	1.9	0.5	1.3
2	15	10	3.49	1	2.5
3	20	15	5	1.5	4
4	25	20	6.6	2	2.5

When V_1 is shorted

S.NO	$V_1(V)$	$I_1(mA)$
1	5	1.3
2	10	2.5
3	15	4
4	20	2.5

When V_2 is shorted

S.NO	$V_2(V)$	$I_2(mA)$
1	10	0.5
2	15	1
3	20	1.5
4	25	2

Comparison table :-

S.NO	Parameter	Practical	Theoretical
1	$V_1(Volt)$	15	15
2	$V_2(Volt)$	10	10
3	$I_1(mA)$	1	0.6
4	$I_2(mA)$	2.5	2.4
5	$I(mA)$	3.4	2.94

Procedure

- * connect the circuit as shown in fig;
- * Vary the supply voltage by steps until 30V
- * Note down the current value by varying the supply voltage V_1 & V_2
- * Now, short the one voltage source & note the current ~~voltage~~ val. & do the same with the another voltage source by shorting the first voltage
- * calculate the current val. theoretically
- * Verify the ckt by KVL at diff loops
- * Now compare the theoretical & practical val

Precaution

- * The Ammeter shd be connected in series
- * Avoid loose connections
- * Avoid errors in readings

$$\frac{V}{R} = \frac{V_1 - V_2}{R} + \frac{V_2 - V_1}{R} \Rightarrow I = I_1 + I_2$$

$$\frac{V}{R} = \frac{V_1 - 0}{R} - \frac{V - 0}{R}$$

$$\frac{V}{R} = \frac{V_1}{R} - \frac{V}{R} + \frac{V}{R} = \frac{V_1}{R} - \frac{V}{R} + \frac{V}{R}$$

$$\frac{V}{R} + \frac{V}{R} = \frac{V_1}{R} + \frac{V}{R} = \frac{V_1 + V}{R}$$

$$\frac{V}{R} + \left(\frac{V_2 - V}{R} \right) = \frac{V_1}{R} + \frac{V}{R}$$

$$\frac{V}{R} + V \left(\frac{1}{R} \right) = \frac{V_1}{R} + \frac{V}{R}$$

$$V (1 + 1) = \frac{V_1 + V}{R}$$

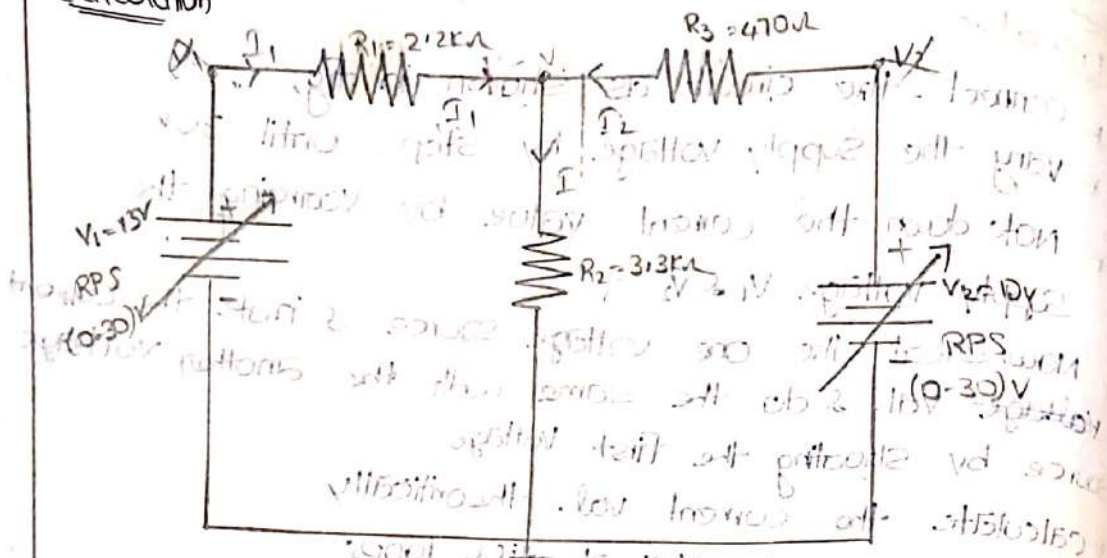
$$V \cdot 2 = \frac{V_1 + V}{R} \Rightarrow V = \frac{V_1 + V}{2R}$$

$$\text{Avg } P.S. = \frac{27.5 - 21}{2} = 3.25$$

$$\text{Avg } Z.O. = \frac{27.5 - 0}{2} = 13.75$$

$$\text{Avg } P.F. = \frac{27.5 - 0}{2} = 13.75$$

Calculation



Given $V_1 = 15V$, $V_2 = 10V$, $R_1 = 2.2k\Omega$, $R_2 = 3.3k\Omega$, $R_3 = 470\Omega$

At node V:-

$$I_1 + I_2 = I_3 \Rightarrow \frac{V_1 - V}{R_1} + \frac{V_2 - V}{R_3} = \frac{V}{R_2}$$

$$\frac{15 - V}{2.2 \times 10^3} + \frac{10 - V}{470} = \frac{V}{3.3 \times 10^3}$$

$$\frac{15}{2.2 \times 10^3} - \frac{V}{2.2 \times 10^3} + \frac{10}{470} - \frac{V}{470} = \frac{V}{3.3 \times 10^3}$$

$$\frac{1.5}{2.2 \times 10^3} + \frac{10}{470} = \frac{V}{2.2 \times 10^3} + \frac{V}{3.3 \times 10^3} + \frac{V}{470}$$

$$\frac{0.015}{2.2} + \frac{1}{47} = \frac{1}{10^3} \left(\frac{5.5V}{2.26} \right) + \frac{V}{470}$$

$$0.0068 + 0.0212 = \frac{1}{10^3} (0.75)V + \frac{V}{470}$$

$$0.028 = (2.87 \times 10^{-3}) V$$

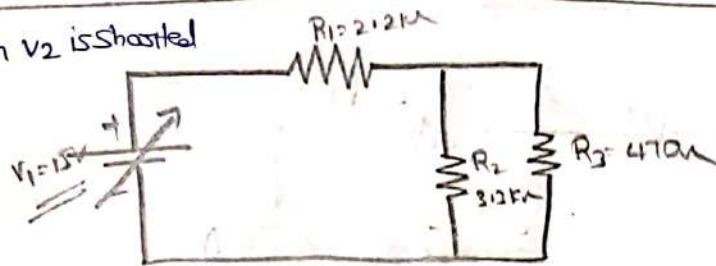
$$V = \frac{0.028 \times 10^3}{2.87} = \frac{28}{2.87} = 9.75V$$

$$I_1 = \frac{15 - 9.75}{2.2 \times 10^3} = 2.39mA$$

$$I_2 = \frac{10 - 9.75}{470} = 0.5mA$$

$$I_3 = \frac{9.75}{3.3 \times 10^3} = 2.95mA$$

When V_2 is shorted



$$R_{eq} = R_1 + \frac{1}{\frac{1}{R_2} + \frac{1}{R_3}} = 2200 + \frac{1}{\frac{1}{3300} + \frac{1}{470}} = 2200.02 \Omega$$

$$I = \frac{V_1}{R_{eq}} = \frac{15}{2611.4} = 5.7 \text{ mA}$$

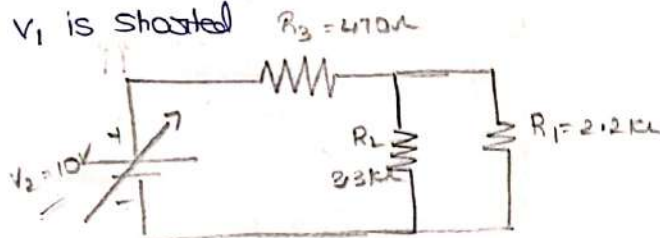
$$I_1 = \frac{5.7 \times 470}{3770} = 0.7 \text{ mA}$$

$$I_1 = \frac{\text{Total } (I) \times \text{OPP. resis}}{\text{Total resis.}}$$

Similarly $I_2 = 4.99 \text{ mA}$

$$I = I_1 + I_2$$

When V_1 is shorted



$$R_{eq} = R_3 + \frac{1}{\frac{1}{R_2} + \frac{1}{R_1}} = 470 + \frac{1}{\frac{1}{3300} + \frac{1}{2200}} = 1790 \Omega$$

$$I = \frac{V_2}{R_{eq}} = \frac{10}{1790} = 5.5 \text{ mA}$$

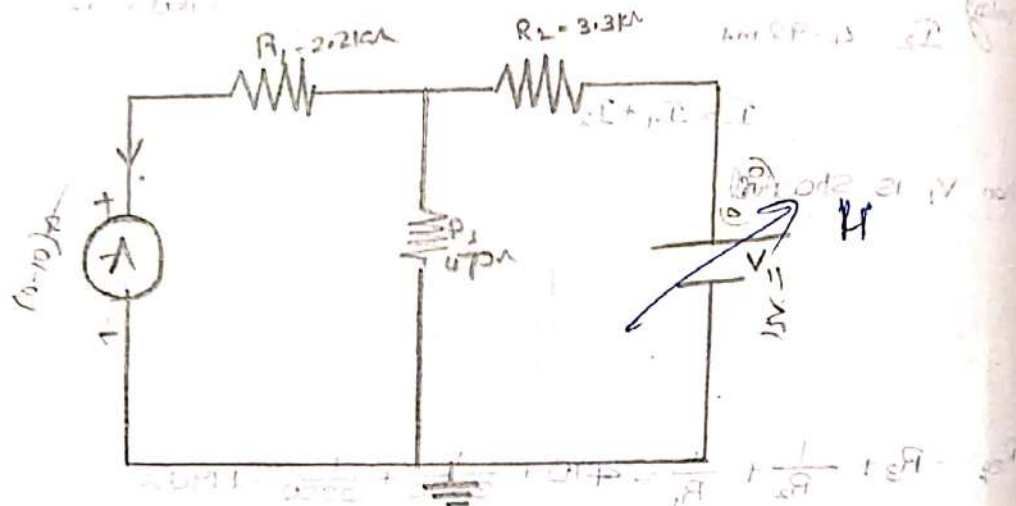
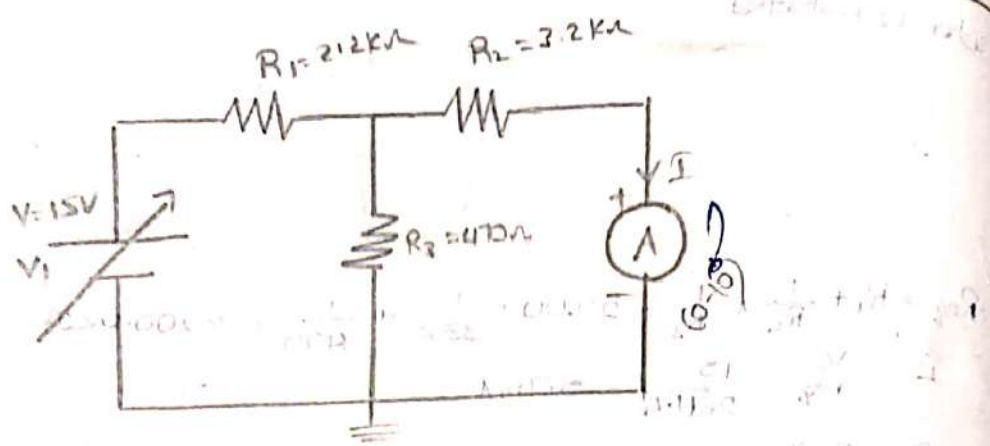
$$I_1 = \frac{\text{Total current} \times \text{OPP. resis}}{\text{total resis.}} = \frac{5.5 \times 2200}{5500}$$

$$I_1 = 2.2 \text{ mA, Similarly } I_2 = 3.3 \text{ mA}$$

$$I = I_1 + I_2$$

Result:

Hence the Superposition theorem is verified



$$I = \frac{V}{R} = \frac{15V}{3.2k\Omega} = 4.6875mA$$

$$V = I \times R = 4.6875mA \times 3.2k\Omega = 15V$$

$$I = \frac{V}{R} = \frac{15V}{3.2k\Omega} = 4.6875mA$$

$$V = I \times R = 4.6875mA \times 3.2k\Omega = 15V$$

The calculation above is verified

3b- Verification of Reciprocity theorem

Aim:- To verify the reciprocity theorem.

Apparatus

S.No	Name of experiment	Quantity	Range
1.	Bread board	1	—
2	RPS	1	(0-30)V
3	Ammeter	1	(0-10)mA
4	Resistor	3	2.2k Ω , 3.3k Ω , 4.7k Ω
5	connecting wires	As per req.	—
6	Patch cords	As per req.	—

Statement :-

In any bilateral linear network containing one (or) more independent sources. The ratio of voltage (V) introduced in one mesh to current (I) in any second mesh is same as ratio obtained if the position of voltage & current are interchanged.

Procedure :

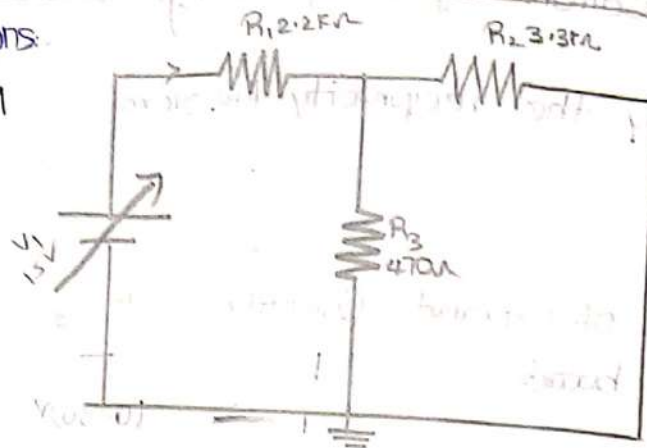
- 1) Connect the circuit as shown in fig;
- 2) Note down the practical val. for I_1 by varying V_1 .
- 3) ~~By~~ Now connect the circuit as shown in fig.
- 4) Repeat the ~~same~~ procedure as in the case of circuit-1
- 5) calculate the current val. theoretically
- 6) compare practical & theoretical values.

Theory:-

- * In the complete form, the reciprocity th. states that if an emf ' E ' in one branch of reciprocal network ' I ' in another if emf moved from first to 2nd branch.
- * Then if the emf has been replaced by short circuit.
- * Here the voltage source & the ammeter used in this theorem must be ideal.

calculations:

circuit 1



$$V_1 = 15V \quad R_1 = 2.2k\Omega \quad R_2 = 3.3k\Omega \quad R_3 = 470\Omega$$

$$R_{eq} = R_1 + \left(\frac{1}{R_2} + \frac{1}{R_3} \right)^{-1} = 2200 + \left(\frac{1}{3300} + \frac{1}{470} \right)^{-1} =$$

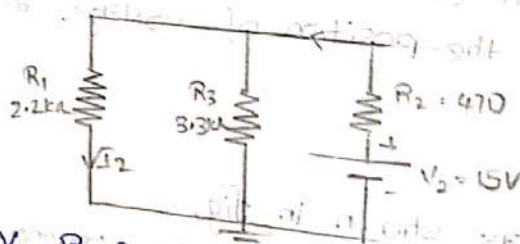
$$R_{eq} = 2200 + \frac{(3300 \times 470)}{3300 + 470} = 2200 + 411.4$$

$$R_{eq} = 2611.4\Omega$$

$$I = \frac{V_1}{R_{eq}} = \frac{15}{2611.4} = 5.7mA$$

$$I_1 = \frac{I \times R_2}{\text{total}} = \frac{5.7 \times 3300}{3770} \Rightarrow I_1 = 4.98mA$$

Circuit-2



$$V_1 = 15V, \quad R_1 = 2.2k\Omega, \quad R_2 = 470\Omega, \quad R_3 = 3.3k\Omega$$

$$R_{eq} = R_2 + \left(\frac{1}{R_1} + \frac{1}{R_3} \right)^{-1} = 470 + \left(\frac{2200 \times 3300}{2200 + 3300} \right) = 1790\Omega$$

$$I = \frac{V_2}{R_{eq}} = \frac{15}{1790} = 8.3mA$$

$$I_2 = \frac{I \times R_3}{R_{total}} = \frac{8.3 \times 3300}{5500} = 4.98mA$$

$$\frac{V_1}{I_1} = \frac{15}{4.98}$$

$$\frac{V_2}{I_2} = \frac{15}{4.98}$$

$$\therefore \frac{V_1}{I_1} = \frac{V_2}{I_2}$$

Precautions

The ammeter should be connected in series.
Avoid loose connections
Avoid errors.

Result

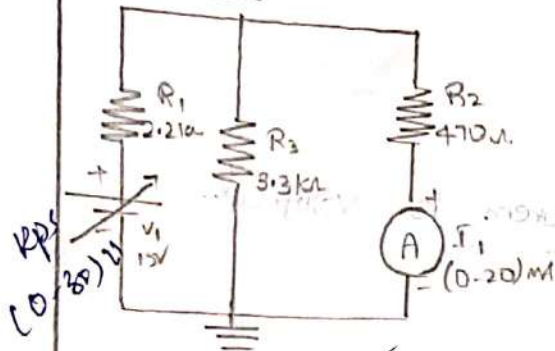
Hence the reciprocity theorem is verified.

I_1 (mA)	V_1 (V)	V_2 (V)
1.8	2	1

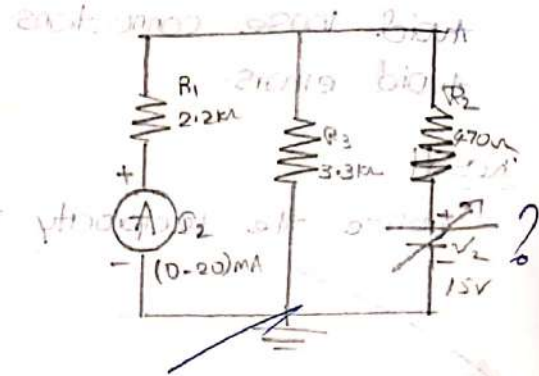
I_2 (mA)	V_2 (V)	V_1 (V)
1.8	2	1

Practical Circuit Diagram:-

Circuit - 1:-



Circuit - 2:-



Practical Readings

Circuit - 1:-

SNO	$V_1(V)$	$I_1(mA)$
1	5	1.6
2	10	3.3
3	15	5.0

Circuit - 2:-

SNO	$V_2(V)$	$I_2(mA)$
1	5	1.6
2	10	3.3
3	15	5.0

Theoretical Readings

Circuit - 1

SNO	$V_1(V)$	$I_1(mA)$
1	15	4.98

Circuit - 2 :-

SNO	$V_2(V)$	$I_2(mA)$
1	15	4.98

Comparison table

SNO	Parameters	Practical	Theoretical
1	$V_1(V)$	15	15 ✓
2	$V_2(V)$	15	15 ✓
3	$I_1(mA)$	5	4.98 ✓
4	$I_2(mA)$	5	4.98 ✓
5	$\frac{V_1}{I_1} = R_1(\Omega)$	3	3.01 ✓
6	$\frac{V_2}{I_2} = R_2(\Omega)$	3	3.01 ✓

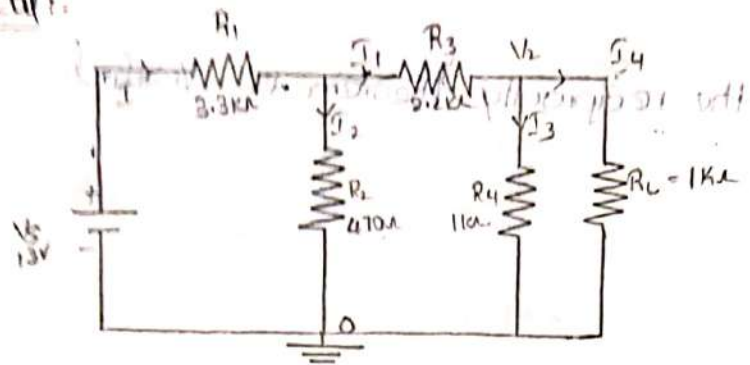
Result :-

Hence the reciprocity theorem is verified

2 3 4 5

V B V position also

Theoretical:



Calculation:-

Step-1 :- Finding node voltage V_1 & V_2

At node V_1 : $I = I_1 + I_2 \Rightarrow \frac{V_1 - V_2}{R_3} + \frac{V_1}{R_2} = \frac{V_S - V_1}{R_1}$

$$\frac{13 - V_1}{3300} = \frac{V_1 - V_2}{2200} + \frac{V_1}{470}$$

$$2.88V_1 - 0.45V_2 = 3.92 \quad \text{--- (1)}$$

At node V_2 : $I_1 = I_3 + I_4$

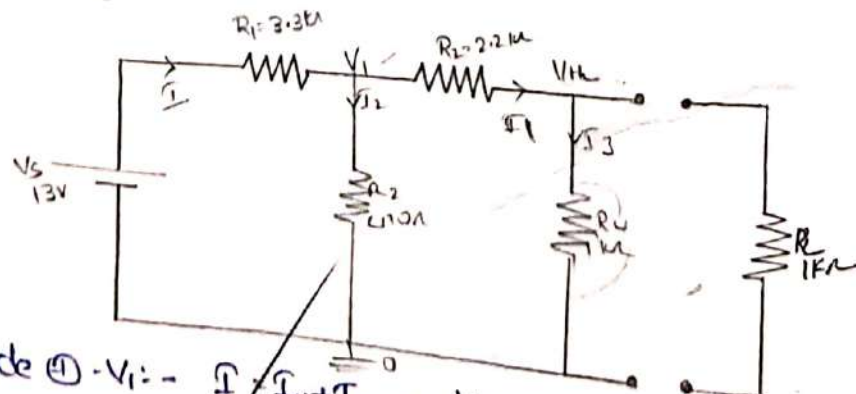
$$\frac{V_1 - V_2}{R_3} = \frac{V_2}{R_4} + \frac{V_2}{R_L}$$

$$\frac{V_1 - V_2}{2200} = \frac{V_2}{1000} + \frac{V_2}{1000}$$

$$5V_1 - 5V_2 = 22V_2 \Rightarrow 5V_1 - 27V_2 = 0 \quad \text{--- (2)}$$

$$V_1 = 1.4V, \quad V_2 = 0.26V$$

Step-2 Finding open circuit voltage (V_{th}):-



At node V_1 : $I = I_1 + I_2 = \frac{V_S - V_1}{R_1} = \frac{V_1 - V_2}{R_3} + \frac{V_1}{R_2}$

$$\frac{13 - V_1}{3300} = \frac{V_1 - V_2}{2200} + \frac{V_1}{470} \quad \text{--- (1)}$$

$$2.88V_1 - 0.45V_2 = 3.92 \quad \text{--- (1)}$$

At node V_{th} : $I_1 = I_3 \Rightarrow \frac{V_1 - V_{th}}{2200} = \frac{V_{th}}{1000}$

$$10V_1 - 32V_{th} = 0 \quad \text{--- (2)}$$

$$V_1 = 1.4V, \quad V_{th} = 0.43V$$

30/03/2020

4(a). Verification of Thevenin's Theorem

Aim: To verify Thevenin's theorem

Apparatus:

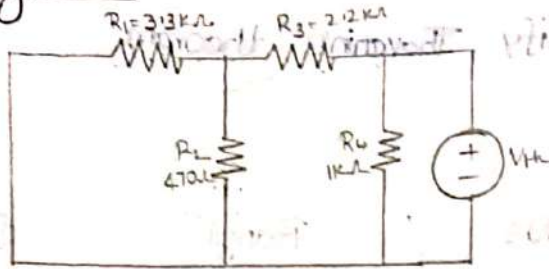
S.No	Apparatus	Range	Quantity
1	RPS	(0-30)V	1
2	Resistors	3.2K Ω , 470 Ω , 2.2K Ω 1K Ω - 2	5
3	Ammeter	(0-20) mA	1
4	Voltmeter	(0-20)V	1
5	Patch chords	—	As per requirement
6	Connecting wires	—	As per requirement

Statement:- It states that a linear 2 terminal circuit can be replaced with equivalent circuit consisting of V_{th} in series with R_{th} where V_{th} is open circuit voltage at terminals & R_{th} is equivalent resistance at terminals where all independent sources are turned off.

Theory

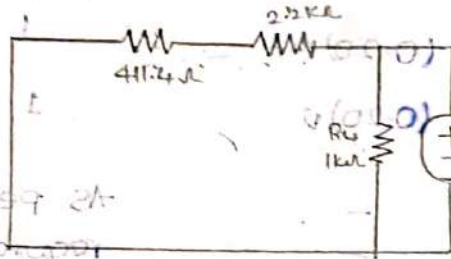
- * Any combination of batteries & resistances with 2 terminal can be replaced by a single voltage source & a single resistor
- * The val of voltage source is open circuit voltage at terminals, val. of series resistance is divided at the current with terminals short circuited
- * The Thevenin's voltage used in th. is an ideal voltage source is eq to open circuit at terminals.
- * Experimentally the thevenin's resistance can be found by progressively loading circuit until its output voltage drops to half the open circuit voltage. At that pt. load resistance is equal to thevenin's resis.

Step-3:- finding R_{th} value:-



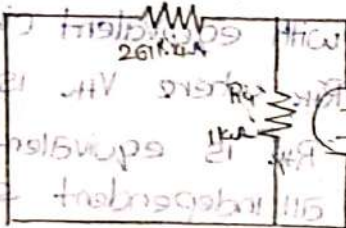
R_1 || R_2

$$\frac{(3300)(470)}{3300 + 470} = 411.4\Omega$$



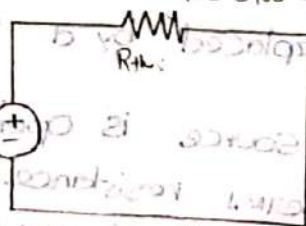
411.4Ω & R_3 are in Series,

$$411.4 + 2200 = 2611.4\Omega$$



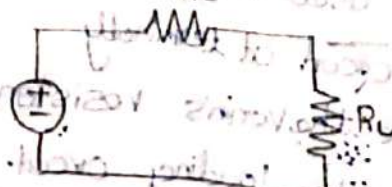
2611.4Ω || R_4 ,

$$R_{eq} = \frac{(2611.4)(1000)}{2611.4 + 1000} = 723.09\Omega = R_{th}$$



Step-4:-

Verify V_2 :-



from Voltage division rule,

$$V_2 = \frac{V_{th} \times R_4}{R_L + R_{th}} = \frac{(0.43)(1000)}{(1000) + (723.09)}$$

$$V_2 = 0.24V$$

Replacing networks by its thevenin's equivalent can simplify the analysis of complex circuit.

Procedure

- * connect circuit as shown in diagram in circuit 1 & switch on the supply & note the readings of voltmeter
- * Repeat the same for diff voltage val. & tabulate the readings.
- * now, connect circuit-2 & calculate R_{th} .
- * compare theoretical & practical values

Precautions:

- * Avoid loose connections
- * Avoid errors

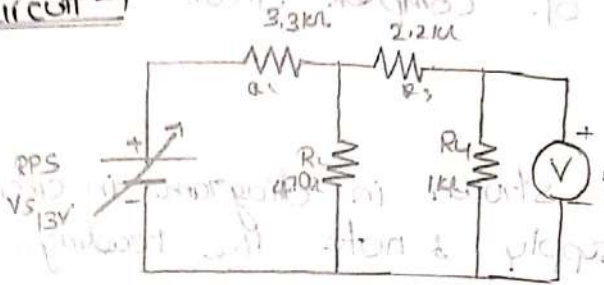
$$\frac{V_{th} + R_{th}}{R_L + R_{th}}$$

(a) R_L (ohms)	measured V_L (volts)	calculated V_L (volts)
100	0.6	0.6
150	0.4	0.4

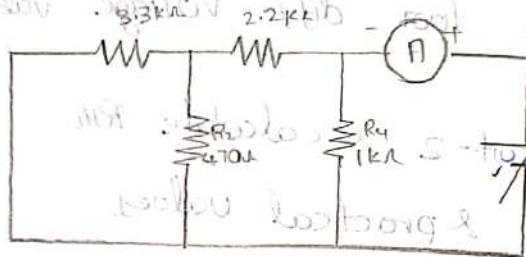
measured V_L (volts)	calculated V_L (volts)	error (%)
0.6	0.6	0
0.4	0.4	0

Practical circuit Diagram:-

Circuit -1



Circuit-2



Tabular column of V_{th} voltage

S.No	Voltage Source (V_s) (V)	V_{th} (V)
1	13	0.4

Tabular column for R_{th} Resistance

S.No	Voltage Source (V_s) (V)	current (s) mA	R_{th} (Ω)
1	4	5.5	727
2	3	4.1	731

Comparison table

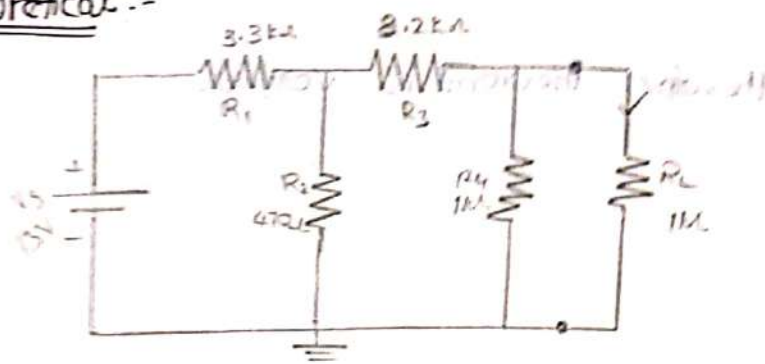
S.No	Parameters	Theoretical	Practical
1	V_{th} (V)	0.43 ✓	0.4 ✓
2	R_{th} (Ω)	723.09 ✓	727 ✓

Result

Hence ~~theorem's~~ theorem is verified.

~~do~~

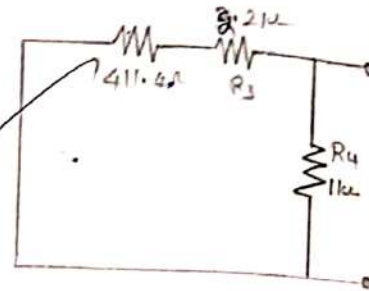
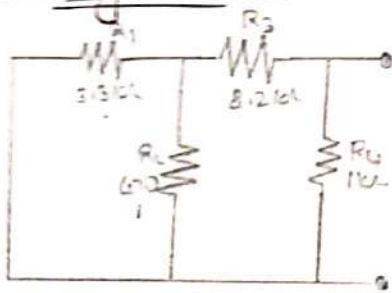
Theoretical :-



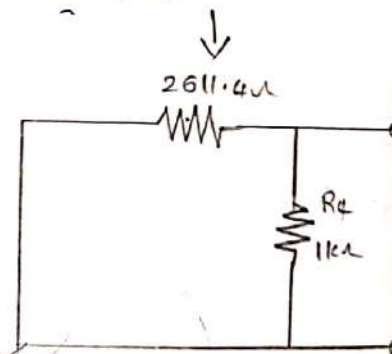
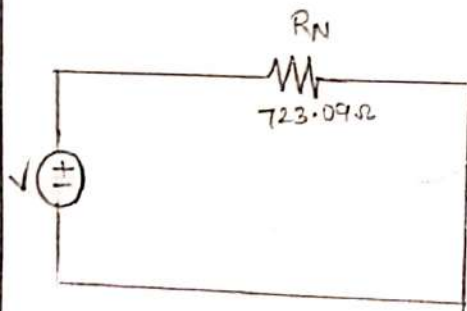
Calculation:

Finding value of R_N :-

R_1 is in series to R_2 ,



$$\frac{(3300)(470)}{3300 + 470} = 411.4\Omega$$



2611.4Ω is in series to R_4

$$R_{eq} = \frac{(2611.4)(1000)}{2611.4 + 1000} = 723.09\Omega = R_N$$

411.4Ω & R_3 are in series

$$411.4 + 2200 = 2611.4$$

$$R_N = 723.09\Omega$$

9/3/2020
(4b). Verification of Norton's theorem.

Aim:- To verify the Norton's Theorem.

Apparatus:-

SNO	Apparatus	Range	Quantity.
1.	RPS	(0-30)V	1
2	Resistor	3.3k Ω , 470 Ω , 2.2k Ω 1k Ω , 0-2"	5
3	Ammeter	(0-20)mA	1
4	Patch chords	-	As per required
5	connecting wires	-	

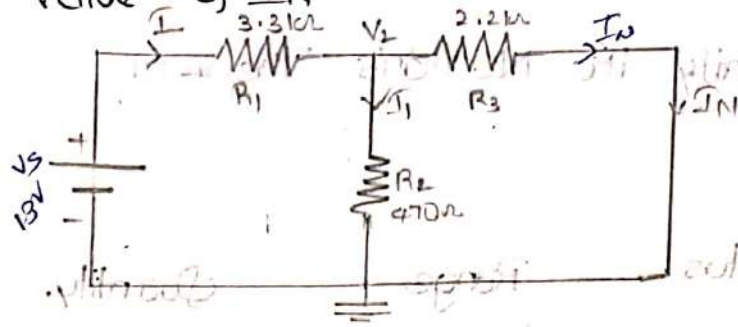
Statement:-

It states that a linear two terminal circuit can be replaced by an equivalent circuit consisting of current source (I_N) in || with a resistor (R_N) where I_N is the short circuited current at load terminal & R_N is equivalent resistor at terminals (load), when independent sources turned off.

Procedure:-

Connect the circuit as shown in fig;
From theoretical circuit, by applying nodal (or) mesh analysis find the current as I_L .
Note down the current as I_L .
Now by making voltage source (v) RPS as short, find the equivalent resistance by removing 1k Ω (R) as shown.
Note down the equivalent resistance at R_N & now making 1k Ω (R_L) as short find out the current across 470 Ω by using nodal analysis.

Finding value of I_N :



at node V_1 :

$$I = I_1 + I_N \Rightarrow \frac{13 - V_1}{R_1} = \frac{V_1}{R_2} + \frac{V_1}{R_3}$$

$$\frac{13 - V_1}{3300} = \frac{V_1}{470} + \frac{V_1}{2200}$$

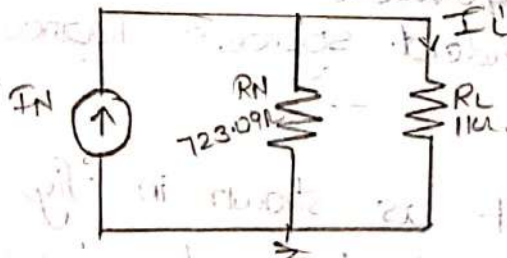
$$\frac{13}{3300} = V_1 \left(\frac{1}{3300} + \frac{1}{470} + \frac{1}{2200} \right)$$

$$\frac{13}{3300} = V_1 (2.88 \times 10^{-3}) \Rightarrow V_1 = 1.36V$$

$$I_N = \frac{V_1}{R_3} = \frac{1.36}{2200} = 0.618 \text{ mA}$$

$$I_N = 0.618 \text{ mA}$$

Finding value of I'_L :



By current division rule:-

$$I'_L = \frac{(I_N) \times (R_N)}{R_N + R_L}$$

$$I'_L = \frac{(0.618)(723.09)}{723.09 + 1000} = 0.25 \text{ mA}$$

$$I'_L = 0.25 \text{ mA}$$

* Now, name the current as I_N .
 * Note down the current I_N & find out the current I_L across R_L .

* Now, from practical & theoretical circuit, find the current I_L across R_L .

* Now compare whether R_L across circuit hence Norton's theorem is proved.

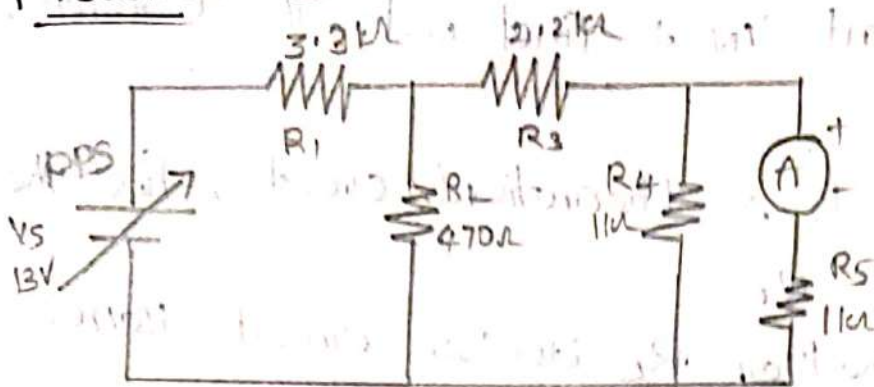
Precautions:

* Avoid loose connections

* Avoid error

Practical	Theoretical	Comparison

Practical circuit



Tabular column for practical values:

S NO	V_s (V)	I_L (mA)
1	5	0.1
2	13	0.2
3	20	0.4

comparision Table

Parameters	Theoretical	Practical
I_L (mA)	0.25	0.2

Result: - Hence Norton's theorem is verified



~~A~~ N