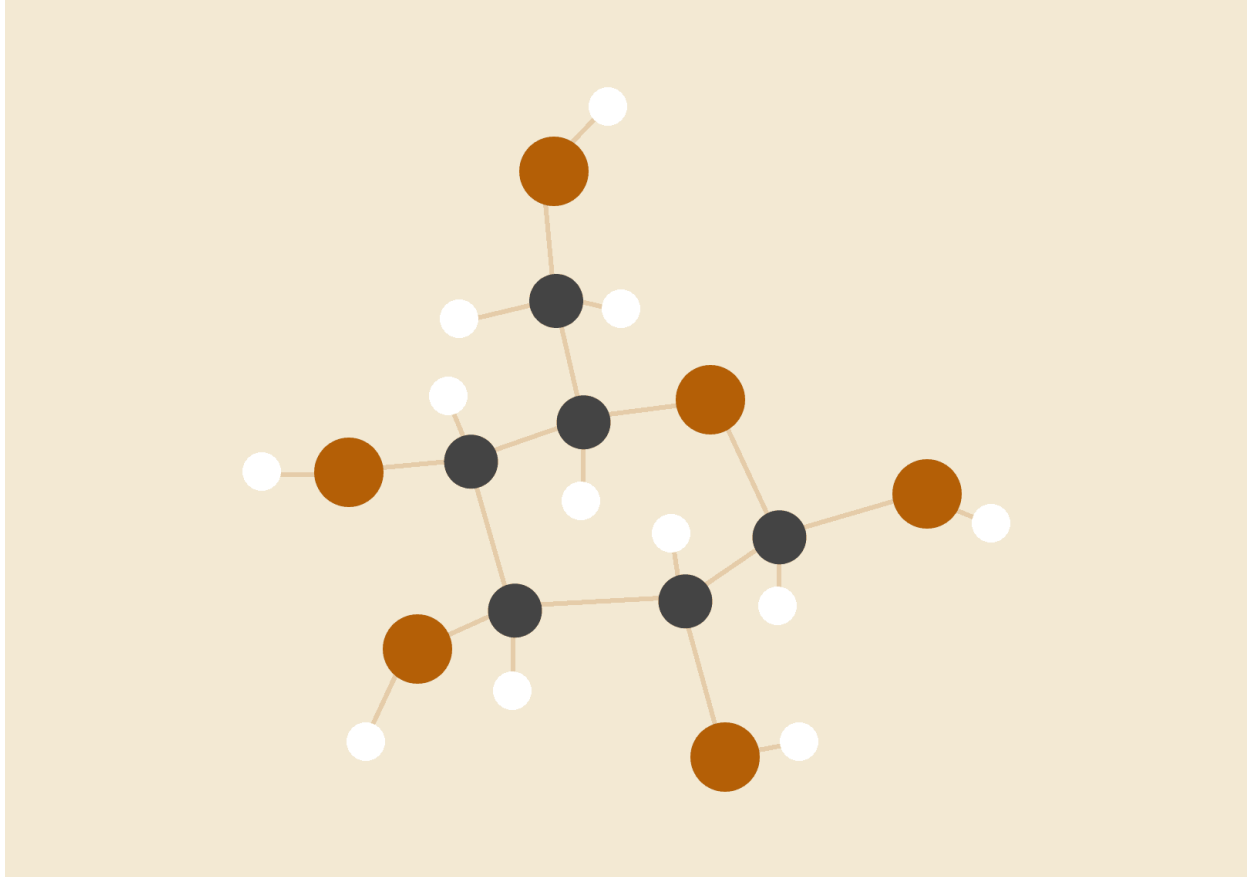


Computer Networks Lab 3



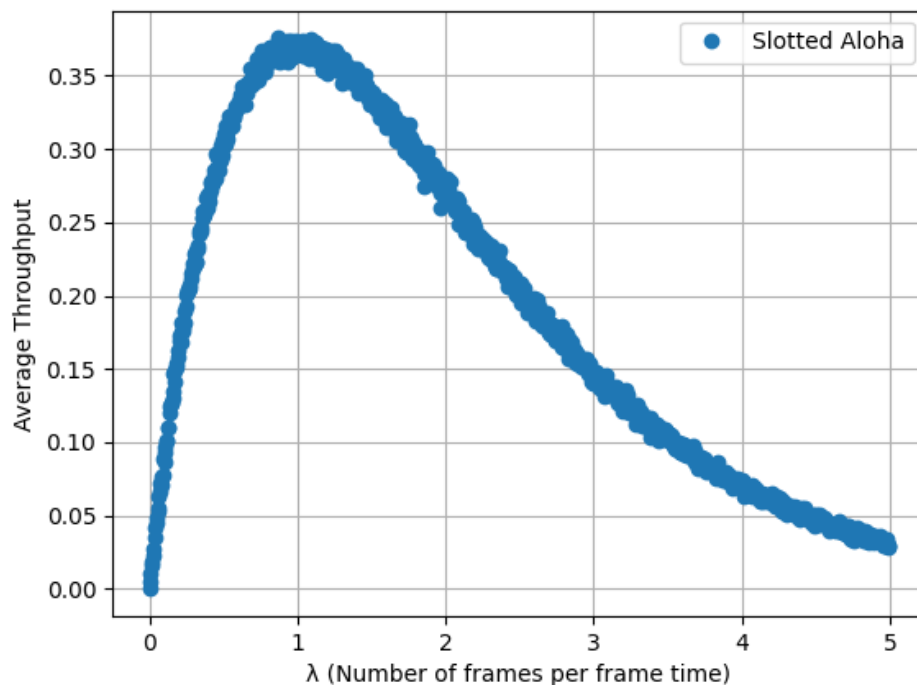
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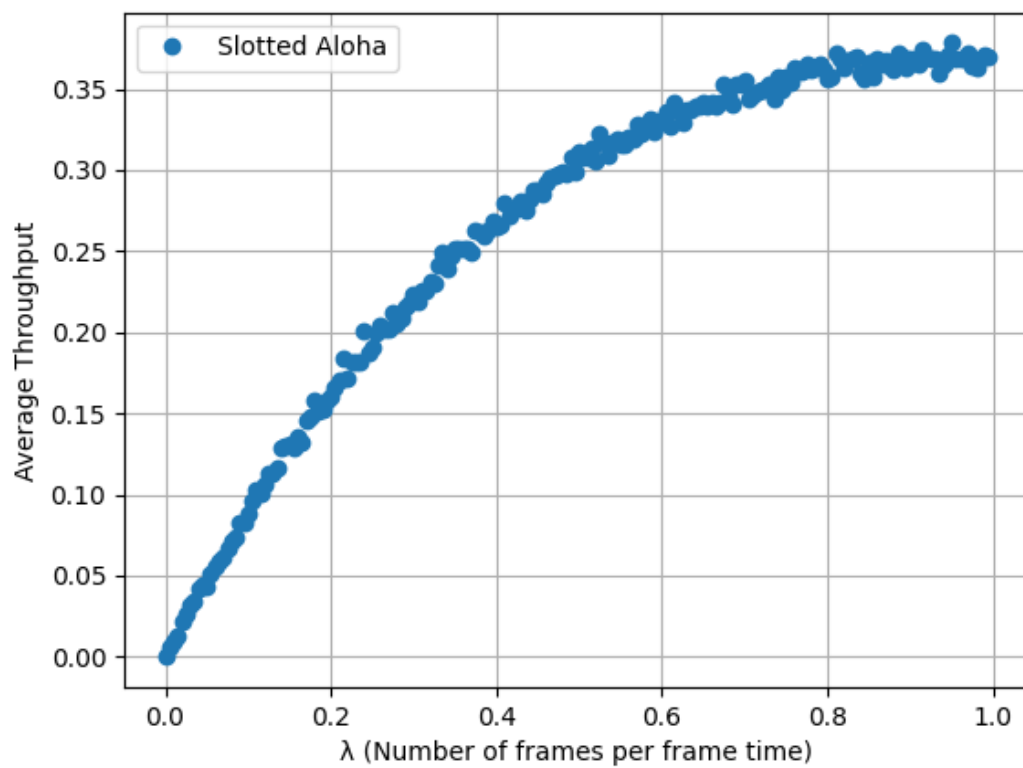
1. Consider a slotted system with $n \geq 1$. In each slot, each user generates a new ethernet frame with probability λ/n , where $\lambda \in [0, 1]$. Assume that slot length is τ , and ethernet frame transmission time is T . All users use a common channel and have to compete with each other for an opportunity to successfully transmit their frames. For a long enough simulation run, average throughput is defined as number of successful transmissions upon number of slots.

- a. Use slotted ALOHA with $T = \tau$ and $n = 100$, and plot the average throughput as a function of λ . Plot the theoretical prediction and compare with the simulation results. Assume that frames generated are not queued.



i) Figure 1: Throughput vs Lambda (0 - 5)

ii) Figure 1: Throughput vs Lambda (0 - 1)



Simulation Variables:

Number of time slots = 10000

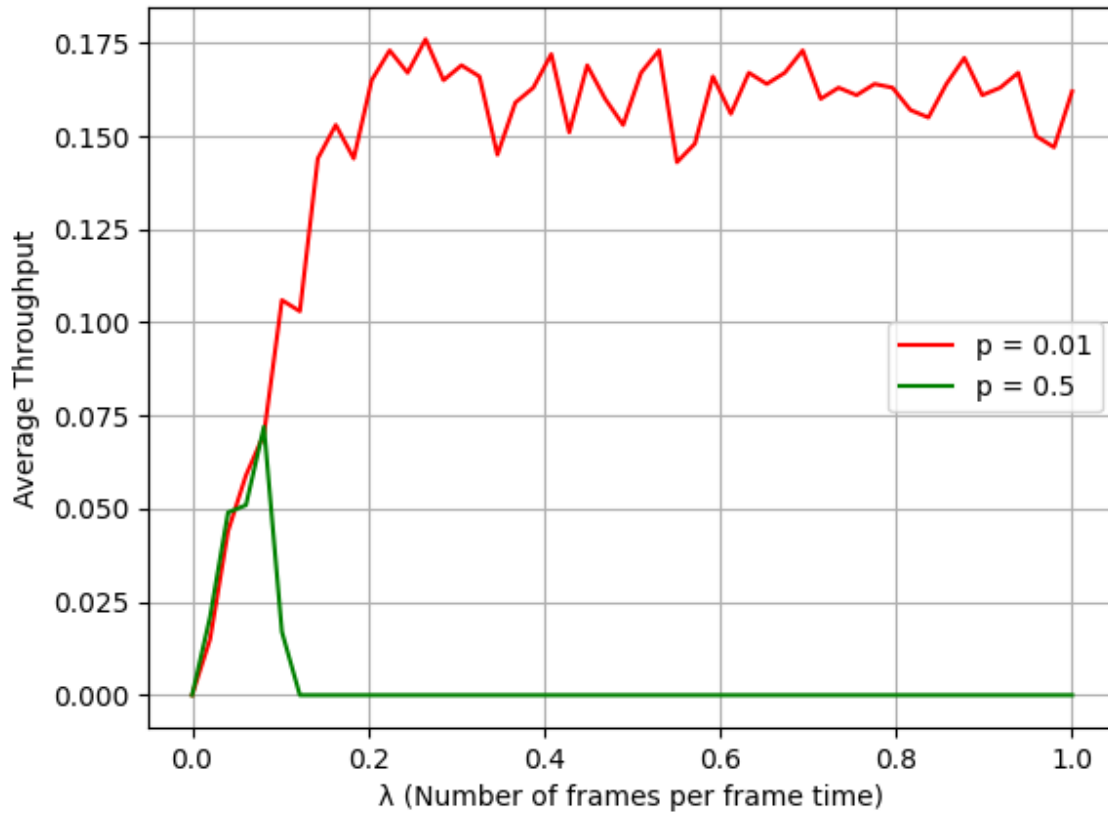
Number of users = 100

Lambda Spacing = 0.005

Algorithm:

1. Variables Initialized
 - a. $n = 100$ - 'n' is the number of User stations
 - b. $\text{num_slots} = 10000$ - 'num_slots' is the number of time slots
 - c. $\text{lamdas} = \text{np.arange}(0, 1, 0.005)$ - 'lamdas' are the list of $\lambda \in (0, 1)$
 - d. $\text{average_throughput} = []$ - The final output list of throughputs
2. For each lambda, set successful_transmission counter to 0, loop through the time slots, and on each loop calculate the probability of creation of a frame on each of the n stations. This can be done by creating 100 random numbers between [0,1] and finding the numbers that are less than λ/n . Upon doing this we will get a list of 100 numbers each 0 or 1 where 1 indicates the creation of frame and 0 indicates not creating the frame.
3. From this list, if we have more than one 1 in the list, then it means more than 1 station created a frame. This means that there is a collision and we have to discard these. Hence if the sum is equal to 1 then it means that only 1 station created a frame and there are no collisions. This means that this can be transmitted and hence we increase the successful transmission counter.
4. Append these successful_transmission values for each lambda into the average_throughput list and finally plot it with lamdas as x-axis and the average_throughput values as y-axis.

- b. Frames generated are queued. Use p-persistent CSMA with $T = 3\tau$ and $n = 100$, and plot the average throughput as a function of λ for $p = 0.5$ and $p = 0.01$



iii) Figure 1: Throughput vs Lambda (0 - 1)

Simulation Variables:

Number of time slots = 1000

Number of users = 100

Lambda Spacing = 0.02

Algorithm:

1. Variables Initialized

- a. `np.random.seed(142)` - Random Seed for better random values
- b. `n = 100` - 'n' is the number of User stations
- c. `lam = np.linspace(0, 1, 50)` - 'lamdas' are the list of $\lambda \in (0, 1)$
- d. `num_slots = 1000` 'num_slots' is the number of time slots
- e. `average_throughput = []` - The final output list of throughputs
- f. `persistence = [0.01, 0.5]` - p - Persistence Values
- g. `Successful_transmissons` - Keeping track of the number of successful transmissions for each lambda value.
- h. `Busy_flag` - Flag used for indicating whether the channel is busy or not
- i. `Wait_flag` - Flag used for waiting for 3-time slots.

2. For each persistence value, for each lambda, loop through all the time slots. On each loop of the lambda loop, set `successful_transmissons` counter = 0, `wait_flag` = 0, `busy_flag` = 0. On each loop of time slot,

- a. Create new frames on each station with a probability of (λ/n) and append it to the respective queues on each station.
 - i. In my code, I have managed this queue by creating a list of 100 binary numbers (0 or 1) where 1 indicates the presence of a frame and 0 indicates the absence of a frame. So this indicates the top of the queue for each station.
 - ii. And the number of items in the queue is managed by the "counts list" which has "n" numbers that stores the frequency of created frames on each station.
- b. Check if the line is busy by checking if the wait flag is a multiple of 3 or not. If the wait flag is a multiple of 3, it means that it is not waiting on any collision or transmission which means that it is ready to transmit. Otherwise, if it is not a multiple of 3 then it is waiting on a collision or transmission.

- c. If it is ready for transmission, then call the “transmit function” which takes in two parameters (top of the frames of all the n stations, persistence value p), and takes all the created frames, and runs a probability check of p on each of these. With a probability of p , we keep the created frame as it is, and with a probability of $1-p$, we change the created frame to not created i.e changing a 1 to a 0.
 - i. If the sum of the “transmit function” output is 1 which means that there are no collisions meaning only 1 station transmitted successfully then increment the `successful_transmission` by one and wait for three-time slots by setting the `busy_flag` to 1.
 - ii. If the sum of the “transmit function” output is 0 which means that there are no transmissions at all, in that case, the channel is idle, just skip the time slot.
 - iii. If the sum of the “transmit function” output is greater than 1 which means that there is a collision and we have to wait for three more time slots which is done by setting the `busy_flag` to 1.
 - iv. Once the `busy_flag` is set, then we are skipping three time slots, and on the 4th time slot, the transmit function is called again.
- d. Finally, append the `successful_transmissions` to the `average_througput` list and plot the graph.