

Aula Prática 03 - Estatística Experimental

DELINEAMENTO EM QUADRADO LATINO

```
> rm(list = ls(all = TRUE))
> require(dae)
> t <- 5
> n <- t * t
> Standard.order <- factor(1:n)
> Random.Order <- order(rep(runif(t), each = t), rep(runif(t),
+   times = t))
> cana.design <- fac.divide(Random.Order, list(linha = t, coluna = t))
> tratamento <- factor(c("A", "B", "C", "D", "E", "B", "C", "D",
+   "E", "A", "C", "D", "E", "A", "B", "D", "E", "A", "B", "C",
+   "E", "A", "B", "C", "D"), labels = c("A", "B", "C", "D",
+   "E"))
> cana.design <- data.frame(Standard.order, Random.Order, cana.design,
+   tratamento)
> cana.design[can.design$Random.Order, ] <- cana.design
> cana.design[, 3:5]
```

	linha	coluna	tratamento
1	1	1	B
2	1	2	D
3	1	3	E
4	1	4	C
5	1	5	A
6	2	1	D
7	2	2	A
8	2	3	B
9	2	4	E
10	2	5	C
11	3	1	E
12	3	2	B
13	3	3	C
14	3	4	A
15	3	5	D
16	4	1	A
17	4	2	C
18	4	3	D
19	4	4	B
20	4	5	E
21	5	1	C
22	5	2	E
23	5	3	A
24	5	4	D
25	5	5	B

```
> linha <- c(1, 1, 1, 1, 1, 2, 2, 2, 2, 2, 3, 3, 3, 3, 3, 4, 4,
+   4, 4, 4, 5, 5, 5, 5, 5)
> coluna <- c(1, 2, 3, 4, 5, 1, 2, 3, 4, 5, 1, 2, 3, 4, 5, 1, 2,
+   3, 4, 5, 1, 2, 3, 4, 5)
> trat <- c("D", "A", "B", "C", "E", "C", "E", "A", "B", "D", "E",
+   "B", "C", "D", "A", "B", "D", "E", "A", "C", "A", "C", "D",
```

```

+      "E", "B")
> prod <- c(432, 518, 458, 583, 331, 724, 478, 524, 550, 400, 489,
+      384, 556, 297, 420, 494, 500, 313, 486, 501, 515, 660, 438,
+      394, 318)
> dad <- data.frame(cbind(linha, coluna, trat, prod))
> dad

```

	linha	coluna	trat	prod
1	1	1	D	432
2	1	2	A	518
3	1	3	B	458
4	1	4	C	583
5	1	5	E	331
6	2	1	C	724
7	2	2	E	478
8	2	3	A	524
9	2	4	B	550
10	2	5	D	400
11	3	1	E	489
12	3	2	B	384
13	3	3	C	556
14	3	4	D	297
15	3	5	A	420
16	4	1	B	494
17	4	2	D	500
18	4	3	E	313
19	4	4	A	486
20	4	5	C	501
21	5	1	A	515
22	5	2	C	660
23	5	3	D	438
24	5	4	E	394
25	5	5	B	318

```

> dad$prod <- as.numeric(dad$prod)
> rm(linha, coluna, trat, prod)

> dad$linha <- as.factor(dad$linha)
> dad$coluna <- as.factor(dad$coluna)

> bartlett.test(prod ~ linha + coluna + trat, dad)

```

Bartlett test of homogeneity of variances

data: prod by linha by coluna by trat
 Bartlett's K-squared = 0.497, df = 4, p-value = 0.9738

```

> modelo <- aov(prod ~ linha + coluna + trat, data = dad)
> anova(modelo)

```

Analysis of Variance Table

```

Response: prod
      Df Sum Sq Mean Sq F value    Pr(>F)
linha   4  129.2   32.300   1.6123 0.234538
coluna   4   210.8   52.700   2.6306 0.087004 .
trat     4   719.6  179.900   8.9800 0.001356 **
Residuals 12   240.4   20.033
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

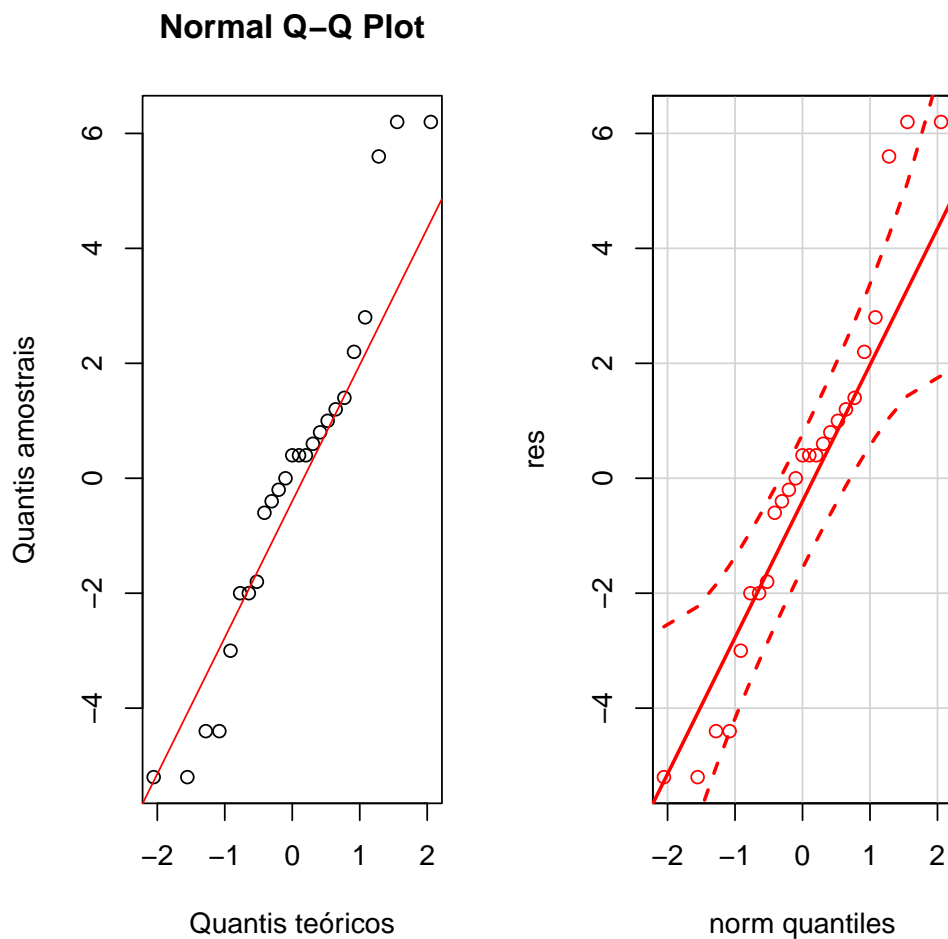
```

```
> res <- modelo$residuals
```

```

> require(car)
> par(mfrow = c(1, 2))
> qqnorm(res, xlab = "Quantis teóricos", ylab = "Quantis amostrais")
> qqline(res, col = "red")
> qqPlot(res)

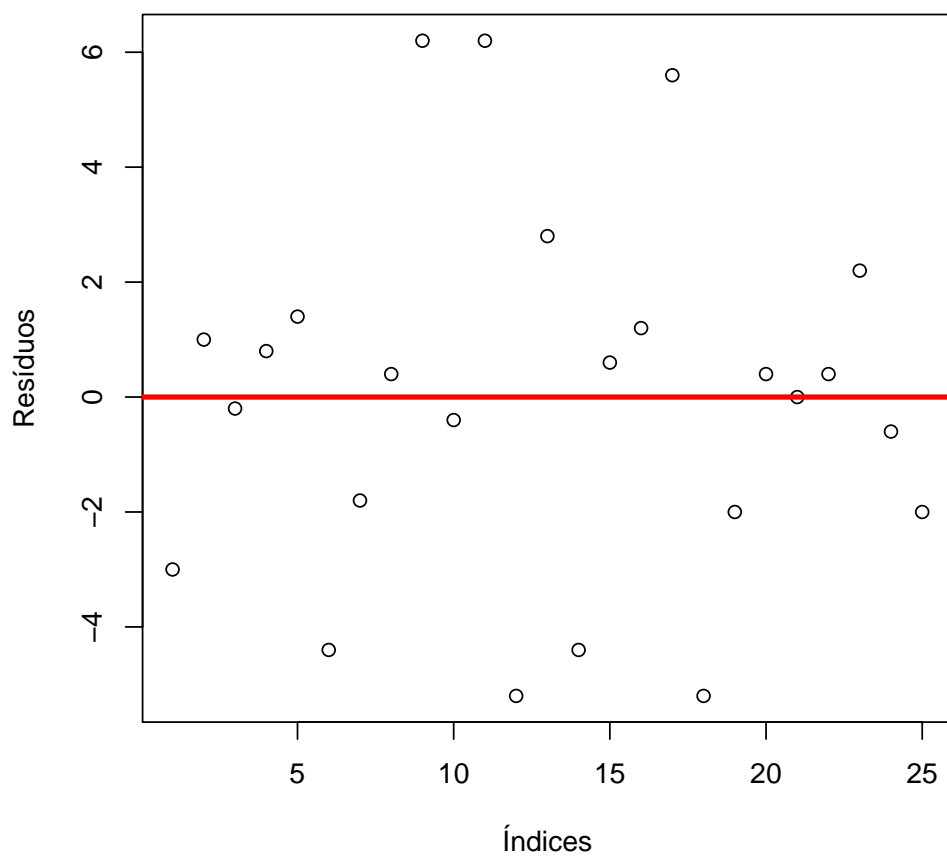
```



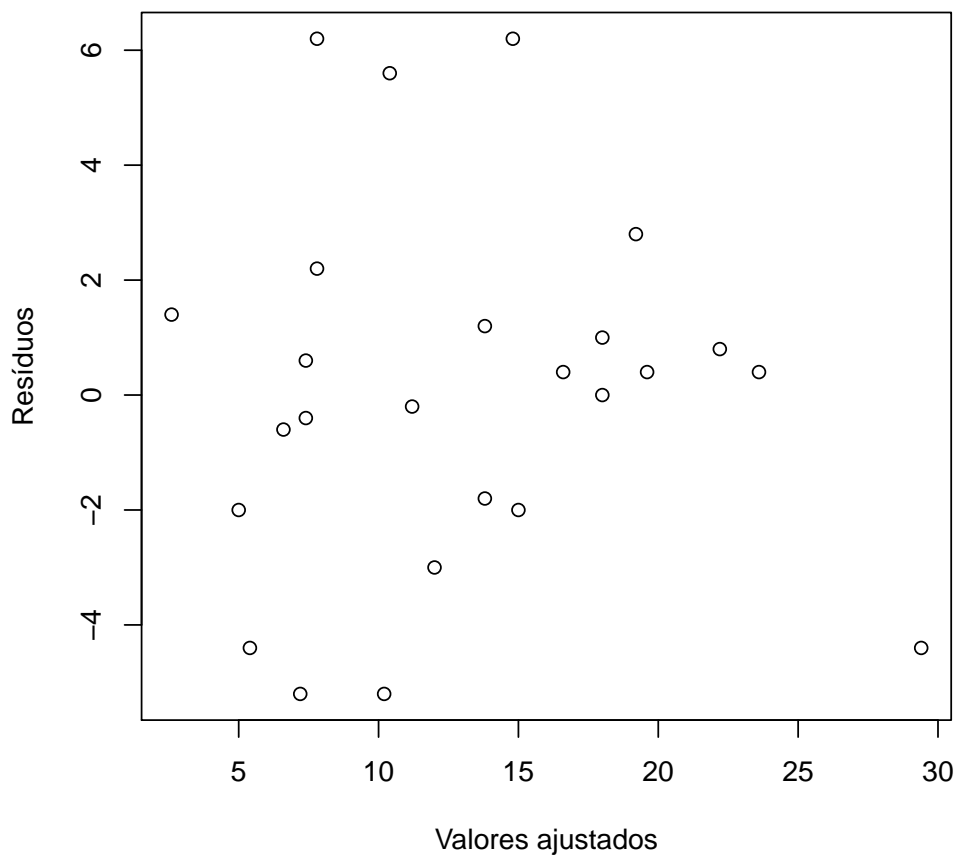
```

> par(mfrow = c(1, 1))
> plot(res, xlab = "Índices", ylab = "Resíduos")
> abline(h = 0, col = "red", lwd = 3)

```



```
> plot(fitted(modelo), res, xlab = "Valores ajustados", ylab = "Resíduos")
```



```
> shapiro.test(res)
```

Shapiro-Wilk normality test

data: res

W = 0.9435, p-value = 0.1784

```
> TukeyHSD(modelo, "trat", ordered = TRUE, conf.level = 0.95)
```

Tukey multiple comparisons of means
95% family-wise confidence level
factor levels have been ordered

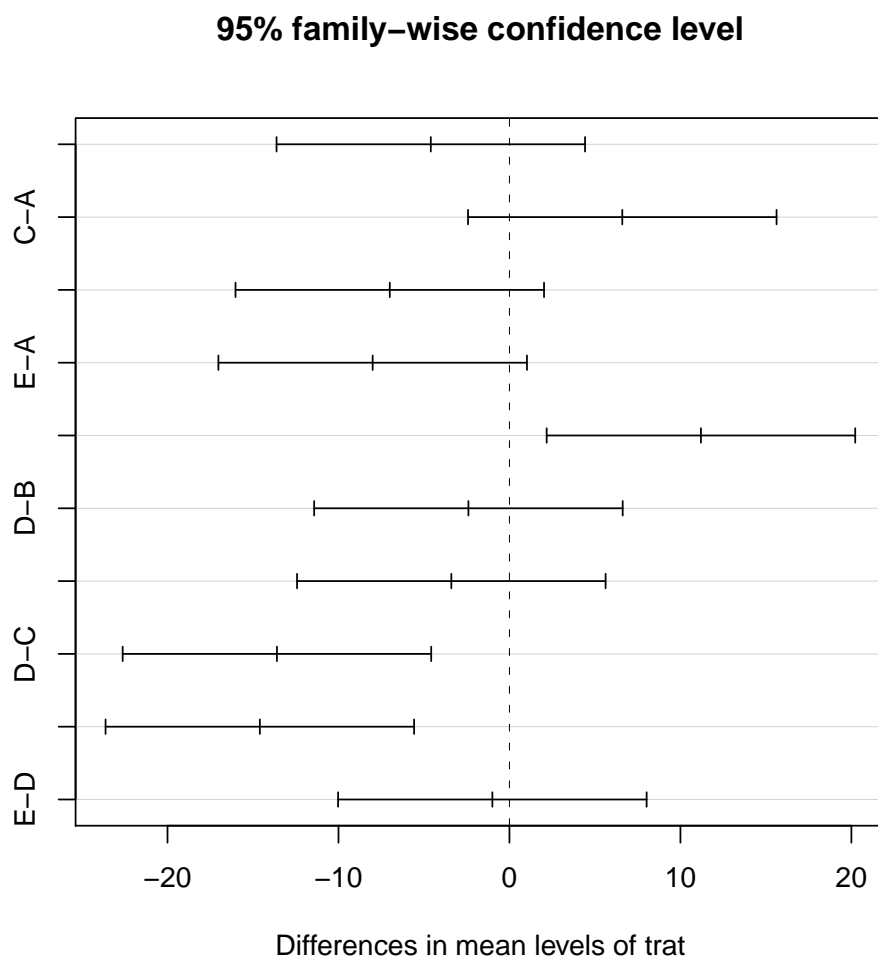
Fit: aov(formula = prod ~ linha + coluna + trat, data = dad)

\$trat

	diff	lwr	upr	p adj
D-E	1.0	-8.022930	10.02293	0.9961878
B-E	3.4	-5.622930	12.42293	0.7509740
A-E	8.0	-1.022930	17.02293	0.0916265

C-E	14.6	5.577070	23.62293	0.0018048
B-D	2.4	-6.622930	11.42293	0.9102037
A-D	7.0	-2.022930	16.02293	0.1615515
C-D	13.6	4.577070	22.62293	0.0032080
A-B	4.6	-4.422930	13.62293	0.5102088
C-B	11.2	2.177070	20.22293	0.0133795
C-A	6.6	-2.422930	15.62293	0.2005556

```
> plot(TukeyHSD(modelo, "trat"))
```



```
> require(laercio)
> LTukey(modelo, "trat", conf.level = 0.95)
```

TUKEY TEST TO COMPARE MEANS

Confidence level: 0.95
 Dependent variable: prod
 Variation Coefficient: 34.4297 %

Independent variable: trat

Factors	Means	
C	22.2	a
A	15.6	ab
B	11	b
D	8.6	b
E	7.6	b