

IG3DA

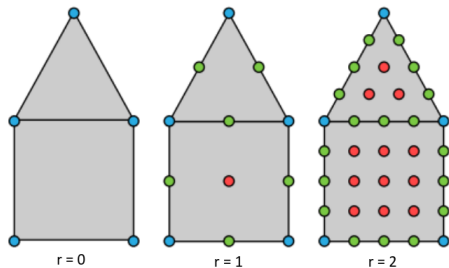
Project: Mesh Color textures

Vannvatthana Norng

Télécom Paris

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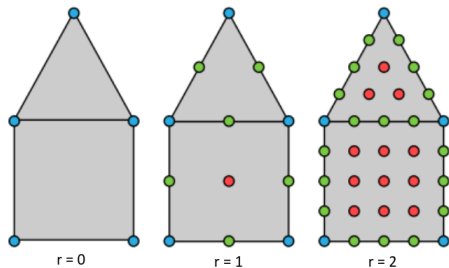
Mesh Color



- Stores color data directly on the polygonal mesh (Vertex + Edge + Face colors)

Mesh color with resolution $R = 2^r - 1$

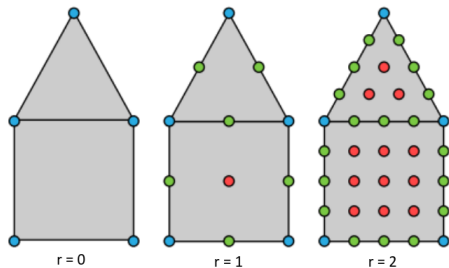
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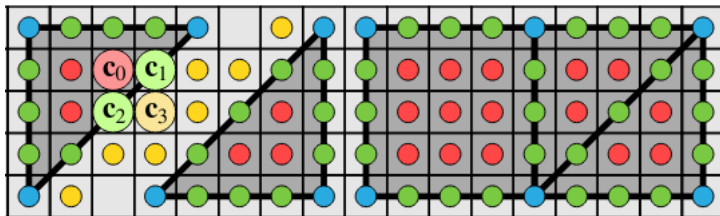
- Stores color data directly on the polygonal mesh (Vertex + Edge + Face colors)
- Avoid texture parameterization
- Avoid discontinuities occurring at texture seams

Mesh Color Texture

- **Objective** : Convert mesh color data to 2D textures that is ideal for the GPU at the time

Mesh Color Texture

- **Objective** : Convert mesh color data to 2D textures that is ideal for the GPU at the time
- **How** :
 - Assign separately 2D texture coordinates for each face
 - Edges have to be vertical, horizontal or diagonal along the texel



2D Texture Layout

2D Texture Layout : My Result

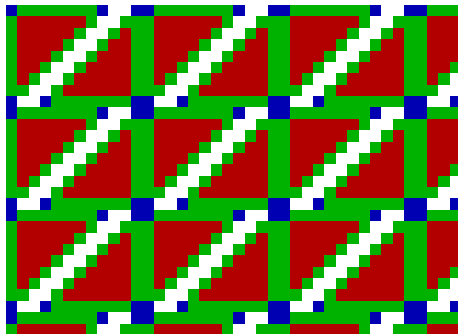
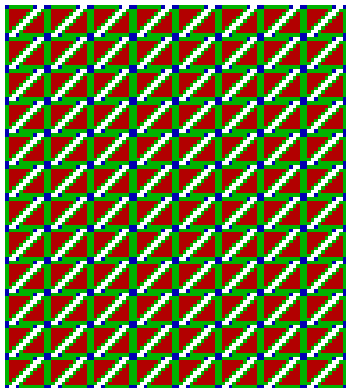


Figure – RGB for vertex : $(0,0,0.7)$, edge : $(0,0.7,0)$, face : $(0.7,0,0)$

Bilinear Filtering

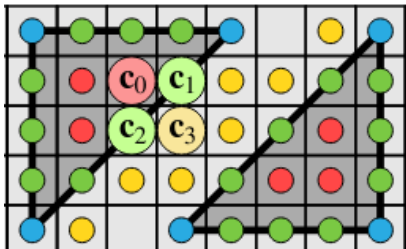


Figure – Bilinear Filtering

- For bilinear filtering, we need to interpolate the texels between the triangles (to avoid seams)
- $c_3 = c_1 + c_2 - c_0$

Bilinear Filtering

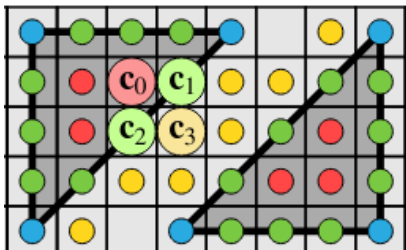


Figure – Bilinear Filtering

- For bilinear filtering, we need to interpolate the texels between the triangles (to avoid seams)
- $c_3 = c_1 + c_2 - c_0$
- if R , G or B of c_3 is greater than 1 or smaller than 0 :
$$\begin{cases} c_1 &= c_1 + \delta \\ c_2 &= c_2 + \delta \\ c_0 &= c_0 - \delta \end{cases} \text{ where } \delta = \begin{cases} -c_3/3 & \text{if } < 0 \\ (1 - c_3)/3 & \text{if } > 1 \end{cases}$$

Interpolation for bilinear filtering : result

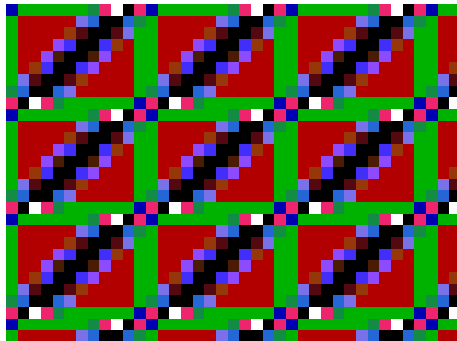
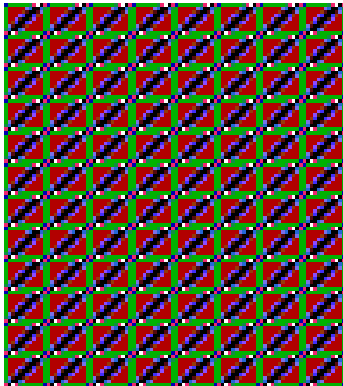


Figure – After interpolating for gap texels

4D Texture coordinates for mipmaps

Algorithm 1: Texture layout generation with 4D coordinates.

```
1 Form rectangles from faces.
2 Sort rectangles from large to small.
3  $\mathbf{u}_s \leftarrow [0 \ 0]$ 
4  $\mathbf{u}_\delta \leftarrow [0.5 \ 0.5]$ 
5 foreach rectangle do
6   if reached end of row then
7     Find next row
8      $\mathbf{u}_\delta \leftarrow \mathbf{u}_\delta + [0 \ b]$ 
9      $\mathbf{u}_s \leftarrow$  next row starting position  $-\mathbf{u}_\delta$ 
10  end
11  Make sure that  $\mathbf{u}_s$  is an even multiple of  $2^{r_i}$ .
12  Place rectangle using the four texture coordinates:
13     $\mathbf{u}_s, \mathbf{u}_\delta$ 
14     $\mathbf{u}_s + [0 \ 2^{r_i}], \mathbf{u}_\delta$ 
15     $\mathbf{u}_s + [2^{r_i} \ 0], \mathbf{u}_\delta$ 
16     $\mathbf{u}_s + [2^{r_i} \ 2^{r_i}], \mathbf{u}_\delta$ 
17     $\mathbf{u}_{s,x} \leftarrow \mathbf{u}_{\delta,x} + 2^{r_i}$ 
18     $\mathbf{u}_{\delta,x} \leftarrow \mathbf{u}_{s,x} + X_i + b$ 
19 end
```

For trilinear filtering, the texture coordinates of mipmap level l can be computing as follow

$$u_l = \frac{u_s}{2^l} + u_\delta$$

, where

- u_s : scalable coordinates, it must be divisible by 2^r or $R + 1$
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Figure – 4D Texture Coordinates Algorithm

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Remark : this 4D coordinates system can only generate mipmaps level to vertex color

Mipmaps : result

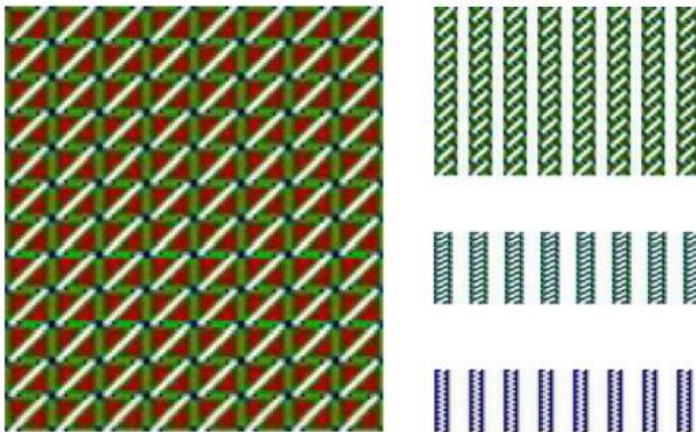


Figure – 4D Texture Coordinates Algorithm

Conclusion

- Mesh color data can be converted into a form of 2D texture that is suitable for GPU at the time (2017) in Bilinear Filtering and trilinear filtering.
- Solution for Anisotropic Filtering was not provided
- Mipmap generation beyond vertex color, and for faces with non-uniform resolutions are discussed in the paper but I did not implement them.