

## Economics

### The need for studying economics

- limited resources and unlimited wants
- when we consume any item, it generates wellness / satisfaction / utility
- When satisfying power of a commodity - utility

#### Cardinal measurement of utility

- Utility of a commodity is the money value, the consumer is ready to pay at the particular time
- Utility can be quantified

#### Ordinal measurement of utility

- Can't quantity utility
- Utility is relative
- People who believe in it are called ordinalists

- With increase in quantity consumed of a commodity, the willingness of a consumer to pay for it, decreases gradually

#### Marginal utility

$$MU = \frac{\Delta TU}{\Delta C} \rightarrow \begin{matrix} \text{Change in total utility} \\ \text{Unit of consumption} \end{matrix}$$

	TU	MU
1 <sup>st</sup> glass of water → 10/- →	10	10

2 <sup>nd</sup>	→ 7/- →	17	7
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3 <sup>rd</sup>	→ 3/- →	22	5
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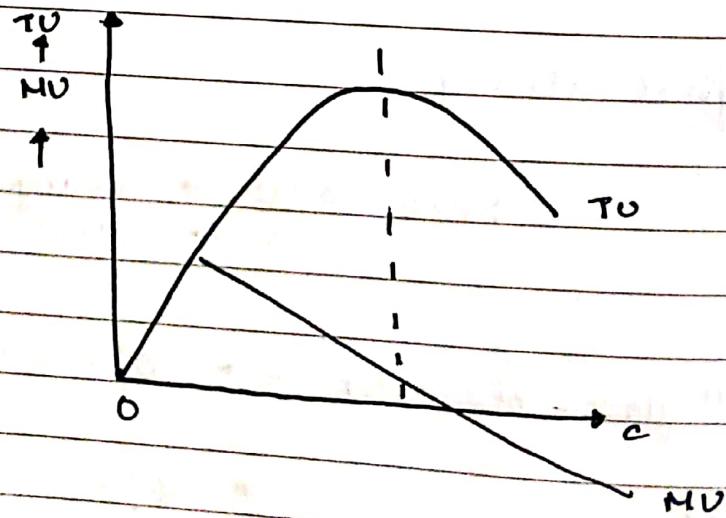
- want satisfying power of each and every commodity is marginal utility.
- MU decreases with increase in quantity of commodity consumed.

Assumptions made :-

- Consumer must be a rational human being
- Utility is additive
  - ↳ util is its unit
- consumer is yet to attend the level of satisfaction.
- It follows law of diminishing marginal utility.

### Law of Diminishing Marginal Utility

When more unit of a commodity is consumed, want satisfying power of each and every succeeding unit will decrease.



Consider  $x$  a commodity,

$$MU_x = P_x \cdot MU_m$$

↑      ↑  
Price consumer is Marginal utility  
of money ready to pay

Similarly another commodity  $y$ ,

$$MU_y = P_y \cdot MU_m$$

$$\rightarrow \frac{MU_x}{MU_y} = \frac{P_x}{P_y} = MU_m$$

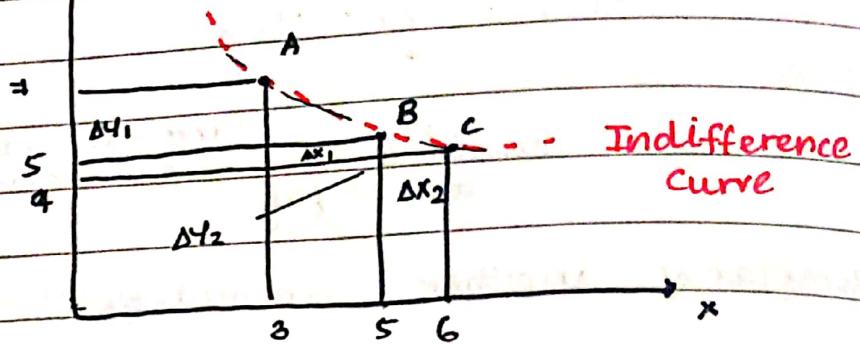
$$\rightarrow \frac{MU_x}{P_x} = \frac{MU_m}{P_y} = \frac{MU_y}{P_y}$$

### Ordinal Measure of utility

- utility is relative
- Money follows constant marginal utility

### Assumptions made

- Consumer must be a rational human being
- Consumer is yet to attain level of satisfaction.
- Resources are limited, because of which preferences come to picture.
- Atleast 2 commodities
- Transitivity  $\rightarrow A > B > C \Rightarrow A > C$
- It follows law of diminishing rate of substitution.



$A, B, C \rightarrow$  The combination of  $x, y$  maybe different, but they might be giving same amount of satisfaction

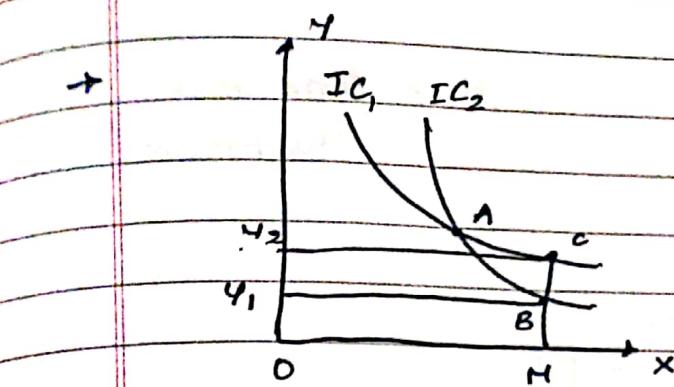
Between  $A, B, C$ , I may be indifferent, in terms of generation of utility

$$\frac{\Delta Y_1}{\Delta X_1} > \frac{\Delta Y_2}{\Delta X_2} > \frac{\Delta Y_3}{\Delta X_3}$$

$$MRS = \frac{\Delta Y}{\Delta X}$$

Marginal rate of substitution

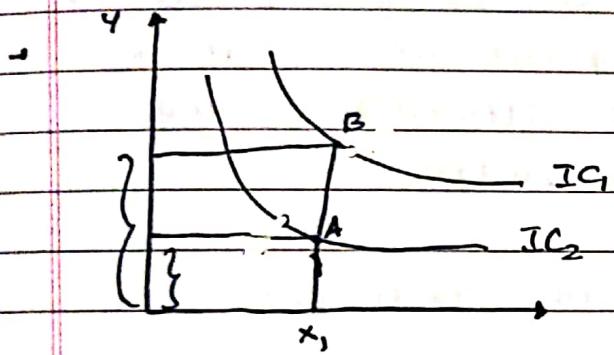
$\rightarrow$  Marginal rate of substitution is decreasing



Here quantity of  $x, y$  is same, but level of satisfaction is diff, rather greater in C.

Thus, the consumer would obviously prefer C over B

Thus, two indifference curves never meet



Commodity at B > Commodity at A

Higher the IC, higher is the level of satisfaction

### Budget Constraints

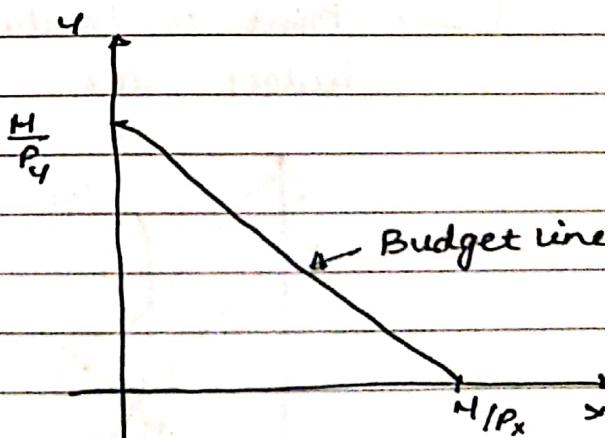
→ disposable income (After tax income)

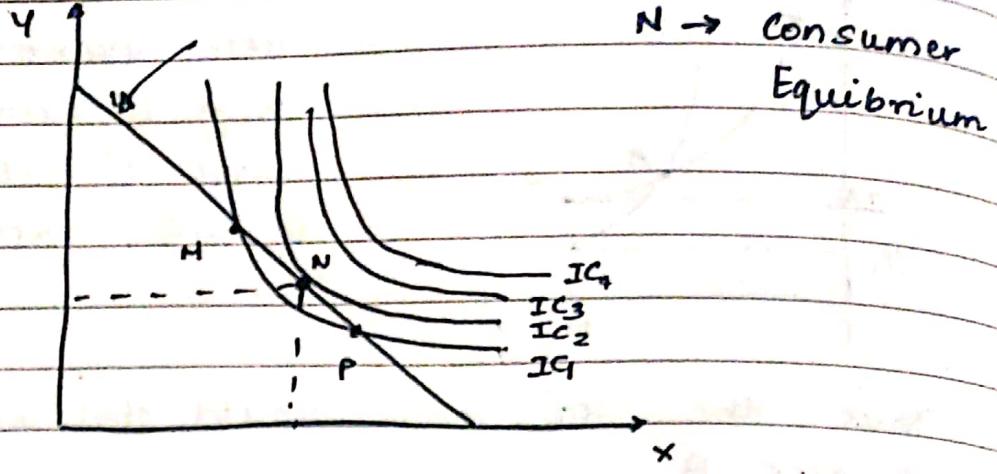
$$M = x \cdot P_x + y \cdot P_y$$

$\uparrow$  Per unit  
Money you're ready  
to spend  $x, y$

$$x = \frac{M}{P_x} - \frac{P_y}{P_x} y$$

$$y = \frac{M}{P_y} - \frac{P_x}{P_y} x$$





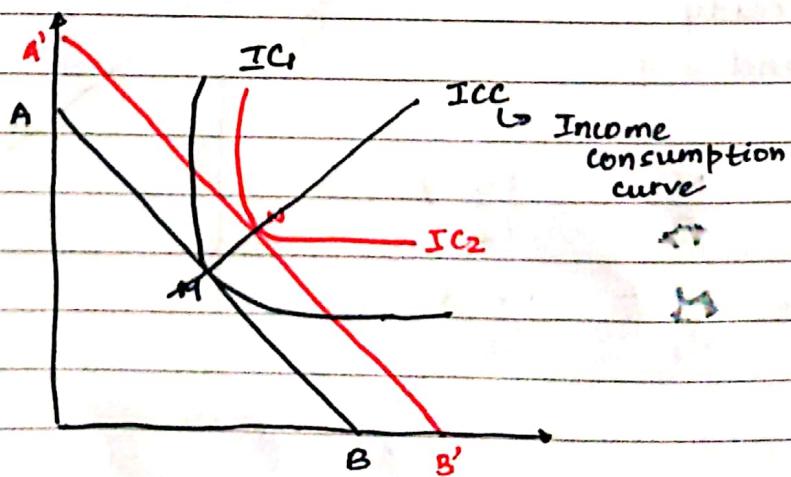
we will always try to be under the budget line, and stay have higher level of satisfaction. Thus, we will prefer "N". We are maximizing our utility at N and also level of satisfaction and staying under the budget line.

### Consumer Equilibrium conditions

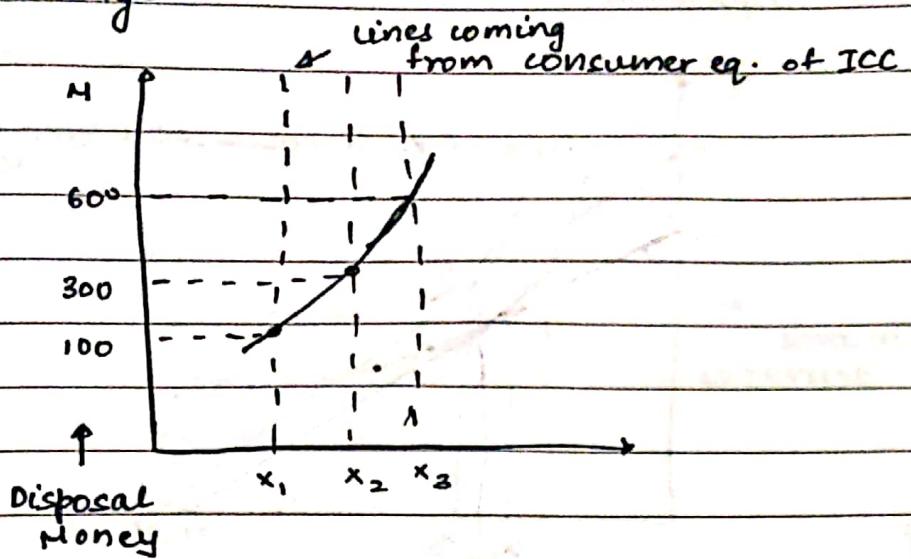
$$\textcircled{1} \quad MRS = \frac{P_x}{P_y}$$

\textcircled{2} \quad \textcircled{1} \text{ is fulfilling at highest IC curve}

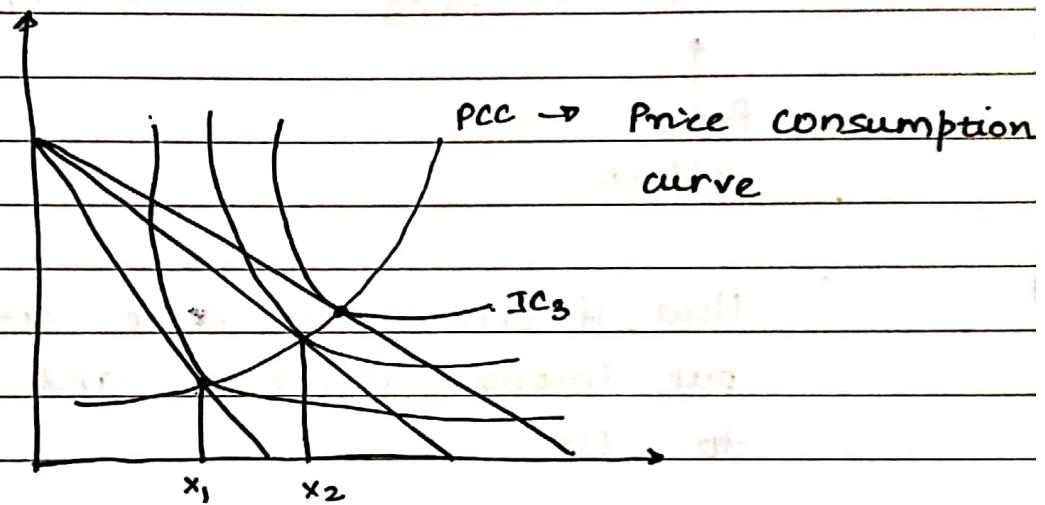
→ Point of tendency between IC curve and budget line



CLE Angel

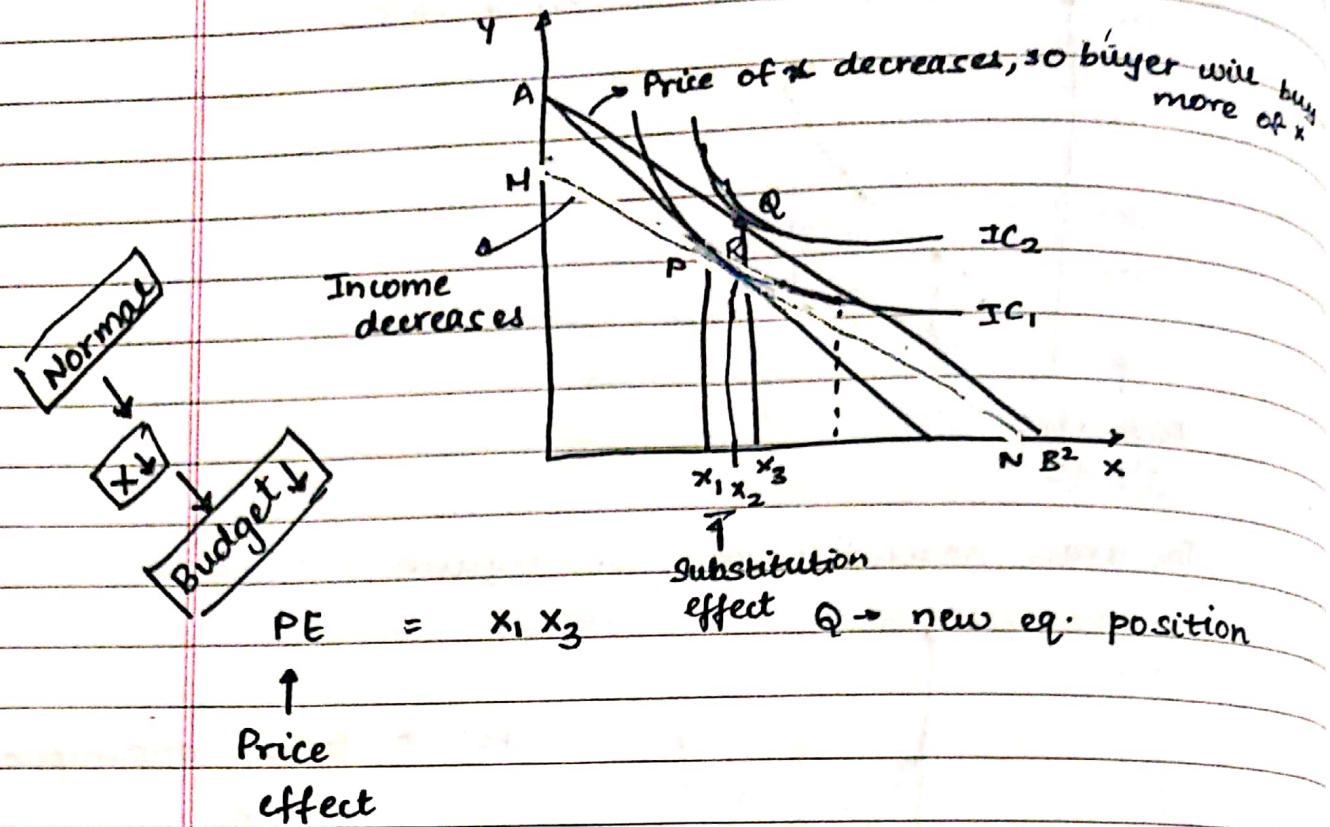


To draw Angel curve, we require ICC curve



locus of points of eq. of consumer eq., drawn due to decrease in price of commodity

## Hicksian Approach



Now, if because of some external factors our income decreases, and we come back to  $IC_1$

$x_2 \rightarrow$  is the new eq. in  $IC_1$  after income decreased.

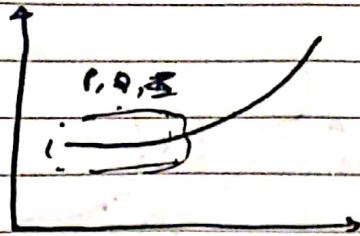
The new budget line is parallel to  $AB'$

$$IE = x_2 x_3$$

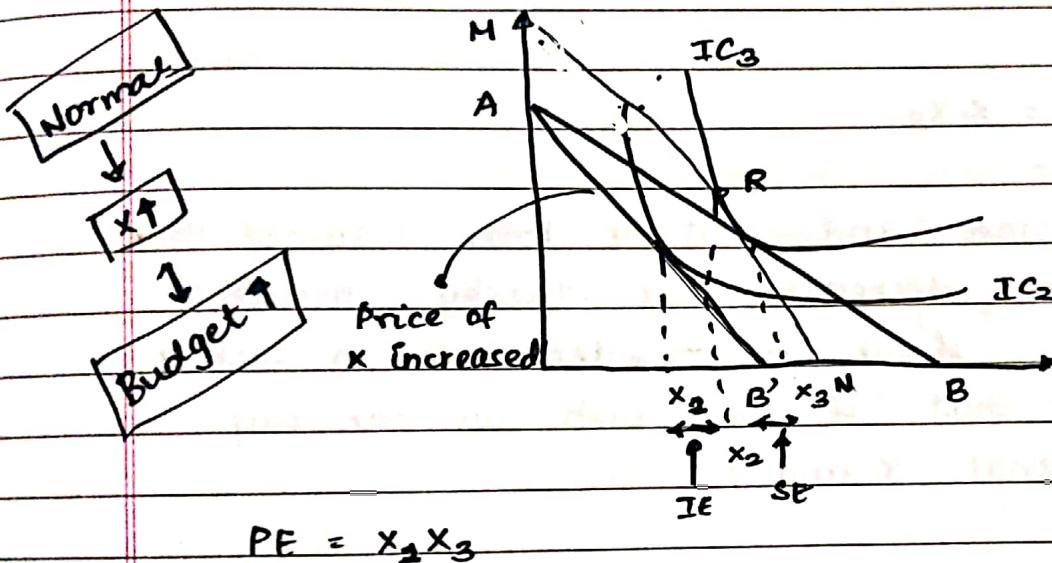
Income Effect

$$\begin{aligned} SE &= PE - IE \\ &= x_1 x_3 - x_2 x_3 \\ &= x_1 x_2 \end{aligned}$$

→ P, Q, R is following the pattern of PCC curve mostly lie in the horizontal



Q, R follows ICC curve



Consider income increases (MN)

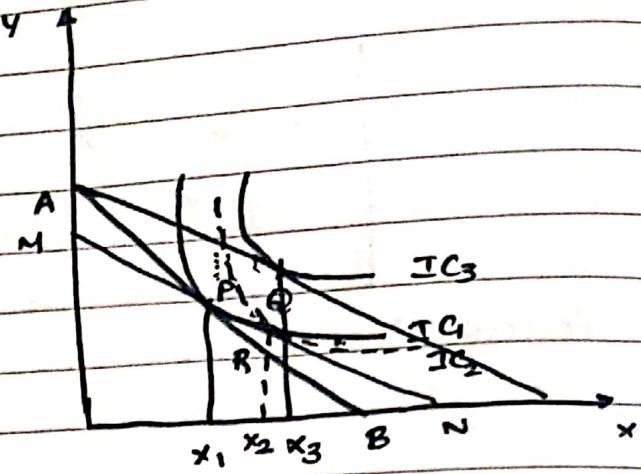
$$IE = x_1 x_2$$

$$SE = PE - IE$$

$$= x_1 x_3 - x_1 x_2$$

$$= x_2 x_3$$

## Slutsky's Approach



$$PE = x_1 x_3$$

Hicksian and Slutsky both assumed that income decreases, but Slutsky considered that, if our income decreases in such a way that if we wish we can buy original  $x$  and  $y$

$MN'$  is no more tangent to  $IC_1$

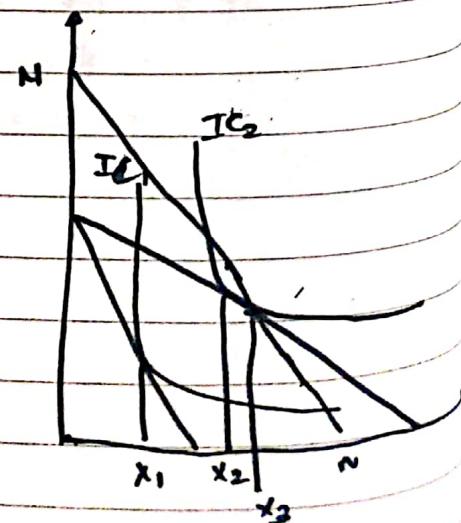
$$IE = x_2 x_3$$

$$SE = x_1 x_2$$

$$PE = x_1 x_3$$

$$IE = x_1 x_2$$

$$SE = x_2 x_3$$



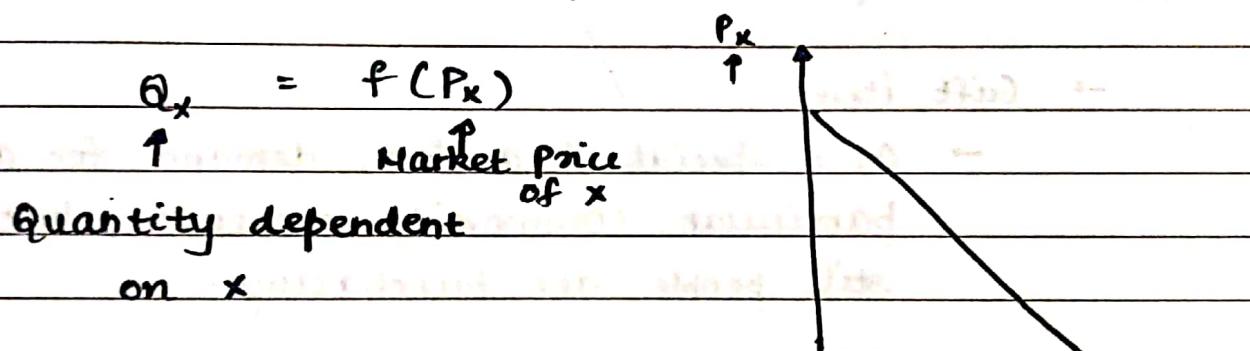
## Demand and Supply

- Demand is desire for something, that for which we have purchasing power and willingness to pay.

Potential buyer : Having the purchasing power to buy a good

For short run, most of the parameters remain constant.

In short run, we see the demand is mostly dependent on price of the commodity



$$\rightarrow Q_x = a - bP_x \quad (\text{or}) \quad Q_x = a P_x^{-b}$$

can have diff forms

For long run,  $Q_x$  is dependent on various factors

$$Q_x = f(P_x, I \dots)$$

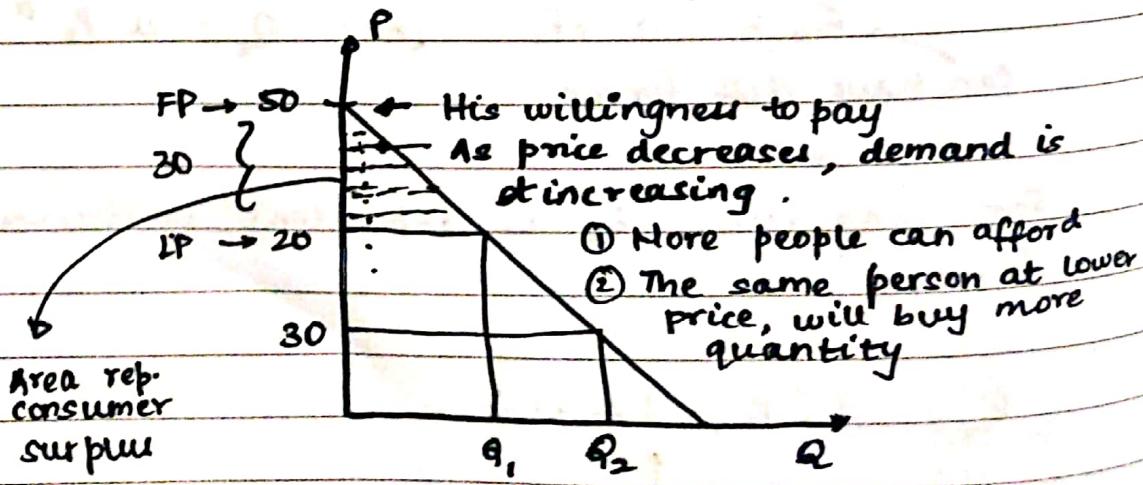
↑  
Income

## Law of Demand

In a short run, when all other params are at a const. level, th as the price of a commodity increases, it's  $Q_x$  decreases and vice-versa.

## Exceptions to law of demand

- Giffen goods
  - It isn't any specific good
  - Maybe any essential commodity consumed by poor household that constitute a major portion of their income.
- Gift item
  - On a special occasion, demand for a particular commodity increases, but still people are purchasing.
- Future expectation of price rise.
  - We are expecting a price rise, th so we buy more quantity



For the first person (CFP), there is a surplus of 30 Rs, he was ready to pay 50 Rs, now he gets more q at a lesser price of 20 Rs, thus net having 30 Rs. This surplus is called consumer surplus. (This depends on the person and their max amt.)

As price decreases, consumer surplus increases

Long Run Situation

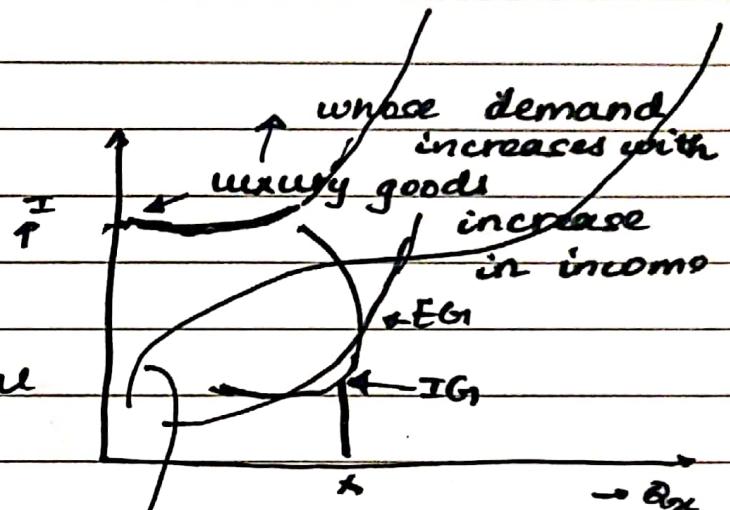
$$Q_x = f(P_x, I)$$

Essential goods

↳ Essential for survival

Inferior goods

↳ whose demand dec. with increase in demand



Initially my income is less, so my target is to reach 'x', but when the income increases, then we try to replace 'x' with other commodity.

New consumer :- People who weren't buying previously, started buying.

In long-run,

Taste :- Consider Tea - coffee.

Initially a person tea as his (favourite) beverage, may switch over to coffee in the long run. Due to which demand for tea will go down; as tea demand maybe due to price dec. in coffee

Price of comp't. fuds: Consider tea, sugar

If price of sugar increases, we will buy less sugar. Due to which we will consume less tea, so demand for tea decreases.

Demonstration effect :

Bandwagon Effect

Snob Effect

Consider no one has 4-wheeler. At having a 4-wheeler, but has a purchasing power. One person has this weird thought of buying a 4-wheeler. Looking at this person, others start buying

When item becomes a "common" item, being used by everyone. People stop using it.

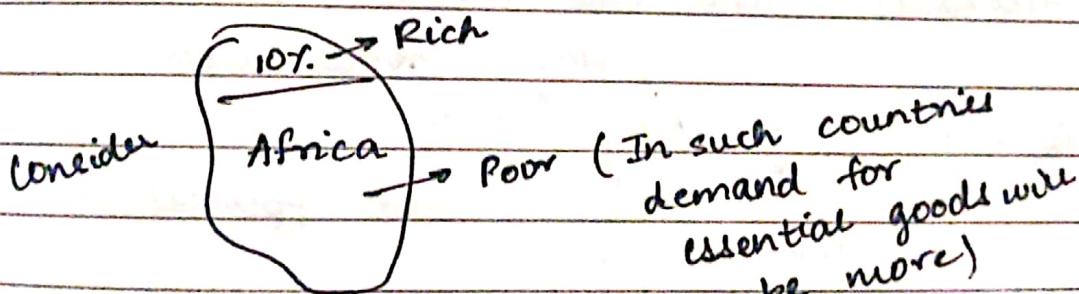
## Consumer Credit facility

Consider two products, ① with CCF, ② without CCF

People will buy product with CCF as we may not have the money to buy the product.

This facility has a positive impact on consumer population

- Macroeconomic factor.
- In diff. populations, distribution of income is diff.

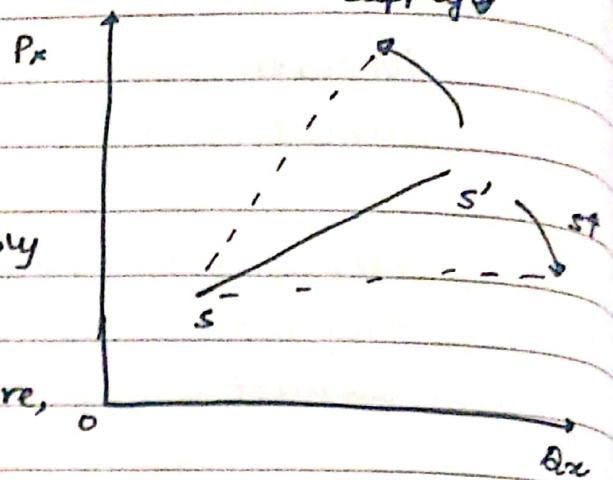


## Supply :

$$\rightarrow f(P_x) = Q_x$$

↑

In short run,  
Quantity of supply



If market price is more,  
→ supply is more.

If market price is less,  
supply is less

## law of supply

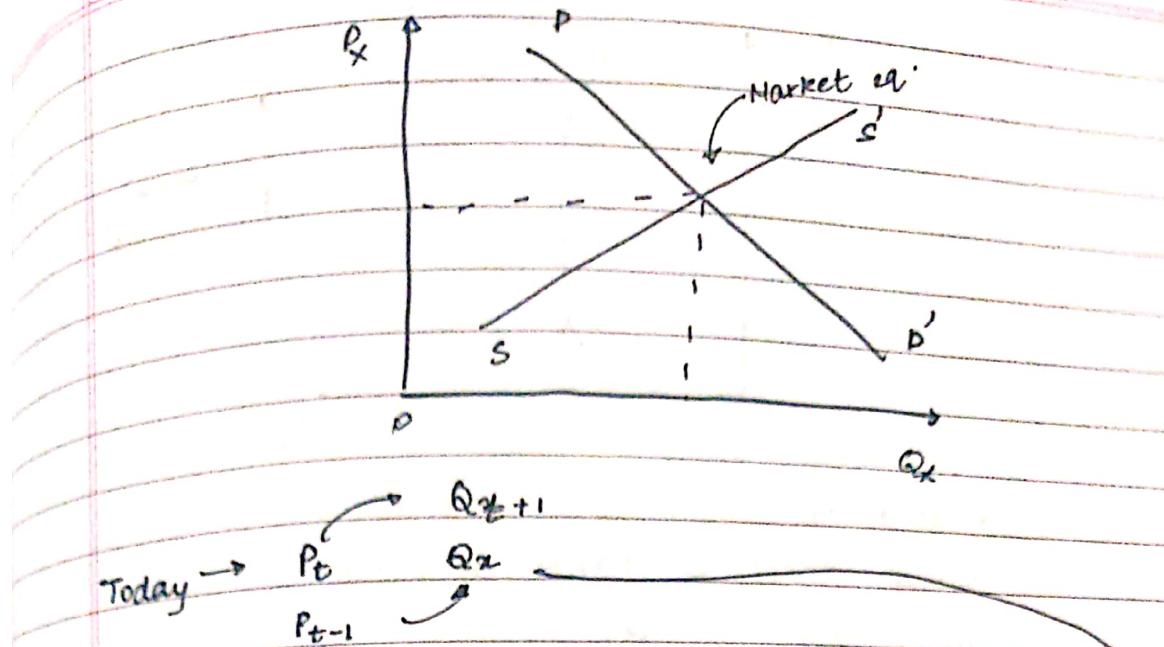
All other things are at certain level,  
if price of a commodity increase, supply  
increases and vice-versa, for a short run

$$Q_x = f(P_x, T, NE)$$

↑      ↗      ↗

Technology      Non-economic factor      Govt. policies

labour strike,  
fire breakout,  
heavy rainfall

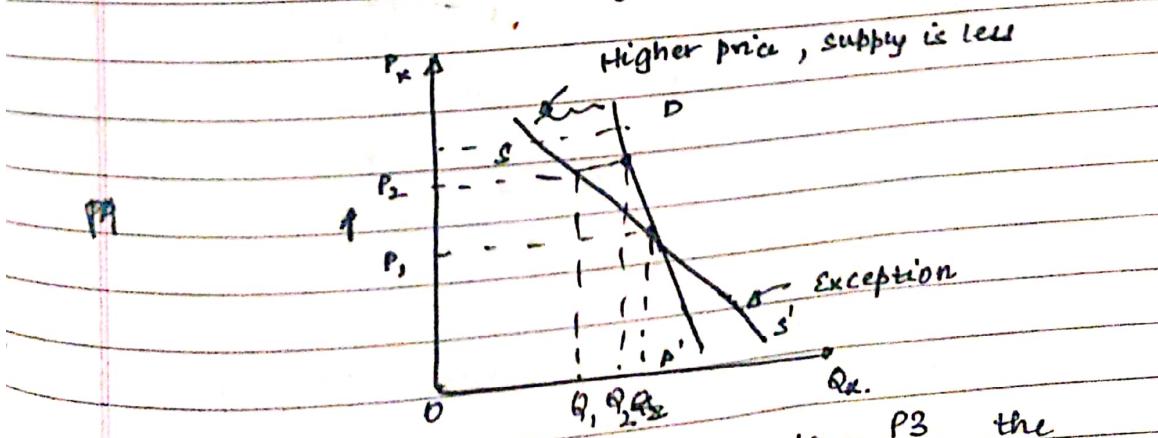


Quantity to supply today, is influenced by yesterday's price

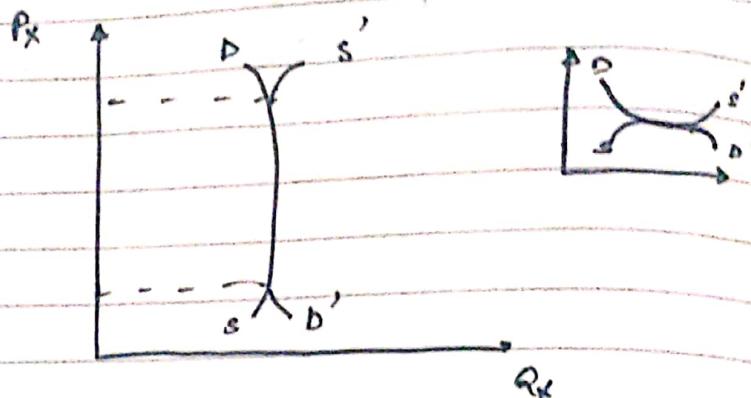
Supply is a lag fn. of price.

Quantity demanded is equal to quantity supplied  $\Rightarrow$  Market eq.

$\rightarrow$  Market eq. under  $\rightarrow$  static condition  
 $\hookrightarrow$  dynamic condn:



If price further increases to  $P_3$ , the demand and supply diff increases, thereby causing an unstable eq. which is diff. to attain its original eq.



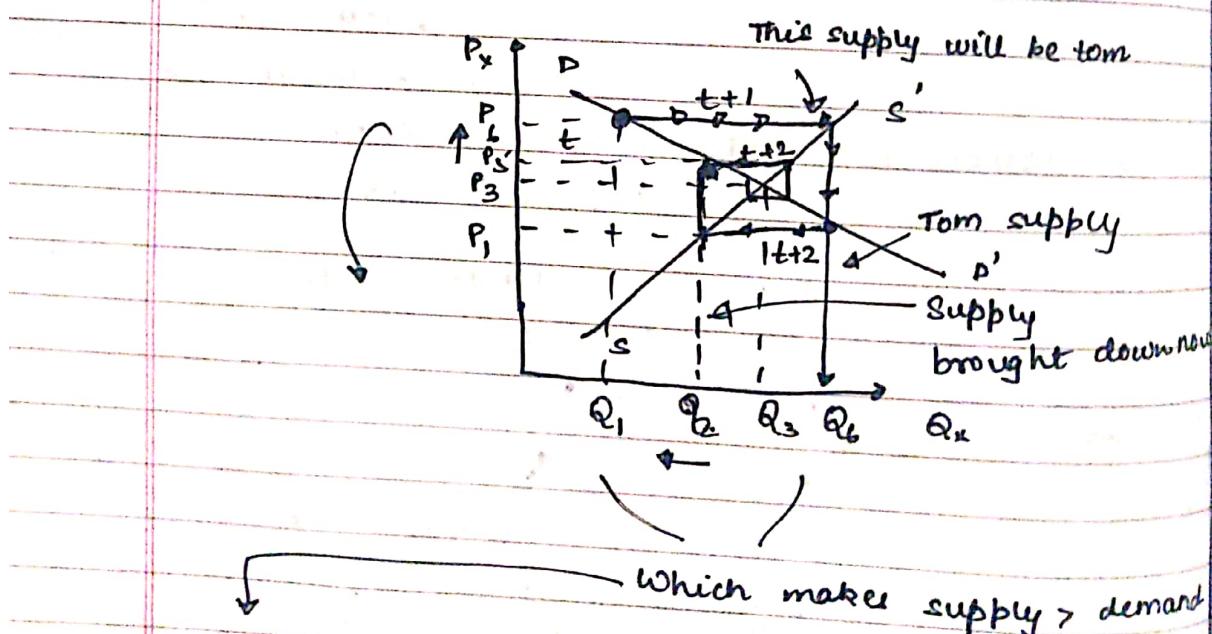
Neutral eq.

Though there is change in price, there is no change in eq.

### Dynamic Condition

#### Cob Web Theorem

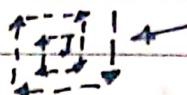
##### ① Stable eq.



So it will bring down the price in such a way, it will everything

So I reduce price to  $P_1$

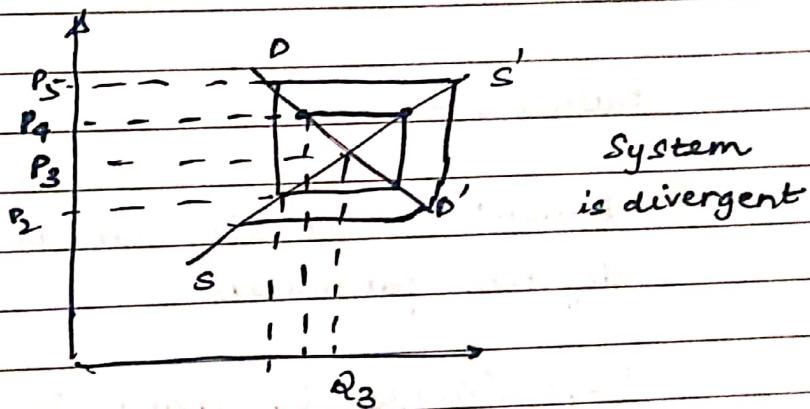
Only temporary stability is attained, but not permanent



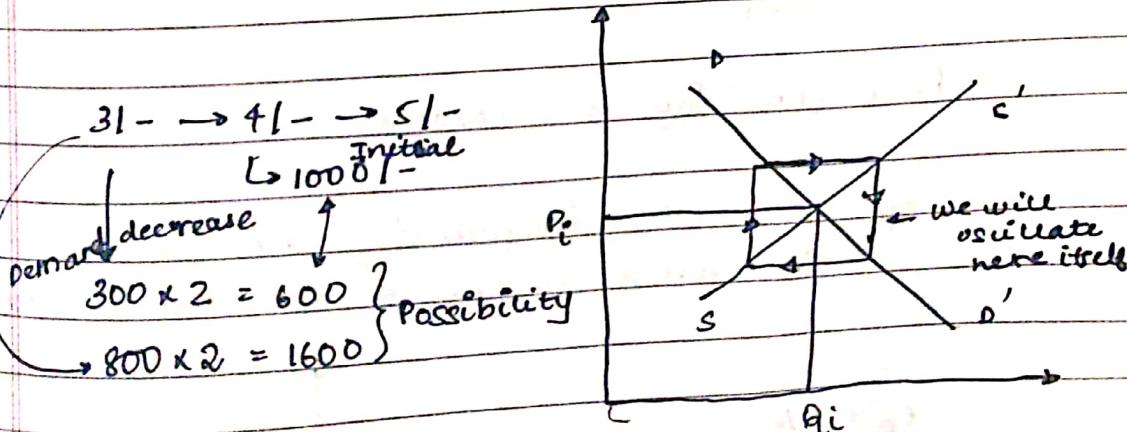
This is the pattern followed  
Finally, we reach  
the eq. point

When slope of demand curve > Slope of Supply curve

### ② Unstable eq.

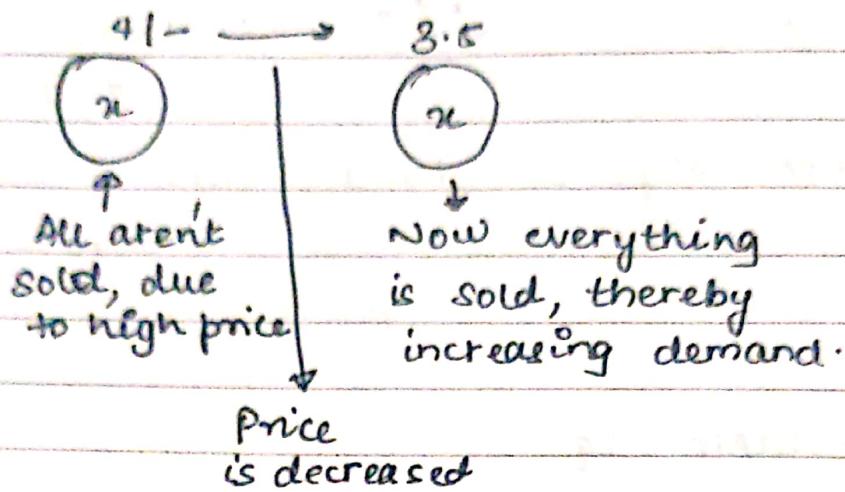


### ③ Oscillating equilibrium



Reverse strategy -

When demand is highly sensitive to price, we decrease the price, so that demand boosts and we get profit



### Elasticity :-

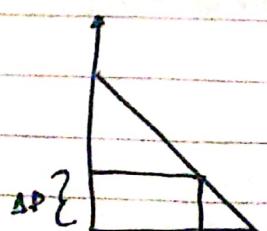
① Demand - Elasticity can be discussed w.r.t different parameters

Responsive ness in change in com quantity demanded for commodity w.r.t any of the parameter.

### Price elasticity of demand -

$$e_p = \frac{\% \text{ change in quantity demanded}}{\% \text{ change in price of the same commodity}}$$

$$e_p = \frac{\Delta Q/Q}{\Delta P/P}$$



Meaning between two finite pts.  
Arc elasticity  $\rightarrow$  considerable change in price,  
and resultant change in demand

Point elasticity  $\rightarrow$

$$e_p = -\frac{dQ}{dP} \cdot \frac{P}{Q}$$

consider  $Q = a - bP$ ,

$$Q = aP^{-b}$$

$$e_p = -b \cdot \frac{P}{Q}$$

• Relatively elastic

$$e_p > 1$$

$$e_p = -baP^{-b-1} \frac{P}{Q}$$

$$= -b aP^{-b}/Q$$

$$= -b$$

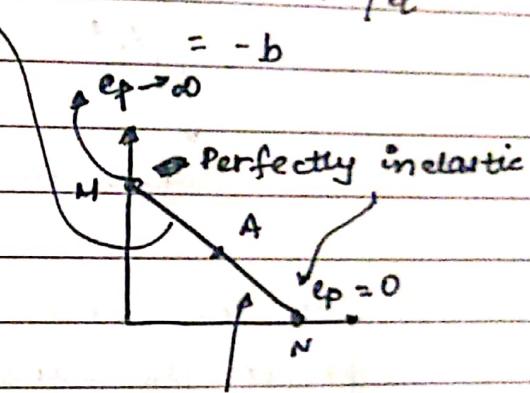
$e_p =$  lower segment  
Upper segment

$$e_p = \frac{AN}{AM}$$

if A is mid-point,

$$e_p = 1 \leftrightarrow \text{unitary elastic } e_p = 1$$

↑  
Relatively inelastic



$e_p = -0.8 \Rightarrow$  If we increase price by 1%  
then decrease in quantity demanded is 0.8%.

# Determinants of Price elasticity of demand

## ① Nature of commodity

↳ Salt → I F  
(essential) 20/- 25/-  
↑  
I will still buy.

→ AC → I F  
30/- 35/-  
↑  
Immediately I won't buy

## ② Availability of substitutes:

A ↑ B ↑ Relatively  
inelastic  
↳ No substitute  
Substitute

As the price of A increases, people would prefer the substitutes and demand decreased

## ③ Proportion of income spent

↳ Salt (0.001%) → Relatively  
inelastic  
→ AC (50%)

(we will definitely be concerned about price increase in price of AC)

## ④ Time required to adjust

↳ Matchbox 2/- → 3/- (easier adapt)

⑤ No. of alternative uses of a commodity

↳ Milk (Curd, yogurt, cheese)  
 (So, if price of milk increases, we will restrict ourselves from using it. Thus, relatively elastic)

↓ Market price

$$e_p = - \frac{dQ}{dP} \cdot \frac{P}{Q}$$

$$TR = P \cdot Q$$

Total Revenue

↑ Quantity produced

TC = Total cost

$$\pi = TR - TC$$

↑  
Profit

$$AR = \frac{TR}{Q} = \frac{P \cdot Q}{Q} = P$$

↑ Avg. Rev.

$$MR = \frac{d(AR)}{dQ} = \frac{d(PQ)}{dQ}$$

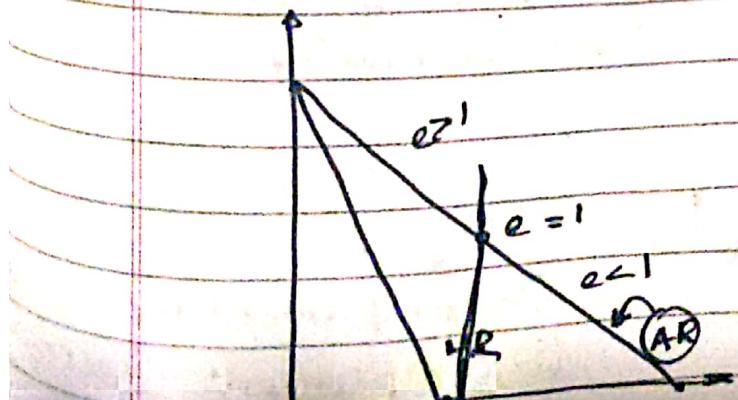
Marginal Rev

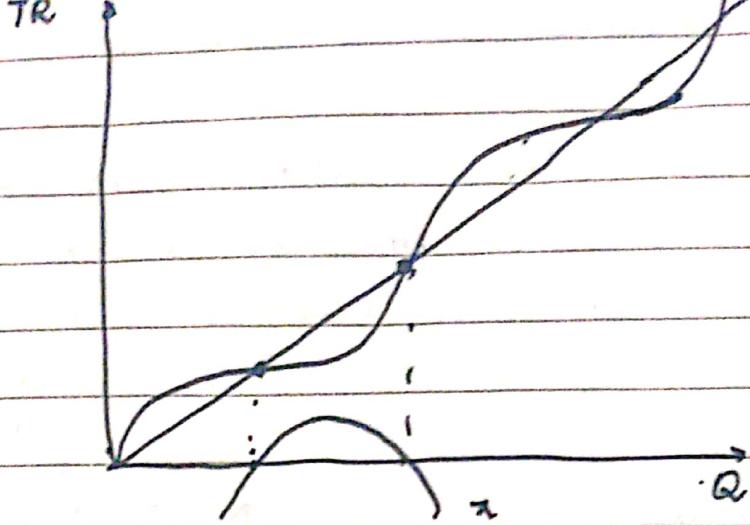
$$MR = P \left( 1 + \frac{Q}{P} \cdot \frac{dP}{dQ} \right)$$

$$MR = AR \left( 1 - \frac{1}{e_p} \right)$$

$$Q = a - bP$$

MR will have a slope twice of AR





### Income elasticity of demand

$$e_i = \frac{\% \text{ change in qty demanded}}{\% \text{ change in income of consumer}}$$

$$e_i = \frac{dQ}{dM} \cdot \frac{M}{Q}$$

In normal good  $e_i > 0$ , inferior good  $e_i < 0$

### Gross elasticity of demand

$$e = \frac{\% \text{ change in qty demanded for com. A}}{\% \text{ change in price of commodity B}}$$

$$e_{c,t} = \frac{dQ_t}{dP_c} \cdot \frac{P_c}{Q_t} \quad c \rightarrow \text{coffee} \quad t \rightarrow \text{tea}$$

(+)  $\bar{P}_t$   $P_c \downarrow$   $D_t \downarrow$  though price of tea isn't decreasing.

$$(-) \bar{P}_B \cdot P_{butter} \downarrow D_B \uparrow$$

- 0.8

- ① complementary
- ② complement decrease