

Keynesian Investment Function

→ flow variable

- Investment is defined as addition to capital stock
- Related to Capital
- capital is ~~net~~ cumulative net investment.

$$K_t = \sum_{i=1}^t I_i \quad \begin{matrix} \leftarrow \\ \text{Net investment in time } t \end{matrix}$$

↑
Capital stock in time t

$$I_t = K_t - K_{t-1}$$

$$I_{n,t} = I_{g,t} - D$$

↑ $\begin{matrix} \leftarrow \\ \text{Depreciation (wear & tear)} \end{matrix}$
↑ $\begin{matrix} \leftarrow \\ \text{Gross Investment} \end{matrix}$
net Investment

Types of Investment

- ↳ Business Fixed (Non-residential) investment
- ↳ Residential Investment
- ↳ Inventory Investment

Guiding principle behind investment is profit.

Decision to Invest

- New investment is determined by marginal efficiency of capital (MEC) in conjunction with rate of interest (r)

- MEC is highest rate of return over cost expected from producing an additional unit of capital.
- MEC refers to the rate of discount which makes the present value of expected net returns from a capital asset just equal to its supply price.

MEC depends on

- ↳ Supply price / Replacement cost
- Prospective yields or expected returns from an income yielding assets

$$C_0 = \sum \frac{R_t}{(1+e)^t}$$

Supply price
 ↓
 R_t → Prospective yield
 $(1+e)^t$
 MEC > R_t
 ↳ profit

$e \rightarrow$ MEC

If $e > r$, new investment is profitable
 $e < r$, new investment is non-profitable
 $e = r$, investors are neutral.

Supply Price : Sum of prospective yields discounted at MEC

Demand Price : Sum of prospective yields discounted at current rate of interest

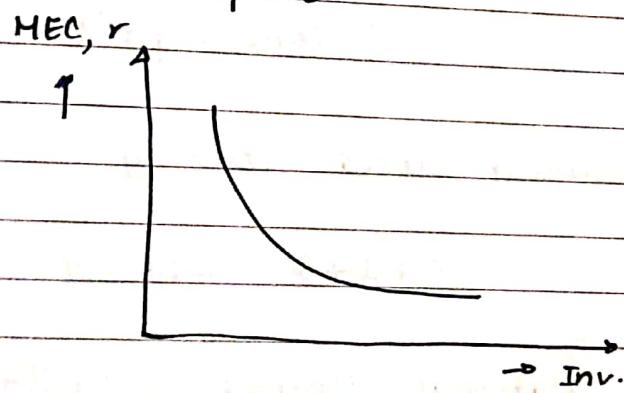
→ Demand price ↑, at which the lower R_I it is discontinued.

→ $R_I \downarrow$, More investment (Classical eco.)

→ Keynes says for more investment MEC must exceed rate of interest

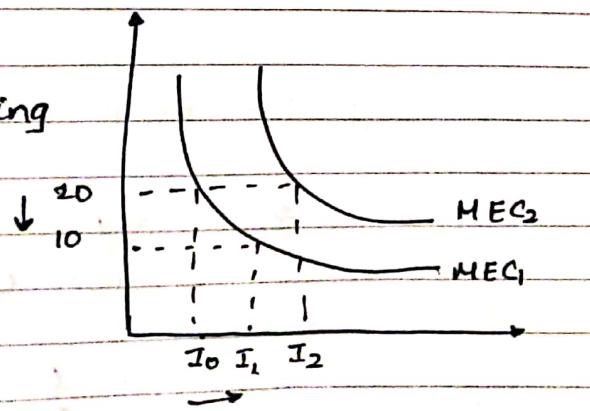
→ MEC and r are determined ind. of each other

→ MEC isn't same as marginal pdt. of capital which is concerned with immediate effect of additional capital.



→ Company keeps investing till $MEC = r$

→ As $r \downarrow$, $I \uparrow$



Case : $r \downarrow$ by 0.5%.

$r \downarrow$ by 5%.

$I \uparrow$ by 8%.

$I \uparrow$ by 2%

More sensitive

Steeper w.r.t r

→ More elastic w.r.t r

Factors Influencing MEC

- Infrastructure (Most. imp) → Production methods
- Governance → Govt. policy
- Capital equipment supply → Nature of Demand
- Change in income → Business cycle

Introduction to Income Determination

y (Income) = $C + S + T + (X - M)$

↑ consumption

$y = C + I + G + (X - M)$

↳ Govt. Expenditure
 ↳ Investment
 ↳ Consumption

Assuming closed economy,

$$C + I + G = GDP = Y = C + S + T$$

∴ National Income, $C + I + G = GDP = C + S + T$

$$Y - C = i + g$$

$$Y - C = S + T$$

$$\Rightarrow i + g = S + T$$

$$\therefore i = S + (T - g)$$

↳ unforeseen changes

$$i = \bar{I} + \Delta Inv = S + T - g.$$

↑
Planned
Invest:

R
↓
unplanned
Invest

Tax

Tax revenue is a fn. of income (y)

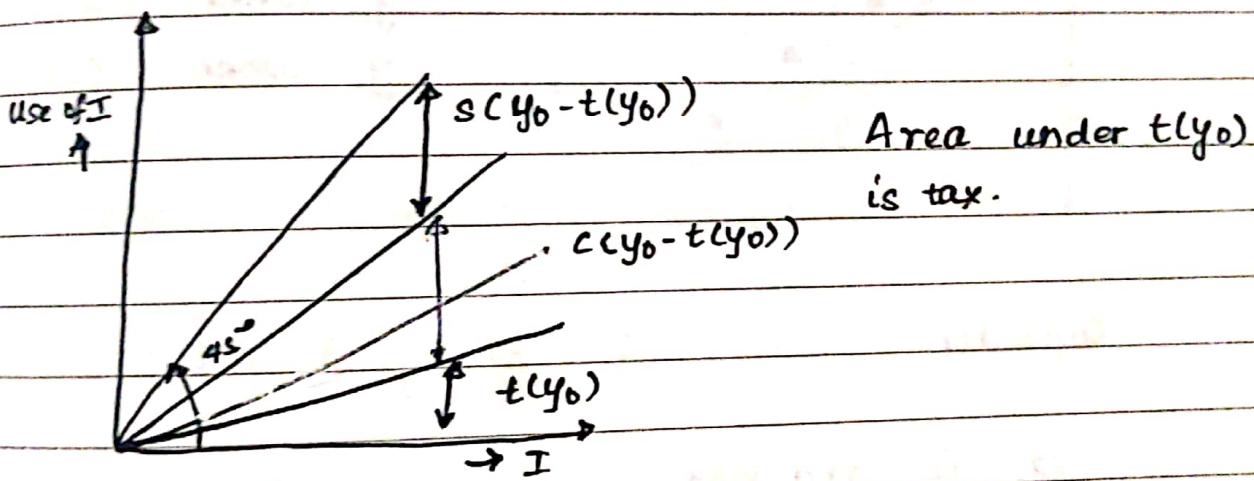
$$t = t(y) : t' > 0 \quad \frac{dt}{dy} > 0$$

Disposable income = $y - t(y)$

$$C = C(y - t(y)) \quad c' > 0 \quad \text{HPC}$$

$$S = S(y - t(y)) \quad s' > 0 \quad \text{MPS}$$

$$\text{HPC} + \text{MPS} = 1$$



$$\bar{i} + \Delta i + g = S + t \quad \text{zero for eq.}$$

$$\bar{i} + \Delta i + g = S(y - t(y)) + t(y)$$

$$\bar{i} + g = S(y - t(y)) + t(y) \quad (\text{Eq. cond.})$$

If income increases,

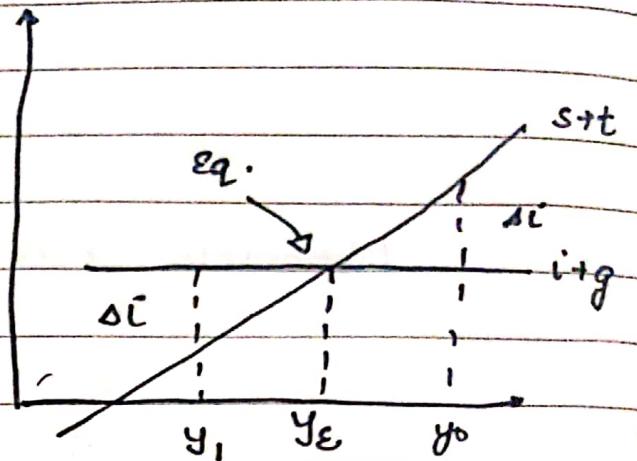
$$S + t > i + g$$

$$(S + t) - (i + g) = \Delta i > 0$$

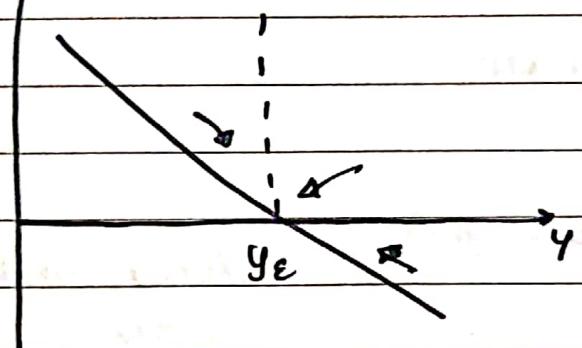
$\Delta i > 0 \Rightarrow$ extra inventory. so producers will call back orders until $\Delta i = 0$

Determination of Eq. Income

$(s+t)$ + very slope, as both are fn' of y .



dy/dt



$y_E \rightarrow$ Eq. income

y_0 when $(s+t) > (i+g)$

y_1 when $(s+t) < (i+g)$

Consider

$$C = 20 + \frac{3Y}{4}, I = 20$$

Eq. is reached when $s = I$

$$-20 + \frac{3Y}{4} = 20$$

$$\Rightarrow Y = 160$$

$$(OR) Y = C + I \Rightarrow Y = 160$$

Expenditure Multiplier

Following Keynesian model -

- Vol. of investment expenditure
- Consumption is a fn. of income and is linear
- MPC is positive but less than unity
- Economy is closed one.

$$C = a + bY$$

$$I = I_0$$

$$Y = C + I = a + bY + I_0$$

$$Y (1 - b) = a + I_0$$

$$Y = \frac{a + I_0}{1 - b}$$

Suppose investment changes to $I = I_0 + \Delta I$

$$\Rightarrow \Delta Y = \frac{\Delta I}{1 - b}$$

$$\therefore \Delta Y = k (\Delta I)$$

Multiplier is amt. by which eq. output changes when autonomous investment increases by 1 unit.

→ Larger the MPC, larger is multiplier

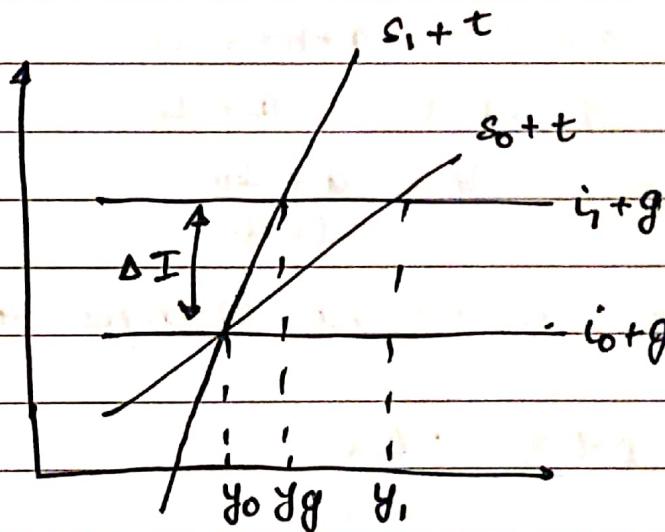
Consider ΔI increase in R^{-1} ,

Due to increase in income, demand increase so production increase, which further gives rise to an increase in income.

$$\Delta D = \frac{1}{1-C} \Delta I = \Delta Y_0$$

↑
MPC

For $b < 1$, the successive terms in the series become progressively smaller.



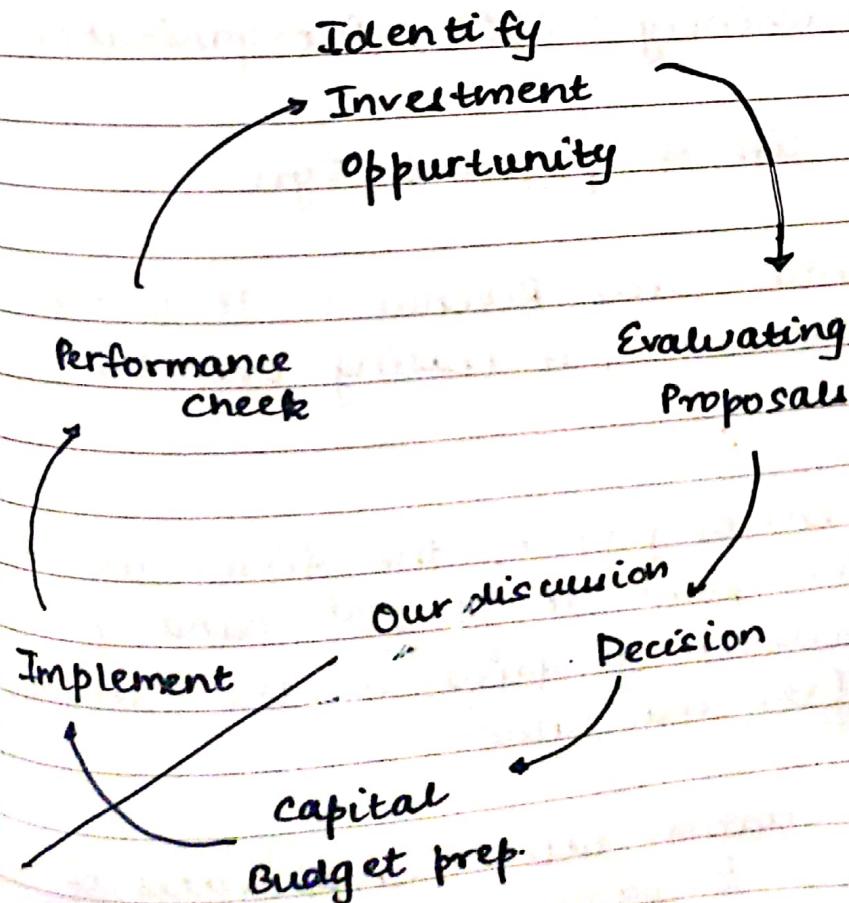
Capital Budgeting

Firms formal process for acquisition and investment of capital over a period of time

Budgeting of capital expenditure is an imp. factor in management of business

Types of Capital Projects

- Purchase of Plant and machinery and equipment
- Expansion of production facilities
- Entering of ~~productio~~ new pdt - lines
- Decision to purchase or rent production facilities
- Research & Development



Capital Budgeting Process

- Net cash flows : Cash In - Cash Out over the life of project.

The cash flow should be measured by firm, with and without the project.

- After tax basis : net cash flow must be estimated on an after tax basis using the firm's marginal tax rate.
- Depreciation: Should be added, as it's a non-cash expense that can affect cash-flow through taxes.

Initial Capital : 15,000

(Machinery : 12500, Reorganization : 2500)

Consider life of project is 5 yrs

Incremental Sales Revenue : It is the sales revenue, increasing over the year

At the end of project, the firm would sell the plant at a 2nd hand price and whatever it gains is the "salvage value" (the end value)

Flat depreciation rate : Equal rates of depreciation is same till the end of project

$$5 \times n = 10000 \Rightarrow n = 2000$$

13,100	14641
6655	+ 320
2000	20550
1500	18000
3000	3820
3155	1528
1262	2292
1893	2500
3893	4292
2000	2500
3530	1000
	4492

11,000	2000	1500	2550	1020	1530	2000	3100	2000	3530	11,000
5,500										
2000										
1500										
2000										
1500										
1500										
1500										
1500										
1500										

Revenue { Variable costs } fixed costs	10,000	5000	2000	1500	1500	600	900	2000	2900	2900
Depreciation										
Fixed Costs										
Profit Before Taxes										
Income Tax (40% Prof)										
Profit After Tax										
Plus : Depreciation										
Net cash flow										
Savage flow after Syre										
Recovery of working Capital (Emergency)										
Net cash flow in 5 years										

From the revenue, whatever the company gets is called profit before taxes

Depreciation: It's a non-cash expense
If depreciation wasn't subtracted, the profit would have been 3500 (1st year) and tax would have been 40% of 3500 which is greater than 40% of 1500, thus it's subtracted and added back.

Evaluation of Project.

Traditional methods:

① Payback Period Method:

- Number of yrs req. to recover the original cash outlay invested in a projected

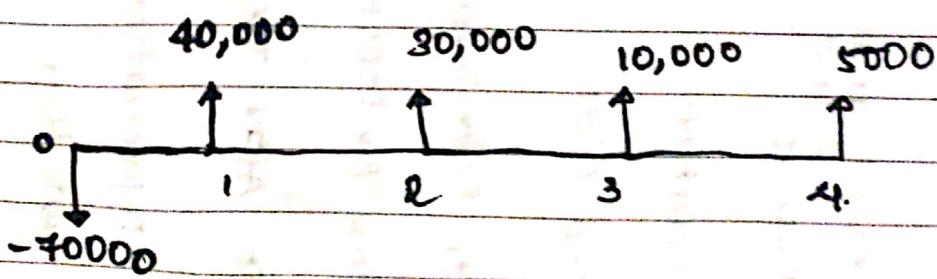
Net Cash flow

↳ Unequal: Calculated by adding up the cash net inflow until the total is equal to initial cash outlay

→ Equal:

$$PBP = \frac{C_0}{R} \rightarrow \text{Initial investment}$$

\rightarrow Equal stream



Payback Period: ~~2 yrs~~ 2 yrs

Decision Rule-

Accept : If a project is less than max. payback period set by management

Reject : If a project is more than the max. payback period set by management

Ranking Criteria : shortest PBP \longrightarrow longest PBP

Accounting Rate of Return (ARR):

$$\text{ARR} = \frac{\text{Avg. Net Income}}{\text{Avg. Investment}} + 100$$

Accept : AAR > Min Rate

Reject : AAR < Min Rate

Ranking : Highest AAR \longrightarrow lower AAR

Average Net Income:

Net Income in any year is net cash flow - depreciation

$$\text{Avg Net Income} = \frac{\text{Sum of net cash flows}}{\text{no. of years}}$$

Avg. Investment

$$\text{Value in year } 1 + \text{value at end of project}) / 2$$

$$= I_0 + I_n$$

Disadvantages:

- Ignores time value of money
- Based on book values, not cash flow and market values.

Modern / Discounting Method:

① Net Present Value

$$NPV = \frac{\text{Present value of Expected Net Cash Inflows}}{\text{Present value of Cash Outflow}}$$

NPV > 0 (Accept)

NPV < 0 (Reject)

$$NPV = -C_0 + \sum_{t=1}^n \frac{R_t}{(1+r)^t}$$

C_0 - Initial cash outflow

R_t - Estimated Net cash inflow at time t from the project

r - Discount Rate

② Internal Rate of Return (IRR) :

Equates present value of expected net cash inflows and present value of cash outflow

$$C_0 = \sum_{t=1}^n \frac{R_t}{(1+i)^t}$$

↑
Not known

R_t → Estimated Net cash inflow $i = IRR$

C_0 → Initial cash outflow

decision rules:

If $i > r$, accept

If $i < r$, reject

IRR doesn't depend on interest rate ~~open~~
prevailing in market

calculation IRR by Trial and Error

- ① Begin by using an arbitrary r to calculate PV
- ② If $PV > i_{\text{cost outlay}}$, increase r and repeat
- ③ If $PV < i_{\text{cost outlay}}$, decrease r and repeat
- ④ Repeat till $PV = \text{initial cost of project}$
- ⑤ Discount rate found is IRR

Example :

(-200, 100, 100, 100)

$$NPV = -200 + \sum \frac{C_t}{(1+i)^t}$$

$$= -200 + \frac{100}{1+i} + \frac{100}{(1+i)^2} + \frac{100}{(1+i)^3}$$

$$\text{At } NPV = 0, \quad i = 23.3\%$$

\overline{i}
IRR

Profitability Index (PI): Capital Reasoning.

If there are two projects A, B. If we select A then we have to reject B and vice-versa. Then A, B are mutually exclusive

Smaller project may lead to smaller NPV than an alternate larger one; but the ratio of PI to initial cash of project maybe higher

Thus, in case of capital reasoning, firm should rank according to PI and choose

$$PI = \frac{\text{Total present value of net cash inflow}}{\text{Present value of cash outflow}}$$

Accept, $PI > 1$

Reject, $PI < 1$

In absence of capital rationing, firm will undertake all projects with +ve NPV and $PI > 1$

Market Structure

- Invisible institution (Goods Market, Stock Market)
- Refers to types of market in which the firms / producers / sellers operate

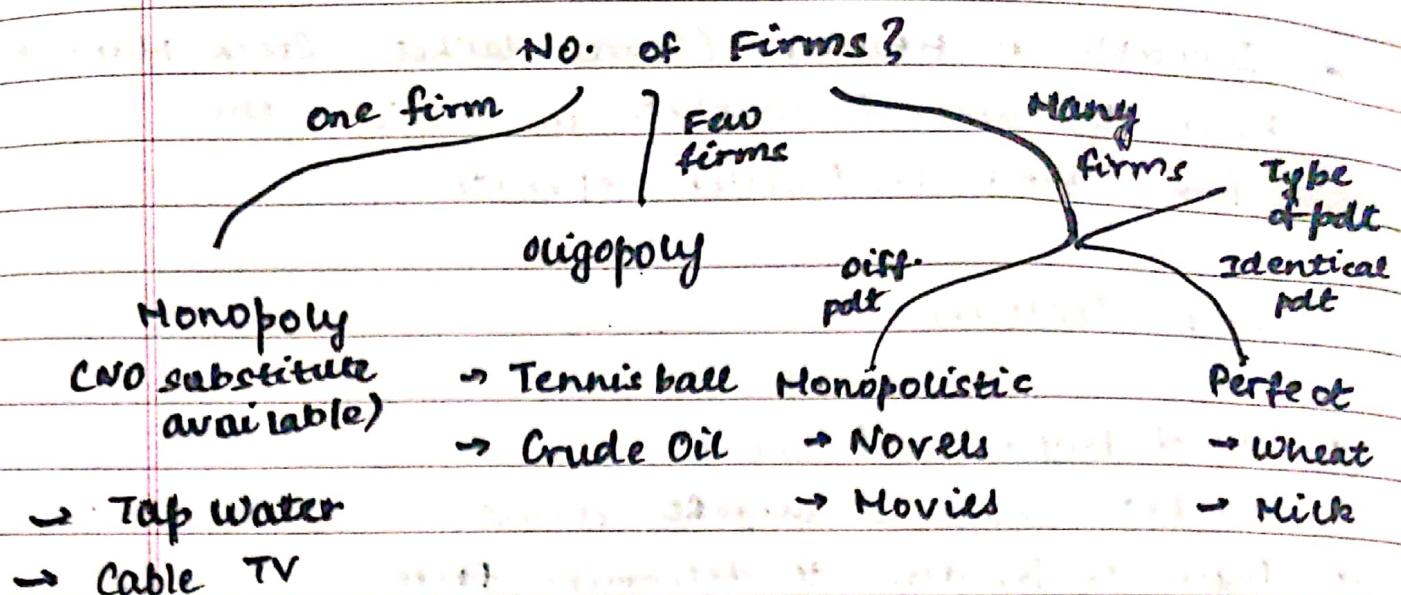
Imp. features

- No. of buyers and sellers
- Market share of largest firms
- Degree of freedom to determine price
(Decided by industry, based on supply and demand (or) decided by firm)
- Level and forms of competition
- Nature of costs
- Degree to which industry is vertically integrated

Vertical integration explains the process by which diff stages of production and distribution of a prod. are under the ownership and control of a single enterprise.

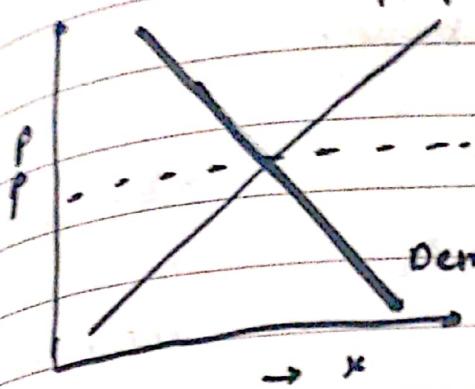
- Extent of product differentiation
- Ease of entry into and exit from market
- Structure of buyers in the industry (including possibility of monopoly)
- Turnover of customers
 - ↳ How many customers are prepared to switch their suppliers when market cond. change

Four Types of Market Structure

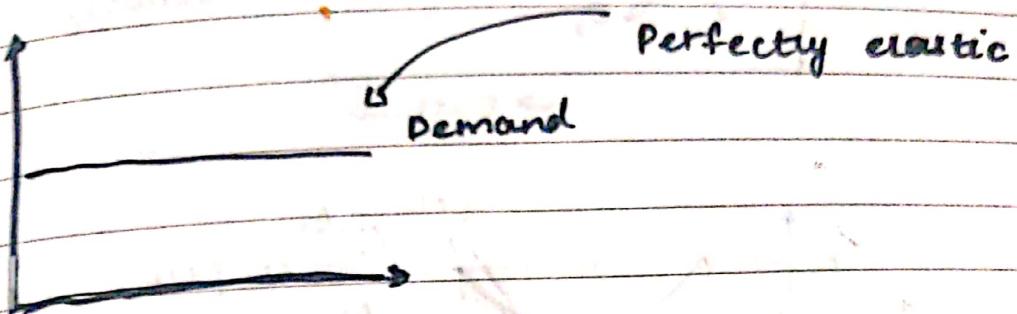


Perfect competition:

- If info is not shared, (saamp hai!) then imperfect comp.
- Degree of imperfection depends on degree of information shared
- Monopolistic competition and perfect competition are two ends.
- Info is not shared
- Large no. of buyers and sellers of homogeneous prodts.
- Complete absence of rivalry
- Free entry & exit
- Perfect knowledge abt market
- Perfect mobility of factors and prodts.



The price is decided by industry based on the supply and demand



For a firm, $AR = MR = \text{Price}$

Eq. cond.

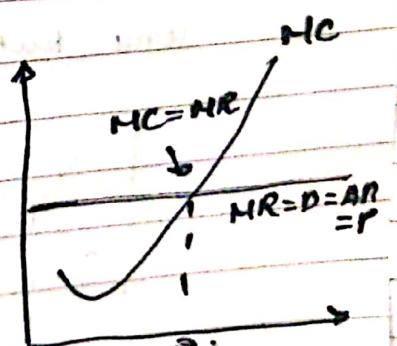
$$\pi = (R - C) \rightarrow \text{maximised}$$

↓
Price per unit of prod × Q

First order necessary cond.

$$\frac{d\pi}{dq} = \frac{dR}{dq} - \frac{dC}{dq} = 0$$

$$MR = MC$$



Second Order cond.

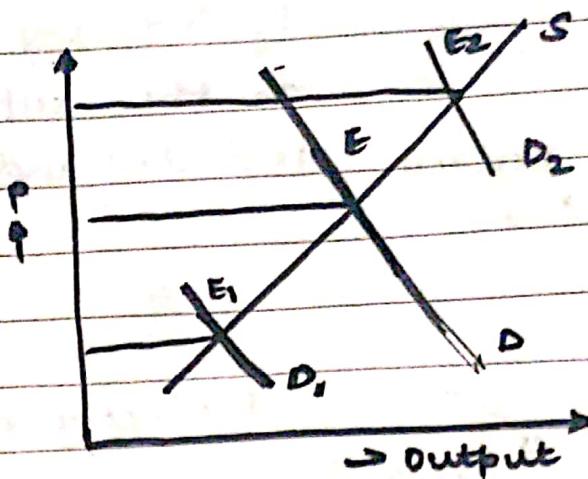
$$\frac{d\pi^2}{dq^2} < 0$$

Slope $MC >$ slope MR Individual firm

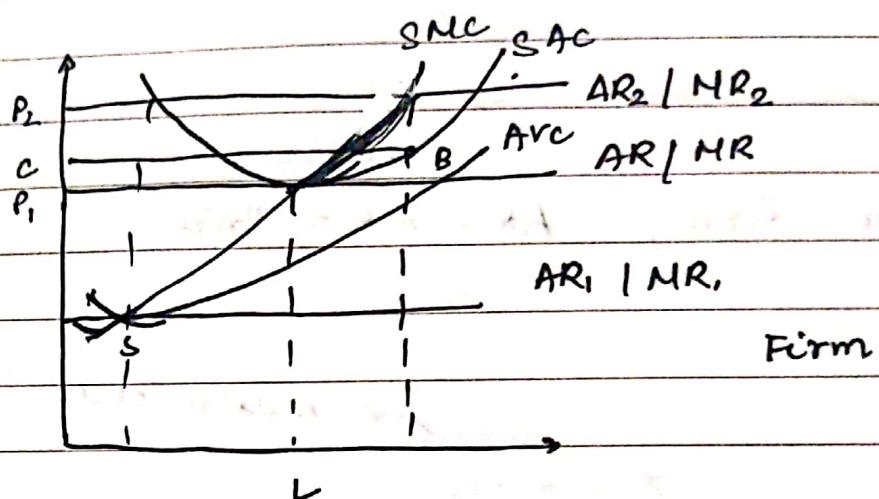


Perfectly Competitive Industry

Short - Run Equilibrium



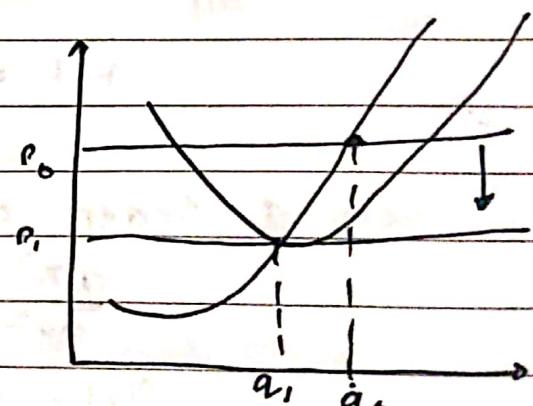
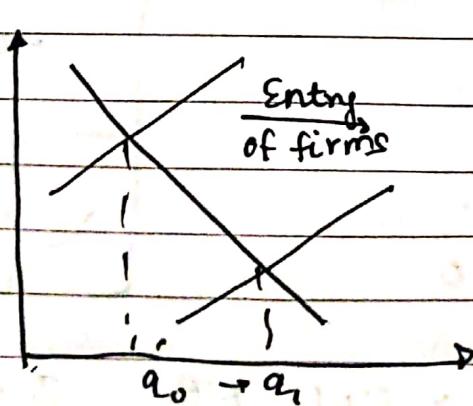
→ In short run,
no firm can
enter or leave



$AR \leq AVC$ (close business)

$AR > AVC$ (keep it running)

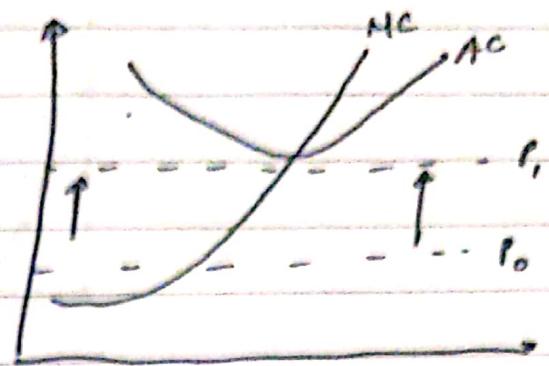
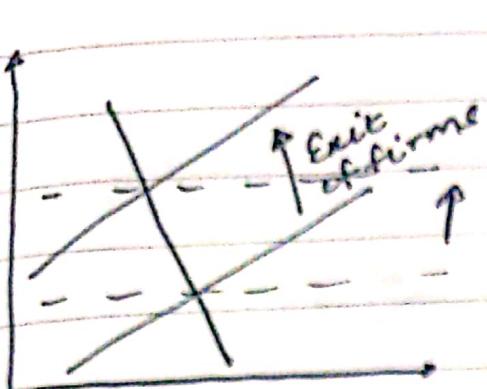
Long Run



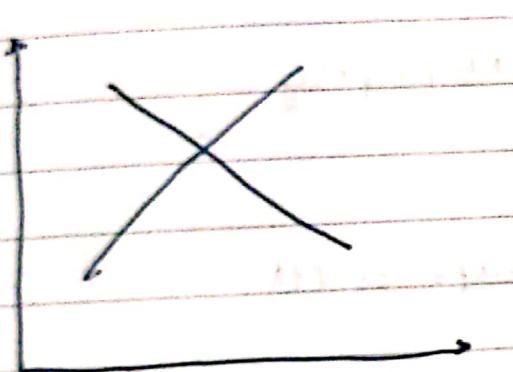
Abnormal profit

Consider for any reason, price has risen,
so new firms will enter, the supply
curve moves right, thus price falls

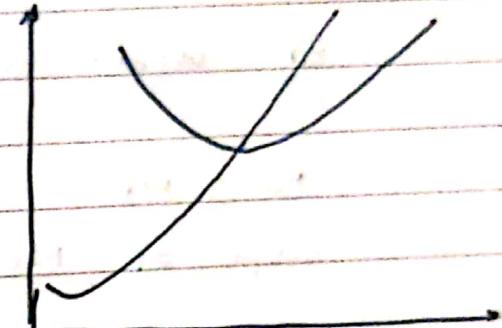
In case of long run, the firms finally reach to a case of "normal profits"



Short run losses, firms leave industry



Perfect comp.



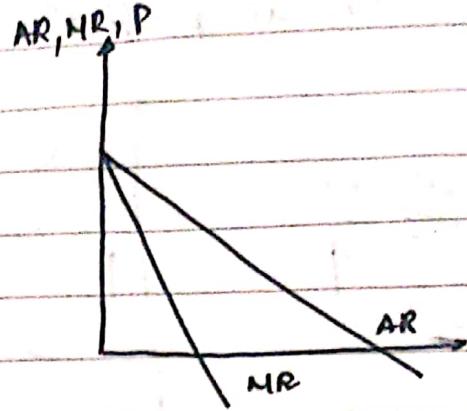
Monopoly

- Only one producer / seller of a prod.
- Restricted entry
- No substitutes
- Eg :- Gillette Razor

Factors responsible for existence of monopoly

- Ownership over strategic raw material
- Patent right
- Natural monopoly
- Limiting pricing policy

Demand curve for a monopoly

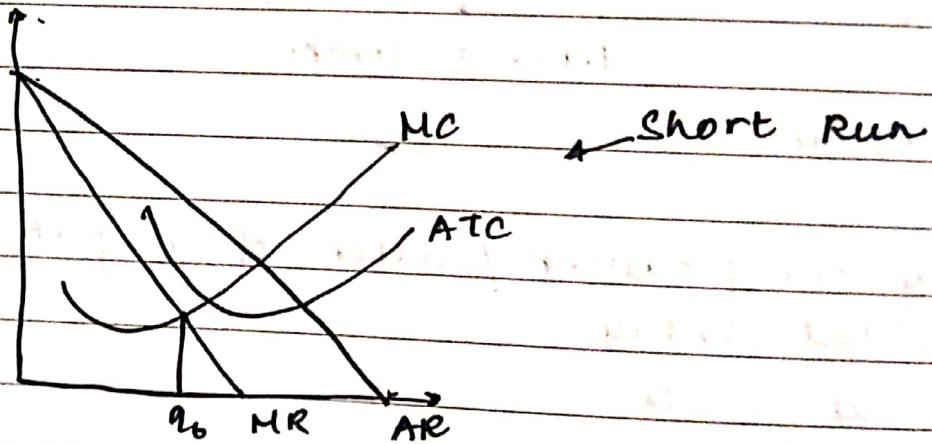


In monopoly, there is no diff b/w firm and industry

Eq. cond. under Monopoly

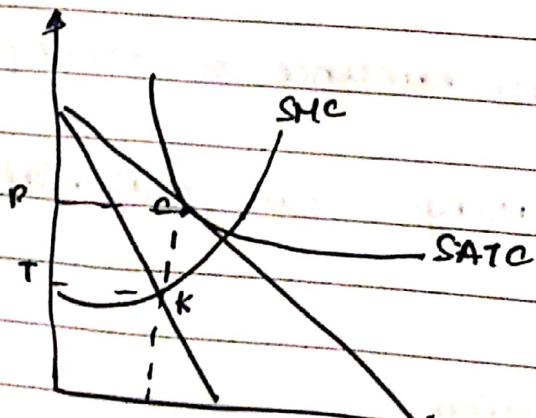
$$MC = MR$$

Slope of MC > Slope of MR

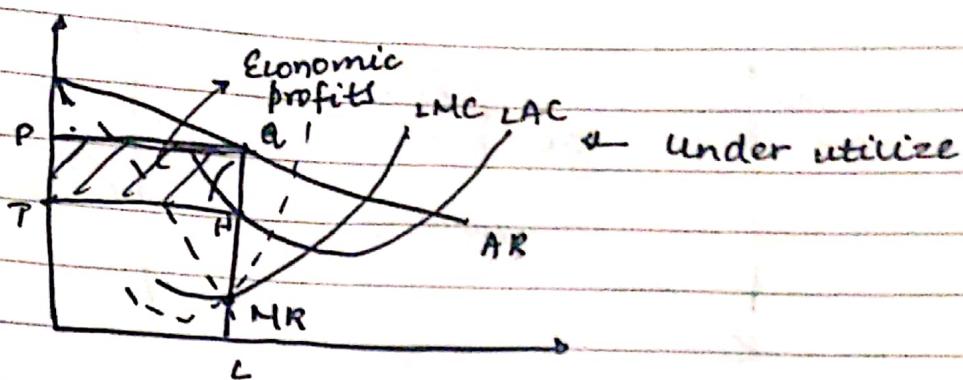


Close down

$$AR \leq AVC$$



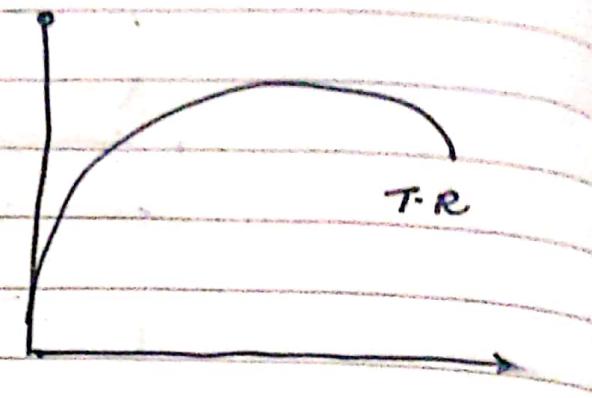
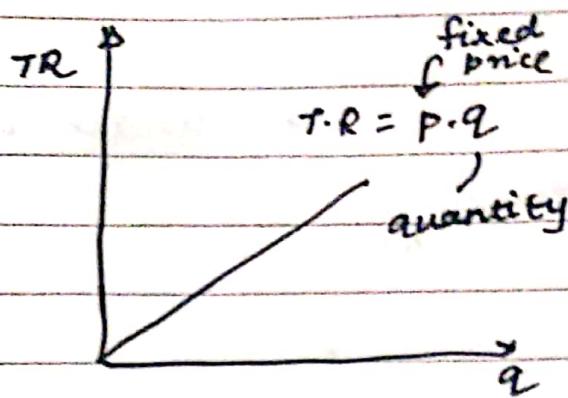
Long Run



Monopolists care of only about profits
 (super normal profits), it may overutilize,
 underutilize or perfectly utilize

To the right of min. point of LAC \rightarrow Over utilize

Characteristics	$P > C$	Monopoly
No. of sellers	Many	One
Substitutes	Only one prod. type	No subs.
Barriers	No barriers	Impossible for others to enter
Pricing	$P = MC = MR$	$P > MR$ $P > MC$
Profit	$P = ATC$ in long run Zero Efficient with zero economic profit	$P > ATC$ Big profits



$$M.R = p$$

$$M.R = p \left(1 - \frac{1}{e}\right)$$

$$e = \frac{dq}{dp} \cdot \frac{p}{q}$$

$$A.R = p$$

$$A.R = p(q) \quad \begin{matrix} \text{P area} \\ \text{Area of} \\ \text{a} \end{matrix}$$

$$AR = MR = f$$

$$AR = p(q) > MR$$

$$\pi = TR - TC$$

$$\pi = (p - ATC) \times q$$

$$MR - SMC = 0$$

$$MR - MC = 0$$

$$MR = p = MC$$

$$MR = MC < p$$

Shoes come under monopolistic comp. as there are many producers and consumers choosing acc. to brand, quality, location, etc. and on basis of price only

Oligopoly - (Cippe, Maggi, Knorr, Patanjali)

Duopoly - (Pepsi, Coca-Cola)

These two have largest share