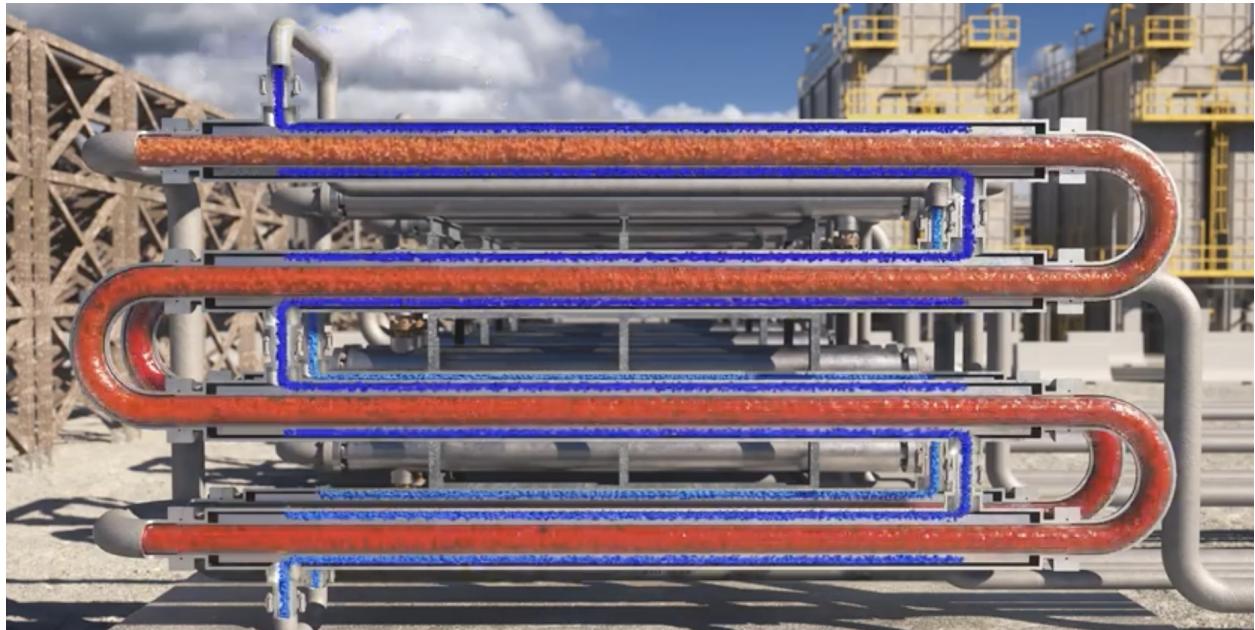


# Double Pipe Heat Exchanger



Group-29  
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19CH30018

## Problem Statement

$Z$  kg/hr of 57°API gasoline is cooled from  $T_{in}$  °C to  $T_{out}$  °C by heating 42°API kerosene from 30 °C to 45 °C. The allowable pressure drop is 0.7 bar for both tube and shell sides. A minimum dirt factor of 0.004 m<sup>2</sup>·K/W may be assumed.

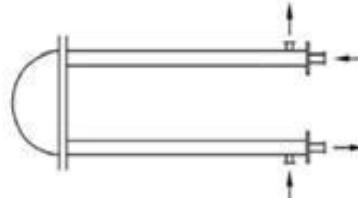
Design a double pipe heat exchanger with the hairpin arrangement and present the drawings in a form that can be sent to the fabricator.

Given,  $Z=750$  kg/hr,  $T_{in}=68^{\circ}\text{C}$ ,  $T_{out}=42^{\circ}\text{C}$

**DOUBLE PIPE HEAT EXCHANGER DATA SHEET**

**UNITS OF MEASUREMENT : (SI)**

1 Service Of Unit:	No Of Units:	2	Item No:		
2 Site: Chemical Engineering Department, IIT Kharapur	Manufacturer	Group 29			
3 Size 1'x1/2'	Type Arrangement Shell Parallel	Yes	Series: Tube	Parallel: Yes	Series
4 Surface/Unit (Eff.) m <sup>2</sup>		Section/Unit	Surface/Section (Eff.)	m <sup>2</sup>	
<b>5 PERFORMANCE OF ONE UNIT</b>					
6 Fluid Allocation		SHELL SIDE		TUBE SIDE	
7 Fluid Name		Gasoline		Kerosene'	
8 Fluid Quantity, Total	Kg/hr	750		1010.53	
9 Vapor (In/Out)	Kg/hr				
10 Liquid	Kg/hr	750	750	1010.53	1010.53
11 Steam	Kg/hr				
12 Water	Kg/hr				
13 Non-Condensate (Mw)	Kg/hr				
14 Temperature	°C	68	42	30	45
15 Density (Vapor/Liquid)	Kg/m <sup>3</sup>	820	820	760	760
16 Viscosity (Vapor/Liquid)	cP	0.45	0.45	1.4	1.4
17 Molecular Weight	Kg/Kmol				
18 Specific Heat (Vapor/Liquid)	KJ/Kg°C	2.219	2.219	2.0097	2.0097
19 Thermal Conductivity (Vapor/Liquid)	W/m°C	0.0126	0.0126	0.011	0.011
20 Surface Tension	Dyn/cm				
21 Boiling Point	°C				
22 Latent Heat	KJ/Kg				
23 Inlet Pressure	barg				
24 Velocity	m/s	1.2695		1.883	
25 Pressure Drop, Allowable/Calculated	bar	007/0.601		0.70.207	
26 Fouling Resistance (Min.)	m <sup>2</sup> °C/W	0.004		0.004	
27 Heat Exchanged	0.01202	MW	MTD (Corrected) (Weighted)		21.54 °C
28 Transfer Rate	232.809	W/m <sup>2</sup> °C			
<b>29 CONSTRUCTION OF ONE SHELL</b>					
30		SHELL SIDE	TUBE SIDE	Sketch	
31 Design Pressure	barg	0.601	0.207		
32 Design Temperature Max/Min	°C	68/42	45/30		
33 Corrosion Allowance	mm				
34 Insulation THK. In/Out	mm				
35 Connections	In				
36 Size &	Out				
37 Rating					
38 Tube No.	O.D.	15.79 (mm);	Thk.	mm (Ave/Min)	Length: 9753.6 mm;
39 Tube Type	Double Pipe			Material	40ST(Stainless Steel)
40 Fins: No.	Height	mm;	Thk.	mm	Type
41 Shell O.D.	26.64 mm;	Thk.	5.304 mm	Material	40ST (Stainless Steel)
42 Tube Sheet - Stationary				Impingement Protection	
43 Baffles-Cross	Type	%Cut	Spacing:c/c	mm;	Inlet mm
44 Shell Return Bend - Housing Material			Cover Material		
45 Tube Side Closure - Type				Material	
46 External Return Bend: OD	mm;	Thk.	mm;	Material	
47 Gasket - Shell Side			Tube Side		
48 Code Requirements	IPS		Stamp	NO	
49 Double Pipe Type?	Yes		Multi Tube Type?		
50 Remarks:					
51					
52					
53					



Rev.	Date	Description	App.1	App.2	App.3

Given, mass flow rate of  $57^{\circ}\text{API}$  ( $\gamma$ ) =  $750 \text{ kg/hr}$   
 $= 1653.47 \text{ lb/hr}$

For  $57^{\circ}\text{API}$  Gasoline given,  $T_{in} = 68^{\circ}\text{C} = 154.4^{\circ}\text{F}$   
 $T_{out} = 42^{\circ}\text{C} = 107.6^{\circ}\text{F}$

At,  $T_{av} = \frac{154.4 + 107.6}{2} = 131^{\circ}\text{F}$ ,  $c_p = 0.53 \text{ Btu/lb-}^{\circ}\text{F}$

For  $42^{\circ}\text{API}$  Kerosene given,  $T'_{in} = 30^{\circ}\text{C} = 86^{\circ}\text{F}$   
 $T'_{out} = 45^{\circ}\text{C} = 113^{\circ}\text{F}$

At,  $T'_{av} = \frac{113 + 86}{2} = 99.5^{\circ}\text{F}$ ,  $c_p = 0.48 \text{ Btu/lb-}^{\circ}\text{F}$

Heat Balance:

$$\dot{m}_{\text{gasoline}} \cdot c_{p(\text{gasoline})} (T_{in} - T_{out}) = \dot{m}_{\text{kerosene}} c_{p(\text{kerosene})} (T'_{out} - T'_{in})$$

$$\therefore \dot{m}_{\text{kerosene}} = \frac{1653.47 \times (154.4 - 107.6) \times 0.53}{(113 - 86) \times 0.48}$$

$$= 2227.843 \text{ lb/hr}$$

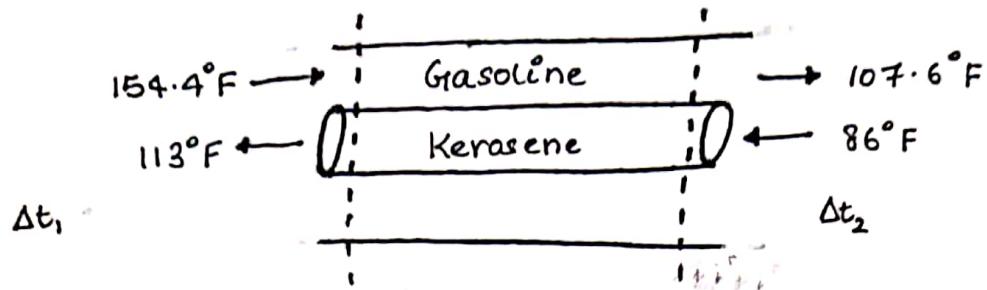
Heat duty:  $Q = 1653.47 \times (154.4 - 107.6) \times 0.53$   
 $= 41012.66988 \text{ Btu/hr}$

We consider the cold fluid (kerosene) in the inner tube and gasoline (hot fluid) in the outer tube; For the following reasons

- Larger flow rate stream in annulus
- Viscosity of kerosene is greater than viscosity of gasoline
- However, one drawback of considering this, radiative heat losses to the environment, but it is negligible compared to heat transfer happening

We use the 40ST, 40S pipe for this case

## ② Calculation of LMTD



$$LMTD = \frac{\Delta t_1 - \Delta t_2}{\ln\left(\frac{\Delta t_1}{\Delta t_2}\right)} = 70.77^{\circ}F$$

③ Caloric Temperature : A check of both streams will show that neither is viscous at cold terminal and temp. ranges and temp. difference are moderate.

$$T_{av} = \frac{1}{2} (154.4 + 107.6) = 131^{\circ}F$$

$$t_{av} = \frac{1}{2} (113 + 86) = 99.5^{\circ}F$$

Double pipe used in 1' by 1/2' IPS

Pipe Parameters:

Outer Tube (1')

$$\begin{aligned} \text{Outer diameter } (D_2) &= 1.049/12 \\ &= 0.0874 \text{ ft} \end{aligned}$$

$$\begin{aligned} \text{Inner diameter } (D_2) &= 0.84/12 \\ &= 0.07 \text{ ft} \end{aligned}$$

Inner Tube (1/2')

$$\begin{aligned} \text{Inner Diameter } (D) &= 0.622/12 \\ &= 0.0518 \text{ ft} \end{aligned}$$

As mentioned earlier, we consider gasoline on the annulus side and kerosene in the pipe side.

## Heat Transfer Analysis

Hot Fluid : Annulus, Gasoline

Cold Fluid : Inner Pipe, Kerosene

Flow Area,

$$a_g = \frac{\pi (D_1^2 - D_2^2)}{4}$$

$$= 0.00215 \text{ ft}^2$$

Flow Area,

$$a_k = \frac{\pi D^2}{4}$$

$$= 0.00211 \text{ ft}^2$$

Equivalent Diameter,

$$D_{eq} = \frac{D_1^2 - D_2^2}{D_2} = 0.0392 \text{ ft}$$

Mass velocity,

$$G_g = \frac{\dot{m}_{\text{gasoline}}}{a_g}$$

$$= 767566.343 \text{ lb/hr-ft}^2$$

Flow velocity,

$$v_g = \frac{\dot{m}_g}{\rho_g a_g} = 1.2695 \text{ m/s}$$

$$(\rho_g = 820 \text{ kg/m}^3)$$

Viscosity,

$$\text{At } T = 131^\circ\text{F}, \mu_g = 0.45 \text{ cP}$$

$$\mu_g = 1.094 \text{ lb/ft-hr}$$

Reynold's Number,

$$Re_g = \frac{D_{eq} G_g}{\mu_g}$$

$$\therefore Re_g = \frac{0.0392 \times 767566.343}{1.094}$$

$$= 27503.291$$

Equivalent Diameter,

$$d_{eq} = 0.0518 \text{ ft}$$

Mass velocity,

$$G_k = \frac{\dot{m}_{\text{kerosene}}}{a_k}$$

$$= 1055849.763 \text{ lb/hr-ft}^2$$

Flow velocity,

$$V_k = \frac{\dot{m}_k}{\rho_k a_k} = 1.883 \text{ m/s}$$

$$(\rho_k = 760 \text{ kg/m}^3)$$

Viscosity,

$$\text{At } t = 99.5^\circ\text{F}, \mu = 1.4 \text{ cP}$$

$$\therefore \mu = 3.388 \text{ lb/ft-hr}$$

Reynold's Number,

$$Re_k = \frac{d_{eq} \times G_k}{\mu_k}$$

$$\therefore Re_k = \frac{0.0518 \times 1055849.763}{3.388}$$

$$= 16143.158$$

$$C_p = 0.63 \text{ Btu/lb-}^{\circ}\text{F}$$

$$k_g = 0.087 \text{ Btu/hr-ft-}^{\circ}\text{F}$$

$$C_p = 0.48 \text{ Btu/lb-}^{\circ}\text{F}$$

$$k_k = 0.078 \text{ Btu/hr-ft-}^{\circ}\text{F}$$

Prandtl Number,

$$Pr = \frac{C_p \mu}{k}$$

$$\therefore Pr = \frac{0.53 \times 1.094}{0.087} = 6.665$$

Prandtl Number,

$$Pr = \frac{C_p \mu}{k}$$

$$\therefore Pr = \frac{0.48 \times 3.388}{0.078} = 20.849$$

$$\text{Since, } Re > 10^4, \quad Nu = 0.023 Re^{0.8} Pr^{1/3} \left( \frac{\mu}{\mu_w} \right)^{0.14}$$

Nusselt Number,

$$\frac{h_g D_{eq}}{k_g \cdot \Phi_g} = 0.023 \times (27503 \cdot 29)^{0.8} \times (6.665)^{1/3}$$

$$\therefore \frac{h_g}{\Phi_g} = \frac{154.112 \times 0.087}{0.0392} = 342.034 \text{ Btu/hr-ft}^2\text{°F}$$

Nusselt Number,

$$\frac{h_k D_{eq}}{\Phi_k k_b} = 0.023 \times (16143 \cdot 158)^{0.8} \times (20.849)^{1/3}$$

$$\therefore \frac{h_k}{\Phi_k} = \frac{147.168 \times 0.078}{0.0518}$$

$$= 221.61 \text{ Btu/hr-ft}^2\text{°F}$$

$$t_w = t_k + \frac{h_g / \Phi_g}{h'_k / \Phi_k + h_g / \Phi_g} (T_g - t_k)$$

$$= 120.79 \text{ °F}$$

$$\text{At } t_w = 120.79 \text{ °F}, \quad \mu_{w_g} = 0.48 \text{ cP}$$

$$\therefore h_g = \frac{h_g}{\Phi_g} \times \left( \frac{\mu}{\mu_w} \right)^{0.14}$$

$$= 342.034 \times \left( \frac{0.45}{0.48} \right)^{0.14}$$

$$\therefore h_g = 338.96 \text{ Btu/hr-ft}^2\text{°F}$$

$$\frac{h'_k}{\Phi_k} = \frac{h_k}{\Phi_k} \times \frac{ID}{OD}$$

$$= 221.61 \times \frac{0.622}{0.84}$$

$$= 164.093 \text{ Btu/hr-ft}^2\text{°F}$$

$$\text{At } t_w = 120.79 \text{ °F}, \quad \mu_w = 1.24$$

$$\therefore h_k = \frac{h'_k}{\Phi_k} \times \left( \frac{\mu}{\mu_w} \right)^{0.14}$$

$$= 164.093 \times \left( \frac{1.4}{1.2} \right)^{0.14}$$

$$\therefore h_k = 167.67 \text{ Btu/hr-ft}^2\text{°F}$$

Clean overall co-efficient ( $U_c$ )

$$U_c = \frac{h_w \times h_g}{h_w + h_g} = \frac{338.96 \times 167.67}{338.96 + 167.67}$$
$$\therefore U_c = 112.18 \text{ Btu/hr-ft}^2\text{°F}$$

Design Overall Co-efficient ( $U_d$ )

$$\frac{1}{U_d} = \frac{1}{U_c} + R_d$$

$$R_d = 2 \times 0.004 = 0.008$$

$$\frac{1}{U_d} = \frac{1}{112.18} + 0.008$$

$$\therefore U_d = 59.12 \text{ Btu/hr-ft}^2\text{°F}$$

WKT,  $A = \frac{Q}{U_d(\text{LMTD})} = \frac{41012.6698}{59.12 \times 70.77} = 9.8024 \text{ ft}^2$

$$\therefore A = 9.8024 \text{ ft}^2$$

For a  $\frac{1}{2}'$  IPS standard pipe there is  $0.222 \text{ ft}^2$  external surface area per foot length

$$\therefore \text{Required length} = \frac{9.8024}{0.22} = 44.56 \text{ ft}$$

This is equivalent to considering 2 hairpins of 16 ft long connected in parallel

Corrected  $U_d$ :

$$U_d = \frac{Q}{A \text{ LMTD}} = \frac{41012.6698}{64 \times 0.22 \times 70.77} = 41.159 \text{ Btu/hr-ft}^2\text{°F}$$

Corrected Ditt Factor:

$$R_d = \frac{1}{U_d} - \frac{1}{U_c} = \frac{1}{41.159} - \frac{1}{112.18}$$

$$\therefore R_d = 0.0154$$

## Pressure Drop Analysis

$$D_e' = D_2 - D_1$$

$$= 0.0174 \text{ ft}$$

$$Re' = D_e' G / \mu$$

$$= \frac{767566.34 \times 0.0174}{1.094}$$

$$\therefore Re' = 12208.094$$

$$\text{For } Re = 16143.158,$$

$$f_k = 0.0035 + \frac{0.264}{Re^{0.42}}$$

$$= 0.0035 + \frac{0.264}{16143.158^{0.42}}$$

$$\therefore f_k = 0.00801$$

$$f_g = 0.0035 + \frac{0.264}{(12208.094)^{0.42}}$$

$$S = 6.76, \rho_k = 0.76 \times 92.1 \\ = 69.996$$

$$\therefore f_g = 0.00857$$

$$S = 0.82, \rho_g = 0.82 \times 92.1 \\ = 75.52$$

$$\Delta F_{g1} = \frac{4f_g G_g^2 L_g}{2g \rho_g^2 D_{eq}^2}$$

$$= \frac{4 \times 0.00857 \times 767566^2 \times 64}{2 \times 4.18 \times 10^8 \times 75.52^2 \times 0.0174}$$

$$\therefore \Delta F_{g1} = 15.1769 \text{ ft}$$

Halfes of the fluid will flow through only ~~heat~~ exchanger.

$$\Delta F_k = \frac{4f_k G_k^2 L_k}{2g \rho_k^2 D_{eq}^2}$$

$$= \frac{4 \times 0.00801 \times 1055849^2 \times 12}{2 \times 4.18 \times 10^8 \times 69.996^2 \times 0.0518}$$

$$\therefore \Delta F_k = 5.387 \text{ ft}$$

$$V = \frac{G_g}{3600 \rho} = \frac{767566}{3600 \times 75.52} = 2.82 \text{ fps}$$

$$\Delta P_k = \frac{5.387 \times 80.127}{144}$$

$$F_{g2} = N_{hp} \left( \frac{V^2}{2g} \right) = 2 \times \frac{2.82^2}{2 \times 32.2}$$

$$= 0.495 \text{ ft}$$

$$\Delta P_g = \frac{(15.1769 + 0.495) \times 80.127}{144}$$

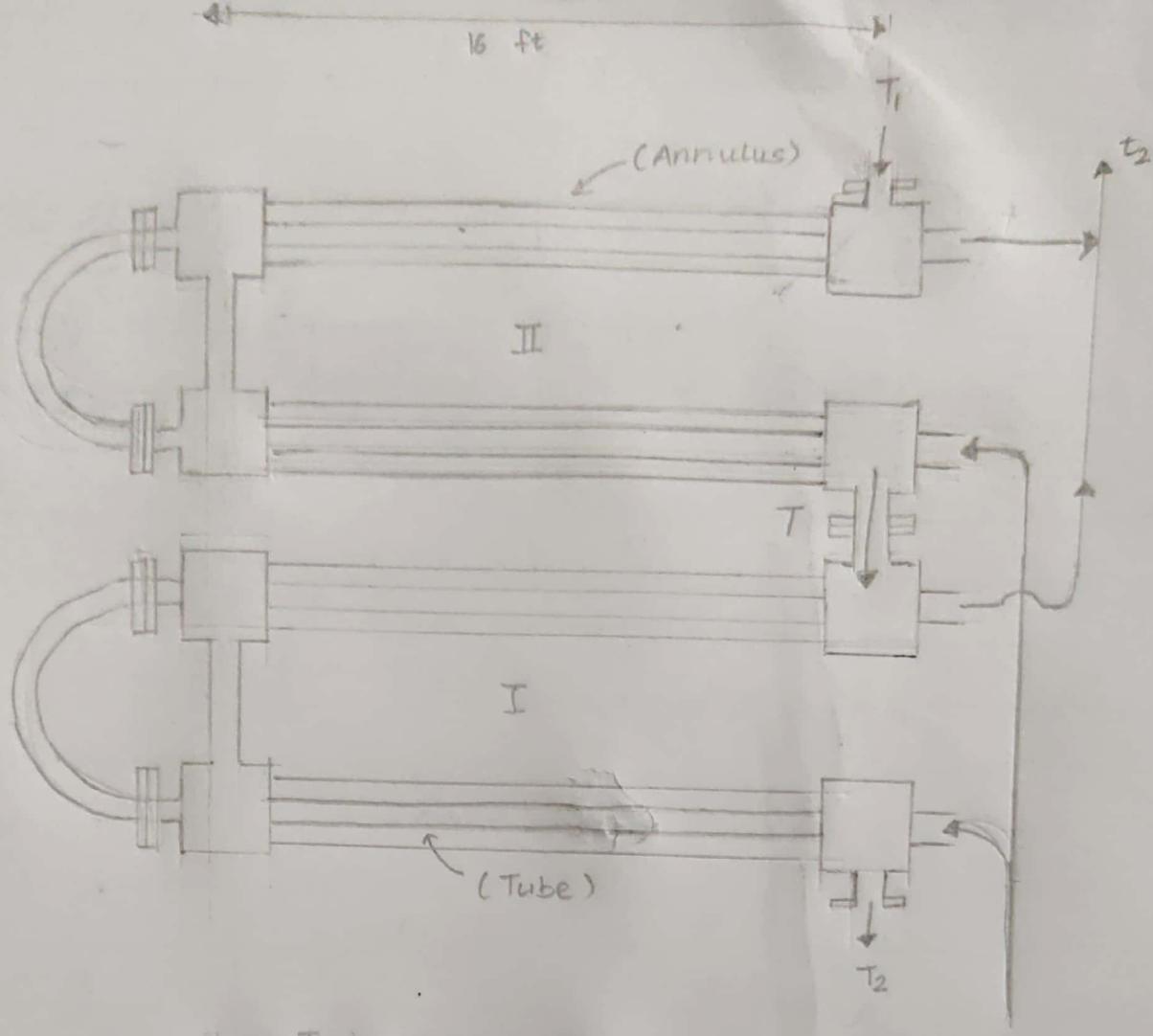
$$= 8.72 \text{ psi} (\approx 0.601 \text{ bar})$$

$$\Delta P_k = 0.207 \text{ bar} < 0.7 \text{ bar}$$

$$\Delta P_g = 0.601 \text{ bar} < 0.7 \text{ bar}$$

Thus, the pressure drop is in the range for both annulus and pipe side.

$\therefore$  The design is safe



T<sub>in</sub>: Two Hairpins in parallel

(1" by 1/2" IPS)

Pipe Gasoline

$$T_{in} = 68^\circ C$$

$$T_{out} = 42^\circ C$$

$$\dot{m} = 750 \text{ kg/hr}$$

Kerosene

$$T_{in} = 30^\circ C$$

$$T_{out} = 45^\circ C$$

$$\dot{m} = 1010.53 \text{ kg/hr}$$

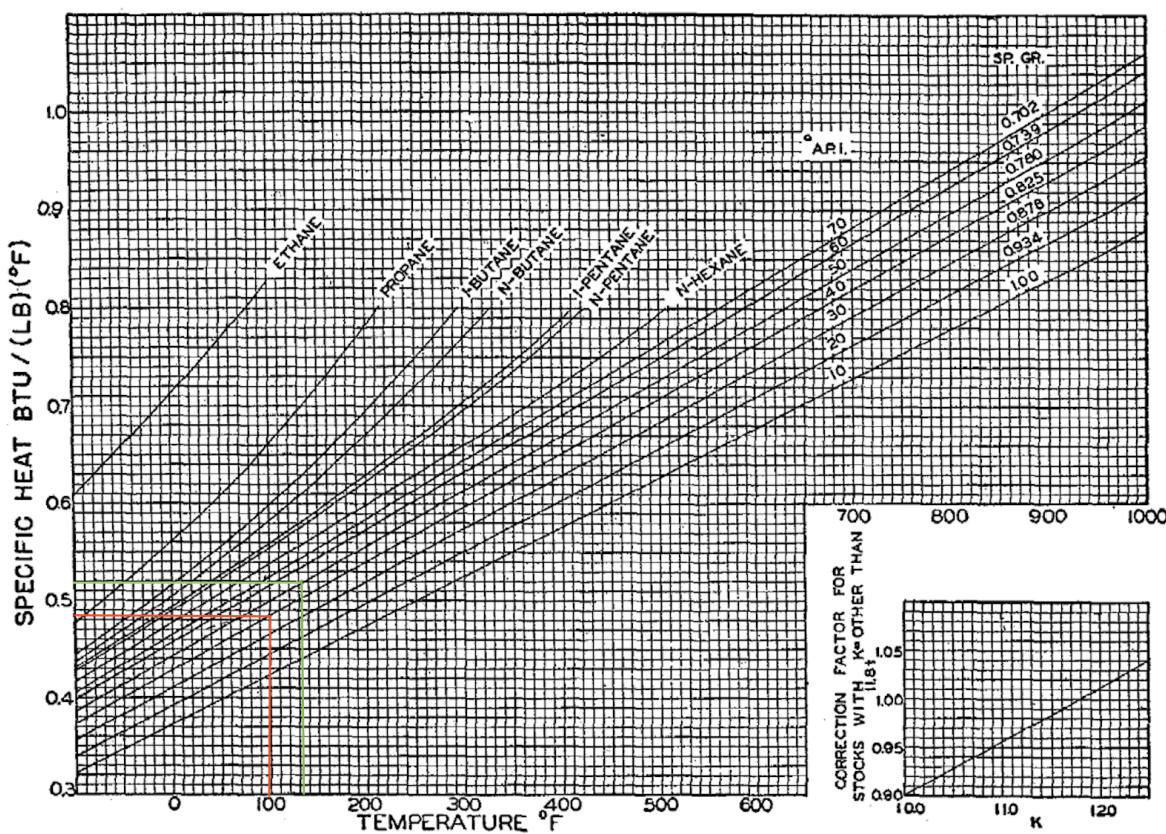


FIG. 4. Specific heats of hydrocarbon liquids. [Holcomb and Brown, *Ind. Eng. Chem.*, **34**, 595 (1942).]  
†  $K$  = characterization factor.

--- Kerosene at  $t_c$   
--- Gasoline at  $T_c$

Graph Plotting for finding out Specific Heat at various temperatures of Gasoline and Kerosene

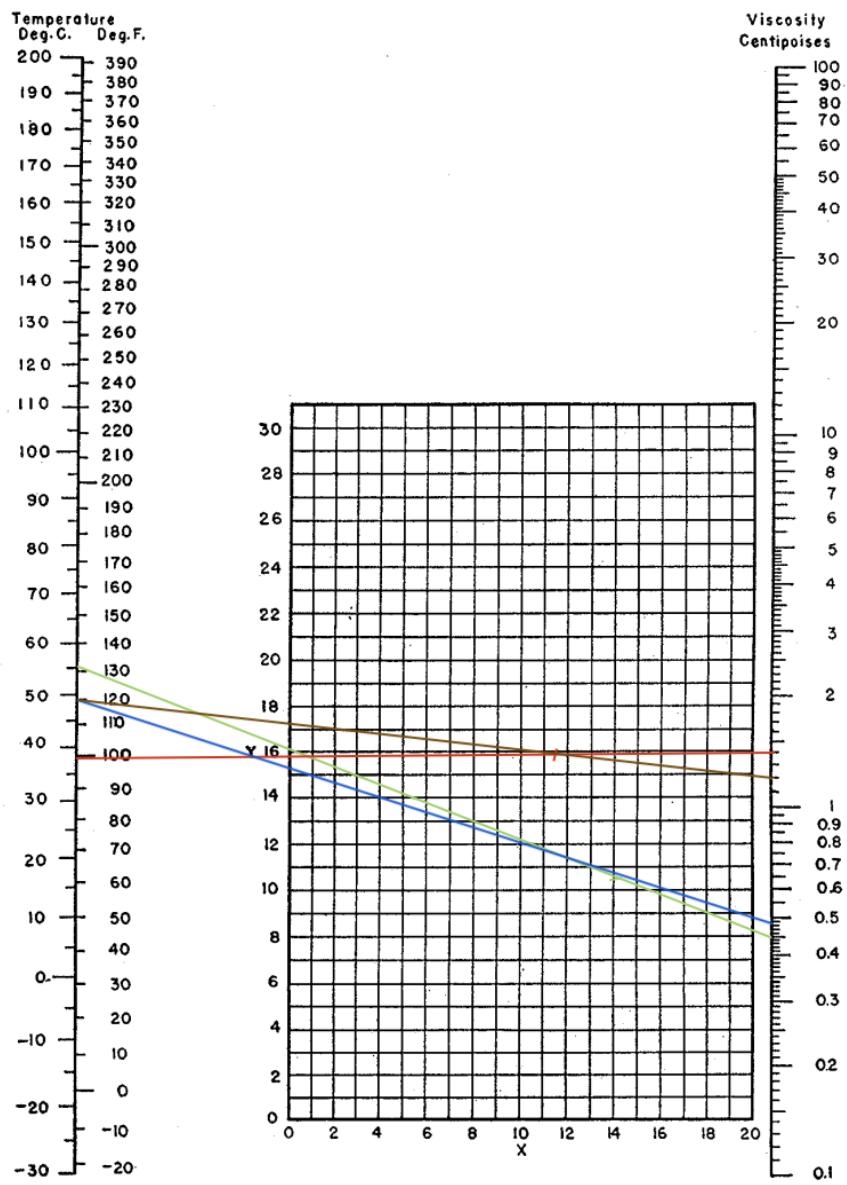
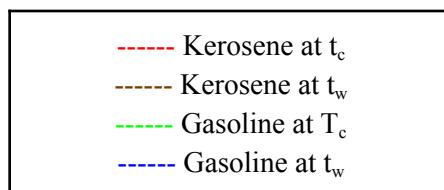


FIG. 14. Viscosities of liquids. (Perry, "Chemical Engineers' Handbook," 3d ed., McGraw Hill Book Company, Inc., New York, 1950.)



Graph Plotting for finding out Viscosity at various temperatures of Gasoline and Kerosene

**Table A.15 Thermal Conductivities of Liquids**

Liquid	<i>T</i> (°F)	<i>k</i> (Btu/h · ft · °F)	Liquid	<i>T</i> (°F)	<i>k</i> (Btu/h · ft · °F)
Acetic acid 100%	68	0.099	Ethyl alcohol 40%	68	0.224
Acetic acid 50%	68	0.20	Ethyl alcohol 20%	68	0.281
Acetone	86	0.102	Ethyl alcohol 100%	122	0.087
	167	0.095	Ethyl benzene	86	0.086
Allyl alcohol	77–86	0.104		140	0.082
Ammonia	5–86	0.29	Ethyl bromide	68	0.070
Ammonia, aqueous 26%	68	0.261	Ethyl ether	86	0.080
	140	0.29		167	0.078
Amyl acetate	50	0.083	Ethyl iodide	104	0.064
Amyl alcohol ( <i>n</i> -)	86	0.094		167	0.063
	212	0.089	Ethylene glycol	32	0.153
Amyl alcohol (iso-)	86	0.088	<b>Gasoline</b>	86	0.078
	167	0.087	Glycerol 100%	68	0.164
Aniline	32–68	0.100	Glycerol 80%	68	0.189
Benzene	86	0.092	Glycerol 60%	68	0.220
	140	0.087	Glycerol 40%	68	0.259
Bromobenzene	86	0.074	Glycerol 20%	68	0.278
	212	0.070	Glycerol 100%	212	0.164
Butyl acetate ( <i>n</i> -)	77–86	0.085	Heptane ( <i>n</i> -)	86	0.081
Butyl alcohol ( <i>n</i> -)	86	0.097		140	0.079
	167	0.095	Hexane ( <i>n</i> -)	86	0.080
Butyl alcohol (iso-)	50	0.091		140	0.078
Calcium chloride brine 30%	86	0.32	Heptyl alcohol ( <i>n</i> -)	86	0.094
15%	86	0.34		167	0.091
Carbon disulfide	86	0.093	Hexyl alcohol ( <i>n</i> -)	86	0.093
	167	0.088		167	0.090
Carbon tetrachloride	32	0.107	<b>Kerosene</b>	68	0.086
	154	0.094		167	0.081
Chlorobenzene	50	0.083	Mercury	82	4.83
Chloroform	86	0.080	Methyl alcohol 100%	68	0.124
Cymene (para-)	86	0.078	Methyl alcohol 80%	68	0.154
	140	0.079	Methyl alcohol 60%	68	0.190
Decane ( <i>n</i> -)	86	0.085	Methyl alcohol 40%	68	0.234
	140	0.083	Methyl alcohol 20%	68	0.284
Dichlorodi- fluoromethane	20	0.057	Methyl alcohol 100%	122	0.114
			Methyl alcohol chloride	5	0.111
				∞	∞

For Kerosene,

We linearly interpolate to get our value,

$$k - 0.081 = \frac{0.086 - 0.081}{167 - 68} (T - 68)$$

$$At, T = 99 \cdot 5^{\circ}F, k = 0.078 \text{ Btu/hr ft}^{\circ}\text{F}$$

## **Reasons for various considerations**

1) Kerosene in the inner tube and Gasoline in the outer tube

- A larger flow rate stream is taken in annulus side
- The viscosity of kerosene is greater than the viscosity of gasoline

2) Tube Dimensions: 1x1/2

- We have tried various dimensions, starting with 2x1.25, however, all conditions like velocity to be at least 1m/s-1.5m/s, allowable pressure should be less than 0.7 bar and hence after trying various pipes using the hit and trial method, we have come to this conclusion
- It is always preferable to flow in the turbulent region for lesser pressure drop and to avoid any errors

3) 40ST 40S Pipe

- Steel pipes are much more durable than pipes or tubes made out of other materials. Even without all the other benefits attached to using them, the strength of steel pipe makes it the best option for most flows, its strength enables it to withstand vibrations, shock and high pressure. Unlike other metals, steel will bend rather than break under extreme conditions, helping to prevent spills or leaks.
- Unlike other metals that rust or corrode easily, steel tubes are rust-proof and are resistant to other chemical reactions that can cause corrosion. This helps them to be more maintenance-free than other types of tubes and pipes, lasting for many years beyond installation.

4) Sider-Tate Equation

Since  $Re > 10^4$ ,

$$Nu = 0 \cdot 023 (Re)^{0.8} Pr^{1/3} \left( \frac{\mu}{\mu_0} \right)^{0.14}$$

## **References**

- 1) Process Heat Transfer Principles and Applications by Robert. W. Sarat
- 2) Process Heat Transfer by D.Q.Kern
- 3) Python Code(attached below)

```

def outer_pipe(d1,d2,m,u,d,isval=True):
    d1=d1/12
    d2=d2/12
    m1=m/2.20462
    a=22*(d1**2-d2**2)/(4*7)
    a1=a/10.764
    ed=(d1**2-d2**2)/d2
    v=m1/(d*a1*3600)
    g=m/a
    Re=g*ed/u
    return{"Area":a,"Equivalent Dia":ed,"Velocity":v,"Reynolds":Re,"Mass Velocity":g}
def inner_pipe(d1,m,u,d):
    d1=d1/12
    m1=m/2.20462
    a=22*(d1**2)/(4*7)
    a1=a/10.764
    v=m1/(d*a1*3600)
    g=m/a
    Re=g*d1/u
    return {"Area":a,"Velocity":v,"Reynolds":Re,"Mass Velocity":g}

def nusseltgasoline(cp,tc,u,d,k,re):
    return {"h/phi":0.023*(re**0.8)*((cp*u/k)**(1/3))*k/d}

def nusseltkerosene(cp,tc,u,d,k,re,id,od):
    return {"h/phi":0.023*(re**0.8)*((cp*u/k)**(1/3))*(k/d)*(id/od)}

def tw(h1,h2,t,T,id,od):
    return {"tw":t+((h1/(h2+h1))*(T-t))}

def phi(u,uw):
    return (u/uw)**0.14

def heatgasoline(h,p):
    return{"h":h*p}

```

```
def heatgasoline(h,p):
    return{"h":h*p}

def heatkerosene(h,p):
    return{"h":h*p}

def ud(h1,h2,rd):
    uc=(h1*h2)/(h1+h2)
    x=(1/uc)+(rd*2)
    y=1/x
    return {"Uc":uc,"Ud":y}

def allowedPressure1(re,ar,eqd,d,ar2,m,isval=True):
    if(isval):
        f=0.0035+(0.264/(re**0.42))
        delF=4*f*((m/ar2)**2)*ar/(2*(d**2)*eqd*4.18*(10**8))
        v=(m/ar2)/(3600*d)
        delF2=8*(v**2)/(2*32.2)
        delP=(delF2+delF)*48.4/144
        return {"Friction Factor":f,"delF":delF,"V":v,"delF2":delF2,"Pressure":delP}
    def allowedPressure1(re,ar,eqd,d,ar2,m):
        f=0.0035+(0.264/(re**0.42))
        delF=4*f*((m/ar2)**2)*ar/(2*(d**2)*eqd*4.18*(10**8))
        delP=(delF2)*48.4/144
        return {"Friction Factor":f,"delF":delF,"Allowable Pressure":delP}
```

```
print("Double pipe Heat Exchanger")
print("-"*100)
print("Hot Fluid: Gasoline")
print(outer_pipe(1.049,0.84,1653.47,1.094,820))
print(nusseltgasoline(0.521,131,1.094,0.034,0.087,27479.97340867542))
print(tw(391.8259082845798,151.97980969051227,99.5,131,0.84,0.622))
print(heatgasoline(391.8259082845798,phi(0.45,0.48)))
print(allowedPressure1(12302.8112,64,0.0175,72.52,0.00215,1653.47))
print("-"*100)
print("Overall and Design Co-efficient")
print(ud(342.034,164.093,0.0004))
print("-"*100)
print("Cold Fluid:Kerosene")
print(inner_pipe(0.622,1384.164333,3.388,760))
print(nusseltkerosene(0.485,99.5,3.388,0.0518,0.078,10031.605951089647))
print(heatkerosene(151.97980969051227,phi(1.4,1.2)))
print(allowedPressure2(16143.158,32,0.0518,69.996,0.00211,2227.843))
```

#### Double pipe Heat Exchanger

---

##### Hot Fluid: Gasoline

```
{'Area': 0.00215, 'Equivalent Dia': 0.0392, 'Velocity': 1.2695, 'Reynolds Number': 27503.291, 'Mass Velocity': 767566.343}
{'h/phi': 342.034}
{'tw': 120.791}
{'h': 388.30155317511895}
{'Friction Factor': 0.00857, 'delf': 15.1769, 'V': 2.821, 'delf2': 0.495, 'Pressure': 8.724}
```

---

##### Overall and Design Co-efficient

```
{'Uc': 112.18, 'Ud': 59.12}
```

---

##### Cold Fluid:Kerosene

```
{'Area': 0.00211, 'Velocity': 1.883, 'Reynolds': 16143.158, 'Mass Velocity': 1055849.763}
{'h/phi': 164.093}
{'h': 155.29534822296844}
{'Friction Factor': 0.00801, 'delf': 5.387, 'Pressure': 2.998}
```

### **Conclusion:**

- Number of hairpins = 2
- Arrangement: Parallel
- The dirt factor is 0.00.0154 units
- Pressure drop is less than 0.7 bar

### **Drawbacks:**

- There is radiative heat loss from the tube to the environment, however, it is very less compared to the heat transfer happening inside the tubes.
- We have considered the non-standard pipe 1x1/2, which might not be available in the market.
- We have increased the flow rate to 750 kg/hr, as the initial value didn't satisfy various conditions like velocity to be at least 1m/s-1.5m/s, also it is preferable to have the flow in a turbulent region and using the previous value, the flow was in the transition region and we don't have defined friction factors in this region, which might lead to further errors on the design. Hence the flow rate was increased.