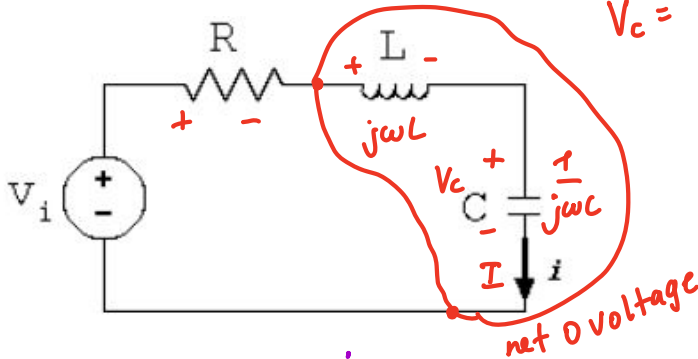


• Resonance-cont

- What if we add a resistor too?



$$Z_s = R + j\omega L - \frac{j}{\omega C}$$

"0" If $\omega = \frac{1}{\sqrt{LC}}$

L and C act like a short,
but they still have voltage, just
opposite in signs to each other
⇒ max current achieved!

series resonance

$$V_c = V_i \frac{\frac{1}{j\omega C}}{(\frac{1}{j\omega C} + j\omega L + R)} = \frac{V_i}{1 - \omega^2 LC + j\omega RC}$$

0" if $\omega = \frac{1}{\sqrt{LC}}$

$$V_c = \frac{V_i}{j\omega RC} = -j\sqrt{\frac{L}{C}} \frac{1}{R} V_i$$

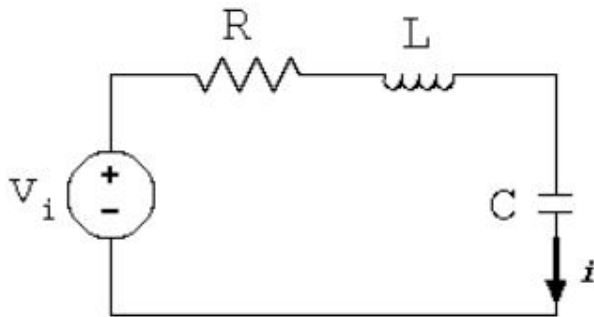
$$V_L = \frac{j\omega L V_i}{\frac{1}{j\omega C} + R + j\omega L} =$$

$$= j\sqrt{\frac{L}{C}} \frac{1}{R} V_i = -V_c$$

$$V_c + V_L = V_c - V_c = 0$$

• Example #10

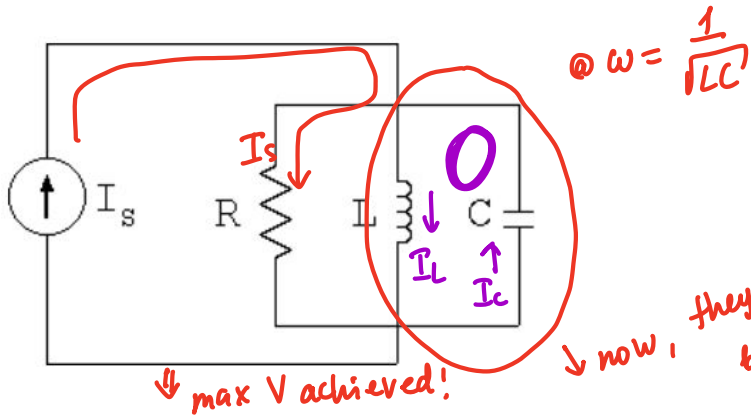
- Determine the current and voltage in each element if $v_i(t) = \cos(\omega_0 t)$, where $\omega_0 = \frac{1}{\sqrt{LC}}$



$$V_R = V_i$$
$$I = \frac{V_i}{R}$$

• Resonance-cont

- What if elements are in parallel? *Parallel resonance*



\Downarrow now, they act as open circuit, but they still have current. It goes around just between L and C

$$Z_p = \frac{1}{\frac{1}{R} + j(\omega L - \frac{1}{\omega L})} = R$$

Chapter objectives

- Understand the representation of co-sinusoids as phasors
- Understand and apply the principles of superposition and derivative in phasors
- Understand the representation of resistors, inductors and capacitors as impedances
- Carry out co-sinusoidal steady-state analysis of dissipative LTI systems through differential equations and directly through circuits
- Calculate the average absorbed power of basic circuit elements
 - For inductors and capacitors $P = 0W$
- Understand the meaning of available power and matched impedance, as well as how to calculate them
- Understand the concept of resonance