

# Regular Polygon

Time Limit: 1000 MS   Memory Limit: 64M

## [Description]

In a 2\_D plane, there is a point strictly in a regular polygon with N sides. If you are given the distances between it and N vertexes of the regular polygon, can you calculate the length of regular polygon's side? The distance is defined as  $\text{dist}(A, B) = \sqrt{(A_x - B_x)^2 + (A_y - B_y)^2}$ . And the distances are given counterclockwise.

## [Input]

First a integer T ( $T \leq 50$ ), indicates the number of test cases. Every test case begins with a integer N ( $3 \leq N \leq 100$ ), which is the number of regular polygon's sides. In the second line are N float numbers, indicate the distance between the point and N vertexes of the regular polygon. All the distances are between (0, 10000), not inclusive.

## [Output]

For the ith case, output one line "Case k: " at first. Then for every test case, if there is such a regular polygon exist, output the side's length rounded to three digits after the decimal point, otherwise output "impossible".

## [Sample Input]

```
2
3
3.0 4.0 5.0
3
1.0 2.0 3.0
```

## [Sample Output]

```
Case 1: 6.766
Case 2: impossible
```