VISVESVARAYA TECHNOLOGICAL UNIVERSITY

"JnanaSangama", Belgaum -590014, Karnataka.



Machine Learning (23CS6PCMAL)

Submitted by

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in partial fulfillment for the award of the degree of

BACHELOR OF ENGINEERING

in

COMPUTER SCIENCE AND ENGINEERING



B.M.S. COLLEGE OF ENGINEERING

(Autonomous Institution under VTU)
BENGALURU-560019
Sep-2024 to Jan-2025

B.M.S. College of Engineering,

Bull Temple Road, Bangalore 560019

(Affiliated To Visvesvaraya Technological University, Belgaum)

Department of Computer Science and Engineering



CERTIFICATE

This is to certify that the Lab work entitled "Machine Learning (23CS6PCMAL)" carried out by Varsha Prasanth (1BM22CS321), who is a bonafide student of B.M.S. College of Engineering. It is in partial fulfillment for the award of Bachelor of Engineering in Computer Science and Engineering of the Visvesvaraya Technological University, Belgaum. The Lab report has been approved as it satisfies the academic requirements in respect of an Machine Learning (23CS6PCMAL) work prescribed for the said degree.

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Github Link:

https://github.com/Varsha-Pr/ML-Lab

Program 1

Write a python program to import and export data using Pandas library functions Code:

```
import pandas as pd
data = {
'Name': ['Alice', 'Bob', 'Charlie', 'David'],
'Age': [25, 30, 35, 40],
'City': ['New York', 'Los Angeles', 'Chicago', 'Houston']
df = pd.DataFrame(data)
print("Sample data:")
print(df.head())
from sklearn.datasets import load_iris
iris = load iris()
df = pd.DataFrame(iris.data, columns=iris.feature_names)
df['target'] = iris.target
print("Sample data:")
print(df.head())
file_path = 'data.csv'
df = pd.read_csv(file_path)
print("Sample data:")
print(df.head())
print("\n")
file_path = 'mobiles-dataset-2025.csv'
df = pd.read_csv(file_path, encoding='latin-1') # or 'cp1252' or other suitable encoding
print("Sample data:")
print(df.head())
import pandas as pd
data = {
'USN': ['IS001','IS002','IS003','IS004','IS005'],
'Name': ['Alice', 'Bob', 'Charlie', 'David', 'Eve'],
'Marks': [25, 30, 35, 40,45]
df = pd.DataFrame(data)
print("Sample data:")
print(df.head())
from sklearn.datasets import load_diabetes
iris = load_diabetes()
df = pd.DataFrame(iris.data, columns=iris.feature_names)
print("Sample data:")
print(df.head())
```

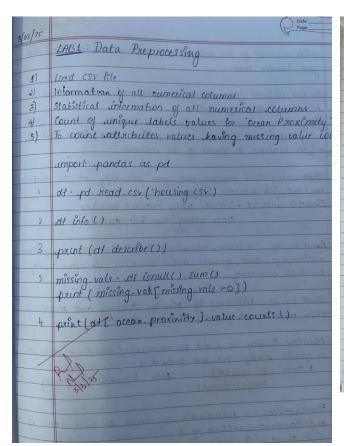
```
file_path = 'sample_sales_data.csv'
df = pd.read_csv(file_path)
print("Sample data:")
print(df.head())
print("\n")
df = pd.read csv("/content/dataset-of-diabetes .csv",encoding='latin-1')
print("Sample data:")
print(df.head())
print("\n")
df =pd.read csv('sample sales data.csv')
print("Sample data:")
print(df.head())
df.to_csv('output.csv',index=False)
print("Data saved to output.csv")
sales_df =pd.read_csv('sample_sales_data.csv')
print("Sample data:")
print(sales_df.head())
sales_by_region =sales_df.groupby('Region')['Sales'].sum()
print("\nTotal sales by region:")
print(sales_by_region)
best_selling_products
=sales df.groupby('Product')['Quantity'].sum().sort values(ascending=False) print("\nBest-selling
products by quantity:")
print(best selling products)
sales by region.to csv('sales by region.csv')
best_selling_products.to_csv('best_selling_products.csv')
print("Data saved to sales_by_region.csv and best_selling_products.csv")
import vfinance as vf
import matplotlib.pyplot as plt
tickers = ["RELIANCE.NS", "TCS.NS", "INFY.NS"]
data = yf.download(tickers, start="2022-10-01", end="2023-10-01",
group_by='ticker')
print("First 5 rows of the dataset:")
print(data.head())
print("\nShape of the dataset:")
print(data.shape)
print("\nColumn names:")
print(data.columns)
print("\n")
reliance_data = data['RELIANCE.NS']
print("\nSummary statistics for Reliance Industries:")
print(reliance data.describe())
reliance_data['Daily Return'] = reliance_data['Close'].pct_change()
print("\n")
plt.figure(figsize=(12, 6))
plt.subplot(2, 1, 1)
reliance_data['Close'].plot(title="Reliance Industries - Closing Price")
```

```
plt.subplot(2, 1, 2)
reliance_data['Daily Return'].plot(title="Reliance Industries - Daily Returns", color='orange')
plt.tight_layout()
plt.show()
reliance data.to csv('reliance stock data.csv')
tickers = ["HDFCBANK.NS", "ICICI.NS", "KOTAKBANK.NS"]
data = yf.download(tickers, start="2024-01-01", end="2024-12-30",
group by='ticker')
print("First 5 rows of the dataset:")
print(data.head())
print("\nShape of the dataset:")
print(data.shape)
print("\nColumn names:")
print(data.columns)
print("\n")
reliance_data = data['HDFCBANK.NS']
print("\nSummary statistics for Reliance Industries:")
print(reliance data.describe())
reliance_data['Daily Return'] = reliance_data['Close'].pct_change()
print("\n")
plt.figure(figsize=(12, 6))
plt.subplot(2, 1, 1)
reliance data['Close'].plot(title="HDFC Industries - Closing Price")
plt.subplot(2, 1, 2)
reliance_data['Daily Return'].plot(title="HDFCIndustries - Daily Returns", color='red')
plt.tight layout()
plt.show()
reliance data.to csv('hdfc stock data.csv')
print("\nhdfc stock data saved to 'hdfc stock data.csv'.")
tickers = ["HDFCBANK.NS", "ICICIBANK.NS", "KOTAKBANK.NS"]
data = yf.download(tickers, start="2024-01-01", end="2024-12-30",
group by='ticker')
print("First 5 rows of the dataset:")
print(data.head())
print("\nShape of the dataset:")
print(data.shape)
print("\nColumn names:")
print(data.columns)
print("\n")
reliance_data = data['ICICIBANK.NS']
print("\nSummary statistics for ICICI Industries:")
print(reliance data.describe())
reliance data['Daily Return'] = reliance data['Close'].pct change()
print("\n")
plt.figure(figsize=(12, 6))
plt.subplot(2, 1, 1)
reliance_data['Close'].plot(title="ICICI Industries - Closing Price")
plt.subplot(2, 1, 2)
reliance data['Daily Return'].plot(title="ICICI Industries - Daily Returns", color='BLACK')
plt.tight layout()
```

```
plt.show()
reliance_data.to_csv('icici_stock_data.csv')
print("\nicici stock data saved to 'icici_stock_data.csv'.")
tickers = ["HDFCBANK.NS", "ICICI.NS", "KOTAKBANK.NS"]
data = yf.download(tickers, start="2024-01-01", end="2024-12-30",
group_by='ticker')
print("First 5 rows of the dataset:")
print(data.head())
print("\nShape of the dataset:")
print(data.shape)
print("\nColumn names:")
print(data.columns)
print("\n")
reliance_data = data['KOTAKBANK.NS']
print("\nSummary statistics for Reliance Industries:")
print(reliance_data.describe())
reliance_data['Daily Return'] = reliance_data['Close'].pct_change()
print("\n")
plt.figure(figsize=(12, 6))
plt.subplot(2, 1, 1)
reliance_data['Close'].plot(title="KOTAK Industries - Closing Price")
plt.subplot(2, 1, 2)
reliance_data['Daily Return'].plot(title="kotak Industries - Daily Returns", color='red')
plt.tight_layout()
plt.show()
reliance_data.to_csv('kotak_stock_data.csv')
print("\nkotak stock data saved to 'kotak_stock_data.csv'.")
```

Demonstrate various data pre-processing techniques for a given dataset

Screenshot:



10 100	C Foge
81.	which columns in the dataset had missing values? How did
	which whemme in the dataset had missing values? How did
-1	The first dataset contained no missing values; hence no
	The state of the s
1/17	adult uncome dataset contained columns such as worker
	occupation and native country which were filled with the
	Adult Justin datiset contained columns such as worked occupation and notive country which were filled with he mean, median, or mode of the column
82.	by 10 200ana, sangara
	which categorical columns did you identify in the datase
-9	Dealetes dataset - Conder using anding anieder
	Diabetes dataset - Gender using ordinal encoder Class using our hot encodes
	class axing out not entodes
	Adult Income - Workslass, education, marifal status, occupation
	relationshy, sace pender native country income win
	relationshy, sace, gender, native country, income using one shot encoding
	Constanting the contribution
83.	What is the difference by Mintax scaling and Hundays aton when would you use one over the other
	ation ushin would you use one over the other
	Minmae Scaling is used to normalise stransform claim to a specific stange between 0 and 1 X scale : X: -min(x) knn , k-means clustering max(x)-min(x)
	a specific range between 0 and 1
	x scale : Xi - min (x) KNN , k-means clustering
	max(x)-min(x)
	Stundaylisation transforms the data to have mean of
	and standard deviation of L
- 1	X Aand - X - mean PCA
	and standard diviation of t 8 Mand · X - mean RCA 3el
V,	\$\\ \[\[\[\[\] \] \] \\ \\ \\ \\ \\ \\ \\ \\ \\ \\
	Kay*

Code:

from google.colab import files diabetes=files.upload()

from google.colab import files
adult_income=files.upload()

df1=pd.read_csv("Dataset of Diabetes .csv")
df1.head()

df2=pd.read_csv("adult.csv")
df2.head()

df1.info()
df2.info()

```
df1.describe()
df2.describe()
missing_values1 = df1.isnull().sum()
print(missing values1)
missing values2 = df2.isnull().sum()
print(missing values2)
df1['Gender'] = df1['Gender'].replace('f', 'F')
ordinal_encoder = OrdinalEncoder(categories=[["F", M"]])
df1["Gender Encoded"] =
ordinal_encoder.fit_transform(df1[["Gender"]]) onehot_encoder =
OneHotEncoder()
encoded data =
onehot encoder.fit transform(df1[["CLASS"]]) encoded array
= encoded_data.toarray()
encoded_df = pd.DataFrame(encoded_array,
columns=onehot_encoder.get_feature_names_out(["CLASS"])) df_encoded = pd.concat([df1, encoded_df],
axis=1)
df1 = pd.concat([df1, encoded df], axis=1)
df1.drop("CLASS", axis=1, inplace=True)
df1.drop("Gender", axis=1, inplace=True)
print(df2.head())
from sklearn, preprocessing import OrdinalEncoder, OneHotEncoder
df copy2 = df2
ordinal_encoder = OrdinalEncoder(categories=[["Male","Female"]])
df copy2["Gender Encoded"] =
ordinal encoder.fit transform(df copy2[["gender"]])
print(df_copy2[["gender","Gender_Encoded"]])
onehot_encoder = OneHotEncoder()
encoded_data =
onehot_encoder.fit_transform(df2[["occupation","workclass","education","marital-
status", "relationship", "race", "n ative-country", "income"]])
encoded array = encoded data.toarray()
encoded df =
pd.DataFrame(encoded array,
columns=onehot_encoder.get_feature_names_out(["occupation","workclass","education","marital-
status", "relatio nship", "race", "native-country", "income"]))
df_encoded = pd.concat([df_copy2, encoded_df], axis=1)
df_encoded.drop("gender", axis=1, inplace=True)
df encoded.drop("occupation", axis=1, inplace=True)
df_encoded.drop("workclass", axis=1, inplace=True)
df encoded.drop("education", axis=1, inplace=True)
df_encoded.drop("marital-status", axis=1, inplace=True)
df_encoded.drop("relationship", axis=1, inplace=True)
df_encoded.drop("race", axis=1, inplace=True)
```

```
df_encoded.drop("native-country", axis=1, nplace=True)
df_encoded.drop("income", axis=1, inplace=True)
print(df_encoded. head())

normalizer = MinMaxScaler()
df_encoded[["fnlwgt","educational-num","capital-gain","capital-loss","hours-per-week"]] =
normalizer.fit_transform(df_encoded[["fnlwgt","educational-num","capital-gain","capital-loss","hours-per-week"]
])
df_encoded.head()
normalizer = MinMaxScaler()
df1[["No_Pation","AGE","Urea","Cr", "HbA1c", "Cho1","TG","HDL","LDL","VLDL","BMI"]] =
normalizer.fit_transform(df1[["No_Pation","AGE","Urea","Cr", "HbA1c",
"Cho1","TG","HDL","LDL","VLDL","BMI"]])
df1.head()
```

Implement Linear and Multi-Linear Regression algorithm using appropriate dataset Screenshot:

Solve the linear regression of the data of the work and product sales The work y (sales in thousands) $x - 1 + 1 - 2 + 4 +$	-	- Marie				-1	
Solve the linear negression of the data of the work and product sales $x_i \ work$ $y_i \ (sales in thousands)$ $x_i \ y_i \ y_i$	0					Date_	SMATE
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$						Page_	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		Solve the line	as regression of the	, ,			
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		sales	g the	dala	of the	wax and	produc
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$			and the con-	A P P I P VALUE	The latest	(1) 7 F (2) To 120	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		ai work	4: (sales in thousands)	X =	[1]	v [9	1
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		1				1 = 2	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	akker.	2	4-11-4-1-22-1-22			5	
$x^{T}X = (x^{T}X)^{-1}x^{T})y$ $x^{T}X = (x^{T}X)^{-1} = \begin{bmatrix} 1.5 & -0.5 \\ -0.5 & 0.2 \end{bmatrix}$ $(x^{T}X)^{-1} \times x^{T} \times y = \begin{bmatrix} 1.5 & -0.5 \\ -0.5 & 0.2 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.2 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.2 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.2 & 0.1 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.2 & 0.1 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.2 & 0.1 \end{bmatrix}$		3	5	300		4	
$(x^{T}x)^{-1} = \begin{bmatrix} 1.5 & -0.5 \\ -0.5 & 0.2 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \\ -0.2 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.3 & -0.1 & 0.1 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.2 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.2 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.2 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.2 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0 & -0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0.5 & 0.5 \\ -0.5 & 1 & 0.3 & 0.3 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0.5 & 0.5 \\ -0.5 & 0.5 & 0.5 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0.5 & 0.5 \\ -0.5 & 0.5 & 0.5 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0.5 & 0.5 \\ -0.5 & 0.5 & 0.5 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0.5 & 0.5 \\ -0.5 & 0.5 & 0.5 \end{bmatrix}$ $= \begin{bmatrix} 2 & 0.5 & 0.5 & 0.5 \\ -0.5 & 0.5 & 0.$		4	9 REXT	()-'xT			
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		$(X^TX)^{-1}X^T$	= [15 -0.5][1	the later	00 7		
$[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ intercept}$ $[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T})Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T}]Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T}]Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T}]Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T}]Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T}]Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T}]Y = [1 0.5 0 -0.5] \begin{bmatrix} 2 \\ -0.5 \end{bmatrix} = [2.2 -0.5] \text{ subsequent}$ $[(x^{T}x)^{-1}x^{T}]Y = [2.2 -0.5] \text{ subsequent}$ $[(x^{$	0.15	a language south	[-0.5 0.2] LI	2 3	31141		
$(x^{T}x)^{-1}x^{T})y = \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \end{bmatrix} \begin{bmatrix} 2 \\ 2 \end{bmatrix} = \begin{bmatrix} -0.5 \\ 2.2 \end{bmatrix} \text{ substituted}$ $(x^{T}x)^{-1}x^{T})y = \begin{bmatrix} 1 & 0.5 & 0 & -0.5 \end{bmatrix} \begin{bmatrix} 2 \\ 4 \end{bmatrix} = \begin{bmatrix} 2.2 \\ 2.2 \end{bmatrix} \text{ stop}$ (q)			= [1 0.5 0 -0	5 1	bana	a benny	10
Sugressión eq" - eg = so + a, x = -0.5 + 2.2 x Questions: Questions: Questions: Questions: Questions:			[-0:3 -0:1 0:1 0:	3]			
sugressión eq" - eg = so + a, x = -0.5 + 2.2 x Questions: Questions: Questions: Questions: Questions:	(A Ball	sheep made	permitted the lactories	ALK EN	Yaka s	propietà l	10 10 20
Sugression eq" - ey = Do + a, x = -0.5 + 2.2 x Questions: Quest		$(x^Tx)^{-1}x^T)Y$	= [1 0.5 0 -0	575	27	F-0.57	intercept
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Questions: Bl. Considering the 3 dalarets (canade per scapita income csr) hing.		123		- Januar	His way		
Pl. Considering the 3 dataset (canade per capita income cor) hing.	1 10 25	5/	Commission and the Bulletin of	and the	and pur	hazar isa	
Pl. Considering the 3 dataset (canade per capita income cor) hing.		Questions:		1	Managen	THE WALL	
det accepted plans (mg	01.	Courdering D	ne 3 dalasets (canar	de per	scapita_	income csz	& hiring .
living (ex), did you perform any data proprocessing steps (ex		living cer).	did you perform any	clata	pre pre	xessing st	eps (er
missing values, scaling etc) y yes, why.		missing values	, scaling etc) y yes,	why.			
Ans. dala set 1:	Am.	dala set 1:					

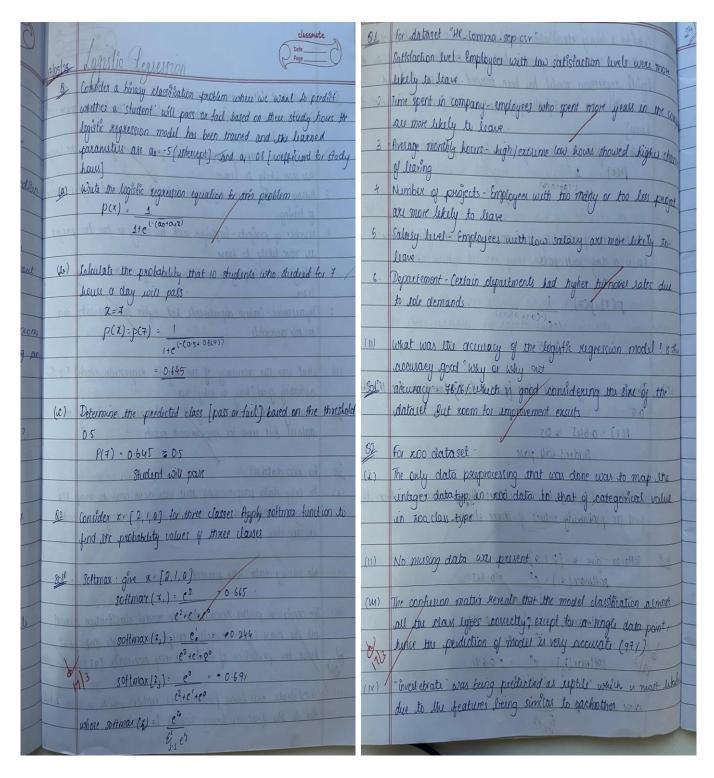
	as musica values was							
•	no missing values were present, so no imputation							
	Data was already numeric							
2.	dalaret 2:							
	missing values in 'experience' column were handled using median							
	attended							
	missing values in emperiona were handled by filling in medio							
	missing values in test score were suplaced by mean.							
	Carly and the second							
8.2.	for canada per capita income es did you visualine en regression							
	line along with the datapoint? What does the plot tell you about							
	the relationship between year and per capita							
-)	There is positive conselationship between year and per capith inon							
7	As year increases, per capita encome increases, indicating a							
	upward trend.							
83.	For hiving csr what is the predicted salary for a candidate							
177397	with 12 years of experience, 10 test scores and 10 interview score?							
	A CONTROL OF THE PROPERTY OF T							
Solm	\$ 87405.80							
84.	for 1000 companies csv, did you encode variables (ex. 87ate)? H							
	yes, how							
801	scaling was not close in this model							
	one-hot way not used							
	Label encoding was done using batter encoder () since ML model							
	require numerical values.							
D.	2 (%)							
1/2								
P								

```
Code:
from google.colab import files
per capita income=files.upload()
from google.colab import files
salary=files.upload()
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from sklearn.impute import SimpleImputer
from sklearn.preprocessing import OrdinalEncoder, OneHotEncoder
from sklearn.preprocessing import StandardScaler, MinMaxScaler
from scipy import stats
from sklearn import linear_model
df1=pd.read_csv("canada_per_capita_income.csv")
df1.head()
df2=pd.read_csv("salary.csv")
df2.head()
df2. YearsExperience.median()
df2. YearsExperience =
df2.YearsExperience.fillna(df2.YearsExperience.median()) df2
plt.xlabel("year")
plt.ylabel("per capita income (US$)")
plt.scatter(df1.year, df1['per capita income (US$)'])
plt.xlabel("YearsExperience")
plt.ylabel("Salary")
plt.scatter(df2.YearsExperience, df2.Salary)
reg1 = linear_model.LinearRegression()
reg1.intercept
reg1.predict([[2020]])
reg2 = linear_model.LinearRegression()
reg2.fit(df2.drop('Salary', axis='columns'), df2['Salary'])
reg2.coef_
reg2.intercept_
reg2.predict([[12]])
from google.colab import files
hiring=files.upload()
from google.colab import files
companies=files.upload()
```

df3=pd.read_csv("hiring.csv")

```
df3.head()
df4=pd.read csv("1000 Companies.csv")
df4.head()
df3.isnull().sum()
df4.isnull().sum()
df3_copy = df3.copy()
experience_mapping = {'two': 2, 'three': 3, 'five': 5, 'seven': 7, 'ten': 10, 'eleven': 11}
df3_copy['experience'] = df3_copy['experience'].map(experience_mapping)
median_experience = df3_copy['experience'].median()
df3_copy['experience'] = df3_copy['experience'].fillna(median_experience)
df3 copy
df3_copy['test_score(out of 10)'] = df3_copy['test_score(out of 10)'].fillna(df3_copy['test_score(out of
10)'].mean())
reg3 = linear model.LinearRegression()
reg3.fit(df3_copy.drop('salary($)', axis='columns'),
df3_copy['salary($)']) reg3.coef_
reg3.intercept
reg3.predict([[2,9,6]])
reg3.predict([[12,10,10]])
ohe = OneHotEncoder(sparse output=False, handle unknown='ignore') state encoded =
ohe.fit transform(df4[['State']])
state_encoded_df = pd.DataFrame(state_encoded, columns=ohe.get_feature_names_out(['State']))
df4 = pd.concat([df4, state encoded df], axis=1).drop(columns=['State'])
print(df4)
reg4 = linear_model.LinearRegression()
reg4.fit(df4.drop('Profit',axis='columns'),df4.Profit)
print(reg4.coef )
print(reg4.intercept )
reg4.predict([[91694.48, 515841.3, 11931.24,0,1,0]])
```

Build Logistic Regression Model for a given dataset

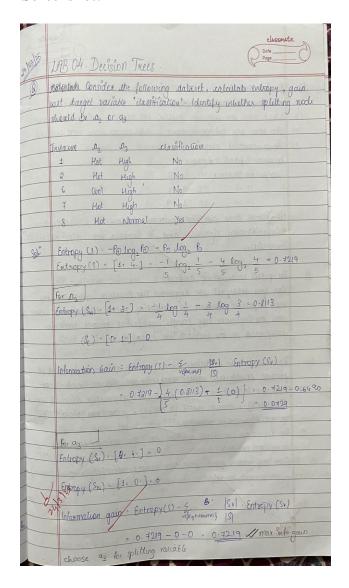


Code: from google.colab import files hr=files.upload() import pandas as pd import numpy as np import matplotlib.pyplot as plt from sklearn.model selection import train test split from sklearn.impute import SimpleImputer from sklearn.preprocessing import OrdinalEncoder, OneHotEncoder from sklearn.preprocessing import StandardScaler, MinMaxScaler from scipy import stats from sklearn import linear_model import seaborn as sns from sklearn.model_selection import train_test_split from sklearn.linear model import LogisticRegression from sklearn.metrics import accuracy score df1=pd.read_csv("HR_comma_sep.csv") df1.head() df1.isnull().sum() plt.figure(figsize=(12, 6)) sns.barplot(x='Department', y='left', data=df1) plt.title('Employee Retention Rate by Department') plt.xlabel('Department') plt.ylabel('Proportion of Employees Left') plt.xticks(rotation=45, ha='right') plt.show() ohe = OneHotEncoder(handle unknown='ignore', sparse output=False) department encoded = ohe.fit transform(df1[['Department']]) department encoded df = pd.DataFrame(department encoded, columns=ohe.get feature names out(['Department'])) df1 = pd.concat([df1, department_encoded_df], axis=1) df1 = df1.drop('Department', axis=1) ordinal_encoder = OrdinalEncoder(categories=[['low', 'medium', 'high']], dtype=np.int64) salary encoded = ordinal encoder.fit transform(df1[['salary']]) df1['salary_encoded'] = salary_encoded df1 = df1.drop('salary', axis=1) df1.head() correlation matrix = df1.corr() plt.figure(figsize=(12, 10)) sns.heatmap(correlation_matrix, annot=True, cmap='coolwarm', fmt=".2f") plt.title('Correlation Matrix of Features') plt.show() plt.figure(figsize=(8, 6)) sns.barplot(x='salary encoded', y='left', data=df1) plt.title('Impact of Employee Salary on Retention') plt.xlabel('Salary Level (Encoded)') plt.ylabel('Proportion of Employees Left')

plt.show()

```
df_copy = df1[['number_project', 'average_montly_hours', 'time_spend_company', 'left', 'salary_encoded',
'satisfaction_level','Work_accident']]
df copy.head()
X = df copy.drop('left', axis=1)
y = df_{copy}['left']
X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
model = LogisticRegression(max_iter=1000)
model.fit(X_train, y_train)
y_pred = model.predict(X_test)
accuracy = accuracy score(y test, y pred)
print(f"Accuracy of the Logistic Regression model: {accuracy}")
from google.colab import files
zoodata=files.upload()
zootype=files.upload()
zoo data
           =
                 pd.read_csv('zoo-data.csv')
zoo_class = pd.read_csv('zoo-class-type.csv')
merged_data = pd.merge(zoo_data, zoo_class, left_on='class_type', right_on='Class_Number')
merged data = merged data.drop(['Animal Names', 'Number Of Animal Species In Class',
'Class_Number','class_type','animal_name'], axis=1)
X = merged_data.drop('Class_Type', axis=1)
y = merged_data['Class_Type']
print(merged_data.head())
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
model = LogisticRegression(max iter=1000)
model.fit(X_train, y_train)
y pred = model.predict(X test)
accuracy = accuracy_score(y_test, y_pred)
print(f"Accuracy: {accuracy}")
cm = confusion_matrix(y_test, y_pred)
disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=np.unique(y_test))
disp.plot(cmap="Blues", values_format="d")
plt.title("Confusion Matrix")
plt.show()
```

Use an appropriate data set for building the decision tree (ID3) and apply this knowledge to classify a new sample.



7	Date Page
	195
	Of . For iris dancet
1	was was the accuracy - 93/ [0.93]
	(1) What does the confusion matifix tell about model performance
-	un wer there any mic classifications? which classes were most centured
-	columns > predicted scass
	confusion matrix 1 0 0
	0 9 1
	0 1 9
	his setosa were classified consectly, however I venicular way
1	misclassified as virginita and 4 virginica was also misclasse
	as resignors
	The state of the s
2	for petral consumption dataset
	In you intexpret in Regression Tree structure? usuat on the
	most unportant leatures for predicting petrol consumption? How
7.19	
	does the Pegresmon Tree handle continuous target variables
	compared to the Decinion Tree classifier.
Hus.	
	predicts continuous values rather stran decrete valegories
-	Their are 4 most important features : population driver licensis
	[0.651569], Average income [0.240522], petrol tax [0.065750],
	paved highways [0-04260]
7	
	THE REPRESENTATION OF THE PROPERTY OF THE PROP
	minimised in each xigion
	Each leaf node, final prediction is the mean for weighted never
	g all target variables in that sugion.
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1	
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4 (3 m)	West than the state of the stat

```
Code:
```

```
from google.colab import files
iris=files.upload()
df1=pd.read_csv("iris.csv")
df1.head()
df1.isnull().sum()
X = df1.drop('species', axis=1)
y = df1['species']
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
clf = DecisionTreeClassifier(criterion='entropy')
clf.fit(X train, y train)
y_pred = clf.predict(X_test)
accuracy = accuracy_score(y_test, y_pred)
print(f'Accuracy: {accuracy:.2f}')
print(classification report(y test, y pred))
plt.figure(figsize=(12, 8))
plot_tree(clf, filled=True, feature_names=X.columns,
class_names=y.unique()) plt.show()
cm = confusion_matrix(y_test, y_pred)
disp = ConfusionMatrixDisplay(confusion matrix=cm, display labels=clf.classes )
cmap = plt.cm.get cmap('PuBuGn')
disp.plot(cmap=cmap)
plt.show()
drug=files.upload()
df2=pd.read_csv("drug.csv")
df2.head()
df2.isnull().sum()
label encoders = {}
for column in df2.columns:
  le = LabelEncoder()
  df2[column] = le.fit_transform(df2[column])
  label encoders[column] = le
X = df2.drop('Drug', axis=1)
y = df2['Drug']
X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
clf = DecisionTreeClassifier(criterion='entropy')
clf.fit(X train, y train)
y_pred = clf.predict(X_test)
accuracy = accuracy_score(y_test, y_pred)
print(f'Accuracy: {accuracy:.2f}')
print(classification_report(y_test, y_pred))
plt.figure(figsize=(12, 8))
plot tree(clf, filled=True, feature names=X.columns, class names=[str(c) for c in y.unique()])
plt.show()
cm = confusion_matrix(y_test, y_pred)
disp = ConfusionMatrixDisplay(confusion_matrix=cm, display_labels=clf.classes_)
```

```
cmap = plt.cm.Blues
disp.plot(cmap=cmap)
plt.show()
pc=files.upload()
df3=pd.read_csv("petrol_consumption.csv")
df3.head()
df3.isnull().sum()
X = df3.drop('Petrol\_Consumption', axis=1)
y = df3['Petrol_Consumption']
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
regressor = DecisionTreeRegressor(random_state=42)
regressor.fit(X_train, y_train)
y_pred =
regressor.predict(X_test)
mse = mean_squared_error(y_test, y_pred)
rmse = sqrt(mse)
mae = mean_absolute_error(y_test, y_pred)
r2 = r2\_score(y\_test, y\_pred)
print(f'Mean Squared Error: {mse:.2f}')
print(f'Root Mean Squared Error:
{rmse:.2f}') print(f'Mean Absolute Error:
{mae:.2f}') print(f'R-squared: {r2:.2f}')
plt.figure(figsize=(30, 30))
plot_tree(regressor, filled=True, feature_names=X.columns, fontsize=10)
plt.show()
```

Build KNN Classification model for a given dataset.

Screenshot

IND	classmate									
K-Alearest Neighbours										
Consider	Consider the following dataset, for k=3 and test data (x, 35, 100)									
as (Pers	as (Person, Age, Salaryk) solve using knn classifier model and predict									
the taxo	jet and an	v is a distan	KNM , as KNI	a lalassa	11 11 108					
u nambalas	p) now w	langer xange	teature with	et scaling.	OATVA					
Person	Age	Salaryk	Target.	Distance	Rank					
A	18	50	Mary Jane	52.81	ma5					
B	23	55	fear M scotu	46.57	4					
C	24	70	N	31.95	2					
D	71	60	У	40-44	3					
E	43	40	у	31.04	(VI					
F	38	40	Y	60.07	6					
X	35	100	2.							
	KIN S	,								
For Eucl	iden Disto	$uce: \sqrt{(x_2-7)}$	$(1)^{2} + (9_{2} - y_{1})^{2}$							
	Contraction of the Contraction o									
For 4 = 3										
Rank 1	[[F] - `	Y 7	Tv. 2							
Rank a	? [c] = N	, majorit	y LYJ							
Rank 3	[D] = >	,)								
· · Accord	ling to KI	IN the targe	t for X is	y						
		0								
For lxis	dataset:									
Kow to	How to chaose the k value? Demonstrate using accuracy rate and									
Chios tate.										
Choosing the k-value is generally done by taking the square root of										
Choosing the k-value is generally done by taking the square shoot of number of entities in the dataset (often the nearest odd number to										
the square not is taken as it, this is to divid benary classificeti										
ties).	ties).									
Optimal	Optimal it - where the test / validation acturacy is the highest with									
accurac	y rate.									
Optimal	Optimal k with error rate, is at the point where error rate is minimum									

	Dete
801	Diabetes Dataset What is the purpose of feature scaling? How to perform it? It is essential in KNN, as KNN is a distance based algorithm and
	without scaling, teatures with larger ranges would stintluence the scalculations disproportionately. This causes the model to be based broaders features with larger values resulting in poor performance
→	To overcome their feature scaling is done.
	26 18 N 81 32
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100	because a where the feel absorber activities in the highest

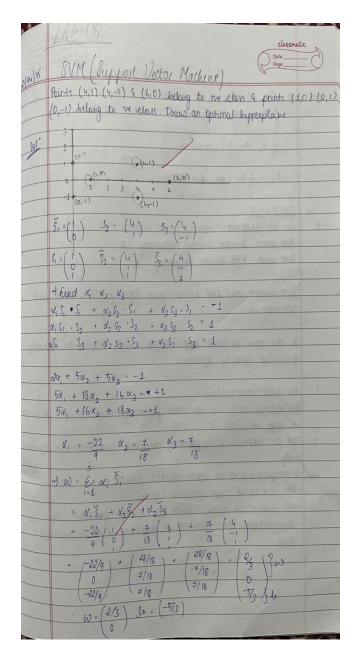
Code:

from google.colab import files iris=files.upload() df1=pd.read_csv("iris (2).csv") df1.head() df1.isnull().sum() X = df1.drop('species', axis=1) y = df1['species']

```
X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
best k = 1
best accuracy = 0
for k in range(1,
  knn = KNeighborsClassifier(n_neighbors=k)
  knn.fit(X_train, y_train)
  y pred = knn.predict(X test)
  accuracy = accuracy_score(y_test, y_pred)
  print(f"Accuracy for k=\{k\}: {accuracy}, Error Rate for k=\{k\}: {1-accuracy}")if accuracy > best_accuracy:
  best accuracy = accuracy best k = k
print(f"Best k value: {best_k}")
knn = KNeighborsClassifier(n_neighbors=3)
knn.fit(X_train, y_train)
v pred = knn.predict(X test)
print("Accuracy Score:", accuracy_score(y_test, y_pred))
print("\nConfusion Matrix:")
cm = confusion matrix(y test, y pred)
print(cm)
print("\nClassification Report:")
print(classification_report(y_test, y_pred))
plt.figure(figsize=(8, 6))
sns.heatmap(cm, annot=True, fmt="d", cmap="Blues",
       xticklabels=knn.classes , yticklabels=knn.classes )
plt.xlabel('Predicted')
plt.ylabel('Actual')
plt.title('Confusion Matrix')
plt.show()
diabetes=files.upload()
df2=pd.read csv("diabetes.csv")
df2.head()
df2.isnull().sum()
from sklearn.preprocessing import StandardScaler
scaler = StandardScaler()
X_scaled = scaler.fit_transform(df2.drop('Outcome', axis=1))
X_train, X_test, y_train, y_test = train_test_split(X_scaled, df2['Outcome'], test_size=0.2, random_state=42)
best k = 1
best accuracy = 0
for k in range(1,
11):
  knn = KNeighborsClassifier(n_neighbors=k)
  knn.fit(X_train, y_train)
  y_pred = knn.predict(X_test)
  accuracy = accuracy_score(y_test, y_pred)
  print(f"Accuracy for k={k}: {accuracy}")
  if accuracy > best_accuracy:
    best accuracy = accuracy
    best_k = k
print(f"Best k value: {best_k}")
```

```
knn = KNeighborsClassifier(n_neighbors=best_k) knn.fit(X_train, y_train)
y pred = knn.predict(X test)
accuracy = accuracy_score(y_test, y_pred)
print("Accuracy:", accuracy)
cm = confusion_matrix(y_test, y_pred)
print("Confusion Matrix:")
print(cm)
plt.figure(figsize=(8, 6))
sns.heatmap(cm, annot=True, fmt='d', cmap='Blues')
plt.xlabel("Predicted") plt.ylabel("Actual")
plt.title("Confusion Matrix")
plt.show()
print("\nClassification Report:")
print(classification_report(y_test, y_pred))
heart=files.upload()
df3=pd.read_csv("heart.csv")
df3.head()
df3.isnull().sum()
X = df3.drop('target', axis=1)
y = df3['target']
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
best k = 1
best accuracy = 0
for k in range(1,
11):
  knn = KNeighborsClassifier(n neighbors=k)
  knn.fit(X_train, y_train)
  y_pred = knn.predict(X_test)
  accuracy = accuracy_score(y_test, y_pred)
  print(f"Accuracy for k=\{k\}: {accuracy}, Error Rate for k=\{k\}: {1-accuracy}")
  if accuracy > best_accuracy:
    best accuracy = accuracy
    best k = k
print(f"Best k value: {best_k}")
knn = KNeighborsClassifier(n_neighbors=optimal_k)
knn.fit(X train, y train)
y_pred = knn.predict(X_test)
print("Accuracy Score:", accuracy_score(y_test, y_pred))
print("\nConfusion Matrix:")
cm = confusion matrix(y test, y pred)
print(cm)
print("\nClassification Report:")
print(classification_report(y_test, y_pred))
plt.figure(figsize=(8, 6))
sns.heatmap(cm, annot=True, fmt="d", cmap="Blues",
       xticklabels=knn.classes_, yticklabels=knn.classes_)
plt.xlabel('Predicted')
plt.ylabel('Actual')
plt.title('Confusion Matrix')
plt.show()
```

Build Support vector machine model for a given dataset



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	3
	-) dq 0-5 = 0
	and stone agreement Top 2001 Residents of the
	$\alpha_1 = 2.5$ or $\alpha_1 = \frac{57}{2}$
	The same than the same as a state of the same as a
=	QUESTIONS:
1	for Ins dataset
	SM with linear kennal accuracy: 1
	SVM with RBF kernal accuracy: 4
	Both linear and RBF kernal gave best performance with
	Accuracy: 1
	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
	In the Ixis dataset small sample, well structured clearly
	specified linearly seperable.
	164 + 700 + 700
2 -	for letter-recognition
	The letters that are the most frequently confused are p'wat
	of and 4 while k
-	The ar score is 4 reflecting accurate and excellent separate
	Ality
2	It pext-orms well on letter dataset considerably.
	This dataset is more complex.
	· In's dataset is simply with desi classes features. This demonstrates some strength in handling high dimensional
	data
	2 2 4 7 8 1 4 6 1 4 6 1
	9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9 9
	Table 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1

```
from google.colab import files
iris=files.upload()
df1=pd.read_csv("iris (1).csv")
df1.head()
X = df1.drop('species', axis=1)
y = df1['species']
X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
rbf svm = SVC(kernel='rbf')
rbf svm.fit(X train, y train)
rbf y pred = rbf svm.predict(X test)
print("RBF Kernel SVM:")
print("Accuracy:", accuracy_score(y_test, rbf_y_pred))
cm = confusion_matrix(y_test, rbf_y_pred)
sns.heatmap(cm, annot=True, fmt='d',cmap="Blues")
plt.title('Confusion Matrix for RBF Kernel SVM')
plt.xlabel('Predicted')
plt.ylabel('True') plt.show()
print(classification_report(y_test, rbf_y_pred))
linear_svm = SVC(kernel='linear')
linear_svm.fit(X_train, y_train)
linear_y_pred = linear_svm.predict(X_test)
print("\nLinear Kernel SVM:")
print("Accuracy:", accuracy_score(y_test, linear_y_pred))
cm = confusion matrix(y test, linear y pred)
sns.heatmap(cm, annot=True, fmt='d',cmap="Blues")
plt.title('Confusion Matrix for Linear Kernel SVM')
plt.xlabel('Predicted')
plt.ylabel('True')
plt.show()
print(classification_report(y_test, linear_y_pred))
letter=files.upload()
df2=pd.read csv("letter-recognition.csv")
df2.head()
X = df2.drop('letter', axis=1)
y = df2['letter']
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=42)
svm classifier = SVC(kernel='linear', probability=True)
svm classifier.fit(X train, y train)
y_pred =
svm_classifier.predict(X_test)
print("Accuracy:", accuracy_score(y_test, y_pred))
print(classification_report(y_test, y_pred)
cm = confusion_matrix(y_test, y_pred)
plt.figure(figsize=(10,10))
sns.heatmap(cm, annot=True, fmt='d', cmap="Blues")
plt.title('Confusion Matrix for SVM')
plt.xlabel('Predicted')
plt.ylabel('True')
plt.show()
lb = LabelBinarizer()
```

```
lb.fit(y_test)
y_test_lb = lb.transform(y_test)
y_pred_prob =
svm_classifier.predict_proba(X_test) fpr = {}
tpr = \{ \}
thresh ={}
roc_auc = dict()
n_{class} = y_{test_lb.shape[1]}
for i in range(n_class):
  fpr[i], tpr[i], thresh[i] = roc_curve(y_test_lb[:,i], y_pred_prob[:,i])
  roc_auc[i] = auc(fpr[i], tpr[i])
plt.plot(fpr[0], tpr[0], linestyle='--',color='orange', label='SVM (AUC = %0.2f)' % roc_auc[0])
plt.title('ROC Curve for Class 0')
plt.xlabel('False Positive
Rate') plt.ylabel('True Positive
rate') plt.legend(loc='best')
plt.show()
print(f"AUC score for class 0: {roc_auc[0]}")
```

Program 8 Implement Random forest ensemble method on a given dataset

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```
Code:
from google.colab import files
iris=files.upload()
df1=pd.read_csv("iris (4).csv")
df1.head()
X = df1.drop('species', axis=1)
y = df1['species']
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2, random_state=0)
rf_classifier = RandomForestClassifier(random_state=0)
rf_classifier.fit(X_train, y_train)
y_pred =
rf_classifier.predict(X_test)
default_accuracy = accuracy_score(y_test, y_pred)
print(f"Accuracy with default n_estimators: {default_accuracy}")
best_accuracy = 0
best n estimators = 0
for n_estimators in range(1, 101):
  rf\_classifier = RandomForestClassifier (n\_estimators = n\_estimators, random\_state = 0)
  rf_classifier.fit(X_train, y_train)
  y_pred = rf_classifier.predict(X_test)
```

Implement Boosting ensemble method on a given dataset

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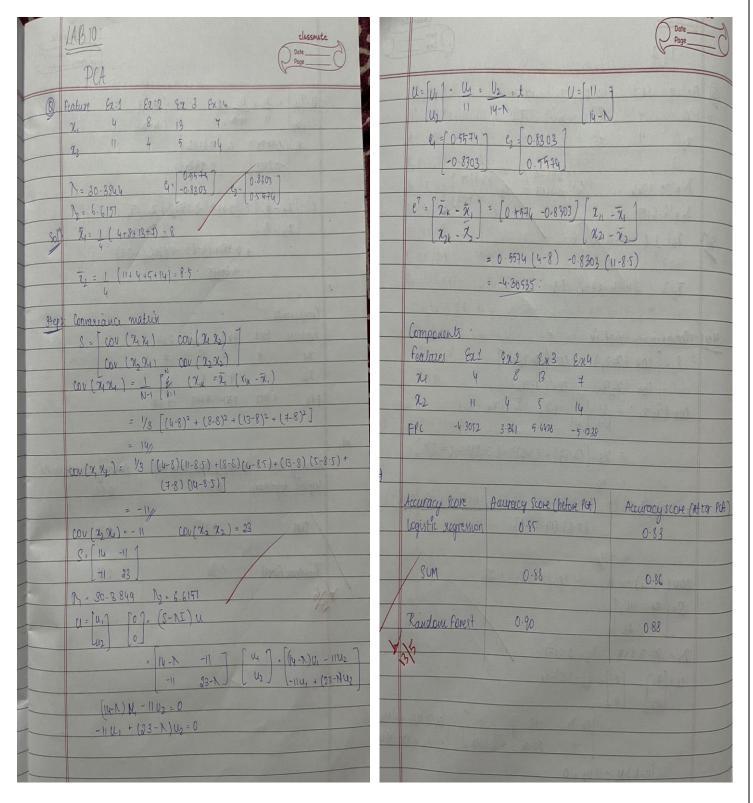
```
from google.colab import files
income=files.upload()
df1=pd.read_csv("income.csv")
df1.head()
X = df1.drop(income\_level', axis=1)
y = df1[income\_level'] X = pd.get\_dummies(X)
X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.3, random_state=42)
abc = AdaBoostClassifier(n estimators=10, random state=42)
abc.fit(X_train, y_train)
y_pred = abc.predict(X_test)
accuracy = accuracy_score(y_test, y_pred)
print(f"Initial AdaBoost accuracy (10 trees): {accuracy}")
param_grid = {'n_estimators': [50, 100, 150, 200]}
grid_search = GridSearchCV(AdaBoostClassifier(random_state=42), param_grid, cv=5, scoring='accuracy')
grid_search.fit(X_train, y_train)
print(f"Best parameters: { grid search.best params }")
print(f"Best cross-validation score: {grid search.best score }")
best abc = grid search.best estimator
y_pred_best = best_abc.predict(X_test)
best_accuracy = accuracy_score(y_test,
y pred best)
print(f"Accuracy of the best model on the test set: {best_accuracy}")
cm = confusion_matrix(y_test, y_pred_best)
plt.figure(figsize=(8, 6))
sns.heatmap(cm, annot=True, fmt='d', cmap='Blues',
       xticklabels=['<=50K', '>50K'], yticklabels=['<=50K', '>50K'])
plt.xlabel('Predicted')
plt.ylabel('Actual')
plt.title('Confusion Matrix')
plt.show()
```

Build k-Means algorithm to cluster a set of data stored in a .CSV file

IAB 09	Classmate Date Page	5 29	100	TOTAL SIFE	Page
K-MEANS ALGORITHM.		Iteration &	alexander de pro-	same to sing some	0
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durter centus are (10, 10) and (50 and 40) . 8	accute for 2 iterations	R(1,1)	1.57	5.37	
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not: No of clusters h - & , central for cluster c, = (10	10) and controld	2	2	5-3.45+35+45+3	/
tor (2 = (5,0,7.0)					
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				W 18 4	31
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```
from google.colab import files
iris=files.upload()
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model_selection import train_test_split
from scipy import stats
import seaborn as sns
from sklearn.model_selection import train_test_split
from sklearn.metrics import accuracy score
from sklearn.metrics import classification_report, confusion_matrix, accuracy_score
from sklearn.cluster import KMeans
from sklearn.preprocessing import StandardScaler
df1=pd.read_csv("iris (4).csv")
df1.head()
df = df1.drop(['sepal_length', 'sepal_width', 'species'], axis=1)
scaler = StandardScaler()
scaled_df = scaler.fit_transform(df) wcss = []
for i in range(1, 11):
  kmeans = KMeans(n clusters=i, init='k-means++', max iter=300, n init=10, random state=0)
  kmeans.fit(scaled df)
  wcss.append(kmeans.inertia_)
plt.plot(range(1, 11), wcss)
plt.title('Elbow Method')
plt.xlabel('Number of clusters')
plt.ylabel('WCSS')
plt.show()
kmeans = KMeans(n_clusters=3, init='k-means++', max_iter=300, n_init=10, random_state=0)
pred y = kmeans.fit predict(scaled df)
df['cluster'] = pred_y
plt.scatter(df['petal_length'], df['petal_width'], c=df['cluster'])
plt.title('Clusters of Iris Flowers')
plt.xlabel('Petal Length')
plt.ylabel('Petal Width')
plt.show()
```

 $\underline{ Program\ 11} \\$ Implement Dimensionality reduction using Principal Component Analysis (PCA) method.



```
from google.colab import files
heart=files.upload()
import pandas as pd
import numpy as np
import matplotlib.pyplot as plt
from sklearn.model selection import train test split
from scipy import stats
import seaborn as sns
from sklearn.preprocessing import LabelEncoder, OneHotEncoder
from sklearn.model_selection import train_test_split
from sklearn.metrics import accuracy_score
from sklearn metrics import classification report, confusion matrix, accuracy score
from sklearn.preprocessing import StandardScaler
from sklearn.svm import SVC
from sklearn.linear_model import LogisticRegression
from sklearn.ensemble import RandomForestClassifier
from sklearn.decomposition import PCA
df1=pd.read csv("heart (1).csv")
df1.head()
text_cols = df1.select_dtypes(include=['object']).columns
label encoder = LabelEncoder()
for col in text cols:
  df1[col] =
label_encoder.fit_transform(df1[col])
print(df1.head())
X = df1.drop('HeartDisease', axis=1)
y = df1['HeartDisease']
X train, X test, y train, y test = train test split(X, y, test size=0.2, random state=42)
scaler = StandardScaler()
X train =
scaler.fit_transform(X_train) X_test =
scaler.transform(X test)
# Support Vector Machine
svm_model = SVC(kernel='linear', random_state=42)
svm model.fit(X train, y train)
svm predictions = svm model.predict(X test)
svm_accuracy = accuracy_score(y_test, svm_predictions)
print(f"SVM Accuracy: {svm_accuracy}")
# Logistic Regression
lr model = LogisticRegression(random state=42)
lr model.fit(X train, y train) lr predictions = lr model.predict(X test)
lr_accuracy = accuracy_score(y_test, lr_predictions)
print(f"Logistic Regression Accuracy: {lr_accuracy}")
# Random Forest
rf_model = RandomForestClassifier(random_state=42)
rf_model.fit(X_train, y_train)
rf_predictions = rf_model.predict(X_test)
```

```
rf accuracy = accuracy score(y test, rf predictions)
print(f"Random Forest Accuracy: {rf_accuracy}")
models = {
  "SVM": svm_accuracy,
  "Logistic Regression":
  lr_accuracy, "Random Forest":
  rf_accuracy
best_model = max(models, key=models.get)
print(f"\nBest Model: {best_model} with accuracy {models[best_model]}")
pca = PCA(n components=0.95)
X_train_pca = pca.fit_transform(X_train)
X_{test_pca} = pca.transform(X_{test})
svm model pca = SVC(kernel='linear', random state=42)
svm_model_pca.fit(X_train_pca, y_train)
svm_predictions_pca = svm_model_pca.predict(X_test_pca)
svm_accuracy_pca = accuracy_score(y_test, svm_predictions_pca)
print(f"SVM Accuracy (with PCA): {svm_accuracy_pca}")
lr model pca = LogisticRegression(random state=42)
lr_model_pca.fit(X_train_pca, y_train)
lr_predictions_pca = lr_model_pca.predict(X_test_pca)
lr accuracy pca = accuracy score(y test, lr predictions pca)
print(f"Logistic Regression Accuracy (with PCA): {lr_accuracy_pca}")
rf model pca = RandomForestClassifier(random state=42)
rf model pca.fit(X train pca, y train)
rf_predictions_pca = rf_model_pca.predict(X_test_pca)
rf accuracy pca = accuracy score(y test, rf predictions pca)
print(f"Random Forest Accuracy (with PCA): {rf_accuracy_pca}")
models_pca = {
  "SVM": svm accuracy pca,
  "Logistic Regression": lr accuracy pca,
  "Random Forest": rf_accuracy_pca
best_model_pca = max(models_pca, key=models_pca.get)
print(f"\nBest Model (with PCA): {best_model_pca} with accuracy {models_pca[best_model_pca]}")
```