ASSIGNMENT 24/06/2024

1. Apply Prim's algorithm to solve the minimum spanning tree for the given graph. Also compute the total cost of all edges.

```
CODE:
import sys
V = 5
def minKey(key, mstSet):
  # Initialize min value
  min = sys.maxsize
  min_index = -1
  for v in range(V):
     if key[v] < min and not mstSet[v]:
        min = key[v]
        min_index = v
  return min_index
def printMST(parent, graph):
  print("Edge \tWeight")
  total cost = 0
  for i in range(1, V):
     print(f"{parent[i]} - {i} \t{graph[i][parent[i]]}")
     total_cost += graph[i][parent[i]]
  print("Total cost of all edges in the MST:", total_cost)
def primMST(graph):
  key = [sys.maxsize] * V
  parent = [None] * V # Array to store constructed MST
  key[0] = 0 # Make key 0 so that this vertex is picked as first vertex
  mstSet = [False] *
  parent[0] = -1 # First node is always the root of MST
  for cout in range(V):
         u = minKey(key, mstSet)
     mstSet[u] = True
     for v in range(V):
        if graph[u][v] > 0 and not mstSet[v] and key[v] > graph[u][v]:
          key[v] = graph[u][v]
          parent[v] = u
  printMST(parent, graph)
graph = [
  [0, 2, 0, 6, 0],
  [2, 0, 3, 8, 5],
  [0, 3, 0, 0, 7],
  [6, 8, 0, 0, 9],
  [0, 5, 7, 9, 0]
1
primMST(graph)
```

```
OUTPUT:
```

Edge	Weight
Edge 0 - 1	2
1 - 2	3
0 - 3	6
1 - 4	5

Total cost of all edges in the MST: 16

2 . To Compute the sum of Subsets for the following graph and then satisfy the given constraints.

```
Set S \{ \} = (a, b, c, d, e, f, g, h, i)  Values used are V\{i\} = (1, 2, 3, ..., 9)
```

```
Used all values Only one time
Constraints hold such as
a+b+c = c+d+e = e+f+g=g+h+i
CODE:
from itertools import permutations
values = [1, 2, 3, 4, 5, 6, 7, 8, 9]
def satisfies_constraint(set_of_nums):
  a, b, c, d, e, f, g, h, i = set_of_nums
  return (a + b + c == c + d + e == e + f + g == g + h + i)
perms = permutations(values)
for perm in perms:
  if satisfies_constraint(perm):
    print("Found subset that satisfies the constraint:")
    print(perm)
    break
else:
  print("No subset found that satisfies the constraint.")
```

OUTPUT:

Found subset that satisfies the constraint:

(1, 7, 6, 5, 3, 9, 2, 4, 8)

3 . Calculate the chromatic no for the following Graph coloring.

```
CODE:
```

```
def calculate_chromatic_number(graph):
   colors = {}
   chromatic_number = 0
```

```
def assign_color(vertex, color):
     nonlocal chromatic number
     colors[vertex] = color
     chromatic number = max(chromatic_number, color)
     for vertex in sorted(graph.keys()):
         used_colors = set(colors.get(neighbour, None) for neighbour in graph[vertex])
     for color in range(1, len(graph) + 1):
       if color not in used colors:
          assign_color(vertex, color)
          break
  return chromatic_number
graph = {
  1: [2, 3, 4],
  2: [1, 3],
  3: [1, 2, 4],
  4: [1, 3],
  5: []
}
chromatic_number = calculate_chromatic_number(graph)
print(f"The chromatic number of the graph is: {chromatic number}")
```

OUTPUT:

The chromatic number of the graph is: 3

```
4. Consider a set S = (5, 10, 12, 13, 15, 18) and d=30. Solve it for obtaining a sum of
subset.
CODE:
def find_subset_sum(S, target):
    def find subset recursive(current index, current subset, current sum):
    if current sum == target:
       subsets.append(current subset[:]) # Found a valid subset
    if current_sum > target or current_index >= len(S):
       return
    current subset.append(S[current index])
    find_subset_recursive(current_index + 1, current_subset, current_sum +
S[current_index])
       current subset.pop()
    find_subset_recursive(current_index + 1, current_subset, current_sum)
  subsets = []
  find_subset_recursive(0, [], 0)
```

```
return subsets
S = [5, 10, 12, 13, 15, 18]
target = 30
subsets = find_subse
if subsets:
    print(f"Subsets that sum up to {target}:")
    for subset in subsets:
        print(subset)
else:
    print(f"No subsets found that sum up to {target}.")

OUTPUT:

Subsets that sum up to 30:
[5, 10, 15]
[5, 12, 13]
[12, 18]
```