**CS641** 

Modern Cryptology Indian Institute of Technology, Kanpur

Group Name: 261

Kurt Gödel (280406), Bertrand Russell (180572), Alonzo Church (140603)

# Mid Semester Examination

Submission Deadline: March 1, 2022, 23:55hrs

## **Question 1**

Consider a variant of DES algorithm in which all the S-boxes are replaced. The new S-boxes are all identical and defined as follows.

Let  $b_1, b_2, \dots, b_6$  represent the six input bits to an S-box. Its output is  $b_1 \oplus (b_2 \cdot b_3 \cdot b_4), (b_3 \cdot b_4 \cdot b_5) \oplus b_6, b_1 \oplus (b_4 \cdot b_5 \cdot b_2), (b_5 \cdot b_2 \cdot b_3) \oplus b_6$ .

Here  $'\oplus'$  is bitwise XOR operation, and  $'\cdot'$  is bitwise multiplication. Design an algorithm to break 16-round DES with new S-boxes as efficiently as possible.

#### **Solution**

Your solution goes here.

### **Question 2**

Suppose Anubha and Braj decide to do key-exchange using Diffie-Hellman scheme except for the choice of group used. Instead of using  $F_p^*$  as in Diffie-Hellman, they use  $S_n$ , the group of permutations of numbers in the range [1, n]. It is well-known that |S| = n! and therefore, even for n = 100, the group has very large size. The key-exchange happens as follows:

An element  $g \in S_n$  is chosen such that g has large order, say l. Anubha randomly chooses a random number  $c \in [1, l-1]$ , and sends  $g^c$  to Braj. Braj choses another random number  $d \in [1, l-1]$  and sends  $g^d$  to Anubha. Anubha computes  $k = (g^d)^c$  and Braj computes  $k = (g^c)^d$ .

Show that an attacker Ela can compute the key *k* efficiently.

#### **Solution**

Your solution goes here.

GP 261 2

## References

GP 261 3