Along the route N km long, there are waypoints every kilometer. Near the zero pillar, as well as near the pillar with the number N, there are roadside cafes. In addition, roadside cafes are also located near some other waybills.

We want to place new roadside cafes on the K route so that the distance between any two neighboring cafes does not exceed M km.

The first line of the standard input contains integers N, K, M – the length of the route in kilometers, the number of new roadside cafes and the maximum permissible distance between two neighboring cafes after the appearance of new ones ($10 \le N \le 1000$, $1 \le K \le 100$, $1 \le M \le N$).

The following is given an integer L followed by L of natural numbers – the numbers of road poles that already have roadside cafes (in addition to the two extreme ones). One pillar has no more than one cafe. It is guaranteed that $L + K < N$.

In the output stream, output «YES», if where there is no cafe now, you can build K new roadside cafes so that the distance between any two neighboring cafes does not exceed M km. Otherwise, print «NO».

Hint

How can you apply the greedy algorithm in this task?

Comment

When you solve this problem, check out the author's solution on the solution forum – it is used in the next video.

Sample input 1:
15 2 3
3
6 3 12

Sample output 1:
YES

Sample input 2:
15 2 1
3
6 3 12

Sample output 2:
NO