## **GUJARAT TECHNOLOGICAL UNIVERSITY**

**BE - SEMESTER-VI (NEW) EXAMINATION - SUMMER 2021** 

Subject Code:2160704 Date:05/08/2021

**Subject Name: Theory of Computation** 

Time:02:30 PM TO 05:00 PM

**Total Marks: 70** 

**Instructions:** 

- 1. Attempt all questions.
- 2. Make suitable assumptions wherever necessary.
- 3. Figures to the right indicate full marks.
- **Q.1** (a) Define DFA and NFA and NFA-  $\Lambda$

03 04

**07** 

04

07

03

04

07

- (b) Write Regular Expressions corresponding to each of the following subsets of {0,1}\* (i) The language of all strings containing both 101 and 010 as substrings.

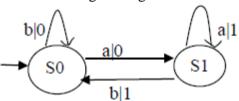
- (ii) The language of all strings that do not end with 01.
- (c) Use the principle of mathematical induction to prove that  $1+3+5+...+(2n-1)=n^2$  for all n>0 where r is an odd integer & n is the number of terms in the sum.
- Q.2 (a) Define onto, one-to-one, and bijection functions.
  - (b) Using constructive approach determine NFA-  $\Lambda$  for the regular expression (0+1)\*1(0+1).
  - (c) Convert the CFG, G ( $\{S,A,B\},\{a,b\},P$ , S) to CNF, where P is as follows  $S \to aAbB$

$$A \rightarrow Ab \mid b$$

$$B \to Ba \mid a$$

OR

(c) Convert the Mealy machine shown in given figure into Moore machine.



- Q.3 (a) Define CFG. When is a CFG called an 'ambiguous CFG'?
  - **(b)** Draw FA for accepting: The strings with odd no of 1's and odd no of 0's.
  - (c) Convert following NFA-  $\Lambda$  to NFA

q	$\delta(q, \Lambda)$	$\delta(q, 0)$	$\delta(q, 1)$
A	{B}	{A}	φ
В	{D}	{C}	φ
С	φ	φ	{B}
D	φ	{D}	φ

OR

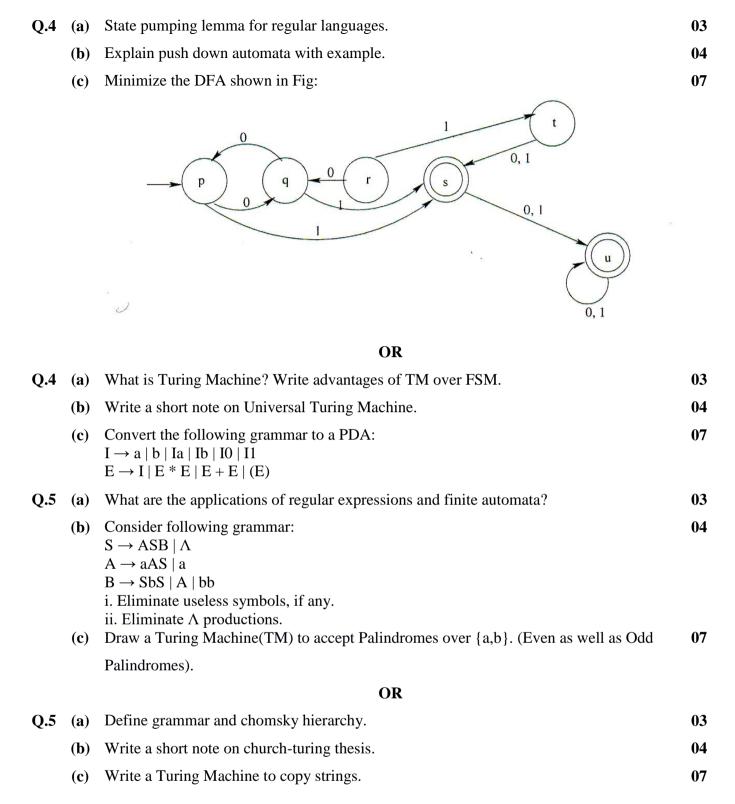
- **Q.3** (a) Give recursive definitions of the extended transition functions,  $\delta^*$  for DFA and NFA.
  - (b) For the language  $L = \{ xcx^r | x \rightarrow \{a,b\}^* \}$  design a PDA(Push Down Automata).
  - (c) Write Kleene's Theorem part-I, Any regular language can be accepted by a finite automation.

1

03

04

**07** 



\*\*\*\*\*