

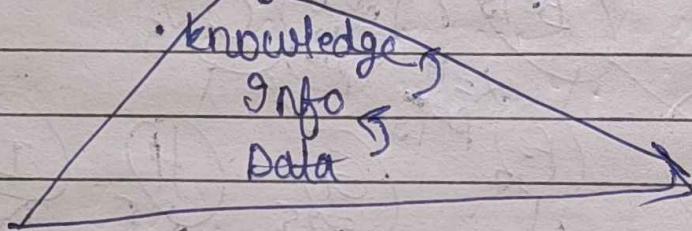
~~3 Oct 2024~~
~~Thursday~~

[lec-8] -

WJ MK
~~50~~
~~30M~~

* Bean Search Algo (H/w) (not in exam)

- ⇒ Knowledge Engineering! - We'll discuss knowledge representation
- knowledge can be enhanced but KEP training
enhances usage.



How to represent knowledge? :

* Data can be represented in form of text.

organized → unorganized → data mining etc..

Textual data, Image data, sign speech data etc. different types of data.

→ in form of predicates or in form of objects.

object \rightarrow entity having certain attributes or methods.

predicate \rightarrow a property (statement calculus mein)
 $\hookrightarrow P(x)$ hair

statement \rightarrow sentence with truth value.
 \hookrightarrow affirmative sentence. hote hain bhi, no
?, ! etc.

True or
false, not
both, not none.
 \hookrightarrow sentence

Input to robot: Can you clean a robot?

Output: Yes or No!

\rightarrow So wo environment se perceive karta hai i.e.
knowledge.

for eg: if obstacles in room, then they will
be recorded

\hookrightarrow in form of predicates or objects.
 \downarrow propositions
hote hain!

p: A is student

q: B " "

r: C " "

\downarrow common property \rightarrow predicate.
say $\Rightarrow p$: is a student

$P(x)$: x is a student

$x \in \{A, B, C\}$

i.e. $P(A)$: A is a student

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| operator | connector |
|------------------------|-----------------------------|
| Conjunction (and) → | \wedge |
| Disjunction (or) → | \vee |
| Not → | \neg |
| NAND (\uparrow) → | $\neg\wedge$ (\uparrow) |
| NOR (\downarrow) → | $\neg\vee$ (\downarrow) |
| XOR → | \oplus |
| | exclusive or |

Inference?

x is statement,
 $P(x)$ is property / predicate.

\rightarrow (if then)
 \leftrightarrow (iff)

| P | q | $p \rightarrow q$ | $p \leftrightarrow q$ |
|---|---|-------------------|-----------------------|
| F | F | T | T |
| F | T | T | F |
| T | F | F | F |
| T | T | T | T |

\forall → universal quantifier
 \exists → existential quantifier

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→ Everything in real world can not be represented.

Toy world prob vs real world prob

Gausses (board)

Agents solving a

move krwaana agent ko → big problem!
like stairs chdnna,

eg!

Clean → move, clean

Ontological diagram :-

events
time
physical objects
belief

inn saari
cheezon ko
as diagram
represent
tedge.

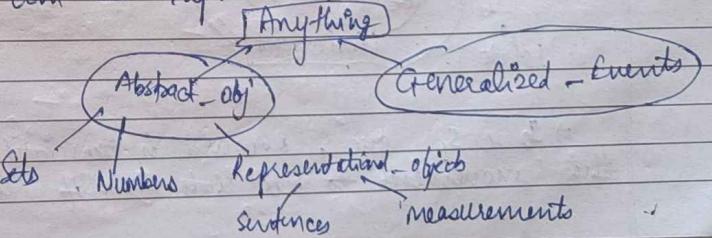
Upper ontological :-

from who
follows
keeling



(ek upar cheez hogi,
jisse aage expand honge,
cheezin).

Anything can not be represented but somethings can be represented.



~~10/10/24~~
~~Thursday~~

Lec 9

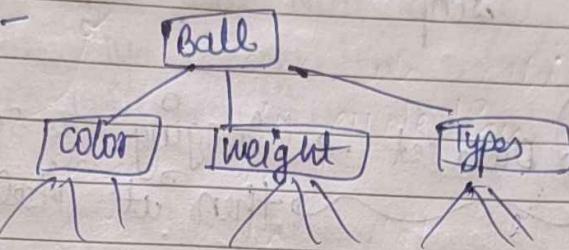
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→ (DT)

* Decision Tree :- will be used for decision making.

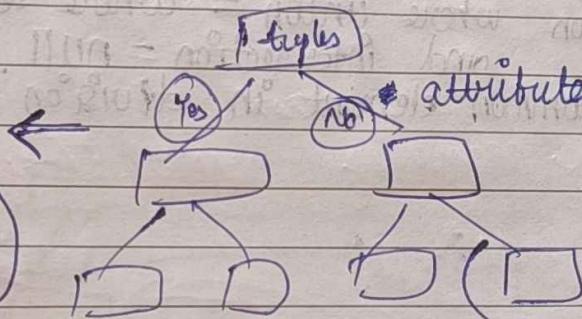
→ object will be represented by certain subcategories.

(eg) :-



→ different categories / classifications / taxonomies.

if always
2 categories
mean trivalent,
then binary
tree



Object into certain parts on bases of attributes.

these lines are for making decisions.

→ Decision Tree is generated based on SVM.

DT (Algo) :-

i/p D (Training set), C
o/p T (decision tree)

C → classes (say based on color)
red, blue, green etc.

1. if all tuples $\in C_j$

Add a leaf labelled C_j

some class C_j

Step 1

base case

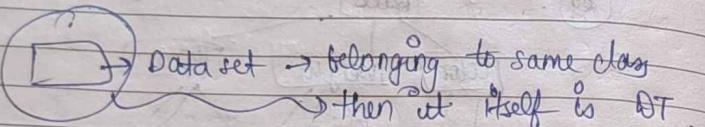
(as no further classification)

2. select A_i (attribute)
3. Partition $\Omega = \{D_1, \dots, D_N\}$ based on A_i .
4. $\forall D_k \in \Omega$

create a node and add an edge,
 $D_k \rightarrow \Omega$, label: A_i

5. $\forall D_k \in \Omega$

$DT(D_k) \rightarrow$ recursion
stop

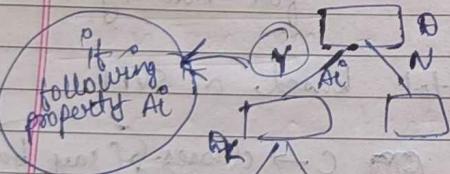


→ Partition v/s Division

division where union = whole set, ($\bigcup S_i = S$)
and intersection = null. ($S_i \cap S_j = \emptyset$)

no common element in division
Pairwise
Intersection = null

means ek element & classes mein nahi jaa skta.



A_k , D_k , A_{ki}

finally yaa toh ek element bhega

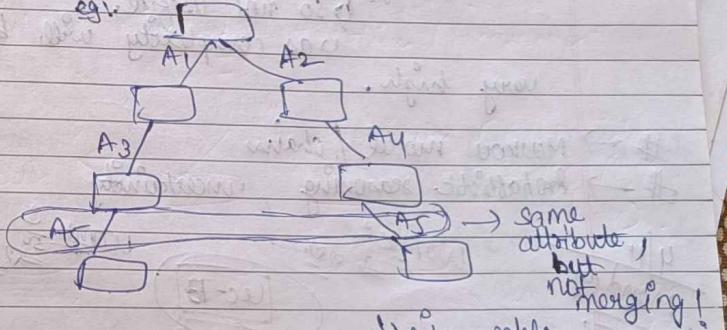
yaa fir elements belonging to same class, then recursion khatam ho jaayegi

→ How to partition $\Omega \rightarrow \{D_1, \dots, D_N\}$??
Example

→ agar 2 different nodes have same attribute anywhere in future, then merge nahi kروںے as partition kiya huya hai already based on certain property formerly, toh alag A_i change done for!

↳ merge nahi honge.

e.g.



↳ like pehle

'colour' different, but 'badminton weight' same (or in same range), toh merge nahi kروںے!

Complex Decision Making

Constraints Satisfaction problems

↳ conditions

↳ or satisfying

WJMK

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Given $f(x, y) = \dots$

st. $x \geq ?$, $? < x < ?$ --- (some condⁿ)
and $y \geq ?$, $? < y < ?$ --- ("")

As two variables, so can use graphical method.

make random line and shift it,
sat. tak. wo conditions satisfy na kile!

but this is also kind of 'blind
search' (trigger method).

so not useful.

as complexity will be
very high.

→ Markov model / chains

→ Probabilistic reasoning, uncertainty

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19/10/2024

(lec-10)

Thursday

(Imp.) (will be asked in Exam.)

→ decision making using Markov Model.

→ Planning.

① Decision tree → data set classified on basis of attributes.

(Agent) → 'present state' known to us, want to move to 'next state'.

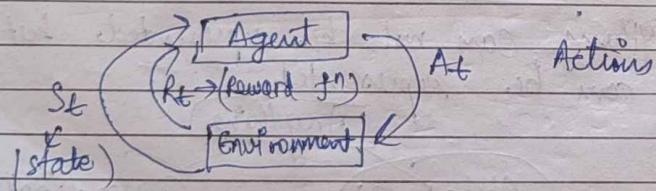
↳ How to decide. to go to 'next state'.
 i) we'll extend it to Markov model.
 ii) based on attribute / present situation.

→ Agent does not know 'next state', has no idea ki certain moves k baad wo khaan hoga, ya 'final state' is not known to agent itself.

So $s_0 - s_1 - \dots - s_n$
 ↓ initial state

goal state → agent has to search it, o/w agent has no idea of goal state.

→ Decision is made by binary decisions.

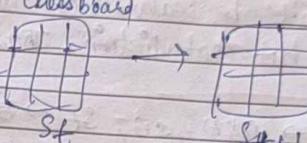


→ If s_0 or s_1 gye, Reward is associated with this movement to new state ⇒ If Reward '+', then

award, if ('-ve'), then punishment.

Markov Model :-

→ Statistical model, which will decide something as next state, but ('present state') must be defined.



kyi voar set,
pta hogi,
and usse
st estimate
ki kriye

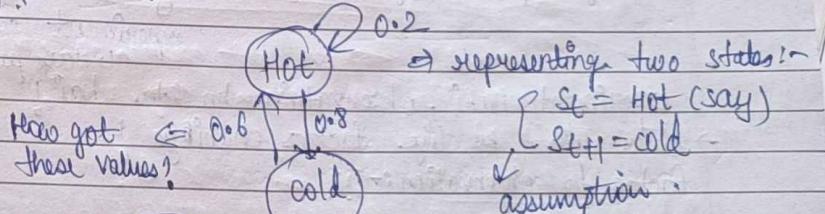
kyi voar next state pta hogi like attendance, leli toh bhe baahar jaayenge, but attendance hogi?

So $S_t \rightarrow \text{?}$, $S_{t+1} \rightarrow \text{known}$.

have to guess, so probability

chahiye but kis cheez ki?

(eg) :-



$S_{t+2} = ?$?
 have to decide.

we'll have probability matrix / transition matrix → to represent prob values

such that row sum = 1.

here,
 transition matrix = $H = \begin{bmatrix} H & C \\ C & H \end{bmatrix}$
 $\begin{bmatrix} 0.2 & 0.8 \\ 0.8 & 0.2 \end{bmatrix}$

S_t (n states),
 Matrix size = $n \times n$

WJMk's
=

thus, state is row vectors \rightarrow
having no. of elements =
total no. of states

\Rightarrow This transition matrix can be used to decide 'next state'.

$$S_{t+1} = (P_{ij}) \cdot S_t \quad (S_t) \cdot (P_{ij})$$

So state is matrix Now!!

abc \rightarrow S_t can't be scalar as then also S_{t+1}
will be matrix, but contradiction. Thus S_t must be
matrix.

for $P_{ij}^o \rightarrow n \times n$, so, $S_t \rightarrow \cancel{n \times 1} \ 1 \times n$

thus, $S_{t+1} \rightarrow \cancel{1 \times 1} \ 1 \times n$

usually this

eg: $S_0 = \begin{bmatrix} 1 & 0 & 0 \end{bmatrix}$ (say)
 $\xrightarrow{\text{S}_{t+1}}$
 $\begin{bmatrix} 0.5 & 0.5 & 0 \end{bmatrix}$ startup

$$S_0 = \begin{bmatrix} 1 & 0 & 0 & 0 \end{bmatrix} \quad \begin{matrix} \text{sunny} \\ \text{rainy} \\ \text{clearday} \\ \text{cloudy} \end{matrix} \quad \begin{matrix} \text{initial} \\ \text{state} \end{matrix}$$

\rightarrow and yet probability niklegi 'observations' se!!
experiment se!

experiment nahi, observation ho skta hai!
 \hookrightarrow days pair
 \rightarrow observation ke lie factors chahiye!
factors for observation :- ??

example continued:- $S_{t+1} = (S_t) (P_{ij}^o)$

$$\begin{aligned} S_{t+1} &= \begin{bmatrix} 1 & 0 \end{bmatrix} \begin{bmatrix} 0.2 & 0.8 \\ 0.6 & 0.4 \end{bmatrix} \\ &= \begin{bmatrix} 0.2 & 0.8 \end{bmatrix} \end{aligned}$$

S_0 HOT, HOT shoga $\rightarrow 0.2$

HOT, cold bn jaayega $\rightarrow 0.8$

$$S_{t+2} = \begin{bmatrix} 0.2 & 0.8 \end{bmatrix} \begin{bmatrix} 0.2 & 0.8 \\ 0.6 & 0.4 \end{bmatrix} = \begin{bmatrix} 0.52 & 0.48 \\ 0.48 & 0.52 \end{bmatrix}$$

WJMk's
=

$$S_{t+3} = \begin{bmatrix} 0.52 & 0.48 \end{bmatrix} \begin{bmatrix} 0.2 & 0.8 \\ 0.6 & 0.4 \end{bmatrix} = \begin{bmatrix} 0.392 & 0.608 \\ 0.608 & 0.392 \end{bmatrix}$$

so low - high flip ho sake hain haal voal.

$$S_{t+4} = \begin{bmatrix} 0.392 & 0.608 \end{bmatrix} \begin{bmatrix} 0.2 & 0.8 \\ 0.6 & 0.4 \end{bmatrix}$$

$$= \begin{bmatrix} 0.4432 & 0.5568 \\ 0.5568 & 0.4432 \end{bmatrix} \approx \begin{bmatrix} 0.4 & 0.6 \\ 0.6 & 0.4 \end{bmatrix}$$

$$\text{as, } S_1 = S_0 P \rightarrow S_2 = S_1 P = (S_0 P) P = S_0 P^2$$

$$S_{t+1} = (S_0) P^{(t+1)}$$

ab next
state main
almost same
prob. aajegi

next state now

similar to previous state

how can't get
guess further.

jan se start kya \rightarrow fog raya

sun take bhi fog aayegi!!
bcz of (P) .

so (P) should not be revised!

\rightarrow so decision making k liye 'factors' pe. depend hoyo, don't
use ' P ' always! \rightarrow so after certain states (situations), ' P '
must be changed!!

part of 'Markov decision process'

probabilistic planning

when we do not have deterministic solution, we have to
guess and it's called probabilistic planning.

* MDP \rightarrow Markov decision tree planning (?) process

set of states $\rightarrow S = [S_0 \ S_1 \ \dots \ S_t]$

set of possible actions $\rightarrow A = [A_0 \ A_1 \ \dots \ A_n]$ \rightarrow will be

set of reward values $\rightarrow R = [R_0 \ R_1 \ \dots \ R_n]$ \rightarrow ass. with next state

description of each action $\rightarrow T = [T_0 \ T_1 \ \dots \ T_n] = P_{ij}^o$ (88%)

Transition matrix

QJMA
2023

Markov's property \rightarrow next state will be dependent on present state, not on past state. (directly) Cinherently true
PAGE NO.

\hookrightarrow n th order markov property.

\rightarrow after previous $(n-1)$ states we depend upto \rightarrow then n th order markov property.

\rightarrow action will be deterministic or semi-stochastic.

state

hypothetical

$S \times A \rightarrow S$ (deterministic)

$S \times A \rightarrow P(S)$ (~~not~~ stochastic)

action

Policy (π)

$$\pi = S \rightarrow A$$

actions and decisions will also lead to policy.

[Probabilistic Planning] :-

\hookrightarrow we will apply

predicates (knowledge representation) \Rightarrow here and actions.

\Rightarrow Blocks (Toy) world :-

(initial state)

(A)

(B)

etc.

Table

etc.

actions

(B)

(A)

eg. \leftarrow

they are placed by certain conditions.

hypothetical
robotic arm

hoga \rightarrow go actions
legi

(final state)

\rightarrow as 'Agent' ~~is~~ is not aware of 'next state'
so solve kya yeh kaam 'very hard'.

Example :-

$[ON(C, A), B]$

block A is placed ON block B,

initial situation:- $ONTABLE(A) \wedge ONTABLE(B) \rightarrow$ situation representation using predicates.

(A) (B)

* $CLEAR(A) \wedge HOLDING(A)$

(to wear | stack of only 2 blocks is allowed)

$\rightarrow [ON(C, A)]$

(C) (A)

$\rightarrow [ON(B, A)]$

(B) (A)

$\rightarrow [ON(C, A) \wedge ON(B, A) \wedge ONTABLE(A) \wedge ONTABLE(B)]$

\hookrightarrow if this is enough

goal stack -

Q: exam mein diagram diya jayega \rightarrow usko predicate forms mein likha jayega ?

24 Oct 2024

Thursday

AI
Lec-11

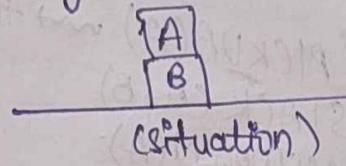
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PLANNING GRAPH \rightarrow Y/10

* Planning (Classical) :-

Blocks World :-
(Length of table werna
not given)

① ON(A, B) \Rightarrow
(Predicate)



② ONTABLE(A) \Rightarrow A

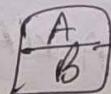
③ CLEAR(A) \Rightarrow ~~A~~ (means A is upon no block)

④ HOLDING(A) \Rightarrow Arm holds A

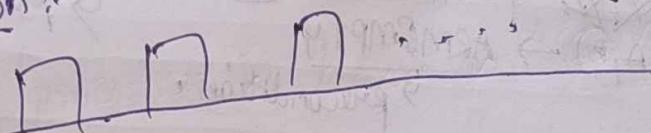
⑤ ARMEEMPTY \Rightarrow Arm is empty.

Predicates for
represent-
tation
purpose

STACK(A, B) \rightarrow Stack with A over B
UNSTACK(A, B) \rightarrow A, B ko alag-2
PICKUP(A) \rightarrow pick
PUTDOWN(A) \rightarrow ~~not be on~~ table ~~or any other block.~~



Initial configuration :-



Final configuration :-



Isse yeh bnaana hai actions use kiske following
predicates.

→ sequence of actions to achieve some goal
→ play (plan) of actions.

[HOLDING(A) ON(A, B)]

ARMEEMPTY] \rightarrow etc.

\hookrightarrow is a plane.

* ①



initial state

\neg ONTABLE(A) \wedge ONTABLE(B),

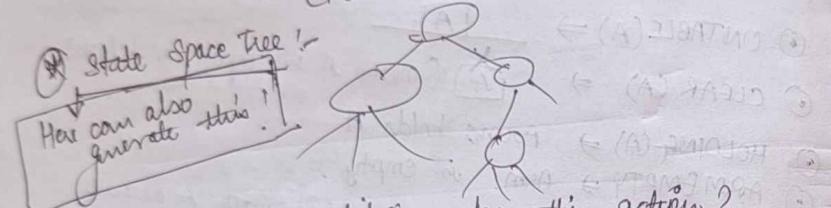
\neg CLEAR(A) \wedge CLEAR(B) \wedge ARMEEMPTY

to check
whether
kaise
plan
accha
hai !!

NOW WTF $[B, A] \rightarrow$ identical to previous one
only location not given as difference is in location
not matter.

NOW $\begin{matrix} A \\ B \end{matrix}$ $\text{ONTABLE}(B) \wedge \text{ON}(A, B) \wedge \text{CLEAR}(A) \wedge \text{ARMEMPTY}$

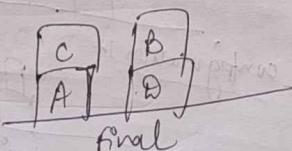
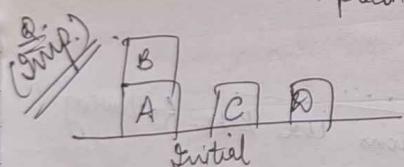
① $\text{PICKUP}(A) \rightarrow \text{HOLDING}(A)$ true.
 ② $\text{PUTDOWN}(A) \rightarrow \text{CLEAR}(A)$ true.



$\text{STACK}(A, B) \rightarrow$ preconditions for this action?
 See PICKUP table for state after ARMEMPTY hai!

~~$\text{PUTDOWN}(A)$~~ $\rightarrow \text{CLEAR}(B), \text{HOLDING}(A)$
 action, not A on B.
 $\text{STACK}(A, B) \rightarrow \text{ARMEMPTY}$

precondition.



Initial situation:- $\text{ONTABLE}(A) \wedge \text{ONTABLE}(C) \wedge \text{ONTABLE}(D)$
 $\wedge \text{ON}(B, A) \wedge \text{CLEAR}(B) \wedge \text{CLEAR}(C) \wedge \text{CLEAR}(D) \wedge \text{ARMEMPTY}$

Final situation:- $\text{ONTABLE}(A) \wedge \text{ONTABLE}(D) \wedge \text{ON}(C, A) \wedge \text{ON}(B, A) \wedge \text{CLEAR}(C) \wedge \text{CLEAR}(B) \wedge \text{ARMEMPTY}$

Actions :-
 ① $B \xrightarrow{\text{PICKUP}} \begin{matrix} A \\ B \end{matrix} \xrightarrow{\text{PUTDOWN}} \begin{matrix} C \\ A \end{matrix} \xrightarrow{\text{HOLDING}} \begin{matrix} C \\ A \end{matrix}$ konsa kering?

WTF $\text{stack ko thodi pta ha !},$ for this requires some preconditions that must be true!
 $\text{STACK}(C, A) \rightarrow$

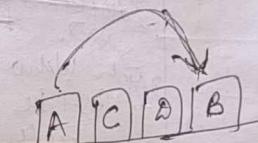
$\text{ONTABLE}(A), \text{CLEAR}(A)$
 ↗ Not true
 ↗ True

for this
 $\text{UNSTACK}(B, A)$
 ARMEMPTY ?
 (preconditions)

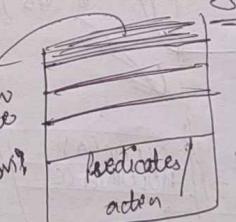
so Action-1
 $\downarrow \text{PICKUP}(B),$
 $\downarrow \text{ARMEMPTY} = \text{false}$

$\downarrow \text{HOLDING}(B)$

$\text{PUTDOWN}(B)$
 $\text{ARMEMPTY} = \text{true}$
 $\begin{matrix} B \\ A \end{matrix}$ braao!



and



Here goal stack :-

$\text{ON}(C, A)$
 $\text{ON}(B, A)$
 $\text{ON}(C, A) \wedge \text{ON}(B, A) \wedge \text{CLEAR}(C) \wedge \text{CLEAR}(B) \wedge \text{ONTABLE}(A) \wedge \text{ARMEMPTY}$

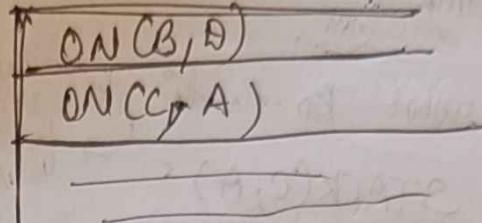
(a) planning \wedge (b) GS-1

last

OR 2nd possibility! - Goal stack :-

This whole plan changes after GS-2
choose later

GS-2 to



We'll try to solve GS-1 :-

POP \rightarrow HOLDING(CB) \rightarrow PUTDOWN(B) then

PUTDOWN(CB) false

Now Replace HOLDING(C) with
PICKUP(C), now ~~HOLDING(CC)~~ \rightarrow UNSTACK(CC, A),
then ON(CC, A).

Matlab ukha

\rightarrow HOLDING(CC) \Rightarrow PICKUP(CC).

true
so
pop

CLEAR(B)

ON(CB, A)

ON(B, A) \wedge CLEAR(B) \wedge ARMEMPTY

UNSTACK(B, A)

then yeh
push
yeh
pop hoga

not part
of stack

try to solve
 $ON(CC, A)$
same

STACK(CC, A)

\rightarrow CLEAR(A) \wedge ON(CC, A)
HOLDING(CC)

CLEAR(A)

HOLDING(CC)

ON(CB, D)

$ON(CC, A) \wedge ON(CB, D) \wedge ONTABLE(A) \wedge$
 $ONTABLE(A) \wedge ARMEMPTY$

Just to
understand
this

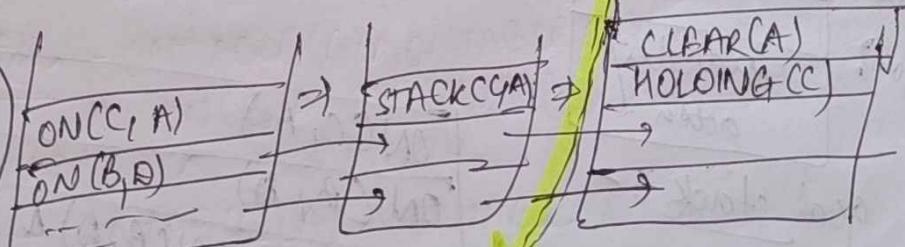
now
UNSTACK(B, A)

precondition :-

$ON(B, A)$

$CLEAR(B)$

ARMEMPTY



now, STACK(CB, D)

$ONTABLE(B) \wedge CLEAR(B) \wedge HOLDING(B)$

so on! \rightarrow when stack is empty, we
reached to goal state ☺

7 Nov 2024

Dec-12 (AI)

Thursday

WJMK &
In CM.

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→ Goal stack (emp). (will be asked in Exam)
(Heuristic based Planning)

Planning Graph :- poly. size approx. of state space tree

as we can have ' ∞ ' states, and very difficult to find goal state, so we come to 'Planning graph'.

Eg:- To have a cake and eat it too. [this is prob].
→ Can have cake (Step -1)
→ only then can eat it (Step -2)

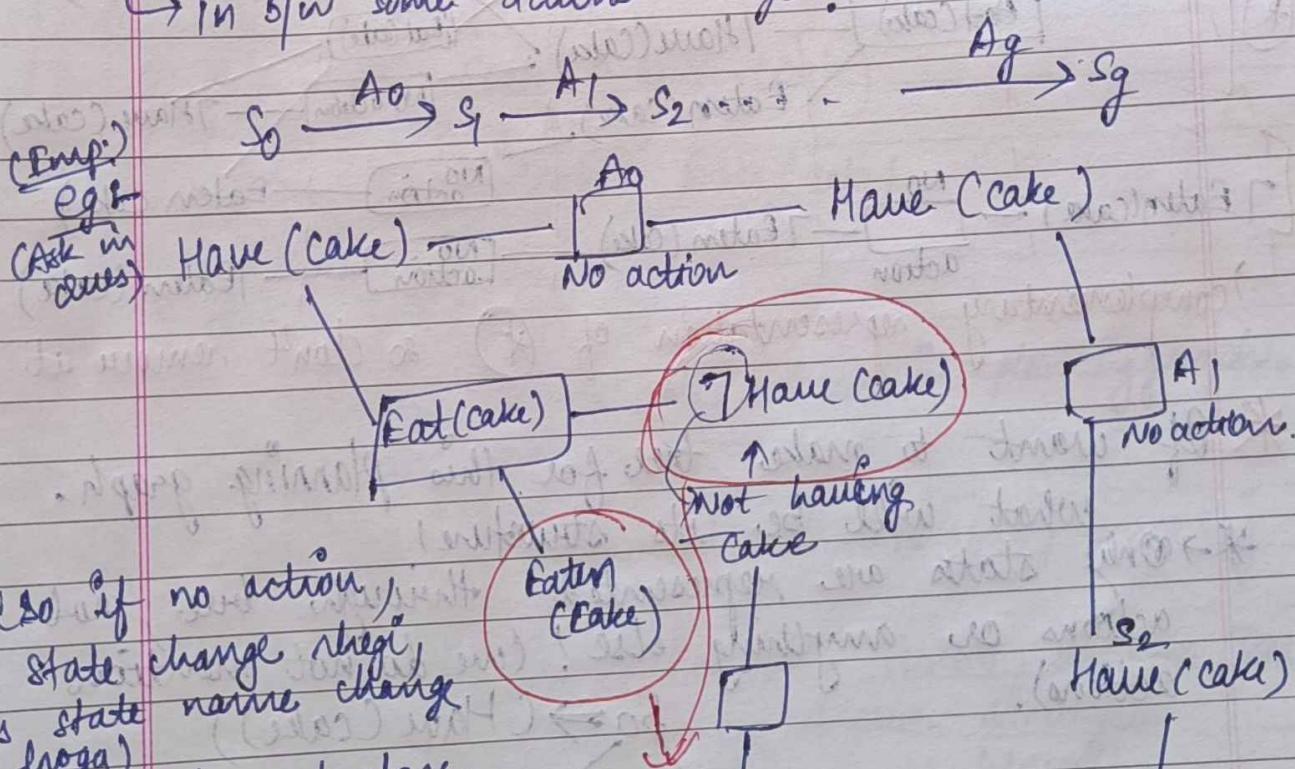
States :- s_0, s_1, \dots

actions:- A_0, A_1, \dots

→ Initial state \rightarrow Have (cake) (s_0)

→ Goal state \rightarrow Eat (cake) (s_g)

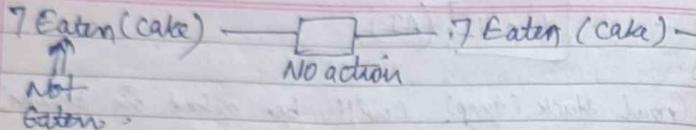
→ in b/w some actions hoga!



(s_0 if no action,
state change nahi,
but state name change
hoga)
→ like next week class,
date change baaki
sab same.

Both represent
same thing

ACTIONS
=
=

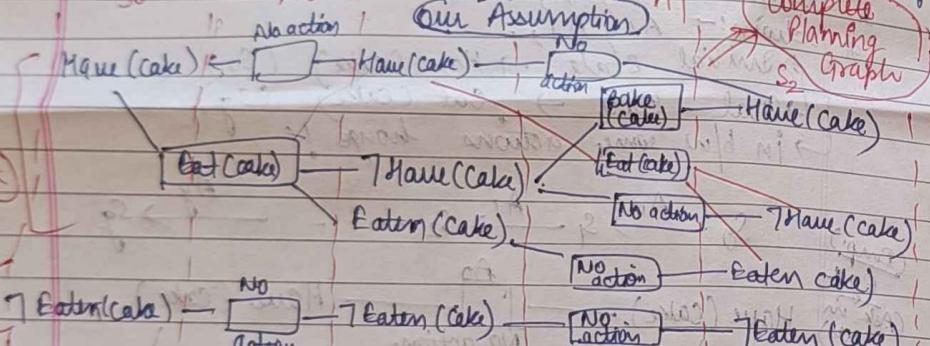


→ Planning graph does not tell whether goal state is reached or not but it can tell no. of steps in which goal is reached (if goal exists).

* If we don't have, then take it!

but need instruments etc (preconditions) for that, we are ignoring them.

$s_0 \xrightarrow{\text{A}_0} s_1$

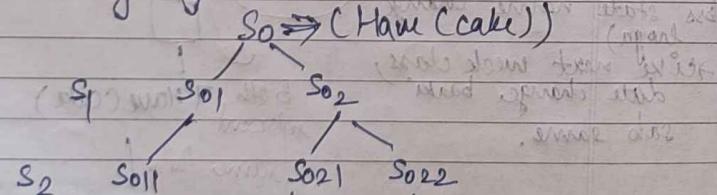


complementary representation of (1) so don't remove it

* If want to make tree for this planning graph.

What will be its structure?

* Only states are represented through tree, not actions or anything else! (we do not mention actions).



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so in planning graph, only (3) states (s_0, s_1, s_2) are possible.

sequence of actions to reach from initial to goal state is known as "Action Plan".

Same problem representation by predicates :-

initial state ($\text{Have}(\text{cake})$) $\leftarrow s_0$

Goal state ($\text{Have}(\text{cake}) \wedge \text{Eaten}(\text{cake})$) $\leftarrow s_g$

↳ simultaneously, when we get a cake, then eat it!!

Predicates

Action :- $\text{Eat}(\text{cake})$

Precondition :- $\text{Have}(\text{cake})$

Effect :- $\neg \text{Have}(\text{cake}) \wedge \text{Eaten}(\text{cake})$
(after performing Action)

Action :- $\neg \text{Have}(\text{cake}) \wedge \text{Bake}(\text{cake})$

Precondition :- $\neg \text{Have}(\text{cake})$

Effect :- $\text{Have}(\text{cake})$

all these things are drawn in planning graph.

(*) Uncertainty

(*) How → supervised, unsupervised, reinforcement, learning from observation.

→ Ensemble Learning :- Random Forest, decision Tree,

Agent will try to copy or observe strategies followed by other agents, may be himself.
e.g! auto driving car.

- How such observation based methods can be implemented?
- How can I learn kriya from observation, but how robot will observe?

Steps → Attention (Agent pay attention to set of steps)
→ retain in memory
→ Reproduction those actions

Agent following actions done by another agent, thus agent learning from observation.

→ Method use :- Bagging, voting,
→ Observe what others do and choose best one!