

Full Marks - 10.

Time - 1.5hrs.

Answers should be brief and to the point. Marks will be deducted for unnecessary writing.  
Calculators are allowed.

1. Consider an arbitrary line whose equation is given below:

$$y = \frac{1}{2}(x + 6)$$

The position vectors describe the vertices of a triangle ABC:

A[2 5 1], B[4 7 1] and C[2 7 1].

Find the reflection of the triangle through this line by giving proper explanation and coordinates of the new triangle A'B'C'.

You have the following Functions which transforms the vertex P[x y z] to P'[x' y' z'] at your Disposal:

Rotate\_Z(Theta, P[x y z], P'[x' y' z']) : Rotation by an angle  $\theta$

$$x' = x \cos(\theta) - y \sin(\theta); \quad y' = x \sin(\theta) + y \cos(\theta); \quad z' = z$$

Translate\_Y(Ty, P[x y z], P'[x' y' z']) : Translates P[x y z] by Ty :

$$x' = x; \quad y' = y - Ty; \quad z' = z$$

x'=x, y'=y-Ty and z'=z.

Reflect\_X(P[x y z], P'[x' y' z']) Reflection around x-axis

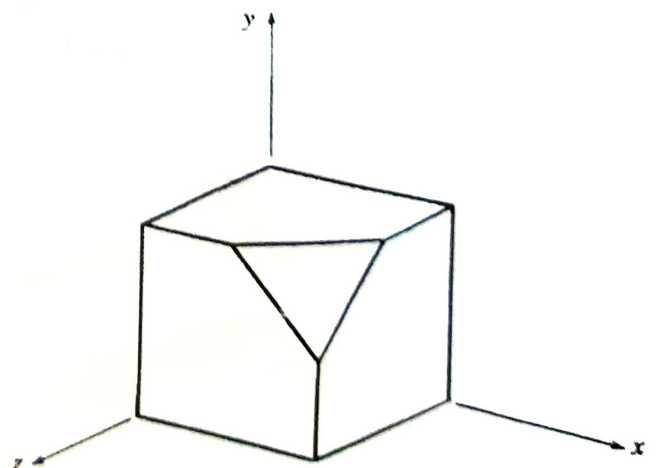
$$x' = x; \quad y' = -y; \quad z' = -z;$$

Write a pseudo code to reflect the triangle ABC by the line.

[3+2=5]

2. Let the position vector of the cube with one corner removed are:

$$[X] = \begin{bmatrix} 0 & 0 & 1 & 1 \\ 1 & 0 & 1 & 1 \\ 1 & 0.5 & 1 & 1 \\ 0.5 & 1 & 1 & 1 \\ 0 & 1 & 1 & 1 \\ 0 & 0 & 0 & 1 \\ 1 & 0 & 0 & 1 \\ 1 & 1 & 0 & 1 \\ 0 & 1 & 0 & 1 \\ 1 & 1 & 0.5 & 1 \end{bmatrix}$$



Get the trimetric projection of this cube by first rotating it by a  $\Phi = 45^\circ$  about **y-axis**, followed by a  $\theta = 45^\circ$  rotation about **x-axis**, and then parallel projection onto the **z=0** plane. Also find the foreshortening factors **fx**, **fy** and **fz**.

If we would like to draw the above cube using DDA, write the pseudo code to display the object on the projection plane **z=0**. (It is required to write the DDA Code)

[3+2=5]