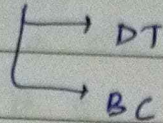


Classification



→ BP

→ SVM

→ LR

→ KNN

Test (next week)

Clustering

Boosting algorithms

Feature selection

Data clustering : Unsupervised learning.

↳ class label not known

Partition based clustering

→ K-means

→ PAM

→ ~~K-MAX~~ CLARA

→ CLARANS

Variations

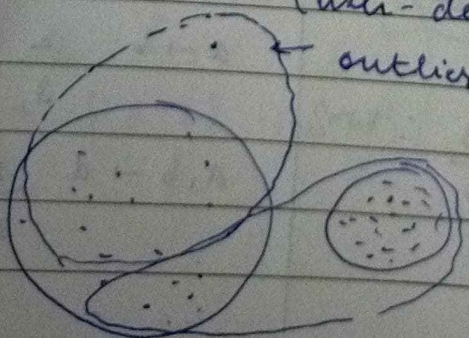
in K-mean as K-mean is not good for large set of data.

- ↓
- ↳ might not give proper clusters
 - ↳ lacks accuracy & efficiency
 - ↳ Sparse matrix

Problem: Outliers are also part of a cluster

k: number of clusters

(user-defined parameter)



Due to presence of outliers mean converges to a value impacted largely by the outliers

Binary variables:

a 11

b 10

c 01

d 00

Both objects for a particular instance have 1.

Symmetric:

$$d(i, j) = \frac{b+c}{a+b+c+d} = \frac{\begin{array}{c} \text{1 for } X_1, 0 \text{ for } X_2 \\ \downarrow \\ 10 + 01 \end{array}}{11 + 01 + 10 + 00}$$

$$\text{Asymmetric: } d(i, j) = \frac{b+c}{a+b+c}$$

How to know if variable is sym/asym.

$$\left. \begin{array}{l} \text{If } 10 \rightarrow 1 \\ \quad 01 \rightarrow 0 \end{array} \right\} \Rightarrow \text{symmetric binary variable.}$$

If $10 \neq 01$ then asymmetric binary variable.Eg: No: N $\rightarrow 0$ Yes: Y | Presence: P $\rightarrow 1$

$$d(\text{Jaan, May}) = \frac{10 + 01}{11 + 01 + 10 + 00} = \frac{0 + 1}{2 + 1 + 1 + 0} = \frac{1}{4} = 0.25$$

no instance for 10.

Date ____ / ____ / ____

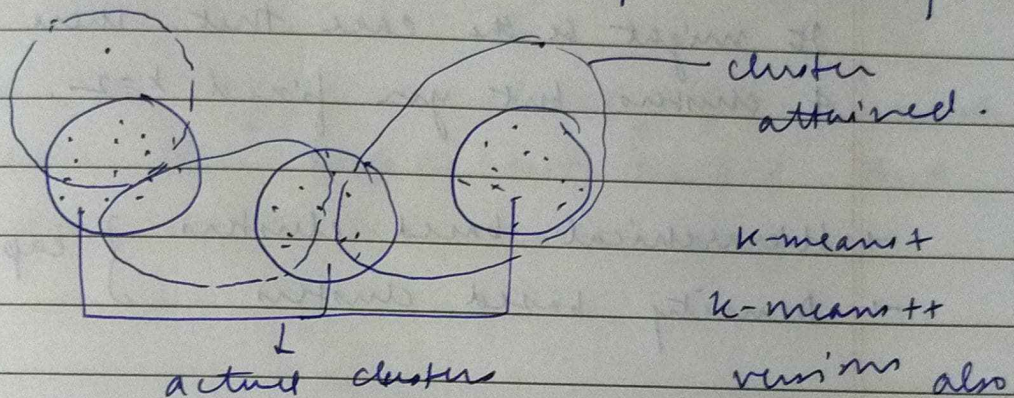
saathi

The points which were initially part of cluster 1 can now be part of cluster 2.

Large data \Rightarrow Large noise

\Rightarrow Mean affected largely

\therefore The actual clusters may not be identified which impacts accuracy.



k-means+

k-means++

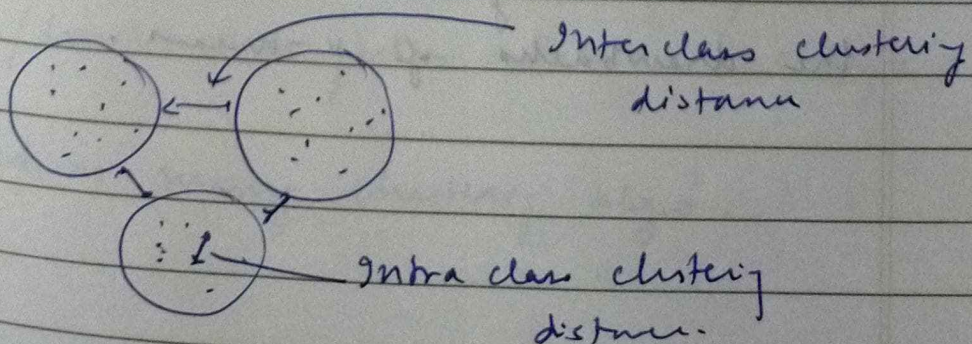
various also available.

To apply k-means on a large data, remove noise from the data.

- can be used in Text mining, etc.

Data clustering: grouped based on similarity measure (could be distance). Can be on multi-dimensional data.

OPTIMISATION PROBLEM



Data types

- Interval based
- Ratio based
- Binary
- Ordinal
- Nominal

Real data has to be transformed into a data of one of these types before applying clustering.

Data from kaggle is already pre-processed & hence this step is not needed. But raw data must be pre-processed first.

Data matrix: attributes in columns
entities in rows.

$$\begin{array}{c}
 A_1 \quad A_2 \quad \dots \quad A_n \\
 \begin{matrix} E_1 \\ \vdots \\ E_i \\ \vdots \\ E_n \end{matrix} \left[\begin{array}{cccc} x_{11} & \dots & x_{1i} & \dots & x_{1n} \\ \vdots & & \vdots & & \vdots \\ x_{i1} & \dots & x_{ii} & \dots & x_{in} \\ \vdots & & \vdots & & \vdots \\ x_{n1} & \dots & x_{ni} & \dots & x_{nn} \end{array} \right]
 \end{array}$$

Object by variable.

Distance matrix:

Object by object: distance b/w all objects & all other objects.

upper/lower triangular matrix is enough.

used in many clustering algo.

Clustering requires 2 optimisations at the same time:

- (1) Inter class distance ^{of clusters} should be maximised
- (2) Minimise intra class ^{data} distance ~~of clusters~~

Problem with k-means: Fixing k

It might be the case that there are actually 4 clusters but you fixed $k=2$.

- Hierarchical based clusters
 - Density based clusters
- } capable of doing

Within hierarchical based clustering

we have:

Single link

Heavy link

Complete link

Birch

Density based: → CURE

→ DBSCAN

→

3 researchers

→

BFR: Primarily uses k-means & overcomes the drawbacks of k-means.

Smaller unit \rightarrow larger variable range.

To select basketball players based on height, we want clear distances in the differences due to closeness in heights.

\therefore Lower down the unit -

Give more weightage to height.

\therefore Convert Euclidean into ~~weight~~ weighted distance -

$w (h_1 - h_2)$
 \swarrow
 weight assigned to assign higher weight to height.

Suppose 3 attributes: A_i , w_i , B_i

assign higher weight to the one with highest importance

$$w_1 > w_2 > w_3$$

\rightarrow Mean absolute deviation better than standard deviation due to absolute values.

Assigning weights to Minkowski distance would give weighted distance:

$$\frac{1}{m} \left[w_1 |x_1 - \bar{x}|^m + \dots \right]$$

Not necessary to assign weight to all attributes.