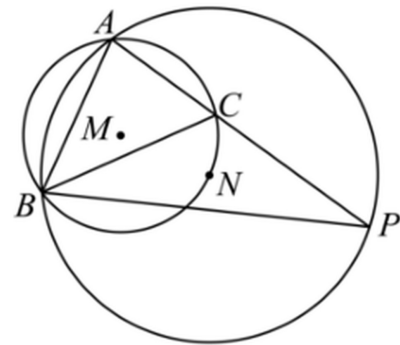
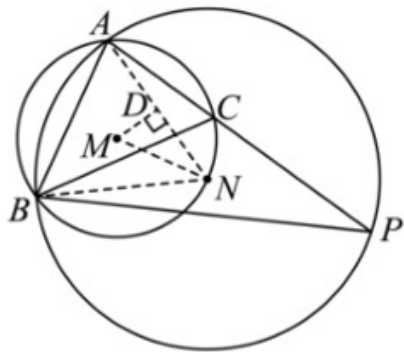
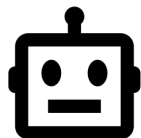


As shown in the figure, Circle M and Circle N both pass through points A and B, and point N is on Circle M. Point C is a point on major arc AE (point C does not coincide with A or B). The extension of AC intersects Circle N at point P. Connect AB, BC, BP. If  $\angle APB = 30^\circ$ ,  $AB = 3$ , then the length of MN is?



**Input**

Connect MN, AN, BN. Draw  $MD \perp AN$  from point M to D.



As shown in the figure:

Both circle M and circle N pass through points A and B,  $\angle APB = 30^\circ$ ,  $AB = 3$ ,  $\angle ANB = 2\angle APB = 60^\circ$ ,

Also  $AN = BN$ ,  $\triangle ABN$  is an equilateral triangle,  $AN = AB = 3$ ,  $\triangle ABN$  is inscribed in circle M, Point M is the circumcenter of the equilateral  $\triangle ABN$ , MN bisects  $\angle ANB$ , MD perpendicularly bisects AN,  $\angle MND = 30^\circ$ ,  $DN = \frac{1}{2} AN = 1.5$ ,

$MD \perp AN$ ,  $\angle MDN = 90^\circ$ ,  $\cos \angle MND = \frac{DN}{MN}$ ,  $MN = \frac{DN}{\cos \angle MND} = \frac{1.5}{\cos 30^\circ} = \sqrt{3}$ .