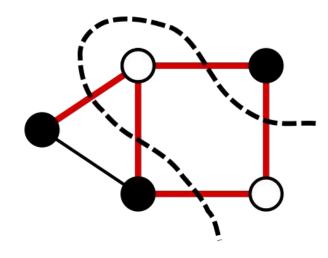
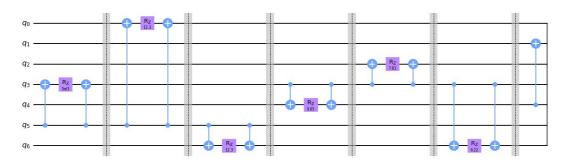
Maxcut Comparisons

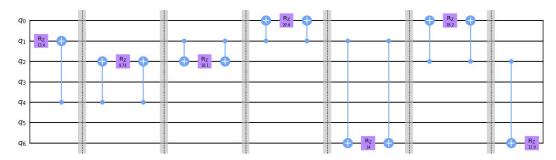
Avneesh Verma

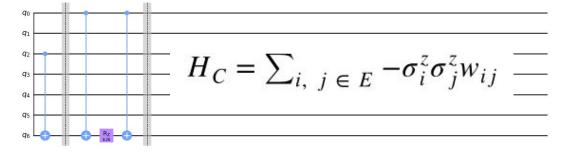
Maxcut

- Objective: Divide the set of nodes into two subsets, such that the number of edges between nodes of opposite subsets can be maximized.
- In other words, find a way to paint the nodes using a black and white paint brush, and maximize the number of edges between black and white nodes.
- Can be generalized to a weighted case, where each edge is given a certain weight.









$$H_B = \sum_{i \in V} \sigma_i^x$$

$$q_0 - \frac{R_X}{2\pi^2} -$$

$$q_1 - \frac{R_X}{2\pi/3} -$$

$$q_2 - \frac{R_X}{2\pi/3} - \frac{R_X}{2\pi/3}$$

$$q_3 - \frac{R_X}{2\pi/3} -$$

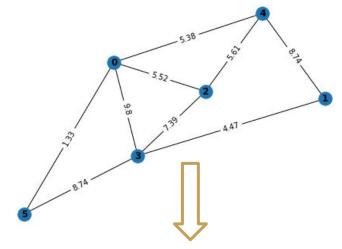
$$q_4 - \frac{R_X}{2\pi/3} -$$

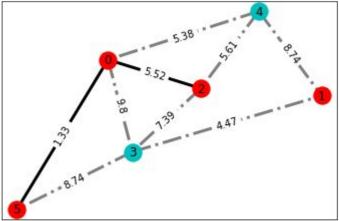
$$q_5 - \frac{R_X}{2\pi/3} - \frac{R_X}{2\pi/3}$$

$$q_6 - \frac{R_X}{2\pi G} -$$

Process

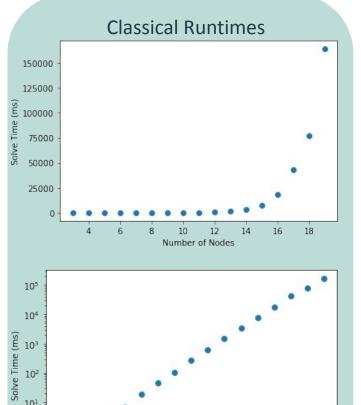
- 1. Generate an array of graphs, ranging from 3-20 nodes.
- 2. Use brute-force classical computation to find the exact solution.
- 3. Build QUBO to solve with D-Wave
- 4. Generate Circuit to Solve with Qiskit
- 5. Compare runtimes.

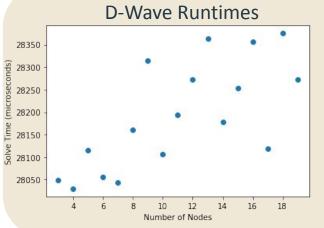


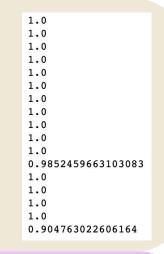


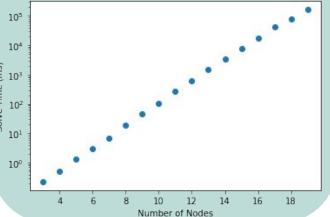
D-WAVE Formulation

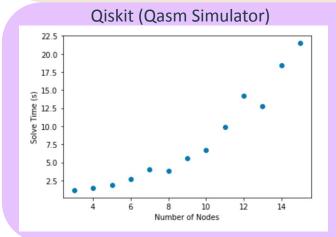
```
# Update Q matrix for every edge in the graph
for edge, weight in zip(self.edges, self.weights):
    Q[(edge[0], edge[0])] += -1*weight
    Q[(edge[1], edge[1])] += -1*weight
    Q[(edge[0], edge[1])] += 2*weight
```











1.0 0.8345250255362614 0.7145882975906804 0.6200139958012596 0.537231298366294 0.6851159311892296 0.5349421368978201 0.6698457641010357 0.6687413136745425 0.7995365005793741 0.7852047667002351 0.6572806307416142 0.6216935674091045