

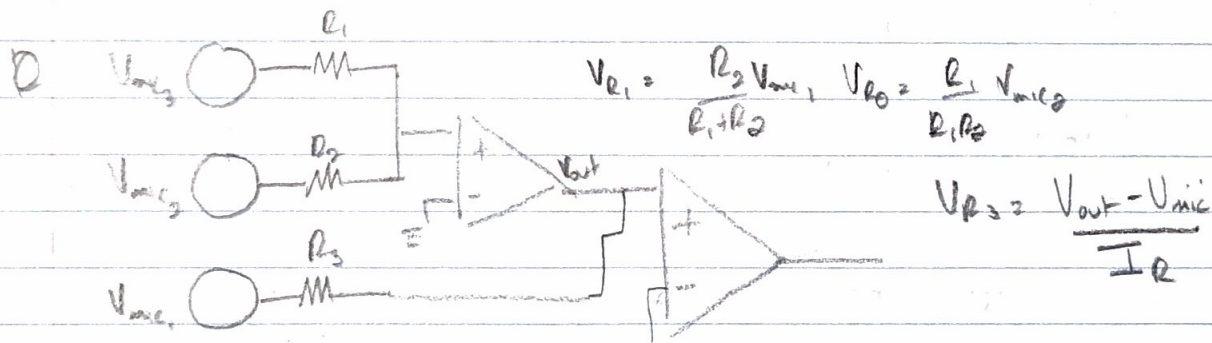
EE 16A Homework HW 10

1
A $\vec{v}_{mic} = A \vec{v}_{mic}$
(2x3) 2x1

A = 2x3 matrix

$$A = \begin{bmatrix} a_{1, \text{left}} & a_{2, \text{left}} & a_{3, \text{left}} \\ a_{1, \text{right}} & a_{2, \text{right}} & a_{3, \text{right}} \end{bmatrix}$$

3 $S_{\text{ear}} = S_{\text{mic}} = \begin{bmatrix} a_{1, \text{left}} & a_{2, \text{left}} & a_{3, \text{left}} \\ a_{1, \text{right}} & a_{2, \text{right}} & a_{3, \text{right}} \end{bmatrix} \begin{bmatrix} q_1 \\ q_2 \\ q_3 \end{bmatrix} = \begin{bmatrix} V_{mic1} \\ V_{mic2} \\ V_{mic3} \end{bmatrix}$



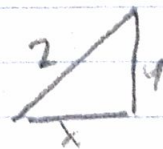
5 $S_{\text{noise}} = \begin{bmatrix} s_{\text{left}} \\ s_{\text{right}} \end{bmatrix}$

$S_{\text{noise}} \cdot S_{\text{mic}} = \begin{bmatrix} 1 & 0 \\ 0 & 1 \end{bmatrix}$

$S_{\text{noise}} = \begin{bmatrix} 1 & 0 \end{bmatrix}$

2 $|\langle \vec{x}, \vec{y} \rangle| = |\vec{x}^T \vec{y}| \leq \|\vec{x}\| \cdot \|\vec{y}\|$
 $\|\vec{x} + \vec{y}\| \leq \|\vec{x}\| + \|\vec{y}\|$

$\|\vec{x} + \vec{y}\|^2$



Details of triangle = $\vec{x} \cdot \vec{y} > z$

$\langle \vec{x} + \vec{y}, \vec{x} + \vec{y} \rangle = \vec{x} \cdot (\vec{x} + \vec{y}) + \vec{y} \cdot (\vec{x} + \vec{y})$
 $= \|\vec{x}\|^2 + 2\vec{x} \cdot \vec{y} + \|\vec{y}\|^2$

3

A $x_1 = [1 \ 1 \ 1 \dots 1]^T$ $x_2 = [1 \ -1 \ 1 \dots -1]^T$

$$(x_1)(x_2) = \boxed{\frac{N}{2}}$$

B $\vec{x} = [-1 \ 1 \ 1 \ -1 \ 1 \ -1 \ 1]$

$$\vec{x} = [x_1 \ x_2 \ x_3 \ x_4 \ x_5 \ x_6 \ x_7 \ x_8]$$

$$\vec{y} = [1 \ 1 \ -1]^T \quad y = [1 \ 1 \ 1]^T$$

$$[x_i \ x_{i+1} \ x_{i+2}]^T \quad \text{Best } I = 2, 5$$

We can use a correlation matrix.

C $\vec{y} = [1 \ 2 \ 3]^T$ $\vec{x} = [1 \ 2 \ 3 \ 4 \ 5 \ 6 \ 7 \ 8]$

$$\vec{x} = \begin{bmatrix} 1 & 2 & 3 \\ 2 & 3 & 4 \\ 3 & 4 & 5 \\ 4 & 5 & 6 \\ 5 & 6 & 7 \\ 6 & 7 & 8 \\ 7 & 8 & 1 \\ 8 & 1 & 2 \end{bmatrix}$$

$$x \cdot y^T = \text{see if eq eq} \vec{y} \cdot \vec{y}$$

← use this correlation matrix

D ipython

E ipython

4

A Yes, this is called as generally the ground phenomenon does not make a significant difference. It is usually a reference point

B Yes, V_4 and V_3 are identical, as they are connected by an ideal wire, so they have the same current, voltage, etc.

C No, V_4 is labeled incorrectly. voltage is from $-$ to $+$ when not possible sign convention

5

$$A \quad V_1 = \frac{V_2}{V_1 + V_2} = \frac{4}{4+4}, \quad \frac{1}{8} \cdot 12V = 6V$$

$$B \quad P_{in} = \frac{4}{4+4} = \frac{1}{2}$$

$$V_{Th} = 12V$$

$$C \quad R_{No} = \frac{2V}{\frac{1}{\frac{1}{4} + \frac{1}{4}} + 2} = \frac{2}{8+2} = \boxed{\frac{1}{5}}$$

$$I_{No} = \frac{12}{\frac{1}{5}} = \boxed{60 \text{ Amps}} \quad V = IR \quad I = \frac{V}{R}$$

6

$$A \quad \rho = R \frac{A}{l} \quad R = \frac{\rho l}{A}$$

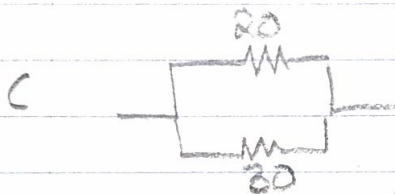
$$\frac{1 \times 10^{-8} \Omega \cdot 75 \times 10^{-9}}{(5 \times 10^{-9})^2}$$

$$\frac{75 \times 10^{-9}}{25 \times 10^{-18}}$$

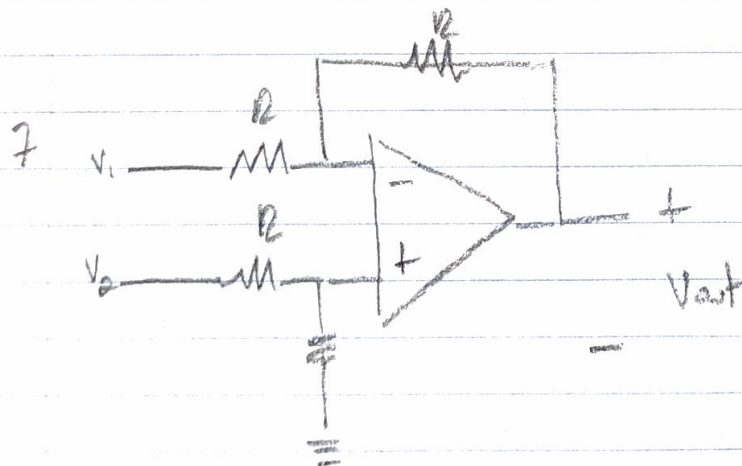
$$3 \times 10^9 \times 10^{-8}$$

30

$$E \quad \frac{2 \times 10^{-8} \Omega \cdot 75 \times 10^{-9}}{(10 \times 10^{-9})^2} = \frac{2 \times 10^{-8} \cdot 75 \times 10^{-9}}{10 \times 10^{-18}} = \frac{150 \times 10^{-17}}{10 \times 10^{-18}} = 150$$



D $R_{eq} = \frac{1}{\frac{1}{20} + \frac{1}{30}} = \frac{1}{\frac{30}{600} + \frac{20}{600}} = \frac{600}{50} = 12$



$$V_+ = V_-$$

Output $\boxed{\frac{1}{2} V_1}$

V_2 does not matter

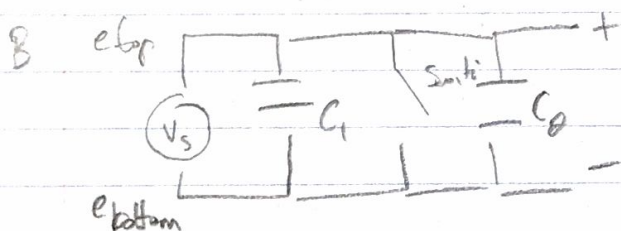
C

A $V_{\text{across}} = \frac{R_{\text{load}}}{R_{\text{load}} + R_{\text{th}}} V_s$ Incorrect

B $V_{\text{across}} = \frac{R_{\text{th1}} + R_{\text{th2}}}{R_{\text{th1}} + R_{\text{th2}} + R_{\text{load}}} V_s$

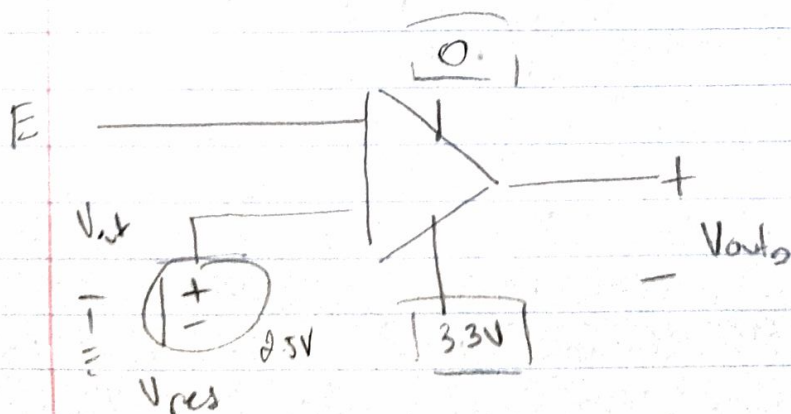
9

A $C_{\text{notouch}} = \frac{\epsilon A}{d} = \boxed{\frac{\epsilon_1 A}{d}}$



C $C_{\text{force}} = \boxed{\frac{\epsilon_1 A}{d'}}$

D $V_{\text{out}} = \frac{C_{\text{screen}}}{C_{\text{screen}} + C_{\text{ref}}} V_s$



10

A

$$I_{RL} = \frac{V_s}{R_{eq}}$$

$$V_- = V_+ \quad T=0$$

$$R_{eq} = \frac{R_L}{R_s + R_L}$$

$$V_- = V_s \cdot \frac{R_L}{R_s + R_L}$$

10C

yes negative feedback
 given $\rightarrow +$
 output $\rightarrow V_-$

B

$$I_{eq} = \frac{V_s}{R_s}$$

$$V_{out} = \frac{R_{eq}}{500 + R_{eq}} \cdot V_s$$

C

$$I_{RL} = \frac{V_s}{R_s}$$

10D

$$\frac{-R_{eq}}{500 + R_{eq}} = \frac{-1000}{500} = 2$$

D

$$V_- = \frac{V_s R_L}{R_L + R_s}$$

Inconcl

$$b = V_{out} =$$

$$\left(\frac{-V_s R_L}{R_L + R_s} \right)$$

(1)

How to check if vectors are
 orthogonal:

$$\vec{U} \cdot \vec{V} = 0$$

(2)

Worked above

10

A

$$R_{speed} = 1000$$

B

$$V_{out} =$$

$$\frac{500}{500 + R_{eq}}$$

$$=$$

$$\frac{500}{-500} =$$

$$\left(\frac{-V_s}{R_s} \right)$$

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Question 3: Audio File Matching

This notebook continues the audio file matching problem. Be sure to have `song.wav` and `clip.wav` in the same directory as the notebook.

In this notebook, we will look at the problem of searching for a small audio clip inside a song.

The song "Mandelbrot Set" by Jonathan Coulton is licensed under [CC BY-NC 3.0](http://creativecommons.org/licenses/by-nc/3.0/) (<http://creativecommons.org/licenses/by-nc/3.0/>).

If you have trouble playing the audio file in IPython, try opening it in a different browser. There were problems with Safari, but Chrome works fine.

```
In [9]: import numpy as np
import wave
import matplotlib.pyplot as plt
import scipy.io.wavfile
import operator
from IPython.display import Audio
%matplotlib inline

given_file = 'song.wav'
target_file = 'clip.wav'
rate_given, given_signal = scipy.io.wavfile.read(given_file)
rate_target, target_signal = scipy.io.wavfile.read(target_file)
given_signal = given_signal[:2000000].astype(float)
target_signal = target_signal.astype(float)
def play_clip(start, end, signal=given_signal):
    scipy.io.wavfile.write('temp.wav', rate_given, signal[start:end].astype(np.i
    return Audio(url='temp.wav', autoplay=True)

def run_comparison(target_signal, given_signal, idxs=None):
    # Run everything if not called with idxs set to something
    if idxs is None:
        idxs = [i for i in range(len(given_signal)-len(target_signal))]
    return idxs, [vector_compare(target_signal, given_signal[i:i+len(target_sigr
        for i in idxs]

play_clip(0, len(given_signal))

# scipy.io.wavfile.write(target_file, rate_given, (-0.125*given_signal[1380000:1
```

Out[9]: 

We will load the song onto the variable `given_signal` and load the short clip onto the variable `target_signal`. Your job is to finish the code that will identify the short clip's location in the song.

The clip we are trying to find will play after executing the following block.

In [10]: `Audio(url=target_file, autoplay=True)`

Out[10]: 

Your task is to define the function `vector_compare` and run the following code. Because the song has a lot of data, you should use the provided examples from the previous parts of the problem before running the later code. Do your results here make sense given your answers to previous parts of the problem?

Part (a)

In [20]:

```
def vector_compare(desired_vec, test_vec):
    """This function compares two vectors, returning a number.
    The test vector with the highest return value is regarded as being closest to
    # Hint: Use transpose for the first argument of np.dot
    # YOUR CODE HERE
    return np.dot(np.transpose(desired_vec), test_vec)

print(vector_compare(np.array([1,1,1]), np.array([1,1,1])))
print(vector_compare(np.array([1,1,1]), np.array([-1,-1,-1])))
```

3
-3

Part (c)

In [21]:

```
print(vector_compare(np.array([1,2,3]), np.array([1,2,3])))
print(vector_compare(np.array([1,2,3]), np.array([2,3,4])))
print(vector_compare(np.array([1,2,3]), np.array([3,4,5])))
print(vector_compare(np.array([1,2,3]), np.array([4,5,6])))
print(vector_compare(np.array([1,2,3]), np.array([5,6,7])))
print(vector_compare(np.array([1,2,3]), np.array([6,7,8])))
```

14
20
26
32
38
44

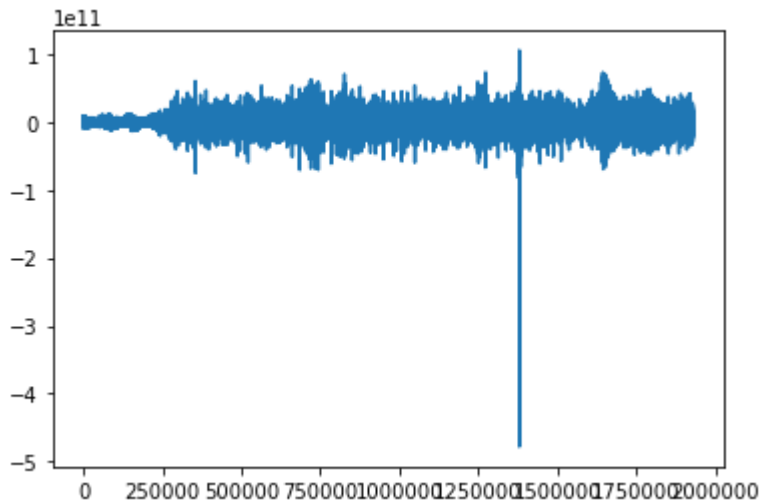
Part (d)

Run the following code that runs `vector_compare` on every subsequence in the song - it will probably take at least 5 minutes. How do you interpret this plot to find where the clip is in the song?


```
In [22]: import time

t0 = time.time()
idxs, song_compare = run_comparison(target_signal, given_signal)
t1 = time.time()
plt.plot(idxs, song_compare)
print ("That took %(time).2f minutes to run" % {'time':(t1-t0)/60.0} )
```

That took 0.79 minutes to run



Part (e)

In the space below, write code that uses `song_compare` to print the index of `given_signal` where `target_signal` begins. Then, verify that your answer is correct by playing the song at that index using the `play_clip` function.

```
In [24]: np.argmax(song_compare)
```

Out[24]: 1380284

```
In [ ]:
```