

EE 164 HW 11

(1) Mechanical Correlation

A IPython  $\rightarrow$  40B IPython  $[-6, 6, 10, 22, 18, 6, -6, 10, -22, 18]^T$ 

(2) GPS Receivers

See IPython

(3) Finding Signals in Noise

A The largest inner products are MUCH smaller than the correlation inner product with itself.

B Yes, this moves the spike over

C Same, close to zero, but not zero

D Yes, we can clearly see the shift of the spike

E As the noise gets higher, it becomes more difficult to differentiate spikes from noise

F We can only find 1 delay. We need an extra reference point (similar concept error triangulation)

G Not possible to find  $s_2$  accurately with such high noise.

H This strategy accurately cancels out the noise.

I This tells us  $\alpha_0$  is negative that it does not factor together with the correlation.

J Estimates are fairly close, if the noise is irregular so much with the noise, there shall cancel time.

(4) Mechanical Least Squares

$$A \quad \langle a, b \rangle - \langle a, a \rangle \frac{\langle b, a \rangle}{\langle a, a \rangle}$$

$$3 + 12 + 2 = 20$$

$$4136 + 44 + 64 = 6 + 24 + 40 + 64$$

$$\frac{20}{43144 + 64} = \frac{20}{50150 + 30}$$

$$\frac{20}{150} = 0.133$$

$$8 \quad \frac{\langle b b \rangle - \langle b a \rangle}{\langle b b \rangle} = \frac{3^2 + 6^2 + 7^2 + 8^2 - 6 \cdot 24 - 42 \cdot 64}{158}$$

$$\frac{22}{158}$$

( The error vector is orthogonal (perp. orthogonal) to the column of A as it is equal to  $B - A\hat{x}$  with  $\hat{x}$  chosen so that the error product of 2 vectors is 0, they are orthogonal.

Thus, the error vector is perp. to the column of A  $\Rightarrow$  orthogonal.

7. While I python  
 $\rightarrow$  auto complete  
 $\rightarrow$  correlation

5. Three Axes  
 A  $a(x^2 + y^2 + dz + ey = 1$

6. World alone

B  $ax^2 + by^2 + cz^2 + dx + ey = 1$

C See I python  
 D