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SUBJECT	DAA			
EXPERIMENT NO:	03			
AIM:	To find shortest path from single source using Dijkstras Algorithm.			
PROBLEM STATEMENT 1:				
THEORY	First, we will discuss naïve method and its complexity. Here, we are calculating $\mathbf{Z} = \mathbf{X} \times \mathbf{Y}$ . Using Naïve method, two matrices ( $\mathbf{X}$ and $\mathbf{Y}$ ) can be multiplied if the order of these matrices are $\mathbf{p} \times \mathbf{q}$ and $\mathbf{q} \times \mathbf{r}$ . Following is the algorithm.  Algorithm: Matrix-Multiplication ( $\mathbf{X}, \mathbf{Y}, \mathbf{Z}$ ) for $\mathbf{i} = 1$ to $\mathbf{p}$ do for $\mathbf{j} = 1$ to $\mathbf{r}$ do $\mathbf{Z}[\mathbf{i},\mathbf{j}] := 0$ for $\mathbf{k} = 1$ to $\mathbf{q}$ do $\mathbf{Z}[\mathbf{i},\mathbf{j}] := \mathbf{Z}[\mathbf{i},\mathbf{j}] + \mathbf{X}[\mathbf{i},\mathbf{k}] \times \mathbf{Y}[\mathbf{k},\mathbf{j}]$ In this context, using Strassen's Matrix multiplication algorithm, the time consumption can be improved a little bit.  Strassen's Matrix multiplication can be performed only on square matrices where $\mathbf{n}$ is a power of $2$ . Order of both of the matrices are $\mathbf{n} \times \mathbf{n}$ .  Divide $\mathbf{X}, \mathbf{Y}$ and $\mathbf{Z}$ into four $(\mathbf{n}/2) \times (\mathbf{n}/2)$ matrices as represented below –			

## Algorithm: Matrix-Multiplication (X, Y, Z) **ALGORITHM** for i = 1 to p do for j = 1 to r do Z[i,j] := 0for k = 1 to q do $Z[i,j] := Z[i,j] + X[i,k] \times Y[k,j]$ #include<stdio.h> **PROGRAM:** #include<stdlib.h> int main() int a[2][2],b[2][2],i,j,c[2][2]; int p[7]; int s[10]; printf("Enter elements of 1st matrix\n"); for(i=0;i<2;i++) for(j=0;j<2;j++) scanf("%d",&a[i][j]); printf("Enter elements of 2nd matrix\n"); for(i=0;i<2;i++) for(j=0;j<2;j++) scanf("%d",&b[i][j]); s[0]=b[0][1]-b[1][1]; s[1]=a[0][0]+a[0][1]; s[2]=a[1][0]+a[1][1]; s[3]=b[1][0]-b[0][0]; s[4]=a[0][0]+a[1][1]; s[5]=b[0][0]+b[1][1]; s[6]=a[0][1]-a[1][1]; s[7]=b[1][0]+b[1][1]; s[8]=a[0][0]-a[1][0]; s[9]=b[0][0]+b[0][1]; p[0]=s[0]\*a[0][0]; p[1]=s[1]\*b[1][1]; p[2]=s[2]\*b[0][0]; p[3]=s[3]\*a[1][1]; p[4]=s[4]\*s[5]; p[5]=s[6]\*s[7];

p[6]=s[8]\*s[9];

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c[0][0]=p[4]+p[3]-p[1]+p[5];
    c[0][1]=p[0]+p[1];
    c[1][0]=p[2]+p[3];
    c[1][1]=p[0]+p[4]-p[2]-p[6];
    printf("Matrix A :-\n");
    for(i=0;i<2;i++)
        for(j=0;j<2;j++)
           printf("%d ",a[i][j]);
       printf("\n");
    printf("Matrix B :-\n");
    for(i=0;i<2;i++)
        for(j=0;j<2;j++)
           printf("%d ",b[i][j]);
        printf("\n");
    printf("Multiplication of matrix A and B using Strassens Matrix
Multiplication :-\n");
    for(i=0;i<2;i++)
        for(j=0;j<2;j++)
            printf("%d ",c[i][j]);
       printf("\n");
   return 0;
```

**RESULT (SNAPSHOT)** 

```
Enter elements of 1st matrix

1

2

3

4

Enter elements of 2nd matrix

5

6

7

8

Matrix A :-

1 2

3 4

Matrix B :-

5 6

7 8

Multiplication of matrix A and B using Strassens Matrix Multiplication :-

19 22

43 50
```

**CONCLUSION:** 

Through this experiment I understood how to implement strassens matrix multiplication