

本科生《计算机视觉》 基于深度学习的视觉理解与生成

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计算机视觉任务

- 数据集
- 判别任务
 - 分类
 - 目标检测
 - 分割

Classification



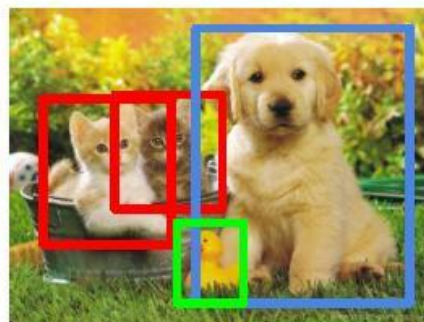
CAT

**Classification
+ Localization**



CAT

Object Detection



CAT, DOG, DUCK

Segmentation



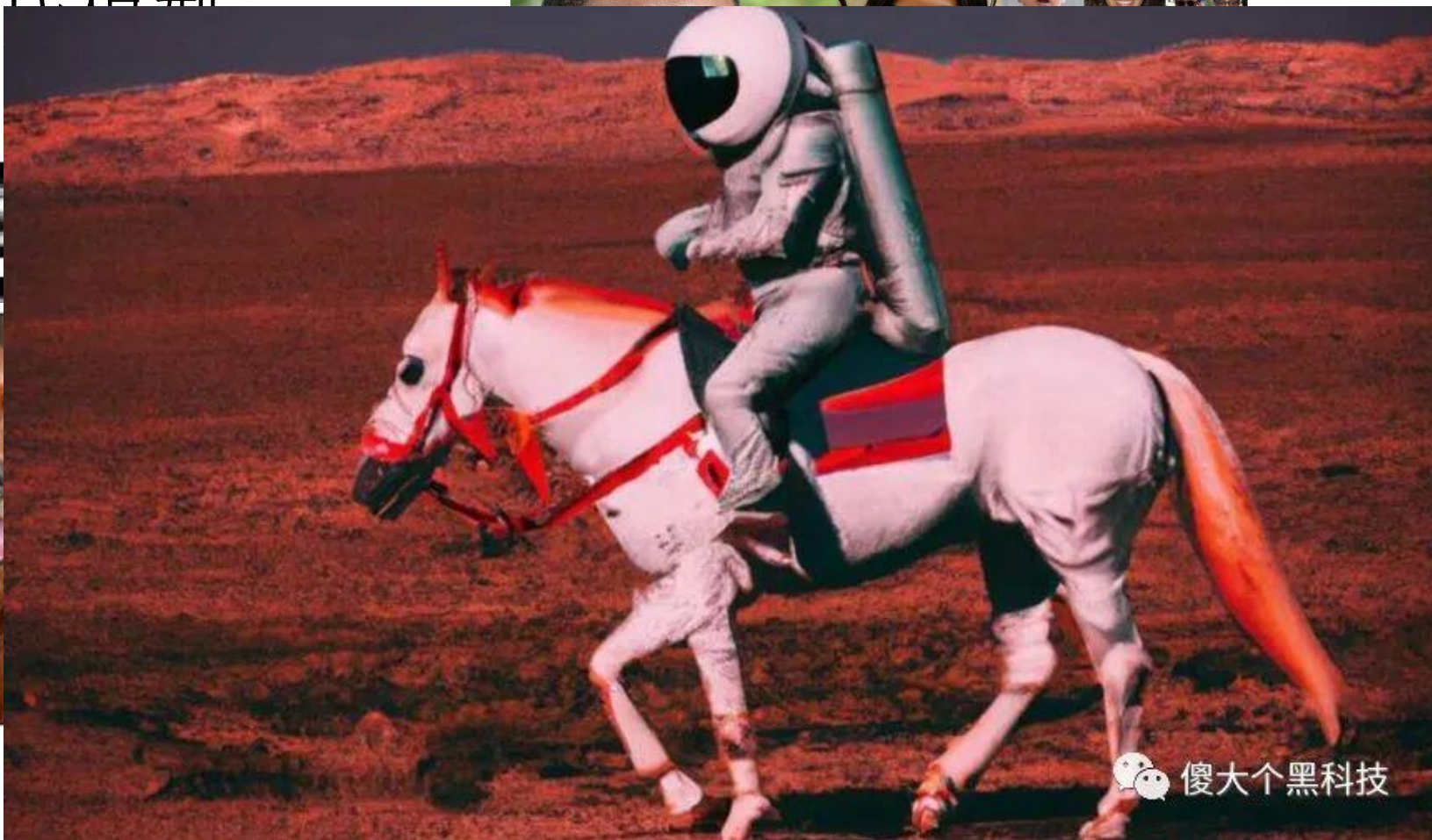
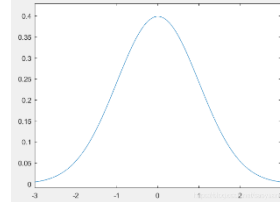
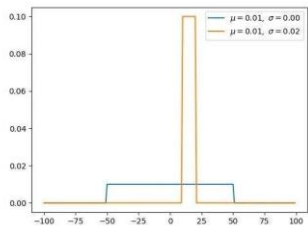
CAT, DOG, DUCK

Single object

Multiple objects

计算机视觉任务

- 生成模型

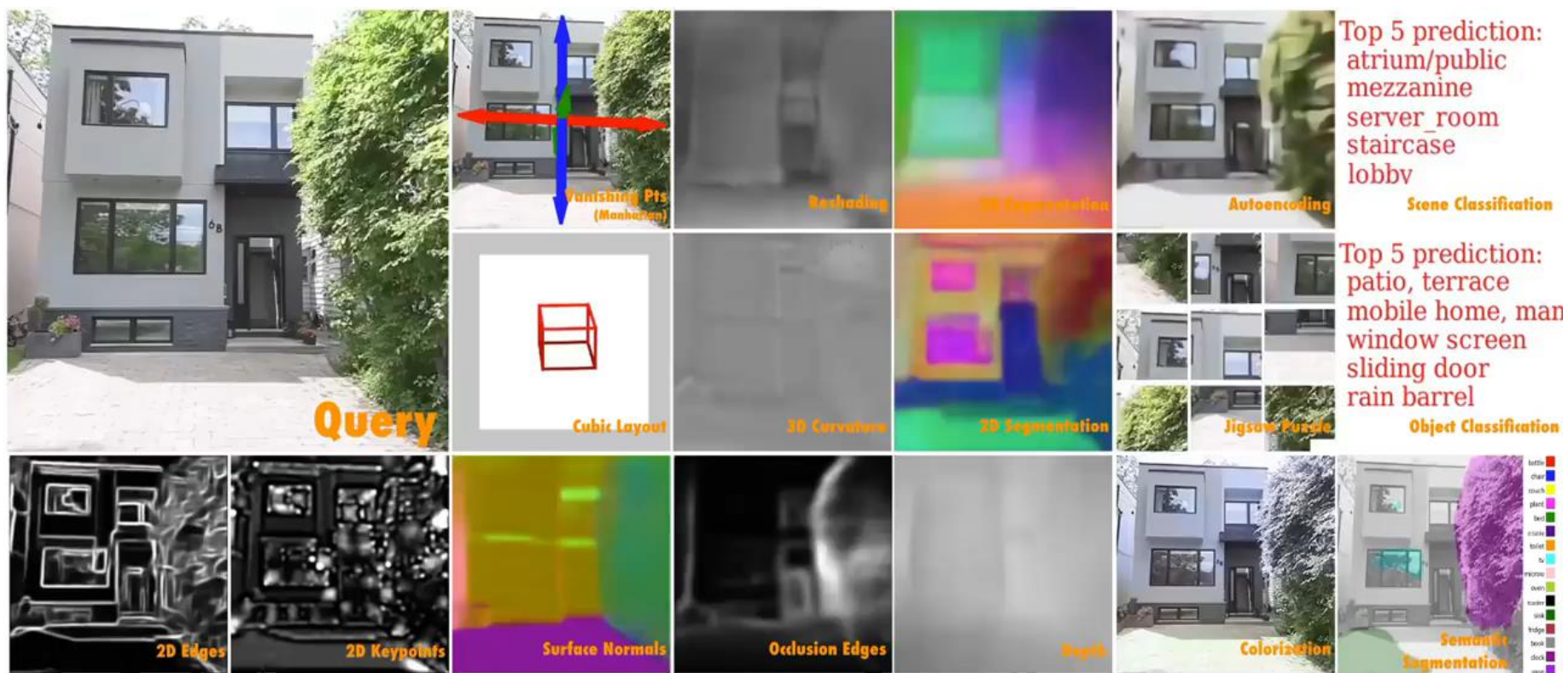


傻大个黑科技



计算机视觉任务

- 多任务学习（大模型-统一模型）



计算机视觉-任务



图像分类
(Image
Classification)

Dog

计算机视觉-任务



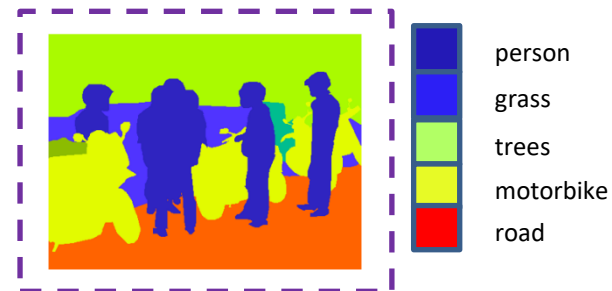
图像摘要生成
(Image Caption)

*A large clock in a
large room with a
glass ceiling*

计算机视觉-任务



图像分割
(Image Segmentation)

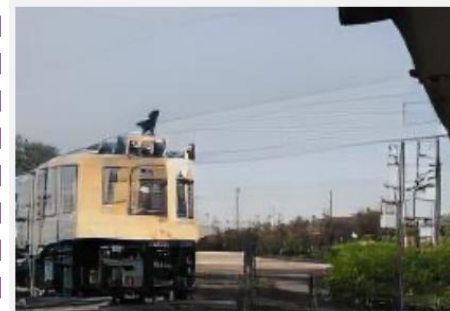


计算机视觉-任务



the train is on the tracks in the station

图像生成
(Image Synthesis)



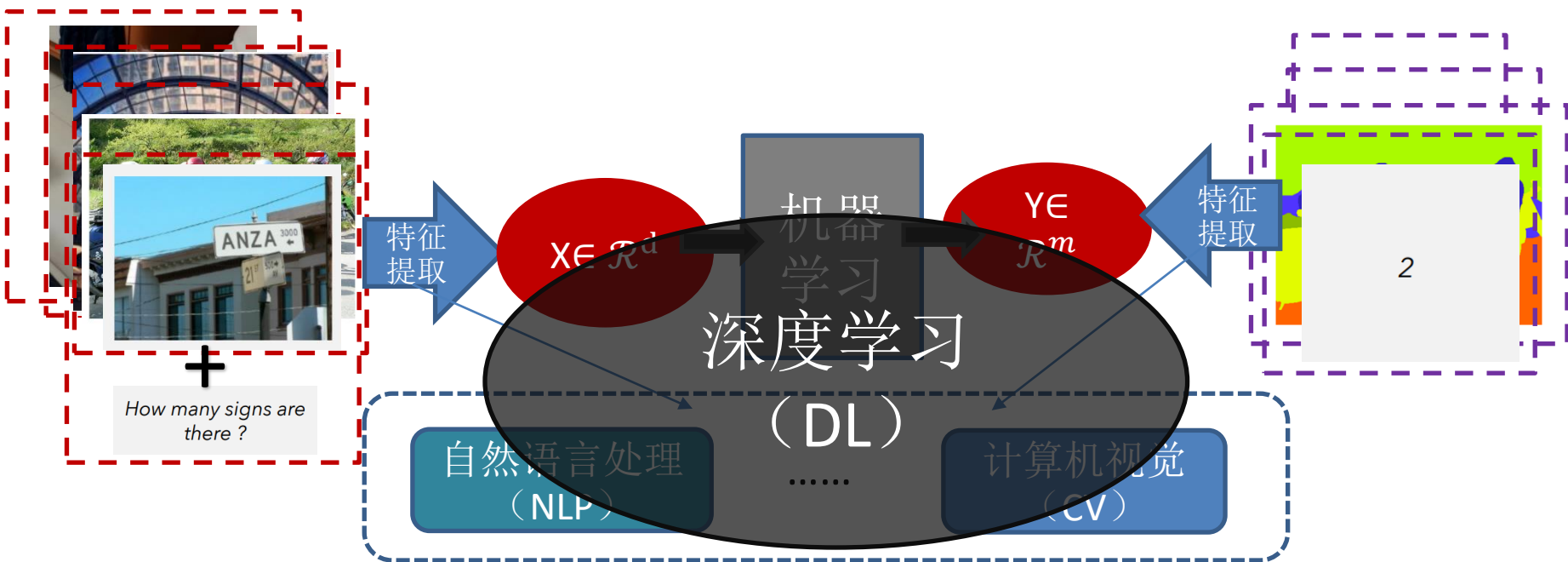
计算机视觉-任务



视觉问答
(Visual Question Answer,
VQA)



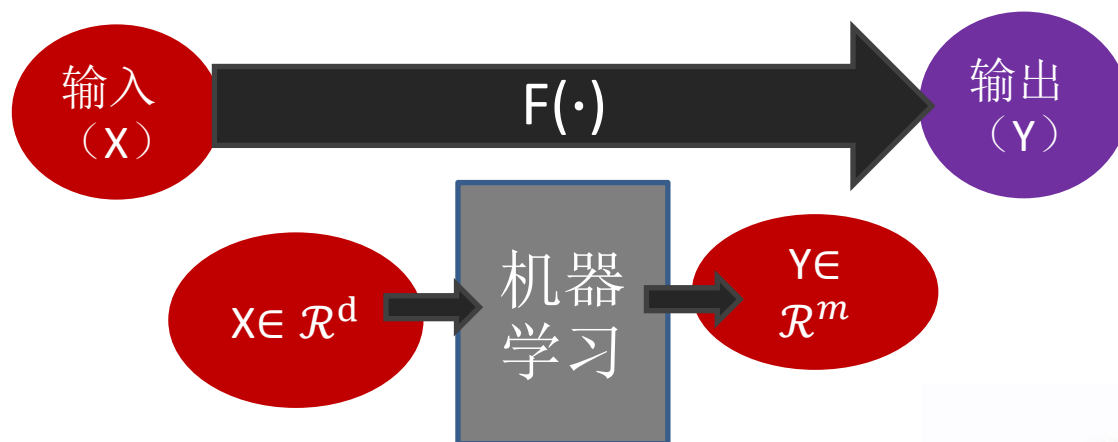
深度学习：端到端统一



主要内容

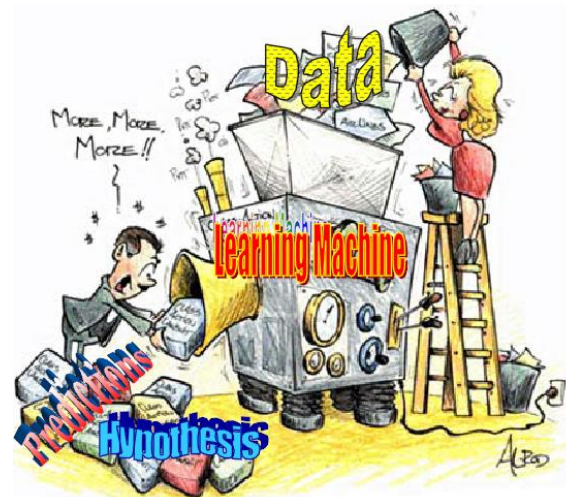
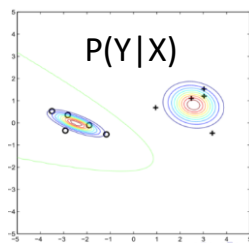
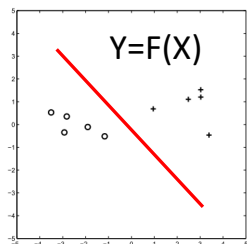
- 深度学习基础
 - 神经网络及反向传播算法
 - 卷积神经网络中的视觉表示思想
- 视觉理解任务
 - 目标检测
 - R-CNN系列； DERT系列； Pix2Seq系列
 - 分割
 - 语义分割，实例分割，全景分割， Prompt-based分割
- 视觉生成
 - 深度生成模型
 - VAE, AR, GAN, Diffusion
 - 图像翻译
- 深度神经网络训练技巧

数据驱动的学习



- 目标

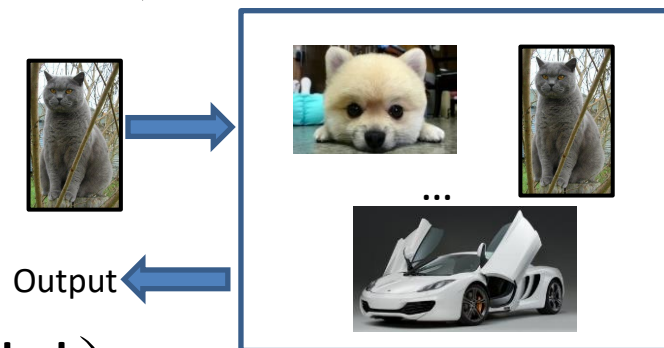
- 拟合: 记住训练数据
- 泛化: 推广未见数据



Non-parametric vs parametric model

- 非参模型 (Non-parametric model)

- $Y = F(X; x_1, x_2 \dots x_n)$

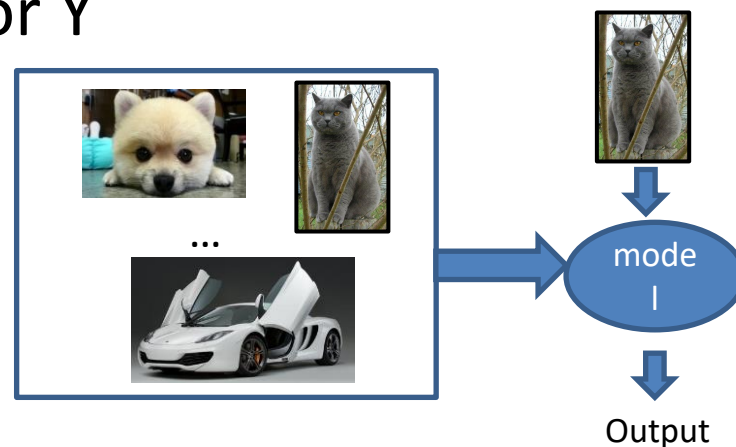


- 参数化模型 (Parametric model)

- $Y = F(X; \theta)$

- Training for θ ; Inference for Y

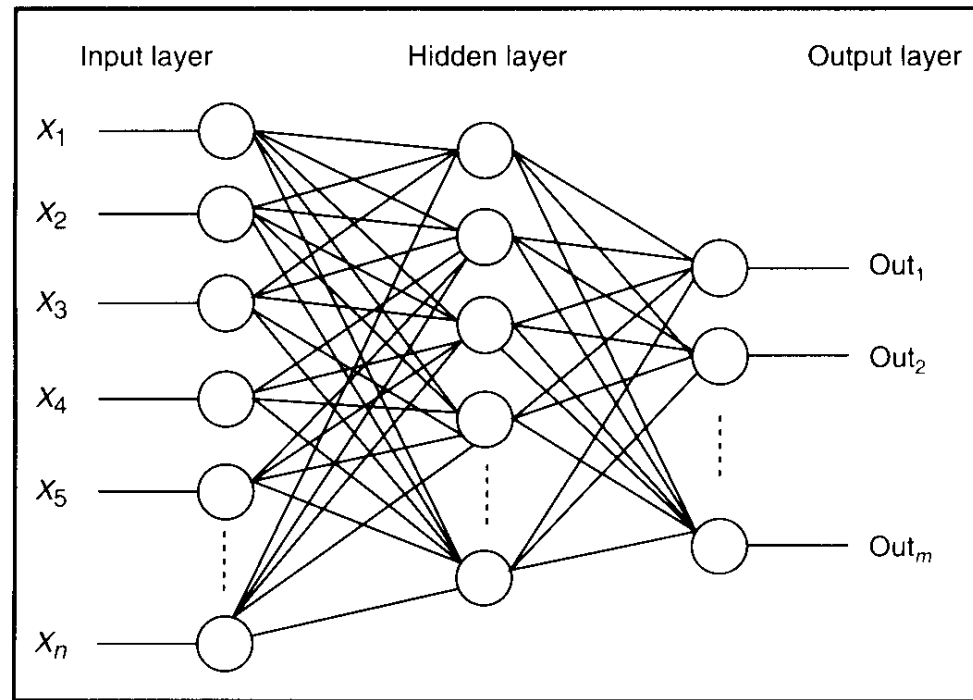
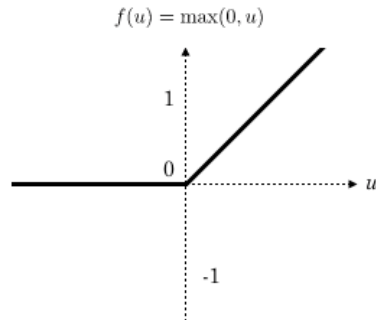
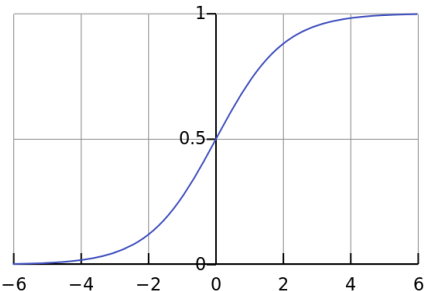
- 记忆 v.s. 泛化



Neural network

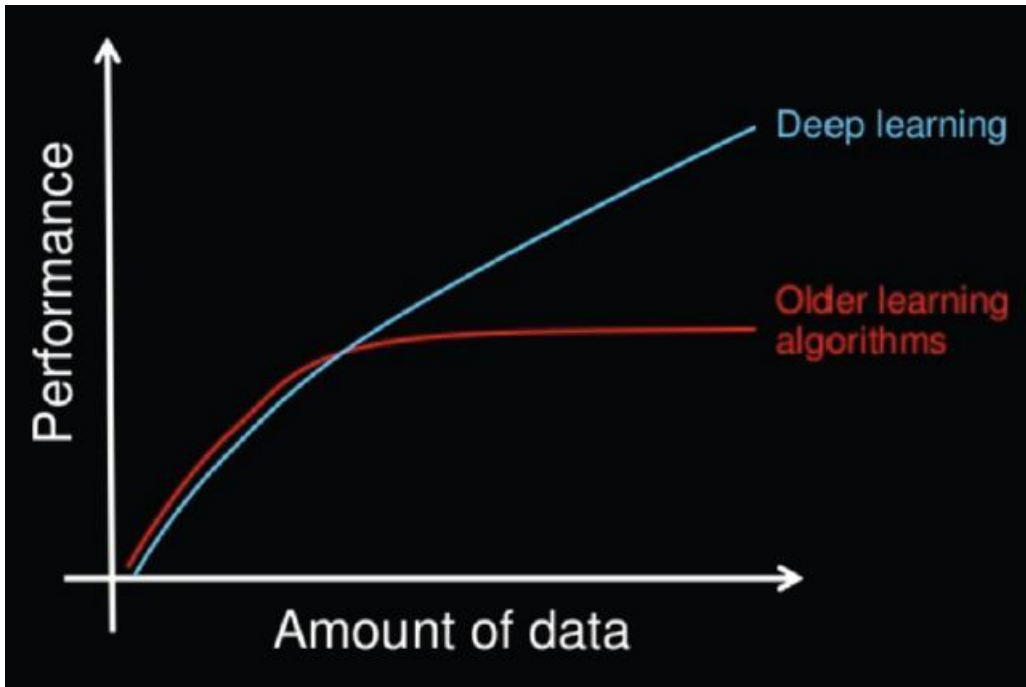
- Neural network
 - $Y = F(X) = f_T(f_{T-1}(\dots f_1(X)))$
 - $f_i(x) = g(Wx + b)$

- Nonlinear activation
 - sigmoid
 - Relu



Deep neural network

- Why deep?
 - Powerful representation capacity(函数表达能力)



Key properties of Deep learning

- End to End learning （端到端学习）
 - no distinction between feature extractor and classifier

Traditional Pattern Recognition: Fixed/Handcrafted Feature Extractor



Mainstream Modern Pattern Recognition: Unsupervised mid-level features



Deep Learning: Representations are hierarchical and trained



- “Deep” architectures:
 - cascade of simpler non-linear modules

outline

- Linear classifier (简单线性分类器)
 - One neuron (一个神经元)
 - Multiple neurons (多个神经元)
- Multi-layer perceptron (多层感知机)
 - Model representation (模型表示)
 - Loss function: the goal for learning
 - Training
 - Gradient based optimization
 - Back-propagation

One example(一个贯穿全文的例子)

- Classification tasks
 - Binary classification(二分类): is cat?
 - Multiple classification (多分类) : is cat, dog, others?
- Assumption
 - The feature vectors of the images are provided, 3-dimensinal vectors



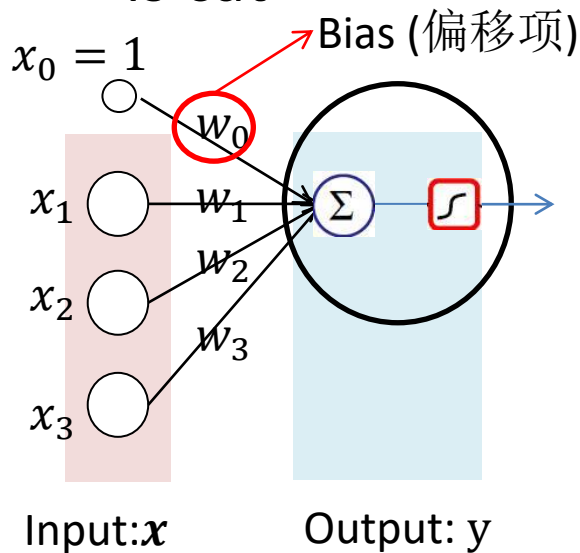
$$(x_1, x_2, x_3)^T$$

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Linear Classifier (线性分类器)

- One neuron
 - Binary classification (二分类问题)
is cat?



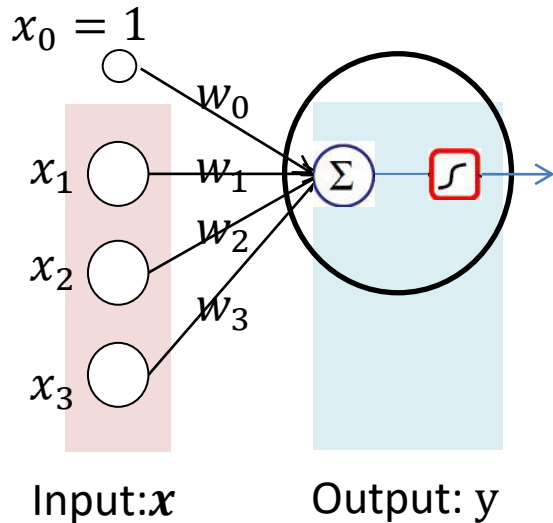
$$a = \sum_{i=0}^3 w_i x_i = \mathbf{w} \cdot \mathbf{x}$$
$$y = \sigma(a) = \frac{1}{1 + e^{-a}}$$



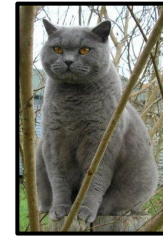
$$(x_1, x_2, x_3)^T$$

Linear Classifier

- One example



Model: $\mathbf{w} = (w_0, w_1, w_2, w_3)^T$
 $= (2, 0, 0, 4)^T$



$$(x_1, x_2, x_3)^T = (2, 2, 3)^T$$

$$a = 2 \cdot 1 + 0 \cdot 2 + 0 \cdot 2 + 4 \cdot 3 = 14$$

$$y = \varphi(a) = \frac{1}{1 + e^{-14}} > 0.5$$



$$(x_1, x_2, x_3)^T = (1, 2, -3)^T$$

$$a = 2 \cdot 1 + 0 \cdot 1 + 0 \cdot 2 + 4 \cdot (-3) = -10$$

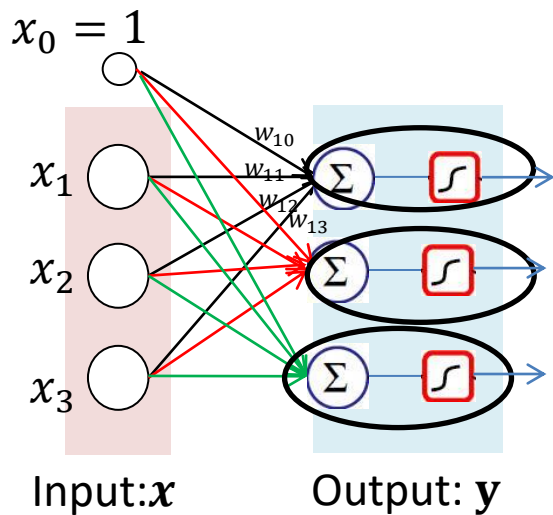
$$y = \varphi(a) = \frac{1}{1 + e^{10}} < 0.5$$

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Linear Classifier (线性分类器)

- Multiple neurons
 - Multiple classification: is cat? dog? others?



w_{ij} : 第 i 个输出神经元, 连接第 j 个输入单元



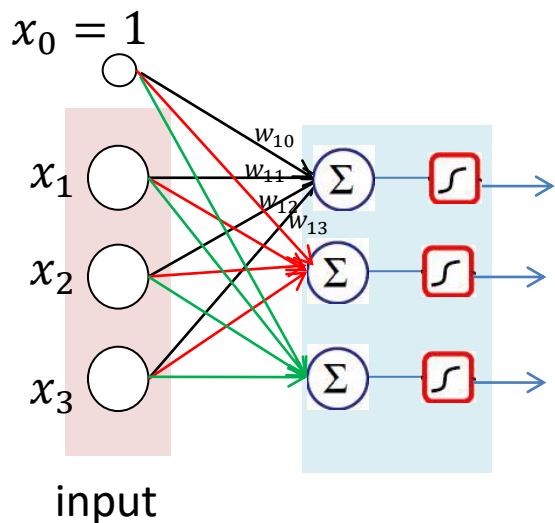
(x_1, x_2, x_3)

$$a_i = \sum_{j=0}^3 w_{ij} x_j = \mathbf{w}_i \cdot \mathbf{x}, \quad i = (1, 2, 3)$$
$$y_i = \sigma(a_i) = \frac{1}{1 + e^{-a_i}}$$

$$\mathbf{a} = \mathbf{W} \cdot \mathbf{x}$$
$$\mathbf{y} = \sigma(\mathbf{a})$$

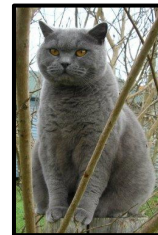
Linear Classifier (线性分类器)

- One example



Model: $W =$

2	0	0	4
0	0	-2	-3
1	-1	0	0



$$(x_1, x_2, x_3)^T = (2, 2, 3)^T$$

$$\mathbf{a} = \begin{bmatrix} 2 & 0 & 0 & 4 \\ 0 & 0 & -2 & -3 \\ 1 & -1 & 0 & 0 \end{bmatrix} * (1, 2, 2, 3)^T$$

$$= (14, -13, -1)$$

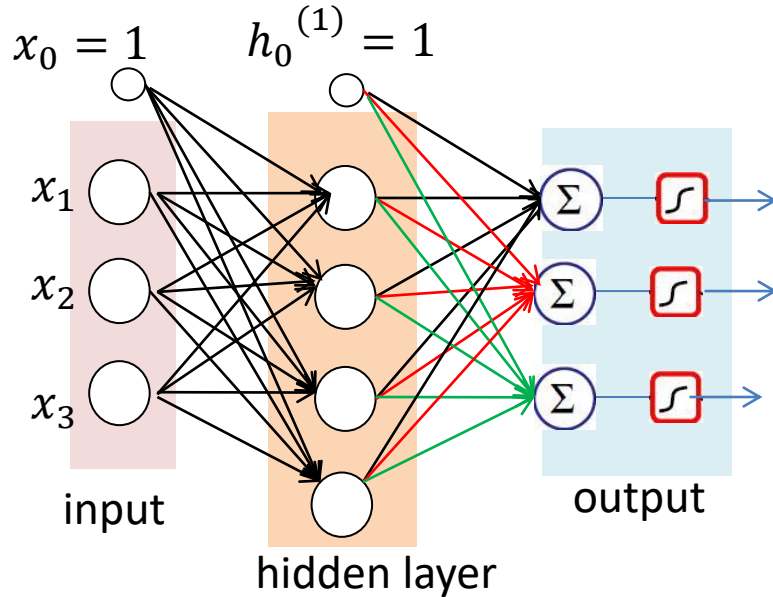
$$\mathbf{y} = \left(\frac{1}{1+e^{-14}}, \frac{1}{1+e^{13}}, \frac{1}{1+e^1} \right)^T$$

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Multi-layer perceptron (多层感知机)

- Multi-layer perceptron or feed-forward neural network



x_i : 第 i 个输入节点

$h_i^{(k)}$: 第 k 层隐藏层的第 i 个节点

$w_{ij}^{(k)}$: 第 k 层隐藏层, 第 i 个输出神经元,
连接第 j 个输入神经元

y_i : 第 i 个输出节点

Pre-activation
activation

$$\begin{aligned} \rightarrow a^{(1)} &= W^{(1)} \cdot x \\ \rightarrow h^{(1)} &= \sigma(a^{(1)}) \end{aligned}$$

$$\begin{aligned} a^{(2)} &= W^{(2)} \cdot h^{(1)} \\ y &= \sigma(a^{(2)}) \end{aligned}$$



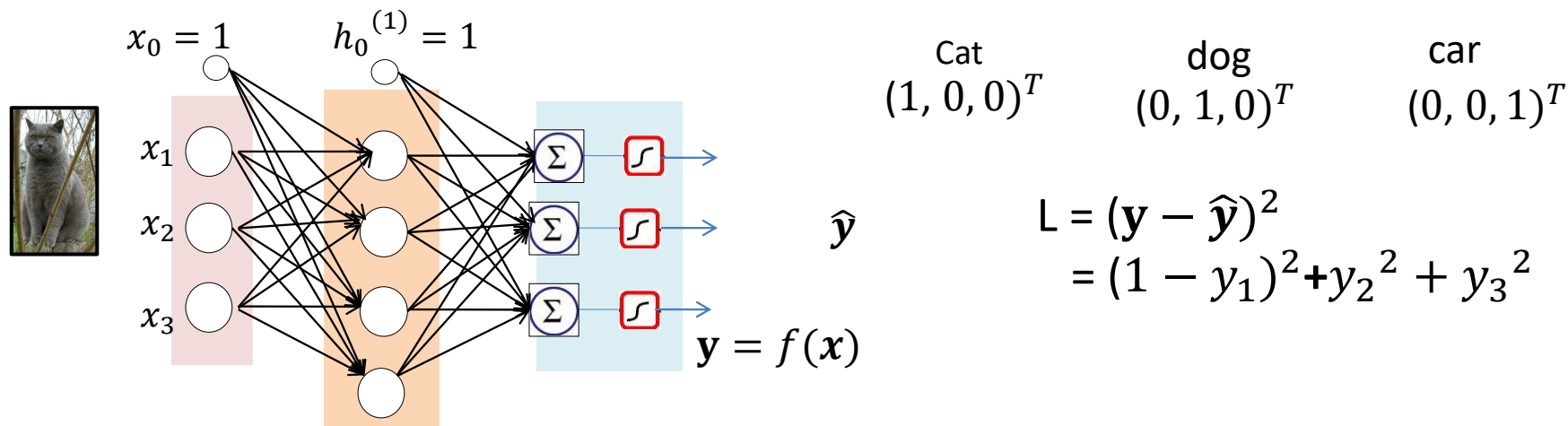
$$\begin{aligned} a^{(i)} &= W^{(i)} \cdot h^{(i-1)} \\ h^{(i)} &= \sigma(a^{(i)}) \\ (h^{(0)} &= x, h^{(L)} = y) \end{aligned}$$

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Target of learning: Loss function

- 损失函数 (Loss function)



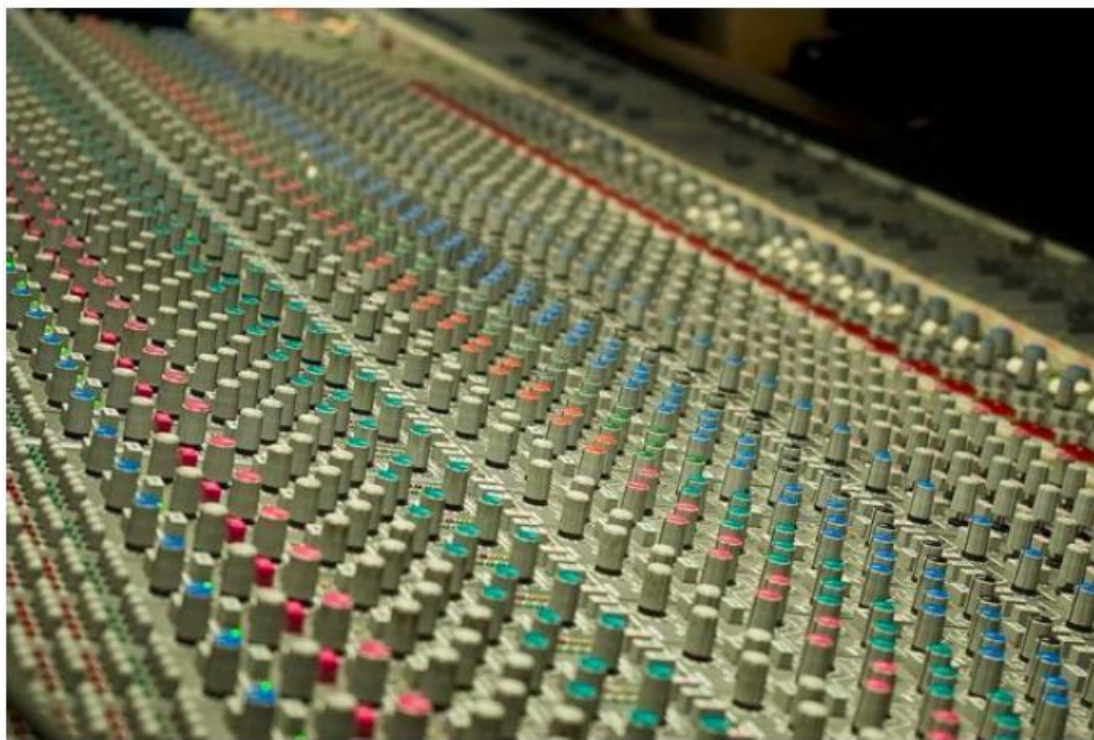
均方误差 (Mean Squared Error) : $L = (\mathbf{y} - \hat{\mathbf{y}})^2$, 其中 $\mathbf{y} = f(\mathbf{x})$

- 优化目标函数: $\min L = (\mathbf{y} - \hat{\mathbf{y}})^2$

目标函数

- 求解目标函数

$$\min_{\mathbf{W}} E_{(X, \hat{Y}) \sim D} L(F(X; \mathbf{W}), \hat{Y})$$

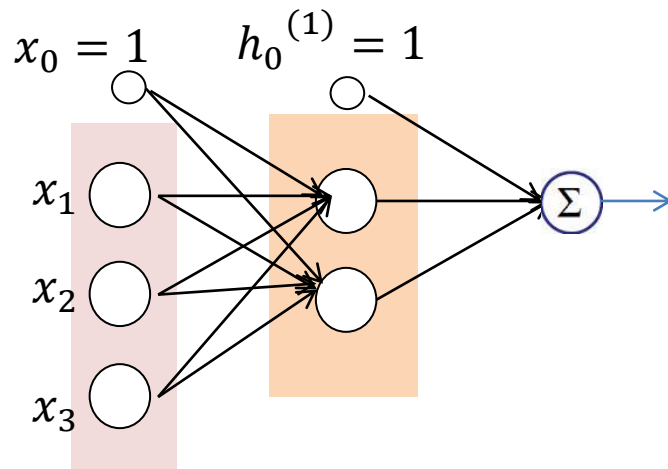


目标函数

- 求解目标函数

$$\min_{\mathbf{W}} E_{(X, \hat{Y}) \sim D} L(F(X; \mathbf{W}), \hat{Y})$$

- 方案一：令 $\frac{\partial L}{\partial \mathbf{W}} = 0$ ，求解方程组



$$L = \left(\frac{w_{21}^{(2)}}{1 + e^{-(x_1 w_{11}^{(1)} + x_2 w_{12}^{(1)} + x_3 w_{13}^{(1)} + w_{10}^{(1)})}} + \frac{w_{22}^{(2)}}{1 + e^{-(x_1 w_{11}^{(1)} + x_2 w_{12}^{(1)} + x_3 w_{13}^{(1)} + w_{10}^{(1)})}} + w_{20}^{(2)} - \hat{y} \right)^2$$

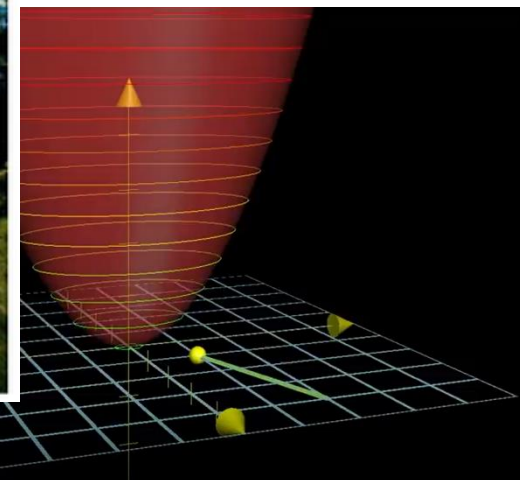
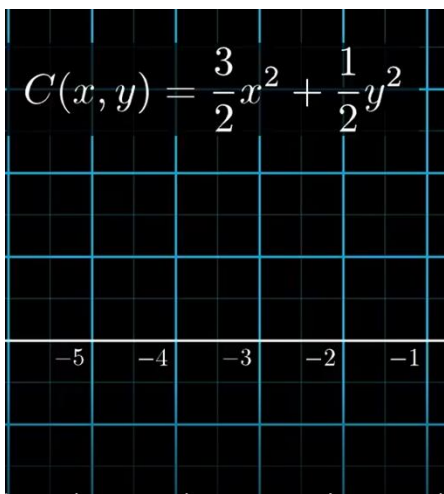
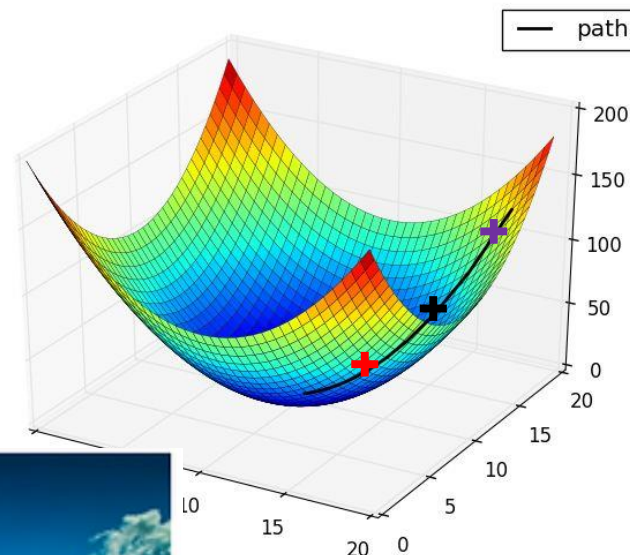
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基于迭代的训练方式

$$\min_{\mathbf{W}} E_{(X, \hat{Y}) \sim D} L(F(X; \mathbf{W}), \hat{Y})$$

- 局部下降搜索
 - 基于目前的参数 \mathbf{W}^t ，给其多个扰动 $\Delta \mathbf{W}$ ，确保存在某个 $\Delta \mathbf{W}$ ，使得 $L(\mathbf{W}^t + \Delta \mathbf{W}) < L(\mathbf{W}^t)$ ，
 - 更新 $\mathbf{W}^{t+1} = \mathbf{W}^t + \Delta \mathbf{W}$
- 更高效的下陷搜索
 - 基于梯度的下降



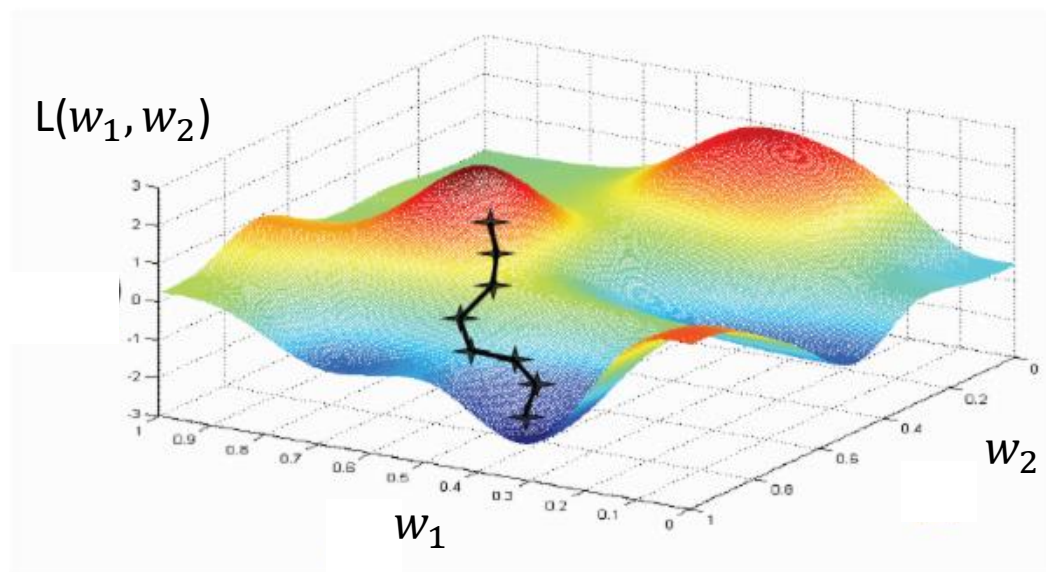
梯度下降算法

- 0. 初始化权重 $\mathbf{W}^{(0)}$
- 1. 前向过程:
 - 1.1 根据输入, 计算输出值 \mathbf{y}
 - 1.2. 计算损失函数值 $L(\mathbf{y}, \hat{\mathbf{y}})$.

➤ 2. 计算梯度 $\frac{dL}{d\mathbf{W}}$

- 3. 更新梯度

$$\mathbf{W}^{(t+1)} = \mathbf{W}^{(t)} - \eta \frac{dL}{d\mathbf{W}^{(t)}}$$



$$\text{gradient: } \left(\frac{dL(w_1, w_2)}{dw_1}, \frac{dL(w_1, w_2)}{dw_2} \right)$$

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计算梯度：反向传播

- 求导基础知识回顾

➤ 实值函数对一维实值变量的导数：

$$\frac{df(x)}{dx} = \lim_{h \rightarrow 0} \frac{f(x+h) - f(x)}{h}$$

➤ 实值函数对多维向量变量的梯度为向量（偏导数）：

$$\frac{\partial f(\boldsymbol{\theta})}{\partial \boldsymbol{\theta}} = \left(\frac{\partial f(\theta_0, \theta_1)}{\partial \theta_0}, \frac{\partial f(\theta_0, \theta_1)}{\partial \theta_1} \right), \quad \boldsymbol{\theta} = (\theta_0, \theta_1)$$

计算梯度：反向传播

- 神经网络中的基本操作

加法: $f(x,y)=x+y$ $\frac{\partial f}{\partial x}=1$ $\frac{\partial f}{\partial y}=1$

乘法: $f(x,y)=xy$ $\frac{\partial f}{\partial x}=y$ $\frac{\partial f}{\partial y}=x$

非线性变换: $\sigma(x) = \frac{1}{1+e^{-x}}$

$$\frac{d\sigma(x)}{dx} = \frac{e^{-x}}{(1+e^{-x})^2} = \left(\frac{1+e^{-x}-1}{1+e^{-x}} \right) \left(\frac{1}{1+e^{-x}} \right) = (1-\sigma(x))\sigma(x)$$

反向传播 (Back-Propagation)

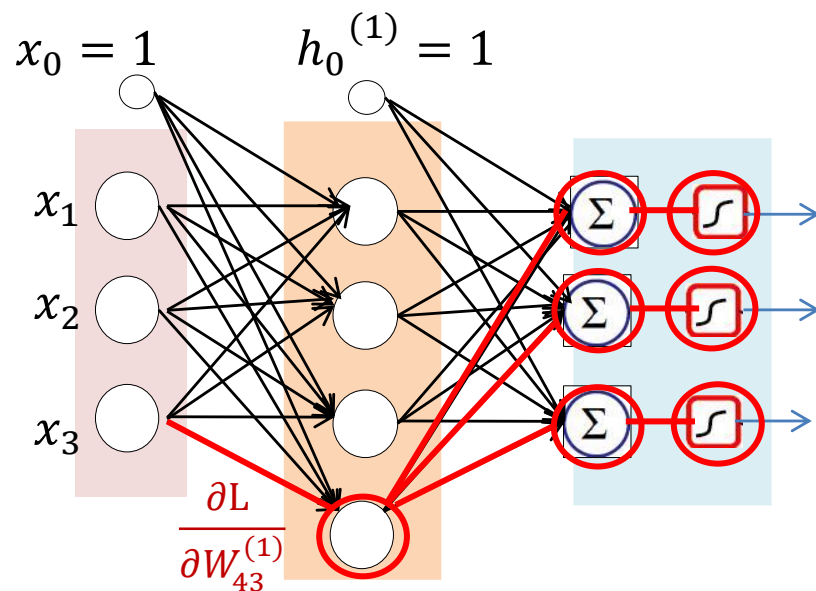
- 链式法则 (Chain rule)

$$f=q(x) \quad \frac{\partial f}{\partial x} = \frac{\partial f}{\partial q} \frac{\partial q}{\partial x}$$

复合表达式: $f(x, y, z) = (x + y)z$

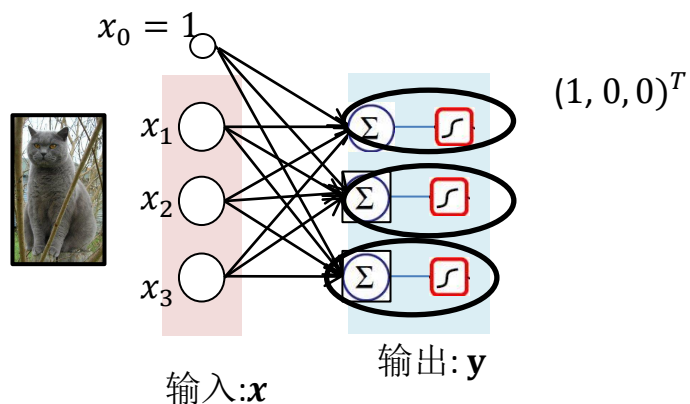
$$q=x+y \quad \frac{\partial q}{\partial x} = 1 \quad \frac{\partial q}{\partial y} = 1$$

$$f=qz \quad \frac{\partial f}{\partial q} = z \quad \frac{\partial f}{\partial z} = q$$



反向传播

- 一层神经网络（线性模型）



- 1. 给定输入，计算输出值：

$$a_i = \sum_{j=0}^3 w_{ij} x_j = \mathbf{w}_i \cdot \mathbf{x},$$

$$i = (1, 2, 3)$$

$$y_i = \sigma(a_i) = \frac{1}{1 + e^{-a_i}}$$

MSE Loss: $L = (\mathbf{y} - \hat{\mathbf{y}})^2 = (1 - y_1)^2 + y_2^2 + y_3^2$

- 2. 根据链规则，计算梯度 $\frac{\partial L}{\partial \mathbf{w}}$ ：

$$\frac{\partial L}{\partial y_1} = 2(y_1 - 1)$$

$$\frac{\partial L}{\partial y_i} = 2y_i, (i=2, 3)$$

$$\frac{\partial L}{\partial a_i} = \frac{\partial L}{\partial y_i} \frac{\partial y_i}{\partial a_i} = \frac{\partial L}{\partial y_i} \sigma(a_i)(1 - \sigma(a_i))$$

$$\begin{aligned} \frac{\partial L}{\partial w_{ij}} &= \frac{\partial L}{\partial a_i} \frac{\partial a_i}{\partial w_{ij}} = \frac{\partial L}{\partial a_i} x_{ij} \\ &= \frac{\partial L}{\partial y_i} \sigma(a_i)(1 - \sigma(a_i)) \end{aligned}$$



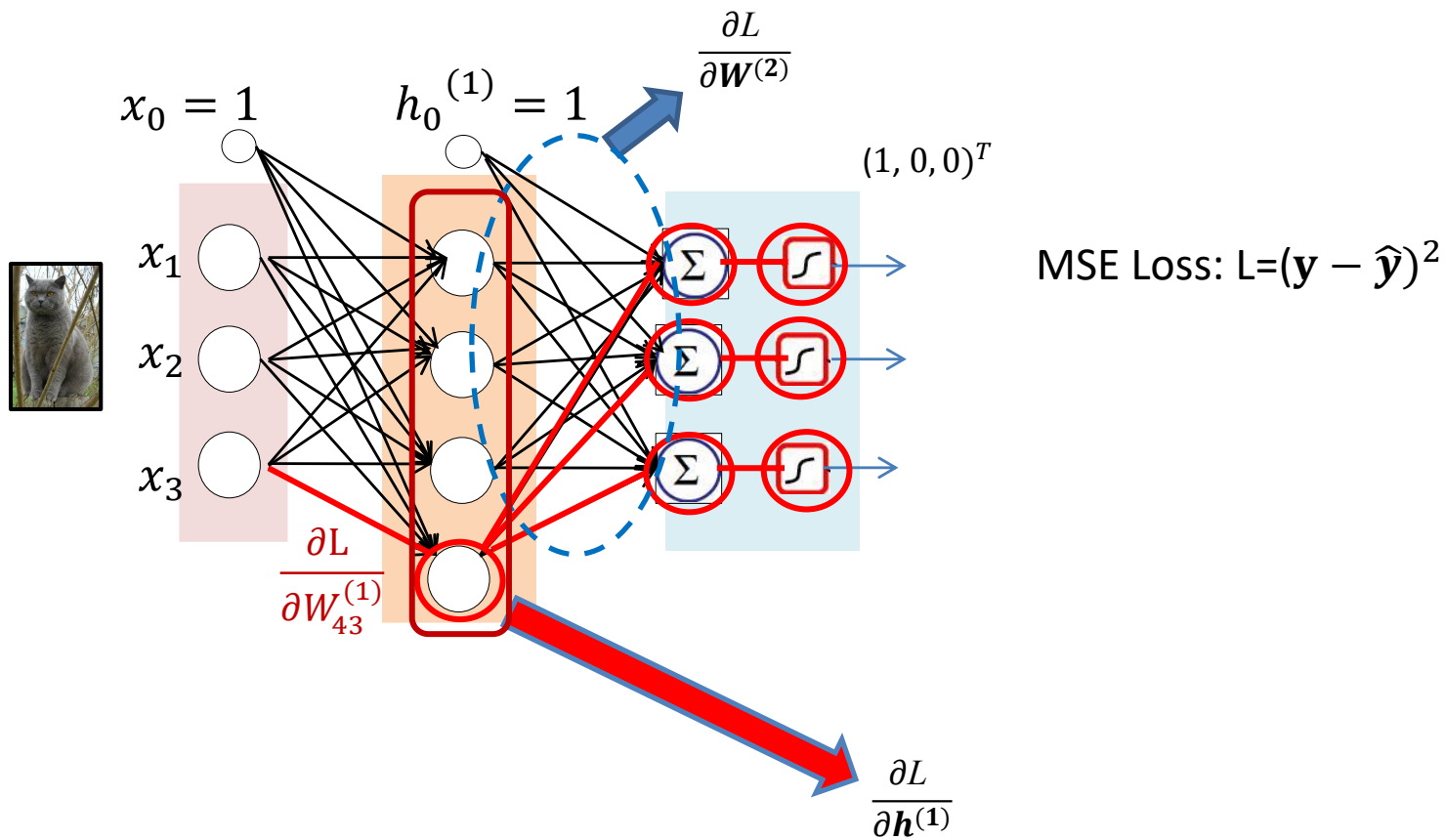
$$\frac{\partial L}{\partial \mathbf{y}} = 2(\mathbf{y} - \hat{\mathbf{y}})$$

$$\frac{\partial L}{\partial \mathbf{a}} = 2[(\mathbf{y} - \hat{\mathbf{y}}) \cdot \sigma(\mathbf{a}) \cdot (1 - \sigma(\mathbf{a}))]^T$$

$$\frac{\partial L}{\partial \mathbf{w}} = 2[(\mathbf{y} - \hat{\mathbf{y}}) \cdot \sigma(\mathbf{a}) \cdot (1 - \sigma(\mathbf{a}))] \mathbf{x}^T$$

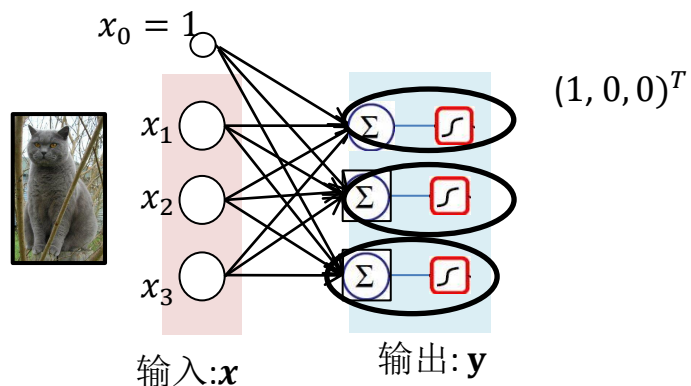
反向传播

- 两层的网络



反向传播

- 一层神经网络（线性模型）



- 1. 给定输入，计算输出值：

$$a_i = \sum_{j=0}^3 w_{ij} x_j = \mathbf{w}_i \cdot \mathbf{x}, \quad i = (1, 2, 3)$$
$$y_i = \sigma(a_i) = \frac{1}{1 + e^{-a_i}}$$

MSE Loss: $L = (\mathbf{y} - \hat{\mathbf{y}})^2 = (1 - y_1)^2 + y_2^2 + y_3^2$

- 2. 根据链规则，计算梯度 $\frac{\partial L}{\partial \mathbf{x}}$ ：

$$\frac{\partial L}{\partial y_1} = 2(1 - y_1)$$

$$\frac{\partial L}{\partial y_i} = 2y_i, \quad (i=2, 3)$$

$$\frac{\partial L}{\partial a_i} = \frac{\partial L}{\partial y_i} \frac{\partial y_i}{\partial a_i} = \frac{\partial L}{\partial y_i} \sigma(a_i)(1 - \sigma(a_i))$$

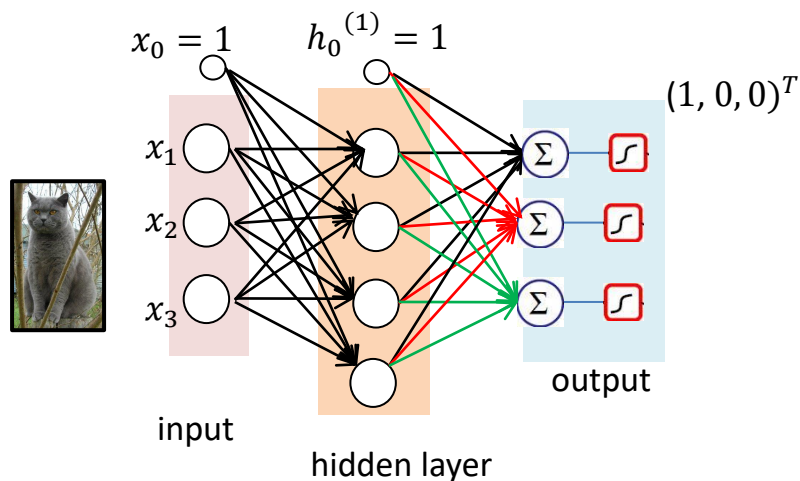
$$\frac{\partial L}{\partial x_i} = \frac{\partial L}{\partial a_i} \frac{\partial a_i}{\partial x_i} = \frac{\partial L}{\partial a_i} \sum_{j=0}^3 w_{ij}$$



$$\frac{\partial L}{\partial \mathbf{x}} = \frac{\partial L}{\partial \mathbf{a}} \mathbf{W}$$

反向传播

- 两层的网络



➤ 1 给定输入，计算输出值：

$$\mathbf{a}^{(1)} = \mathbf{W}^{(1)} \cdot \mathbf{x}$$

$$\mathbf{h}^{(1)} = \sigma(\mathbf{a}^{(1)})$$

$$\mathbf{a}^{(2)} = \mathbf{W}^{(2)} \cdot \mathbf{h}^{(1)}$$

$$\mathbf{y} = \sigma(\mathbf{a}^{(2)})$$

➤ MSE Loss: $L = (\mathbf{y} - \hat{\mathbf{y}})^2$

➤ 2 根据链规则，计算梯度 $\frac{\partial L}{\partial \mathbf{a}^{(i)}}$, $\frac{\partial L}{\partial \mathbf{x}}$:

$$\frac{\partial L}{\partial \mathbf{y}} = 2(\mathbf{y} - \hat{\mathbf{y}})$$

$$\frac{\partial L}{\partial \mathbf{a}^{(2)}} = \frac{\partial L}{\partial \mathbf{y}} \cdot \sigma(\mathbf{a}^{(2)}) \cdot (1 - \sigma(\mathbf{a}^{(2)}))$$

$$\frac{\partial L}{\partial \mathbf{h}^{(1)}} = \frac{\partial L}{\partial \mathbf{a}^{(2)}} \mathbf{W}^{(2)}$$

$$\frac{\partial L}{\partial \mathbf{a}^{(1)}} = \frac{\partial L}{\partial \mathbf{h}^{(1)}} \cdot \sigma(\mathbf{a}^{(1)}) \cdot (1 - \sigma(\mathbf{a}^{(1)}))$$

$$\frac{\partial L}{\partial \mathbf{x}} = \frac{\partial L}{\partial \mathbf{a}^{(1)}} \mathbf{W}^{(1)}$$

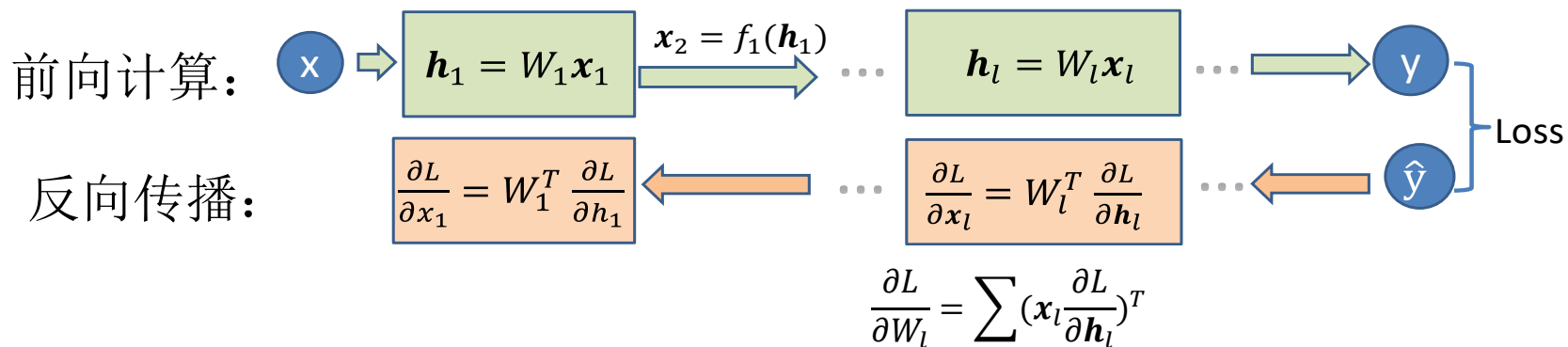
➤ 3. 根据链规则，计算梯度 $\frac{\partial L}{\partial \mathbf{W}^{(i)}}$:

$$\frac{\partial L}{\partial \mathbf{W}^{(2)}} = \frac{\partial L}{\partial \mathbf{a}^{(2)}} \mathbf{h}^{(1)}$$

$$\frac{\partial L}{\partial \mathbf{W}^{(1)}} = \frac{\partial L}{\partial \mathbf{a}^{(1)}} \mathbf{x}$$

反向传播

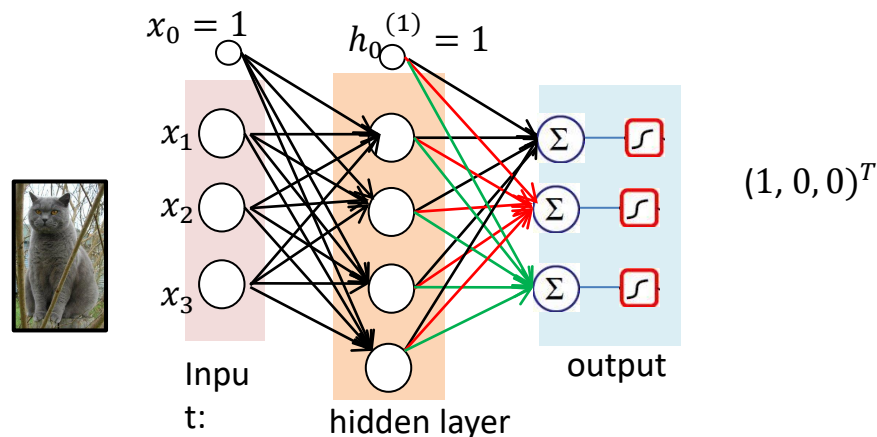
- 利用链式法则计算梯度（数学基础）
- 利用了动态规划的思想（算法设计）



前馈神经网络梯度下降训练算法

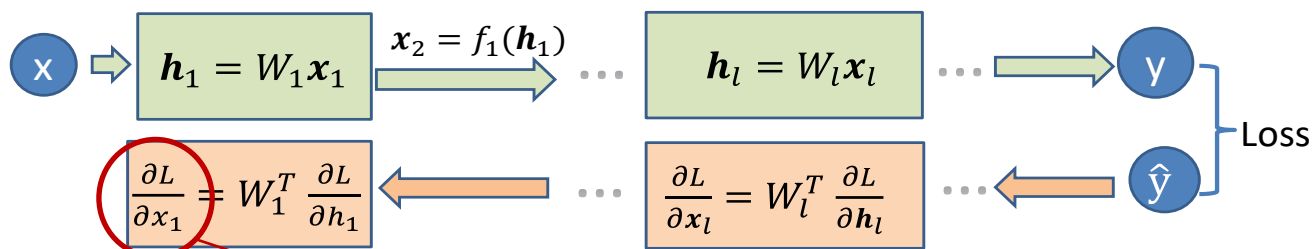
- 0. 初始化权重 \mathbf{W}_0
- 1. 前向过程:
 - 1.1 根据输入, 计算输出值 \mathbf{y}
 - 1.2. 计算损失函数值 $L(\mathbf{y}, \hat{\mathbf{y}})$ 。
- 2. 反向传播
 - 计算 $\frac{\partial L}{\partial \mathbf{y}}$
 - 后向传播直到计算 $\frac{\partial L}{\partial \mathbf{x}}$
- 3. 计算梯度 $\frac{\partial L}{\partial \mathbf{W}}$
- 4. 更新梯度

$$\mathbf{W}_{t+1} = \mathbf{W}_t - \eta \frac{\partial L}{\partial \mathbf{W}_t}$$

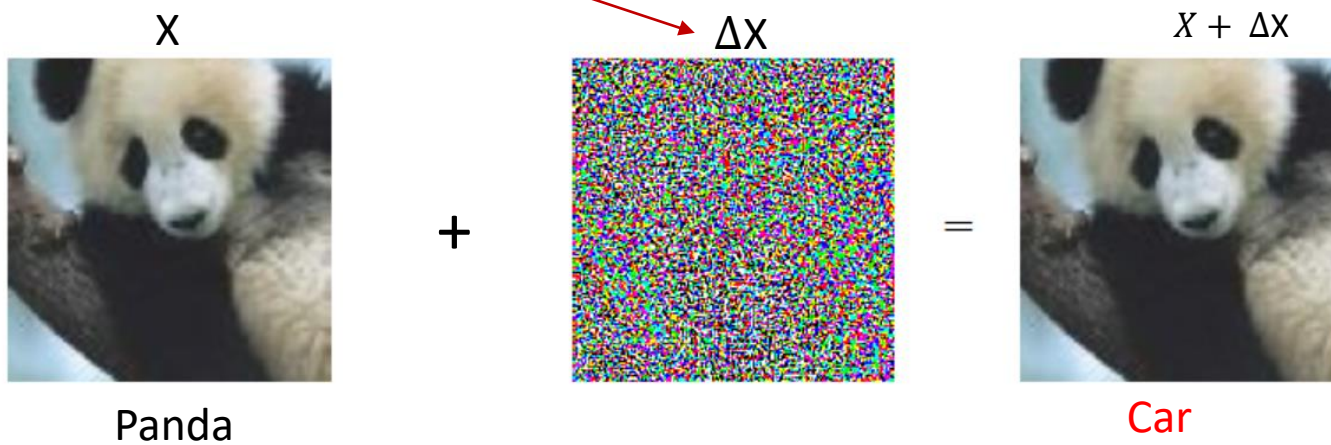


操纵输入空间

- 例如：对抗样例（Adversarial example）



$f(X + \Delta X) \neq f(X)$, ΔX should be imperceptible by human



Some analyses

- Feature extraction
 - Pixel-wise input
 - High dimension
 - Correlation between features



Convolutional Neural
Network(CNN), 卷积神
经网络

