10.优先级队列

(d) 堆排序

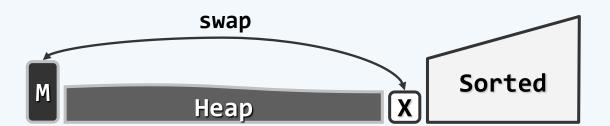
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算法

❖ J. Williams, 1964

初始化 : <u>heapify()</u>, *o*(n) //建堆



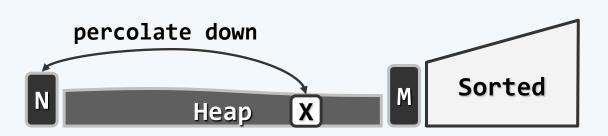
迭代 : <u>delMax()</u>, *O*(logn) //取出堆顶并调整复原

❖等效于常规selectionSort(),正确无疑



- $\diamond O(n) + n \times O(\log n) = O(n \log n)$
- **❖ 若词条已组织为向量**

完全可以就地排序——♂(1)附加空间

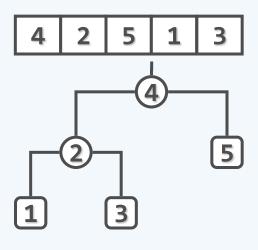


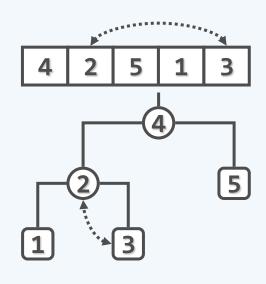
实现)

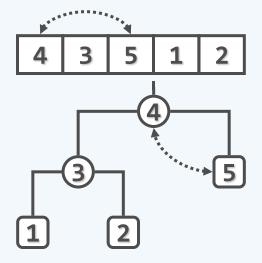
```
❖ template <typename T> //对向量区间[lo, hi)做就地堆排序
void Vector<T>::heapSort( Rank lo, Rank hi ) {
   PQ ComplHeap<T> H( _elem + lo, hi - lo ); //待排序区间建堆, O(n)
   while ( ! H.empty() ) //反复地摘除最大元并归入已排序的后缀,直至堆空
     _elem[ --hi ] = H.<u>delMax()</u>; //等效于堆顶与末元素对换后下滤
                   percolate down
                                            Sorted
                       Heap
```

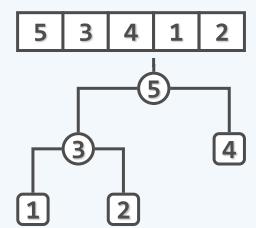
实例:建堆

4 2 5 1 3

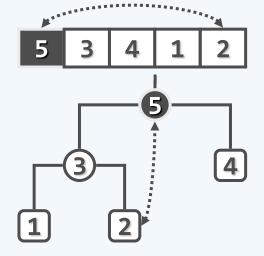


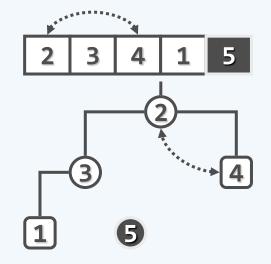


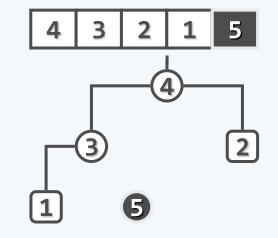


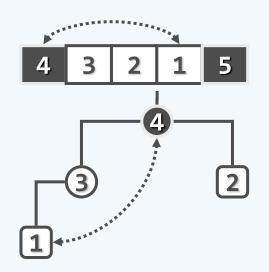


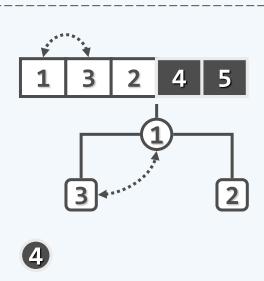
实例:选取+调整

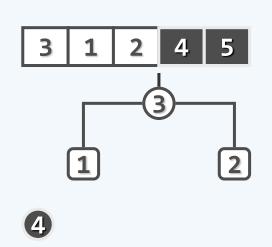




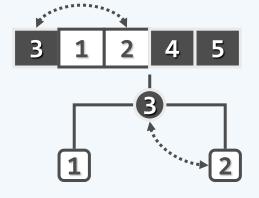


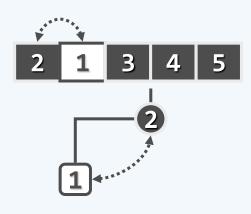


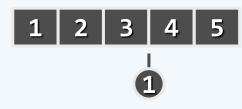


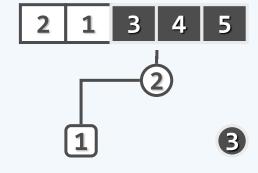


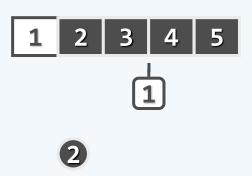
实例:选取+调整











1 2 3 4 5

综合评价

❖ 易于理解,便于实现 //完全基于二叉堆结构及其操作接口

快速高效 //尤其适用于大规模数据

可就地运转

不需全排序即可找出前k个词条 //O(klogn)的selection算法

❖ 不稳定 //为什么?可否克服?

❖ 权衡: 采用就地策略,是否值得?

固然可以节省一定的空间

但对换操作因此须涉及两个完整的词条,操作的单位成本增加